



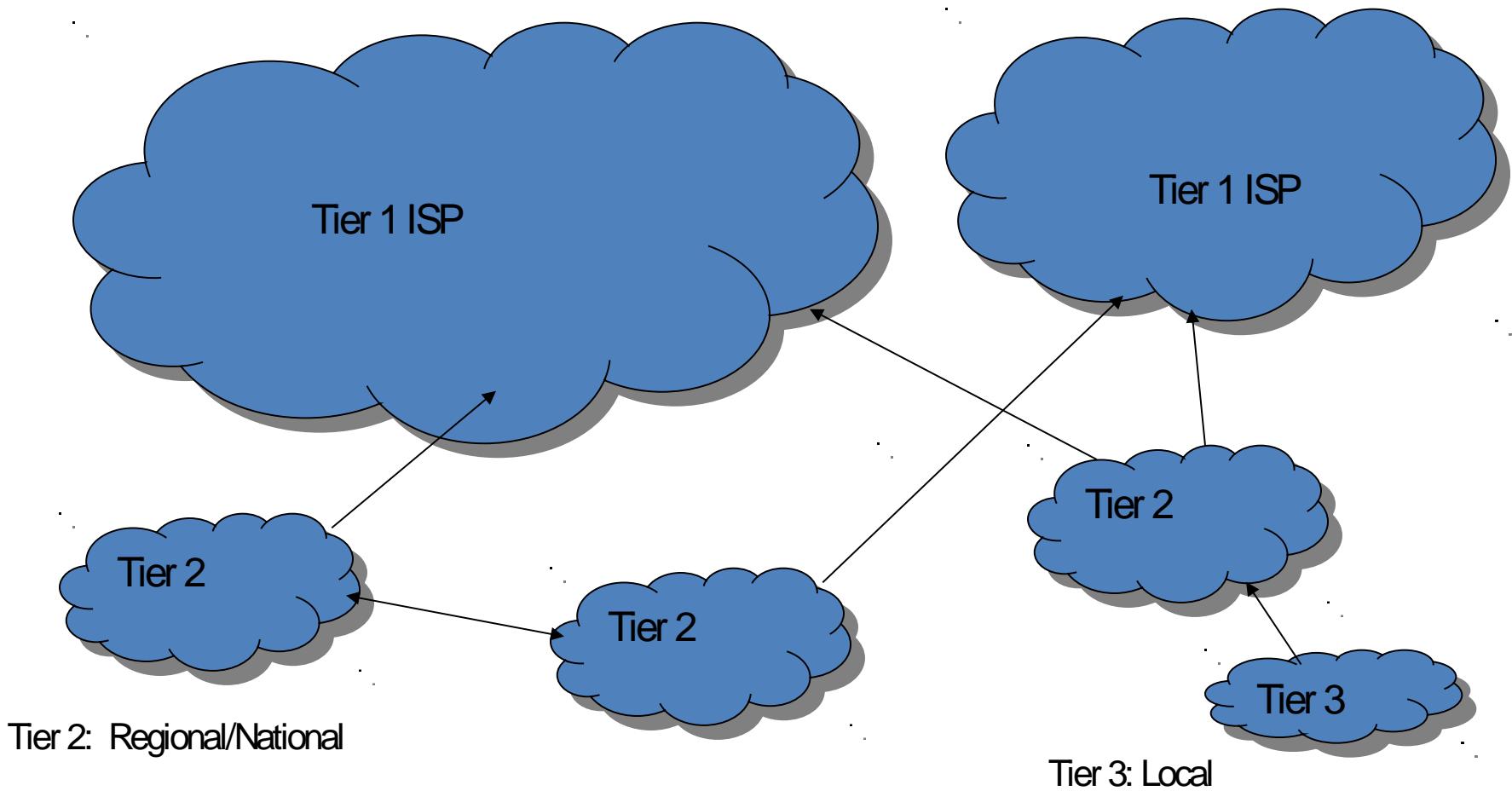
Computer Networks: Network Layer

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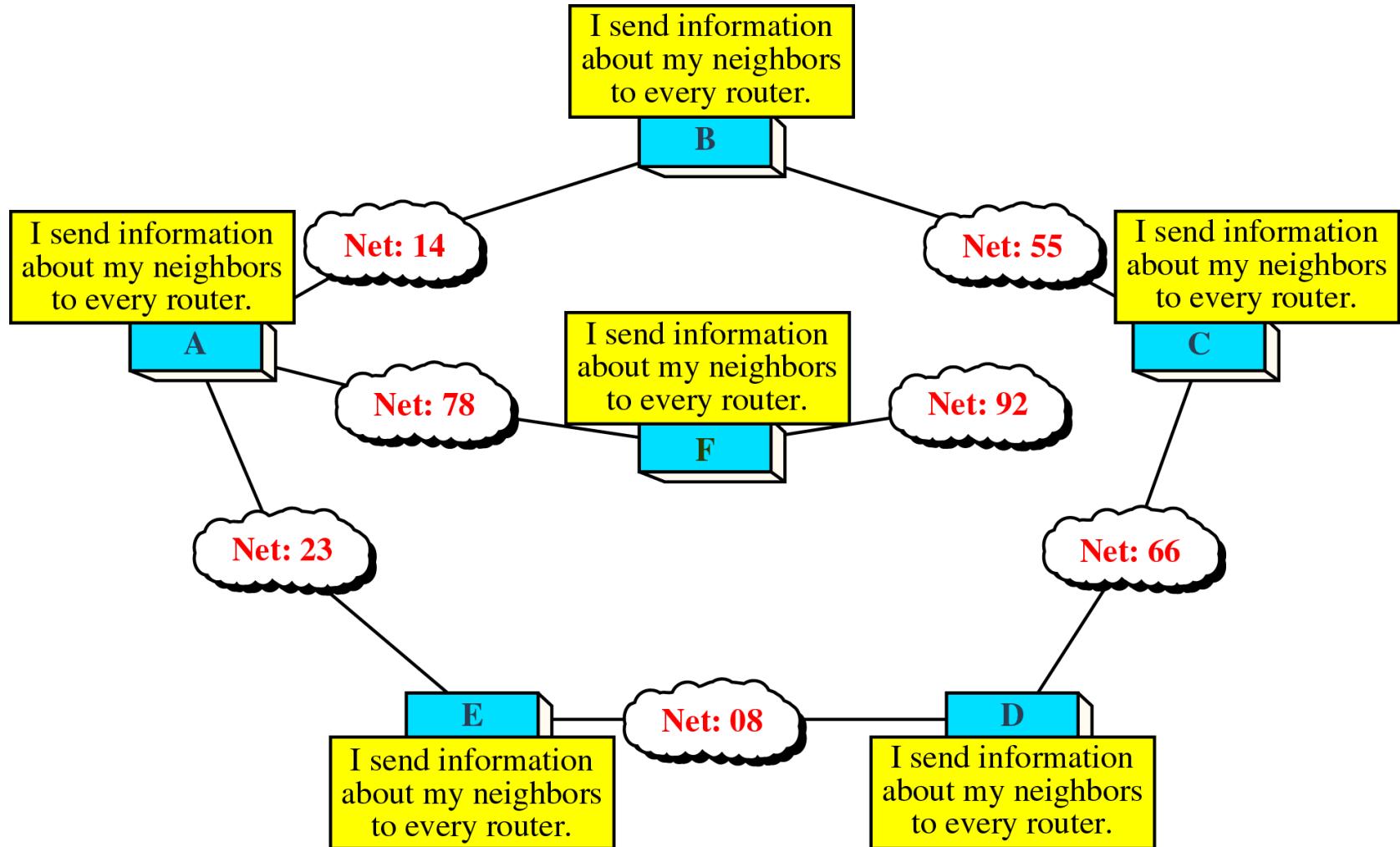
Acknowledgement: Slides and Images adapted from Kurose, and Forouzan (TMH)

