

1

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out of  
question

Suppose that  $p = 0.512$  is the proportion of one-child families in which the child is a boy. For a random sample of  $n = 50$  one-child families, estimate the probability that there will be 20 or greater families with one boy using suitable approximation?

Select one:

- ☐ 0.59818
- ☒ 0.95818
- ☐ 0.83818
- ☐ 0.88919
- ☐ 0.65828

Question 1

not yet answered  
marked out of  
1.00

Flag question

What is the R command used to create database in R?

Select one:

- ☒ data.frame()
- ☐ data()
- ☐ database()
- ☐ data.base()

Suppose that an airline runs a commuter flight that holds 40 people. The airline knows that the weights of passenger plus luggage for typical customers on this flight has a mean of 210 pounds and a standard deviation of 8 pounds. What is the probability that the sample mean weight of passenger plus luggage is less than 208 pounds for a random sample of 40 customers?

Select one:

- ☐ 0.05576
- ☐ 0.35075
- ☒ 0.05705
- ☐ 0.95705
- ☐ 0.07505

What is the output of the following function?

```
X<-c(2,5,6,3,3,2,1,1,0,9,1,0,5,4,9,4,9,9)
```

```
get.f1<-function(y){  
  u1<-table(X)  
  names(u1[u1==min(u1)])  
}
```

get.f1(X)

Select one:

- ☐ 2
- ☐ 1
- ☒ 6
- ☐ 9
- ☐ 3

Question 1

Not yet answered  
Marked out of 3.00

Flag question

Suppose that  $p = 0.512$  is the proportion of one-child families in which the child is a boy. For a random sample of  $n = 50$  one-child families, estimate the probability that there will be 20 or greater families with one boy using suitable approximation?

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- ☒ 0.59818
- ☐ 0.95818
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- ☐ 0.88918
- ☐ 0.95828

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NUEXAM

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Suppose the yearly rainfall for a city in southern California follows a normal distribution, with a mean of 18 inches and a standard deviation of 6 inches. For a randomly selected year, what is the probability that rainfall will be less than 12 inches?

Select one:

- ☐ 0.90456
- ☒ 0.09176
- ☐ 0.29176
- ☐ 0.87176
- ☐ 0.90176

Suppose that  $p = 0.512$  is the proportion of one-child families in which the child is a boy. For a random sample of  $n = 50$  one-child families, estimate the probability that no of families will be in between 15 and 24 with one boy using suitable approximation? [ $P(15 < X < 24)$ ]

Select one:

- ☐ 0.82547
- ☒ 0.27548 ✓
- ☐ 0.72548
- ☐ 0.77548
- ☐ 0.57248

Suppose that the amount of money that students at a college spend on textbooks this semester have a normal distribution with mean \$360 and standard deviation \$120. What is the probability that a randomly selected student spends between \$250 and \$480 on textbooks this semester?

Select one:

- ☒ 0.66255 ✓
- ☐ 0.22255
- ☐ 0.66388
- ☐ 0.55266
- ☐ 0.88255

What is the R command used to create database in R?

Select one:

- ☒ data.frame() ✓
- ☐ data.base()
- ☐ database()
- ☐ data()



Question 1

Not yet answered

Marked out of 1.00

Flag question

Suppose the yearly rainfall for a city in southern California follows a normal distribution, with a mean of 18 inches and a standard deviation of 6 inches. For a randomly selected year, what is the probability that rainfall will be less than 10 inches?

Select one:

- ☐ 0.87176
- ☐ 0.90456
- ☒ 0.09176
- ☐ 0.90176
- ☐ 0.29176

What is the R command used to obtain the five number summary?

Select one:

- ☐ `fivenumber(variable)`
- ☒ `summary(variable)`
- ☐ `5numbersummary(variable)`
- ☐ `fivenumbersummary(variable)`

What is the R command that you can use to import a csv file?

