

Journal Club: Measurements for Jet Fragmentation in 2015 PbPb at 5 TeV

<https://inspirehep.net/literature/1749578>

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Procedure & quantities measured

$$D(p_T, r) = \frac{1}{N_{\text{jet}}} \frac{1}{2\pi r dr} \frac{dn_{\text{ch}}(p_T, r)}{dp_T}$$

$$R_{D(p_T, r)} = \frac{D(p_T, r)_{\text{Pb+Pb}}}{D(p_T, r)_{pp}}$$

$$\Delta D(p_T, r) = D(p_T, r)_{\text{Pb+Pb}} - D(p_T, r)_{pp}$$

$R = 0.4, 126 \text{ GeV} < p_T^{\text{jet}} < 316 \text{ GeV}, |y^{\text{jet}}| < 1.7$

$0 < r < 0.8, |\eta^{\text{trk}}| < 2.5, p_T^{\text{trk}} > 1 \text{ GeV}$

lp requirements to suppress secondary tracks, etc. etc.

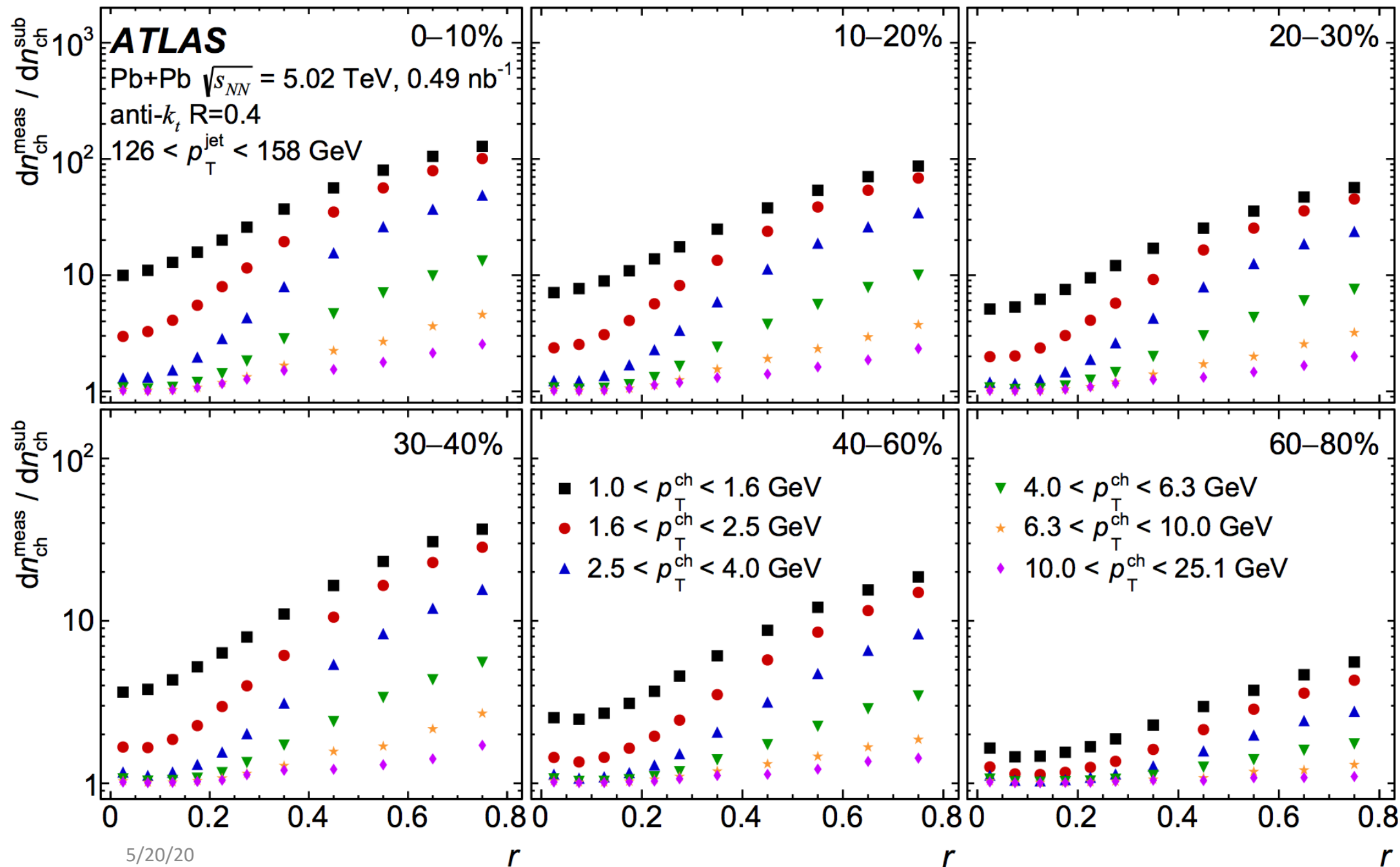
$$\frac{d^2 n_{\text{ch}}^{\text{meas}}(p_T^{\text{ch}}, r)}{dp_T^{\text{ch}} dr} = \frac{1}{\varepsilon(p_T^{\text{ch}}, \eta^{\text{ch}})} \frac{\Delta n_{\text{ch}}(p_T^{\text{ch}}, r)}{\Delta p_T^{\text{ch}} \Delta r}$$