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Internet Routing Architecture



Concept of Link State Routing



Dijkstra's Shortest-Path Algorithm



- Iterative algorithm
 - After k iterations, know least-cost path to k nodes
- S : nodes whose least-cost path definitively known
 - Initially, $S = \{u\}$ where u is the source node
 - Add one node to S in each iteration
- $D(v)$: current cost of path from source to node v
 - Initially, $D(v) = c(u,v)$ for all nodes v adjacent to u
 - ... and $D(v) = \infty$ for all other nodes v
 - Continually update $D(v)$ as shorter paths are learned

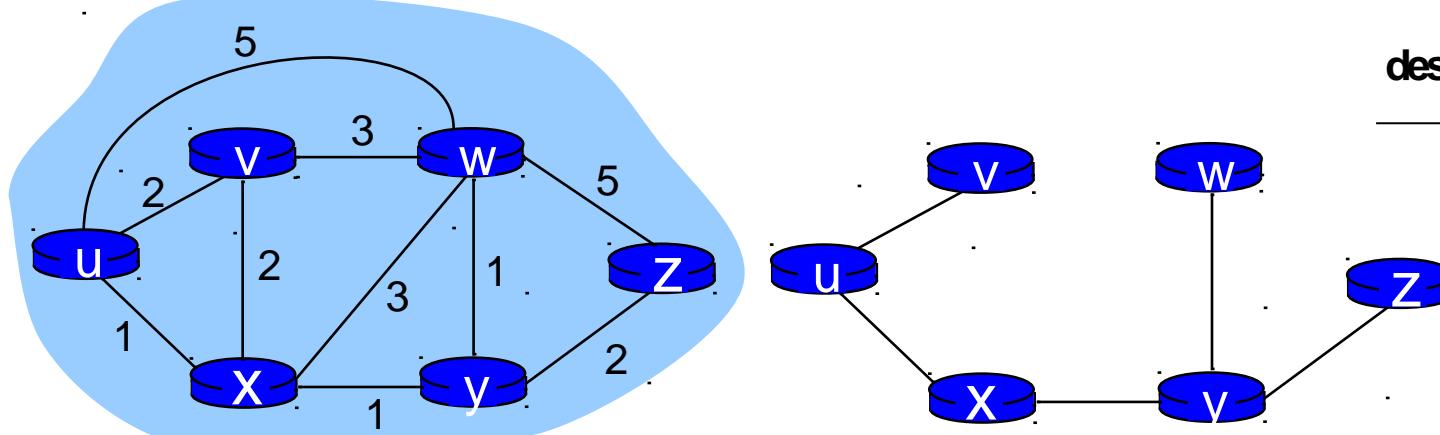
Dijkstra's Algorithm

```
1 Initialization:
2   S = {u}
3   for all nodes v
4     if v adjacent to u {
5       D(v) = c(u,v)
6     else D(v) = ∞
7
8   Loop
9   find w not in S with the smallest D(w)
10  add w to S
11  update D(v) for all v adjacent to w and not in S:
12     $D(v) = \min\{D(v), D(w) + c(w,v)\}$ 
13  until all nodes in S
```

Dijkstra's algorithm: example1

Step	N'	$D(v), p(v)$	$D(w), p(w)$	$D(x), p(x)$	$D(y), p(y)$	$D(z), p(z)$
0	u	2,u	5,u	1,u	∞	∞
1	ux	2,u	4,x		2,x	∞
2	uxy	2,u	3,y			4,y
3	uxyv		3,y			4,y
4	uxyvw					4,y
5	uxyvwz					

Resulting forwarding table in u:



destination	link
v	(u,v)
x	(u,x)
y	(u,x)
w	(u,x)
z	(u,x)

Link-State Routing

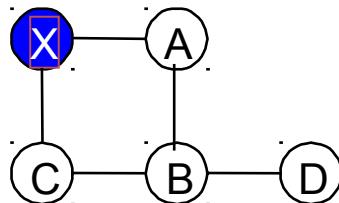
- Each router keeps track of its incident links
 - Whether the link is up or down
 - The cost on the link
 - Each router broadcasts the link state
 - To give every router a complete view of the graph
 - Each router runs Dijkstra's algorithm
 - To compute the shortest paths
 - ... and construct the forwarding table
 - Example protocols
 - Open Shortest Path First (OSPF)
-

