

INTERMEDIATE CODE GENERATION

Part I

Based on Chapter 6 of Aho, Lam, Sethi, Ullman:

Compilers: Principles, Techniques, & Tools

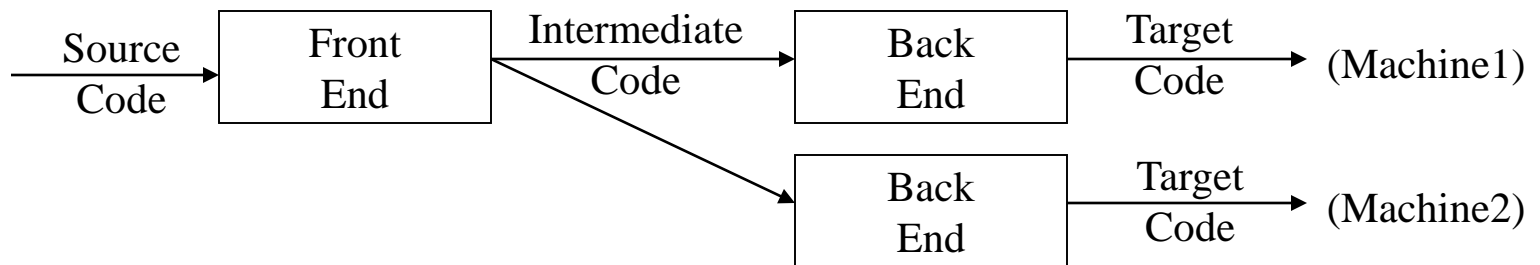
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Introduction

- Analysis and synthesis
 - Analysis part of compiler
 - lexical analysis, syntax analysis, semantic analysis, optimization
 - Synthesis part
 - intermediate code generation, code generation, optimization
- Front-end and back-end



- increases compiler portability

Intermediate Representation

- There are many forms of intermediate representation
 - It may be very high level(syntax tree) or resemble target code
 - It may or may not use detailed information about the target machine (data type size, location of variable etc.)
 - It may or may not incorporate all the information in the symbol table
- Syntax Tree vs Intermediate Code
 - Intermediate code is linearized representation of syntax tree
 - Intermediate code is useful when the compiler is to produce extremely efficient code (significant amount of analysis of intermediate code is required, e.g. optimization)
- Intermediate Code
 - Three Address Code
 - Stack Machine Code(Zero-Address Code)

Three-Address Code

- The general form

$x = y \text{ op } z$

** address = name, constant, or temporary variable*

- Example

$x + y * z$

$t1 = y * z$

$t2 = x + t1$

$a = b * -c + b * -c$

$t1 = -c$

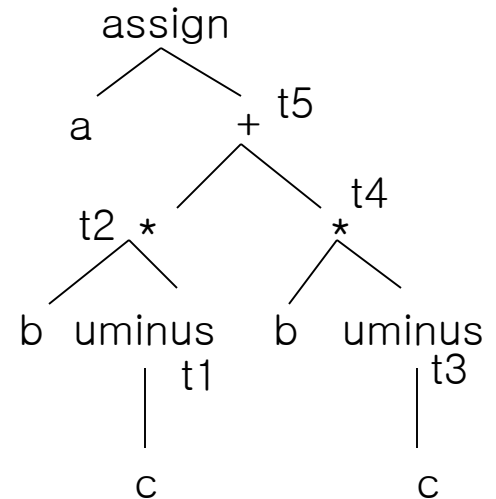
$t2 = b * t1$

$t3 = -c$

$t4 = b * t3$

$t5 = t2 + t4$

$a = t5$



Three-Address Code

- Types of Three Address Code

1. Assignment $x = y \text{ op } z$ and $x = \text{op } y$
2. Copy statement $x = y$
3. Unconditional jump $\text{goto } L$ *L is a label*
4. Conditional jump
 $\text{if } x \text{ relop } y \text{ goto } L$
 $\text{if } x \text{ goto } L$
5. Procedure call
 $\text{param } x_1$
 $\text{param } x_2$
...
 $\text{param } x_n$
 $\text{call } p, n$
6. Return $\text{return } y$ and return
7. Indexed assignment $x = y[i]$ and $x[i] = y$
8. Pointer assignment $x = \&y$, $x = *y$, and $*x = y$

Three-Address Code

- Example

do $i = i + 1$; while ($a[i] < v$);

