

Tight Muon Reconstruction Efficiency

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Introduction

- Used Tag & Probe method to calculate the reconstruction efficiency of tight muon.

$$\varepsilon(\mu) = \varepsilon(\mu|ID) \times \varepsilon(ID) \cong \varepsilon(\mu|ID) \times \varepsilon(ID|MS)$$

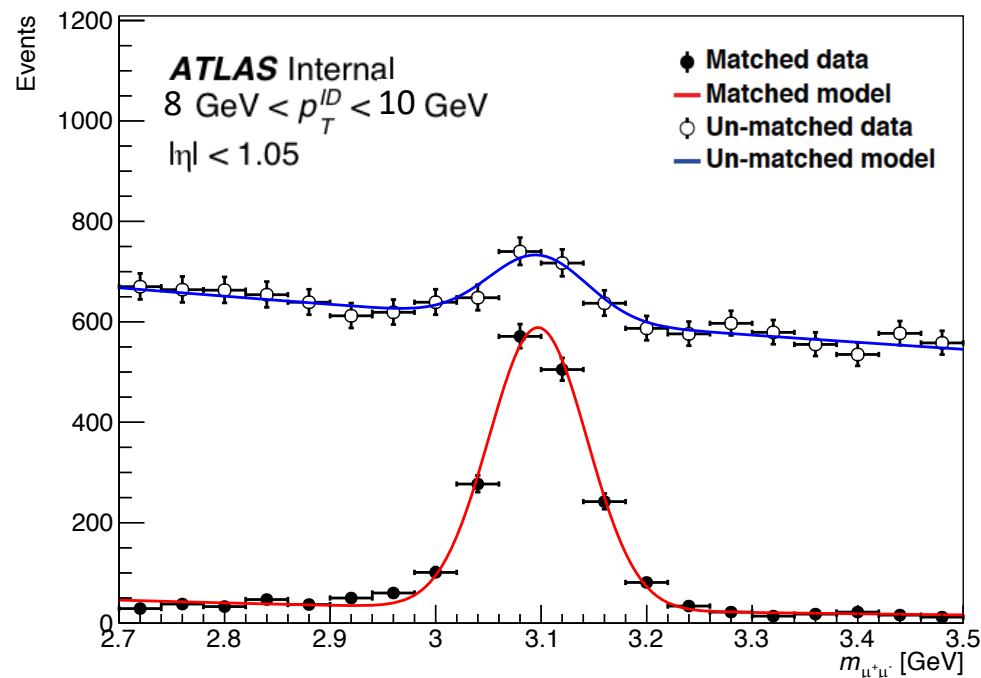
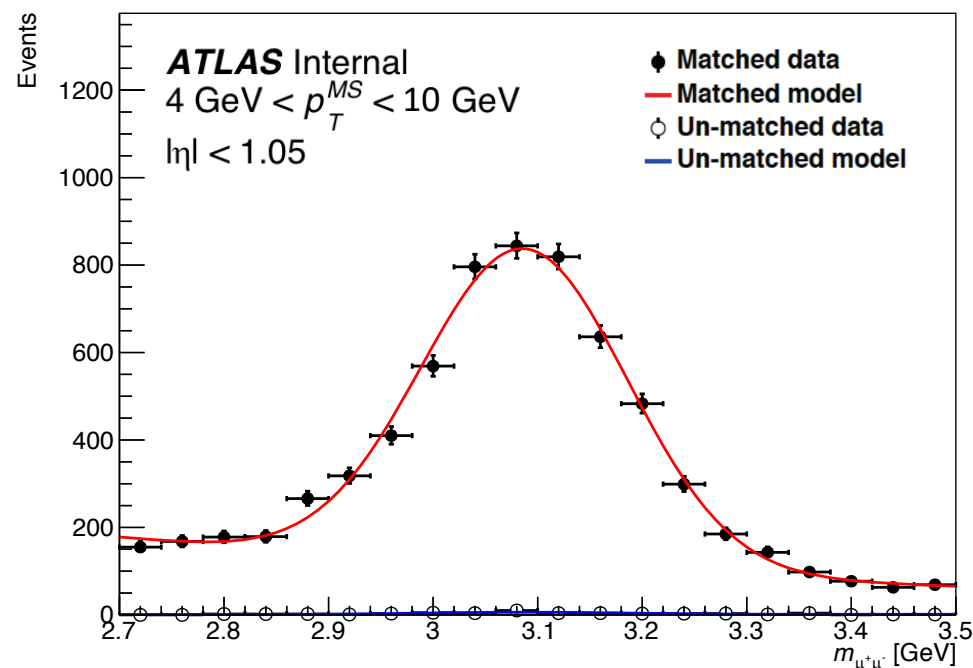
- $\varepsilon(\mu|ID)$ Muon Reconstruction efficiency with respect to inner detector.
- $\varepsilon(ID|MS)$ Inner Detector efficiency with respect to muon chamber.
- Event Selection:
 - Trigger mu3 || mu8 || mu10
 - GRL
 - At least 1 primary vertex
- $\varepsilon(ID|MS)$ match: MS track with an ID track $dR < 0.2$
- $\varepsilon(\mu|ID)$ match: ID track with a reconstructed muon $dR < 0.01$
- Probe tracks Selection:
 - Opposite charge with tag
 - ID tracks: Muon ID Selections (No TRT)
 - MS tracks: No Selections
- Invariant mass window
 - for data: J/ψ 2.6 -3.6 GeV
 - for mc: J/ψ 2.6 -3.6 GeV
- Data: 2018 Pb-Pb Hard Probe Stream Data at 5.02 TeV
- Monte Carlo: Pythia8B with Prompt J/ψ to Muons with Heavy Ion Overlay.
mc16_5TeV:mc16_5TeV.300000.Pythia8BPhotospp_A14_CTEQ6L1_pp_Jpsimu2p5mu2p5.merge.AOD.e4973_d1521_r11472_r11217

Tag & Probe Fitting

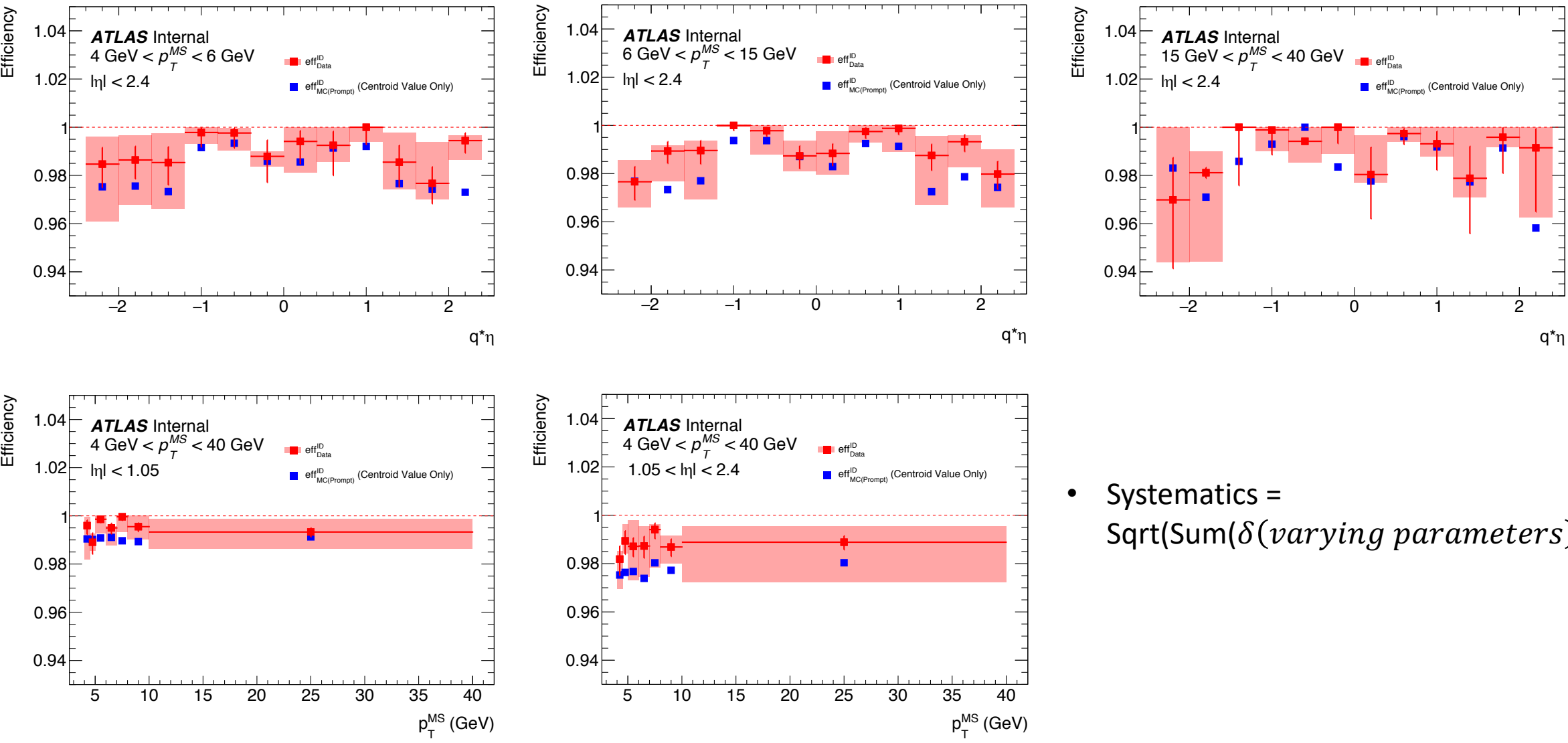
- Efficiency centroid values extraction
 - Invariant mass of matched and unmatched samples are fitted simultaneously (signal has same mean and sigma for matched and unmatched).
 - $N_{\text{match}} = N_{\text{tot}} * \varepsilon * \text{Sig}(\text{mass}) + N_{\text{bkg1}} * \text{Bkg1}(\text{mass})$
 - $N_{\text{unmatch}} = N_{\text{tot}} * (1-\varepsilon) * \text{Sig}(\text{mass}) + N_{\text{bkg2}} * \text{Bkg2}(\text{mass})$
 - The fitting outputs N_{tot} and ε .

Sig(mass): Gaus

Bkg(mass): Exponential

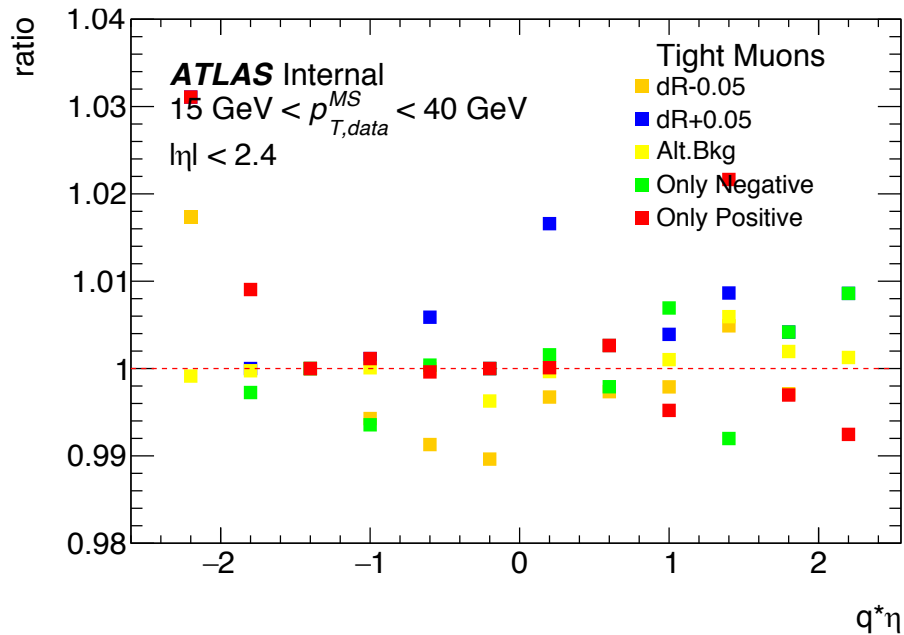
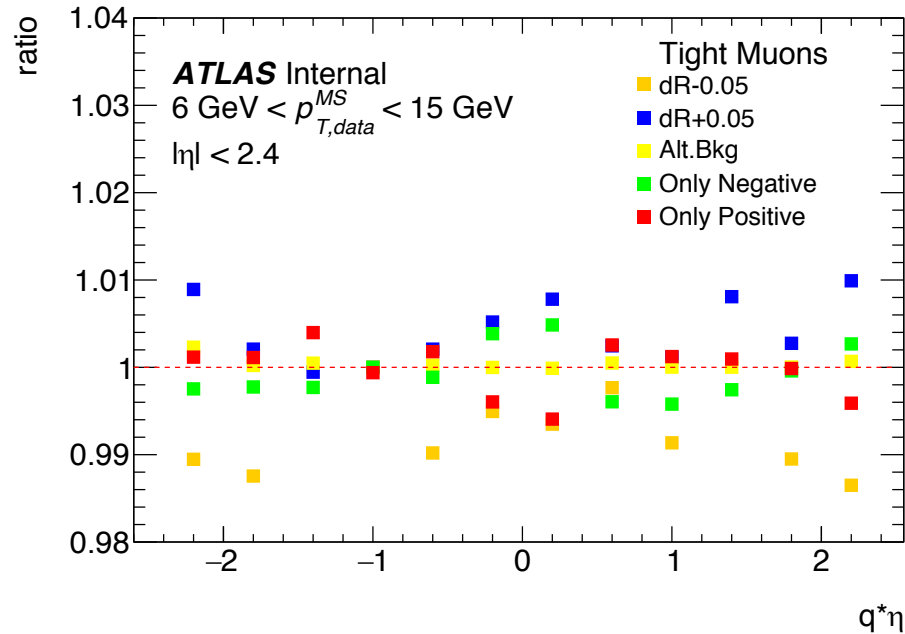
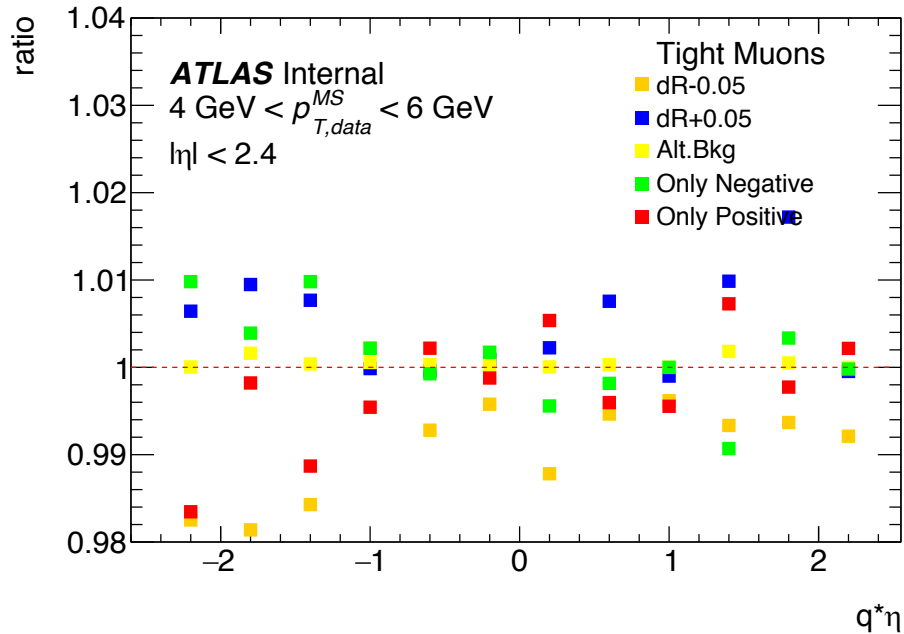


Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ Nominal Values



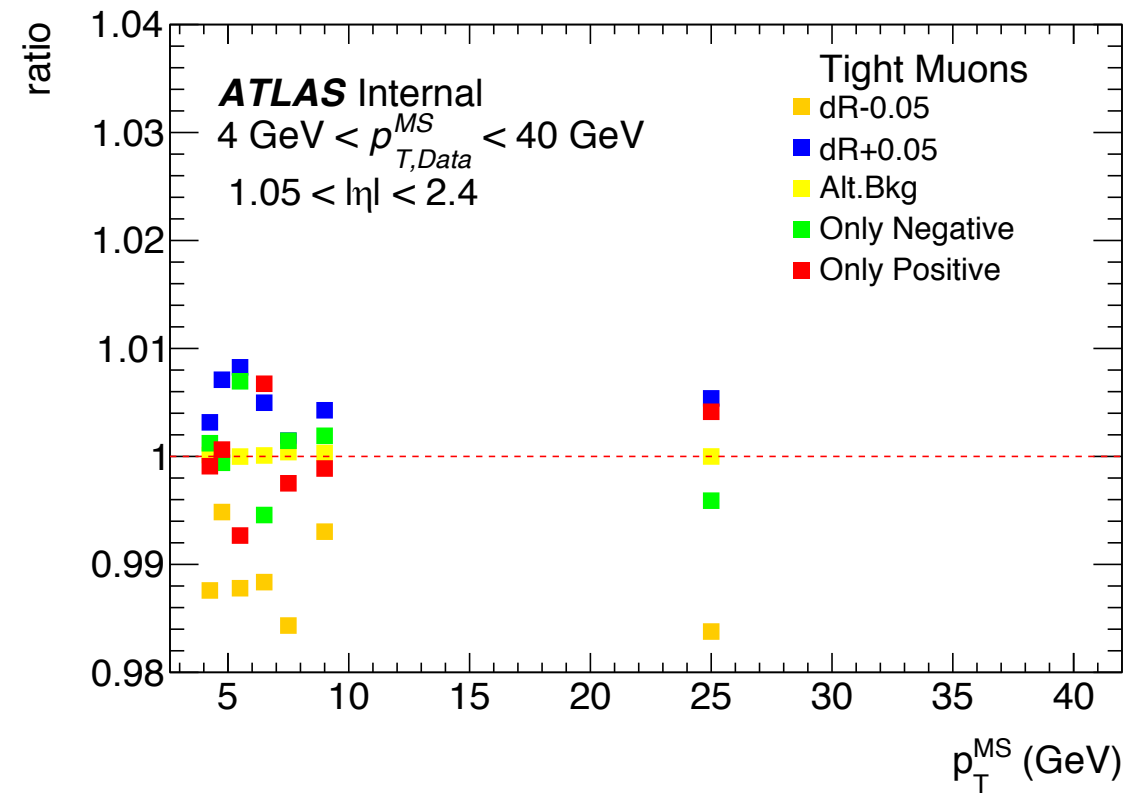
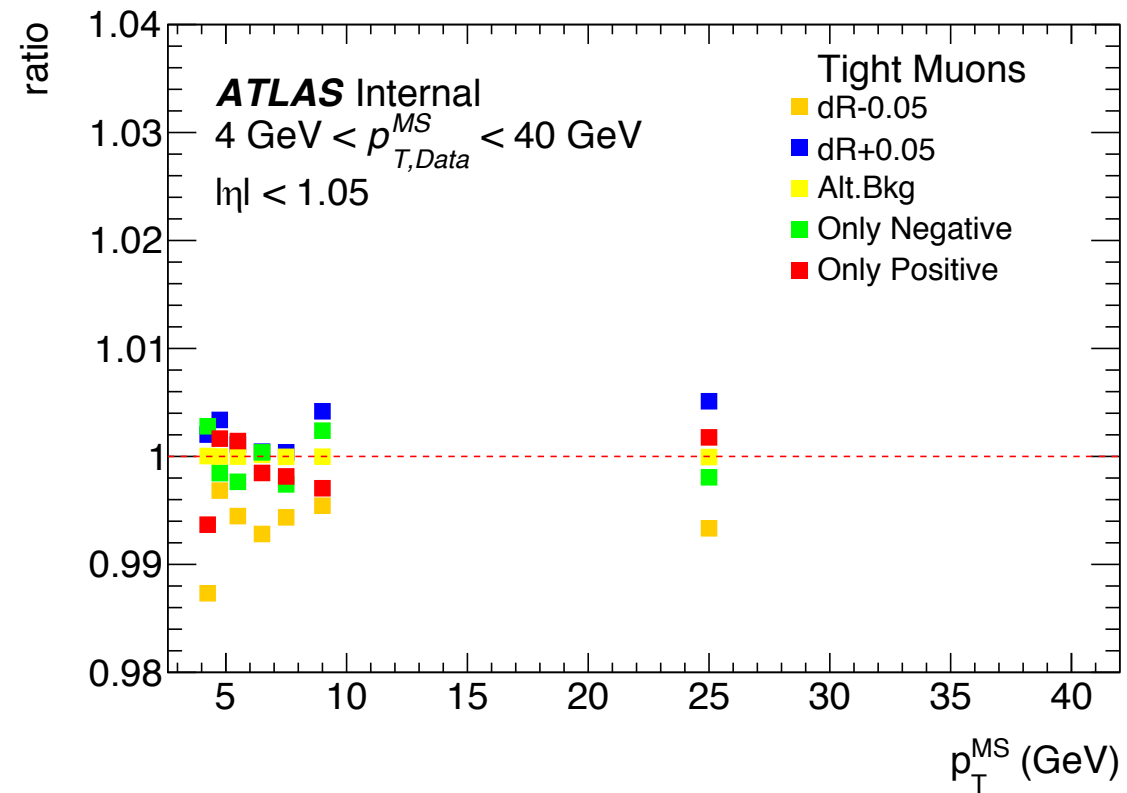
- Systematics = $\text{Sqrt}(\text{Sum}(\delta(\textit{varying parameters})^2))$