Detecting Topology Changes

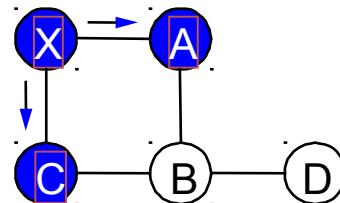
- Beaconing
 - Periodic “hello” messages in both directions
 - Detect a failure after a few missed “hellos”



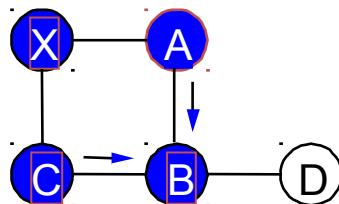
Broadcasting the Link State



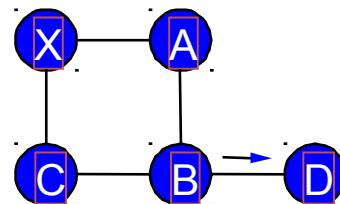
(a)



(b)



(c)



(d)

Broadcasting the Link State

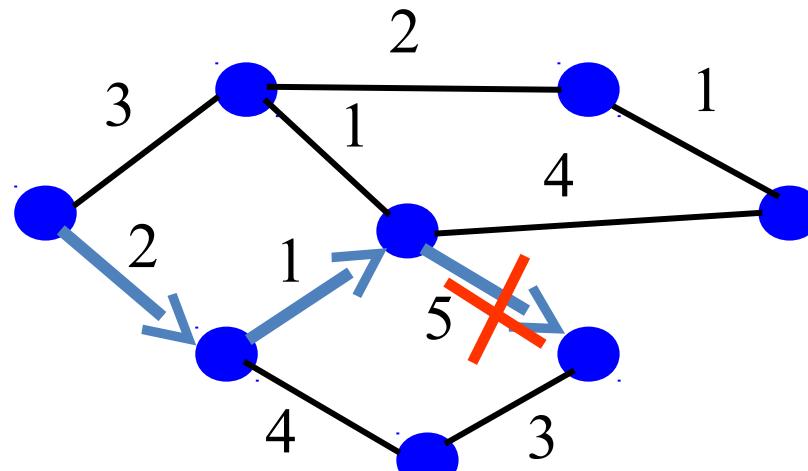
- Reliable flooding
 - Ensure all nodes receive link-state information
 - ... and that they use the latest version
 - Challenges
 - Packet loss
 - Out-of-order arrival
 - Solutions
 - Acknowledgments and retransmissions
 - Sequence numbers
 - Time-to-live for each packet
-

When to Initiate Flooding

- Topology change
 - Link or node failure
 - Link or node recovery
- Configuration change
 - Link cost change
- Periodically
 - Refresh the link-state information
 - Typically (say) 30 minutes

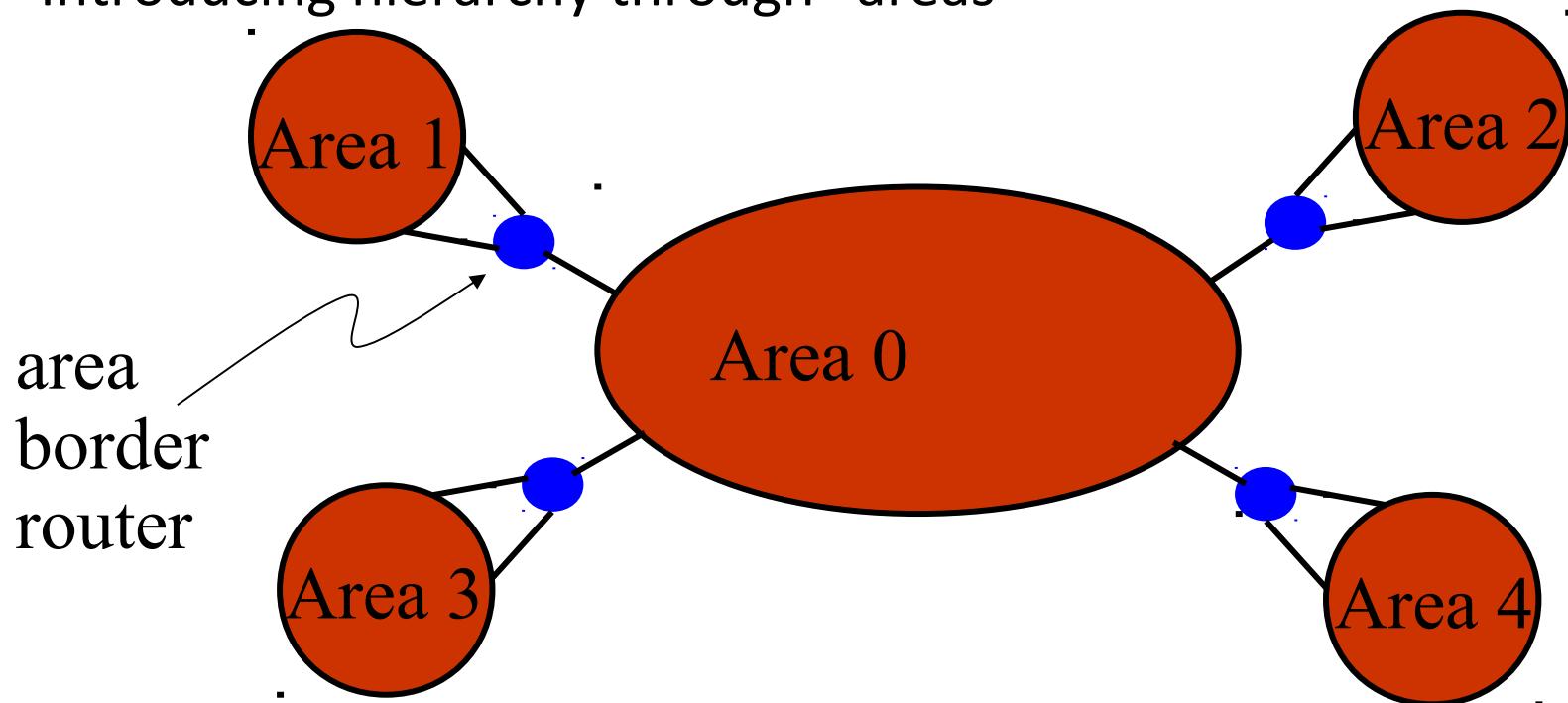
Transient Disruptions

- Detection delay
 - A node does not detect a failed link immediately
 - ... and forwards data packets into a “blackhole”
 - Depends on timeout for detecting lost hellos

