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LAB RECORD

Bio Inspired Systems (23CS5BSBIS)

Submitted by

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in partial fulfilment for the award of the degree of

BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING



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CERTIFICATE

This is to certify that the Lab work entitled “Bio Inspired Systems (23CS5BSBIS)” carried out by **Chirag S (1BM23CS079)**, who is Bonafide student of **B.M.S. College of Engineering**. It is in partial fulfilment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

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GitHub Link:

<https://github.com/ChiragS00/1BM23CS079-BIS.git>

Program 1: Genetic Algorithm for Optimization Problems

Genetic Algorithms (GA) are inspired by the process of natural selection and genetics, where the fittest individuals are selected for reproduction to produce the next generation. GAs are widely used for solving optimization and search problems. Implement a Genetic Algorithm using Python to solve a basic optimization problem, such as finding the maximum value of a mathematical function.

Algorithm:

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TSP using GA

Pseudo code:

1. Initialise population
Generate N random routes, each route is a permutation of cities
2. Evaluate fitness
For each route in population
Calculate total dist and fitness
 $\text{fitness} = 1/\text{distance}$
3. Repeat until stopping criteria
 - a. Selection
→ Select a subset of individuals (parents) based on fitness (tournament selection)
→ More fit routes have higher chance of getting selected
 - b. Crossover
→ For each pair of parents
→ Combine them and produce offspring
→ Ensure offspring are valid
 - c. Mutation
→ For each offspring, with a small mutation swap two cities
 - d. Evaluate fitness offspring

4) Return the best solution.

Output:

Input adjacency matrix

$$\begin{bmatrix} 0 & 2 & 9 & 10 \\ 1 & 0 & 6 & 4 \\ 15 & 7 & 0 & 8 \\ 6 & 3 & 12 & 0 \end{bmatrix}$$

Generation 1 - Best dist = 21.00

Generation 2 - Best dist = 21.00

Generation 15 - Best dist = 15.00

Best route found [2, 3, 1, 0]

Distance of best route: 21

Pseudo code:-

Fitness function:

return $1/\text{distance_route}$

def distance_route(x_1, x_2):

return $\text{math.dist}(x_1, x_2)$

def selection(population):

tournament_size = 3

selected = []

for in range(population):

tournament = random.sample(
 (population_size)

return selected

def crossover(parent 1, parent 2):

start, end = sorted(random.sample(
 (range(max(2)))

p2_index = 0

if child[0] = None:

while parent 2[p2_index] in
 child:

p2_index += 1

return child

def mutate(route):

if random.random() < mutation_rate:

route[i], route[j] = route[j],
 route[i]

Code:

```
import random
import math

NUM_CITIES = 10
POPULATION_SIZE = 100
GENERATIONS = 500
MUTATION_RATE = 0.1

cities = [(random.randint(0, 100), random.randint(0, 100)) for _ in range(NUM_CITIES)]

def distance(city1, city2):
    return math.sqrt((city1[0] - city2[0])**2 + (city1[1] - city2[1])**2)

def total_distance(route):
    dist = 0
    for i in range(len(route)):
        dist += distance(cities[route[i]], cities[route[(i + 1) % NUM_CITIES]])
    return dist

def fitness(route):
    return 1 / total_distance(route)

def generate_population():
    return [random.sample(range(NUM_CITIES), NUM_CITIES) for _ in range(POPULATION_SIZE)]

def selection(population, fitnesses):
    selected = random.choices(population, weights=fitnesses, k=POPULATION_SIZE)
    return selected

def crossover(parent1, parent2):
    start, end = sorted(random.sample(range(NUM_CITIES), 2))
    child = [None] * NUM_CITIES
    child[start:end] = parent1[start:end]
    pointer = 0
    for gene in parent2:
        if gene not in child:
            while child[pointer] is not None:
                pointer += 1
            child[pointer] = gene
    return child

def mutate(route):
    if random.random() < MUTATION_RATE:
        i, j = random.sample(range(NUM_CITIES), 2)
        route[i], route[j] = route[j], route[i]
    return route
```

```

def genetic_algorithm():
    population = generate_population()
    best_route = None
    best_distance = float('inf')

    for generation in range(GENERATIONS):
        fitnesses = [fitness(ind) for ind in population]
        new_population = []

        for _ in range(POPULATION_SIZE):
            parent1, parent2 = selection(population, fitnesses)[:2]
            child = crossover(parent1, parent2)
            child = mutate(child)
            new_population.append(child)

        population = new_population

        for route in population:
            dist = total_distance(route)
            if dist < best_distance:
                best_distance = dist
                best_route = route

        if generation % 50 == 0:
            print(f"Generation {generation}: Best Distance = {round(best_distance, 2)}")

    print("\n⊖ Final Best Route:")
    print("Route:", best_route)
    print("Distance:", round(best_distance, 2))

genetic_algorithm()

