

$$\begin{array}{l}0\\0\\0\\M\\M\subset\\{\mathbf{R}}^3\\0\\dZ=\\0\\M\in\\M\\dZ=\\0\\Z\\M\\{\mathbf{p}}\\Z\\{\mathbf{q}}\in\\M\\M.\\[0,1]\rightarrow\\M\\ \alpha(0)=\\{\mathbf{p}},\alpha(1)=\\{\mathbf{q}}\\h\end{array}$$

$$h(t)=\langle \alpha(t){-}{\mathbf{p}},Z\rangle$$

$$\begin{array}{l}h(0)=\\0\\h\\t\in\\(0,1)\\h'(t)=\langle \alpha'(t),Z\rangle=0.\end{array}$$

$$\begin{array}{l}h\\(0,1)\\[0,1] \\[0,1] \\h(0)=\\0\\h(t)=\\0\\h(1)=\\ \langle {\mathbf{q}}{-}\\{\mathbf{p}},Z\rangle=\\0\\{\mathbf{q}}\in\\M\\{\mathbf{p}}\in\\M\\ \kappa_1({\mathbf{p}})=\\ \kappa_2({\mathbf{p}})=\\0\\dZ_{\mathbf{p}}=\\0\\??\\M\\M\\M\subset\\{\mathbf{R}}^3\\M\\M\\{\mathbf{p}}\in\\M\\{\mathbf{v}}\in\\T_{\mathbf{p}}\\{\mathbf{p}}\in\\M\\ \kappa_1({\mathbf{p}})=\\ \kappa_2({\mathbf{p}})=\\k\\{\mathbf{e}}_1,{\mathbf{e}}_2\\{\mathbf{v}}=\\a{\mathbf{e}}_1+\\b{\mathbf{e}}_2\in\\T_{\mathbf{p}}M\\{\mathbf{p}}({\mathbf{v}})=\\a\,dZ_{\mathbf{p}}({\mathbf{e}}_1)+\\b\,dZ_{\mathbf{p}}({\mathbf{e}}_2)\\=-a\,k\,{\mathbf{e}}_1-\\b\,k\,{\mathbf{e}}_2\\=-k\,{\mathbf{v}}.\\{\mathbf{x}}:\\D\subset\\{\mathbf{R}}^2\rightarrow\\M\\V=\\{\mathbf{x}}(\overline{D})\\V\\{\mathbf{q}}\in\\V\end{array}$$