

# Candy Piles



Alice is celebrating the New Year with  $n$  piles of candies! Each pile  $i$  contains  $c_i$  candies, and she defines her *happiness factor* as the minimum number of candies in any pile. As this is a special day, Alice wants to *try to maximize her happiness factor* by choosing exactly one pile and doubling the number of candies in it.

Find the following two values and print them as space-separated integers on a single line:

1. The maximum happiness factor Alice can achieve after doubling the number of candies in one of her piles.
2. The number of ways Alice can choose a pile to achieve the maximum happiness factor. In other words, this is **the total number of piles that still result in the same maximum happiness factor** if Alice chooses to double them.

## Input Format

The first line contains an integer  $n$ .

The second line contains  $n$  space-separated integers describing  $c_0, c_1, c_2, \dots, c_{n-1}$ .

## Constraints

- $1 \leq n \leq 100$
- $1 \leq c_i \leq 10^5$

## Output Format

Print the following two space-separated integers on a single line:

1. The maximum happiness factor Alice can achieve after doubling the number of candies in one of her piles.
2. The number of ways Alice can choose a pile to achieve the maximum happiness factor.

## Sample Input 0

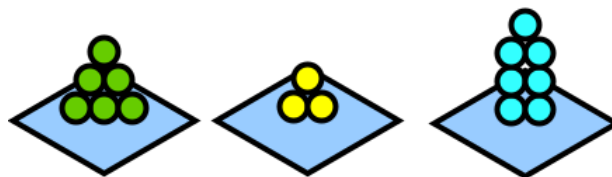
```
3
6 3 7
```

## Sample Output 0

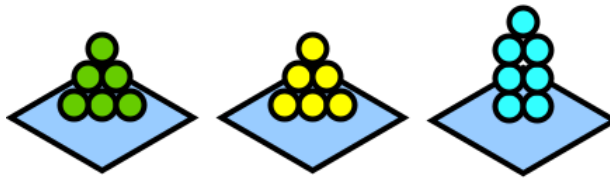
```
6 1
```

## Explanation 0

Alice's candy piles initially look like this:



We then find the happiness factor (i.e., the minimum number of candies in any pile), which is **3**. Alice chooses the second pile and doubles its candies:



After doubling the second pile, the happiness factor becomes **6**; this is maximal, because the happiness factor would've remained at **3** if Alice had chosen any of the other piles to double. We then print the maximum happiness factor, **6**, followed by the number of piles that result in that happiness factor when doubled, which is **1**.

#### Sample Input 1

```
2
3 3
```

#### Sample Output 1

```
3 2
```

#### Explanation 1

We have two piles with three candies each, so our initial happiness factor is **3**. No matter which pile Alice chooses to double, she will end up with one pile that has **3** candies and one pile that has **6** candies. This means the happiness factor will remain at **3** regardless of which of the  $n$  piles Alice chooses to double.

We then print the maximum happiness factor, **3**, followed by the number of piles that result in that happiness factor when doubled, which is **2**.