```

Program 2: Optimization via Gene Expression Algorithms:

Gene Expression Algorithms (GEA) are inspired by the biological process of gene expression in living organisms. This process involves the translation of genetic information encoded in DNA into functional proteins. In GEA, solutions to optimization problems are encoded in a manner similar to genetic sequences. The algorithm evolves these solutions through selection, crossover, mutation, and gene expression to find optimal or near-optimal solutions. GEA is effective for solving complex optimization problems in various domains, including engineering, data analysis, and machine learning.

Algorithm:

Lab - 2
Gene Exp algo

1. Input no of cities
2. Input pop size

for each generation:

- children = $\{\}$
- for each pair (p_1, p_2) in population
 - child 1 = crossover (p_1, p_2)
 - child 2 = crossover (p_2, p_1)

for each child in children

- randomly swap cities

for each route in population

- distance = total tour length
- fitness = -distance

END FOR

Output:-

Population : $[(0, 1, 2), (1, 0, 2), (2, 0, 1)]$
After crossover : $[(2, 0, 1), (2, 1, 0), (1, 0, 2)]$
After mutation : $[(2, 1, 0), (1, 0, 2), (2, 0, 1)]$

$[2, 1, 0]$	$d = 50$
$[1, 0, 2]$	$d = 28$
$[1, 0, 2]$	$d = 25$

Best path $[1, 0, 2]$ dist - 25

Code:

```
import random
import math

# Parameters
NUM_CITIES = 10
POPULATION_SIZE = 100
GENERATIONS = 500
MUTATION_RATE = 0.1

# Generate random cities
cities = [(random.randint(0, 100), random.randint(0, 100)) for _ in range(NUM_CITIES)]

def distance(city1, city2):
    return math.sqrt((city1[0] - city2[0])**2 + (city1[1] - city2[1])**2)

def total_distance(route):
    dist = 0
    for i in range(len(route)):
        dist += distance(cities[route[i]], cities[route[(i + 1) % NUM_CITIES]])
    return dist

def fitness(route):
    return 1 / total_distance(route)

def generate_population():
    return [random.sample(range(NUM_CITIES), NUM_CITIES) for _ in range(POPULATION_SIZE)]

def selection(population, fitnesses):
    selected = random.choices(population, weights=fitnesses, k=POPULATION_SIZE)
    return selected

def crossover(parent1, parent2):
    start, end = sorted(random.sample(range(NUM_CITIES), 2))
    child = [None] * NUM_CITIES
    child[start:end] = parent1[start:end]
    pointer = 0
    for gene in parent2:
        if gene not in child:
            while child[pointer] is not None:
                pointer += 1
            child[pointer] = gene
    return child

def mutate(route):
    if random.random() < MUTATION_RATE:
        i, j = random.sample(range(NUM_CITIES), 2)
        route[i], route[j] = route[j], route[i]
    return route
```

```

def genetic_algorithm():
    population = generate_population()
    best_route = None
    best_distance = float('inf')

    for generation in range(GENERATIONS):
        fitnesses = [fitness(ind) for ind in population]
        new_population = []

        for _ in range(POPULATION_SIZE):
            parent1, parent2 = selection(population, fitnesses)[:2]
            child = crossover(parent1, parent2)
            child = mutate(child)
            new_population.append(child)

        population = new_population

        # Track best
        for route in population:
            dist = total_distance(route)
            if dist < best_distance:
                best_distance = dist
                best_route = route

        if generation % 50 == 0:
            print(f"Generation {generation}: Best Distance = {round(best_distance, 2)}")

    print("\n⊖ Final Best Route:")
    print("Route:", best_route)
    print("Distance:", round(best_distance, 2))

genetic_algorithm()

```

Program 3: Particle Swarm Optimization for Function Optimization:

Particle Swarm Optimization (PSO) is inspired by the social behaviour of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function.