Efficiency
correction

MC overlay subtract
truth-linked particles

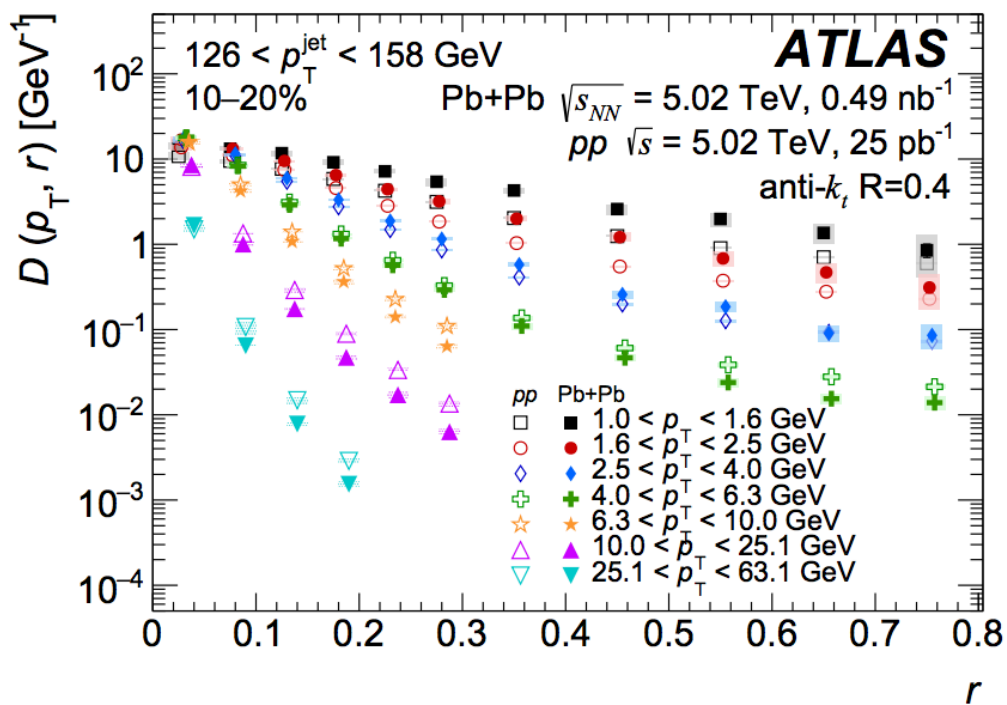
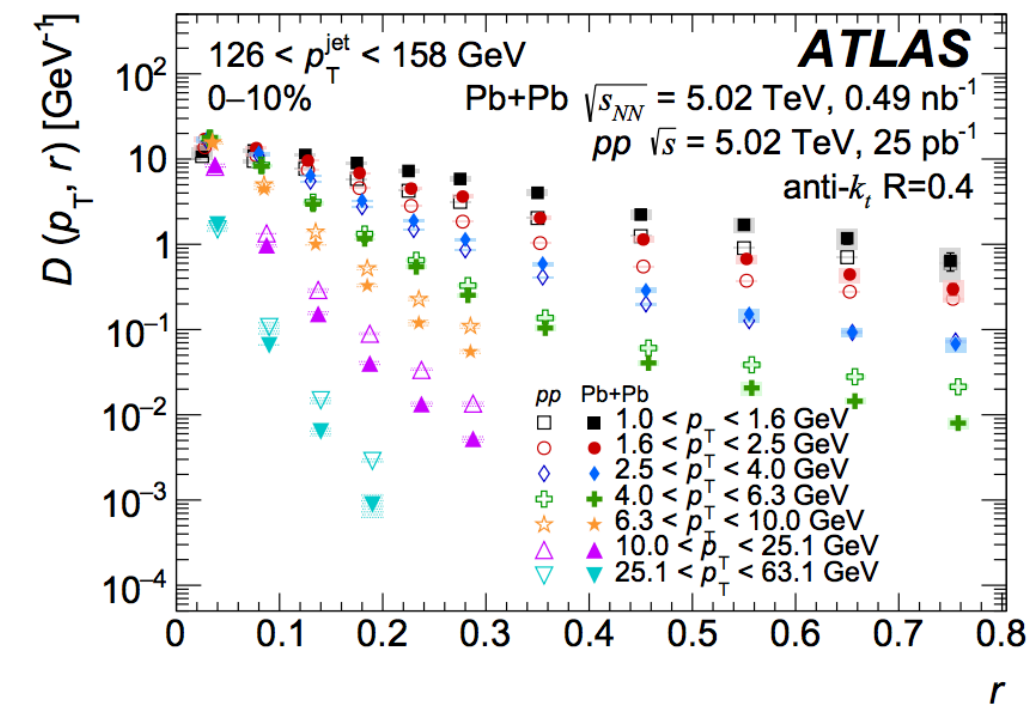
$$\frac{d^2 n_{\text{ch}}^{\text{sub}}(p_T^{\text{ch}}, r)}{dp_T^{\text{ch}} dr} = \frac{d^2 n_{\text{ch}}^{\text{meas}}(p_T^{\text{ch}}, r)}{dp_T^{\text{ch}} dr} - \frac{d^2 n_{\text{ch}}^{\text{UE+Fake}}(p_T^{\text{ch}}, r)}{dp_T^{\text{ch}} dr}$$

$$D(p_T, r) = \frac{1}{N_{\text{jet}}^{\text{unfolded}}} \frac{1}{2\pi r dr} \frac{dn_{\text{ch}}^{\text{unfolded}}(p_T^{\text{ch}}, r)}{dp_T}$$

