Mobile Systems

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April 2, 2015

Introduction

Now that the mobile telephone has evolved into a powerful computer, the mobile dimension of computing is a vital part of Computer Science. This unit will give insights into many issues of mobile systems, including wireless communication networks, the processing of speech, music and other real-time signals, the control of bit-errors and maximising battery life. The techniques and software which underlie commonplace applications of mobile computing systems, including smart-phones, tablets, laptop computers, MP3 players and GPS satellite navigation, will be addressed.

Aims

Computing is becoming increasingly mobile. This unit will give insights into the issues of mobile systems, covering mobile communications, real-time signals such as speech, video and music, codecs, and maximising battery life.

- Commonplace examples of mobile computing systems: mobile phones; MP3 players; laptop computers; PDAs; GPS satellite navigation.
- Real-time signals
- Analogue and digital signals; time and frequency domain representations; sampling, aliasing, quantization; companding; real-time computation.
- Coding, decoding and compression
- GSM speech coding; MP3 music, JPEG image and MPEG video coding & decoding; error correcting codes; communications coding schemes.
- Mobile communication
- Transmitting real-time information over wireless networks; principles of cellular and ad-hoc networks; Coding of multimedia signals to increase the capacity of radio channels; to minimise the effect of transmission errors.
- Maximising battery life
- May be addressed at many levels including: chip design; signal coding and processing; medium access control; transmit power control.

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1 Course intro

A smartphone is a mobile phone running a mobile operating system, with advanced capabilities with regard to computing power and connectivity. They are much more advanced than traditional feature phones, and have lots of features, including cameras, multimedia functionality, GPS, touch screens etc.

There are three main mobile operating systems in use today:

Android

Founded in 2003 by Andy Rubin and backed by Google. It's mostly free and open source, and holds a very strong position in the market.

iOS

Introduced in 2007 by Apple, this is a closed source operating system. The first iOS phones were very groundbreaking in terms of their technology, and were the first to feature touch screens, which are now ubiquitous in the market.

Blackberry, Symbian, Palm OS etc could be listed here too.

Windows Phone

Version seven was released in 2010, previous versions were terrible (imho).

1.1 What's in a smartphone?

Modern smartphones are jam packed with technology, containing cameras, multimedia, GPS, high resolution touch screens, motion sensors, bluetooth, RFID, NFC and even more stuff besides. They let you talk over multiple different networks (2G, 3G, 4G etc), and access data using the same methods.

Of course, the millions of apps available for them is also a massive attraction.

Smartphones Operating Systems need to be very advanced in order to step up to the tasks required of them by users. They need to be multitasking, to run lots of different apps, and interface with the typical hardware a normal computer might use (DMA, standard (ish) input devices etc). However, they also need to have real-time elements in, since they must be able to drive sound, IO, radio communications, digital signal processing etc

2 Signals in mobile systems

Signals such as speech and music arrive at the device as physical, analogue quantities that vary in a continuous manner over time. If we plot a graph of voltage over time, then we get a waveform for that signal. We can convert analogue signals to *discrete time signals* by sampling them at set intervals (discrete points in time). This produces a list of numbers from — inf to inf.

2.1 Generating waves

In order to create a wave with a period of T seconds, you can use the formula:

$$y=\sin(\frac{2\pi x}{T})$$

Of course, since $f = \frac{1}{T}$, the frequency of the wave is the reciprocal of the time period.

2.2 Sampling waves

We can work out the frequency of a wave, by finding how many complete cycles it undergoes in one thousand samples, and multiplying that by the sample rate. For example, if a wave has ten

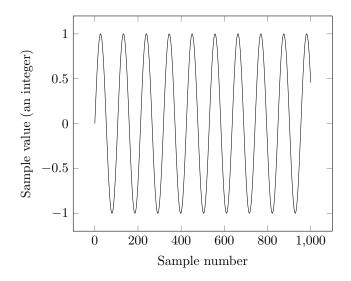


Figure 1: 1000 samples of an analogue sin wave of frequency 300Hz sampled at 30,000Hz.

cycles from 1000 samples at 30,000Hz, then its frequency will by $\frac{10}{1000} \times 30,000 = 300Hz$. This is visible in Figure 2.2.

