PHYS1303

ППП

TOTAL POINTS

83 / 100

QUESTION 1

[] 12 pts

1.11.16/6

√ - 0 pts Correct

- 6 pts The answer is wrong
- 3 pts Lack of necessary process
- 2 pts Small mistake

1.2 1.2 6 / 6

√ - 0 pts Correct

- 4 pts The answer is wrong
- 3 pts Lack of necessary process
- 2 pts Please simplify
- 2 pts Small mistake

QUESTION 2

2 [] 15 / 15

√ - 0 pts Correct

- **15 pts** Conditions→conclusions, or conclusions→conditions, Please pay attention/Lack of strict proof
 - 1 pts A slight mistake

QUESTION 3

[][] 12 pts

3.13.16/6

√ - 0 pts Correct

- 3 pts Lack of necessary process
- 6 pts wrong/blank

3.23.23/6

- 0 pts Correct
- √ 3 pts There's something wrong with the proof
 - 6 pts wrong
 - 3 pts Lack of necessary process

QUESTION 4

[[] 18 pts

4.14.16/6

- √ 0 pts Correct
 - 6 pts Lack of strict proof/Not Given

4.2 4.2.1 0 / 6

- 0 pts Correct
- √ 6 pts Lack of strict proof/Not Given/Sine-cosine integral divergence.

4.3 4.2.2 0 / 6

- 0 pts Correct
- √ 6 pts The proof is not strict or incorrect./Not Given.
 - 1 pts A small mistake

QUESTION 5

5 | | | | 15 / 15

- √ 0 pts Correct
 - 15 pts Not Given/Not strict/Lack of processing

QUESTION 6

[[] 12 pts

6.16.14/6

- 0 pts Correct
- 4 pts There's something wrong/Lack of necessary

process

- 6 pts wrong
- √ 2 pts Small mistake

6.2 6.2 6 / 6

- √ 0 pts Correct
 - 6 pts Not Given

- 4 pts Unperfect

QUESTION 7

7 🛮 🗓 🕽 16 / 16

- √ 0 pts Correct
- **9 pts** The conclusion is not perfect/Lack of processing
 - 16 pts Not Given/ Wrong

1. (1)
$$\chi^{2} \frac{d^{4}y}{dx^{2}} + \chi \frac{d^{4}y}{dx} + (2x+\lambda)y=0$$

($\frac{1}{2} \times \pm 0 \text{ M}$) $\frac{1}{2} \frac{1}{2} \frac{1}$

1.1 1.1 6 / 6

- 6 pts The answer is wrong
- 3 pts Lack of necessary process
- 2 pts Small mistake

1. (1)
$$\chi^{2} \frac{d^{4}y}{dx^{2}} + \chi \frac{d^{4}y}{dx} + (2x+\lambda)y=0$$

($\frac{1}{2} \times \pm 0 \text{ M}$) $\frac{1}{2} \frac{1}{2} \frac{1}$

1.2 1.2 6 / 6

- 4 pts The answer is wrong
- 3 pts Lack of necessary process
- 2 pts Please simplify
- 2 pts Small mistake

2. $\left\{\frac{d}{dx}[p(x)\frac{dy}{dx}] + [xp(x)-q(x)]y=0\right\}$ $\left\{y(b)=a_{11}y(a) + a_{12}y'(a), y'(b)=a_{21}y(a) + a_{22}y'(a)\right\}$ 其中 p(a)=p(b) ② 因子: $Q = p(a)[y_n(a)y_m(a) - y_m(a)y_n'(a)]$ $-p(b)[y_n(b)y_m'(b)-y_m(b)y_n'(b)]$ $= p(a) [y_n(a) y_m'(a) - y_m(a) y_n'(a)$ $-(\alpha_{11}y_n(\alpha) + \alpha_{12}y_n'(\alpha))(\alpha_{21}y_m(\alpha) + \alpha_{22}y_m'(\alpha))$ $+(a_{11}y_{m}(a)+a_{12}y_{m}(a))(a_{21}y_{n}(a)+a_{22}y_{n}(a))]$ $= p(\alpha) \left(1 - \left| \begin{array}{cc} \alpha_{11} & \alpha_{12} \\ \alpha_{21} & \alpha_{22} \end{array} \right) \left[y_n(\alpha) y_m'(\alpha) - y_m(\alpha) y_n'(\alpha) \right]$ \$ | an an = 1 H, 0=0

