#### **UNIT - IV**

- Intermediate Code Generation (ICG): Intermediate languages – Graphical representations, Three Address code, Quadruples, Triples.
- Code Optimization: Principal sources of optimization, Optimization of Basic blocks.

- Intermediate languages
- Implementation of 3-address statements
- Translation of simple statements and control flow statements.

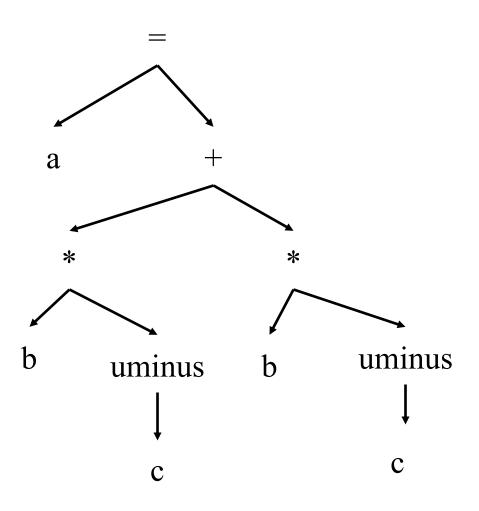
#### Intermediate Code Generation

- The given program in a source language is converted to an equivalent program in an intermediate language by the intermediate code generator.
- Intermediate language can be many different languages, and the designer of the compiler decides this intermediate language.

- □ syntax trees (abstract syntax trees)
- postfix notation
- □ three-address code

# Syntax Trees

 $\Box$  Consider the assignment  $a=b^*-c+b^*-c$ 



# DAG (Directed Acyclic Graph )

- A dag is similar to syntax tree, and it identifies the common sub expressions in the expression.
- \* A node in a dag representing a common sub expression has more than one parent.
- In a syntax tree, the common sub expressions would be represented as duplicated subtree.

\*\*

 $\bullet$  Ex: consider an expression: a=(a+b) - (a+b)

Syntax tree

a

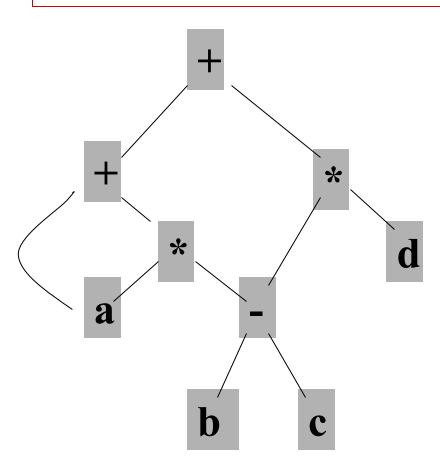
+

a

b

# Directed Acyclic Graphs for Expressions

$$a + a * (b-c) + (b-c) *d$$



### Postfix notation

Postfix notation is a linear representation of a syntax trees.

Consider an expression : a=b \* -c + b \* -c

postfix notation:  $\mathbf{a} \mathbf{b} \mathbf{c} - \mathbf{b} \mathbf{c} - \mathbf{b} + \mathbf{c}$ 

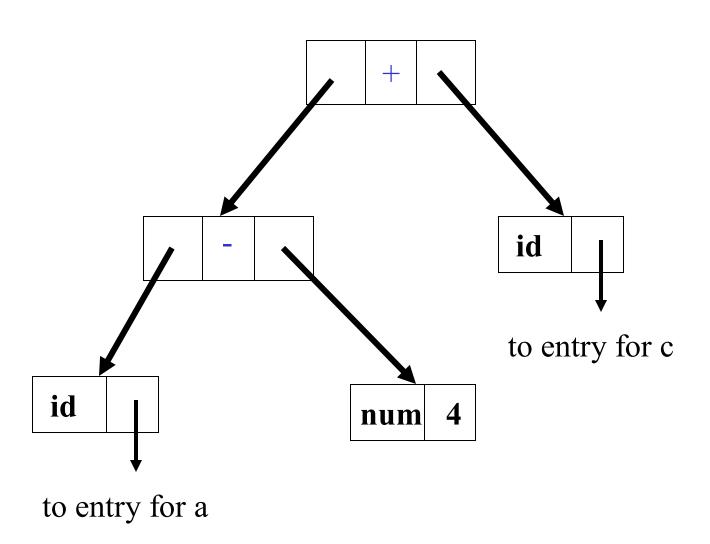
# Constructing Syntax Trees for Expressions