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q*\eta$, Ratio of Variations in Parameters to Nominal Values



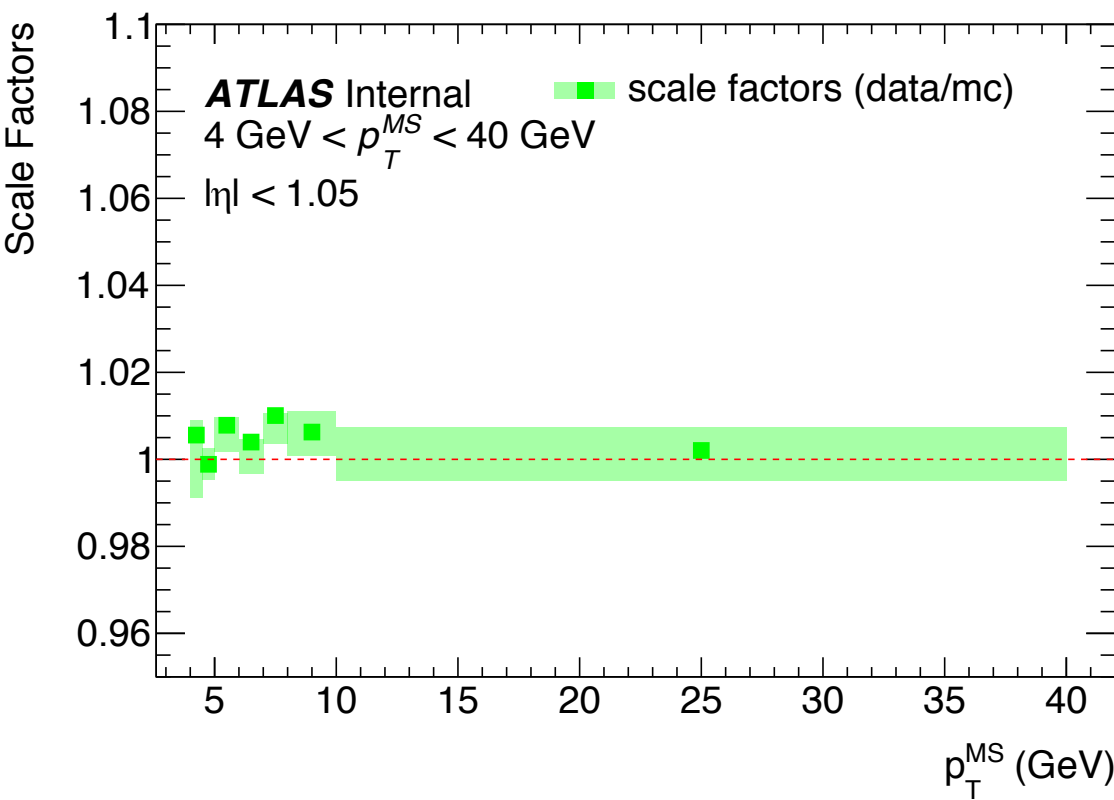
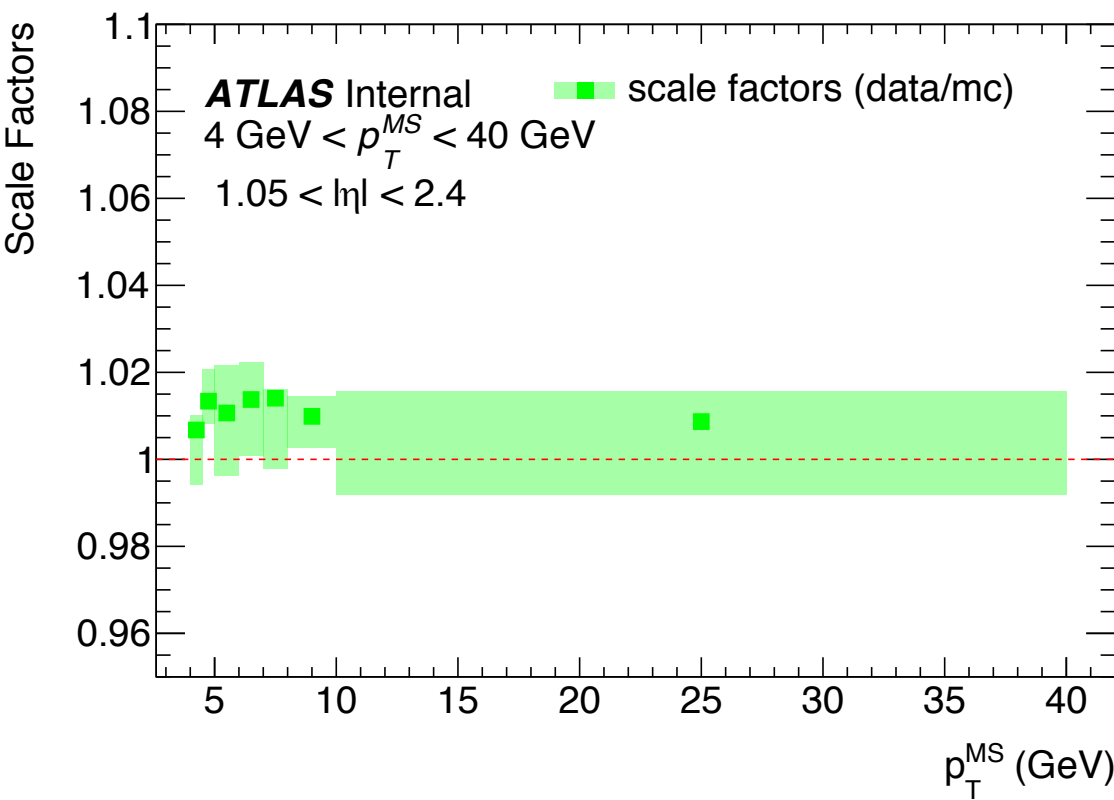
- dR +/-0.05: increase/decrease the minimum dR criteria by 0.05, nominal values are taken at dR = 0.2
- Alt. Bkg: change the background model for fitting, nominal values are taken using exponential function, alternative values are taken using Chebyshev polynomials.
- Only positive/negative: using only positively/negatively charged tracks. Nominal values use both tracks.

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs p_T^{MS} , Ratio of Variations in Parameters to Nominal Values



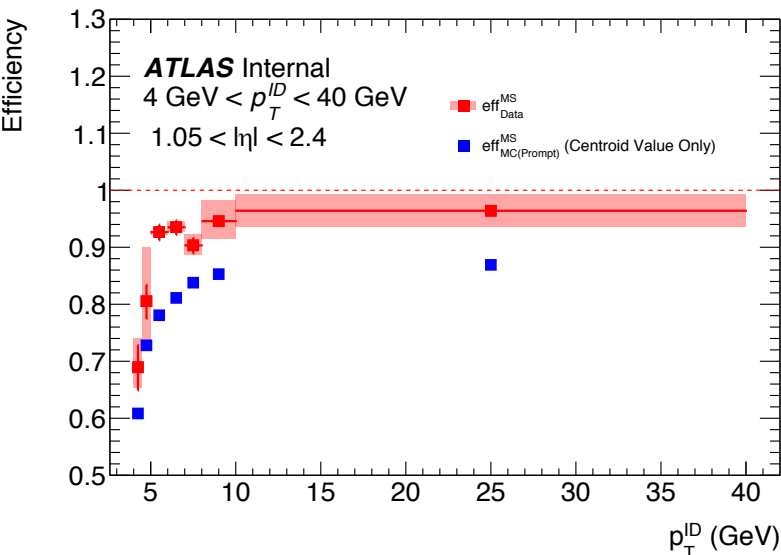
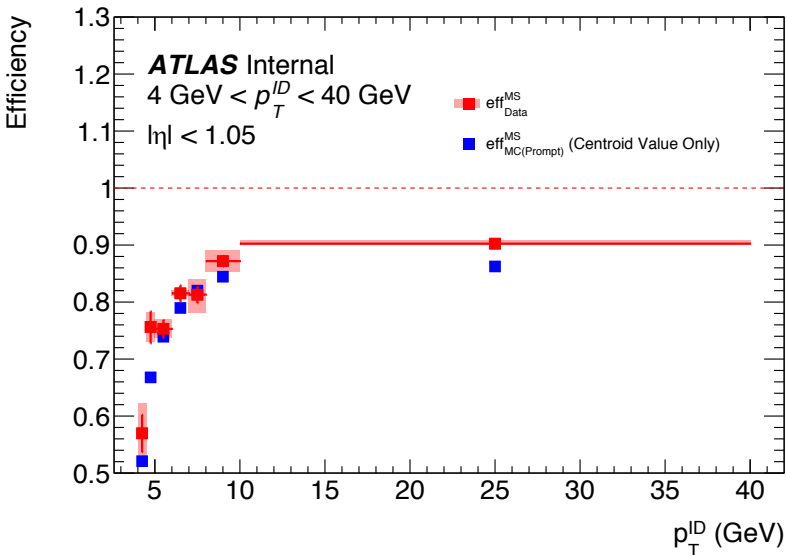
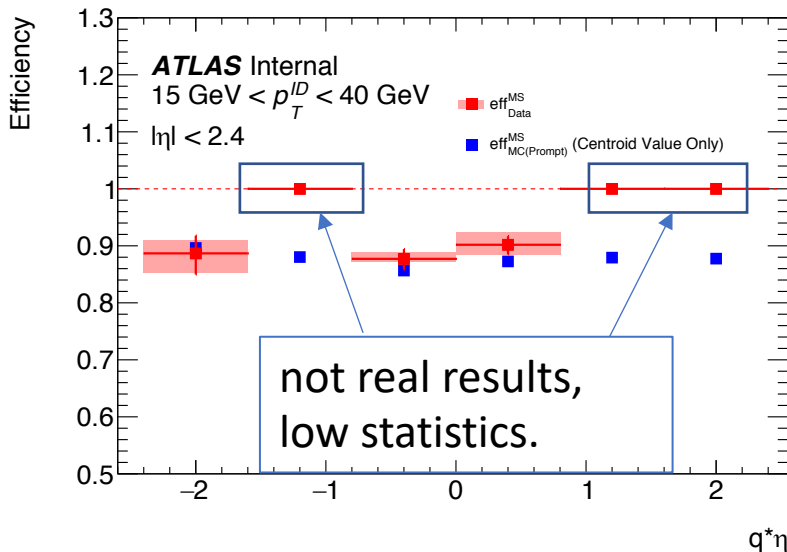
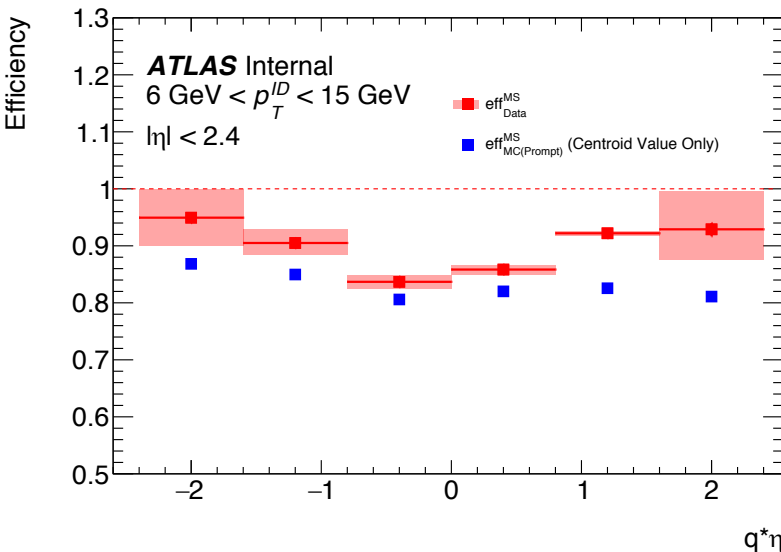
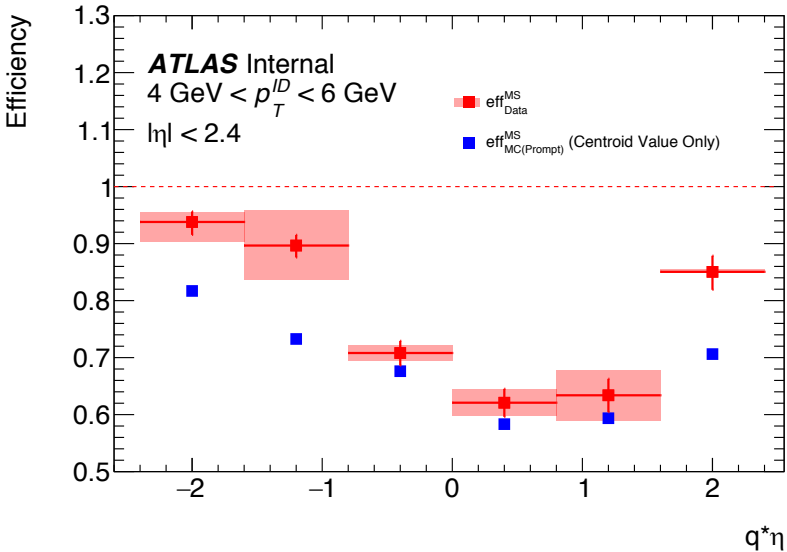
- Largest contribution to systematics come from varying dR.

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ Scale Factors



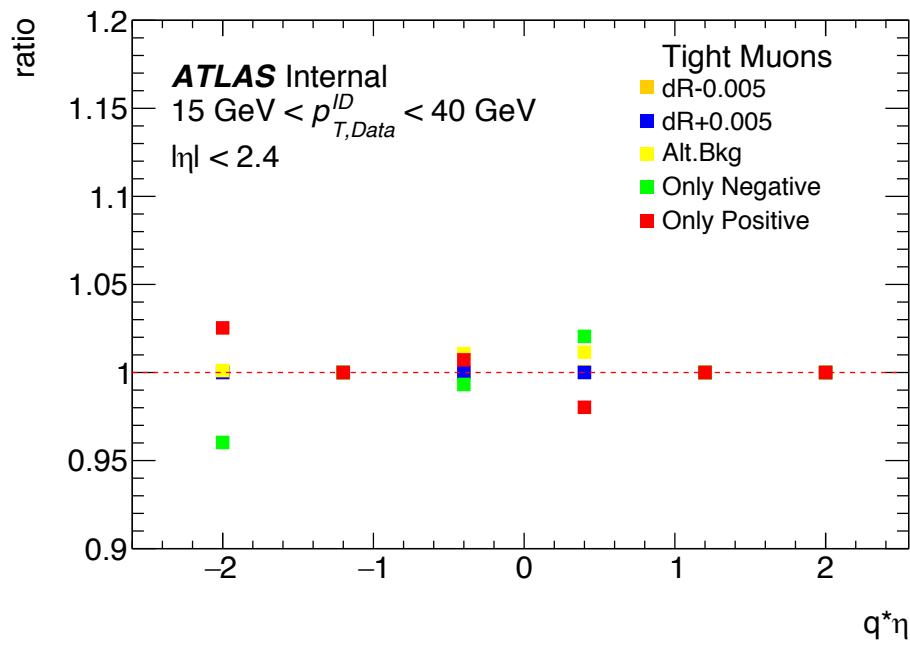
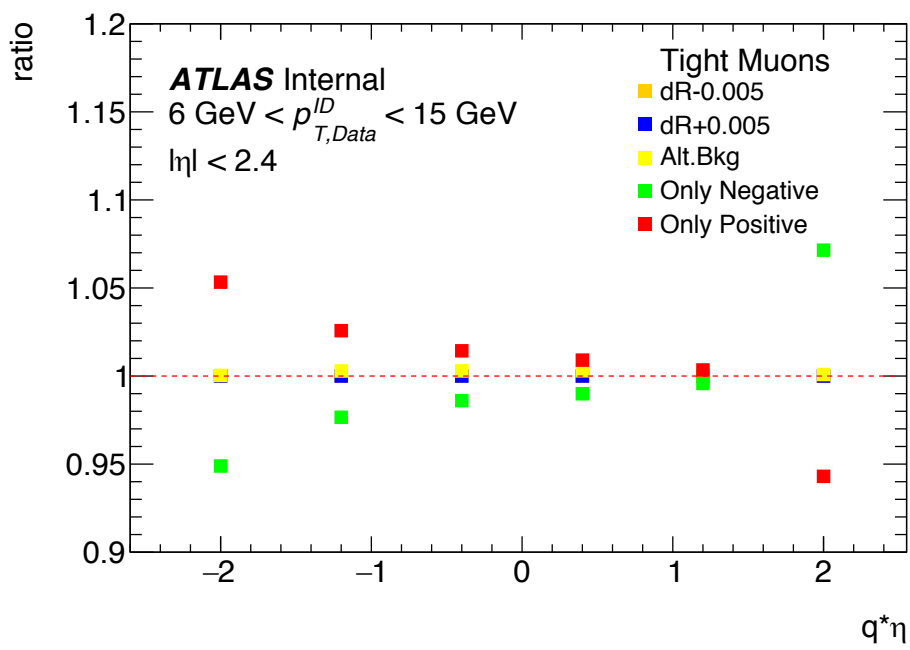
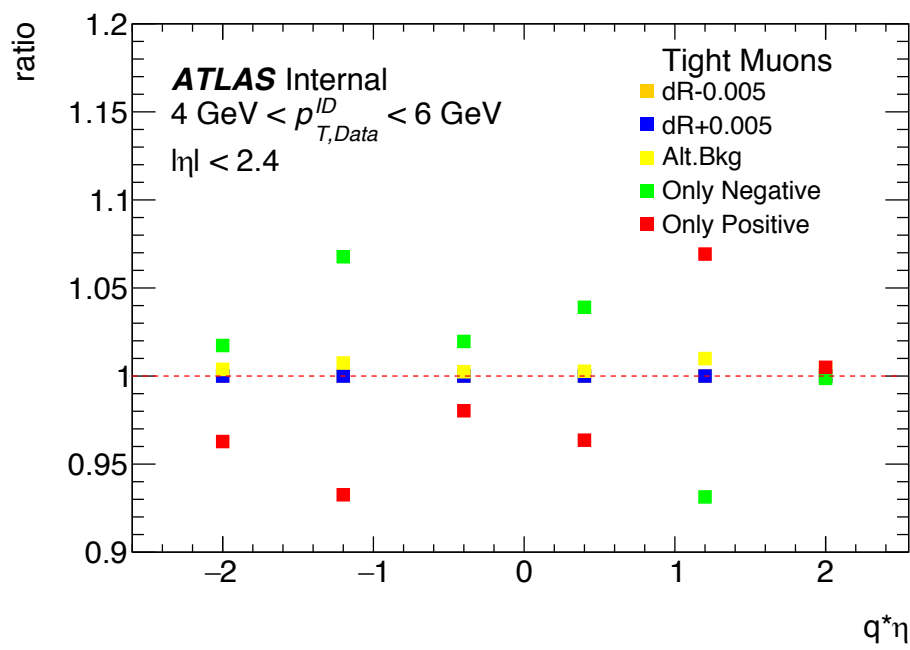
- Scale factors centroid values = Data centroid values/MC centroid values.
- Scale factor systematics = Data systematics/MC centroid values.
- Scale factors are distributed around 1.01.