Algorithm:

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Particle Swarm Optimization Algorithm

Algorithm Input:
 Objective function $f(x)$ to minimize
 Number of particles N
 Number of dimensions D
 Inertia weight w
 Cognitive coefficient c_1
 Social coefficient c_2
 Number of iterations T
 Search Space bounds $[x_{min}, x_{max}]$

Output:
 Best solution g_{best}
 Best fitness value $f(g_{best})$

- Initialization:**
 For each particle $i = 1$ to N :
 Randomly initialize position $x_i \in [x_{min}, x_{max}]$
 Randomly initialize velocity $v_i \in [-x_{max}, x_{min}]$
 Set personal best position $p_i = x_i$
 Evaluate Fitness $f(p_i)$
- Initialize Global Best**
 Find particle with best fitness: $g_{best} = \arg \min f(p_i)$
- Main Loop (for each iteration $t = 1$ to T):**
 For each particle $i = 1$ to N :
 - Update velocity:**

$$v_i = w \cdot v_i + c_1 \cdot r_1 \cdot (p_i - x_i) + c_2 \cdot r_2 \cdot (g_{best} - x_i)$$

Date _____
Page _____

$r_1, r_2 \sim U(0, 1)$: random number

- Update Position:**

$$x_i = x_i + v_i$$
- Evaluate Fitness:**

$$f(x_i)$$
- Update Personal Best:**
 IF $f(x_i) < f(p_i)$, then:

$$p_i = x_i$$
- Update Global Best:**
 IF $f(p_i) < f(g_{best})$, then:

$$g_{best} = p_i$$

- End Loop**
- Return**
 $g_{best}, f(g_{best})$

Output:

Iteration 1/5, Best score: 42.26400
 Iteration 2/5, Best Score: 27.86051
 Iteration 3/5, Best Score: 17.54317
 Iteration 4/5, Best Score: 11.91625
 Iteration 5/5, Best Score: 9.33747

Best position found: $[-0.1220095 \quad -1.7489604 \quad 0.35808573 \quad 0.05861977 \quad 2.48637418]$
 Best score: 9.337468

Code:

```
import random
import numpy as np

def fitness_function(position):
    x, y = position
    return -(x**2 + y**2 - 4*x - 6*y)

def particle_swarm_optimization(dimensions, num_particles, max_iterations, threshold):
    w = 0.5
    c1 = 1.2
    c2 = 1.4

    swarm = []
    for _ in range(num_particles):
        position = np.random.uniform(-10, 10, size=dimensions)
        velocity = np.random.uniform(-1, 1, size=dimensions)
        pbest_position = position.copy()
        pbest_fitness = fitness_function(position)
        swarm.append({'position': position, 'velocity': velocity,
                      'pbest_position': pbest_position, 'pbest_fitness': pbest_fitness})

    gbest_position = np.zeros(dimensions)
    gbest_fitness = -float('inf')

    for i in range(max_iterations):
        for p in swarm:
            fitness = fitness_function(p['position'])

            if fitness > p['pbest_fitness']:
                p['pbest_fitness'] = fitness
                p['pbest_position'] = p['position'].copy()

            if fitness > gbest_fitness:
                gbest_fitness = fitness
                gbest_position = p['position'].copy()

        if gbest_fitness >= threshold:
            print(f"Early stopping at iteration {i}")
            break

    for p in swarm:
        rand1 = random.random()
        rand2 = random.random()

        inertia = w * p['velocity']
        cognitive = c1 * rand1 * (p['pbest_position'] - p['position'])
        social = c2 * rand2 * (gbest_position - p['position'])

        p['velocity'] = inertia + cognitive + social
```

```
p['position'] = p['position'] + p['velocity']

print("SOLUTION FOUND:")
print(f" Position: {gbest_position}")
print(f" Fitness: {gbest_fitness}")
return gbest_position, gbest_fitness

particle_swarm_optimization(dimensions=2, num_particles=20, max_iterations=5000, threshold=2)
```

Program4: Ant Colony Optimization for the Traveling Salesman Problem:

The foraging behaviour of ants has inspired the development of optimization algorithms that can solve complex problems such as the Traveling Salesman Problem (TSP). Ant Colony Optimization (ACO) simulates the way ants find the shortest path between food sources and their nest. Implement the ACO algorithm using Python to solve the TSP, where the objective is to find the shortest possible route that visits a list of cities and returns to the origin city.