- 1. Syntax trees are constructed using following functions:
  - i. mknode(op, left, right): creates an operator node with label op and two fields containing pointers to left child and right child.
  - ii. mkleaf (id, entry): creates an identifier node with label id and a field containing entry, a pointer to the symbol table.
  - iii. mkleaf (num, val): creates a number node with label num and a field containing val, the value of the number
- 2. Each function returns a pointer to a newly created node

The following sequence of function calls creates the syntax tree for the expression: a-4+c

- 1) p1= mkleaf ( id , entrya);
- 2) p2=mkleaf(num, 4);
- 3) p3=mknode('-', p1,p2);
- 4) p4=mkleaf(id, entryc);
- 5) p5=mknode('+', p3, p4);

- In this sequence, p1,p2,.....p5 are pointers to nodes
- entrya and entryc are pointers to symbol table entries for identifiers a and c
- The syntax tree is constructed bottom up.



# SDD for Syntax Trees

#### **PRODUCTION**

**SEMANTIC RULE** 

 $E.nptr = mknode('+',E_1.nptr,T.nptr)$  $E \rightarrow E_1 + T$ 

 $E \rightarrow E_1 - T$  $E.nptr = mknode('-',E_1.nptr,T.nptr)$ 

 $E \rightarrow T$ E.nptr = T.nptr

 $T \rightarrow (E)$ T.nptr = E.nptr

 $T \rightarrow id$ T.nptr = mkleaf(id, id.entry)

T.nptr = mkleaf(num, num.val) $T \rightarrow num$ 

The synthesized attribute nptr for E and T keeps track of the pointers returned by the function calls

#### Three Address Code

- Three address code is a linear representation of syntax tree
- ❖ Statements of general form x=y op z

❖ Ex: x=y + z \* w
should be represented as

$$t_1 = z * w$$

$$t_2 = y + t_1$$

$$x = t_2$$

**♦** Where t₁ and t₂ are compiler generated temporary names

# Example of 3-address code

$$a := b * -c + b * -c$$

$$t_1 = -c$$
 $t_2 = b * t_1$ 
 $t_3 = -c$ 
 $t_4 = b * t_3$ 
 $t_5 = t_2 + t_4$ 
 $a = t_5$ 

$$t_1 = -c$$
 $t_2 = b * t_1$ 
 $t_5 = t_2 + t_2$ 
 $a = t_5$ 

Code for the syntax tree

Code for the DAG

# Types of Three-Address Statements.

Assignment Statement:

**Assignment Statement:** 

x=op z (op is unary operator)

**Copy Statement:** 

 $\mathbf{x} = \mathbf{z}$ 

**Unconditional Jump:** 

goto L

**Conditional Jump:** 

if x relop y goto L

**Stack Operations:** 

Push/pop

x=y op z

#### **Procedure (function):**

param  $x_1$  param  $x_2$ 

. . .

param x<sub>n</sub> call p,n

#### **Index Assignments:**

#### **Address and Pointer Assignments:**

x=&y

x=\*y

\*x=y

# Implementations of 3-address statements

- In compiler, The Three Address statements are implemented using following representations:
- Quadruples
- Triples
- Indirect triples
- \* A quadruple is a record with four fields, op, arg1, arg2 and result.