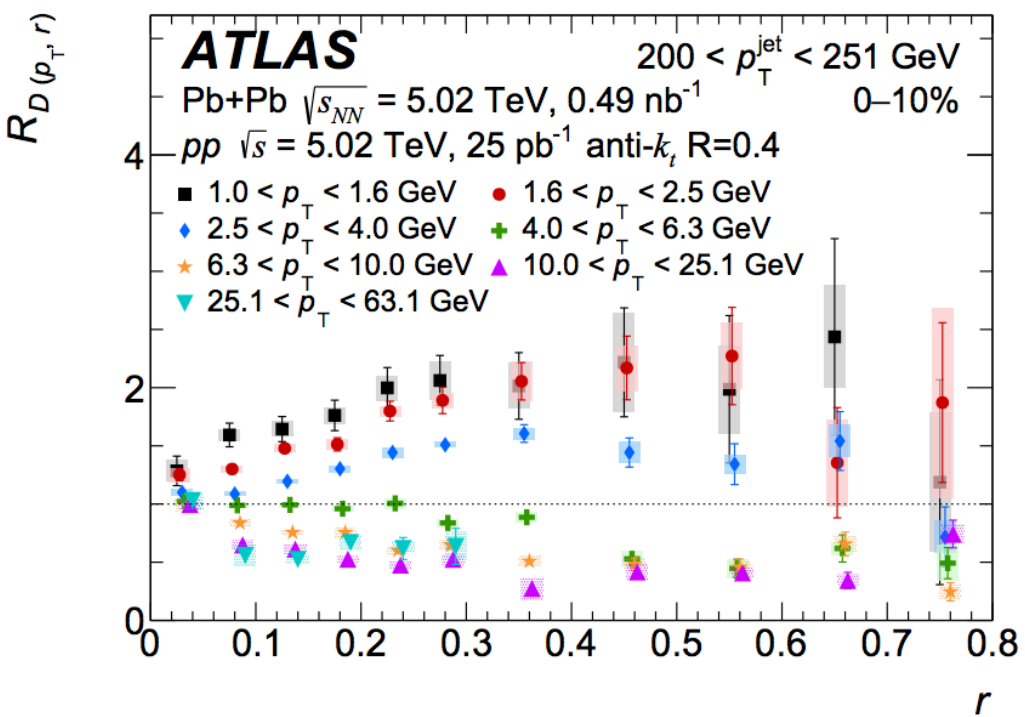
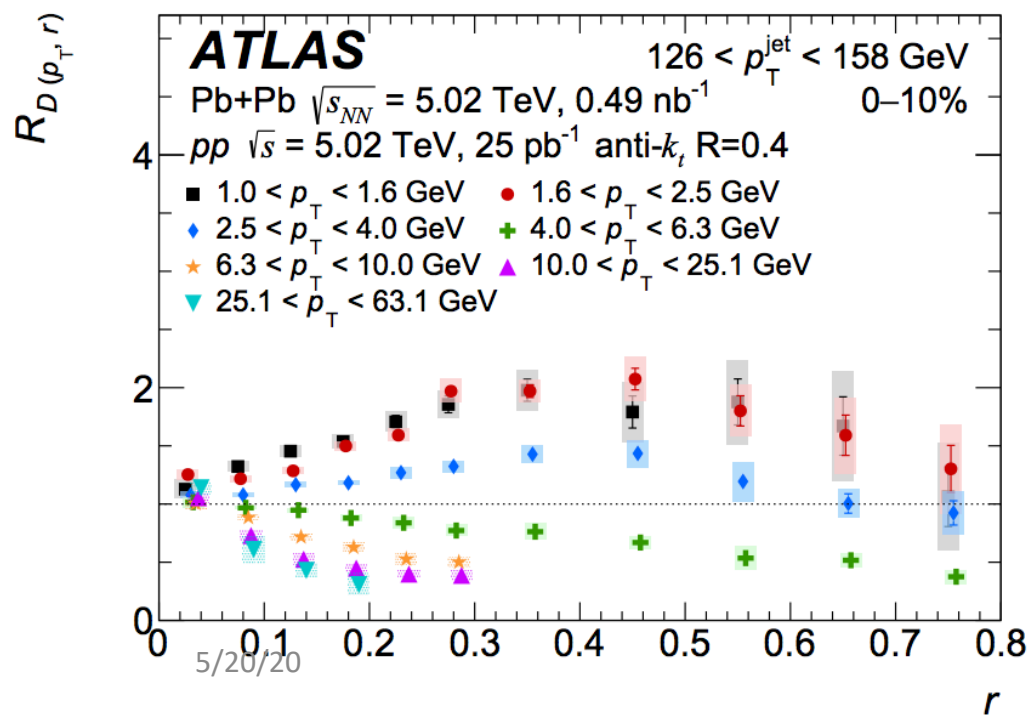


