

## Explanation done in meeting -

### Arrays -

```
Int a[n];           // array declaration of size n
vector<int> v;       // vector declaration of size 0
vector<int> v(n);    // vector declaration of size n
vector<int> v(n,0);  // vector declaration of size n and initialize all elements
                    // with 0
```

---

### Repeating and missing number in array in range 1-n

5 1 4 2 3 4

```
// try to map element to index
i=0
while(i<n){
    if (a[i]==i+1 && a[i]!=a[a[i]-1])
        swap(a[i],a[a[i]-1]);
    Else
        i++;
}
```

3 1 4 2 5 4

4 1 3 2 5 4

2 1 3 4 5 4

1 2 3 4 5 4

Repeating - 4

Missing - 6

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### Ternary search -

#### Binary search -

0 - n l,r

$M = (l+r)/2$

$R = m-1$

$L = m+1$

$O(\log 2 n)$

#### Ternary search -

0 - n l,r

$M1 = l + (r-l)/3$

$M2 = r - (r-l)/3$

$L - m1, m1+1 - m2, m2+1 - r$

Time complexity -  $O(\log 3 n)$

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### Maximum size array

10<sup>8</sup> - boolean - bitset  
10<sup>7</sup> - global  
10<sup>6</sup> - function(main also)

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### Count sort -

0 n    0 - 6  
1 3 4 5 6 2 3 4 5 3 2 4 5

A[7] = {0, 1, 2, 3, 3, 3, 1};

---

### Merge overlapping intervals

Que - [1,3], [1,4], [2,3],[4,5]  
Ans - [1,4],[4,5]

```
vector<pair<int,int>> v;  
for(int i=0;i<n;i++)  
{  
    //Take input  
}
```

```
sort(v.begin(),v.end());  
// complete rest code
```

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### Largest consecutive subsequence

2 3 6 1 4 5 8 9 10

1 2 3 4 5 6 8 9 10

Try to find the sol in best complexity -

Best - O(n)

Min

Max

Repeating

Max-min+1 = length

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### Explanation (meeting -3 )

#### Kadane's algorithm

Array[n] = 3 0 -2 3 -4 2 1 -2 4

Find the maximum subarray sum

Brute force - try all subarrays(n\*n) - calculate their sum and take max

O(n\*n\*n)

Prefix sum = 0 -2 1 -3 3 4 2 6

Sum[l,r] = p[r]- p[l-1]

O(n\*n)

Code :

```
Int csum=0,msum=0;
for(int i=0;i<n;i++)
{
    Csum += a[i];
    if(csum<0)
        Csum = 0;
    msum= max(msum,csum);
}

// if all negative or 0
if(msum==0)
{
    Int d=a[0];
    for(int i=0;i<n;i++)
    {
        d = max(d,a[i]);
    }
    msum=d;
}
cout<<msum;
```

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### **Stock buy sell problem**

One time buy and one time sell

Array = 2 4 6 3 5 3 5 1

Find max profit

profit= sell - buy

Suppose you buy on ith day and sell on jth day then  $i < j$

2 4 6 3 5 3 5 1

Min till now (i-1)

And if we sell on ith day then take max of profit

Do its 6 variations from pepcoding videos after you study DP

(solution includes DP, that's why)

Do only this one now - <https://www.youtube.com/watch?v=4YjEHmw1MX0>

Links for rest variations

<https://www.youtube.com/watch?v=3YILP-PdEJA>

<https://www.youtube.com/watch?v=HWJ9kIPpzXs>  
<https://www.youtube.com/watch?v=wuzTpONbd-0>  
<https://www.youtube.com/watch?v=pTQB9wblpfU>  
<https://www.youtube.com/watch?v=GY0O57llkKQ>

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Array - 0 2 4 6 3 5 1

Diff arr - 0

Diff -  $A[i] - a[i-1]$

Prefix sum =  $p[i] = p[i-1] + a[i]$

Sum in range  $[l, r] = p[r] - p[l-1]$

Update  $[l, r]$  by  $k$

L r k

2 4 5

1 6 -2

Q queries and n length

$q * n$  not valid

Array -a 0 2 4 6 3 5 1

query

L r k

2 5 3

Final array after updation - 0 2 7 9 6 8 1

Diff arr -d 0 2 5 2 -3 2 -7

B = final elements after updation

while( $q--$ )

{

    Int l,r,k;

$\text{cin} >> l >> r >> k;$

$d[l] += k;$

    if( $r+1 < n$ )

$D[r+1] -= k;$

}

Int s=0;

for(int i=0;i<n;i++)

{

$b[i] += s + d[i];$

$S += d[i];$

}

(code written in meeting was correct)

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**Matrix** - 90 deg rotation clockwise

1 2 3            7 4 1

4 5 6            8 5 2

7 8 9            9 6 3

transpose

1 4 7

2 5 8

3 6 9

Print the matrix in spiral form

1 2 3 6 9 8 7 4 5

---

**Staircase search**

Matrix  $n \times n$  rows and columns sorted and we have to find an element  $k$

Linear traverse  $O(n \times n)$

Binary search on every row/column -  $O(n \times \log n)$

1 2 6

3 4 8

5 7 9

$K = 8$

---

**Set matrix zero**

Set every row and column zero if that element is zero

1 0 3 5 0

2 4 0 6 4

1 5 1 2 5

Actual ans

0 0 0 0 0

0 0 0 0 0

1 0 0 2 0

Brute force -  $O(n \times m \times (n+m))$  time,  $O(n \times m)$  space

Time optimized -  $O(n \times m)$ ,  $O(n+m)$

Space optimized -  $O(n \times m)$ ,  $O(1)$

(Try to solve in above both complexities)

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**Median of row wise sorted matrix**

Time =  $O(n*m*(\_))$

Space  $O(1)$

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### **Kth smallest element**

Let  $k=3 \Rightarrow \text{ans} = 3$

1 2 6

3 4 8

5 7 9

---

### **Sliding window**

0 1 2 3 4 5 6 7 8 9 10

Size  $j-i+1$

$i=1, j=4 \Rightarrow i=2, j=5$

K - size

N total

$N-k+1$  = total subarrays of size k

i j

0 k s

1  $k+1$   $s + a[j] - a[i-1]$

2  $k+2$

3  $k+3$

...

$n-k$  n

---

Array -only 0 and 1

Find Max subarray size all 1

0 0 1 0 1 1 1 0 1 1      ans=3

---

### **k th root of number n**

$k=3$   $n=7$

$(\text{Ans})^k = n$

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### **Square root of n**

STL functions -  $\text{sqrt}(n)$ ,  $\text{cbrt}(n)$

0 - n

$k*k \leq n$

K should be max

5

2

We use Binary search

0 1 2 3 4 5 6 7 8

**Code -**

```
while(L<=r)
{
    M = (l+r)/2

    if(pow(m,k) <=n)
        ans=m, l = m+1;
    Else
        R = m-1;
}
```

---

Unique number 1 = All elements appear twice except 1 element and find that element

Unique number 2 = All elements appear twice except 2 element and find those element

Unique number 3 = All elements appear thrice except 1 element and find that element

Try these questions

Required space  $O(1)$  and time  $O(n)$  (can be  $O(n * (\log (\text{base } 10)n)))$ )

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