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ Nominal Values



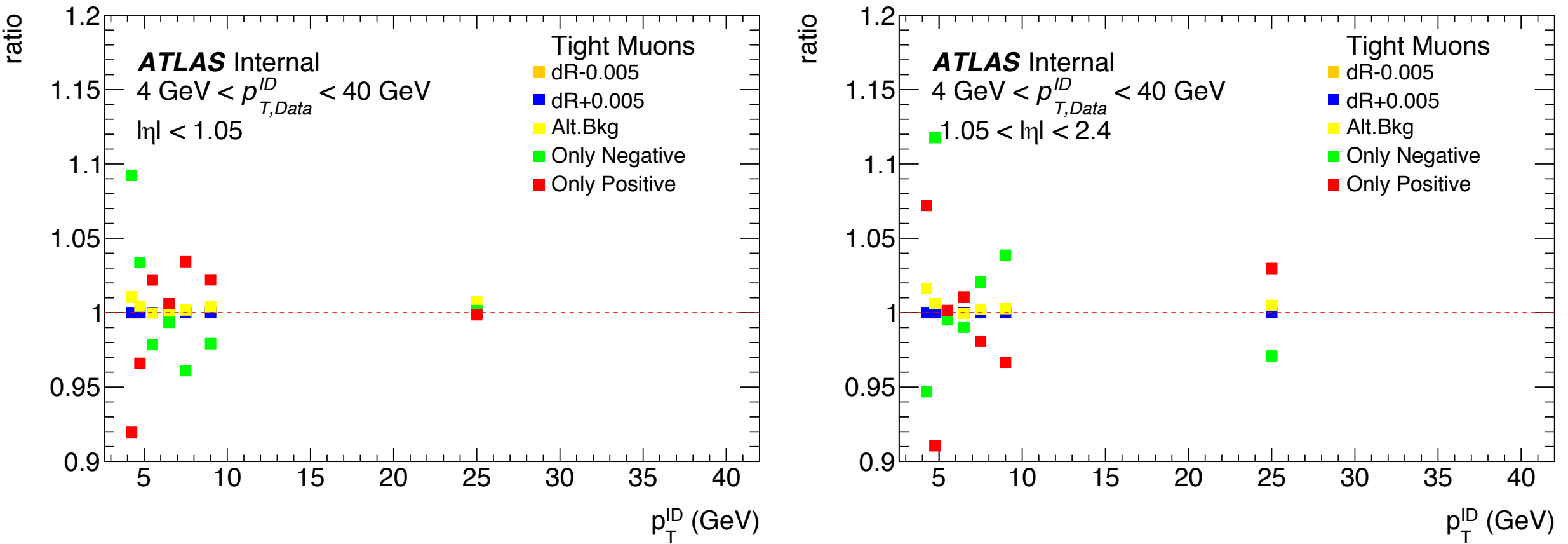
- Systematics = $\text{Sqrt}(\text{Sum}(\delta(\text{varying parameters})^2))$

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, Ratio of Variations in Parameters to Nominal Values



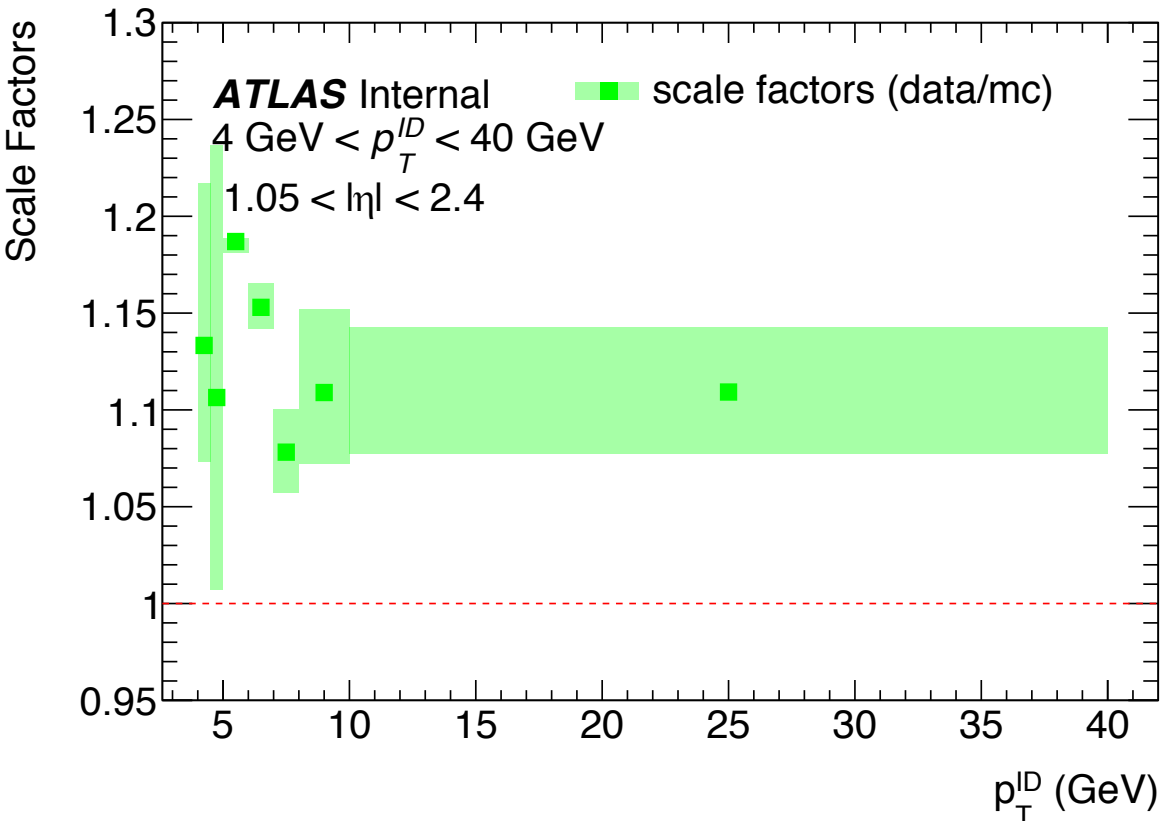
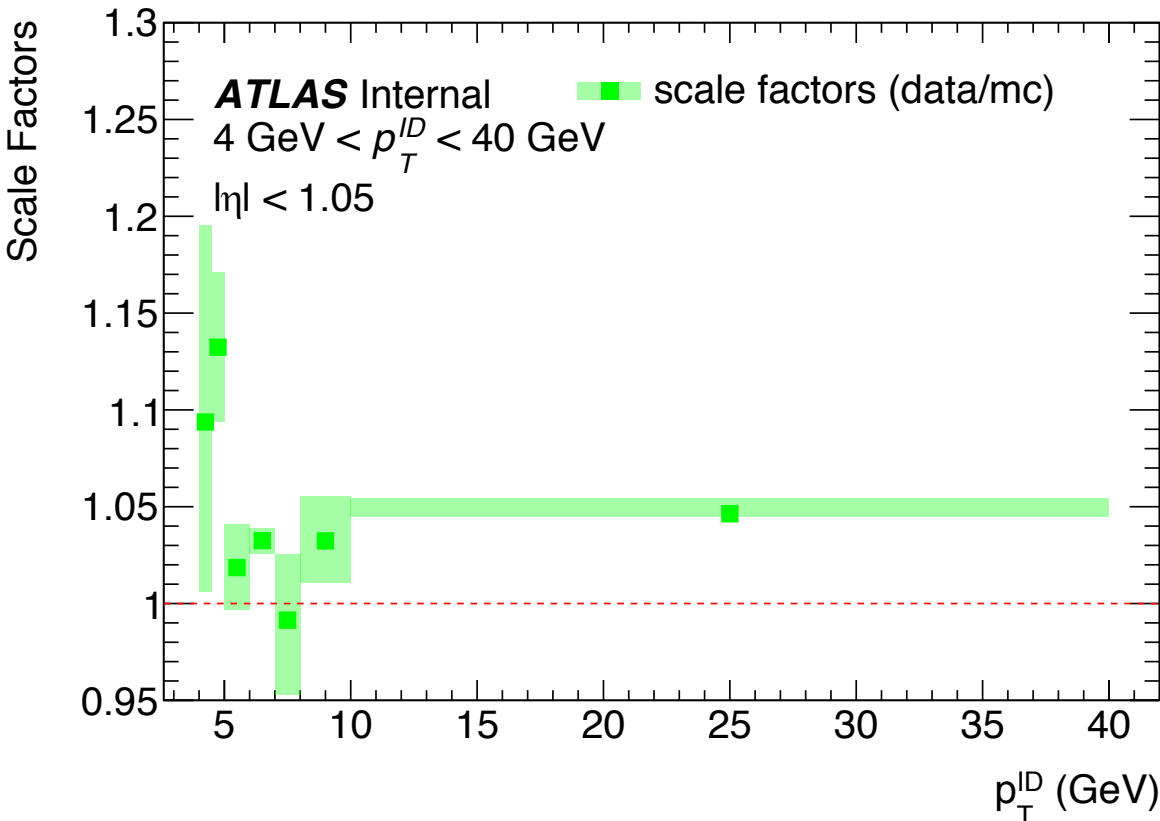
- dR +/-0.05: increase/decrease the minimum dR criteria by 0.05, nominal values are taken at dR = 0.2
- Alt. Bkg: change the background model for fitting, nominal values are taken using exponential function, alternative values are taken using Chebyshev polynomials.
- Only positive/negative: using only positively/negatively charged tracks. Nominal values use both tracks.

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, Ratio of Variations in Parameters to Nominal Values



- Largest contribution to systematics come from separating charges.

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ Scale Factors



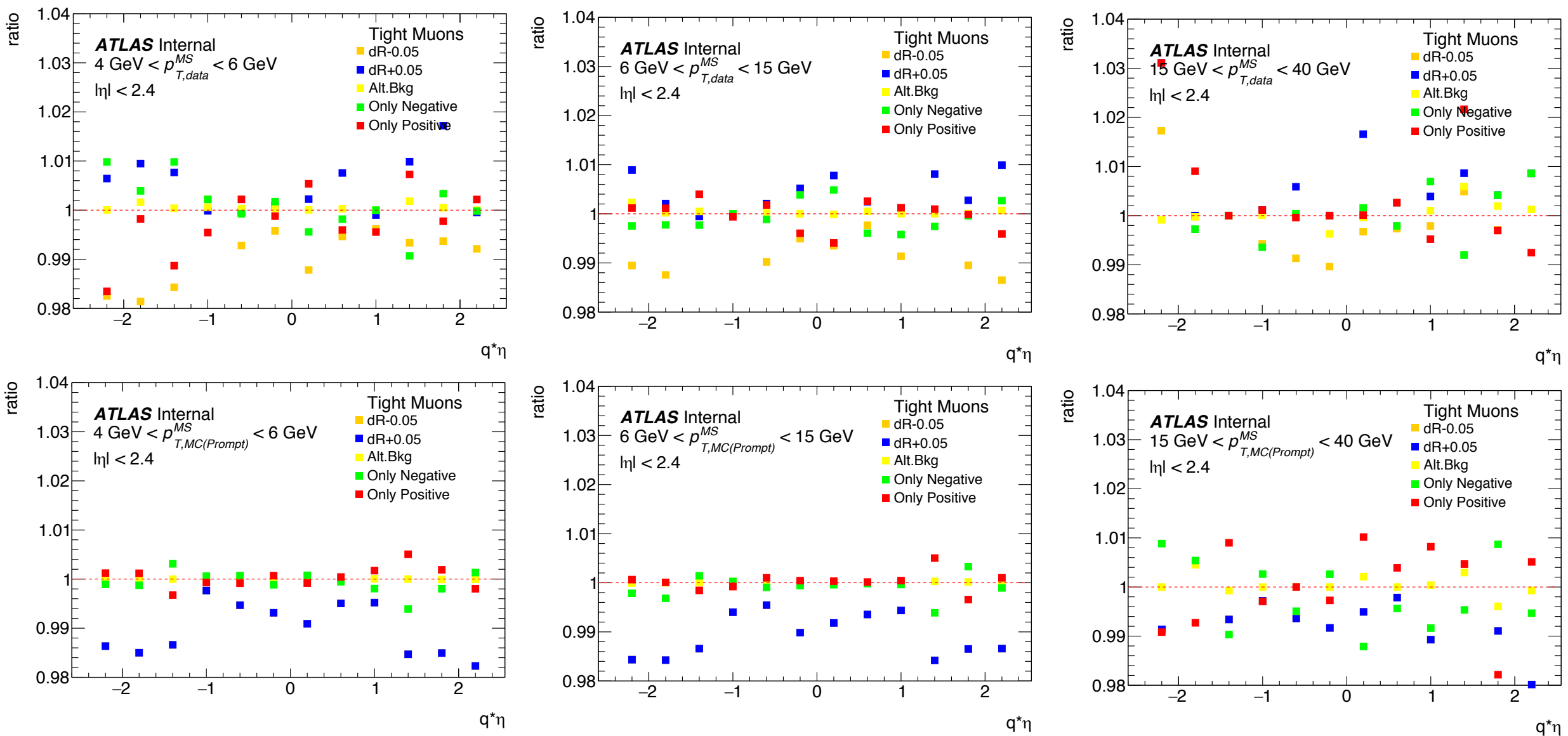
- Scale factors centroid values = Data centroid values/MC centroid values.
- Scale factor systematics = Data systematics/MC centroid values.
- Scale factors are distributed around 1.05 for barrel region, and 1.10 for end cap region.

Conclusions

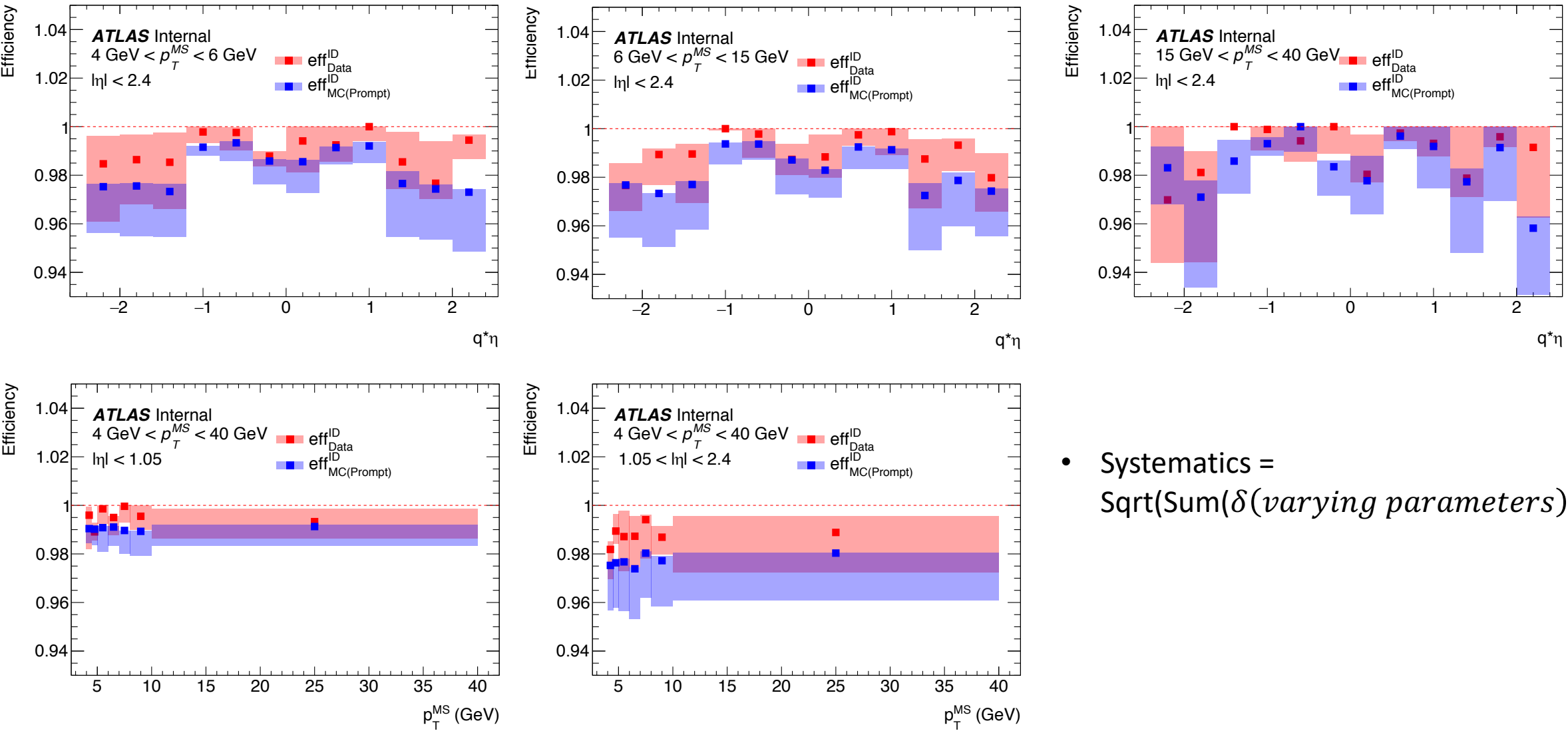
- Using 2018 Pb-Pb Hard Probe Stream Data at 5.02 TeV and Pythia8B with Prompt J/psi to Muons with Heavy Ion Overlay, scale factors are calculated for $\varepsilon(\mu|ID)$ and $\varepsilon(ID|MS)$
- For both barrel region and end cap region , $\varepsilon(ID|MS)$ has scale factors around 1.01.
- For barrel region, $\varepsilon(\mu|ID)$ has scale factors around 1.05, and for end cap region, $\varepsilon(\mu|ID)$ has scale factors around 1.10.
- We plan to use these values for our b-tagging analysis.