Bkg/signal ratio increases with

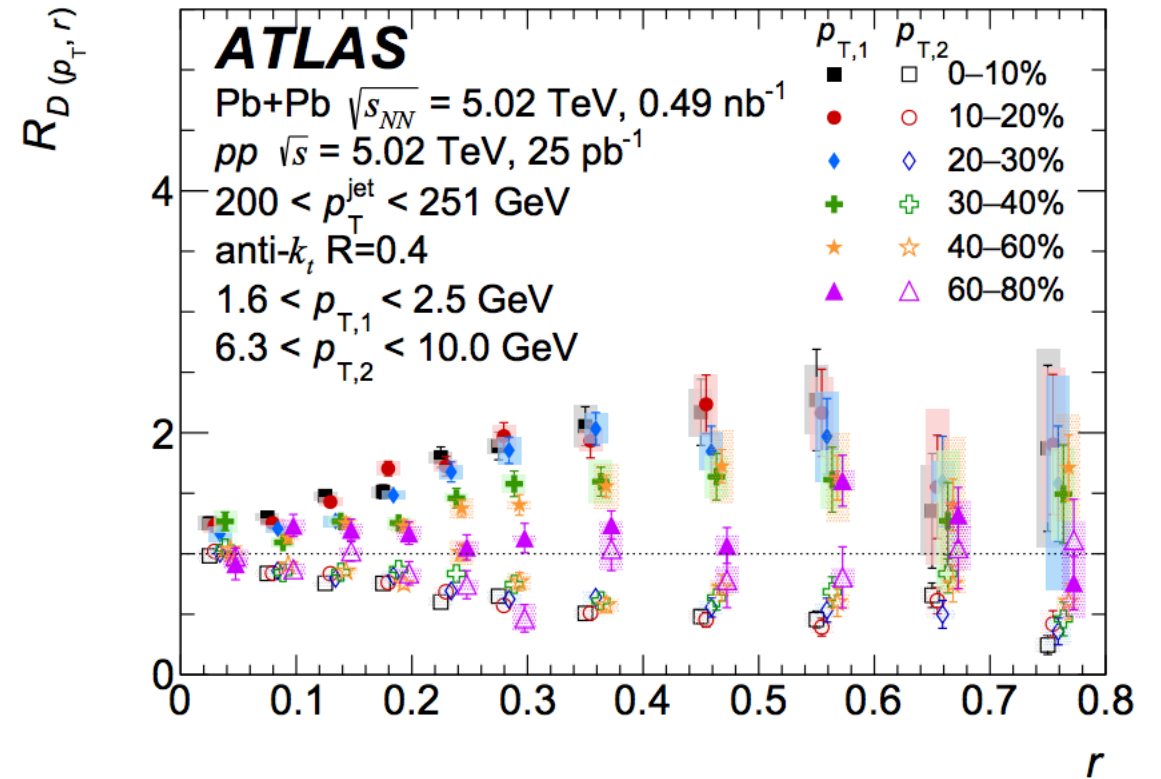
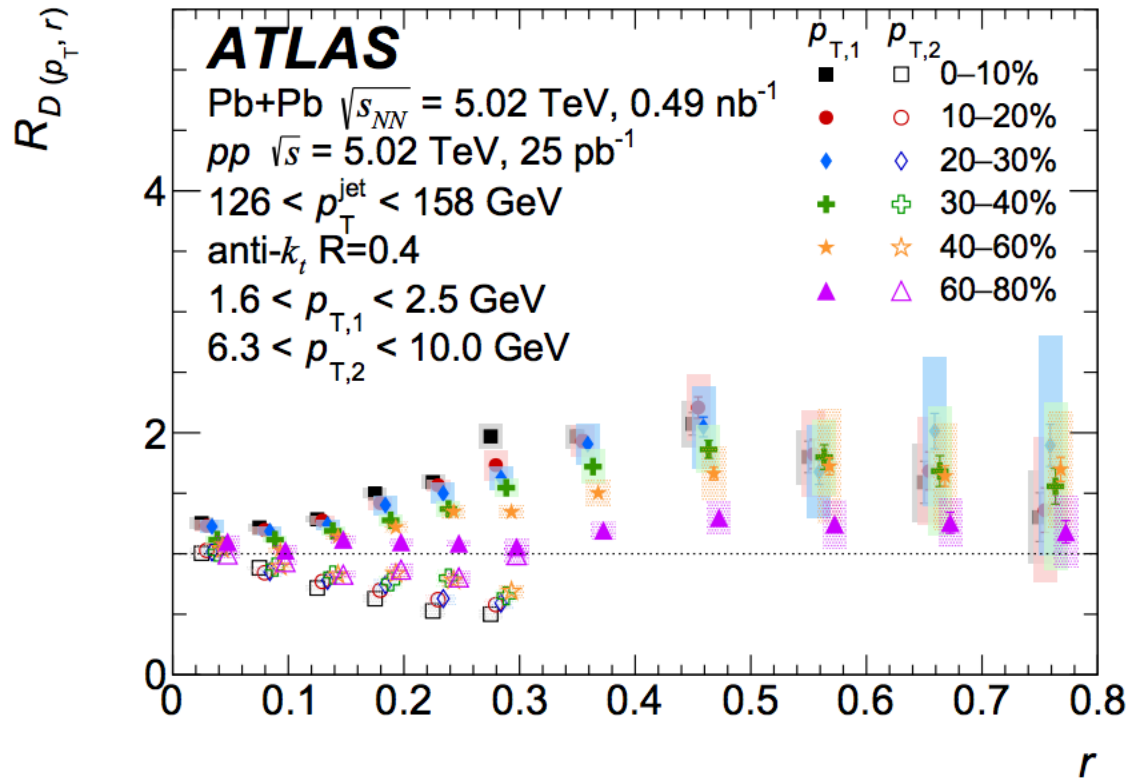
- $\downarrow p_T^{\text{ch}}$
- \uparrow centrality
- $\uparrow r$ (why?)



Low p_T :
 $0 < r < 0.3$: above
unity and
increasing
modification
 $0.3 < r < 0.6$:
above unity \sim flat
 $0.6 < r < 0.8$:
above unity and
decreasing