L : $t1 = i + 1$

$i = t1$

$t2 = i * 8$

$t3 = a[t2]$

 if $t3 < v$ goto L

100: $t1 = i + 1$

101: $i = t1$

102: $t2 = i * 8$

103: $t3 = a[t2]$

104: if $t3 < v$ goto 100

Representation of Three-Address Code

- Quadruples
 - Four fields: op, argument 1, argument 2, result

t1 = -c

t2 = b * t1

t3 = -c

t4 = b * t3

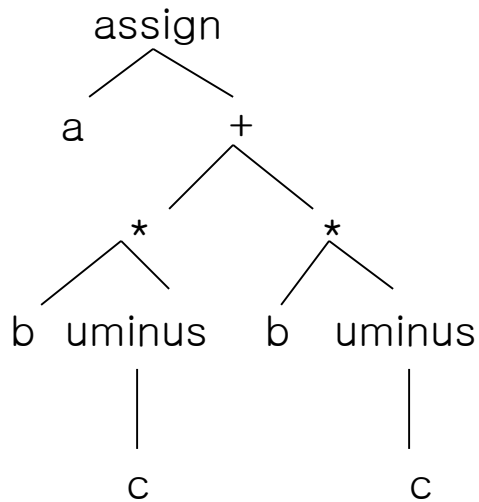
t5 = t2 + t4

a = t5

	op	arg1	arg2	result
0	minus	c		t1
1	*	b	t1	t2
2	minus	c		t3
3	*	b	t3	t4
4	+	t2	t4	t5
5	=	t5		a

Representation of Three-Address Code

- Triples
 - the result of an operation is referred by its position



	op	arg1	arg2
0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)

Representation of Three-Address Code

- Indirect Triples
 - consist of a listing of pointers to triples

35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)
	...

	op	arg1	arg2
0	minus	c	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)

Exemplary Language

- Grammar for Simple Language

$P \rightarrow D; S$

$D \rightarrow T \text{ id } ; D \mid \epsilon$

$T \rightarrow B C$

$B \rightarrow \text{int} \mid \text{double}$

$C \rightarrow [\text{num}] C \mid \epsilon$

$S \rightarrow \text{id} = E ;$

$| L = E ;$

$| \text{if} (E) S_1$

$| \text{while} (E) \text{ do } S_1$

$| S_1 S_2$

$E \rightarrow E + E \mid \text{id} \mid L$

$L \rightarrow \text{id} [E] \mid L [E]$

Types and Declaration

- Two Usages of Types
 - type checking
 - translation
- Type checking
 - verifies that the type of a construct matches that expected by its context
 - mod operator has integer operands
 - dereferencing is applied only to a pointer
 - a function is applied to a correct number and type of arguments
 - etc.
 - Static type checking vs dynamic type checking
- Translation Applications
 - storage layout
 - address calculation
 - type conversion
 - etc

Types and Declarations

- Type expressions
 - the type of a language construct can be denoted by a type expression
 - type expression
 - is a basic type
 - is formed by applying type constructor to other type expressions
- Exemplary Type Expressions
 - a basic type is a type expression: *int*, *char*, *float*, *void*, a special type: *type_error*
 - type name is a type expression : e.g. by typedef in C
 - type constructor applied to type expressions is a type expression
 - Arrays. e.g. *array(2, array(3, integer))* for *int[2][3]*
 - Products. If *T1* and *T2* are type expressions, *T1xT2* is a type expression

Types and Declarations

- Records. The record type constructor can be applied to a tuple formed from field names and field types.

e.g. struct row {
 int address;
 char lexeme[15];
}
struct row table[100];

- the type name *row* denotes the type expression:
 $record((address \times integer) \times (lexeme \times array(15, char)))$
- Pointers. If T is a type expression, then $pointer(T)$ is type expression.
 $struct\ row^* \ ptr; \Rightarrow pointer(row)$
- Functions. If a function maps domain type D to a range type R , the type of the function is denoted by $D \rightarrow R$
 $int^* \ function\ f(char\ a, char\ b) \Rightarrow char \times char \rightarrow pointer(integer)$

Types and Declarations

- Type Equivalence
 - name equivalence
 - two variables have compatible types if their type name is the same
 - e.g. structures in C, classes in Java
 - structural equivalence
 - two variables have compatible types if they have the same structure
 - e.g. pointers, arrays, and their combinations in C