Backup

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q^*\eta$, Ratio of Variations in Parameters to Nominal Values

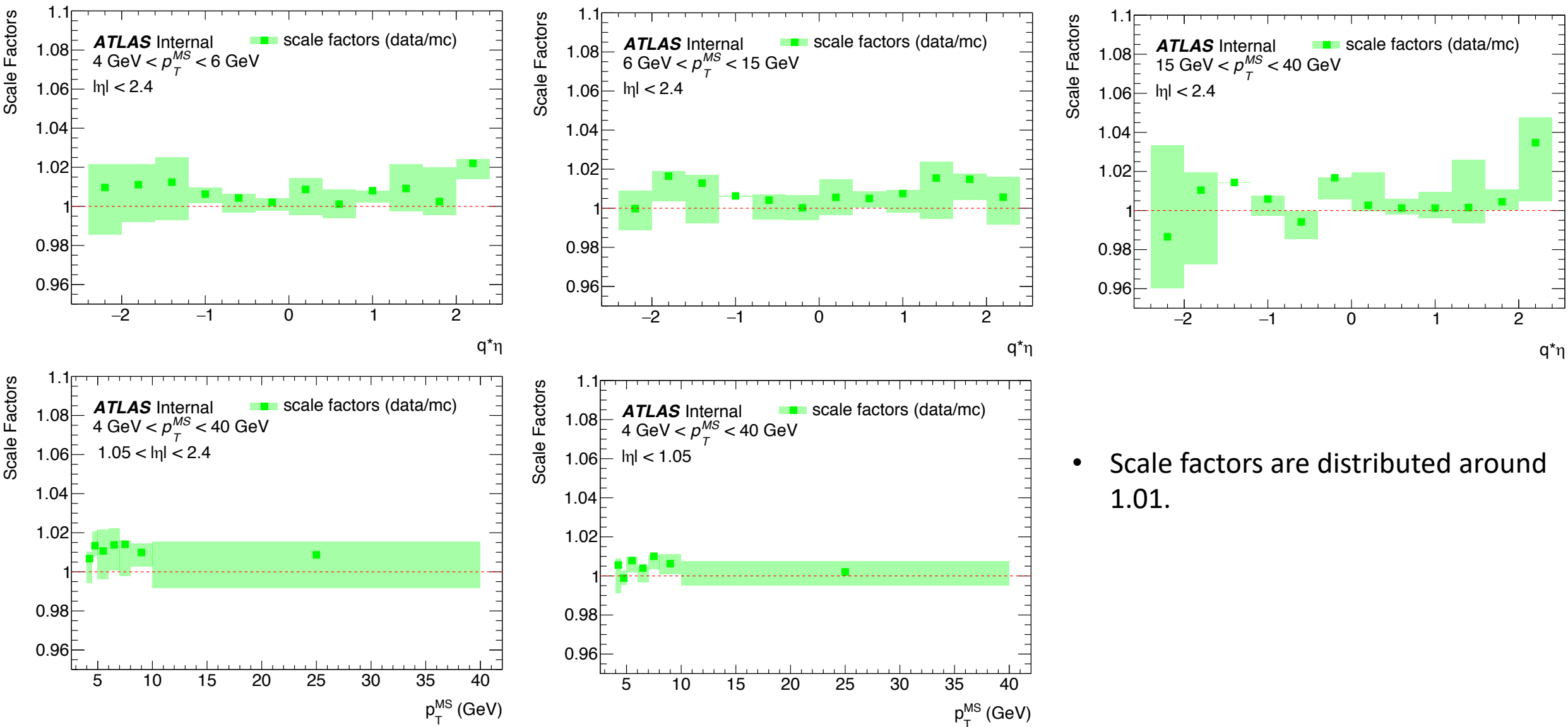


Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ Nominal Values with Systematics



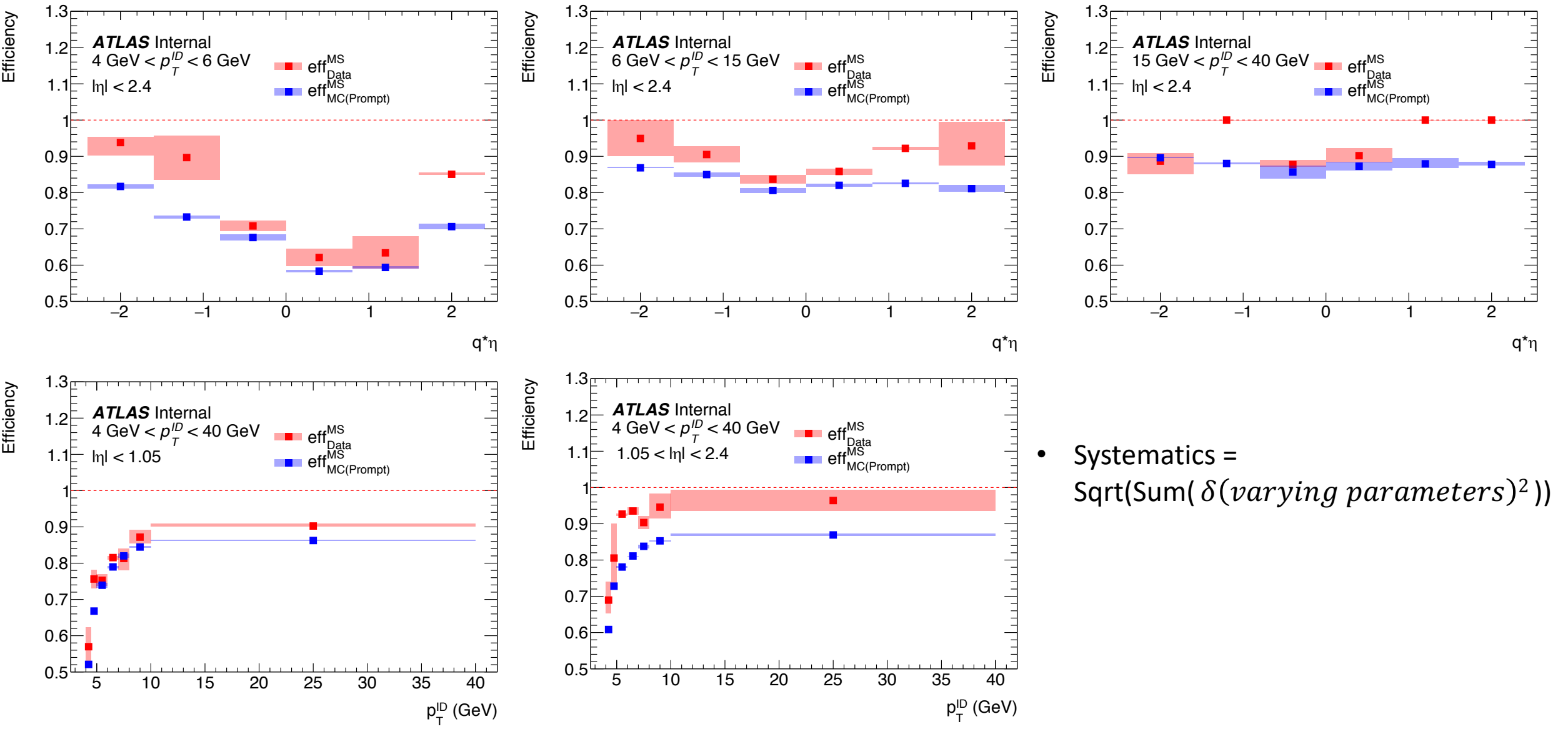
- Systematics = $\text{Sqrt}(\text{Sum}(\delta(\textit{varying parameters})^2))$

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ Scale Factors



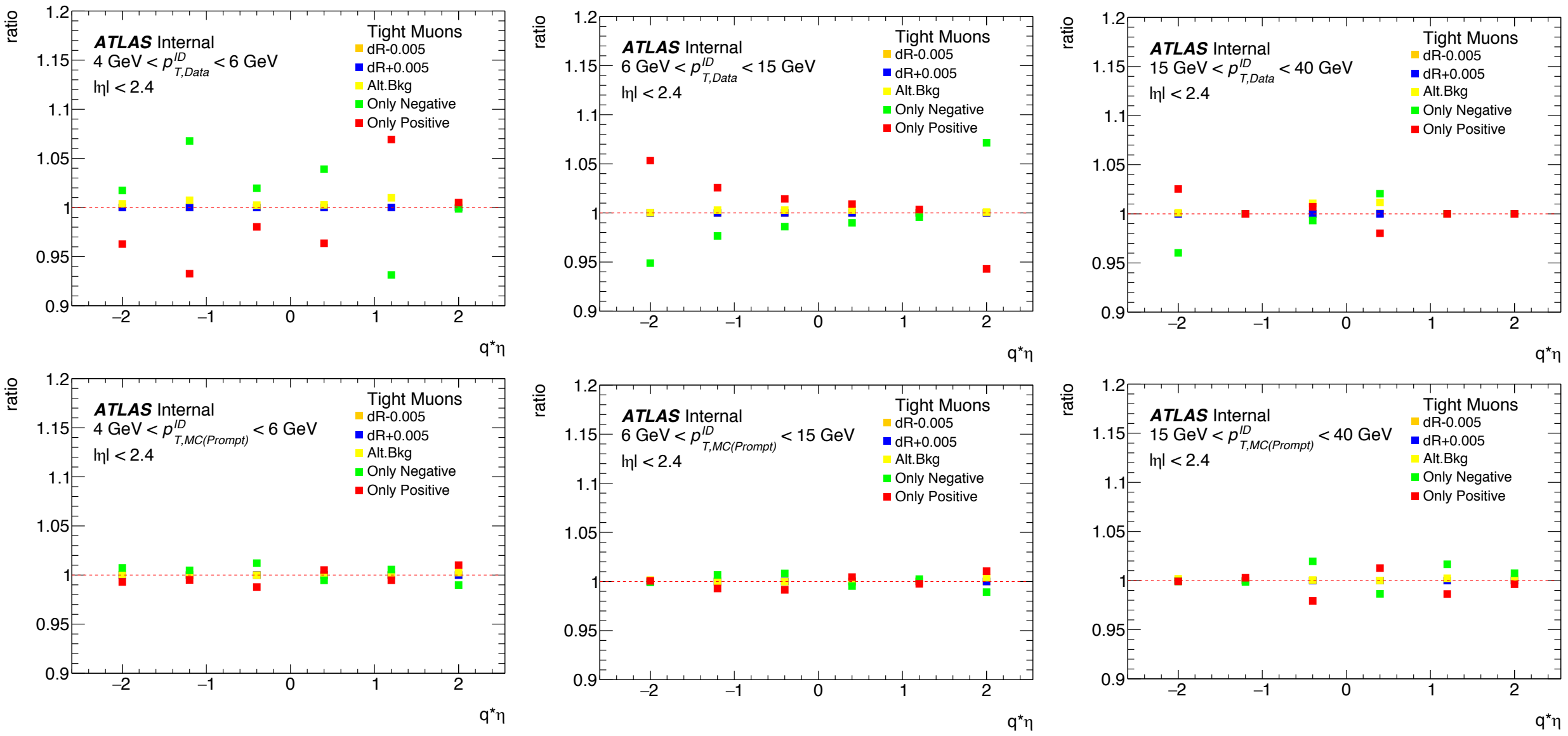
- Scale factors are distributed around 1.01.

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ Nominal Values with Systematics

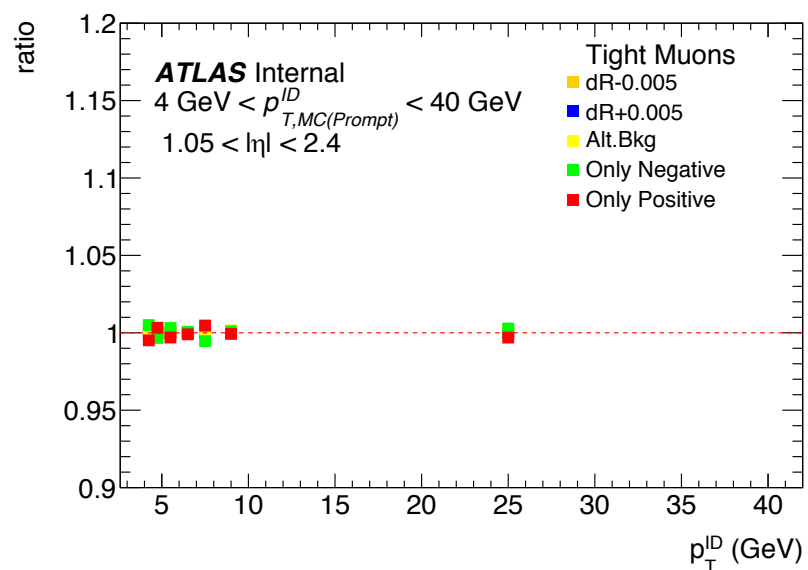
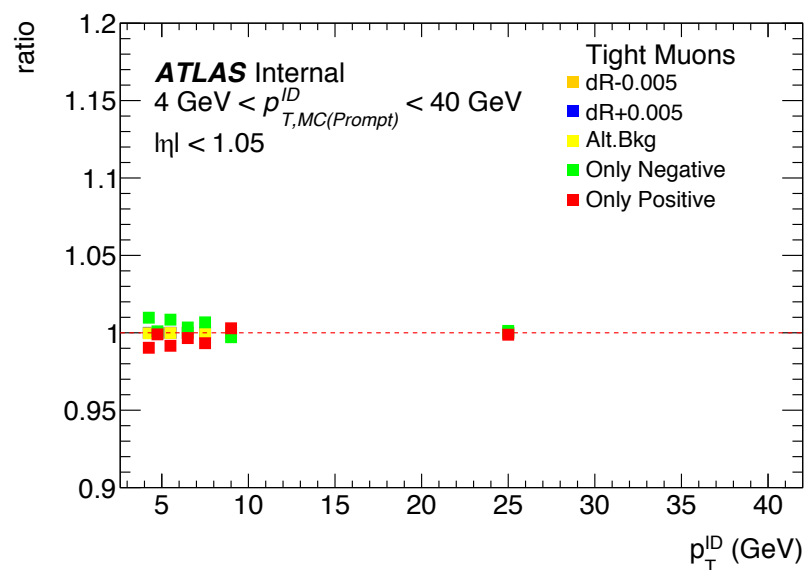
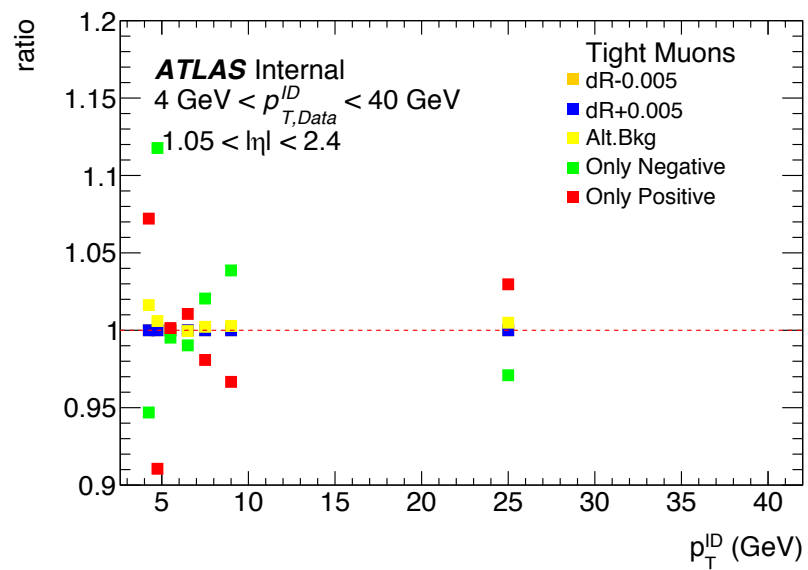
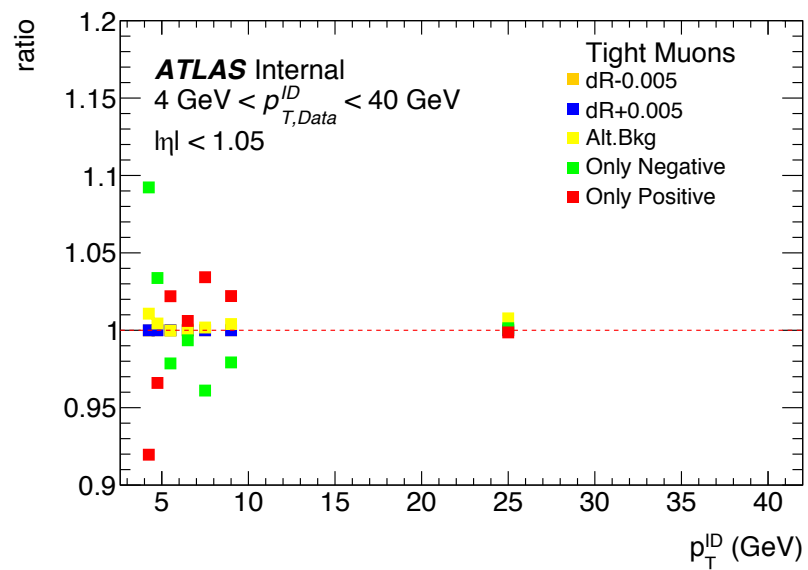


- Systematics = $\text{Sqrt}(\text{Sum}(\delta(\textit{varying parameters})^2))$

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, Ratio of Variations in Parameters to Nominal Values

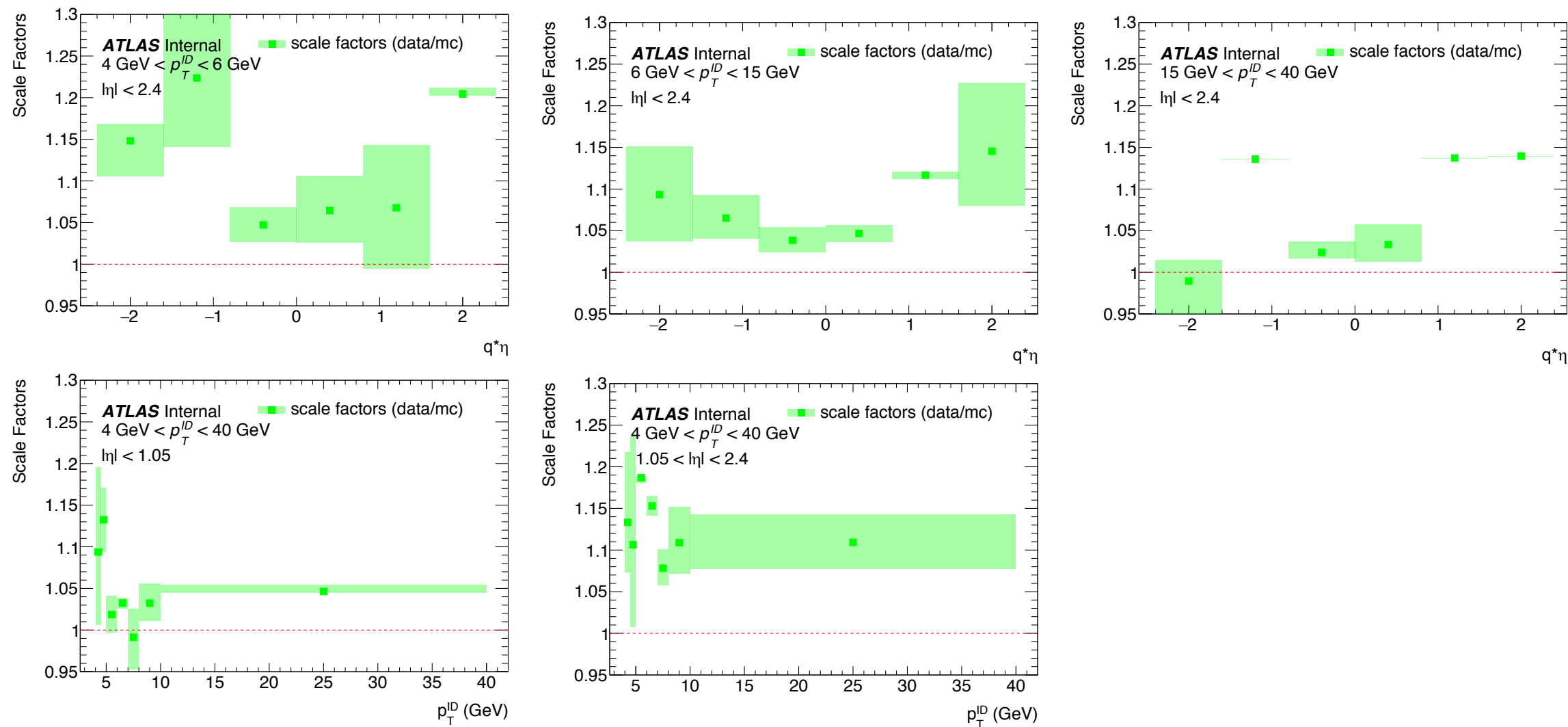


Muon reconstruction efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, Ratio of Variations in Parameters to Nominal Values