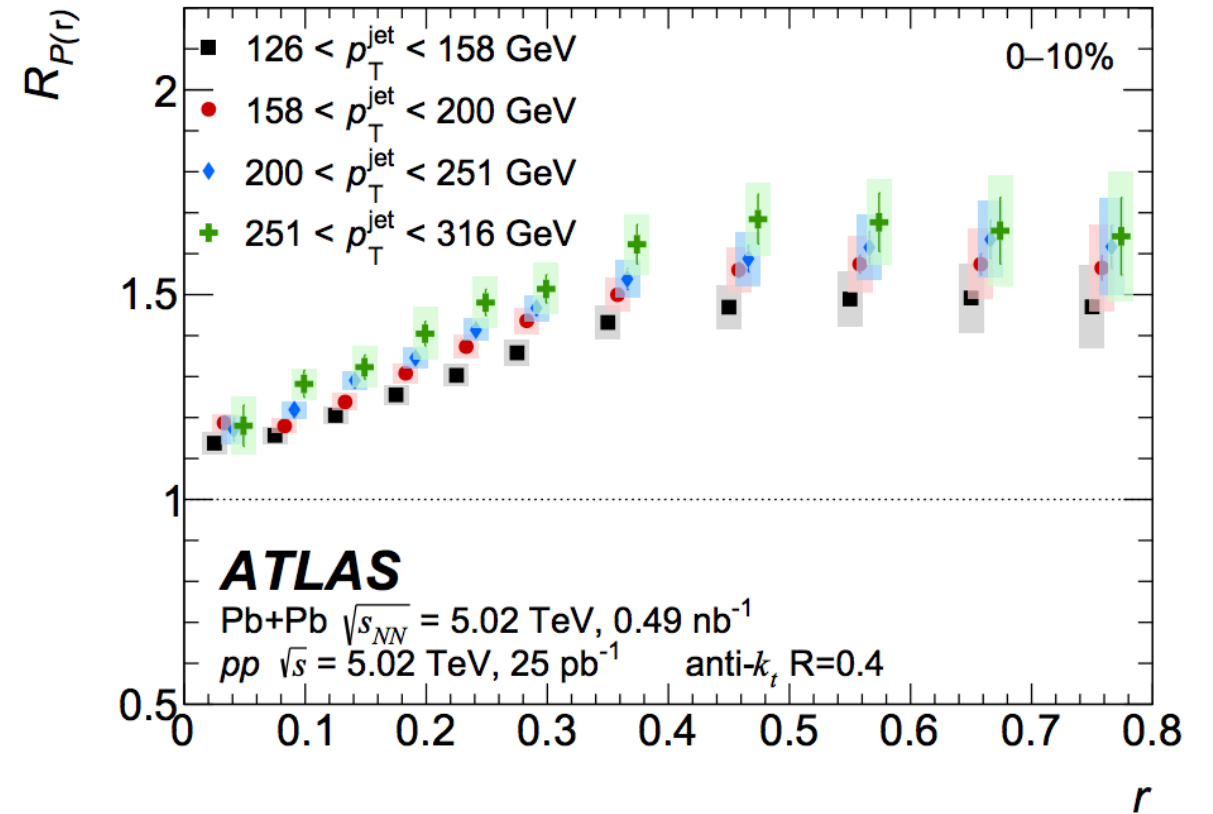
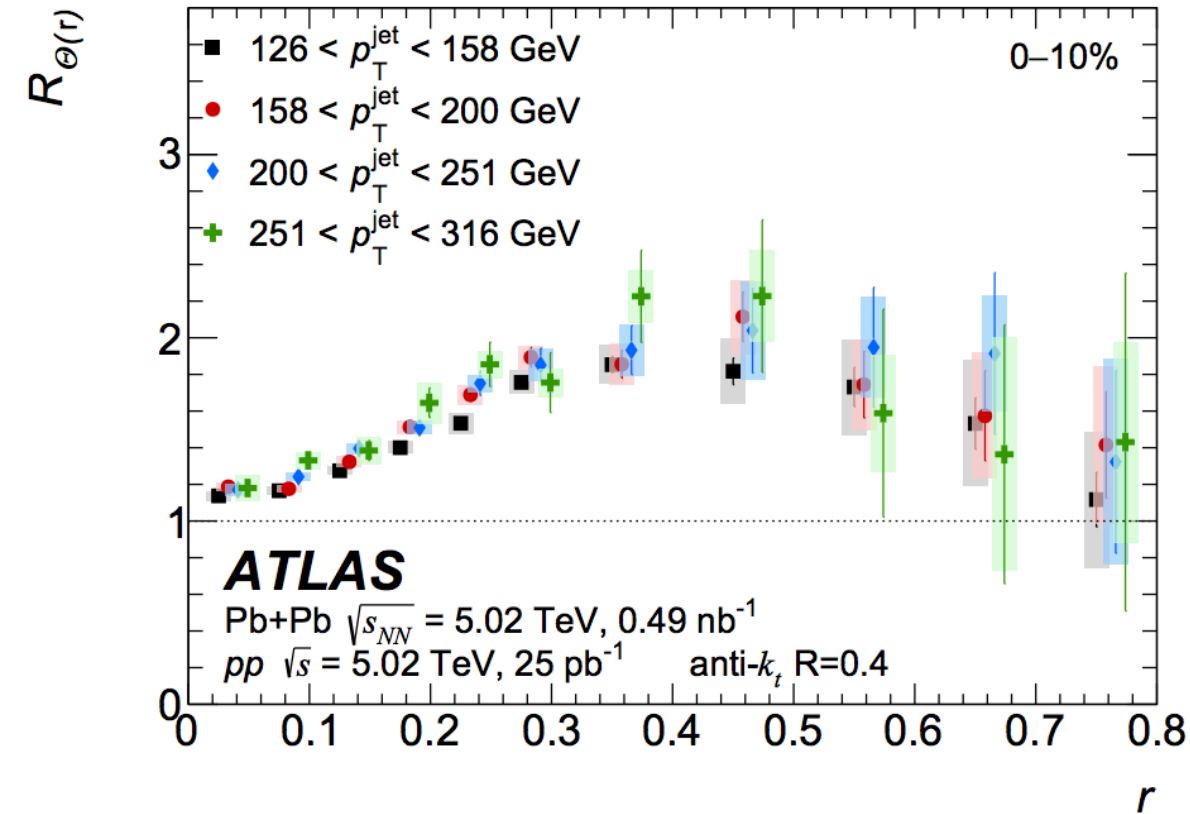


High p_T :
 $0 < r < 0.3$: below
unity and
increasing
modification
 $0.3 < r < 0.8$:
below unity and
flat (decreasing?)



Why less high pT tracks at larger r?

What creates the broadening of low pT tracks (especially in comparison to suppression of high pT tracks)?