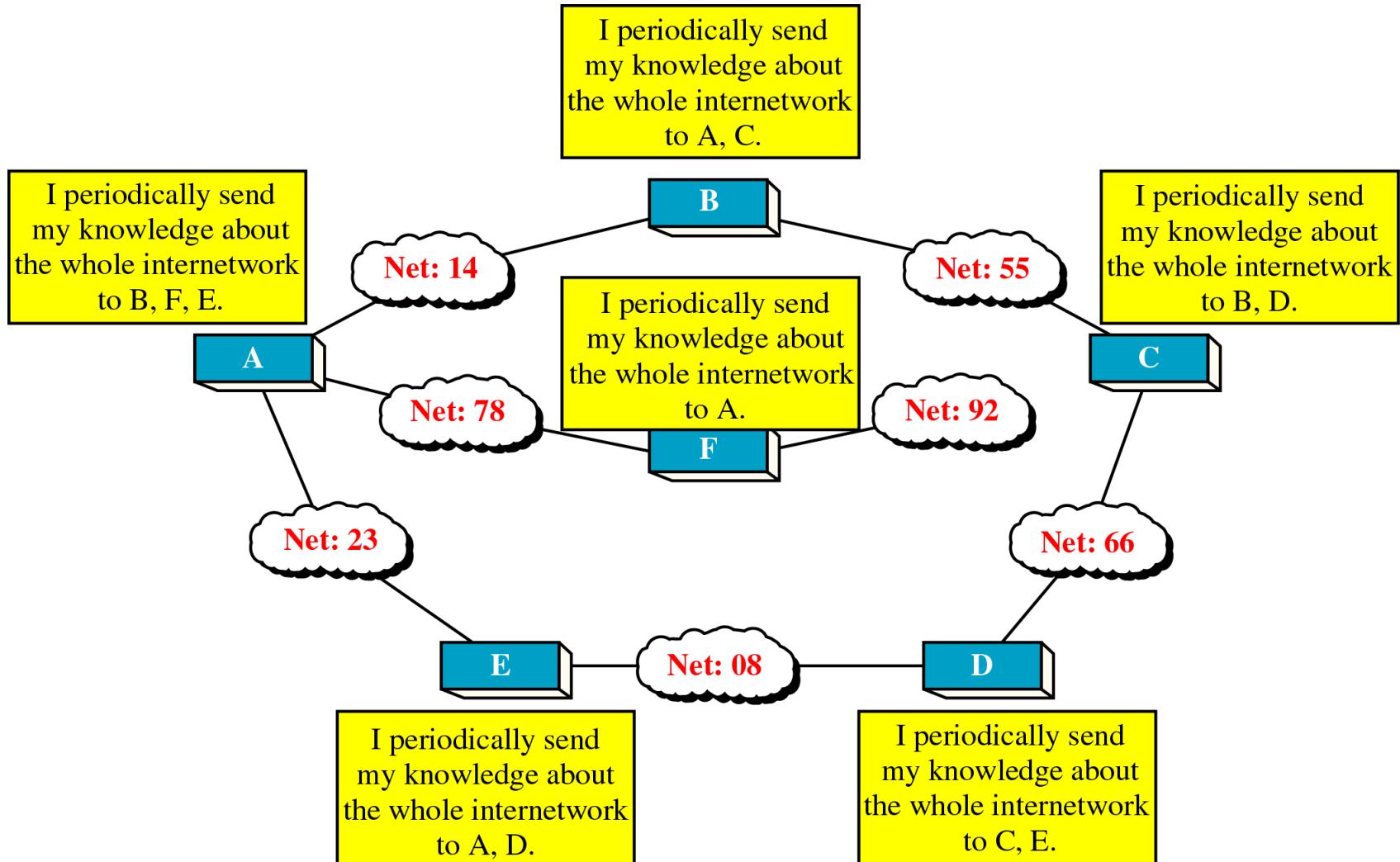


Scaling Link-State Routing

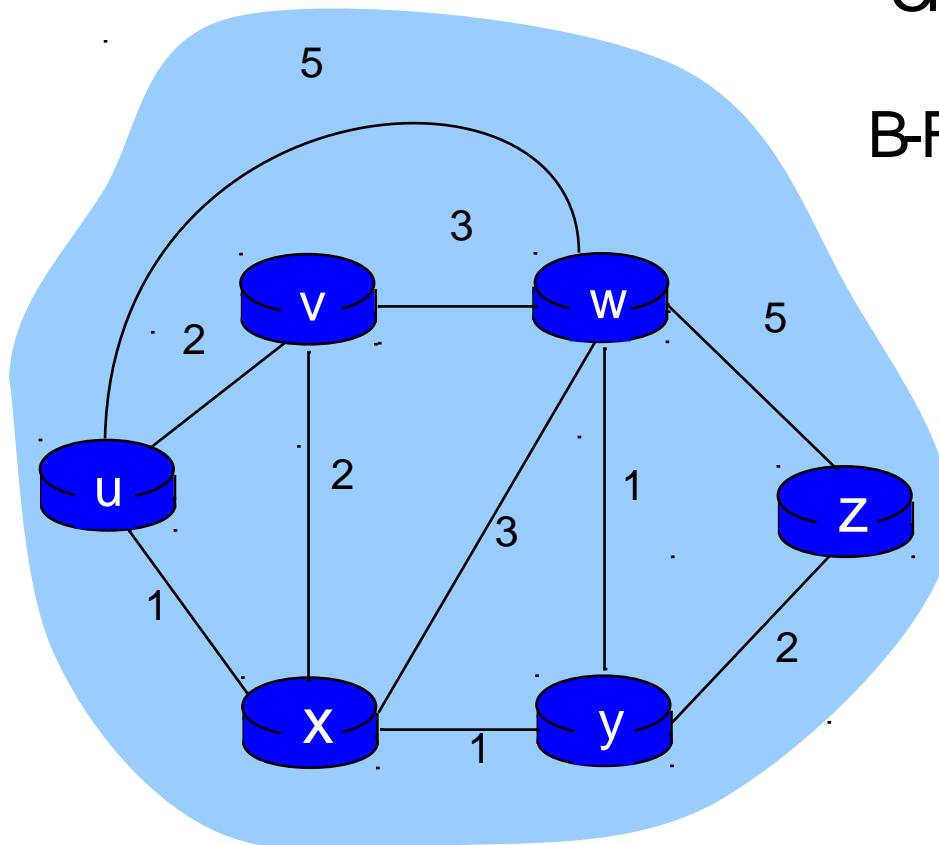
- Overhead of link-state routing
 - Flooding link-state packets throughout the network
 - Running Dijkstra's shortest-path algorithm
- Introducing hierarchy through “areas”