Algorithm:

Ant Colony Algorithm For Travelling Sales Problem

1. Algorithm:

1. Initialize pheromone values and parameters
 α = importance of pheromone
 β = importance of heuristic distance
 ρ = evaporation rate
2. Evaluation & Pheromone Update
~~Repeat until stopping criterion~~
Calculate the length of each ant's tour.
Evaporate existing pheromones and deposit new pheromones proportional to the quality of tours, reinforcing shorter paths. Often, only the best ants update pheromones.
3. Iteration & Output
Repeat construction, evaluation, and pheromone updates until max iterations or convergence.
Output the shortest tour found and its length.

Pseudo code:

```
Initialise pheromone on edges to 1  
Set algorithm parameter:  $\alpha, \beta, \rho, \rho_0$   
While stopping criterion not met:  
  for each ant  $k=1$  to  $m$ :  
    place ant  $k$  on a randomly chosen start city  
    While there are unvisited cities  
      choose next city  $j$  based on  $p_{ij}^k$   
      move ant  $k$  to city  $j$   
    Complete the tour by returning to the
```

start city
Compute tour length L_k
Update pheromone:
For all edge $[i,j]$
 $\tau_{ij} \leftarrow (1-\rho) \cdot \tau_{ij}$
For each ant k :
For each edge $[i,j]$ in ant's tour
 $\tau_{ij} \leftarrow \tau_{ij} + Q/L_k$
Update the best tour found if a shorter tour is discovered.
Output the shortest tour & its length.

Input:

~~Parameters~~

Input:

- $n_{\text{ants}} = 10$
- $n_{\text{iterations}} = 100$
- $\alpha = 1$
- $\beta = 5$
- evaporation = 0.5

Output:

Best Position: $[-3.86e-09, 2.464e-09]$
Best Score: 1.496e-17

Code:

```
import numpy as np
import random
```

```
NUM_CITIES = 5
NUM_ANTS = 20
NUM_ITERATIONS = 100
ALPHA = 1.0
BETA = 5.0
RHO = 0.5
Q = 100
```

```
cities = np.random.rand(NUM_CITIES, 2)
distance_matrix = np.linalg.norm(cities[:, None] - cities, axis=2)
pheromone_matrix = np.ones((NUM_CITIES, NUM_CITIES))
```

```
def calculate_probabilities(current_city, visited):
    probabilities = []
    for next_city in range(NUM_CITIES):
        if next_city in visited:
            probabilities.append(0)
        else:
            pheromone = pheromone_matrix[current_city][next_city] ** ALPHA
            heuristic = (1 / distance_matrix[current_city][next_city]) ** BETA
            probabilities.append(pheromone * heuristic)
    total = sum(probabilities)
    return [p / total if total > 0 else 0 for p in probabilities]
```

```
def construct_tour():
    start_city = random.randint(0, NUM_CITIES - 1)
    tour = [start_city]
    while len(tour) < NUM_CITIES:
        probs = calculate_probabilities(tour[-1], tour)
        next_city = np.random.choice(range(NUM_CITIES), p=probs)
        tour.append(next_city)
    return tour
```

```
def compute_tour_length(tour):
    return sum(distance_matrix[tour[i]][tour[(i + 1) % NUM_CITIES]] for i in range(NUM_CITIES))
```

```
best_tour = None
best_length = float('inf')
```

```
for iteration in range(NUM_ITERATIONS):
    all_tours = []

    for _ in range(NUM_ANTS):
```

```

tour = construct_tour()
length = compute_tour_length(tour)
all_tours.append((tour, length))

if length < best_length:
    best_tour = tour
    best_length = length

pheromone_matrix *= (1 - RHO)

for tour, length in all_tours:
    for i in range(NUM_CITIES):
        a, b = tour[i], tour[(i + 1) % NUM_CITIES]
        pheromone_matrix[a][b] += Q / length
        pheromone_matrix[b][a] += Q / length # symmetric TSP

clean_tour = [int(city) for city in best_tour]
print("Best tour:", clean_tour)

print("Best length:", round(best_length, 4))

```


Program 5: Cuckoo Search (CS):

Cuckoo Search (CS) is a nature-inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nests of other birds, leading to the optimization of survival strategies. CS uses Lévy flights to generate new solutions, promoting global search capabilities and avoiding local minima. The algorithm is widely used for solving continuous optimization problems and has applications in various domains, including engineering design, machine learning, and data mining.