$$\Theta(r) = \int_{1 \text{ GeV}}^{4 \text{ GeV}} D(p_T, r) dp_T$$

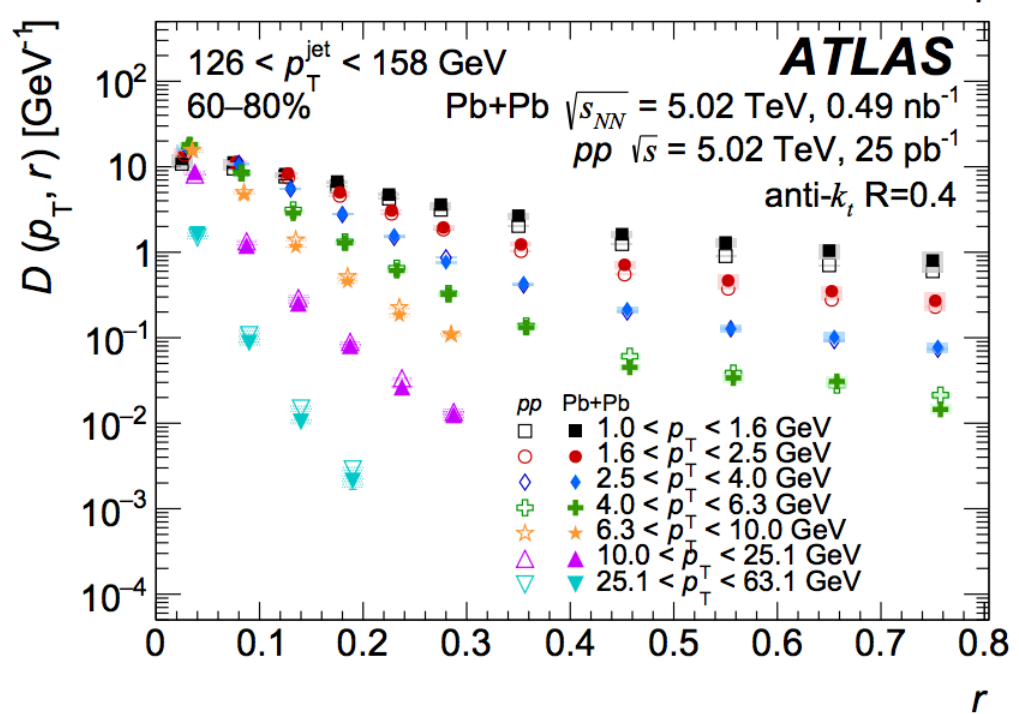
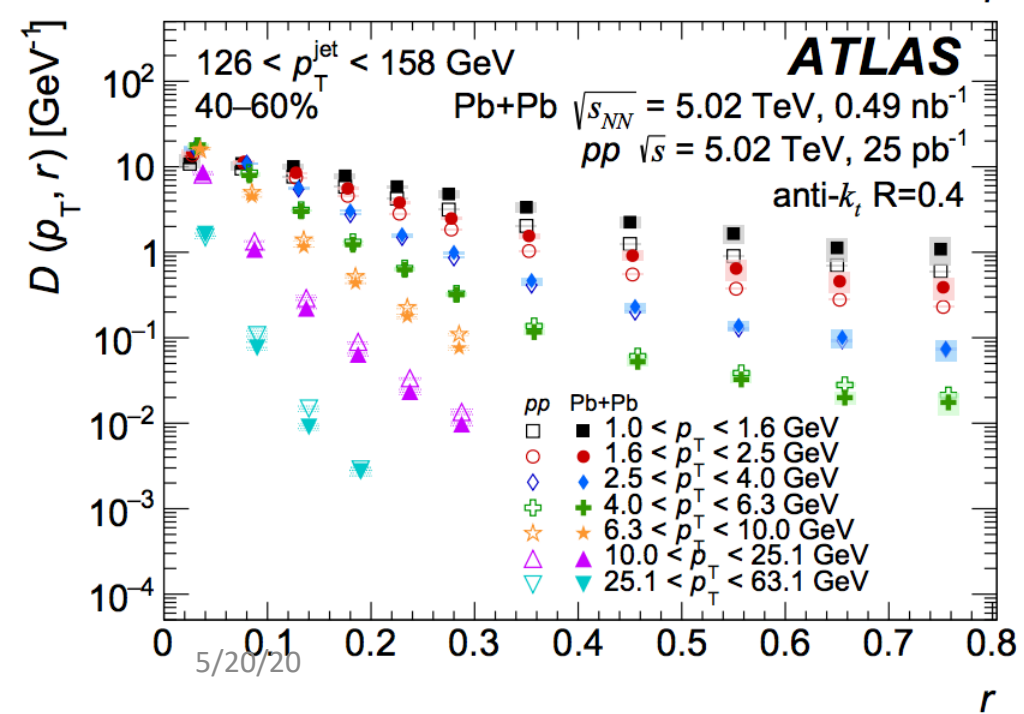
