# Efficient Evidence Accumulation Clustering for large datasets / big data

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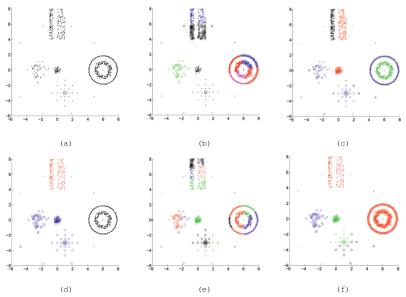
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### What is clustering?

"The goal of data clustering, also known as cluster analysis, is to discover the natural grouping(s) of a set of patterns, points, or objects." <sup>1</sup>

<sup>&</sup>lt;sup>1</sup>A. K. Jain, "Data clustering: 50 years beyond K-means," Pattern Recognition Letters, vol. 31

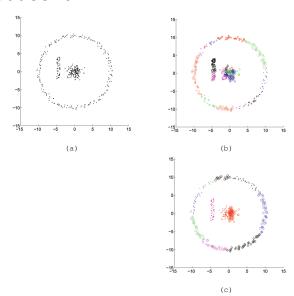
### What is clustering?



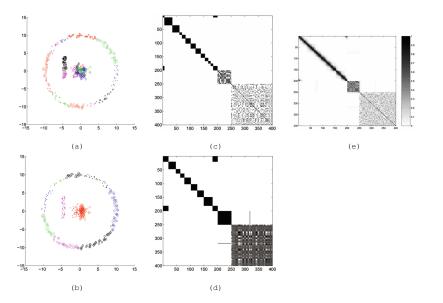
A. N. L. Fred and A. K. Jain, "Combining multiple clusterings using evidence accumulation",

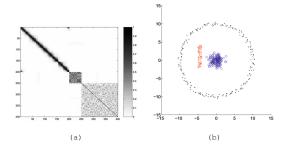
# Evidence Accumulation Clustering

- State-of-the-art
- Robust
- Ensemble method



#### EAC: Combination



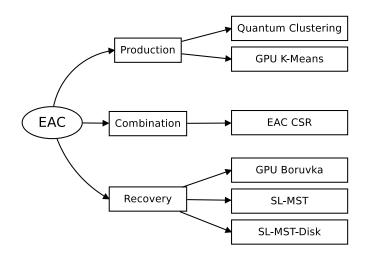


memory complexities of EAC.

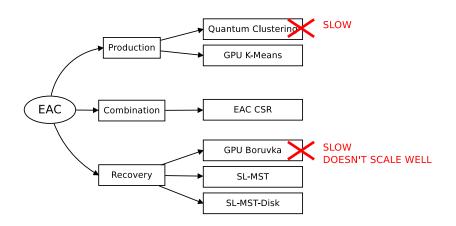
# ■ Devise strategies to reduce computation and

- Validation of Big Data EAC on real data.
- Application of Evidence Accumulation Clustering to Big Data.

#### Proposed solution: overview



# Proposed solution: final



# Optimizing production of ensemble

- K-Means is simple and has been used with EAC before with success.
- K-Means:
  - labelling: find the closest centroid to each data pattern
  - update: new centroids are the mean of the assigned patterns
- lacktriangle Number of clusters from interval  $[K_{min}, K_{max}]$
- Optimization through parallelization in GPU.

#### GPGPU K-Means

- CUDA GPGPU
  - Hundreds of processors
  - Single instruction multiple thread approach
  - Shared memory between threads

#### GPU K-Means

#### ■ GPU

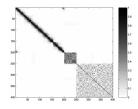
- Hundreds of processors
- Single instruction multiple thread approach
- Shared memory between threads

#### ■ Parallel K-Means

- 1 Host sends data and centroids to GPU
- 2 GPU threads compute the closest centroid to data patterns.
- 3 The label and distance are stored and transfered to host.
- 4 Host computes new centroids and sends them back to host.
- 5 Repeat steps 2-4 until stopping criteria is met.

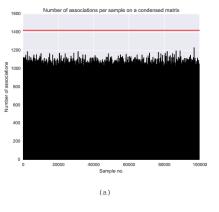
- lacksquare Biggest challenge:  $O(n^2)$  memory complexity
  - $200\,000$  dataset  $\longrightarrow$  149 GB
  - 1000000 dataset  $\longrightarrow 3725$  GB
- Co-association matrix is:
  - symmetric (49.5% reduction)
  - lacksquare sparse (association density as low as 1%)

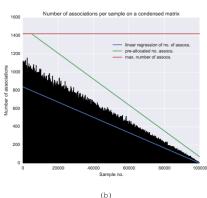
#### ■ exploiting sparsity



- Library solutions are either very slow or occupy too much memory
- Lack of literature on fast building
- Compromise between speed and memory:

#### EAC CSR





# Optimizing final clustering

- Single-Link (SL) has been used before with success
- SL is a hierarchical agglomerative algorithm
- SL works on a pair-wise proximity matrix between all patterns
- SL is equivalent to a Minimum Spanning Tree (MST)
- Disk based MST variant to address very large co-association matrices