Algorithm:

Cuckoo Search Algorithm

Pseudocode Algorithm

1. Initialise the population (N nests) randomly
2. Evaluate the fitness of all nests
3. While (stopping criterion not met)
 - a. For each cuckoo (nest)
 - i) Generate a new solution using Lévy flight
 - ii) Evaluate the fitness of the new solution
 - iii) If the new solution is better, replace the old one
 - b. Some nests are abandoned and new ones are created
 - c. Evaluate the fitness of the new nests
4. Return the best solution found

Pseudocode

Initialize parameters

n = Number of host nests (population size)

P_a = Discovery probability

max-iterations = Maximum number of iteration

Generate initial population of schedules (nests)

nests = [random-schedule() for i in range(n)]

Main optimization loop

for t in range(max-iterations):

 # Generate new solution (cuckoo eggs) via Lévy flight

 for i in range(n):

 cuckoo = Lévy-flight(nests[i])

 # Evaluate fitness (quality of schedule)

 if fitness(cuckoo) > fitness(nests[i]):

nests[i] = cuckoo # Replace with better schedule

Abandon some nests and create new random schedules

for i in range(n):

 if random() < P_a :

 nests[i] = random-schedule()

Keep the best schedules (solutions) for the next generation

Return the best schedule found

best-schedule = select-best(nests)

Output:

Best Solution: [1. 0. 0. 0.195 1.]

Best Value: 57.863205021639025

Score 80/100

Code:

```
import numpy as np
import math

# --- Levy flight ---
def levy_flight(Lambda, dim):
    sigma = (math.gamma(1 + Lambda) * np.sin(np.pi * Lambda / 2) /
              (math.gamma((1 + Lambda) / 2) * Lambda * 2**((Lambda - 1) / 2)))**(1 / Lambda)
    u = np.random.normal(0, sigma, size=dim)
    v = np.random.normal(0, 1, size=dim)
    step = u / abs(v)**(1 / Lambda)
    return step

# --- Sigmoid for binary conversion ---
def sigmoid(x):
    return 1 / (1 + np.exp(-x))

# --- Fitness function for knapsack ---
def fitness_function(x_bin, weights, values, capacity):
    total_weight = np.sum(x_bin * weights)
    total_value = np.sum(x_bin * values)
    if total_weight > capacity:
        return -1 # Penalize overweight solutions heavily
    else:
        return total_value

# --- Cuckoo Search for Binary Knapsack ---
def cuckoo_search_knapsack(weights, values, capacity, n=25, Pa=0.25, Maxt=500):
    dim = len(weights)
    # Initialize nests (continuous vectors)
    nests = np.random.uniform(low=-1, high=1, size=(n, dim))
    # Convert to binary solutions
    nests_bin = np.array([sigmoid(nest) > np.random.rand(dim) for nest in nests])
    fitness = np.array([fitness_function(x, weights, values, capacity) for x in nests_bin])

    best_idx = np.argmax(fitness)
    best_nest = nests[best_idx].copy()
    best_bin = nests_bin[best_idx].copy()
    best_fitness = fitness[best_idx]

    t = 0
    while t < Maxt:
        for i in range(n):
            # Generate new solution by Levy flight
            step = levy_flight(1.5, dim)
            new_nest = nests[i] + 0.01 * step
            # Convert new_nest to binary
            new_bin = sigmoid(new_nest) > np.random.rand(dim)
            new_fitness = fitness_function(new_bin, weights, values, capacity)

            # If new solution is better, replace
```

```

    if new_fitness > fitness[i]:
        nests[i] = new_nest
        nests_bin[i] = new_bin
        fitness[i] = new_fitness

    if new_fitness > best_fitness:
        best_fitness = new_fitness
        best_nest = new_nest.copy()
        best_bin = new_bin.copy()

# Abandon fraction Pa of worst nests
num_abandon = int(Pa * n)
worst_indices = np.argsort(fitness)[:num_abandon]
for idx in worst_indices:
    nests[idx] = np.random.uniform(-1, 1, dim)
    nests_bin[idx] = sigmoid(nests[idx]) > np.random.rand(dim)
    fitness[idx] = fitness_function(nests_bin[idx], weights, values, capacity)

    if fitness[idx] > best_fitness:
        best_fitness = fitness[idx]
        best_nest = nests[idx].copy()
        best_bin = nests_bin[idx].copy()

t += 1

return best_bin, best_fitness

if __name__ == "__main__":
    print("Enter the number of items:")
    n_items = int(input())

    weights = []
    values = []

    print("Enter the weights of the items (space-separated):")
    weights = np.array(list(map(float, input().split())))
    if len(weights) != n_items:
        raise ValueError("Number of weights does not match number of items.")

    print("Enter the values of the items (space-separated):")
    values = np.array(list(map(float, input().split())))
    if len(values) != n_items:
        raise ValueError("Number of values does not match number of items.")

    print("Enter the knapsack capacity:")
    capacity = float(input())

    print("Enter population size (default 25):")
    n = input()
    n = int(n) if n.strip() else 25

    print("Enter abandonment probability Pa (default 0.25):")