Types and Declarations

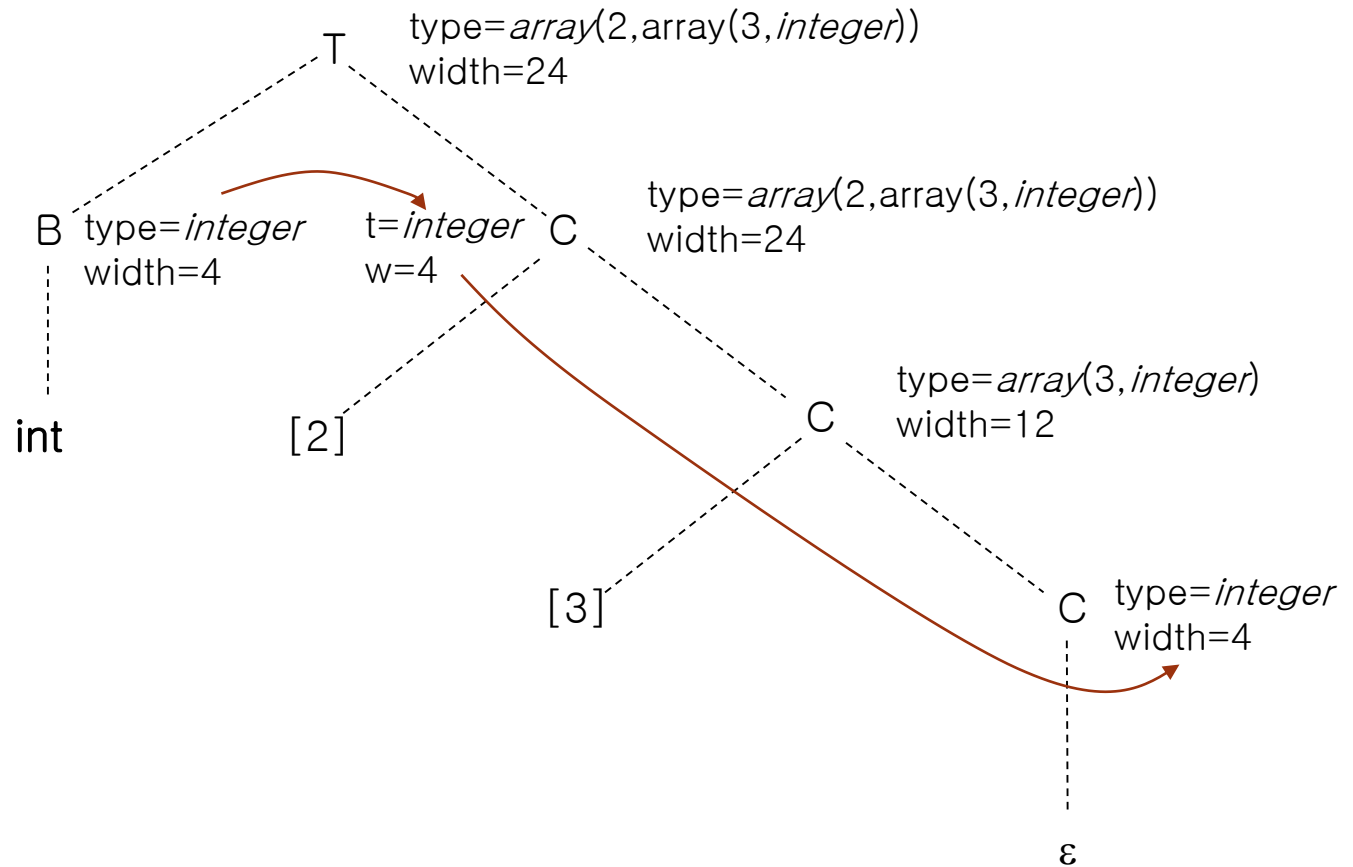
- Declarations and Storage Layout
 - Translation Scheme for calculating type and width information

T \rightarrow B	{ $t = B.type$; $w = B.width$; }
C	{ T.type = C.type; T.width = C.width }
B \rightarrow int	{ B.type = <i>integer</i> ; B.width = 4; }
double	{ B.type = <i>double</i> ; B.width = 8; }
C \rightarrow [num] C ₁	{ C.type = array(num.value, C ₁ .type); C.width = num.value x C ₁ .width; }
ϵ	{ C.type = t ; C.width = w ; }

Types and Declarations

- Example 6.9 (P. 375)