Not all waves are so easy to analyse, rarely will a wave be at just one frequency, instead, they are usually 'noisy' and will be composed of many waves added together. Many waves (that aren't just noise) will have a discernible frequency that you can extract. The 'extra' waves on top of this frequency aren't necessarily bad, they might add harmonics, or texture to a sound.

2.2.1 Quantisation

When we've sampled a wave, if we leave all of our readings as floating point numbers, then we could be using a lot of space to store each sample. We could slightly reduce the quality of our sound by *quantising* it. This is when you map the continuous values onto a range of integers, where the range of integers spans a power of two (so you can use as few bits as possible).

You can see that the third wave in Figure 2 has been quantised into five integers, since there are five discrete values in the waveform (0, 1, 2, 3, 4) (requiring four bits), and there will be an extra bit to indicate the sign. If whoever made the diagram was trying to be as efficient as possible, they might have had either one less value (so that the numbers could be represented in three bits), or made full use of the four bits for the value, and used values from 0-7.

Quantisation produces noise (known as quantisation noise), since errors are introduced in the process. If there are many bits per sample (e.g. 16), then this error will be small, but if you only used say, five bits, then the error would be noticeable. As a consequence of this, we have to work a trade-off between storage capacity or bandwidth and quality.

2.2.2 The Sampling Theorem

Also known as Nyquist

The Sampling Theorem states that if a signal has all of its spectral energy below BHz, and is sampled at FHz, where $F \geq 2B$, then it can be reconstructed exactly from the samples and nothing is lost.

In other words, if you are sampling a signal at *less than half* of the maximum frequency of the signal, then you won't be able to fully reconstruct the signal from the samples, and you will get distortion.

Since music is usually sampled at 44.1kHz, we can accurately sample music with frequencies up to around 22kHz. Speech rarely has frequencies above 3.4kHz, so the sample rate for it can be much lower, as we will see later on in the course.

2.2.3 Aliasing

If we sample at less than twice the frequency of the wave, then we will get distortion, known as aliasing. The first lab on this course relates to aliasing. Even if we don't want frequencies higher than half our sample rate, we need to filter them out anyway, since otherwise, we will get aliasing when we sample them.

To be precise, if a wave of frequency f is sampled at a frequency of below 2f (lets call this F, then the sampled output will be a wave of frequency F - f.

For example, if we sample a 6kHz wave at a frequency of 10kHz, when we will get a wave of frequency 10 - 6 = 4kHz.

This is bad, because if you have harmonics in a musical note that are higher than half the sampling frequency, then these harmonics will be out of tune post sampling, and will go down when it's supposed to go up.

It may be hard to work out exactly why aliasing occurs, but Figure 3, showing a 6kHz wave sampled at 8kHz makes it easier to see:

3 Storing signals

Signals are stored in many different ways. One 'easy' format, is the .wav format. It is just a list of binary numbers, each representing a single value of the wave at a discrete time.

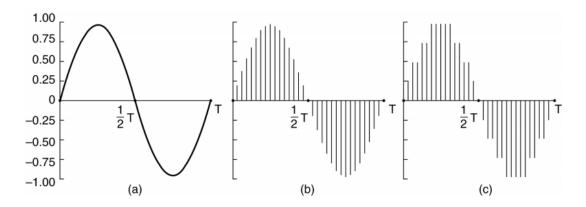


Figure 2: An analogue wave (a), after its sampled (b), and once it's been quantised (c)

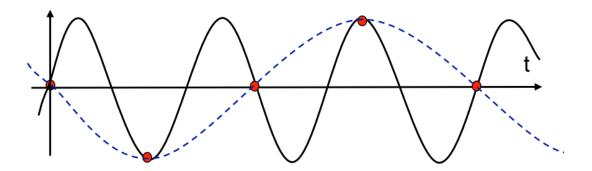


Figure 3: A $6 \mathrm{kHz}$ wave sampled at $8 \mathrm{kHz}$ has a post-sampling frequency of $2 \mathrm{kHz}$