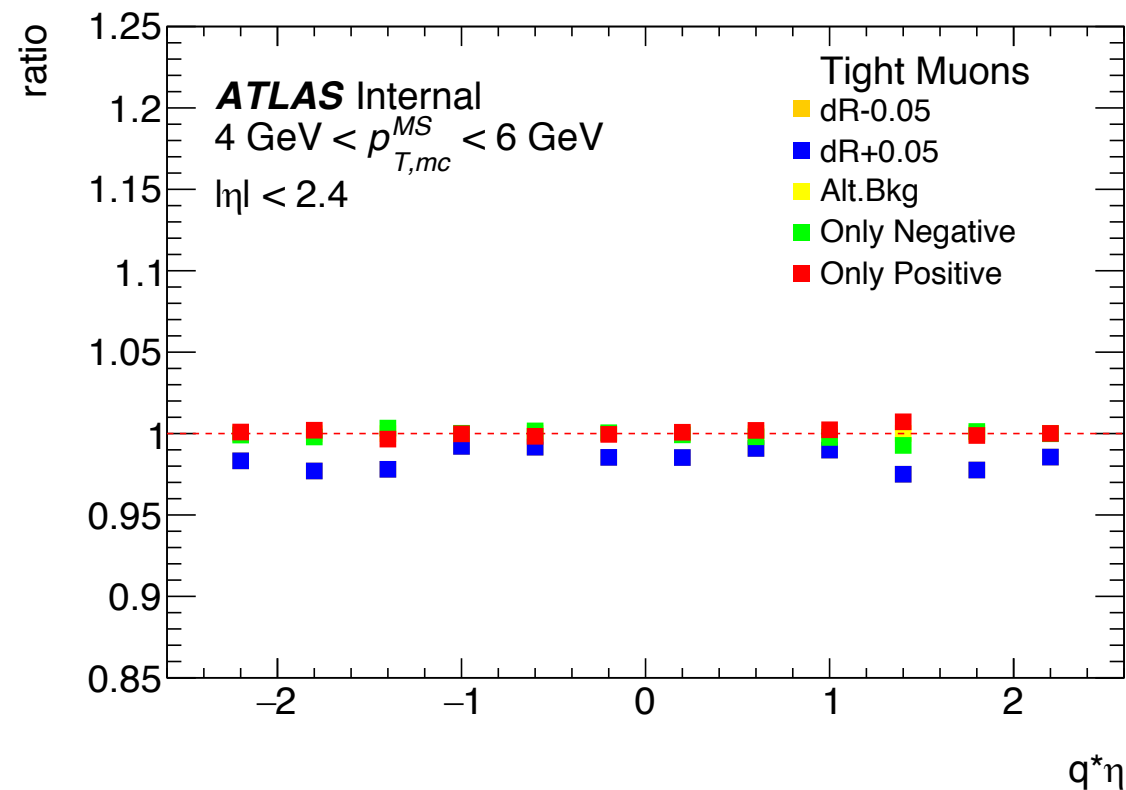
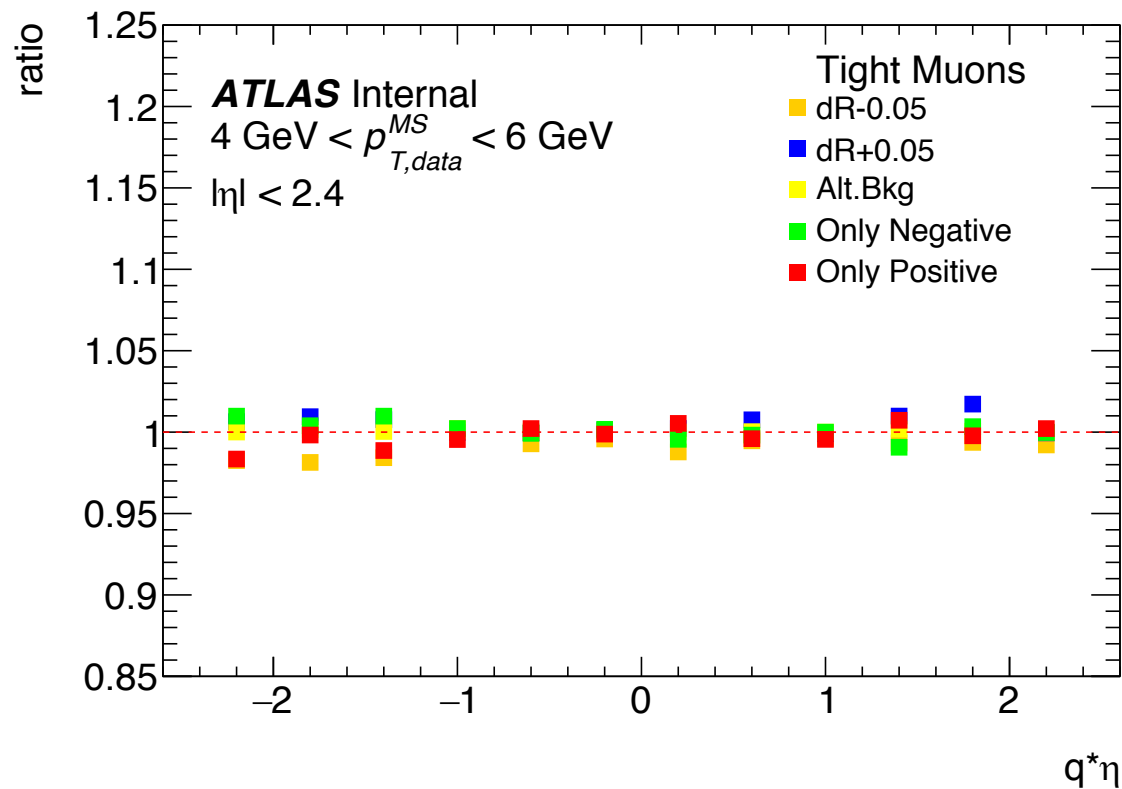


- Largest contribution to systematics come from separating charges.

Muon reconstruction efficiency $\varepsilon(\mu|ID)$ Scale Factors

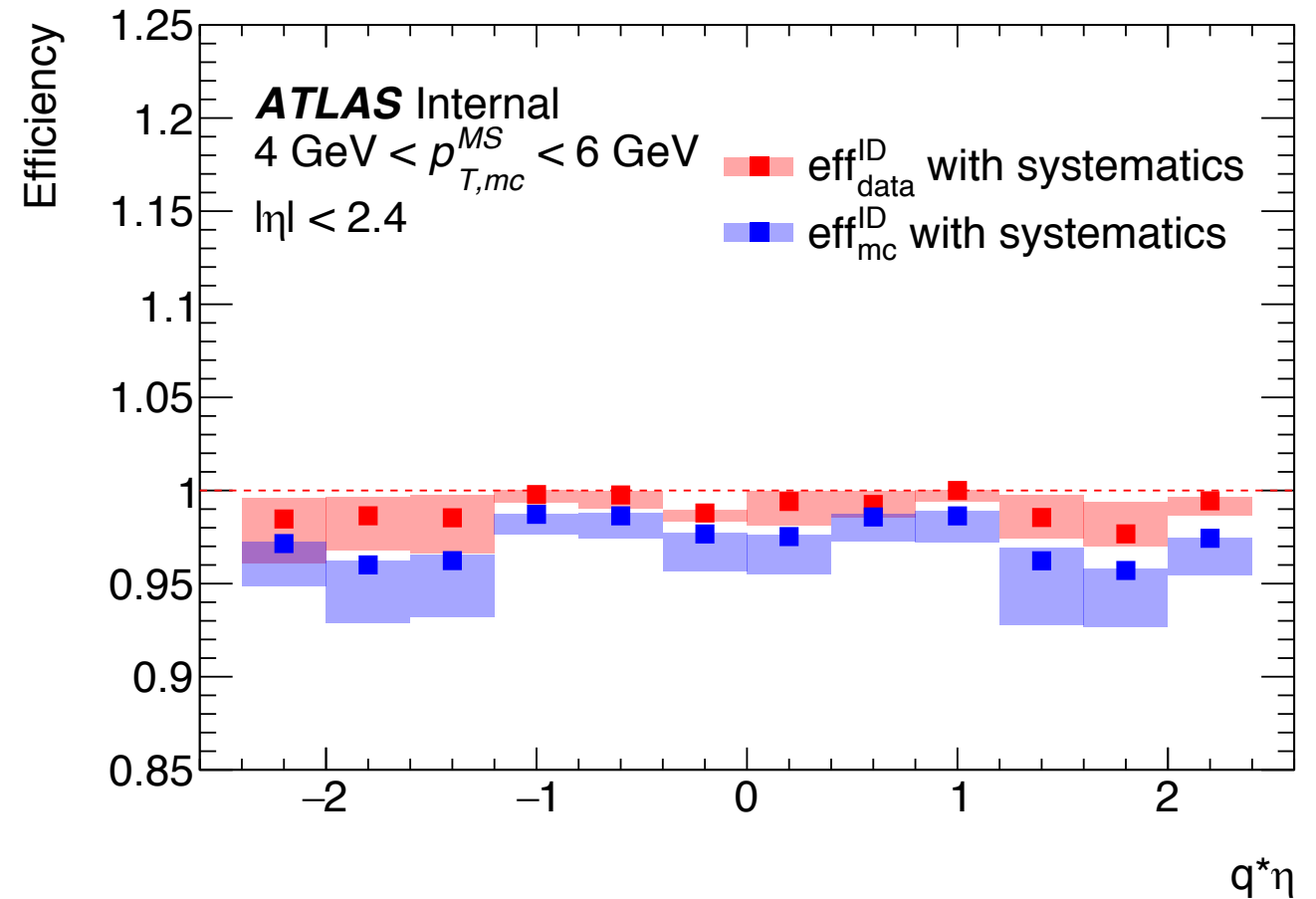


Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q^*\eta$, low pt regime, using MC upsilon

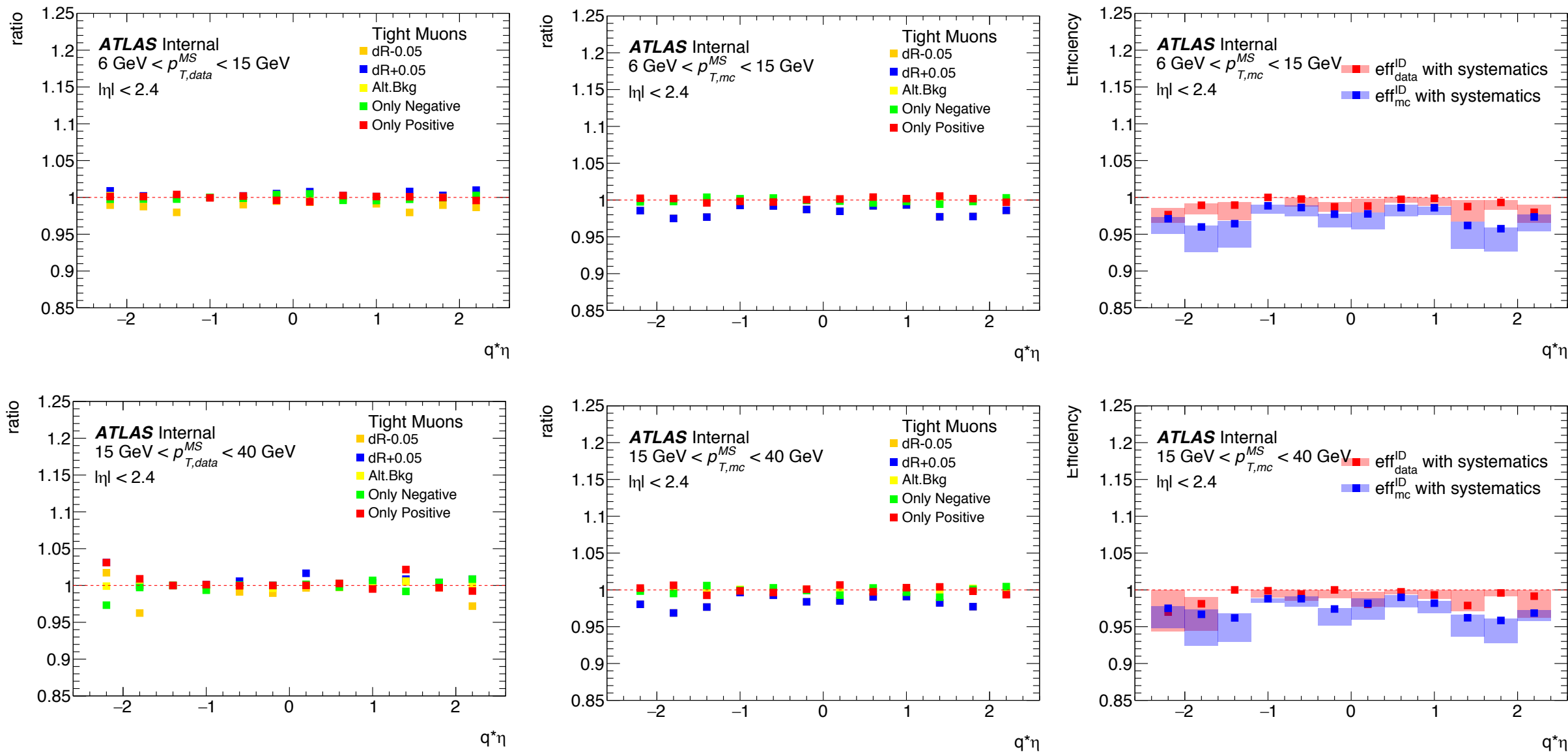


Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q^*\eta$, low pt regime, using MC epsilon

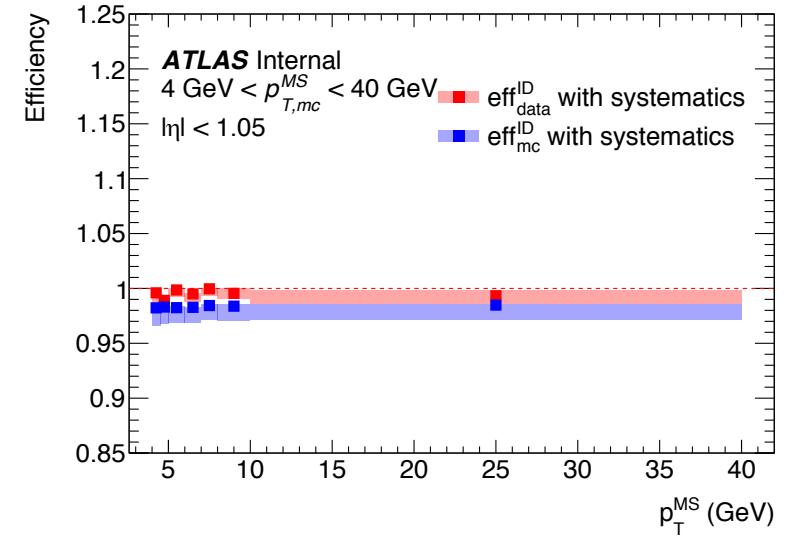
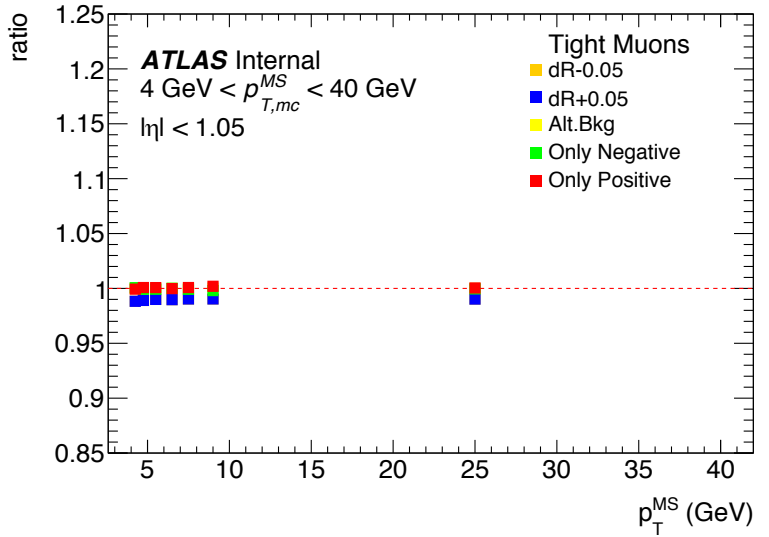
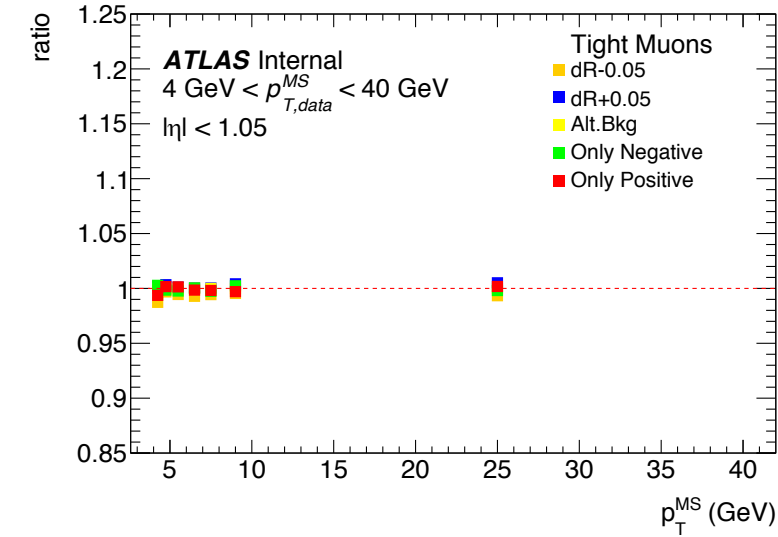
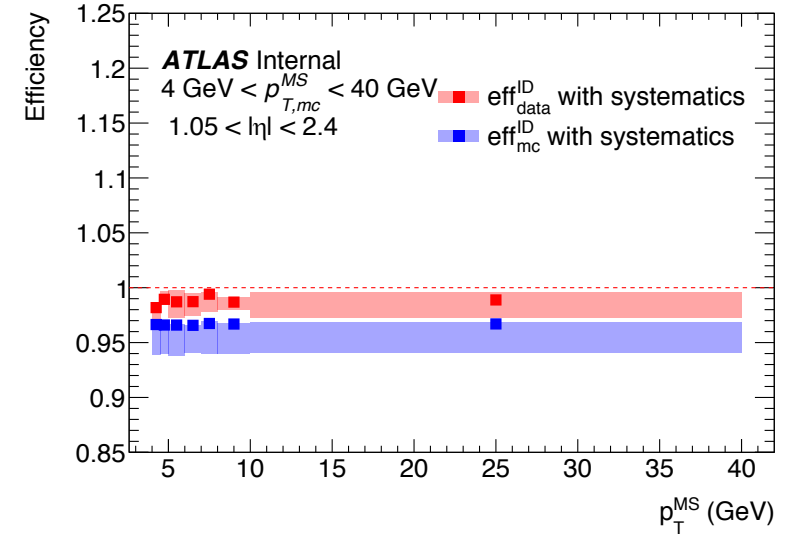
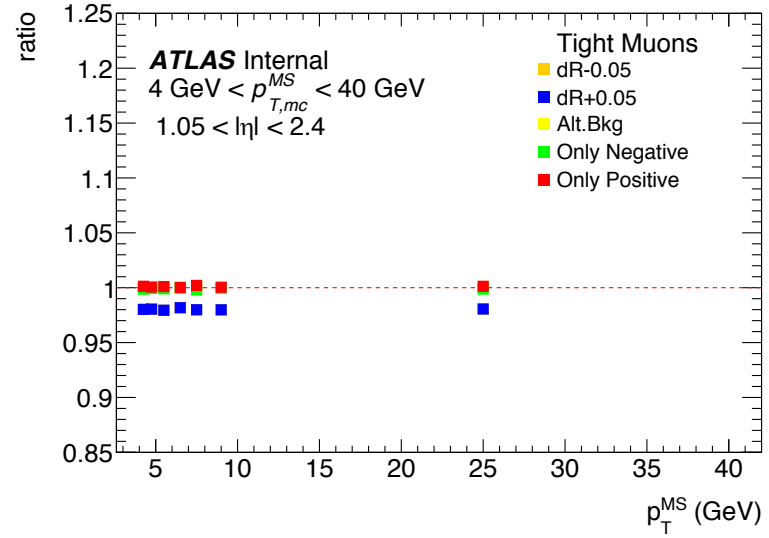
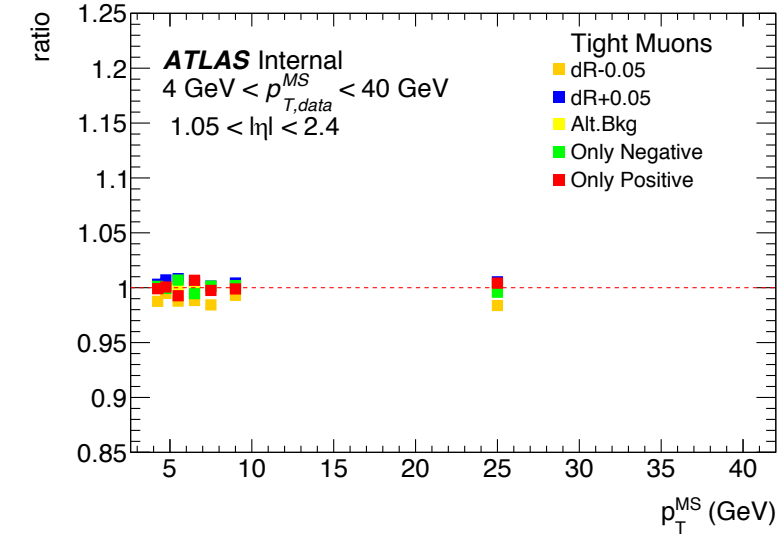
- Nominal efficiency is calculated at $dR = 0.2$
- Taking both positively and negatively charged tracks.
- The fitting model for background uses exponential curve
- The fitting model for signal uses gaussian curve.
- Largest contribution to overall systematics comes from changing dR .