# Implementations of 3-address statements using quadruple

\* 3-address code  

$$t_1 = -c$$
  
 $t_2 = b * t_1$   
 $t_3 = -c$   
 $t_4 = b * t_3$   
 $t_5 = t_2 + t_4$   
 $a = t_5$ 

	op	arg1	arg2	result
(0)	uminus	c		t <sub>1</sub>
(1)	*	b	t <sub>1</sub>	t <sub>2</sub>
(2)	uminus	c		t <sub>3</sub>
(3)	*	b	t <sub>3</sub>	t <sub>4</sub>
(4)	+	t <sub>2</sub>	t <sub>4</sub>	t <sub>5</sub>
(5)	=	<b>t</b> <sub>5</sub>		a

Temporary names must be entered into the symbol table as they are created.

# Implementations of 3-address statements

<ul><li>Triples</li></ul>
$t_1 = -c$
$t_2=b * t_1$
$t_3 = -c$
$t_4 = b * t_3$
$t_5 = t_2 + t_4$
$a=t_5$

	op	arg1	arg2
(0)	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	assign	a	(4)

Temporary names are not entered into the symbol table.

# Other types of 3-address statements

• e.g. ternary operations like

$$x[i]=y$$

$$x=y[i]$$

require two or more entries. e.g.

x[i]=y

	ор	arg1	arg2
(0)	[]=	X	i
(1)	assign	(0)	у

x=y[i]

	op	arg1	arg2
(0)	[]=	y	i
(1)	assign	X	(0)

# Implementations of 3-address statements

# Indirect Triples

	statement
(0)	(14)
(1)	(15)
(2)	(16)
(3)	(17)
(4)	(18)
(5)	(19)

#### triple

	op	arg1	arg2
(14)	uminus	c	
(15)	*	b	(14)
(16)	uminus	c	
(17)	*	b	(16)
(18)	+	(15)	(17)
(19)	assign	a	(18)

## Syntax-Directed Translation into 3-address code.

- 1. Assignment statements:
- \* The following grammar is defined for assignment statements:

$$S->id=E$$

In order to write syntax directed definition for the above grammar, the following attributes are defined for the non terminal E:

- □ E.place: the name that will hold the value of E
  - ➤ Identifier will be assumed to already have the place attribute defined.
- □ E.code :hold the three address code statements that evaluate E (this is the `translation' attribute).
- \* The function *newtemp* returns sequence of temporary variables.
- \* The function **gen** generates a single three address statement.

Ex: gen(x ':=' y '+' z) represent the 3-address statement x := y+z

# SDD for Syntax Trees using function calls

#### **PRODUCTION**

#### **SEMANTIC RULE**

$$S \rightarrow id := E$$

$$E \rightarrow E_1 + E_2$$

$$E \rightarrow E_1 * E_2$$

$$E \rightarrow -E_1$$

$$E \rightarrow (E_1)$$

$$E \rightarrow id$$

$$E.nptr := mknode('+', E_1.nptr, E_2.nptr)$$

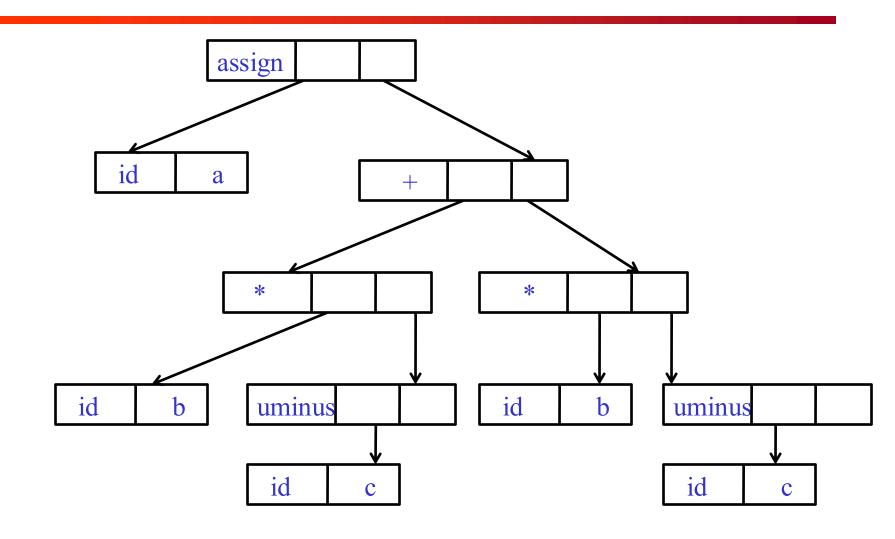
$$E.nptr := mknode(`*`, E_1.nptr, E_2.nptr)$$