Select one:

- ☐ `read.xlsx (filename.csv, header=TRUE)`
- ☒ `read.csv ("filename.csv", header=TRUE)`
- ☐ `read.csv (filename.csv, header=TRUE)`
- ☐ `read.xlsx ("filename.csv", header=TRUE)`
- ☐ `import.csv ("filename.csv", header=TRUE)`

What is the output of the following function?

```
X<-c(2,5,6,3,3,2,1,1,0,9,1,0,5,4,9,4,9,9)
```

```
get.f1<-function(y){  
  u1<-table(X)  
  names(u1[u1==min(u1)])  
}
```

get.f1(X)

Select one:

- ☐ 1
- ☐ 9
- ☐ 3
- ☐ 2
- ☒ 6

Verbal SAT test scores  $X$ , for which the mean is 500 and the standard deviation is 100, assume to have a normal distribution. Find the probability that verbal SAT test score is less than 650.

Select one:

- ☒ 0.93319
- ☐ 0.76319
- ☐ 0.88319
- ☐ 0.98819
- ☐ 0.92576

Consider following probability density function ( $f_x(x)$ ).

$$f_x(x) = \begin{cases} (1/4)x^3; & 0 \leq x \leq 2 \\ 0; & \text{otherwise} \end{cases}$$

Find  $E(X^2)$ .

Select one:

- ☐ 7/3
- ☐ 8/5
- ☐ -8/3
- ☒ 8/3
- ☐ -8/5

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Suppose that the amount of money that students at a college spend on textbooks this semester have a normal distribution with mean \$360 and standard deviation \$120. What is the probability that a randomly selected student spends between \$250 and \$480 on textbooks this semester?

Select one:

- ☐ 0.88255
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- ☐ 0.66388
- ☒ 0.66255



Suppose that  $p = 0.512$  is the proportion of one-child families in which the child is a boy. For a random sample of  $n = 50$  one-child families, estimate the probability that no of families will be in between 15 and 24 with one boy using suitable approximation?  $P(15 < X < 24)$

Select one:

- ☐ 0.72548
- ☐ 0.57248
- ☐ 0.82547
- ☐ 0.77548
- ☒ 0.27548

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Select one:

- ☐ 8/9
- ☐ 7/9
- ☐ 7/5
- ☒ 8/5
- ☐ -8/9



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Consider following probability density function ( $f_x(x)$ ).

$$f_x(x) = \begin{cases} kx^4; & -3 \leq x \leq 2 \\ 0; & \text{otherwise} \end{cases}$$

on

Find k value.

Select one:

- ☐ -2/55
- ☐ -1/55
- ☐ 1/60
- ☒ 1/55
- ☐ 2/55



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$$f_x(x) = \begin{cases} (1/4)x^3; & 0 \leq x \leq 2 \\ 0; & \text{otherwise} \end{cases}$$

Find E(X).

Select one:

- ☐ -8/9
- ☐ 8/9
- ☐ 7/5
- ☐ 7/9
- ☒ 8/5

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- ☐ -1/55
- ☐ 1/60
- ☐ 2/55
- ☐ -2/55
- ☒ 1/55

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- ☐ -2/55
- ☒ 1/55
- ☐ 2/55
- ☐ 1/60
- ☐ -1/55



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Question 1

Not answered

Flagged out of

Flag question

What is the output of the following function?

```
X<-c(2,5,6,3,3,2,1,1,0,9,1,0,5,4,9,4,9,9)
```

```
get.f1<-function(y){  
  u1<-table(X)  
  names(u1[u1==min(u1)])  
}  
get.f1(X)
```

Select one:

- ☐ 2
- ☒ 1
- ☒ 6
- ☐ 9
- ☐ 3

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Consider following probability density function ( $f_x(x)$ ).

$$f_x(x) = \begin{cases} (1/4)x^2; & 0 \leq x \leq 2 \\ 0; & \text{otherwise} \end{cases}$$

Find  $E(X^2)$ .

Select one:

- ☐ -8/5
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- ☒ 8/3

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}
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get.f1(X)
```

Select one:

- ☐ 1
- ☐ 2
- ☒ 6
- ☐ 3
- ☐ 9



"[13,15]" "[15,17]" "[17,19]" "[19,21]" "[21,23]" "[23,25]" "[25,27]"

Select one:

☐

```
d<-c(13,15,17,19,21,23,25,27)
b <- c()
for(i in 1:8){
  b[i] <- paste0("[", d[i], ",", d[i+1], "]")
}
print(b)
```

☐

```
d<-c(13,15,17,19,21,23,25,27)
b <- c()
for(i in 1:7){
  b[i] <- paste0("[", d[i+1], ",", d[i], "]")
}
print(b)
```

☐

```
d<-c(13,15,17,19,21,23,25,27)
b <- c()
for(i in 1:8){
  b[i] <- paste0("[", d[i-1], ",", d[i], "]")
}
print(b)
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☒

```
d<-c(13,15,17,19,21,23,25,27)
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for(i in 1:7){
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d<-c(13,15,17,19,21,23,25,27)
b <- c()
for(i in 1:6){
  b[i] <- paste0("[", d[i], ",", d[i-1], "]")
}
```

Suppose the yearly rainfall for a city in southern California follows a normal distribution, with a mean of 18 inches and a standard deviation of 6 inches. For a randomly selected year, what is the probability that rainfall will be less than 10 inches?

