

SYNTAX-DIRECTED TRANSLATION

Based on Chapter 5 of Aho, Lam, Sethi, Ullman:

Compilers: Principles, Techniques, & Tools

2nd Ed, Addison Wesley, 2007

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Introduction

- Syntax-directed translation
 - CFG guides the translation of programs by attaching rules or program fragments to productions in a grammar
 - Example : $E \rightarrow E_1 + T$
 - ① Translate E_1
 - ② Translate T
 - ③ Handle $+$
- Two notations
 - Syntax-directed Definitions
 - Syntax-directed Translation Schemes

Introduction

- Syntax-directed definitions
 - A notation for specifying translation for PL constructs in terms of attributes and semantics rules
 - To associate information with a programming language construct by attaching **attributes** to the grammar symbols
 - Values for attributes are computed by **semantic rules** or associated with the grammar productions
- Example : infix-to-postfix translator

Production

Semantic Rule

$E \rightarrow E_1 + T$

$E.code = E_1.code \ || \ T.code \ || \ '+'$

- High-level specification
- Hiding implementation details

Introduction

- Translation schemes
 - A notation for specifying a translation by attaching program fragments (**semantic actions**) to productions in a grammar
 - The order of evaluation of semantics rules is explicitly specified
- Example : infix-to-postfix translator

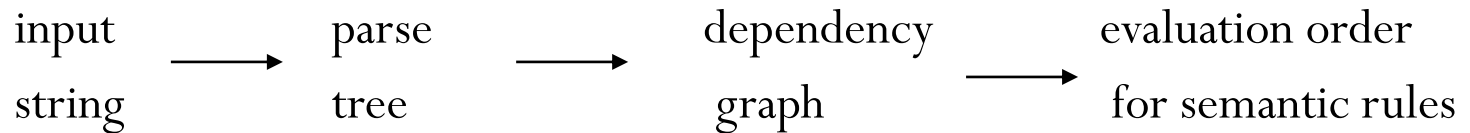
Production Rule with Semantic Action

$E \rightarrow E_1 + T \{ \text{print '+'} \}$

- Exposing implementation details

Introduction

- Conceptual view of syntax-directed translation



- syntax-directed translations can be implemented without explicitly constructing a parse tree or a dependency graph
e.g. L-attributed definitions

Syntax-Directed Definitions

- A syntax-directed definition is a generalization of a CFG using
 - attributes (attached to grammar symbols)
 - semantic rules (attached to production rules)
- Attributes
 - represents anything helpful for translation such as type, string, memory location, syntax tree, or whatever.
 - the value is defined by semantic rules
 - **synthesized attributes** : depends on the attributes of the child nodes in the parse tree
 - **inherited attributes** : depends on the attributes of parent, itself, and siblings in the parse tree
 - Terminals can have synthesized attributes, not inherited attributes
- Semantic rules
 - set up dependencies between attributes (dependency graph)
 - dependency graph derives the evaluation order of semantic rules
 - evaluation of semantic rules defines the values of the attributes
- Annotated parse tree
 - a parse tree to show the values of attributes at each node

Syntax-Directed Definitions

- Example 5.1 : desk calculator

Production

$L \rightarrow E\ n$

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow \mathbf{digit}$

Semantic Rules

$L.val = E.val$

$E.val = E_1.val + T.val$

$E.val = T.val$

$T.val = T_1.val * F.val$

$T.val = F.val$

$F.val = E.val$

$F.val = \mathbf{digit}.lexval$

- each of L, E, T, F has a synthesized attribute *val*
- synthesized attribute *lexval* of **digit** is supplied by the lexical analyzer

Syntax-Directed Definitions

- S-attributed definition
 - Syntax-directed definition that uses only synthesized attributes
 - Example 5.1 is an S-attributed definition
 - An S-attributed SDD can be implemented naturally in conjunction with an LR parser
 - The SDD in Example 5.1 mirrors the Yacc program below, which illustrate translation during parsing

```
line : expr '\n'      { printf("%d\n", $1); }  
    ;  
expr : expr '+' term  { $$ = $1 + $3; }  
    | term  
    ;  
term : term '*' factor { $$ = $1 * $3; }  
    | factor  
    ;  
factor : '(' expr ')'  { $$ = $2; }  
    | DIGIT  
    ;
```