`int[2][3]`



Types and Declarations

- Sequence of Declarations

$P \rightarrow D; S$

$D \rightarrow T \text{ id}; D \mid \epsilon$

- Translation Scheme for evaluating type, offset and width

$P \rightarrow \{D.\text{offset} = 0; \}$

D

$D \rightarrow T \text{ id}; \quad \{ \text{enter}(\text{id.lexeme}, T.\text{type}, D.\text{offset}); \\ D_1.\text{offset} = D.\text{offset} + T.\text{width} \}$

D_1

$\mid \epsilon$

- Using Marker (Syntax Directed Definition)

$P \rightarrow M D$

$D.\text{offset} = M.\text{offset}$

$M \rightarrow \epsilon$

$M.\text{offset} = 0$

$D \rightarrow T \text{ id}; N D_1$

$N.\text{type} = T.\text{type}; N.\text{width} = T.\text{width}; N.\text{offset} = D.\text{offset}$

$N.\text{lexeme} = \text{id.lexeme}; D_1.\text{offset} = N.\text{newoffset}$

$D \rightarrow \epsilon$

$N \rightarrow \epsilon$

$\text{enter}(N.\text{lexeme}, N.\text{type}, N.\text{offset})$

$N.\text{newoffset} = N.\text{offset} + N.\text{width}$

Types and Declarations

- Simplifying global variables

$P \rightarrow \{ \text{offset} = 0; \}$

D

$D \rightarrow T \text{ id}; \quad \{ \text{enter}(\text{id.lexeme}, T.\text{type}, \text{offset});$
 $\quad \text{offset} = \text{offset} + T.\text{width} \}$

D_1

$| \epsilon$

- Using Marker (Syntax Directed Definition)

$P \rightarrow M D$

$M \rightarrow \epsilon \quad \text{offset} = 0;$

$D \rightarrow T \text{ id}; N D_1 \quad N.\text{type} = T.\text{type}; N.\text{width} = T.\text{width};$
 $N.\text{lexeme} = \text{id.lexeme}$

$D \rightarrow \epsilon$

$N \rightarrow \epsilon \quad \text{enter}(N.\text{lexeme}, N.\text{type}, \text{offset})$
 $\text{offset} = \text{offset} + N.\text{width}$

Types and Declarations

- Implementation

$P \rightarrow M D$

$M \rightarrow \epsilon \quad \{ \text{offset} = 0; \}$

$D \rightarrow T \text{ id } ; N D_1$

$D \rightarrow \epsilon$

$N \rightarrow \epsilon \quad \{ \text{enter}(\text{val}[\text{top}-1].\text{lexeme}, \text{val}[\text{top}-2].\text{type}, \text{offset})$
 $\quad \text{offset} = \text{offset} + \text{val}[\text{top}-2].\text{width} \}$

- Alternative Grammar

$P \rightarrow M D$

$M \rightarrow \epsilon \quad \{ \text{offset} = 0; \}$

$D \rightarrow D T \text{ id } ; \quad \{ \text{enter}(\text{id}.\text{lexeme}, T.\text{type}, \text{offset}); \text{offset} += T.\text{width}; \}$

$D \rightarrow T \text{ id } ; \quad \{ \text{enter}(\text{id}.\text{lexeme}, T.\text{type}, \text{offset}); \text{offset} += T.\text{width}; \}$

Translation of Expressions

- Syntax Directed Definition for Expressions

$S \rightarrow id = E ;$	$S.code = E.code \parallel$ $\quad gen(get(id.lexeme) '=' E.addr)$
$E \rightarrow E_1 + E_2$	$E.addr = newtemp()$ $E.code = E_1.code \parallel E_2.code \parallel$ $\quad gen(E.addr '=' E_1.addr '+' E_2.addr)$
$E \rightarrow - E_1$	$E.addr = newtemp()$ $E.code = E_1.code \parallel$ $\quad gen(E.addr '=' 'uminus' E_1.addr)$
$E \rightarrow (E_1)$	$E.addr = E_1.addr$ $E.code = E_1.code$
$E \rightarrow id$	$E.addr = get(id.lexeme)$ $E.code = ''$

Translation of Expressions

- Example 6.11 (P. 380)

