

Explanation done in meeting 1-

How to take infinite input

If we don't know how many integers are given for input

```
int x;
while(cin>>x)
{

}
```

If it is given that -1 is present at the last of input

```
while(true)
{
    int x;
    cin>>x;

    if(x==-1)
        break;

}
```

Fast I/O

```
ios_base::sync_with_stdio(0);
cin.tie(0);
cout.tie(0);
```

Prime number

Segmented sieve

Given l, r as ranges and we have to find the prime number that lie between l and r

max value of r = 10^{12}

$r-l \leq 10^6$

```
n= r-l+1;
a[n];
l, l+1, l+2, .. , r
0, 1, 2, ..., n-1
```

```
for(int i=0;i<n;i++)
{
    x = i+l;
    for(int j=0;j<v.size();j++)
    {
        if(x%v[j] ==0)
        {
```

```

        f=0;
        break;
    }
}

```

Bitwise operators

Consider 2 integers a and b

a = 9 1001

B = 14 1110

or (|) A|b = 1111 15

And (&) a&b = 1000 8

Not (~) A = 0110 6

Xor (^) a^b = 0111 7

<< (*2) a<<1 10010

>> (/2) a>>1 0100

Some properties of these operators

1 | n = 1

0 | n = n

n | n = n

0 & n = 0

1 & n = n

n & n = n

1 ^ n = ~n

0 ^ n = ~n

n ^ n = 0

How to find whether a number is power of 2 or not

```
while(n%2 ==0)
```

```
{
```

```
    N = n/2;
```

```
}
```

```
if(n==1)
```

```
    Return true;
```

```
Else
```

```
    Return false;
```

If we have to find this in O(1) constant time

N-1 0111111

N 1000000

$N \& (N-1)$ 0000000

$N \wedge (N-1)$ 1111111

problem is that we also have to find this number

$n \& (n-1) == 0$

$n \wedge (n-1) == ()$

To count number of set bits

`cout<<__builtin_popcount(n);`

Read more builtin function from gfg

Parity - count number of set bits in a number and find it's parity accordingly

Even = 0

Odd = 1

Some STL functions used in number theory

`min(a,b)`

`min(a,min(b,c))`

`max(a,b)`

`__gcd(a,b)`

`LCM = a*b/__gcd(a,b)`