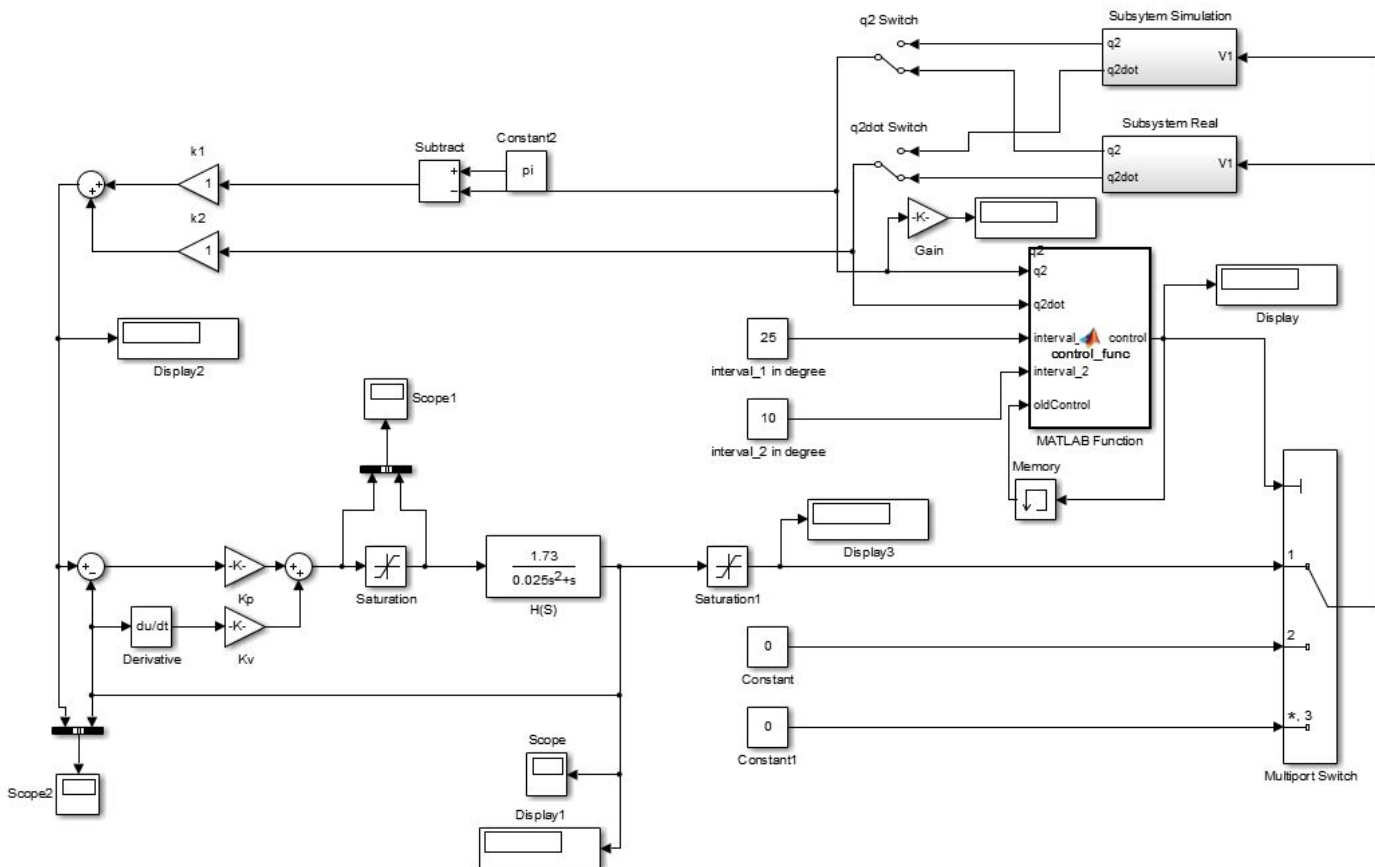


1. Items done this session:

This time, we continue on calculating the system overall transfer function to derive K_p and K_v through comparing with the desired second-order transfer function formed by Θ and ω_n of the last lab. Our K_p and K_v are 12.1 and -9.11×10^{-4} . The design our final design this time show in the following picture.



For this time, we add PD controller before simplified Robotic model $H(s)$ as to calculate $q1$ actual replacing the previous sin-wave. And we put the $q2$ and $q2dot$ into $q1D = k1 \cdot q2 + k2 \cdot q2dot$. For our implementation, the subsystems output $q2$ range in $[0, 2\pi]$, so we have to add a π shift after $q2$. Furthermore, we add saturation of ± 10 before $H(s)$ and $\pm \pi$ after $q1$ actual.

After implemented this model, we'd tried various combinations of $k1$ and $k2$. The results are swinging at not close to the top, yet cannot move over the top.

2. Items for next session:

For next time, we're going to continue to figure out the $k1$, $k2$ parameters and double check other parts of the implementation.

3. Problems / Concerns:

We're not sure about the saturation of $q1$ actual is used correctly or not and other parts of the model that might affect our result.