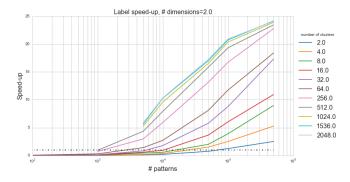
#### Validation

dataset	Difference between accur True number of clusters	-
breast_cancer	4.948755e-06	2.825769e-06
ionosphere	1.652422e-06	1.452991e-06
iris	3.333333e-06	3.333333e-06
isolet	1.038861e-07	4.084904e-07
optdigits	3.795449e-06	1.480513e-06
pima	3.333333e-06	3.333333e-06
pima_norm	4.166667e-07	4.166667e-07
wine_norm	1.123596e-07	1.910112e-06

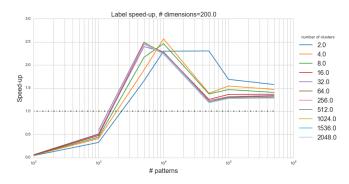
# Speed-up over sequential version

dataset	Production	Speed-up Combination	Recovery
breast_cancer	50.43974	7.544247	15.83316
ionosphere	21.86286	11.30883	19.97219
iris	19.76525	14.49562	28.50479
isolet	7.010007	6.183124	206.2837
optdigits	17.30209	10.2096	53.02636
pima	50.65624	141.4828	13.93502
pima_norm	54.25415	132.8632	14.355
wine_norm	22.92404	14.56994	25.27709

#### GPU K-Means



#### GPU K-Means

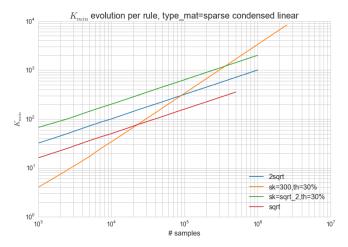


Results

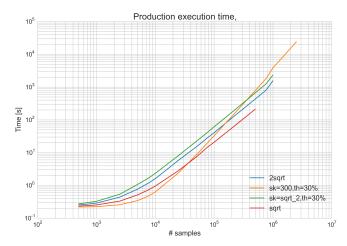
Rule	$K_{min}$	K <sub>max</sub>
sqrt 2sqrt	$\frac{\sqrt{n}}{2}$ $\sqrt{n}$	$\sqrt{n}$ $2\sqrt{n}$
sk = sqrt2 sk = 300	$sk = \frac{\sqrt{n}}{2}$ $sk = 300$	$1.3K_{min}$ $1.3K_{min}$

 $\overline{n}$  - the number of samples sk - the samples per cluster

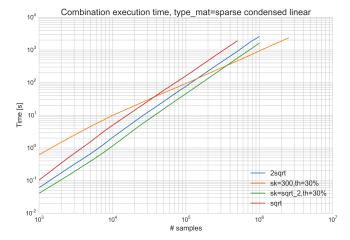
# $K_{min}$ evolution



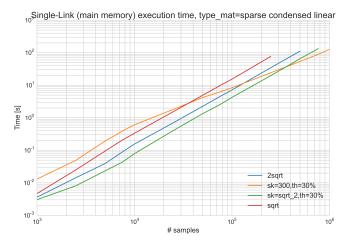
#### Production time



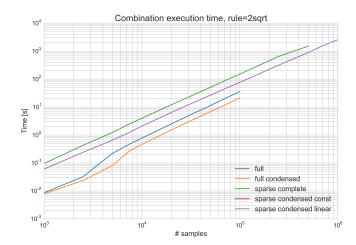
### Combination time per rule



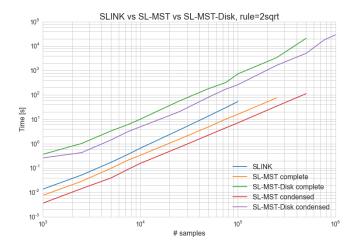
#### Single-Linkage times per rule



# Combination time per matrix format



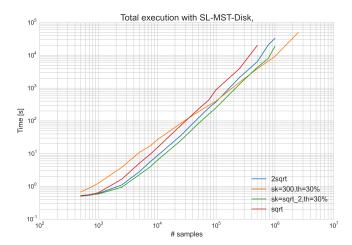
# Single-Linkage times per matrix format



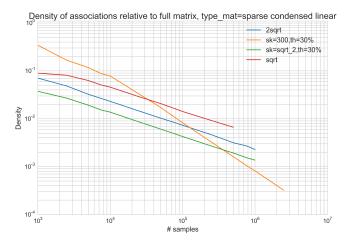
# Total time: main memory



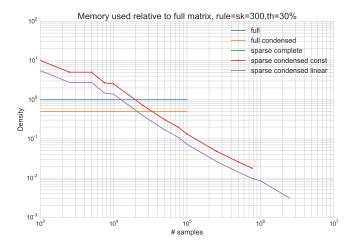
#### Total time: disk



# Association density



# Memory "density"



#### Conclusions

- Lessons learned: time vs. memory efficiency
- GPU is a valuable and widely widely available resource for data processing
- EAC was successfully scaled:
  - GPU K-Means
  - Efficient sparse matrix building
  - MST equivalence with SL
  - Disk-based algorithms
- Contributions:
  - Widen the range of EAC's applicability
  - New of way of building sparse matrix
  - lacktriangle New  $K_{min}$  rules for sparsity optimizations
- Plenty of possible extensions
- Selected parts of this work was compiled and submitted as a conference article



