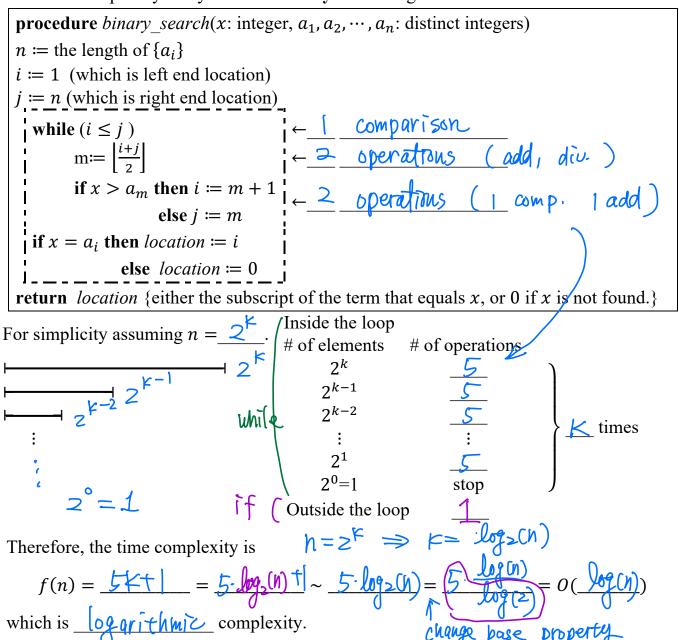
ID:\_\_\_\_\_\_\_ Name:\_\_\_\_\_

1. The time complexity analysis of the binary search algorithm



2. Binary search  $(O(\log n))$  is  $\underline{\mathcal{M}(\mathcal{V})}$  efficient than linear search (O(n)).

3. The worse-case time complexity analysis of the sorting algorithm: Bubble Sort.

```
procedure bubblesort(a_1, a_2, \dots, a_n: real numbers with n \ge 2)
n := \text{the length of } \{a_i\}
 for i := 1 to n - 1
 for j := 1 to n - i

if a_j > a_{j+1} then interchange a_j and a_{j+1}
\{a_1, a_2, \dots, a_n \text{ is in increasing order}\}
```

```
i = 1, j = 1 to _____ operations
                        Total operations:
```

The time complexity is  $f(n) = \underline{\hspace{1cm}} = O(\underline{\hspace{1cm}})$  which is complexity.

4. The worse-case time complexity analysis of the sorting algorithm: Insertion Sort.

```
procedure insertionsort(a_1, a_2, \dots, a_n: real numbers with n \ge 2)
n := \text{the length of } \{a_i\}
 for i := 2 to n
    j := 1
while (a_i > a_j \text{ and } i > j)
    j \coloneqq j + 1
    m \coloneqq a_i
for k := 0 to i - j - 1
a_{i-k} := a_{i-k-1}
a_j := m
\{a_1, a_2, \dots, a_n \text{ is in increasing order}\}
```

i=2,	$a_2 > a_1, 2 > 1, j = $	← operations	Tota
i = 3,		} ← operations	
<i>i</i> = 4,		} ← operations	
i = n,		← operations	

al operations:

The time complexity is f(n) = 0 =  $O(\underline{\hspace{1cm}})$  which is  $\underline{\hspace{1cm}}$  complexity.