

EXP 6

PREDICTIVE PARSING TABLE

AIM: To write a program for displaying the predictive parsing table of a given production

ALGORITHM:

1. Start the program.
2. Initialize the required variables.
3. Get the number of coordinates and productions from the user.
4. Perform the following
for (each production $A \rightarrow \alpha$ in G) {
for (each terminal a in $FIRST(\alpha)$)
add $A \rightarrow \alpha$ to $M[A, a]$;
if (ϵ is in $FIRST(\alpha)$)
for (each symbol b in $FOLLOW(A)$)
add $A \rightarrow \alpha$ to $M[A, b]$;
5. Print the resulting stack.
6. Print if the grammar is accepted or not.
7. Exit the program.

CODE:

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n=int(input('no of NON-TERMINAL productions'))

gram={}

for i in range(n):

    print('Enter the',i+1,' non-terminal')

    key=input()

    print('no of production for non-terminal',key)

    n1=int(input())

    l=[]

    for j in range(n1):

        l.append(input())

    value=l

    gram[key]=value

print(gram)

def removeDirectLR(gramA, A):

    """gramA is dictionary"""

    temp = gramA[A]

    tempCr = []

    tempInCr = []

    for i in temp:

        if i[0] == A:

            #tempInCr.append(i[1:])

            tempInCr.append(i[1:]+[A+""])

        else:

            #tempCr.append(i)

            tempCr.append(i+[A+""])

    tempInCr.append(["ε"])

    gramA[A] = tempCr

    gramA[A+""] = tempInCr

    return gramA

def checkForIndirect(gramA, a, ai):

    if ai not in gramA:

        return False

    if a == ai:

        return True

    for i in gramA[ai]:
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        if i[0] == ai:
            return False

        if i[0] in gramA:
            return checkForIndirect(gramA, a, i[0])

    return False

def rep(gramA, A):
    temp = gramA[A]
    newTemp = []
    for i in temp:
        if checkForIndirect(gramA, A, i[0]):
            t = []
            for k in gramA[i[0]]:
                t=[]
                t+=k
                t+=i[1:]
                newTemp.append(t)
            else:
                newTemp.append(i)

    gramA[A] = newTemp
    return gramA

def rem(gram):
    c = 1
    conv = {}
    gramA = {}
    revconv = {}
    for j in gram:
        conv[j] = "A"+str(c)
        gramA["A"+str(c)] = []
        c+=1

    for i in gram:
        for j in gram[i]:
            temp = []
            for k in j:
                if k in conv:
                    temp.append(conv[k])
            else:
                temp.append(k)

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        gramA[conv[i]].append(temp)

#print(gramA)
for i in range(c-1,0,-1):
    ai = "A"+str(i)
    for j in range(0,i):
        aj = gramA[ai][0][0]
        if ai!=aj :
            if aj in gramA and checkForIndirect(gramA,ai,aj):
                gramA = rep(gramA, ai)

for i in range(1,c):
    ai = "A"+str(i)
    for j in gramA[ai]:
        if ai==j[0]:
            gramA = removeDirectLR(gramA, ai)
            break

op = {}
for i in gramA:
    a = str(i)
    for j in conv:
        a = a.replace(conv[j],j)
    revconv[i] = a

for i in gramA:
    l = []
    for j in gramA[i]:
        k = []
        for m in j:
            if m in revconv:
                k.append(m.replace(m,revconv[m]))
            else:
                k.append(m)
        l.append(k)
    op[revconv[i]] = l

return op

```

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result = rem(gram)

terminals = []

for i in result:

    for j in result[i]:

        for k in j:

            if k not in result:

                terminals+= [k]

terminals = list(set(terminals))

#print(terminals)
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                                a+=[i[-1]]
                                else:
                                    a+=["e"]
                                if rule != term and "e" in a:
                                    a+= follow(gram,rule)

                                return a

follows = {}
for i in result:
    follows[i] = list(set(follow(result,i)))
    if "e" in follows[i]:
        follows[i].pop(follows[i].index("e"))
    follows[i]+=["$"]
#     print(f'Follow({i}):',follows[i])

resMod = {}
for i in result:
    l = []
    for j in result[i]:
        temp = ""
        for k in j:
            temp+=k
        l.append(temp)
    resMod[i] = l

# create predictive parsing table
tterm = list(terminals)
tterm.pop(tterm.index("e"))
tterm+=["$"]
pptable = {}
for i in result:
    for j in tterm:
        if j in firsts[i]:
            pptable[(i,j)]=resMod[i[0]][0]
        else:
            pptable[(i,j)]=""
    if "e" in firsts[i]:

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        for j in tterm:
            if j in follows[i]:
                pptable[(i,j)]="e"

pptable[("F","i")] = "i"
toprint = f'{"": <10}'

firsts = {}
for i in result:
    firsts[i] = first(result,i)
    print(f'First({i}):',firsts[i])

follows = {}
for i in result:
    follows[i] = list(set(follow(result,i)))
    if "e" in follows[i]:
        follows[i].pop(follows[i].index("e"))
    follows[i]+=["$"]
    print(f'Follow({i}):',follows[i])

for i in tterm:
    toprint+= f' | {i: <10}'

print(toprint)

for i in result:
    toprint = f' {i: <10}'
    for j in tterm:
        if pptable[(i,j)]!="":
            toprint+=f' | {i+"->" +pptable[(i,j)]: <10}'
        else:
            toprint+=f' | {pptable[(i,j)]: <10}'
    print(f'{"-":<76}')
    print(toprint)

