Valid Sudoku

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≡ Question Type	Array			
⊙ Difficulty	Medium			
<pre></pre>	<pre>https://leetcode.com/problems/valid- sudoku/description/</pre>			

1. Question Self-understanding:

1.1 Description:

Based on my understanding, I need to ensure that each row, column, and 3x3 sub-grid of the Sudoku board contains numbers from 1 to 9 with no duplicates.

1.2 Input:

The input type will be a list of lists of strings, where the outer list represents the entire 9x9 Sudoku board, and each inner list represents a single row.

1.3 Input Assumption

Each cell will contain either a number from 1 to 9 as a string or a '.' character representing an empty cell.

• This means we don't need to validate if the given string contains numbers outside the range 1-9, simplifying the identification of empty cells.

1.4 Output:

The output should be a boolean.

1.5 Example:

5 6	3			7				
6			1	9	5			
	9	8					6	
8				6				3
4			8		3			1
7				2				6
	6					2	8	
			4	1	9			5
				8			7	9

```
Input: board =

[["5","3",".","","7",".","","]
,["6",".","1","9","5",".",""]
,["8",".",".","6",".","",",","]
,["4",".",".","8",".","",",","]
,["7",".",".","2",",",",","]
,[".","6",".",",",",",",","]
,[".",",",",",",",",",",","]
,[".",",",",",",",",",",",","]
,[".",",",",",",",",",",",",","]

Output: true
```

1.6 Other Q&A:

• None for this question.

2. Attempt 1:

2.1 Thought:

• We must primarily ensure there are no duplicates in rows, columns, and sub-grids. Using sets is the most efficient way to check duplicates. We'll need three sets: one for rows, one for columns, and one for sub-grids. Checking rows and columns is straightforward, but sub-grids require nested loops. Each 3x3 sub-grid can be identified by row and column indices multiplied by 3. For instance, the central cell of the sub-grid at index (0,1) can be identified by row 0*3+1 and column 1*3+1.

2.2 Pseudo-Code: (Ignore this part. Only for myself to code)

```
class Solution:
  def isValidSudoku(self, board: List[List[str]]) → bool:
    # Let's initial three sets.
    row_set = set();
    col_set = set();
    sub_Suduko_set = set();
      # check row part
      for-loop through the row:
        for-loop through the column:
           check if the current value in the column in the row_set
               if yes:
                 return false
            reset the row_set
         for-loop through the column:
        for-loop through the row:
           check if the current value in the column in the col set
```

```
if yes:
        return false
  reset the col_set
row_index = 0
col_index = 0
while-loop the row_index until row_index equal 3.
  while-loop the col_index until col_index equal 3
       check the ceel whether inside the sub-suduko set:
         if yes:
            return false
     add 1 to the column index
  add 1 to the row_index
  reset_sub_suduko_set
return true
```

2.3 Implementation through python:

```
from typing import List

class Solution:
    def isValidSudoku(self, board: List[List[str]]) → bool:
        # Check each row for duplicate numbers.
        for i in range(9):
            seen = set()
            for j in range(9):
```

```
if board[i][j] != '.':
       if board[i][i] in seen:
          return False
       seen.add(board[i][j])
# Check each column for duplicate numbers.
for j in range(9):
  seen = set()
  for i in range(9):
     if board[i][i] != '.':
       if board[i][j] in seen:
          return False
       seen.add(board[i][j])
# Check each 3×3 sub-box for duplicate numbers.
for box_row in range(3):
  for box_col in range(3):
     seen = set()
     for i in range(box_row * 3, box_row * 3 + 3):
       for j in range(box_col * 3, box_col * 3 + 3):
          if board[i][j] != '.':
            if board[i][i] in seen:
               return False
            seen.add(board[i][j])
return True
```

2.4 Time Complexity and Space Complexity

2.4.1 Time Complexity:

• Each cell is checked exactly three times (row, column, subgrid), giving a time complexity of O(3n), simplified to O(n).

2.4.2 Space Complexity:

• Each cell is temporarily stored three times (row, column, sub-grid), resulting in a space complexity of O(3n) , simplified to O(n).