Concept of Distance Vector Routing



Bellman-Ford example



Clearly, $d_v(z) = 5$, $d_x(z) = 3$, $d_w(z) = 3$

B-F equation says:

$$\begin{aligned}
 d_u(z) &= \min \{ c(u,v) + d_v(z), \\
 &\quad c(u,x) + d_x(z), \\
 &\quad c(u,w) + d_w(z) \} \\
 &= \min \{ 2 + 5, \\
 &\quad 1 + 3, \\
 &\quad 5 + 3 \} = 4
 \end{aligned}$$

Distance Vector Algorithm

- Bellman-Ford algorithm
- Repeat
 - For every node x
 - For every neighbor z
 - For every destination y
 - $d(x,y) \leftarrow \text{Update}(x,y,z)$
 - Until converge

$$D_x(y) = \min\{c(x,y) + D_y(y), c(x,z) + D_z(y)\}$$

$$= \min\{2+0, 7+1\} = 2$$

$$D_x(z) = \min\{c(x,y) + D_y(z), c(x,z) + D_z(z)\}$$

$$= \min\{2+1, 7+0\} = 3$$

node x table

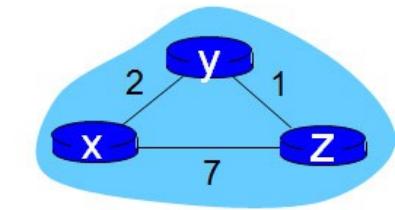
		cost to		
		x	y	z
from	x	0	2	7
	y	∞	∞	∞
	z	∞	∞	∞

node y table

		cost to		
		x	y	z
from	x	∞	∞	∞
	y	2	0	1
	z	∞	∞	∞

node z table

		cost to		
		x	y	z
from	x	∞	∞	∞
	y	∞	∞	∞
	z	7	1	0



Example

$$D_x(y) = \min\{c(x,y) + D_y(y), c(x,z) + D_z(y)\}$$

$$= \min\{2+0, 7+1\} = 2$$

$$D_x(z) = \min\{c(x,y) + D_y(z), c(x,z) + D_z(z)\}$$

$$= \min\{2+1, 7+0\} = 3$$

node x table

		cost to		
		x	y	z
from	x	0	2	7
	y	∞	∞	∞
from	z	∞	∞	∞

		cost to		
		x	y	z
from	x	0	2	3
	y	∞	0	1
from	z	7	1	0

		cost to		
		x	y	z
from	x	0	2	3
	y	2	0	1
from	z	3	1	0

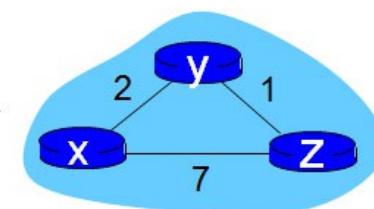
node y table

		cost to		
		x	y	z
from	x	∞	∞	∞
	y	2	0	1
from	z	∞	∞	∞

		cost to		
		x	y	z
from	x	0	2	7
	y	2	0	1
from	z	7	1	0

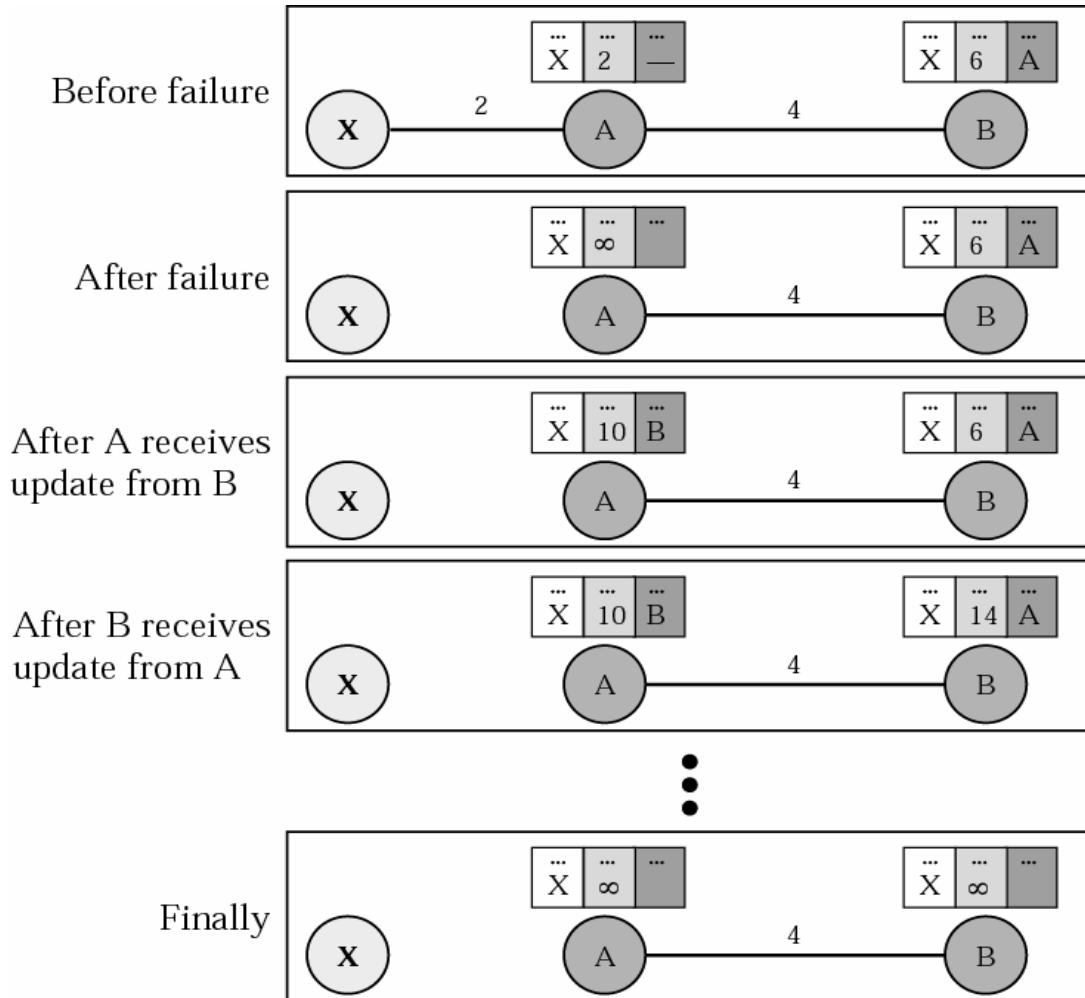
		cost to		
		x	y	z
from	x	0	2	3
	y	2	0	1
from	z	3	1	0