```

PRODUCTION:

Construct Predictive Parsing table for the grammar

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow (E) \mid \text{id}$$

Step 1 : Eliminate Left Recursion

$$E \rightarrow T E'$$

$$E' \rightarrow + T E' \mid \varepsilon$$

$$T \rightarrow F T'$$

$$T' \rightarrow * F T' \mid \varepsilon$$

$$F \rightarrow (E) \mid \text{id}$$

Step 2 : Left Factor the grammar

There is no need for left factoring in this grammar as there are no common prefixes

Now the grammar is

$$E \rightarrow T E'$$

$$E' \rightarrow + T E' \mid \varepsilon$$

$$T \rightarrow F T'$$

$$T' \rightarrow * F T' \mid \varepsilon$$

$$F \rightarrow (E) \mid \text{id}$$

Step 3 : Compute FIRST and FOLLOW for all the non-terminals

$$\text{FIRST}(E) = \{ (, \text{id} \}$$

$$\text{FOLLOW}(E) = \{ \$,) \}$$

$$\text{FIRST}(T) = \{ (, \text{id} \}$$

$$\text{FOLLOW}(E') = \{ \$,) \}$$

$$\text{FIRST}(F) = \{ (, \text{id} \}$$

$$\text{FOLLOW}(T) = \{ +, \$,) \}$$

$$\text{FIRST}(E') = \{ +, \varepsilon \}$$

$$\text{FOLLOW}(T') = \{ +, \$,) \}$$

$$\text{FIRST}(T') = \{ *, \varepsilon \}$$

$$\text{FOLLOW}(F) = \{ +, \$,) \}$$

Step 4 : Construct predictive parsing table

The grammar after eliminating left recursion is

$E \rightarrow T E'$

$E' \rightarrow + T E'$

$E' \rightarrow \epsilon$

$T \rightarrow F T'$

$T' \rightarrow * F T'$

$T' \rightarrow \epsilon$

$F \rightarrow (E)$

$F \rightarrow \text{id}$

$\text{FIRST}[E] = \{ (, \text{id} \}$

$\text{FIRST}[T] = \{ (, \text{id} \}$

$\text{FIRST}[F] = \{ (, \text{id} \}$

$\text{FIRST}[E'] = \{ +, \epsilon \}$

$\text{FIRST}[T'] = \{ *, \epsilon \}$

$\text{FOLLOW}[E] = \{ \$,) \}$

$\text{FOLLOW}[E'] = \{ \$,) \}$

$\text{FOLLOW}[T] = \{ +, \$,) \}$

$\text{FOLLOW}[T'] = \{ +, \$,) \}$

$\text{FOLLOW}[F] = \{ +, \$,) \}$

NON - TERMINAL	INPUT SYMBOL					
	id	+	*	()	\$
E	$E \rightarrow T E'$			$E \rightarrow T E'$		
E'		$E' \rightarrow + T E'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow F T'$			$T \rightarrow F T'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow * F T'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow \text{id}$			$F \rightarrow (E)$		

OUTPUT:

no of NON-TERMINAL productions3

Enter the 1 non-terminal

E

no of production for non-terminal E

2

E+T

T

Enter the 2 non-terminal

T

no of production for non-terminal T

2

T*F

F

Enter the 3 non-terminal

F

no of production for non-terminal F

2

(E)

i

{'E': ['E+T', 'T'], 'T': ['T*F', 'F'], 'F': ['(E)', 'i']}

First(E): ['(', 'i']

First(T): ['(', 'i']

First(F): ['(', 'i']

First(E'): ['+', 'e']

First(T'): ['*', 'e']

Follow(E): [')', '\$']

Follow(T): ['+', ')', '\$']

Follow(F): ['+', ')', '*', '\$']

Follow(E'): [')', '\$']

Follow(T'): ['+', ')', '\$']

|+ |i |) |* |(|\$

E | |E->TE' | | |E->TE' |

T | |T->FT' | | |T->FT' |

F | |F->i | | |F->(E) |

E' |E'->TE' | |E'->e | | |E'->e

T' |T'->e | |T'->e |T'->FT' | |T'->e

RESULT:

The program for finding predictive parsing table is successfully compiled and executed.

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