Syntax-Directed Definitions

- Evaluating an SDD
 - In what order do we evaluate attributes
 - using dependency of attributes
 - S-attributed SDD
 - in bottom-up order
 - SDD with both synthesized and inherited attributes
 - more difficult
 - circular dependency – impossible to evaluate

Production

$A \rightarrow B$

Semantic Rules

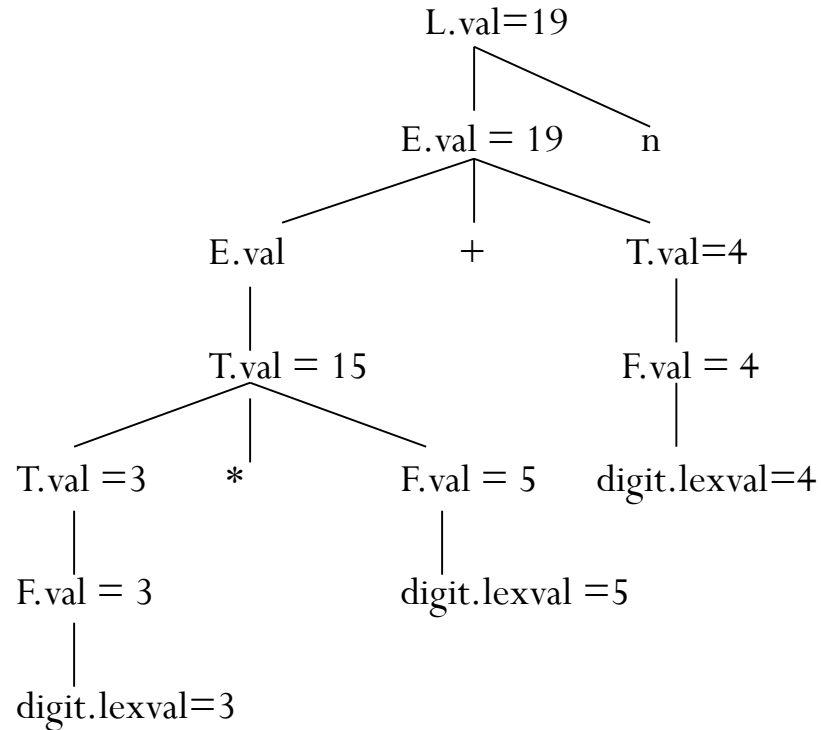
$A.s = B.i$

$B.i = A.s + 1$

- fortunately, there are useful subclasses of SDD's
- Annotated parser tree is used to visualize the translation specified by SDD

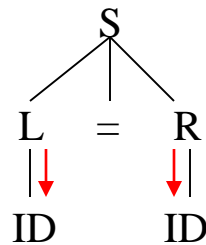
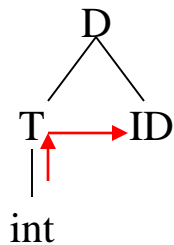
Syntax-Directed Definitions

- Annotated parser tree (Example 5.1)



Inherited Attributes

- Inherited attributes
 - are defined in terms on attributes in the parent and/or siblings
 - useful for expressing the context information
 - e.g.
 - type information in a declaration
 - whether a variable appears on left or right side



Inherited Attributes

- Example 5.3 : Grammar for Expression (part)