$$E.nptr := mknode('uminus', E_1.nptr)$$

$$E.nptr := E_1.nptr$$

$$E.nptr := mkleaf (id, id.place)$$

Syntax Tree for  $a = b^*-c + b^* - c$  using function calls



# Syntax-Dir. Definition for 3-address code

#### **PRODUCTION SEMANTIC RULE**

```
S \rightarrow id := E
                      S.code := E.code||gen(id.place'='E.place')|
E \rightarrow E_1 + E_2
                      E.place := newtemp;
                      E.code := E_1.code \parallel E_2.code
                                 \parallel gen(E.place':='E_1.place'+'E_2.place)
E \rightarrow E_1 * E_2
                      E.place := newtemp;
                       E.code := E_1.code \parallel E_2.code
                                 || gen(E.place'='E<sub>1</sub>.place'*'E<sub>2</sub>.place)
E \rightarrow -E_1
                      E.place := newtemp;
                       E.code := E_1.code
                                 \parallel gen(E.place '=' 'uminus' E_1.place)
                      E.place := E_1.place ; E.code = E_1.code
E \rightarrow (E_1)
                      E.place := id.entry ; E.code = "
E \rightarrow id
```

# **Boolean Expressions:**

- \* Boolean expressions are composed of the Boolean operators (and , or, and not) applied to the elements that are Boolean variables or relational expressions.
- $\bullet$  E  $\rightarrow$  E or E | E and E | not E | (E) | id1 relop id2 | true | false

# Methods of implementing Boolean expressions

- There are two principal methods of representing the value of a Boolean \* expression.
- The first method is to encode true and false numerically and to evaluate • a Boolean expression analogously to an arithmetic expression.
- The second principle method is by flow of control, that is, \* representing the value of a Boolean expression by a position reached in a program. Here we have adopted the first method

consider the conditional statement:

if a < b 1 else 0

Numerical representation:

Ex:

100: if a < b goto 103

101: t1 := 0

102: goto 104

103: t1 := 1

104:

Translation scheme for producing 3-address code for above example

#### $E \rightarrow id1 \ relop \ id2$

```
{E.place := newtemp;
emit ('if' id1.place relop.op id2.place 'goto' nextstat+3)
emit (E.place ':=' '0')
emit ('goto' nextstat+2)
emit (E.place ':=' '1') }
```

Assume that *emit* places three Address statements into an output file *nextstat* gives the index of the three address statement in the output sequence *emit* increments *nextstat* after producing each three address statement

#### Semantic Actions for producing Three Address Codes for Boolean Expressions:

#### $E \rightarrow E1 \text{ or } E2$

```
{ E.place := newtemp();
emit (E.place ':=' E1.place 'or' E2.place); }
```

#### $E \rightarrow E1$ and E2

```
{ E.place := newtemp();
emit (E.place ':=' E1.place 'and' E2.place);}
```

#### $E \rightarrow not E$

```
{ E.place := newtemp(); emit ( E.place ':=' 'not' E.place); }
```

```
E \rightarrow (E1)
                               { E.place := E1.place }
   → id1 relop id2
                                 { E.place := newtemp;
                            emit ('if' id1.place relop.op id2.place 'goto' nextstat+3)
                                    emit (E.place ':=' '0')
                                    emit ('goto' nextstat+2)
                                    emit (E.place ':=' '1') }
E \rightarrow true
                                 { E.place := newtemp;
                                  emit (E.place ':=' '1') }
\mathbf{E}
     \rightarrow false
                                    E.place = newtemp;
                                    emit (E.place ':=' '0') }
```

#### Flow of control statements:

In second method the boolean expressions are evaluated using flow of control statements; if-then, if —else; while-do.

