

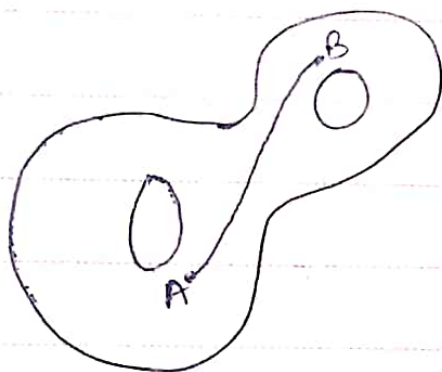
Date:

(2.1)



## Segmentating Binary Image:

— Object is a connected components.



A & B are connected if path exists bet<sup>n</sup>  
A & B along which  $b(x,y)$  is constant

— Connected components labelling:

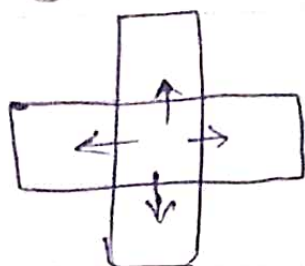
Algorithm:

- Find the unlabeled 'seed' point (with  $b=1$ ) which is first point. Terminate if point not found.
- Assign it a New label. If all previous points are assigned then assign a new label.
- Assign same label to its neighbour  $b=1$ .
- Then assign same label to neighbour's of neighbours with  $b=1$ . Repeat till no more unlabeled neighbours with  $b=1$ .
- Go back to (a) <sup>look</sup> for next unlabeled seed.

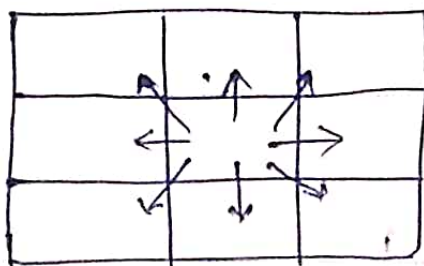
— what do we mean by Neighbours?

Correctedness: There are 2 types of correctedness.

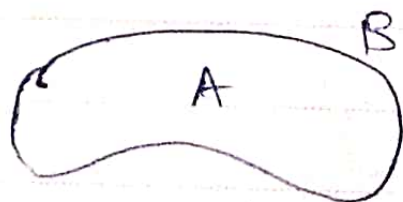
I. 4 correctedness (4-c): It has 4 pixels at its sides.



II. 8 correctedness (8-c): It has 8 pixels.



— Jordan's curve theorem: if you have a curve, a closed curve, that curve must divide the region up into 2 connected regions.



In the above image we can see that A is in a closed region & B is in a separate region. Therefore they are violating Jordan's curve theorem.

4-C →

B <sub>1</sub>	O <sub>1</sub>	B <sub>1</sub>
O <sub>4</sub>	B <sub>2</sub>	O <sub>2</sub>
B <sub>1</sub>	O <sub>3</sub>	B <sub>1</sub>

Holes without a closed loop.

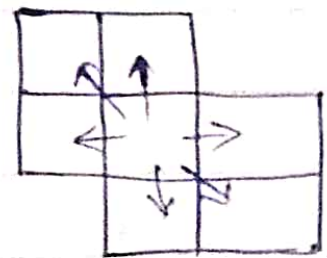
8-C →

B	O	B
O	B	O
B	O	B

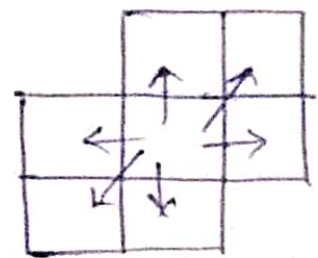
Holes ~~with~~ background having closed loop.

# Introduction Asymmetry:

6 - correctness (6-c):



OR

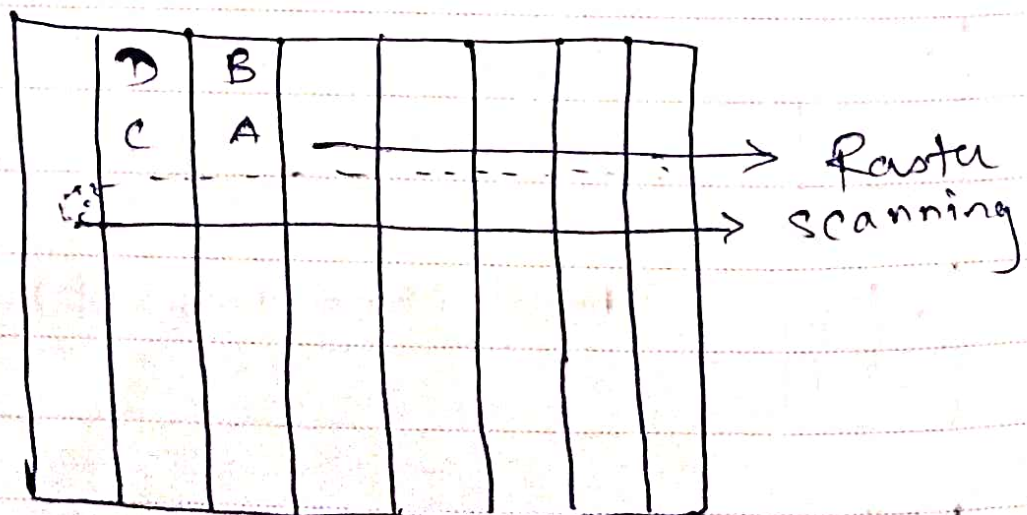


B	O <sub>2</sub>	B
O <sub>1</sub>	B	O <sub>2</sub>
B	O <sub>1</sub>	B

Two different line segments

Image sensors donot capture images on hexagonal grids. Therefore images are square grids.

- Sequential labeling Algorithm:





An algorithm which is more efficient & more elegant

We are going to move horizontally, & when we get to the end, we come back & go to the next row. This is called raster scanning an image.

X	X
X	0

→ label(A) = 'background'

0	0
0	1

→ label(A) = new label.

D	X
X	1

→ label(A) = label(D)

0	0
C	1

→ label(A) = label(C)

0	B
0	1

→ label(A) = label(B)

0	B
C	1

→ If, label(B) = label(C)  
then, label(A) = label(C)

- If label (B) not equal to label (C) :
- create Equivalence table
  - label (B) = label (C)
  - Assign  $\text{label}(A) = \text{label}(B)$