```

```

Pa = input()
Pa = float(Pa) if Pa.strip() else 0.25

print("Enter maximum iterations Maxt (default 500):")
Maxt = input()
Maxt = int(Maxt) if Maxt.strip() else 500

best_solution, best_value = cuckoo_search_knapsack(weights, values, capacity, n=n, Pa=Pa,
Maxt=Maxt)

print("\nBest solution (items selected):", best_solution.astype(int))
print("Total value:", best_value)
print("Total weight:", np.sum(best_solution * weights))

```

Program 6: Grey Wolf Optimizer (GWO):

The Grey Wolf Optimizer (GWO) algorithm is a swarm intelligence algorithm inspired by the social hierarchy and hunting behavior of grey wolves. It mimics the leadership structure of alpha, beta, delta, and omega wolves and their collaborative hunting strategies. The GWO algorithm uses these social hierarchies to model the optimization process, where the alpha wolves guide the search process while beta and delta wolves assist in refining the search direction. This algorithm is effective for continuous optimization problems and has applications in engineering, data analysis, and machine learning.

Algorithm:

Grey Wolf Optimization
Algorithm

Step 1: Initialization

Define the population size N (number of wolves)
Initialize the positions of wolves randomly in the search space:

$$X_i = (x_{i,1}, x_{i,2}, \dots, x_{i,d}), i = 1, 2, \dots, N$$

where d = number of dimensions

Max iteration = T
co-efficient vectors \vec{A} and \vec{C}
Linearly decreasing parameter a from 2 to 0

Step 2: Evaluate Fitness

Compute the fitness value of each wolf using the objective function.

Identify the three best wolves:

- Alpha (α): best solution
- Beta (β): second best
- Delta (δ): third best

Other wolves are considered Omega (ω)

Step 3: Encircling Prey

$$\vec{D} = |\vec{C} \cdot \vec{x}_p(t) - \vec{x}(t)|$$

$$\vec{x}(t+1) = \vec{x}_p(t) - \vec{A} \cdot \vec{D}$$

where

- \vec{x}_p = position of prey
- $\vec{A} = 2a\vec{r}_1, -a$, where $\vec{r}_1 \in [0, 1]$
- $\vec{C} = 2 \cdot \vec{r}_2$, where $\vec{r}_2 \in [0, 1]$

Step 4: Hunting

Wolves update their positions based on α, β, δ :