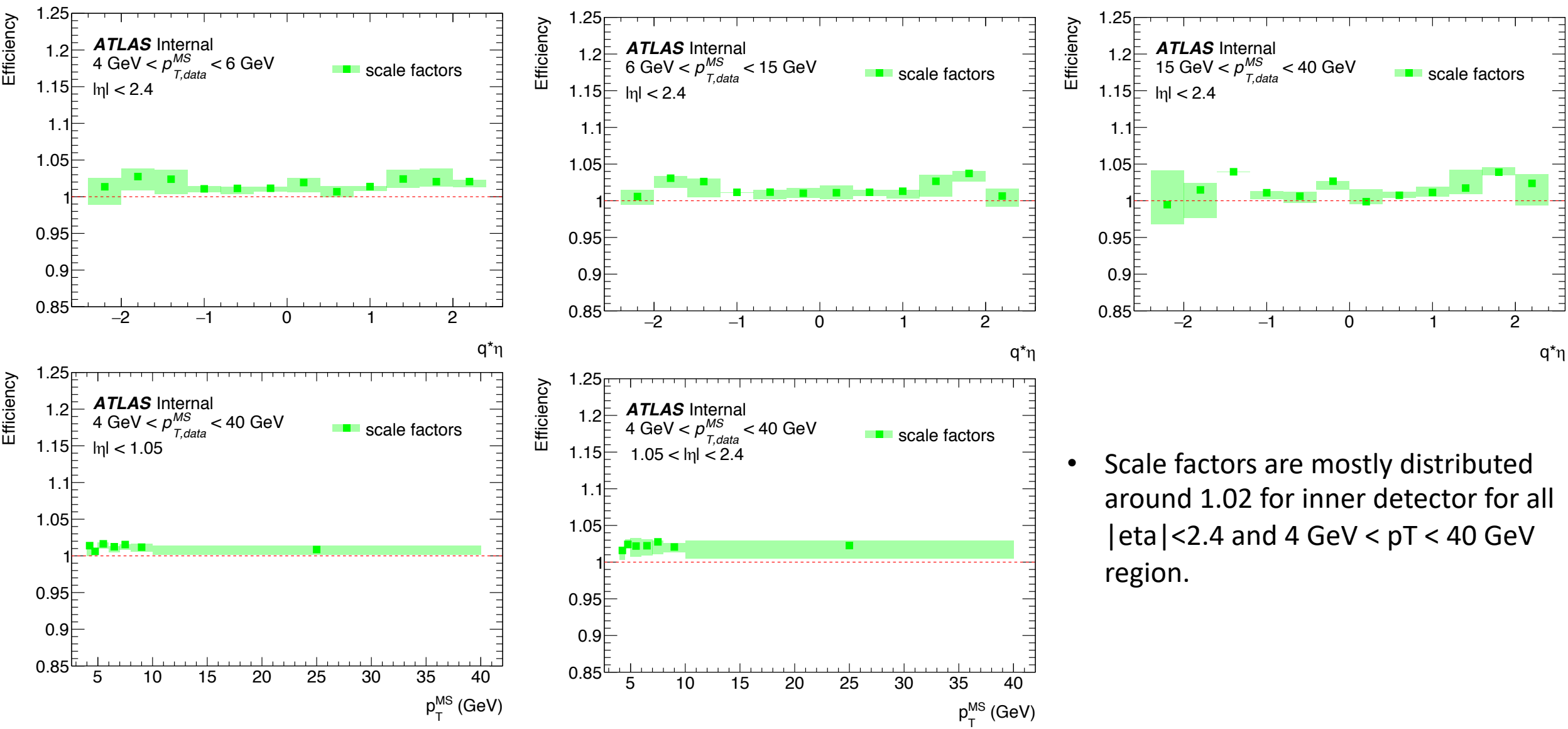
Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q^*\eta$, middle and high pt regime, using MC upsilon



Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs probe MS track momentum p_T^{MS} , using MC upsilon

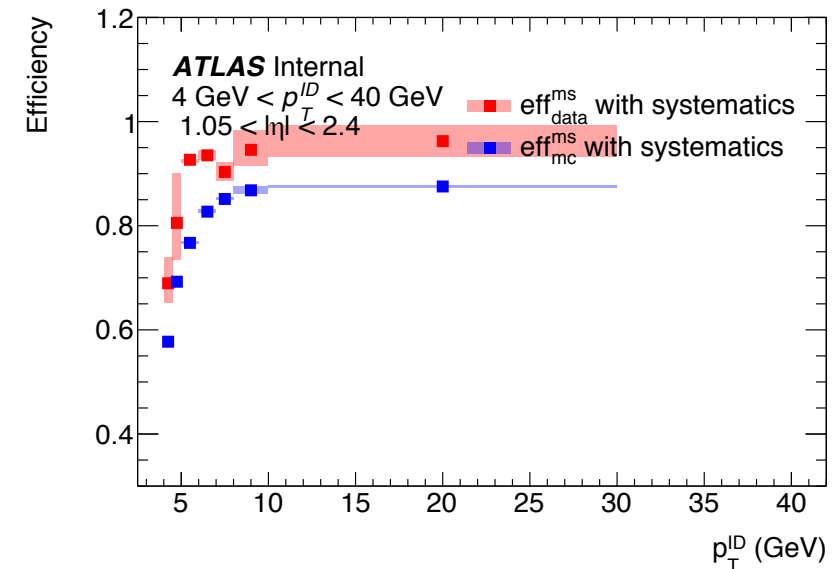
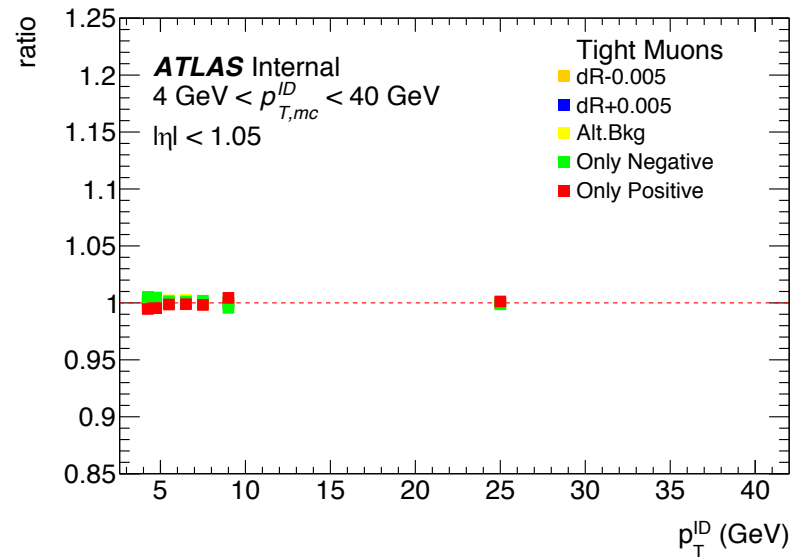
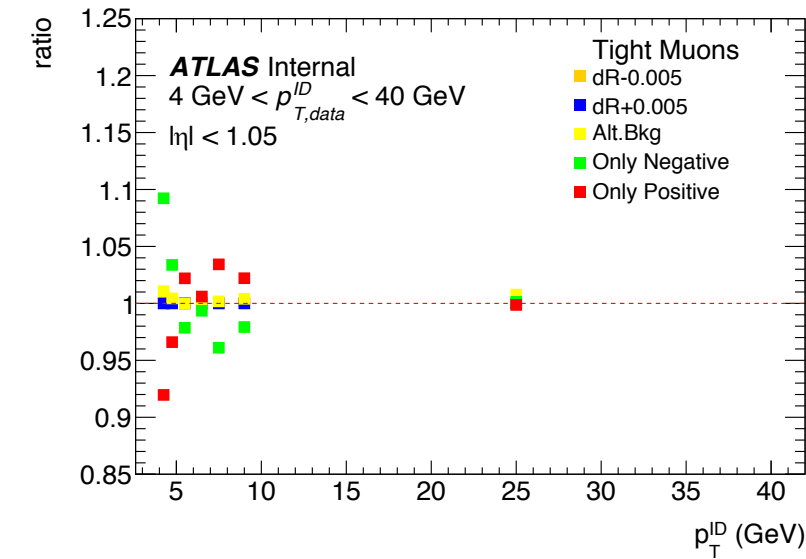


Scale factors for Inner Detector efficiency, using MC with upsilon

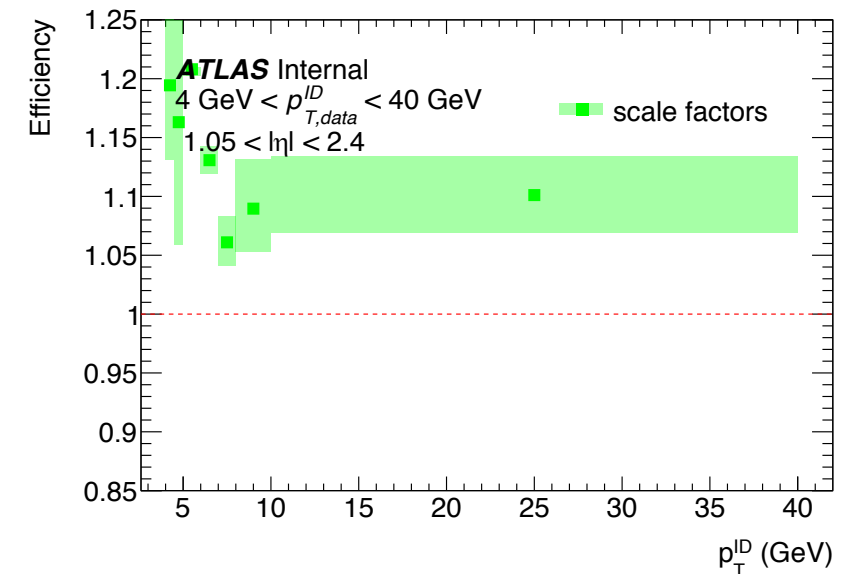


- Scale factors are mostly distributed around 1.02 for inner detector for all $|\eta| < 2.4$ and $4 \text{ GeV} < p_T < 40 \text{ GeV}$ region.

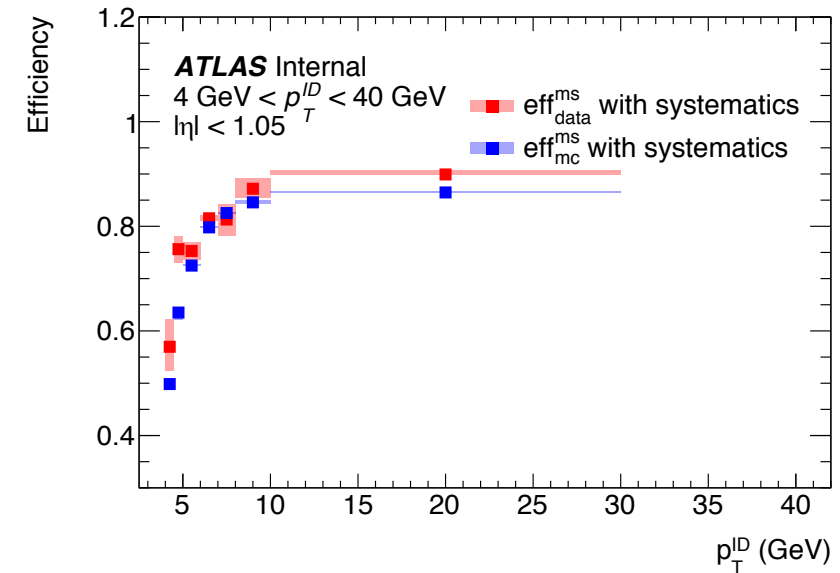
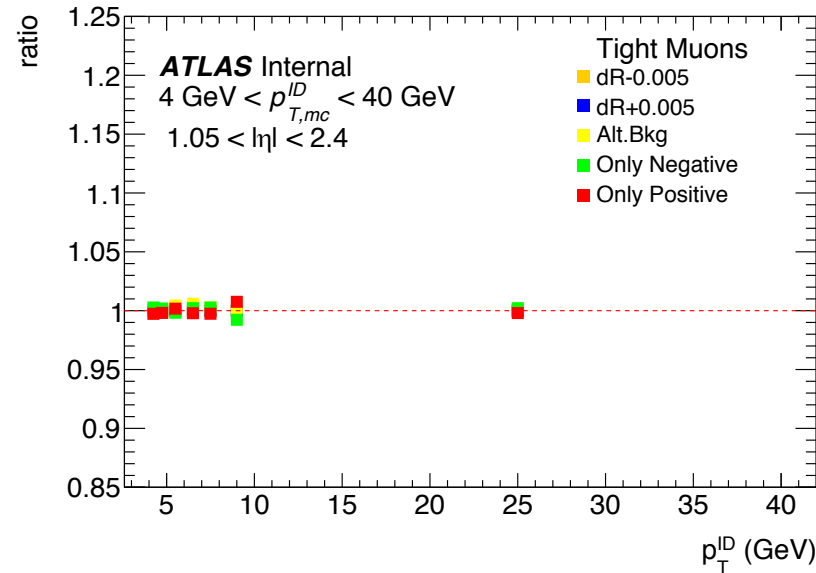
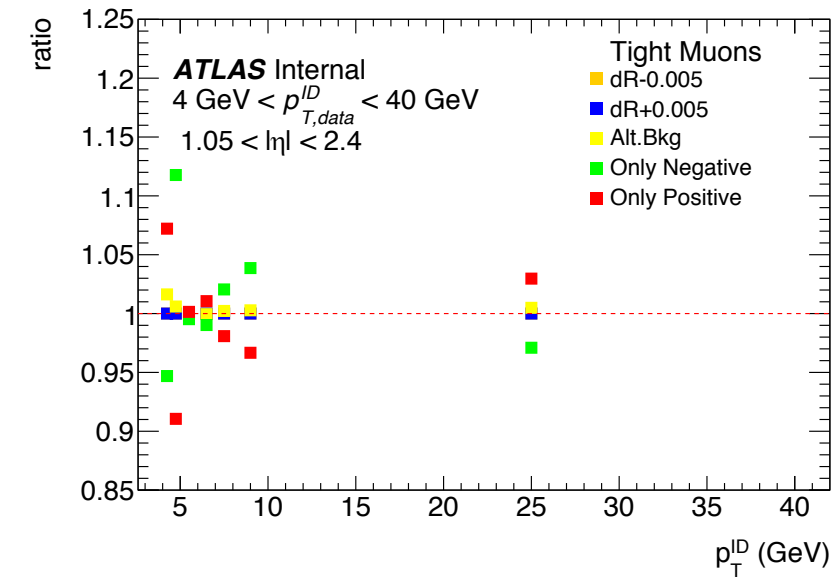
Tight Muon Reconstruction Efficiency $\varepsilon(\mu|ID)$ vs Probe ID Track Momentum p_T^{ID} , using MC upsilon



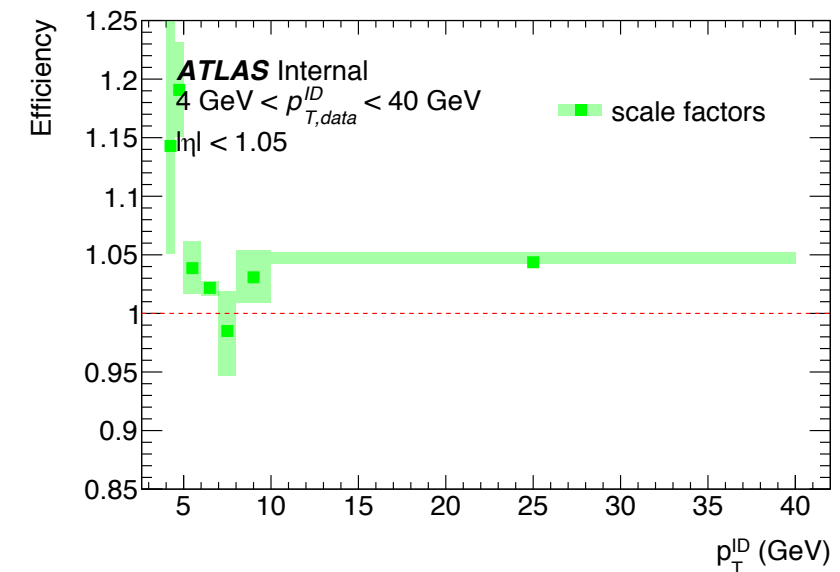
- End cap region
- Nominal efficiency is calculated at dR = 0.01
- Taking both positively and negatively charged tracks.
- The fitting model for background uses exponential curve
- The fitting model for signal uses gaussian curve.
- MC has very small systematics, data has large systematics.
- Largest contribution of systematics for data comes from separating positively charged tracks from negatively charged tracks.



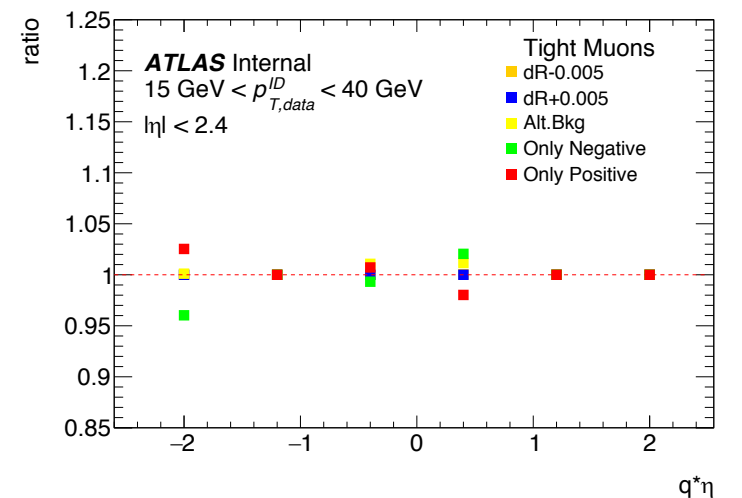
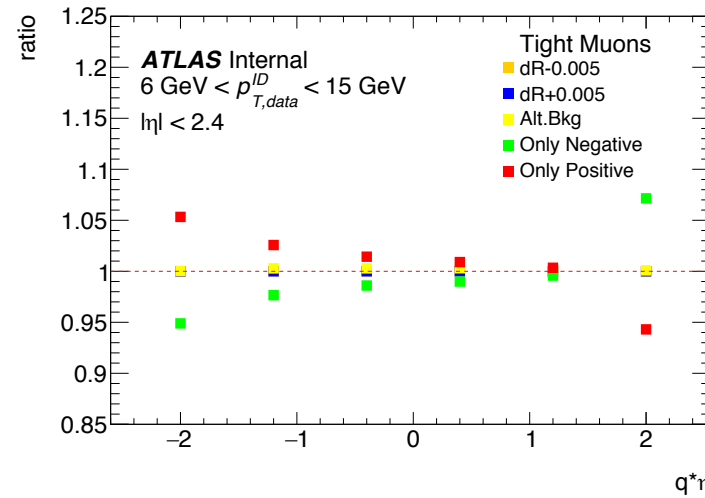
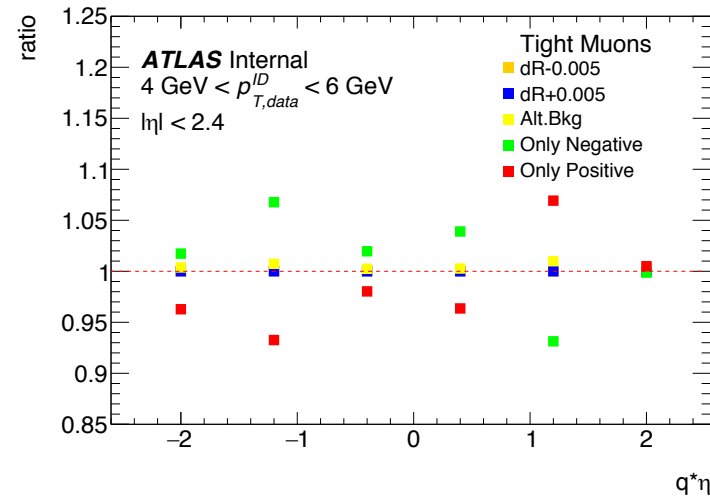
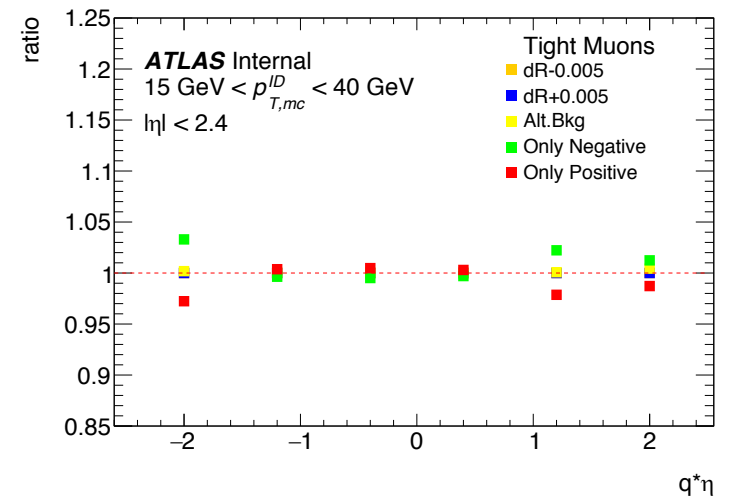
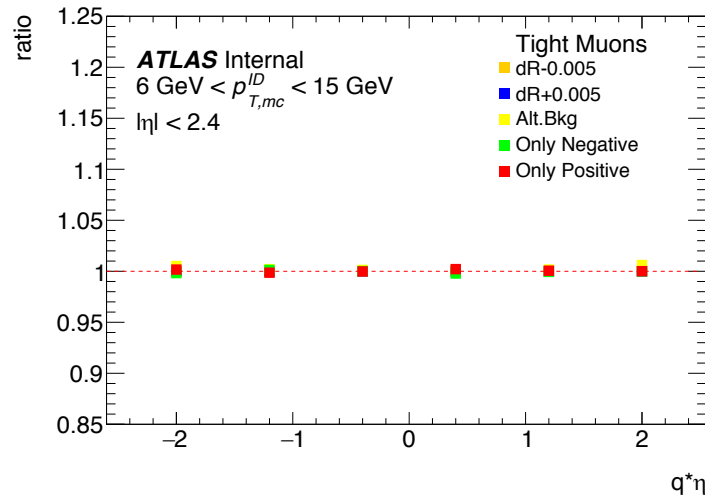
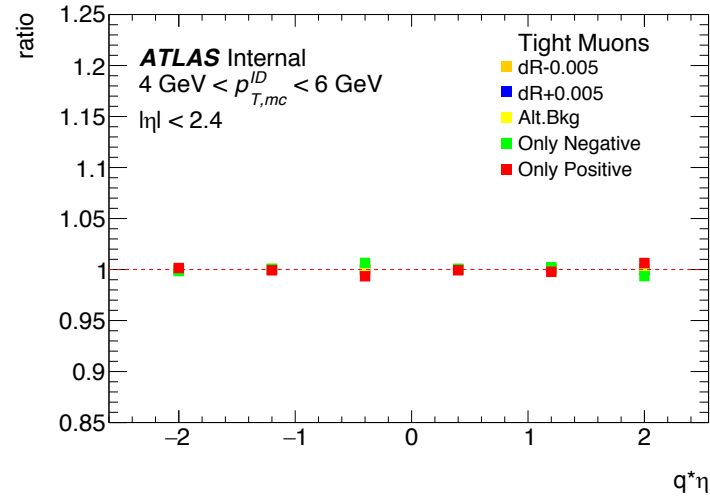
Tight Muon Reconstruction Efficiency $\varepsilon(\mu|ID)$ vs Probe ID Track Momentum p_T^{ID} , using MC upslon