Production

$T \rightarrow F T'$

$T' \rightarrow * F T'_1$

$T' \rightarrow \epsilon$

$F \rightarrow \text{digit}$

Semantic Rules

$T'.\text{inh} = F.\text{val}$

$T.\text{val} = T'.\text{syn}$

$T'_1.\text{inh} = T'.\text{inh} * F.\text{val}$

$T'.\text{syn} = T'_1.\text{syn}$

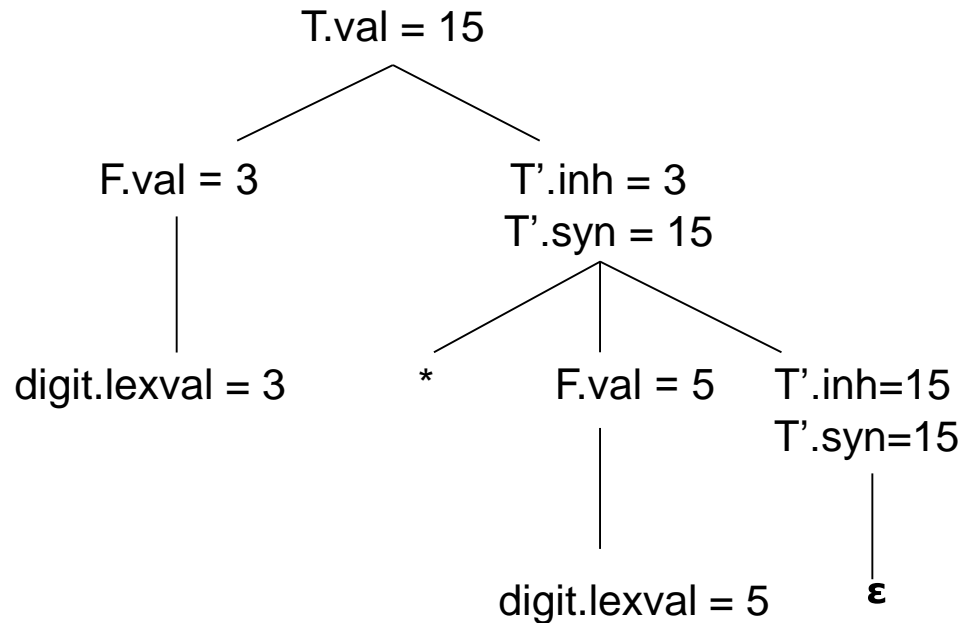
$T'.\text{syn} = T'.\text{inh}$

$F.\text{val} = \text{digit}.\text{lexval}$

- **inh** is an inherited attribute of T'
- **val** and **syn** are synthesized attributes
- synthesized attribute *lexval* of **digit** is supplied by the lexical analyzer