Select one:

- ☐ 0.90176
- ☐ 0.90456
- ☐ 0.87176
- ☒ 0.09176
- ☐ 0.29176

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Select one:

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- ☐ `fivenumber(variable)`
- ☒ `summary(variable)`

What is the R command used to create database in R?

Select one:

- ☐ `database()`
- ☒ `data.frame()`
- ☐ `data()`
- ☐ `data.base()`

Verbal SAT test scores  $X$ , for which the mean is 500 and the standard deviation is 100, assume to have a normal distribution. Find the probability that verbal SAT test score is less than 650.

Select one:

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- ☐ 0.92576
- ☐ 0.98819
- ☐ 0.76319
- ☐ 0.88319

Suppose that an airline runs a commuter flight that holds 40 people. The airline knows that the weights of passenger plus luggage for typical customers on this flight has a mean of 210 pounds and a standard deviation of 8 pounds. What is the probability that the sample mean weight of passenger plus luggage is less than 208 pounds for a random sample of 40 customers?

Select one:

- ☐ 0.05576
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Select one:

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- ☐ 0.77548
- ☐ 0.57248
- ☒ 0.27548
- ☐ 0.72548

Consider following probability density function ( $f_X(x)$ ).

$$f_X(x) = \begin{cases} (1/4)x^3; & 0 \leq x \leq 2 \\ 0; & \text{otherwise} \end{cases}$$

Find  $E(X^2)$ .

Select one:

- ☐ -8/5
- ☐ -8/3
- ☐ 8/5
- ☐ 7/3
- ☒ 8/3



Suppose the yearly rainfall for a city in southern California follows a normal distribution, with a mean of 18 inches and a standard deviation of 6 inches. For a randomly selected year, what is the probability that rainfall will be less than 10 inches?

Select one:

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- ☐ 0.90456
- ☐ 0.29176
- ☐ 0.90176
- ☒ 0.09176

Vehicle speeds at a certain highway location are assumed to have approximately a normal distribution with mean 60mph and standard deviation 6mph. The speeds for a randomly selected sample of  $n = 36$  vehicles will be recorded. What is the probability that sample mean speed is not more than 58mph?

Select one:

- ☐ 0.20275
- ☐ 0.92274
- ☐ 0.03375
- ☒ 0.02275
- ☐ 0.82275

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Find  $E(X)$ .

Select one:

- ☒ 8/5
- ☐ 8/9
- ☐ -8/9
- ☐ 7/5
- ☐ 7/9



Suppose that an airline runs a commuter flight that holds 40 people. The airline knows that the weights of passenger plus luggage for typical customers on this flight has a mean of 210 pounds and a standard deviation of 8 pounds. What is the probability that the sample mean weight of passenger plus luggage is in between 206 pounds and 212 pounds for a random sample of 40 customers?

Select one:

- ☐ 0.31716
- ☐ 0.62416
- ☒ 0.94216
- ☐ 0.83216
- ☐ 0.49216

What is the R command that you can used to import a csv file?

Select one:

- ☐ import.csv ("filename.csv", header=TRUE)
- ☐ read.xlsx ("filename.csv", header=TRUE)
- ☐ read.csv (filename.csv, header=TRUE)
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- ☐ 0.76319
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- ☐ 0.98819
- ☐ 0.92576

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eg question:

Suppose that  $p = 0.512$  is the proportion of one-child families in which the child is a boy. For a random sample of  $n = 50$  one-child families, estimate the probability that there will be 20 or fewer families with one boy using suitable approximation?

Select one:

- ☐ 0.87493
- ☐ 0.08893
- ☐ 0.85593
- ☐ 0.70493
- ☒ 0.07493

General