- Barrel region
- Nominal efficiency is calculated at dR = 0.01
- Taking both positively and negatively charged tracks.
- The fitting model for background uses exponential curve
- The fitting model for signal uses gaussian curve.
- MC has very small systematics, data has large systematics.
- Largest contribution of systematics for data comes from separating positively charged tracks from negatively charged tracks.

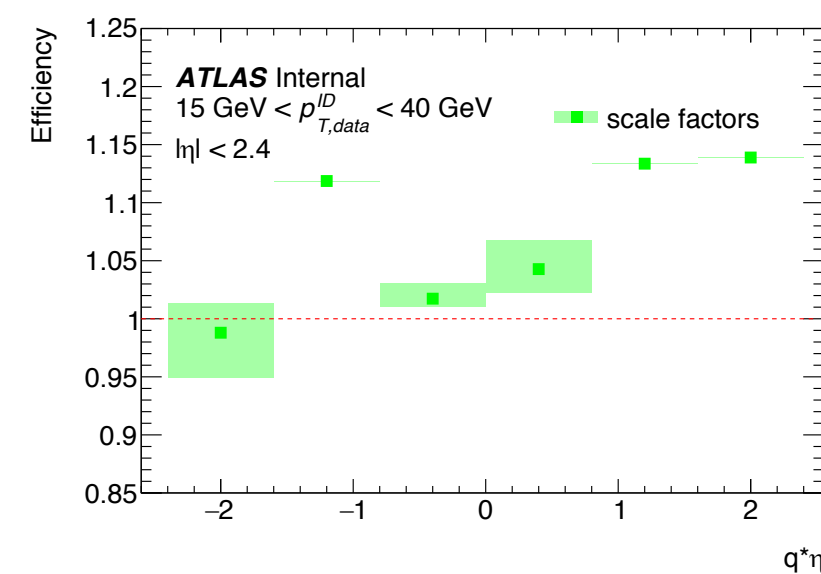
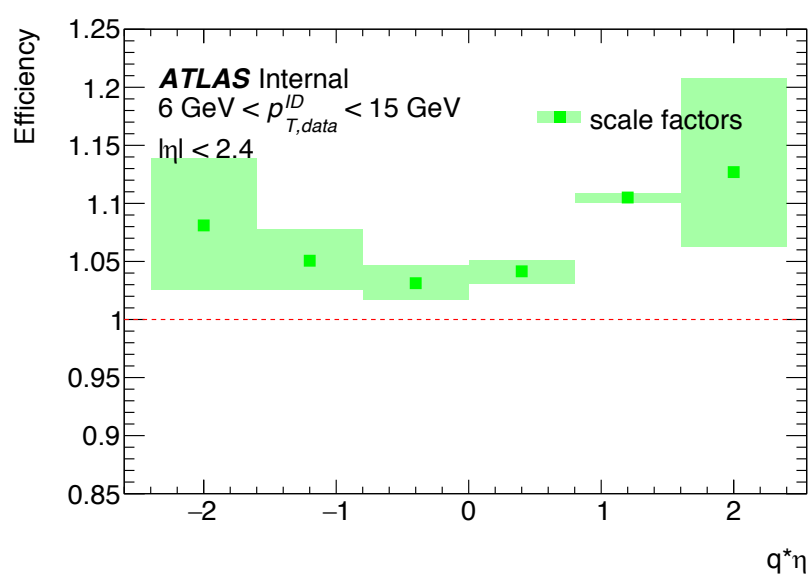
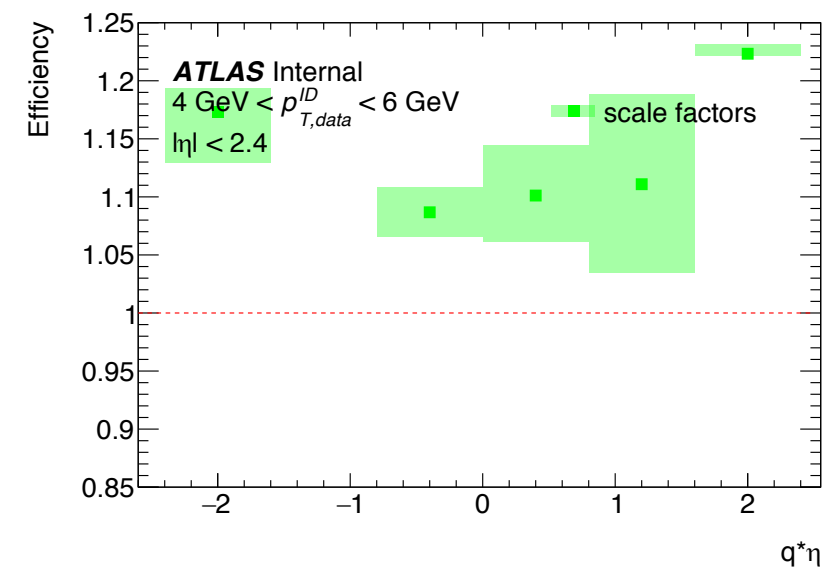
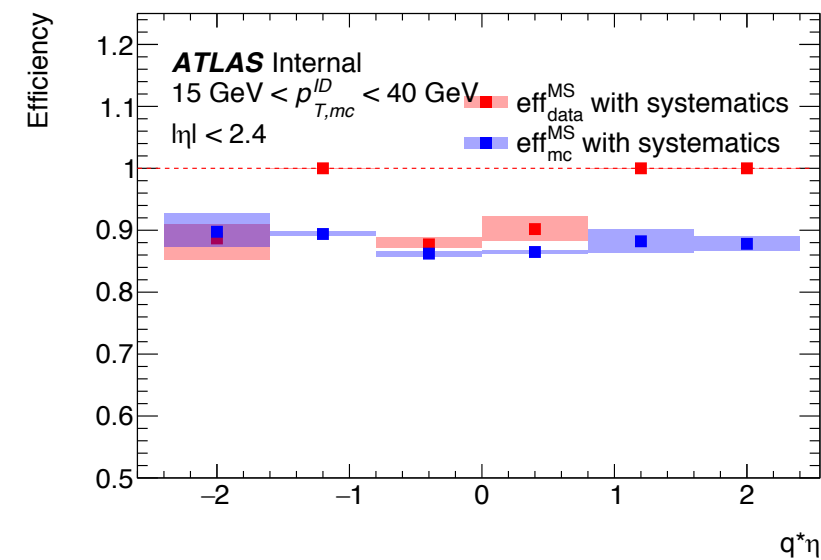
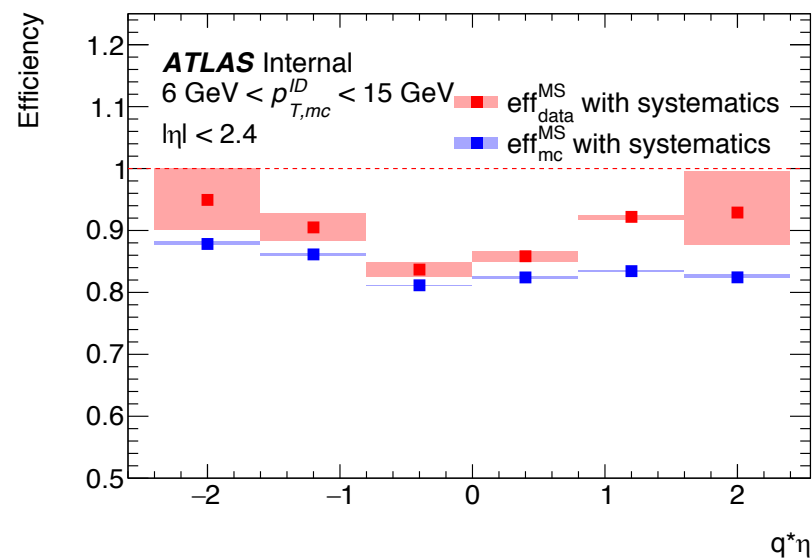
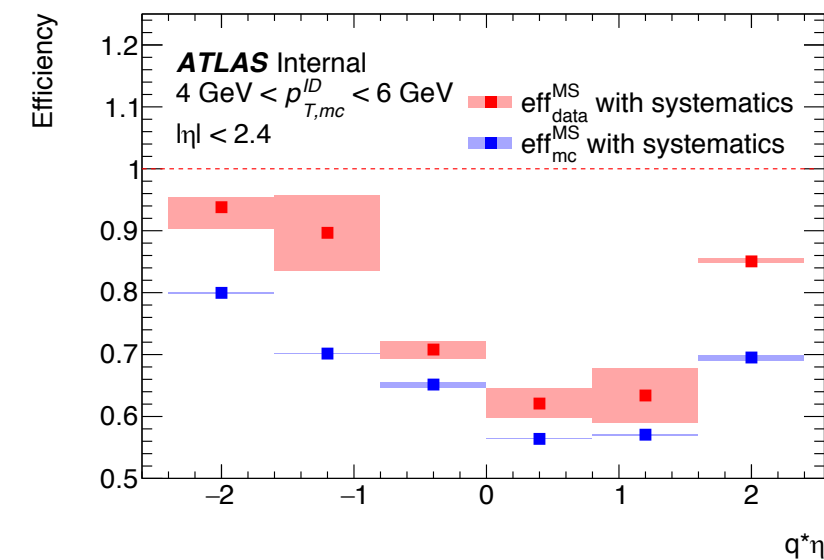


Tight Muon Reconstruction Efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, using MC epsilon



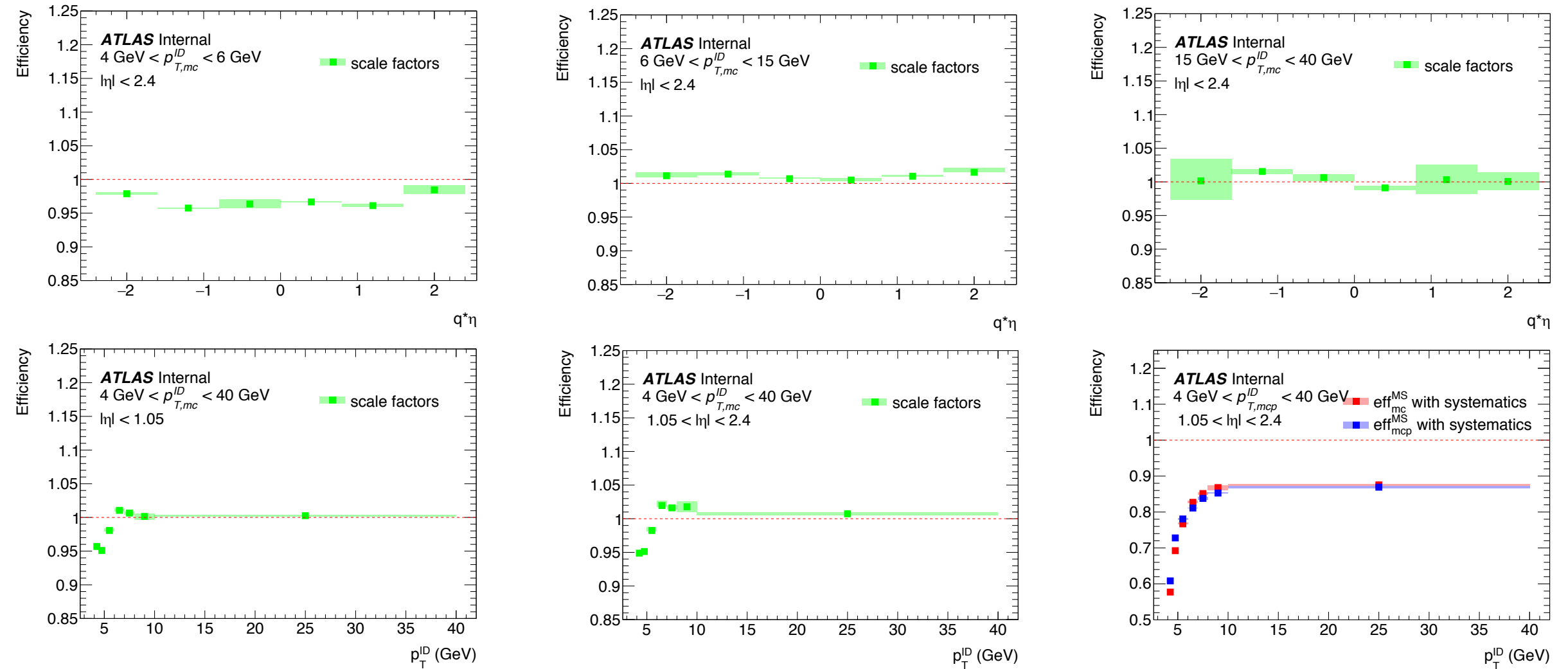
- Systematics mostly come from separating charges.
- MC have small systematics.
- I believe the fittings are reflecting the inputs honestly because the deviations from separating charges are symmetric.

Tight Muon Reconstruction Efficiency $\varepsilon(\mu|ID)$ vs $q^*\eta$, using MC epsilon



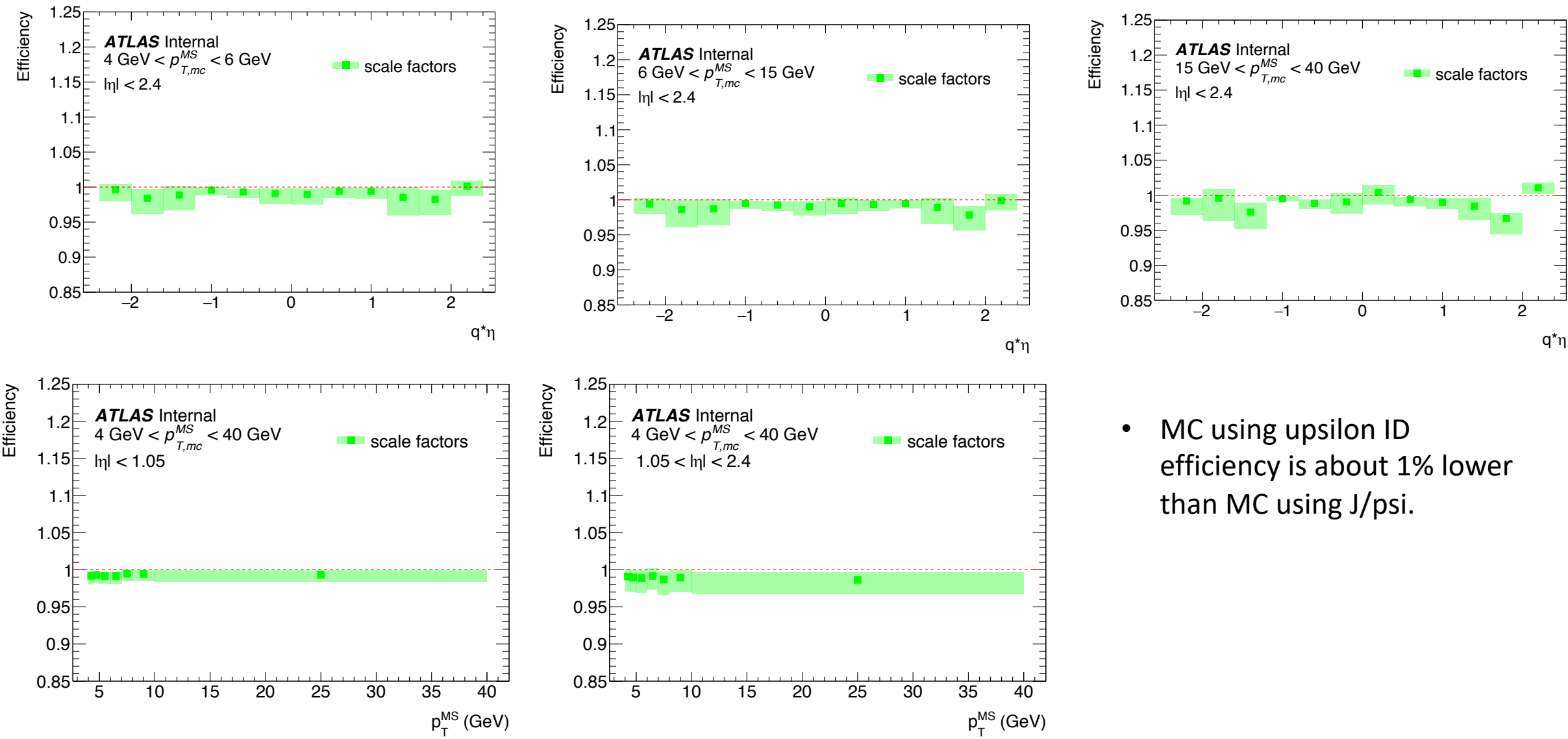
We now also have MC with J/Psi statistics, and here are some results.