$a = b + -c$

$t1 = \text{minus } c$

$t2 = b + t1$

$a = t2$

Translation Scheme for Expressions

- *gen* function outputs code incrementally

$S \rightarrow id = E$	$\{ \text{gen}(\text{get}(\text{id.lexeme}) '=' E.\text{addr}); \}$
$E \rightarrow E_1 + E_2$	$\{ E.\text{addr} = \text{newtemp};$ $\text{gen}(E.\text{addr} '=' E_1.\text{addr} '+' E_2.\text{addr}); \}$
$E \rightarrow - E_1$	$\{ E.\text{addr} = \text{newtemp};$ $\text{gen}(E.\text{addr} '=' \text{'uminus' } E_1.\text{addr}); \}$
$E \rightarrow (E_1)$	$\{ E.\text{addr} = E_1.\text{addr} \}$
$E \rightarrow id$	$\{ E.\text{addr} = \text{get}(\text{id.lexeme}); \}$

Addressing Array Elements

- Relative address of *i*-th element (1-dim array)

- base : the relative address of the array
- low : lower bound on the subscript
- w : width of array element

$$\text{base} + (i - \text{low}) * w$$

- $A[i_1][i_2]$ (assume that lower bounds are 0)

$$\text{base} + (i_1 * n_2 + i_2) * w$$

- $A[i_1][i_2] \dots [i_k]$

$$\text{base} + (i_1 * n_2 * n_3 * \dots * n_k + i_2 * n_3 * \dots * n_k + \dots + i_{k-1} * n_k + i_k) * w$$

$$\Rightarrow \text{base} + i_1 * n_2 * n_3 * \dots * n_k * w + i_2 * n_3 * \dots * n_k * w + \dots +$$

$$i_{k-1} * n_k * w + i_k * w$$

Addressing Array Elements

- Generating code for array reference

$S \rightarrow id = E$; { gen(get(id.lexeme) '=' E.addr); }
 | $L = E$; { gen(L.array.base '[' L.addr ']' '=' E.addr); }
 $E \rightarrow E_1 + E_2$ { E.addr = newtemp;
 gen(E.addr '=' E₁.addr '+' E₂.addr); }

...

 | L { E.addr = newtemp();
 gen(E.addr '=' L.array.base '[' L.addr ']); }

$L \rightarrow id [E]$ { L.array = get(id.lexeme);
 L.type = L.array.type.elem;
 L.addr = newtemp();
 gen(L.addr '=' E.addr '*' L.type.width); }

$L \rightarrow L_1 [E]$ { L.array = L₁.array;
 L.type = L₁.type.elem;
 t = newtemp();
 L.addr = newtemp();
 gen(t '=' E.addr '*' L.type.width);
 gen(L.addr '=' L₁.addr '+' t); }