$$\vec{D}_\alpha = |\vec{C}_1 \cdot \vec{x}_\alpha - \vec{x}|$$

$$\vec{D}_\beta = |\vec{C}_2 \cdot \vec{x}_\beta - \vec{x}|$$

$$\vec{D}_\delta = |\vec{C}_3 \cdot \vec{x}_\delta - \vec{x}|$$

$$\vec{x}_1 = \vec{x}_1 - \vec{A}_1 \cdot \vec{D}_\alpha$$

$$\vec{x}_2 = \vec{x}_2 - \vec{A}_2 \cdot \vec{D}_\beta$$

$$\vec{x}_3 = \vec{x}_3 - \vec{A}_3 \cdot \vec{D}_\delta$$

Step 5: Final position update

$$\vec{x}(t+1) = \frac{\vec{x}_1 + \vec{x}_2 + \vec{x}_3}{3}$$

Step 5: Updating the control parameter

a decreases linearly from 2 to 0 over iteration

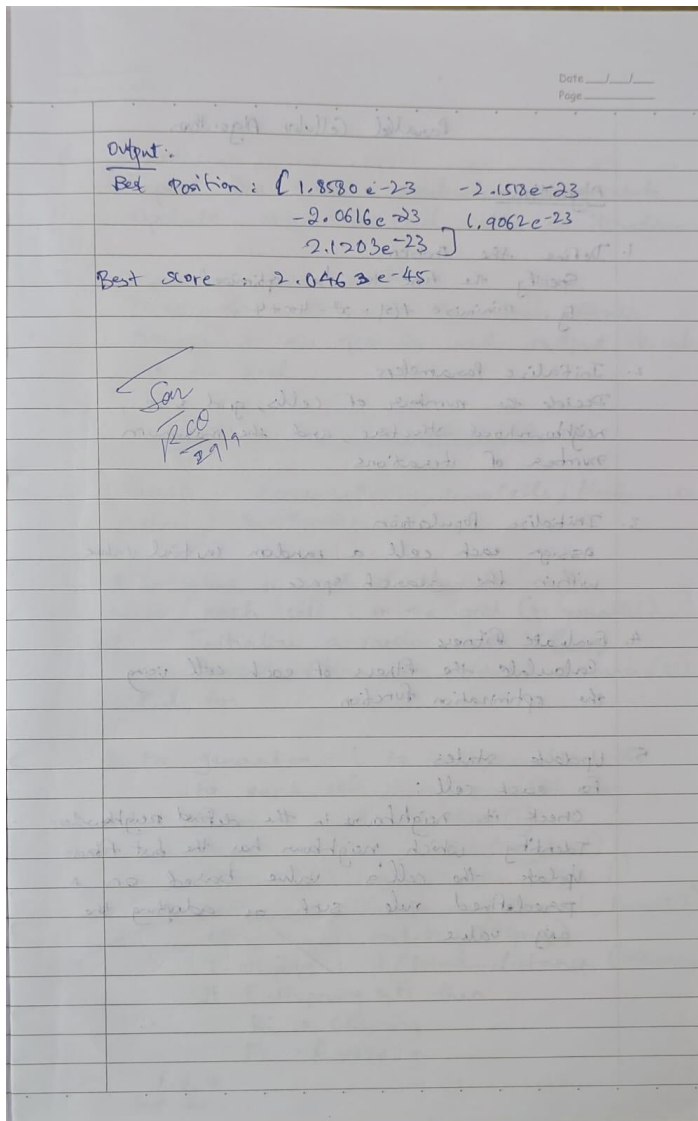
$$a = 2 - 2t$$

Step 6: Termination

Repeat Steps 2-5 until:

- Max iteration T reached, or
- Convergence criterion met.

Return the position of Alpha wolf (α) as best solution.



Code:

```
import numpy as np
import random
```

```
def distance_matrix(cities):
    n = len(cities)
    dist = np.zeros((n, n))
    for i in range(n):
```

```

        for j in range(n):
            dist[i][j] = np.linalg.norm(np.array(cities[i]) - np.array(cities[j]))
        return dist

def tour_length(tour, dist):
    return sum(dist[tour[i]][tour[(i+1)%len(tour)]] for i in range(len(tour)))

def initialize_population(num_wolves, num_cities):
    return [random.sample(range(num_cities), num_cities) for _ in range(num_wolves)]

def gwo_tsp(cities, num_wolves=20, max_iter=100):
    dist = distance_matrix(cities)
    population = initialize_population(num_wolves, len(cities))
    fitness = [tour_length(tour, dist) for tour in population]

    alpha, beta, delta = sorted(zip(population, fitness), key=lambda x: x[1]):3

    for iter in range(max_iter):
        a = 2 - iter * (2 / max_iter)
        new_population = []

        for wolf in population:
            new_tour = []
            for i in range(len(cities)):
                r1, r2 = random.random(), random.random()
                A1 = 2 * a * r1 - a
                C1 = 2 * r2
                D_alpha = abs(C1 * alpha[0][i] - wolf[i])
                X1 = alpha[0][i] - A1 * D_alpha

                # Repeat for beta and delta
                # Combine X1, X2, X3 and discretize
                new_tour.append(int(X1) % len(cities))

            # Ensure it's a valid permutation
            new_tour = list(dict.fromkeys(new_tour))
            while len(new_tour) < len(cities):
                new_tour.append(random.choice([i for i in range(len(cities)) if i not in new_tour]))

            new_population.append(new_tour)

        population = new_population
        fitness = [tour_length(tour, dist) for tour in population]
        alpha, beta, delta = sorted(zip(population, fitness), key=lambda x: x[1]):3

    return alpha[0], alpha[1]

# Example usage
cities = [(0,0), (1,5), (5,2), (6,6), (8,3)]
best_tour, best_distance = gwo_tsp(cities)
print("Best tour:", best_tour)
print("Distance:", best_distance)