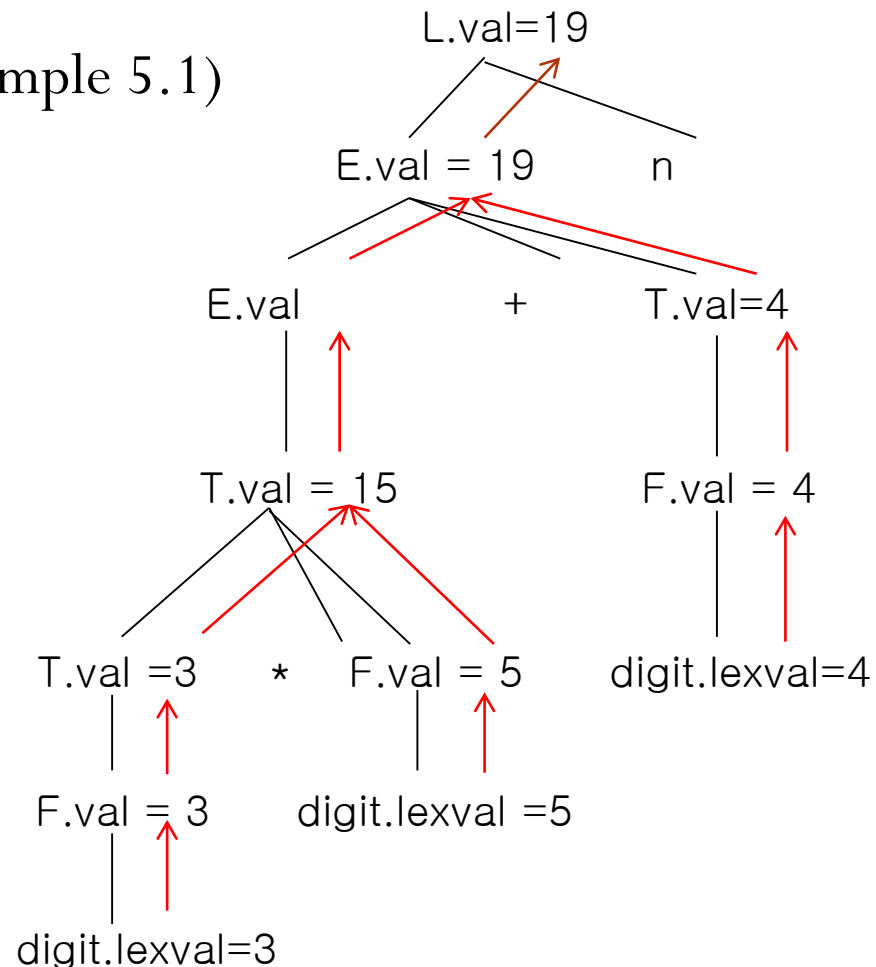
Inherited Attributes

- Annotated parser tree for $3*5$ (Example 5.3)



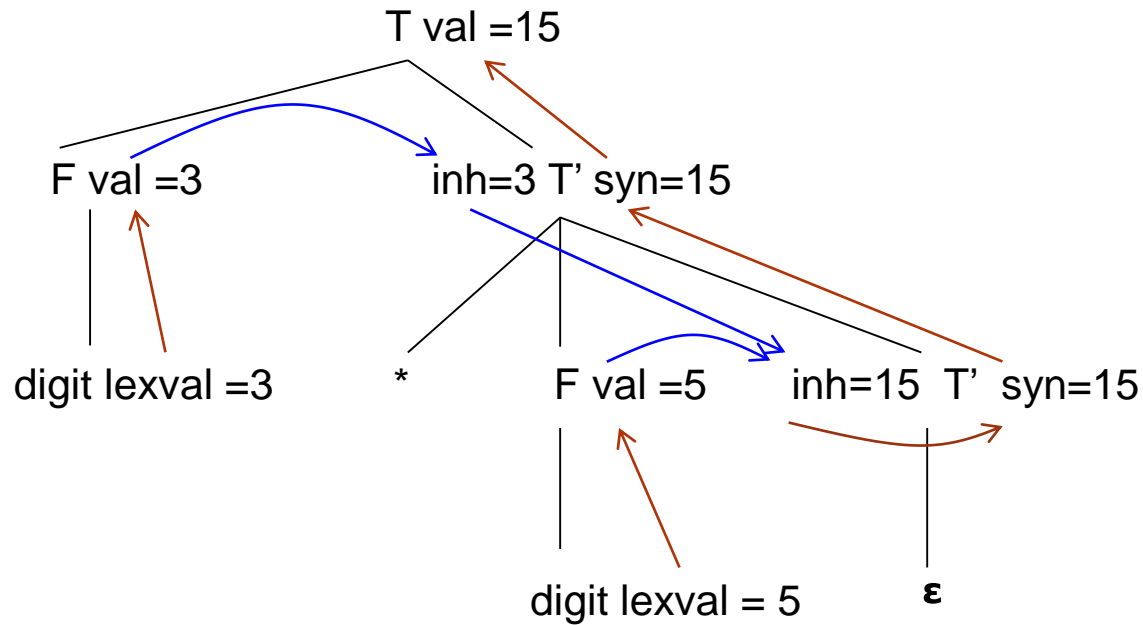
Dependency Graph

- Dependency graph and evaluation order
 - topological sort
- S-attributed SDD(Example 5.1)
 - post-order traversal



Dependency Graph

- SDD with Inherited Attributes (Example 5.3)



L-Attributed Definitions

- A syntax-directed definition is **L-attributed** if it uses
 - synthesized attributes, or
 - inherited attributes of X_j ($1 \leq j \leq n$) on $A \rightarrow X_1, X_2, \dots, X_n$ depends only on
 1. the attributes of the symbols X_1, X_2, \dots, X_{j-1}
 2. the inherited attributes associated with A
 3. the attributes associated with X_j itself (if no cycle)
- every S-attributed definition is an L-attributed definition
 - Example 5.1 (Revisited)

<u>Production</u>	<u>Semantic Rules</u>
$L \rightarrow E \ n$	$L.val = E.val$
$E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$
$E \rightarrow T$	$E.val = T.val$
$T \rightarrow T_1 * F$	$T.val = T_1.val * F.val$
$T \rightarrow F$	$T.val = F.val$
$F \rightarrow (E)$	$F.val = E.val$
$F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

L-Attributed Definitions

- Example 5.3 (Revisited)

Production

$T \rightarrow F T'$

$T' \rightarrow * F T'_1$

...

