

# **AV 331 : DIGITAL SIGNAL PROCESSING**

## **Labsheet – 4**

### **Properties of DFT**

1. Compute the 16-point and 32-point discrete Fourier transforms of the 4-point sequence  $x[n] = [1 \ 0.5 \ 0 \ -0.5]$ . Plot their magnitudes and compare them. Now compute the 24-point DFT of the same sequence, then compute the 24-point IDFT of this DFT and compare it with the original sequence  $x[n]$ .
2. Using MATLAB verify the linearity property of DFT using the following sequences.  
 $x1[n] = [1 \ 1 \ 0 \ 2 \ 5 \ 7 \ 1 \ 6]$   
 $x2[n] = [3 \ 8 \ 5 \ 2 \ 9 \ 0 \ 3 \ 1]$
3. Using MATLAB verify the effect of
  - a) circular time shift
  - b) circular frequency shifton the sequence  $x[n] = \{1 \ 1 \ 2 \ 0.5 \ 0 \ 1 \ 2 \ 1\}$ .
4. State and verify the duality property of the DFT using a rectangular pulse of appropriate width.
5. Consider the following sequences  
 $x1[n] = [0.59 \ 0.95 \ 0.95 \ 0.59 \ 0.00 \ 0.59 \ 0.95 \ 0.95 \ 0.59 \ 0.00]$   
 $x2[n] = [0.16 \ 0.97 \ 0.96 \ 0.49 \ 0.80 \ 0.14 \ 0.42 \ 0.92 \ 0.79 \ 0.96]$ 
  - (a) Find the circular convolution of these sequences using the 'fft' function. Verify your results using the circular 'cconv' function.
  - (b) Find the linear convolution of these sequences using the 'fft' function. Verify your results using the 'conv' function.
6. Find the circular correlation of the sequences  $x1(n)$  and  $x2[n]$  given in the question above using the function 'fft' and verify using the function 'cconv'.
7. Generate  $x(n) = \sin(0.2\pi n) + \cos(0.4\pi n)$  and see if the sequence is periodic or not. If yes, select samples from two cycles of  $x(n)$  and find the power of the signal. compute the DFT of N sample of  $x(n)$  and verify the parseval's relation