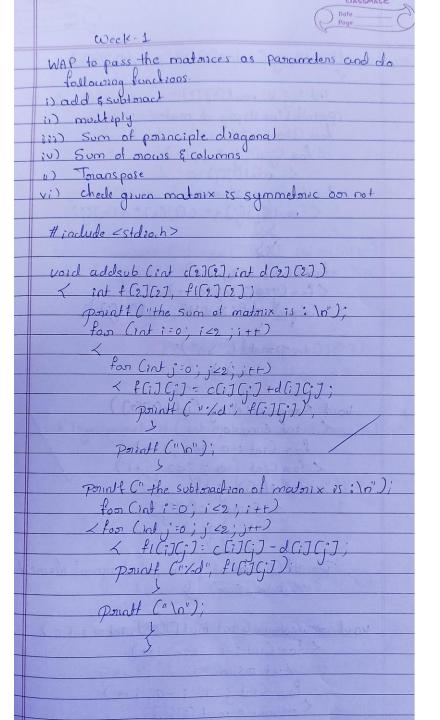
## Week 1

Q)Write a C program to do the following by passing matrix as parameter:

- 1) Matrix addition and subtraction.
- 2) Matrix multiplication.
- 3) Sum of principle and non principle diagonal of matrix.
- 4) Sum of rows and columns.
- 5) Print the transpose
- 6) Check if a given matrix is symmetric or not.



```
void multiply (Ind c[2][2], int d [2][2])
      sat i, j. k. mud [2] [2])
    ponal ("multiply of matorx: \n"),
     fon (10;1<2;i++)
      < for ( ; 0; je2; j++)
          < multilli)=0
     for (K=0; K=2; K+t)
      < multiljj+= clij(x) +d[k][;];
      ton (1=0; 1<2) 1++)
     < for (;=0; j<2; j++)
        pointf("%d It", mud())()))
           point (" kn");
  Void Sumporincidiag (int (12)(2))
     < in sum =0'
        for (int i=0; i=2; i+F)
      < for (int j=0; j<2; j++)
< if (i==j)
           < Sum + = c[i][i];
    Print (" sum of principal diagonal elementis
        Lod In', Sum);
void nowcolsom (int mat () (roa), into, into
      < for (intizo ; ico ; itt)
          L: Nt 2150m =0)
         for Cont ; 20 ; 20; jet)
       Tonsum + 2 mat (1) (5)
```

```
paintl("som of elements in now %dirdlo", iti, or);
 for Cal jeo; jec; jet)
     < in csom=0;
        for Ciat 1=0; 1<0; 1++)
        < csom += mat (ij(j);
   porint ("sum of elements in column /d: /d/o")
 void transpose Cint mat [][(00], into into)
      < print ( "transpose of matrix: \n");
          for Cont ;=0;j<c;j++)
          < for Cint i=0; i<0; i+t)
              Point (" " d Lt", mat (i) (j))
                Posstf("\n");
int isynsymmetric (int mat ()(20), int nows, int cols)
          if (nows 1=cols)
             < perint("not symmeters");</pre>
    for Cintio; i < nows; 1 tt)
     < for Cintj=0; j<cols;j++)
         If (matorix [i][j] = matorix[j][i])
           Porint ("not symmetric");
      point ("matorix is symmetoric");
```

Classmate	
Page	
	779 770, 293
output	
	-
enter dements of 1st matrix	
	0
10	1 O
enter the elements of 2nd matrix	
9 3	6
3 2	mataix is gymmetoria.
112 1 2 milliola 3 Com of Approvaled	
1. add 8. sub 2. multiply 3. Som of principle diagonal 4. now column som 5. Transpose 6. Symmetone	
1. now column som 5. seem pose o symmetric	1000
Check 7, exit	
d d	
9 (42)	a continued from it can from to the
the som of matrix is i	The state of the s
2 4	
4 2	(++ a 0>1 a
the subtraction of matrix is:	COLORS TOUR SALETY STANDED
-2 -2 of Ollman	
-2 -2	
2 or late ( ce) ( I long late) strategram regard do.	
multiply of matrix =	Valence of some Tong . I
3 2	434 - 1031 2 - 2017 - 13 E 15 01 (-3 ) 7 - 3 0 (0) (0) (0)
2 3	
3	100/12/2011
Sum of principal diagonal element is O.	
The contract of the contract o	(5):5353056
4	(a) 2151 (1)
Sum of dementin rows:	
Sum of elements in Daw 2:1	Also and a second
Sum of clements in column 1 ! 1	((p) 3/2 (c) a)
Sum of elements in column ?!	A second
( Suppose of the long ) states	
	The second secon
	(a) 10 00 14 00 00 00 00 00 00 00 00 00 00 00 00 00

## Output:

```
enter the elements of 1st matrix
0 1
1 0
enter the elements of 2nd matrix
2 3
3 2
```

```
enter the elements of 1st matrix
5 6
6 5
enter the elements of 2nd matrix
1 2
3 4
1.add&sub 2.multiply 3.Sum of principal diagonal 4.row column sum 5.Transpose 6.Symmetric check 7.exit
6
matrix is symmetric
```