从而对应不同主征值的未征函数正多

2 [[[] 15 / 15

- 15 pts Conditions→conclusions, or conclusions→ conditions, Please pay attention/Lack of strict proof
- 1 pts A slight mistake

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3. # 26: (1) S(F-T.)=+S(r-r.)S(00,0-00,0.)S(Q-Q.)
      左边二分(アーア。)= S(x-x) S(y-y.) S(Z-Z)
            = \begin{cases} +\infty, & \chi = \chi_0, y = y_0, z = z_0 \\ 0, & \text{otherwise} \end{cases}
            = \begin{cases} +\infty , & r=r_0, \theta=\theta_0, \varphi=\varphi_0 \\ 0 , & \text{otherwise} \end{cases}
   tib=18(r-r.) 8(000-000)8(q-q.)
           = \begin{cases} +\infty & \text{, } r=r_0, \theta=0_-, \varphi=\varphi_0 \\ 0 & \text{, otherwise} \end{cases}
  对左边积分= \iint_{\mathbb{R}^3} S(\vec{r}-\vec{r}_0) d^3V = \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} S(\chi-\chi_0) S(\gamma-\gamma_0) S(\gamma-\gamma_0) d\chi d\gamma dz
                      =\int_{-\infty}^{+\infty}S(x-x)dx\int_{-\infty}^{+\infty}S(y-y)dy\int_{-\infty}^{+\infty}S(z-z)dz
对抗边积分= \iint_{\mathbb{R}^{+}} \frac{1}{r} S(r-r_{0}) S(con \theta - con \theta_{0}) S(\varphi - \varphi_{0}) dV
                    = 500,500 - CONDO - CONDO) S(Q-Q.) r'sin o dr do dq
                  =\int_{0}^{2\pi}S(r-r_{0})dr\int_{0}^{r}S(cn\theta-cn\theta_{0})dcn\theta\int_{0}^{+\infty}S(\varphi-\varphi_{0})d\varphi
(年2月2 S(アーア。)= たら(アート。)5(cのローのの。)5(ヤーヤ。)
(2) PIRI = -4TS(P-F.)
      当下+下。州 マート-下。
コア-下。川 マート-下。
                            \nabla^{2} \frac{1}{|\vec{r} - \vec{r}_{0}|} = -\nabla \frac{\vec{r} - \vec{r}_{0}}{|\vec{r} - \vec{r}_{0}|} = 0 = -4\pi S(\vec{r} - \vec{r}_{0})
       SSS 02 | F-F. | dV= SS 0 | r-F. | dV= SS 0 | F-F. | ds
                              = 15-F.13 - (F-F.) ds
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3.13.16/6