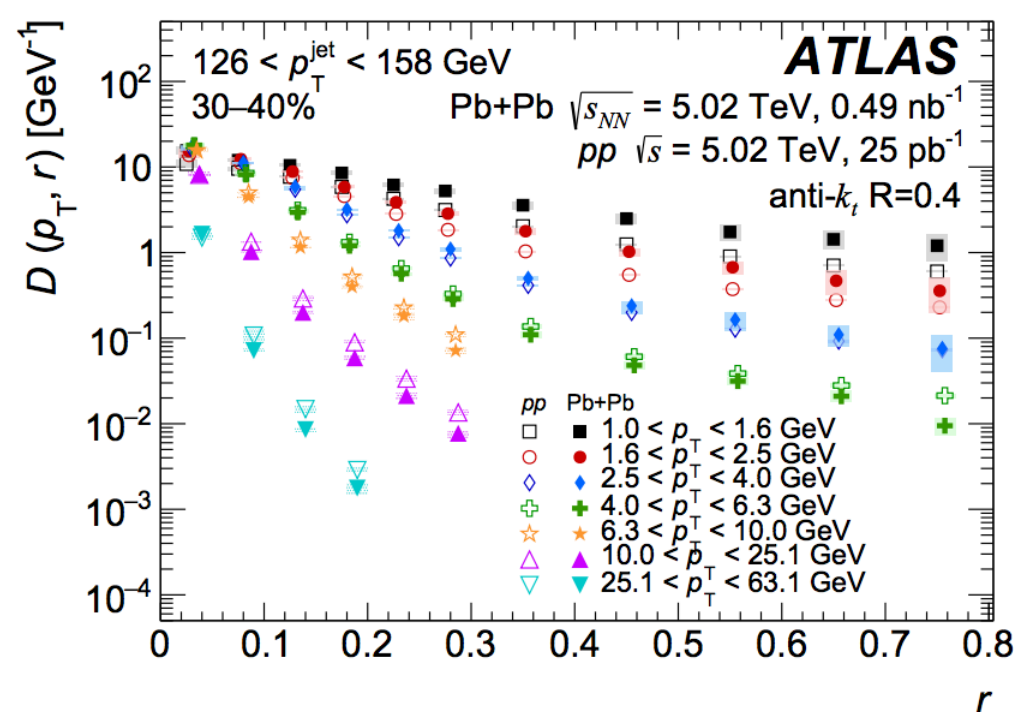
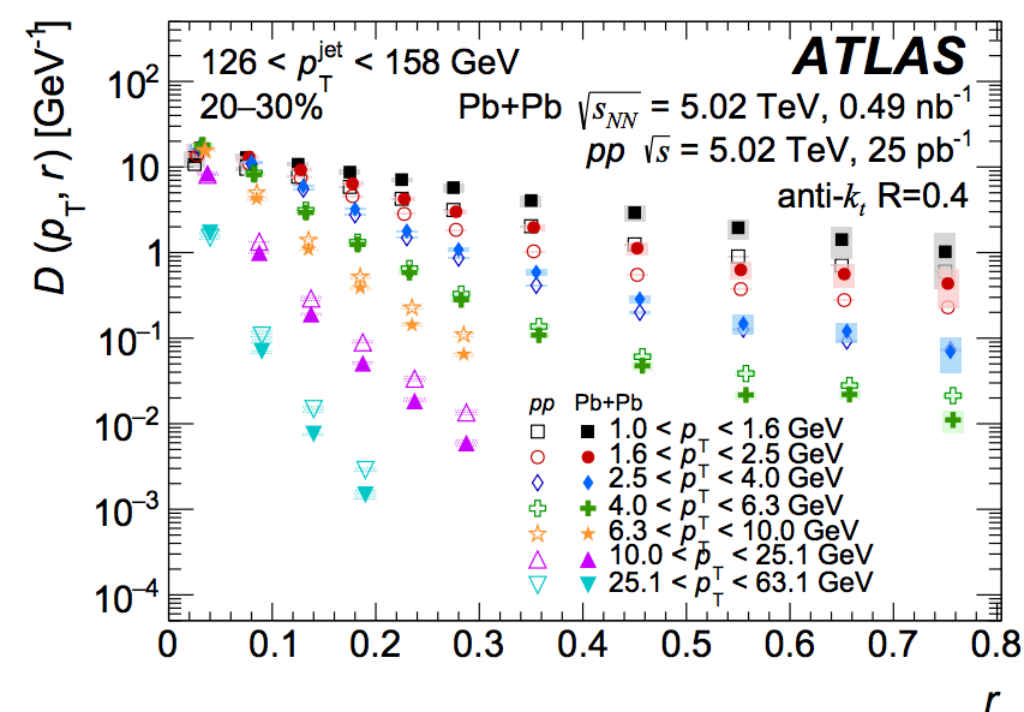
$$P(r) = \int_0^r \int_{1 \text{ GeV}}^{4 \text{ GeV}} D(p_T, r') dp_T dr'$$