		cost to		
		x	y	z
from	x	0	2	3
	y	2	0	1
from	z	3	1	0



Example

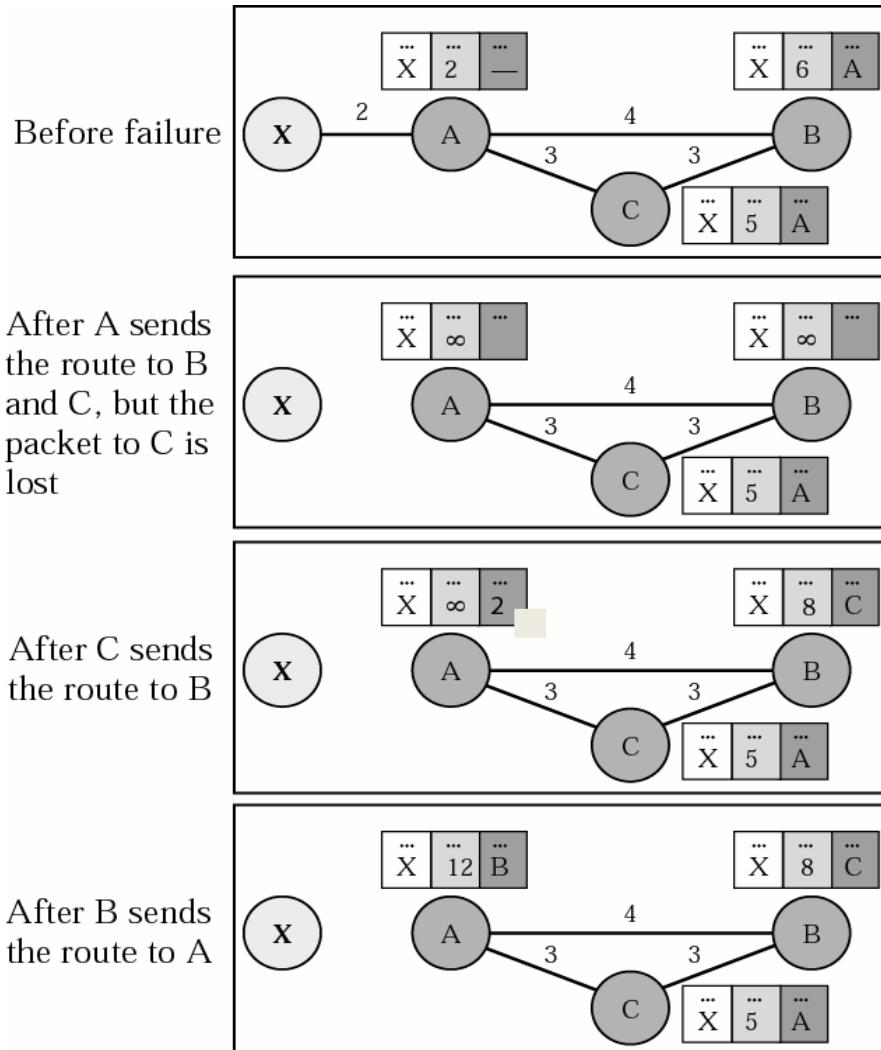
Count to infinity: Two-Node Loop Instability