- √ 0 pts Correct
 - 3 pts Lack of necessary process
 - 6 pts wrong/blank

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3. # 26: (1) S(F-T.)=+S(r-r.)S(00,0-00,0.)S(Q-Q.)
      左边二分(アーア。)= S(x-x) S(y-y.) S(Z-Z)
            = \begin{cases} +\infty, & \chi = \chi_0, y = y_0, z = z_0 \\ 0, & \text{otherwise} \end{cases}
            = \begin{cases} +\infty , & r=r_0, \theta=\theta_0, \varphi=\varphi_0 \\ 0 , & \text{otherwise} \end{cases}
   tib=18(r-r.) 8(000-000)8(q-q.)
           = \begin{cases} +\infty & \text{, } r=r_0, \theta=0_-, \varphi=\varphi_0 \\ 0 & \text{, otherwise} \end{cases}
  对左边积分= \iint_{\mathbb{R}^3} S(\vec{r}-\vec{r}_0) d^3V = \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} S(\chi-\chi_0) S(\gamma-\gamma_0) S(\gamma-\gamma_0) d\chi d\gamma dz
                      =\int_{-\infty}^{+\infty}S(x-x)dx\int_{-\infty}^{+\infty}S(y-y)dy\int_{-\infty}^{+\infty}S(z-z)dz
对抗边积分= \iint_{\mathbb{R}^{+}} \frac{1}{r} S(r-r_{0}) S(con \theta - con \theta_{0}) S(\varphi - \varphi_{0}) dV
                    = 500,500 - CONDO - CONDO) S(Q-Q.) r'sin o dr do dq
                  =\int_{0}^{2\pi}S(r-r_{0})dr\int_{0}^{r}S(cn\theta-cn\theta_{0})dcn\theta\int_{0}^{+\infty}S(\varphi-\varphi_{0})d\varphi
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                            \nabla^{2} \frac{1}{|\vec{r} - \vec{r}_{0}|} = -\nabla \frac{\vec{r} - \vec{r}_{0}}{|\vec{r} - \vec{r}_{0}|} = 0 = -4\pi S(\vec{r} - \vec{r}_{0})
       SSS 02 | F-F. | dV= SS 0 | r-F. | dV= SS 0 | F-F. | ds
                              = 15-F.13 - (F-F.) ds
```

$$= -\iint_{|\vec{r} - \vec{r}_0| = R} \frac{ds}{|\vec{r} - \vec{r}_0| = R} = -\iint_{|\vec{r} - \vec{r}_0| = R} \frac{ds}{R^2}$$

$$= -\frac{4\pi R^2}{R^2} = -4\pi = -\iint_{R^3} -4\pi S(\vec{r} - \vec{r}_0) dV$$

3.2 3.2 3 / 6

- 0 pts Correct
- \checkmark 3 pts There's something wrong with the proof
 - 6 pts wrong
 - 3 pts Lack of necessary process

4. (1)
$$\int_{-\infty}^{\infty} \frac{\cos \omega t}{\omega + a} d\omega = \frac{\pi}{a} e^{-att}$$
 (a>0)
$$\int_{-\infty}^{\infty} \frac{\cos \omega t}{\omega + a} d\omega = e^{-att} \int_{-\infty}^{\infty} \frac{e^{-i\omega t}}{\omega + a} d\omega = e^{-att} \int_{-\infty}^{\infty} \frac{e^{-i\omega t}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = e^{-at} \int_{-\infty}^{\infty}$$

4.1 4.1 6 / 6

- √ 0 pts Correct
 - 6 pts Lack of strict proof/Not Given

4. (1)
$$\int_{-\infty}^{\infty} \frac{\cos \omega t}{\omega + a} d\omega = \frac{\pi}{a} e^{-att}$$
 (a>0)
$$\int_{-\infty}^{\infty} \frac{\cos \omega t}{\omega + a} d\omega = \frac{\pi}{a} e^{-att} d\omega$$

$$\int_{-\infty}^{\infty} \frac{\cos \omega t}{\omega + a} d\omega = \frac{\pi}{a} e^{-at} \int_{-\infty}^{\infty} \frac{e^{-at}}{\omega + a} d\omega = \frac{\pi}{a} e^{-at} d\omega = \frac{\pi}{a$$

4.2 4.2.1 0 / 6

- 0 pts Correct
- √ 6 pts Lack of strict proof/Not Given/Sine-cosine integral divergence.

(ii) I [sinak]= I sinak e k dik = Iso sinak k'dkse sinodo sindy = 12n Stor sinak k'dk / eiktecord) de-cord) = 127 5. to sinak k2 e -ikr (-0,50) 1 = 20 5 sin ak sinkrdk (由3和山路正发播) 2/2元 S(r-a)

4.3 4.2.2 0 / 6

- 0 pts Correct
- ✓ 6 pts The proof is not strict or incorrect./Not Given.
 - 1 pts A small mistake