The following grammar is used to produce such statements:-

 $S \rightarrow if E then S1$ 

 $S \rightarrow \text{if E then } S1 \text{ else } S2$ 

 $S \rightarrow$  while E do S1

# Functions and Attributes used in the translation of control Statements:-

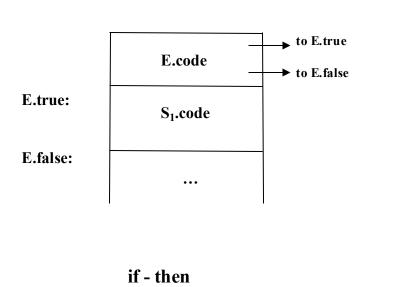
Flow of control statements may be converted to three address code by use of the following functions:-

- newlabel returns a new symbolic label each time it is called.
- gen () "generates" the code (string) passed as a parameter to it.

The following attributes are associated with the non-terminals for the code generation:-

- code contains the generated three address code.
- true contains the label to which a jump takes place if the Boolean expression associated (if any) evaluates to "true".
- \* false contains the label to which a jump takes place if the Boolean expression (if any) associated evaluates to "false".
- begin contains the label / address pointing to the beginning of the code chunk for the statement "generated" (if any) by the non-terminal.
- next contains the label / address pointing to the end of the code chunk for the statement "generated" (if any) by the non-terminal

\* The simulation of the flow of control branching for each statement is depicted pictorially as follows



 $S \rightarrow if E then S1$ 

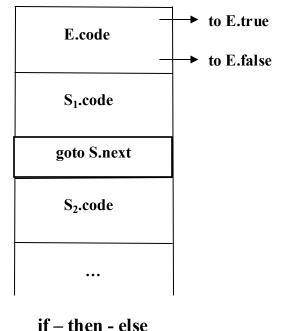
E.true := newlabel;
E.false := S.next;
S1.next := S.next;
S.code := E.code || gen(E.true ':') || S1.code

#### $S \rightarrow \text{if E then } S1 \text{ else } S2$

E.true := newlabel;
E.false := newlabel;
S1.next := S.next;
S2.next := S.next;
S.code := E.code || gen(E.true ':')

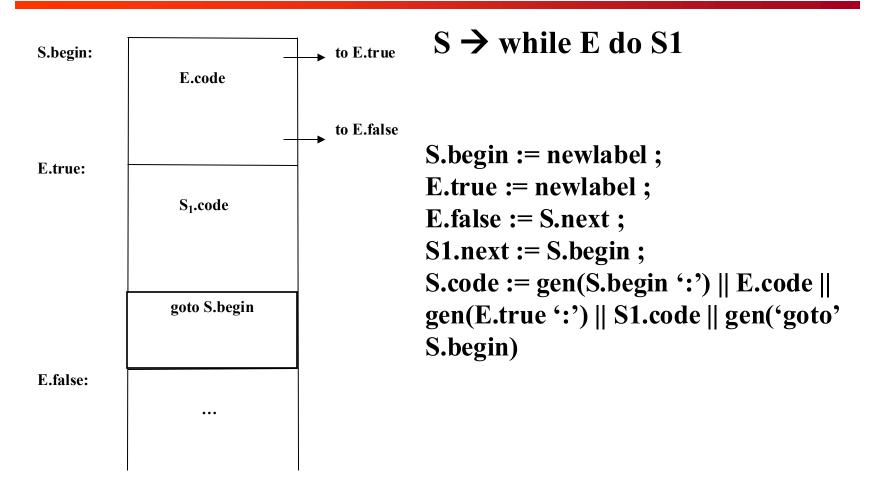
| S1.code | gen('goto' S.next) |

gen(E.false ':') || S2.code



E.true:

#### $S \rightarrow$ while E do S1



while - do