```


Program 7: Particle Swarm Optimization for Function Optimization:

Particle Swarm Optimization (PSO) is inspired by the social behavior of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function.

Algorithm:

Parallel Cellular Algorithm

Algorithm

1. Define the Problem
Specify the func to be optimized
Eg: minimize $f(x) = x^2 - 4x + 4$
2. Initialize Parameters
Decide the number of cells, grid size, neighbourhood structure, and the maximum number of iterations
3. Initialize Population
Assign each cell a random initial value within the search space.
4. Evaluate Fitness
Calculate the fitness of each cell using the optimization function.
5. Update states
For each cell:
Check its neighbours in the defined neighbourhood.
Identify which neighbour has the best fitness.
Update the cell's value based on a predefined rule such as adopting the avg value

6. Iterate:
Repeat the fitness evaluation and state Update steps for all cells for iterations

7. Output the best solution
Track the cell with the best fitness throughout the process and output its value at the end

Pseudocode for TSP using PCA

Input : Distance Matrix, NumCells, MaxGeneration
Output : BestRouteFound

1. Initialize a grid of NumCells cells
2. For each cell i in the grid (in parallel)
Initialize a random route R_i
Compute fitness $F_i = 1 / \text{total_distance}(R_i)$
End for
3. For generation = 1 to MaxGeneration do
For each cell i in parallel do
Neigh _{i} = get-neighbors(i)
Parent1 = select-best(Neigh _{i})
Parent2 = select-random(Neigh _{i})
Offspring = crossover(Parent1, Parent2)
Offspring = mutate(Offspring)
 $F_{\text{offspring}} = 1 / \text{total_distance}(\text{Offspring})$
If $F_{\text{offspring}} > F_i$ then
 $R_i = \text{Offspring}$
 $F_i = F_{\text{offspring}}$
End if
End for

4. Collect best route among all cells
5. Return Best Route Found

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Rob
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Code:

```
import numpy as np
from multiprocessing import Pool
from PIL import Image

# Load image and convert to grayscale
def load_image(path):
    img = Image.open(path).convert('L') # 'L' mode = grayscale
    return np.array(img)

# Edge detection rule for a single pixel
def detect_edge(args):
    grid, x, y, threshold = args
    rows, cols = grid.shape
    center = grid[x][y]
    for dx in [-1, 0, 1]:
        for dy in [-1, 0, 1]:
            if dx == 0 and dy == 0:
                continue
            nx, ny = x + dx, y + dy
            if 0 <= nx < rows and 0 <= ny < cols:
                if abs(int(center) - int(grid[nx][ny])) > threshold:
                    return 255 # Edge
    return 0 # Non-edge

# Parallel cellular edge detection
def parallel_edge_detection(image, threshold=20):
    rows, cols = image.shape
    args = [(image, x, y, threshold) for x in range(rows) for y in range(cols)]
    with Pool() as pool:
        edges = pool.map(detect_edge, args)
    return np.array(edges).reshape((rows, cols))

# Save or display result
def save_edge_image(edge_array, output_path='edges.png'):
    edge_img = Image.fromarray(edge_array.astype(np.uint8))
    edge_img.save(output_path)
    edge_img.show()

# Example usage
if __name__ == '__main__':
    image = load_image('your_image.jpg') # Replace with actual image path
    edges = parallel_edge_detection(image, threshold=30)
    save_edge_image(edges)
```