5. $F(p) = \int_{0}^{+\infty} f(t)e^{-pt}dt$ $= \int_{0}^{a} f(t)e^{-pt}dt + \int_{0}^{2a} f(t)e^{-pt}dt + \int_{2a}^{3a} f(t)e^{-pt}dt + ...$ $= \int_{0}^{a} f(t)e^{-pt}dt + \int_{0}^{a} f(t_{1}+a)e^{-p(t_{1}+a)}d(t_{1}+a) + \int_{0}^{a} f(t_{2}+2a)e^{-p(t_{3}+a)}d(t_{4}+a) + ...$ $= \int_{0}^{a} f(t)e^{-pt}dt + e^{-pa}\int_{0}^{a} f(t_{1})e^{-pt}dt_{1} + e^{-2pa}\int_{0}^{a} f(t_{3})e^{-pt}dt_{3}$ $= \int_{0}^{a} f(t)e^{-pt}dt + e^{-2pa}\int_{0}^{a} f(t_{3})e^{-pt}dt_{3}$ $= (1+e^{-pa}+e^{-2pa}+...)\int_{0}^{a} f(t)e^{-pt}dt$

 $=\frac{1}{1-\rho.7a}\int_{0}^{a}f(t)e^{-pt}dt$

5 [[[] 15 / 15

√ - 0 pts Correct

- 15 pts Not Given/Not strict/Lack of processing

6
$$\int \frac{\partial u}{\partial t} = \alpha \cdot \frac{\partial w}{\partial x} + f(x, t), -\infty < x < +\infty$$

$$\left\{ \begin{array}{l} u|_{t=0} = \rho(x) \\ u|_{t=0} = \rho(x) \end{array} \right\}$$
(1) $\frac{\partial u}{\partial t} = \alpha \cdot \frac{\partial w}{\partial t} + f(x, t), -\infty < x < +\infty$

$$\left\{ \begin{array}{l} u|_{t=0} = \rho(x) \\ u|_{t=0} = \rho(x) \end{array} \right\}$$
(1) $\frac{\partial u}{\partial t} = \frac{\partial u}{\partial t} + \frac{\partial$

構動
$$u(x,t)= L[U(x,p)] = \frac{1}{2a\pi t} [\int_{-\infty}^{\infty} \varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds + \int_{-\infty}^{\infty} \varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds]$$

$$+ \frac{1}{2a\pi t} \int_{-\infty}^{\infty} (\varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds ds + \int_{-\infty}^{\infty} (f(s,t)e^{-\frac{(x-s)^2}{4at^2}} ds)$$

$$= \frac{1}{2a\pi t} \int_{-\infty}^{\infty} (\varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds ds + \int_{-\infty}^{\infty} (f(s,t)e^{-\frac{(x-s)^2}{4at^2}} ds)$$

$$= \frac{1}{2a\pi t} \int_{-\infty}^{\infty} (\varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds + \int_{-\infty}^{\infty} (f(s,t)e^{-\frac{(x-s)^2}{4at^2}} ds)$$

$$= \frac{1}{2a\pi t} \int_{-\infty}^{\infty} (\varphi(s)e^{-\frac{(x-s)^2}{4at^2}} ds + \int_{-\infty}^{\infty} (f(s,t)e^{-\frac{(x-s)^2}{4at^2}} ds)$$

$$= \frac{1}{2a\pi t} \int_{-\infty}^{\infty} (f(s)e^{-\frac{(x-s)^2}{4at^2}} ds)$$

6.16.14/6

- 0 pts Correct
- 4 pts There's something wrong/Lack of necessary process
- 6 pts wrong
- √ 2 pts Small mistake

視到
$$u(x,t)= \int_{-2a\pi t}^{\infty} \left[\int_{-\infty}^{\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg + \int_{-\infty}^{\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg\right]$$

$$+\frac{1}{2a\pi t}\int_{-\infty}^{\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg + \int_{-\infty}^{\infty} \int_{-1}^{\infty} \frac{f(g,t)e^{-\frac{i\alpha t}{4at}}dg}{ft-t}dtdg$$

$$=\frac{1}{2a\pi t}\int_{-\infty}^{+\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg + \int_{-2a\pi t}^{\infty} \int_{-\infty}^{t} \frac{f(g,t)e^{-\frac{i\alpha t}{4at}}dtdg}{ft-t}dtdg$$

$$=\frac{1}{2a\pi t}\int_{-\infty}^{+\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg + \int_{-2a\pi t}^{\infty} \int_{-\infty}^{t} \frac{f(g,t)e^{-\frac{i\alpha t}{4at}}dtdg}{ft-t}dtdg$$

$$=\frac{1}{2a\pi t}\int_{-\infty}^{+\infty} \varphi(g)e^{-\frac{i\alpha t}{4at}}dg + \int_{-2a\pi t}^{\infty} \int_{-\infty}^{t} \frac{f(g,t)e^{-\frac{i\alpha t}{4at}}dg}{ft-t}dtdg}$$
(2) ie $u(x,t), f(x,t) \neq v(x) \neq i$ xin (博士の表) $u(x,t), f(x,t) \neq i$ xin (オーレ)
$$=\frac{1}{2a\pi t}\int_{-\infty}^{t} \frac{f(x,t)e^{-\frac{i\alpha t}{4at}}dg}{\int_{-\infty}^{t} \frac$$

6.2 6.2 6 / 6

- √ 0 pts Correct
 - 6 pts Not Given
 - 4 pts Unperfect

7 🛮 🗓 🕽 16 / 16

- 9 pts The conclusion is not perfect/Lack of processing
- 16 pts Not Given/ Wrong