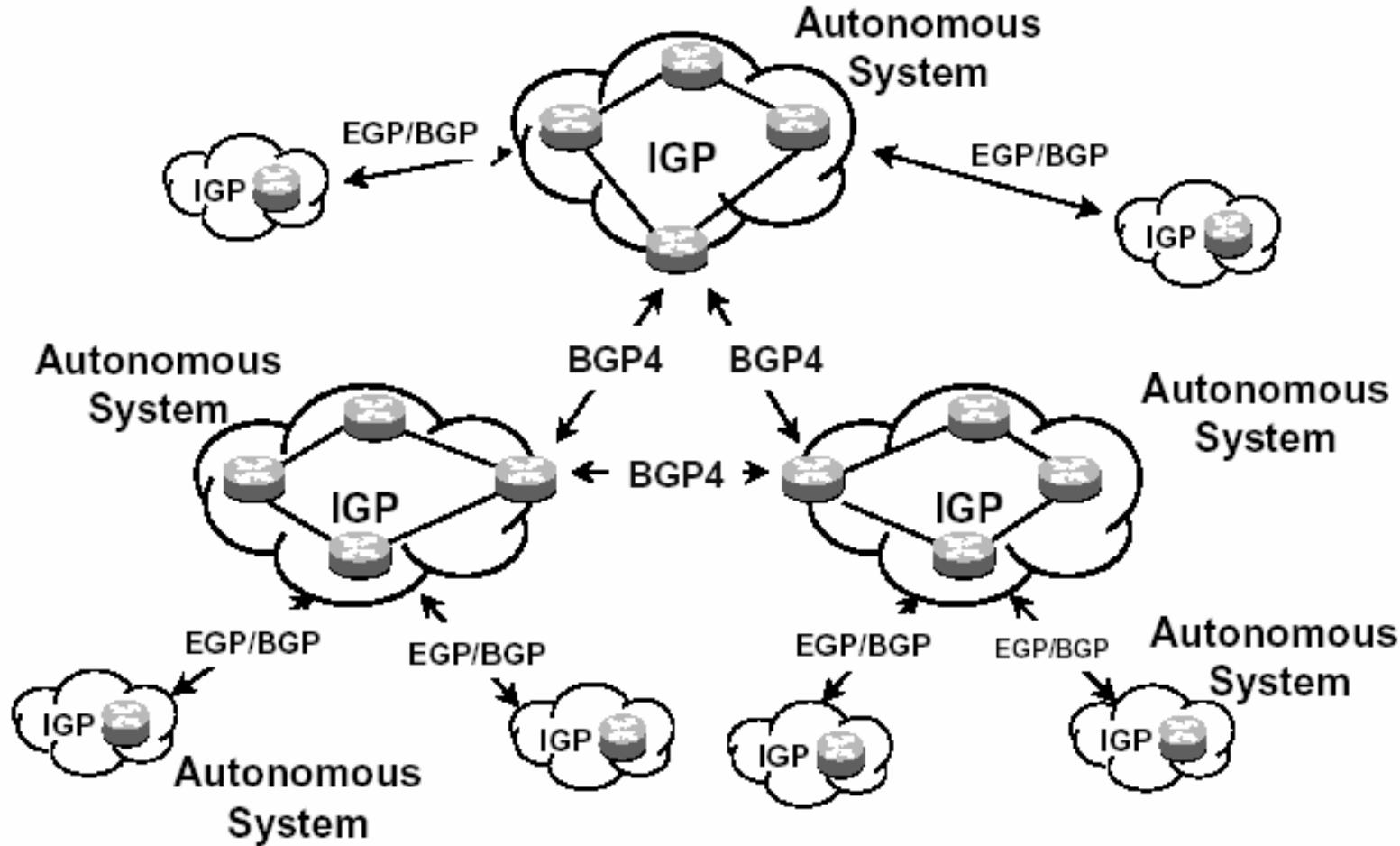
Solutions:

1. Defining infinity
2. Split horizon
3. Split horizon with Poison reverse

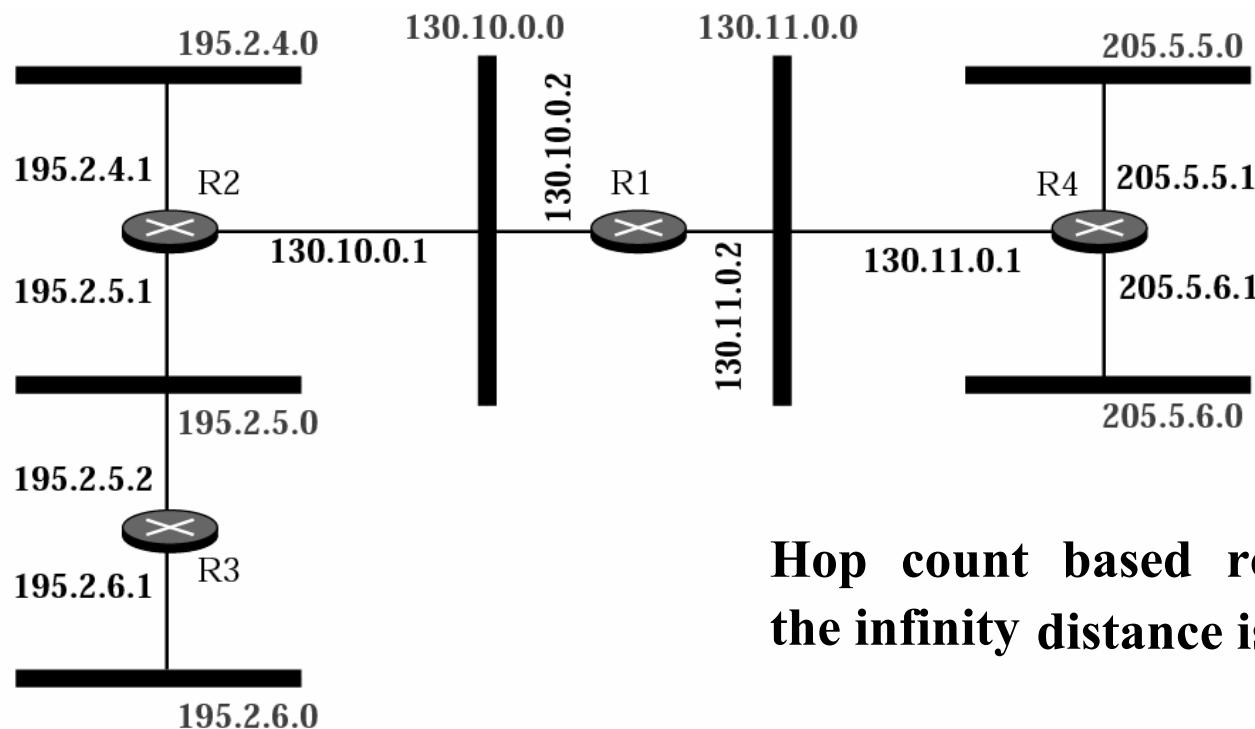
Three-node loop instability



Internet Routing Protocols



Routing Information Protocol (RIP)



**Hop count based routing,
the infinity distance is defined as 16**

Dest.	Hop	Next
130.10.0.0	1	_____
130.11.0.0	1	_____
195.2.4.0	2	130.10.0.1
195.2.5.0	2	130.10.0.1
195.2.6.0	3	130.10.0.1
205.5.5.0	2	130.11.0.1
205.5.6.0	2	130.11.0.1