Semantic Rules

$T'.inh = F.val$

$T.val = T'.syn$

$T'_1.inh = T'.inh * F.val$

$T'.syn = T'_1.syn$

- Example 5.9 : not an L-attributed definition

Production

$A \rightarrow B C$

Semantic Rules

$A.s = B.b; B.i = f(C.c, A.s)$

L-Attributed Definitions

- L-attributed definitions can be evaluated in depth-first order in the parse tree

```
procedure dfvisit(n:node)
begin
    evaluate inherited attributes of n
    for each child m of n , from left to right do begin
        dfvisit(m)
    end
    evaluate synthesized attributes of n
end
```

L-Attributed Definitions

- Example 5.10: Type declaration

Production

$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{float}$

$L \rightarrow L_1, \text{id}$

$L \rightarrow \text{id}$

Semantic Rules

$L.\text{in} = T.\text{type}$

$T.\text{type} = \text{integer}$

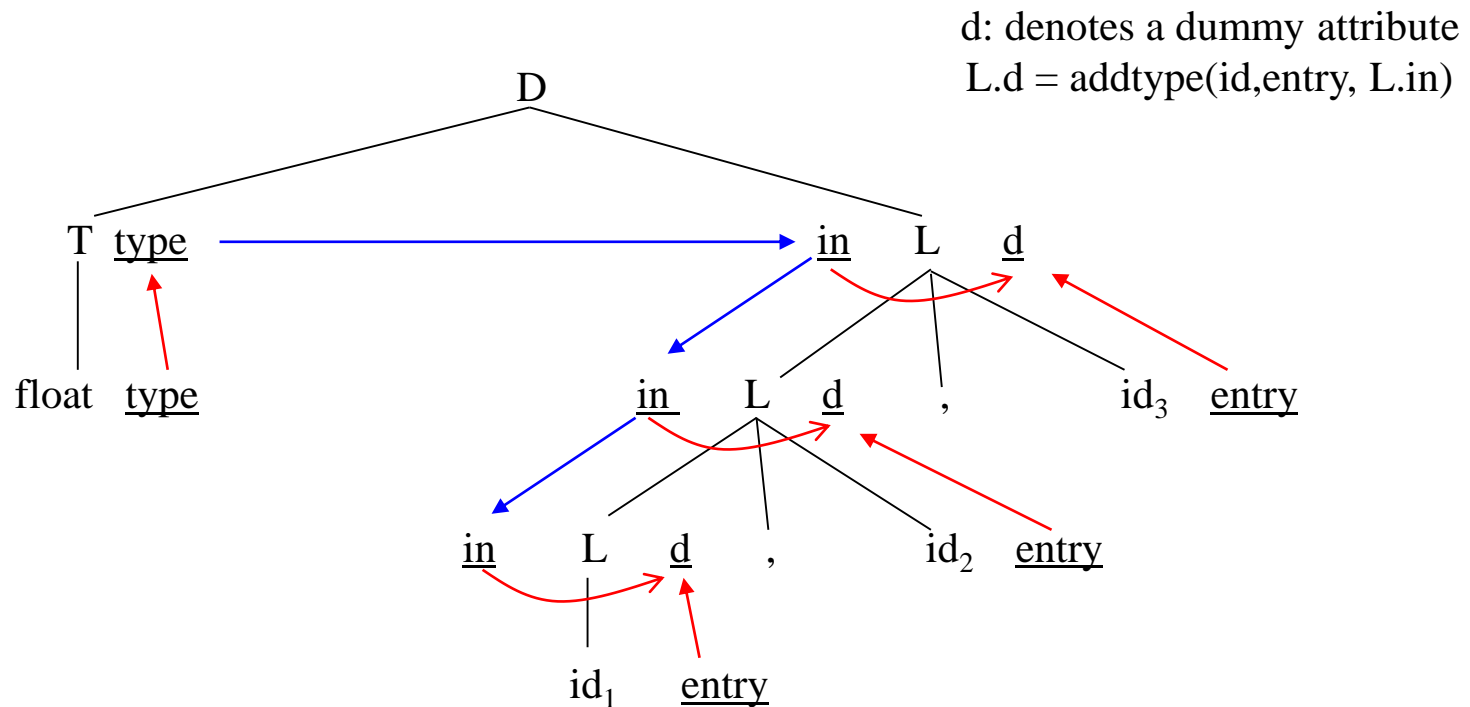
$T.\text{type} = \text{real}$

$L_1.\text{in} = L.\text{in}; \text{addtype}(\text{id.entry}, L.\text{in})$

$\text{addtype}(\text{id.entry}, L.\text{in})$

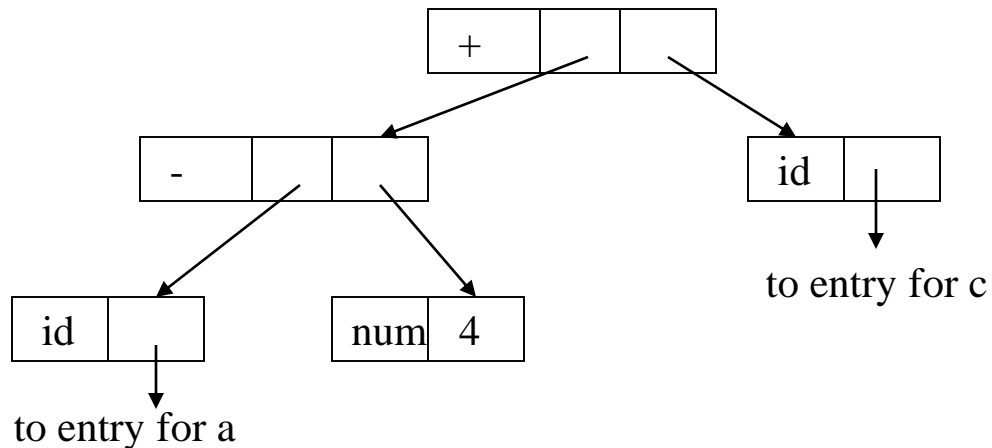
L-Attributed Definitions

- Dependency graph and evaluation order (**float id₁, id₂, id₃**)



Application: Construction of Syntax Trees

- Syntax Tree : $a - 4 + c$



Construction of Syntax Trees

- Example 5.11 : S-attributed definition (Expression)