Muon reconstruction efficiency relative to ID for MC using Upsilon versus MC using J/Psi



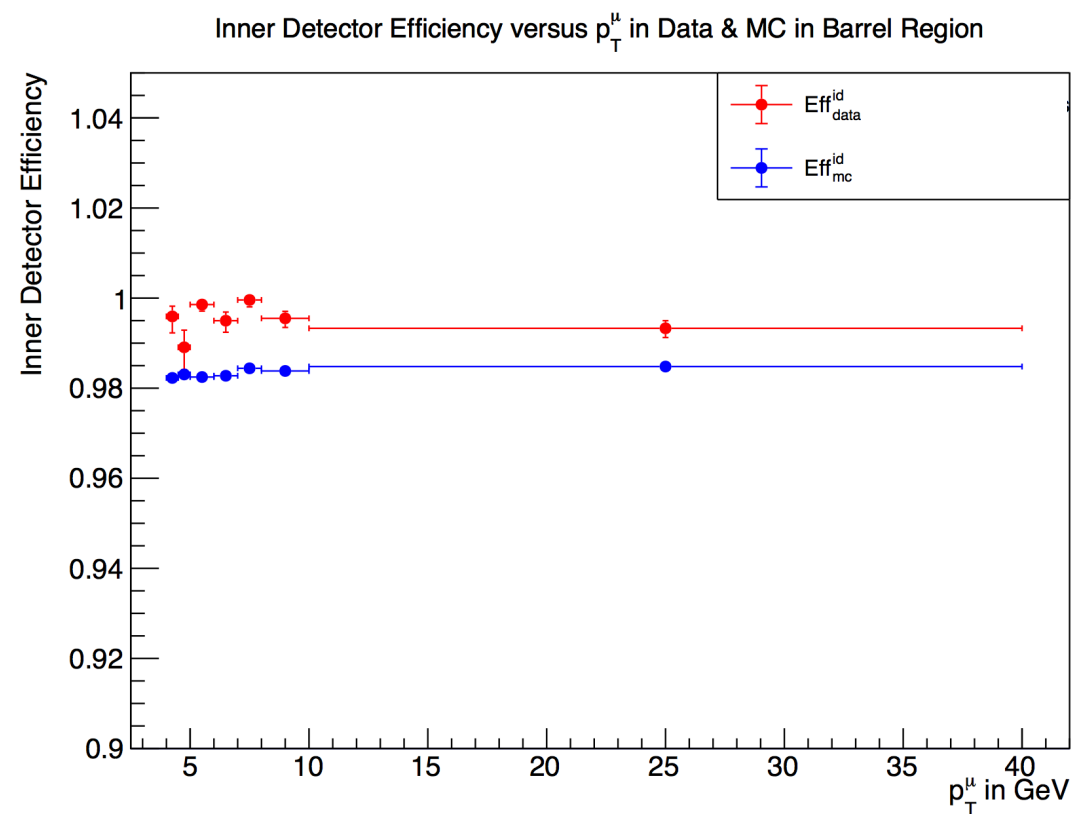
- In comparison to MC using J/Psi, MC using Upsilon invariant mass is calculated to have bigger muon reconstruction efficiency relative to ID at high p_T and lower efficiency at low p_T .
- Systematics largely come from separating charges.

Inner Detector Efficiency $\varepsilon(\text{ID}|\text{MS})$ vs $q^*\eta$, MC using epsilon versus MC using J/psi

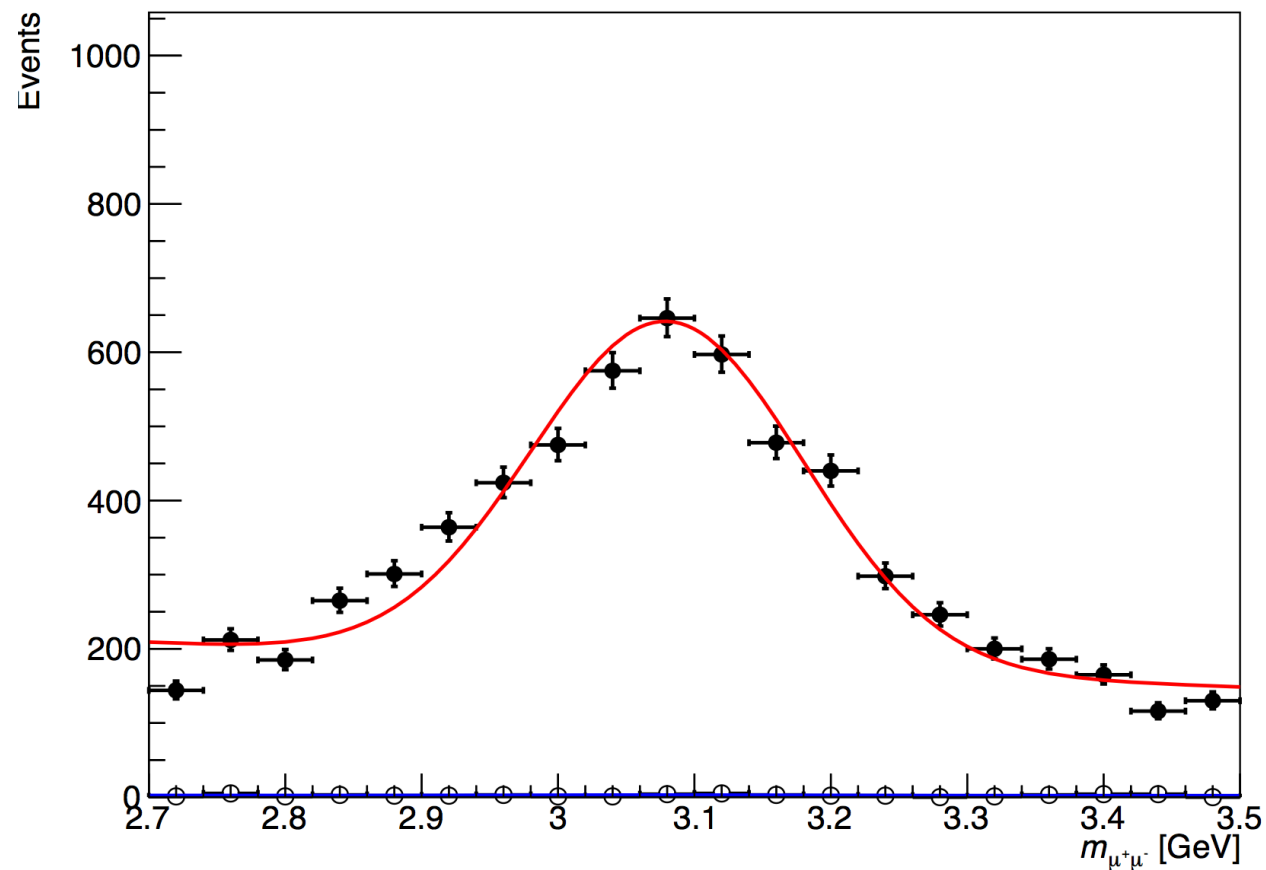


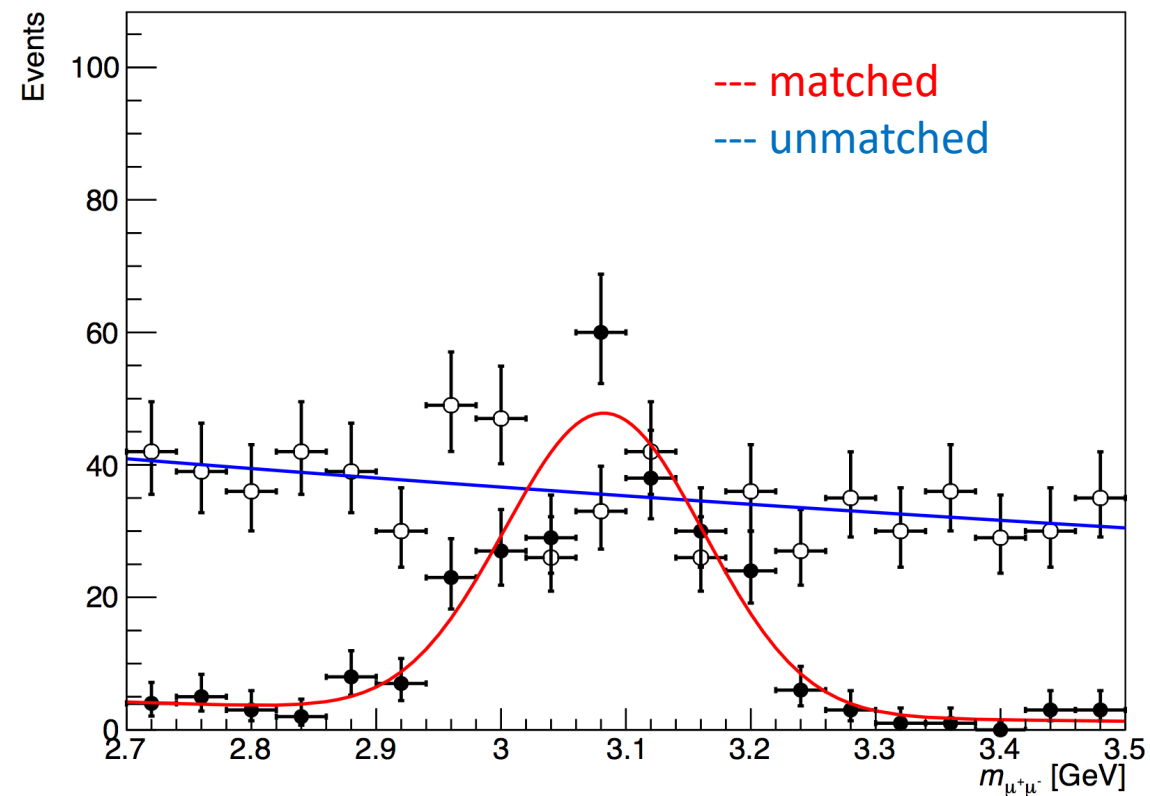
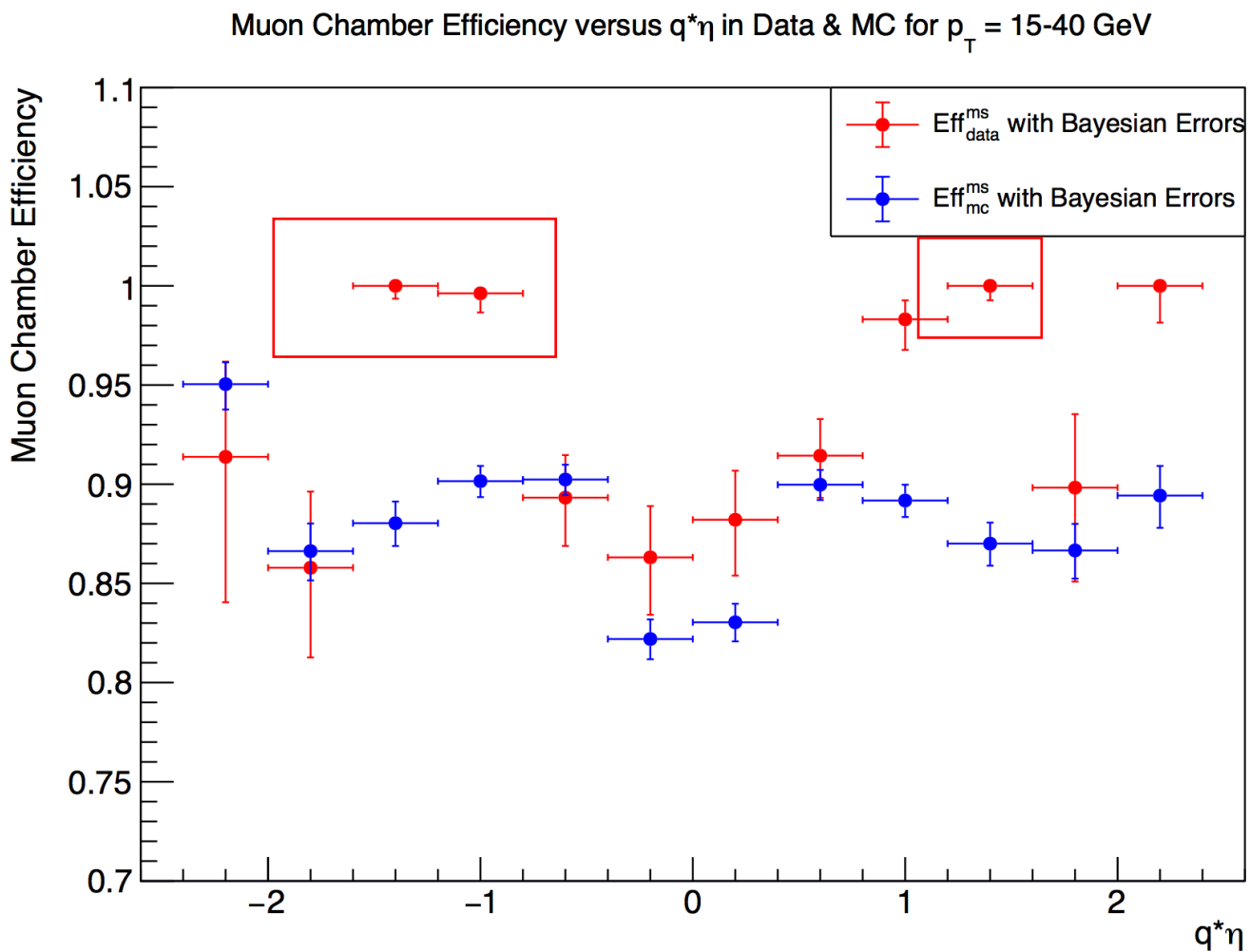
- MC using epsilon ID efficiency is about 1% lower than MC using J/psi.

Eff_id for data in Barrel Region $p_T = 6-7$ GeV



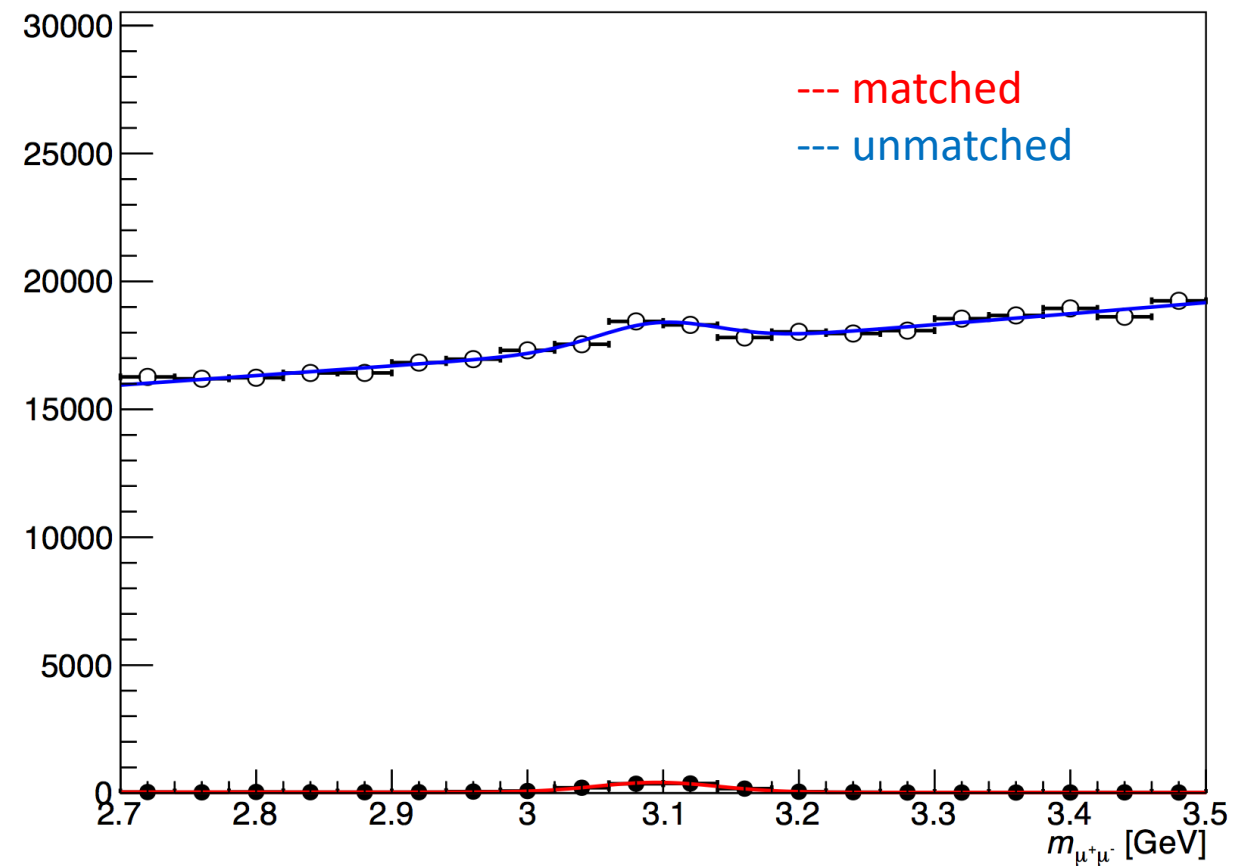
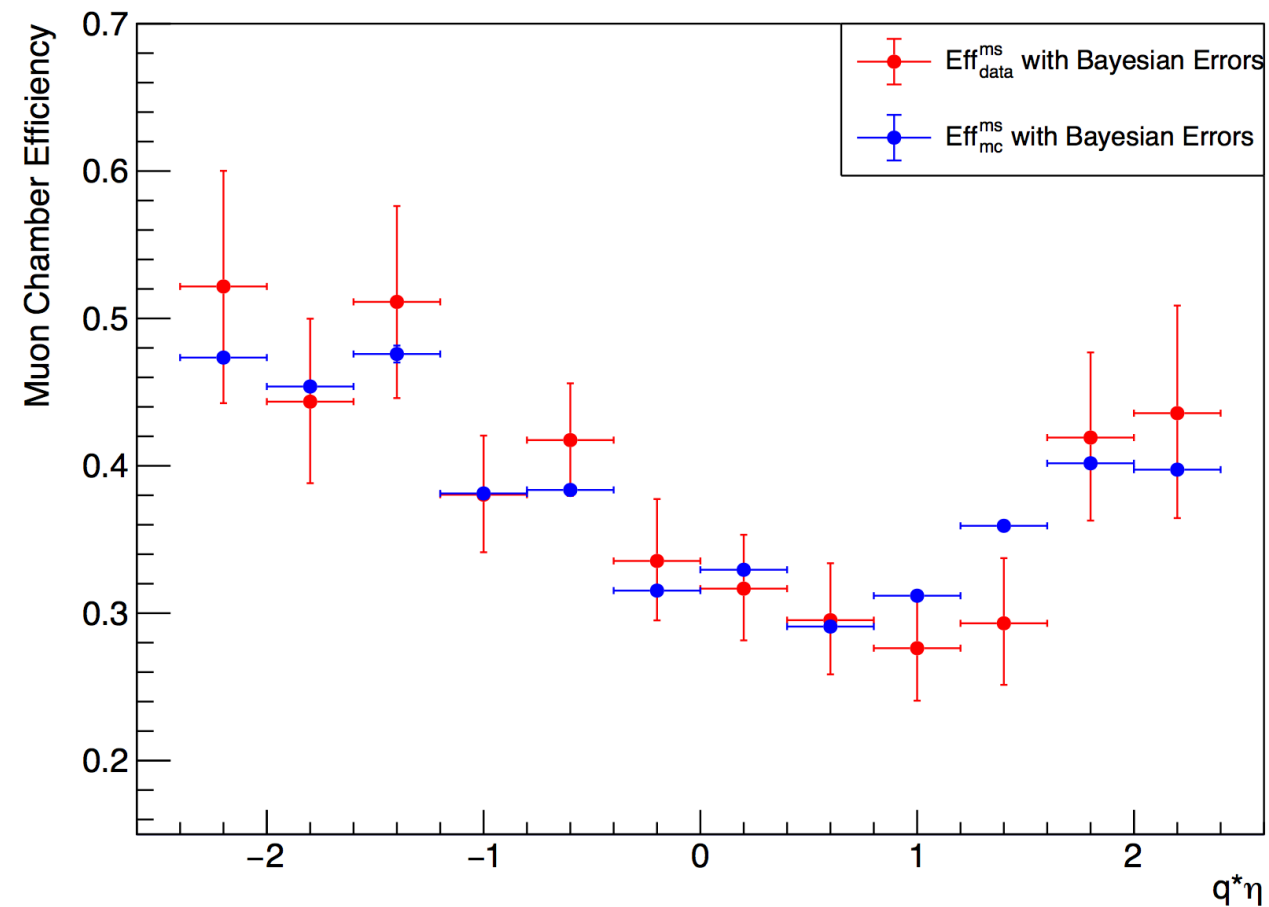
ID efficiency are in general high, signals are high comparing to the background and matched tracks are





- High p_T region has very few data and some fake efficiencies are calculated.

Muon Chamber Efficiency versus $q^*\eta$ in Data & MC for $p_T = 3-6$ GeV



- Low p_T region has more data and data and MC go the same trend approximately.