Addressing Array Elements

- Example

```
int a[2][3];
```

```
c + a[i][j]
```

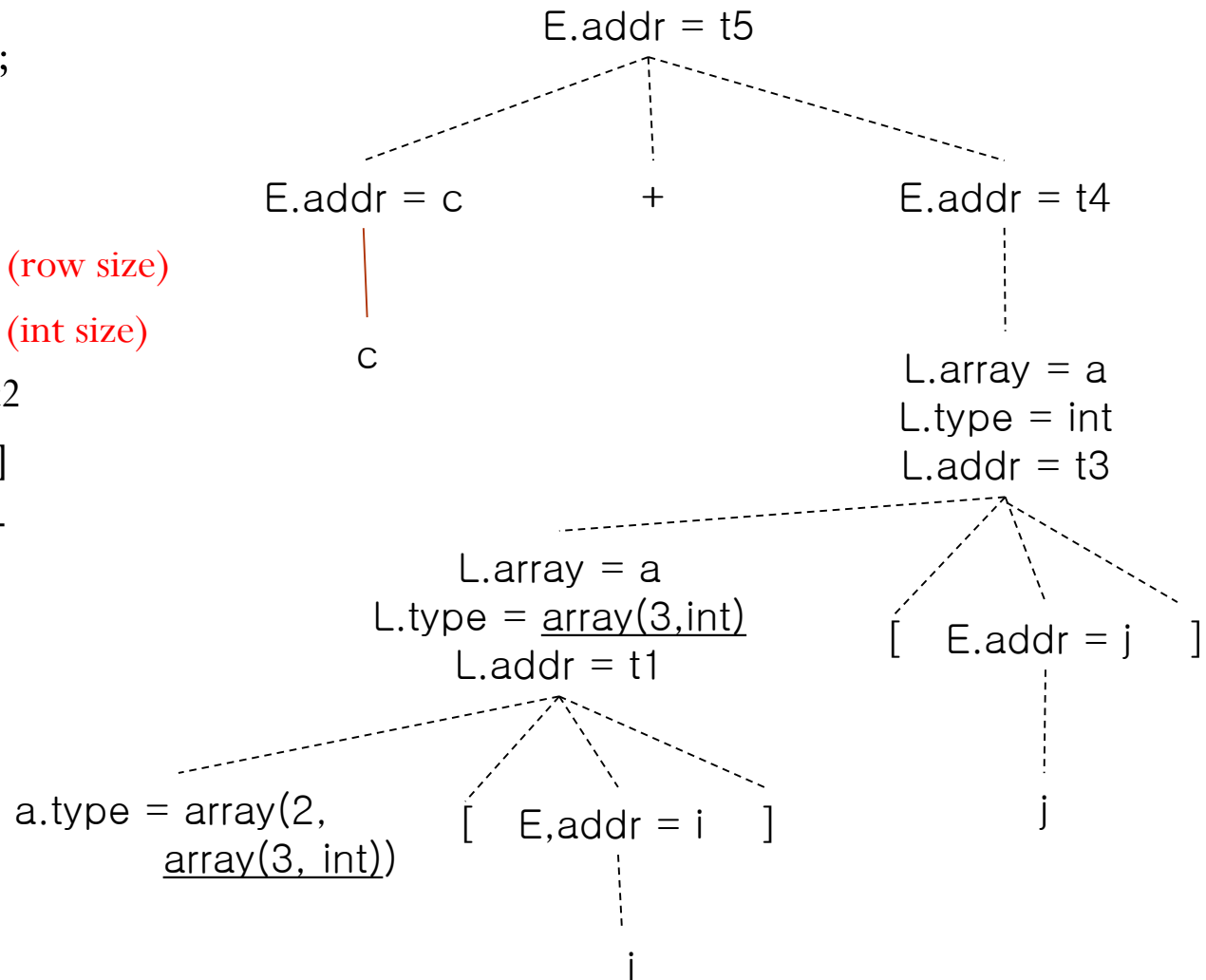
```
t1 = i * 12 (row size)
```

```
t2 = j * 4 (int size)
```

```
t3 = t1 + t2
```

```
t4 = a [ t3 ]
```

```
t5 = c + t4
```



Type Checking

$E \rightarrow \text{literal}$	$\{ E.type = \text{char} \}$
$E \rightarrow \text{num}$	$\{ E.type = \text{integer} \}$
$E \rightarrow \text{id}$	$\{ E.type = \text{getType}(\text{id.lexeme}) \}$
$E \rightarrow E_1 \text{ mod } E_2$	$\{ E.type = \text{if } E_1.type = \text{integer} \text{ and}$ $E_2.type = \text{integer} \text{ then integer}$ $\text{else type_error} \}$
$E \rightarrow E_1 [E_2]$	$\{ E.type = \text{if } E_2.type = \text{integer} \text{ and}$ $E_1.type = \text{array}(s,t) \text{ then } t$ $\text{else type_error} \}$
$E \rightarrow *E_1$	$\{ E.type = \text{if } E_1.type = \text{pointer}(t) \text{ then } t$ $\text{else type_error} \}$
$E \rightarrow E_1(E_2)$	$\{ E.type = \text{if } E_1.type = s \rightarrow t \text{ and } E_2.type = s$ $\text{then } t$ $\text{else type_error} \}$

Type Conversions

```
E-> E1 + E2    {
    E.addr = newtemp;
    if E1.type = integer and E2.type = integer then
        gen(E. addr '=' E1. addr 'int+' E2.addr);
        E.type = integer;
    else if E1.type = real and E2.type = real then
        gent(E. addr '=' E1. addr 'real+' E2addr);
        E.type = real;
    else if E1.type = integer and E2.type = real then
        u = newtemp;
        gen (u '=' 'inttoreal' E1. addr);
        gen (E. addr '=' u 'real+' E2. addr);
        E.type = real;
    else if E1.type = real and E2.type = integer then
        u = newtemp;
        gen (u '=' 'inttoreal' E2. addr);
        gen (E. addr '=' E1. addr 'real+' u);
        E.type = real;
    else
        E.type = type_error;
    endif
}
```

Type Conversions

- Example

$x = y + i * j$

\Rightarrow

$t1 = i \text{ int} * j$

$t3 = \text{inttoreal } t1$

$t2 = y \text{ real} + t3$

$x = t2$