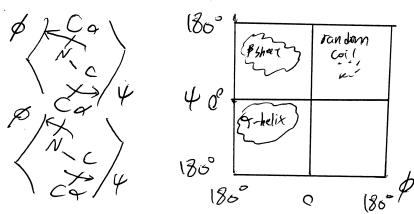
生化導 2015 期中考

CH. Yeh 2021/11/08

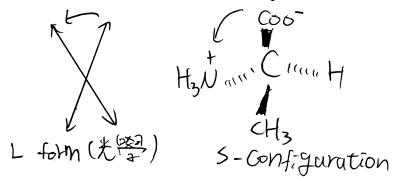
I.

1. Ramachandran Plet (Ø, 4 map)



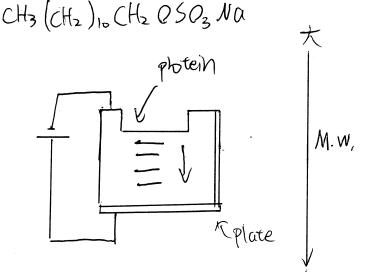
Photein中有户和4的 两面角,作圆可以知道 蛋白質的二級結構

2. I form and 5 configuration of an amino acid



可以用此判避為何種 異構物,因為不同異構物的 Chemical Properties 不同,可能會持有智物質疑認為無害。

3, SDS-PAGE SDS: Sodium dodecyl sulfate



為一種分离使 Photein 的方式。 膠 Sample 这人凹槽中遍从穩 定電流,則 Photein 鲁田从从不同 而有不同距離的移動。 从此去的在上,反之人的在下 4. Phomoter: 一般可使赞定基因轉錄的DNA原刻 DNA phopoters contains three elements: Tss, to hegion, 35 hegion

5. Edman degradation

消蛋白蛋和 phenyiSothio Cyanate 結合,得到 PTH-R,, PTH-R2,

6, Center dogma of molecular biology

Peplication

Thanscription RNA translation Photein

7. Semi-Conservation of DNA replication
DNA 複製醇, Ph產生的 DNA - 結為舊服, 另一端為新服(半保留複製)

8. Hydrophobic interaction

疏水的分子在此效應下會受吸引而自我聚集。而在protein中,疏水性較高的胺基酸合物。所以此較高的胺基酸合物。所以作用,形成下一級的結構

9. Hydrogen bonds between base pairs

10, Okazaki fragment

when DNA replicates, the uncontinuous fragment (lagging strand) is the exazaki fragment

II.

1. Non - Polah

A(a (A) Val (V) ile (I) Leu (L) Met (IN)

O
$$\Rightarrow$$
 OH O \Rightarrow OH O \Rightarrow OH

NH2

Phe (F) Gly (G) Trp (W) Pro (P)

O \Rightarrow OH

3, Positively charged side-chain (alka Base)

4. Negatively side chain (aka Acidiz)

VI. Method: E+s
$$\frac{k_1}{k_1}$$
 ES $\frac{k_2}{k_1}$ ES $\frac{k_3}{k_1}$ EFP

Use steady-state approximation and materials balence to derive

a steady-state approximation for ES

Volume Volume A, [E][S] = k_1 [ES] + k_2 [ES] \mathbb{D}

b. Material balence: $[E]_T = [ES] + [E]_T + [ES]_T + [ES]_$

Rate =
$$V = K_2[ES] = \frac{k_2[E]_TLS}{k_M + [S]}$$
, when $[S] \rightarrow A$

$$[E]_{T^2}[ES]$$
Rate has maximum

II. Prpschopie, Rpschopie為 Prpc mis-fold 之线的結果, 两青的順序相同、結構不同

IT. 當 trypto phan 很多時, 含使 repressor 被话化,接在 promotor上, 使得 RNA 聚合酶 不能在 Promotor上, 生实 trypto phan 。 反之, 若 trypto phan 很少时, RNA 聚合酶可以接在 Promotor上, 生实 Phomotor.

V. phe (F) Gly (a)
$$Tyh(Y)$$
 Leu

Of the office of the off

> phe - Gly - Tyt- Leu:

$$NH_{2} - C - C - HN - C - C - NH - C - C - OH$$
 CH_{2}
 CH_{2}
 OH
 O

VI. By Michealis-Menten equation:

$$V = \frac{V_{\text{Max}}[5]}{k_{\text{M}} + [5]} \Rightarrow \frac{1}{V} = \frac{k_{\text{M}} + [5]}{V_{\text{M}}[5]} = \frac{k_{\text{M}}}{V_{\text{M}}} \times \frac{1}{[5]} + \frac{1}{V_{\text{M}}}$$
由題紹表格:
$$\frac{5}{1.25} = \frac{1}{1.25} = 0.8 \quad 36 \times 10^{3} \quad \text{of } \frac{1}{5} \text{ is } \frac{20 \times 10^{3}}{12 \times 16^{3}} \quad \text{of } \frac{1}{5} \text{ is } \frac{1}{5} = 0.2 \quad 12 \times 16^{3} \quad \text{frod})^{-1} L$$

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$$\frac{1}{5} = 0.2 \quad 12 \times 16^{3} \quad 12$$

$$5lope = \frac{(20-36)\times10^{3}}{(0.4-0.8)} = 4\times10^{4} = \frac{k_{M}}{V_{M}} \frac{5ec}{1000}$$

$$\Rightarrow 36\times10^{3} = (4\times10^{4})\times 0.8 + \frac{1}{V_{M}} \Rightarrow V_{M} = \left(36\times10^{3} - 4\times10^{4}\times0.8\right)^{-1}$$

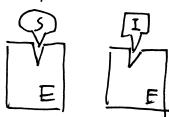
$$= 2.5\times10^{-4} \text{ M Sec}^{-1}$$

$$\Rightarrow |K_{M} = 4 \times 10^{4} \times 2.5 \times 10^{-4} \times \frac{5ec}{1000} = |0 \times 10^{-3} = 10^{-2} (M/sec)$$

$$(M sec^{-1})$$

VII,

· Competitive inhibition



without inhibitor:
$$\frac{1}{V} = \frac{k_M}{V_M} \frac{1}{[s]} + \frac{1}{V_M}$$

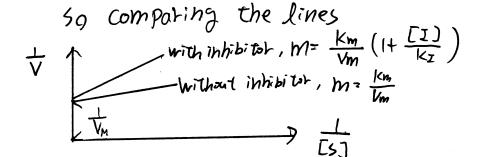
Substrate to inhibitor

的結構相似

$$\frac{1}{2} \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{\frac{1}{2}}} + \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{\frac{1}{2}}} + \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{\frac{1}{2}}} + \frac{1}{\sqrt{\frac{1}{2}}} \frac{1}{\sqrt{$$

乡 等 Senzyme 好

active site



non-competitive inhibition



With hon-competitive inhibital

$$V_{\text{max}}^{\text{I}} = \frac{V_{\text{M}}}{1 + \frac{\Gamma I}{K_{2}}}$$

$$\Rightarrow \frac{1}{V} = \frac{k_{\text{M}}}{V_{\text{M}}} \left(1 + \frac{\Gamma I}{k_{2}}\right) \frac{1}{\Gamma S}$$

$$+ \frac{1}{V_{\text{M}}} \left(1 + \frac{\Gamma I}{k_{2}}\right)$$

Substrate to inhibitor 的結構不同, inhibitoh 和 Enzyme 紹含後, 會改 畿 Substrate 的 active site的構型,使Substate 無法結合

So Comparing the lines with inhibitor, m= KM (1+ [I]) - without inibitor, m= Km