R1 Table

Dest.	Hop	Next
130.10.0.0	1	_____
130.11.0.0	2	130.10.0.2
195.2.4.0	1	_____
195.2.5.0	1	_____
195.2.6.0	2	195.2.5.2
205.5.5.0	3	130.10.0.2
205.5.6.0	3	130.10.0.2

R2 Table

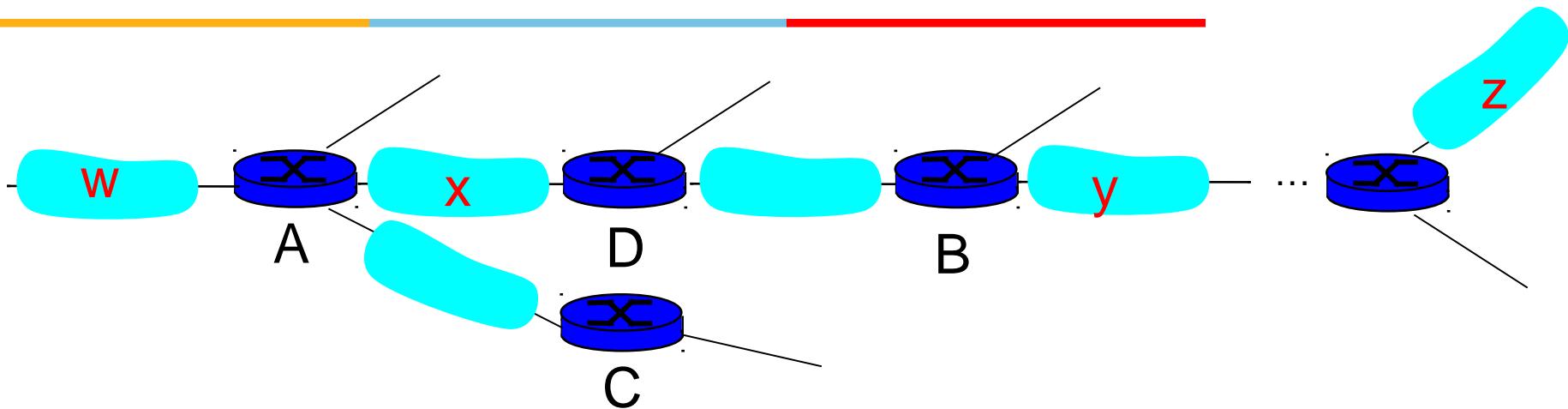
Dest.	Hop	Next
130.10.0.0	2	195.2.5.1
130.11.0.0	3	195.2.5.1
195.2.4.0	2	195.2.5.1
195.2.5.0	1	_____
195.2.6.0	1	_____
205.5.5.0	4	195.2.5.1
205.5.6.0	4	195.2.5.1

R3 Table

Dest.	Hop	Next
130.10.0.0	2	130.11.0.2
130.11.0.0	1	_____
195.2.4.0	3	130.11.0.2
195.2.5.0	3	130.11.0.2
195.2.6.0	4	130.11.0.2
205.5.5.0	1	_____
205.5.6.0	1	_____

R4 Table

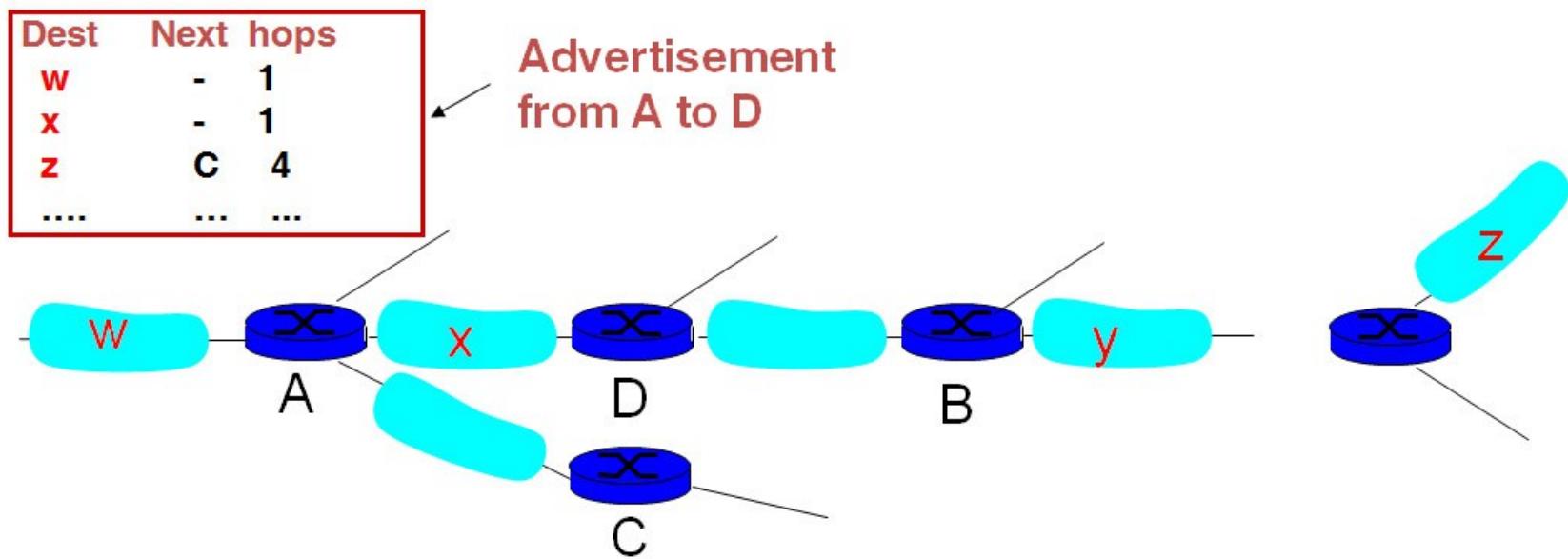
RIP: Example



Destination Network	Next Router	Num. of hops to dest.
W	A	2
y	B	2
z	B	7
x	-	1
...

Routing/Forwarding table in D

RIP: Example Continued...



Destination Network	Next Router	Num. of hops to dest.
---------------------	-------------	-----------------------

w	A	2
y	B	2
z	B A	7 5
x	--	1
...

Routing/Forwarding table in D