Production

Semantic Rules

$E \rightarrow E_1 + T$

$E.\text{node} = \text{mkNode}('+', E_1.\text{node}, T.\text{node})$

$E \rightarrow E_1 - T$

$E.\text{node} = \text{mkNode}('-', E_1.\text{node}, T.\text{node})$

$E \rightarrow T$

$E.\text{node} = T.\text{node}$

$T \rightarrow (E)$

$T.\text{node} = E.\text{node}$

$T \rightarrow \text{id}$

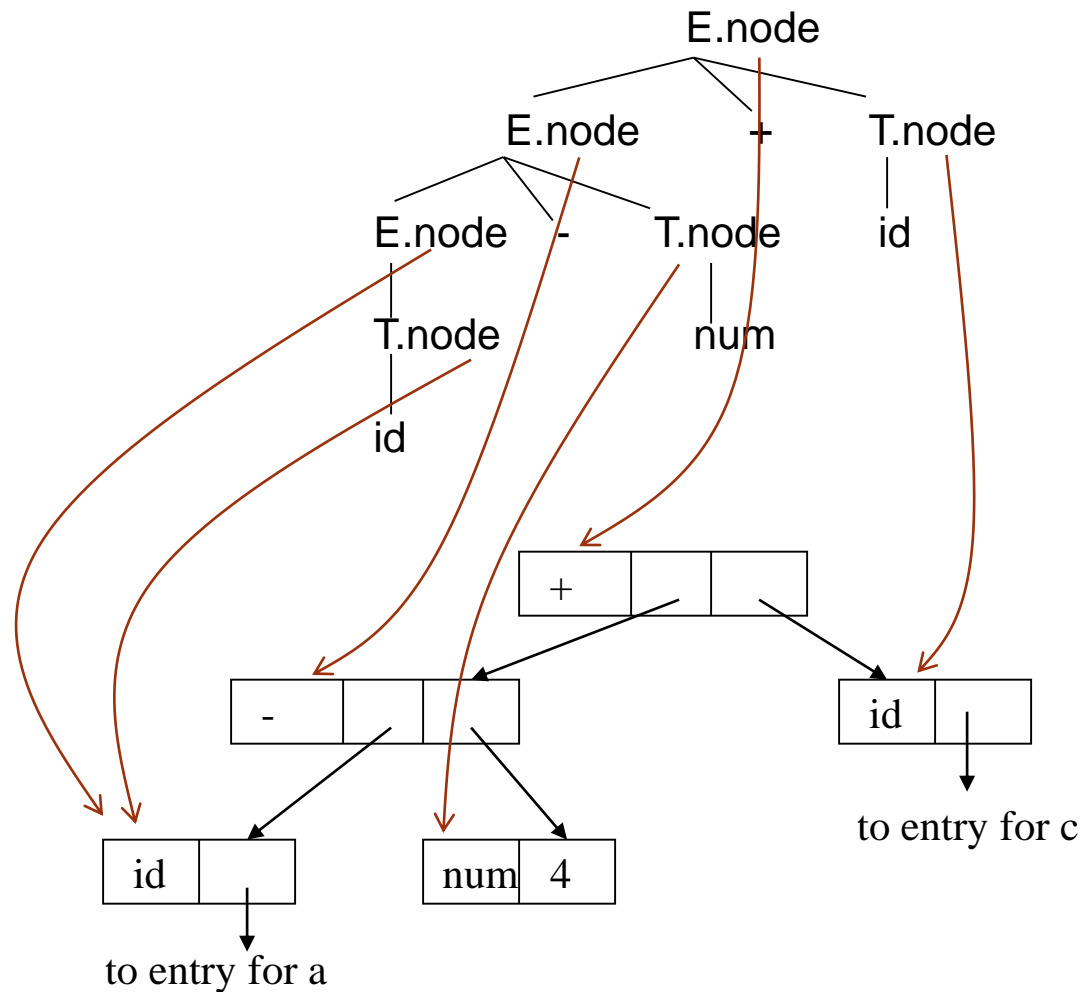
$T.\text{node} = \text{mkLeaf}(\text{id}, \text{id.entry})$

$T \rightarrow \text{num}$

$T.\text{node} = \text{mkLeaf}(\text{num}, \text{num.val})$

Construction of Syntax Trees

- Annotated Parse Tree : $a - 4 + c$



Construction of Syntax Trees

- Example 5.12 : L-attributed definition (Expression)