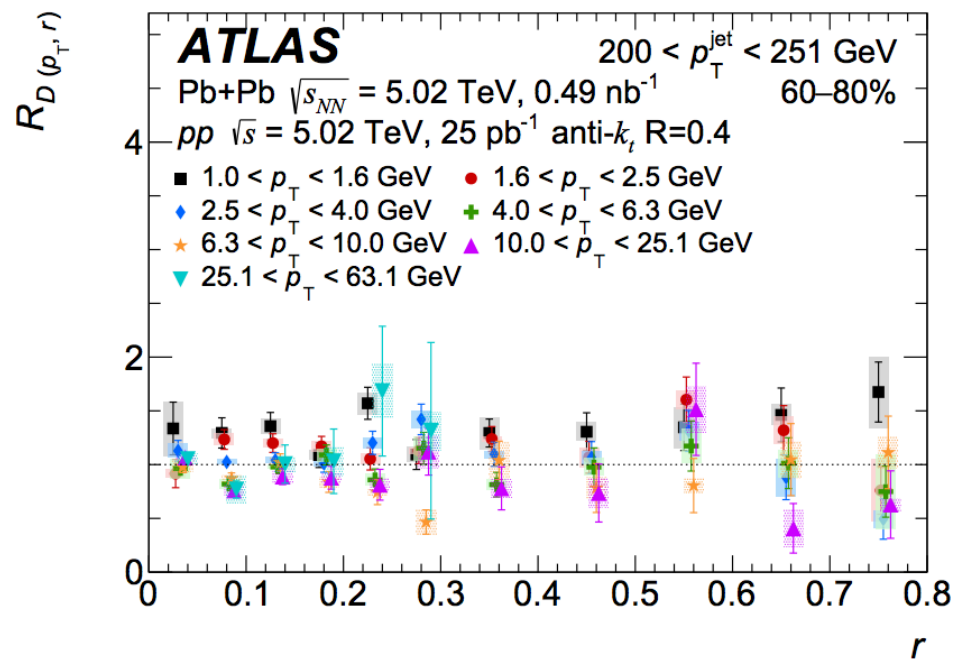
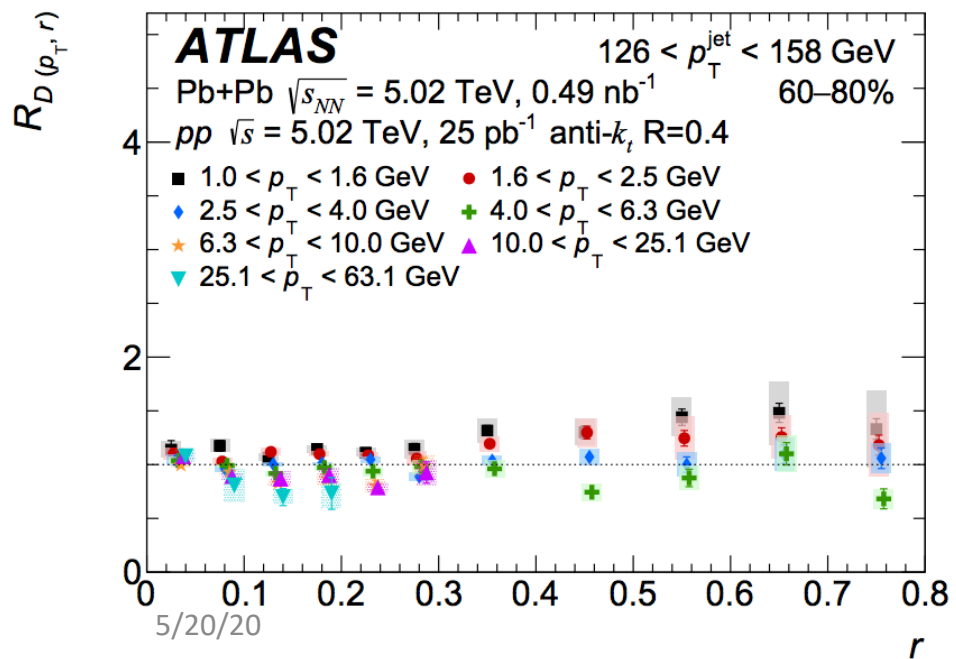
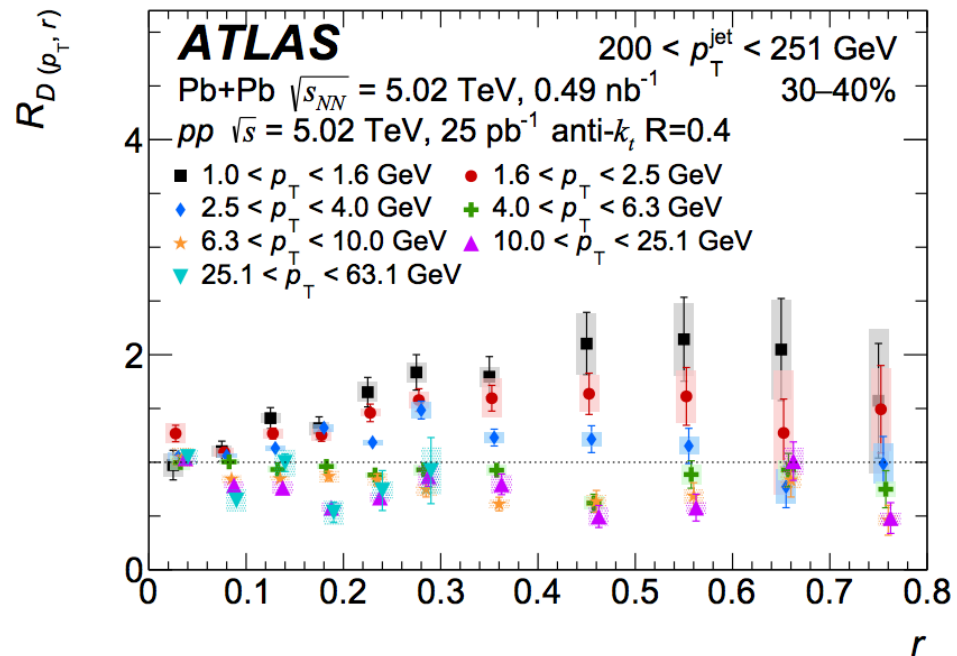
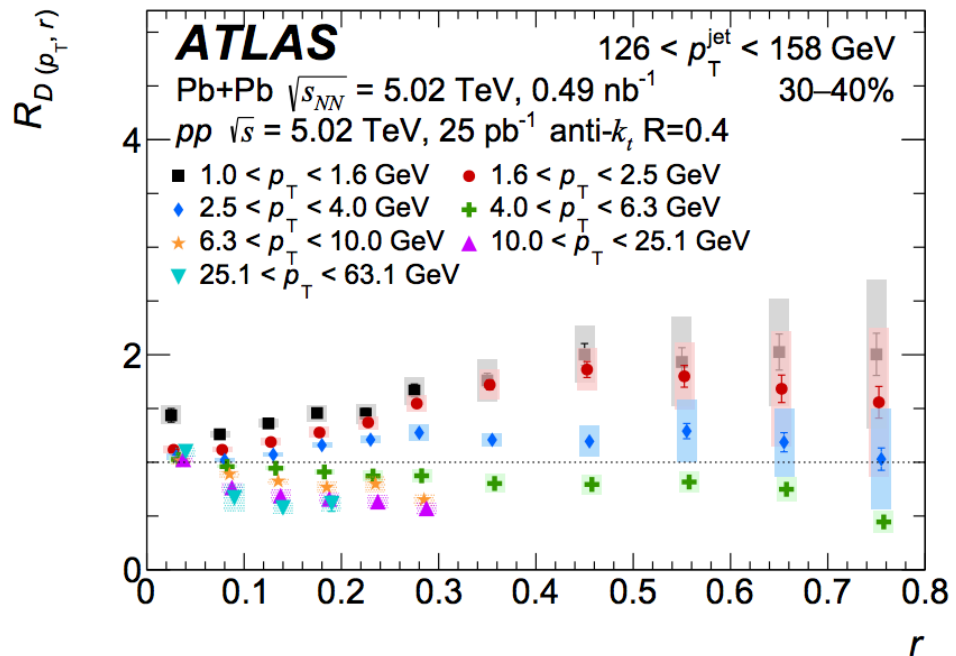
$$R_{\Theta(r)} = \frac{\Theta(r)_{\text{Pb+Pb}}}{\Theta(r)_{pp}}$$

$$R_{P(r)} = \frac{P(r)_{\text{Pb+Pb}}}{P(r)_{pp}}$$

Modification is enhanced
with jet pT increases?
(why? If particles are in
general more collimated?)

More plots for peripheral events





in the measurement's phase space. For Pb+Pb collisions, the efficiency for $|\eta| < 0.3$ is $\sim 80\%$ at 1 GeV and rises to $\sim 85\%$ at 10 GeV. For $1.0 < |\eta| < 2.0$, the efficiency is $\sim 67\%$ to $\sim 72\%$ over the same p_T range, with the variation in efficiency between the most-central and most-peripheral Pb+Pb collisions being approximately 3% in both η ranges. For pp collisions, the efficiency for $|\eta| < 0.3$ is $\sim 85\%$ at 1 GeV, and rises to $\sim 88\%$ at 10 GeV, remaining relatively constant thereafter. For $1.0 < |\eta| < 2.0$, the efficiency is $\sim 82\%$ to $\sim 86\%$ over the same p_T range. Further details about the tracking efficiency can be found in