Production

$E \rightarrow T E'$

$E' \rightarrow + T E'_1$

$E' \rightarrow - T E'_1$

$E' \rightarrow \epsilon$

$T \rightarrow (E)$

$T \rightarrow id$

$T \rightarrow num$

Semantic Rules

$E.node = E'.syn$

$E'.inh = T.node$

$E'_1.inh = mkNode('+', E'.inh, T.node)$

$E'.syn = E'_1.syn$

$E'_1.inh = mkNode('-', E'.inh, T.node)$

$E'.syn = E'_1.syn$

$E'.syn = E'.inh$

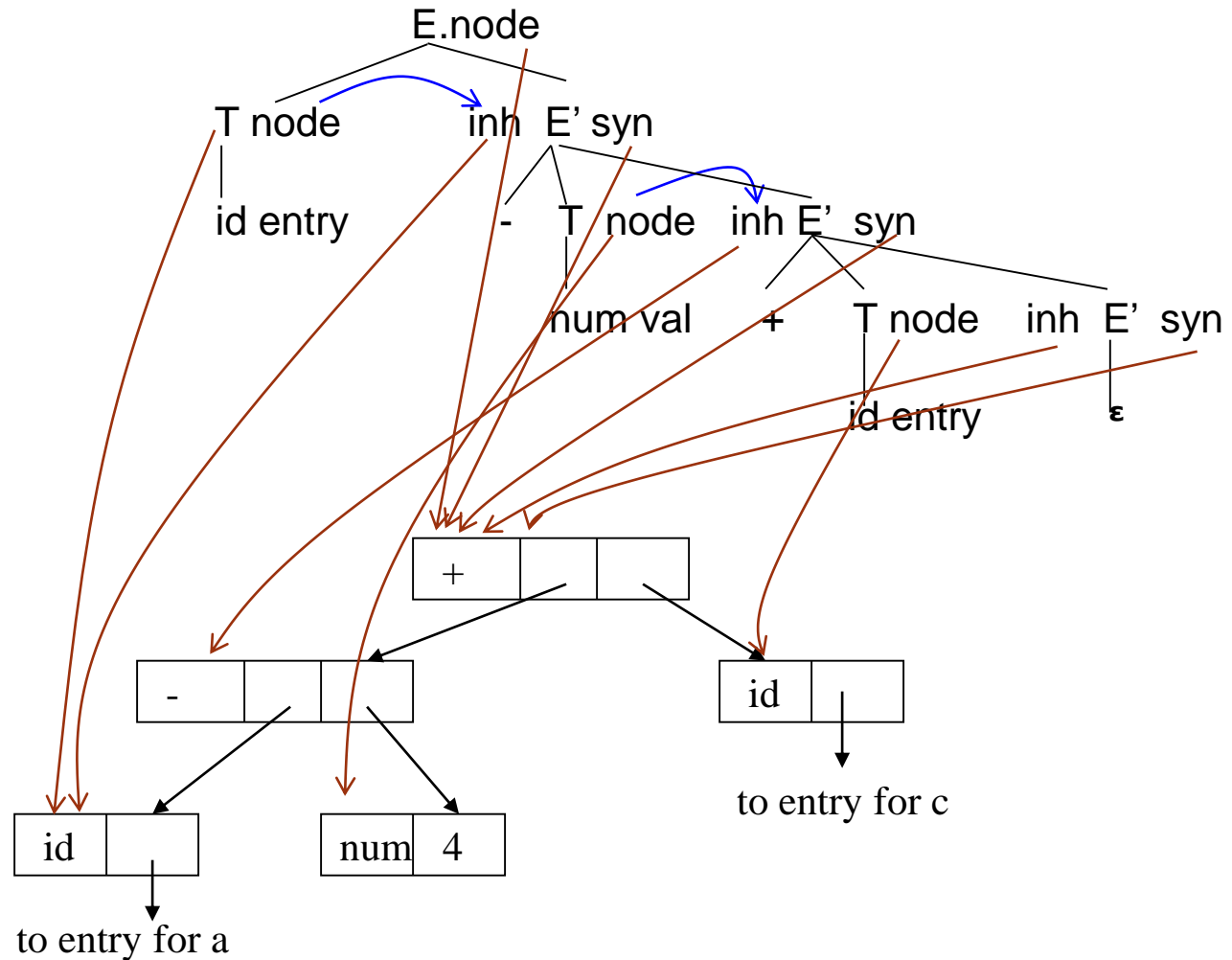
$T.node = E.node$

$T.node = mkLeaf(id, id.entry)$

$T.node = mkLeaf(num, num.val)$

Construction of Syntax Trees

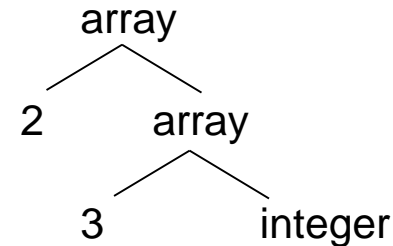
- Annotated Parse Tree : $a - 4 + c$



Application: Structure of a Type

- Example 5.13 : Array Type

`int [2][3] → array(2, array(3, integer))`



Production

$T \rightarrow B C$

$B \rightarrow \text{int}$

$B \rightarrow \text{float}$

$C \rightarrow [\text{num}]C_1$

$C \rightarrow \epsilon$

Semantic Rules

$T.t = C.t$

$C.b = B.t$

$B.t = \text{integer}$

$B.t = \text{float}$

$C.t = \text{array}(\text{num.val}, C_1.t)$

$C_1.b = C.b$

$C.t = C.b$

Application: Structure of a Type

- Annotated Parse Tree : `int [2][3]`

