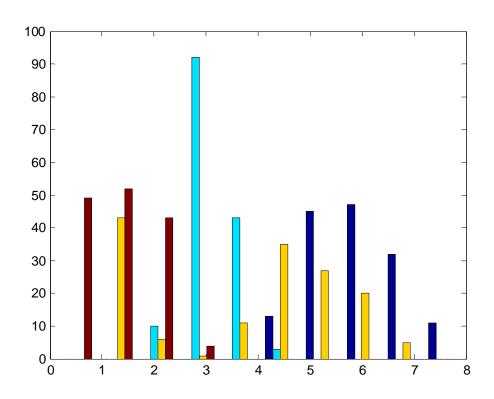
Problem1

```
a. iris=load('data/iris.txt');
y=iris(:,end);
X=iris(:,1:end-1);
whos
EDU>> mean(X)
ans =
5.9001 3.0989 3.8196 1.2526
EDU>> var(X)
ans =
0.6993 0.1916 3.0976 0.5797
```

b. EDU>> hist(X)

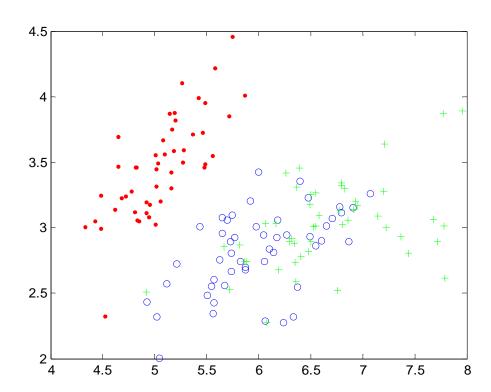


```
c. EDU>> unique(y)
```

```
ans =
0
1
2
```

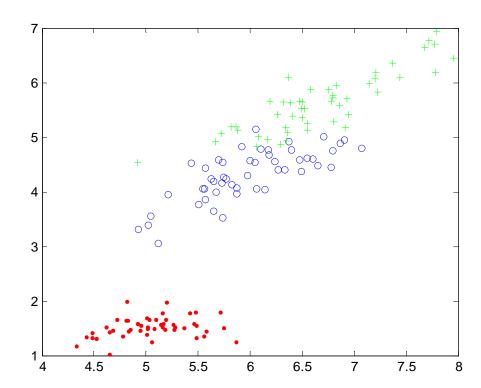
For the pair of features (1,2),

```
\begin{aligned} & plot(X(find(y==0),1),X(find(y==0),2),'.r'); \\ & hold\ on; \\ & plot(X(find(y==1),1),X(find(y==1),2),'ob'); \\ & hold\ on; \\ & plot(X(find(y==2),1),X(find(y==2),2),'+g'); \\ & hold\ off; \end{aligned}
```



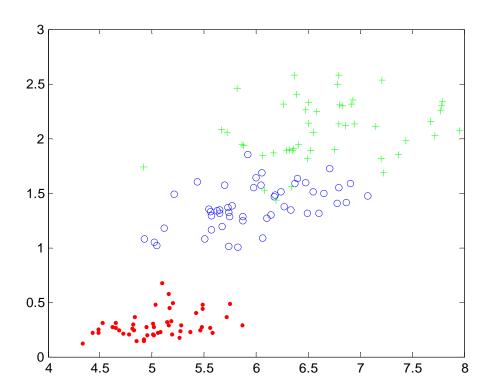
For the pair of features (1,3),

```
plot(X(find(y==0),1),X(find(y==0),3),'.r');
hold on;
plot(X(find(y==1),1),X(find(y==1),3),'ob');
hold on;
plot(X(find(y==2),1),X(find(y==2),3),'+g');
hold off;
```



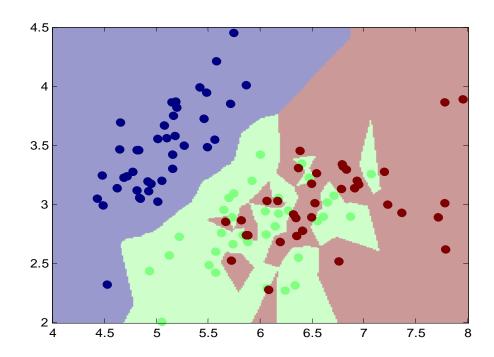
For the pair of features (1,4),

```
\begin{aligned} & plot(X(find(y==0),1),X(find(y==0),4),'.r'); \\ & hold\ on; \\ & plot(X(find(y==1),1),X(find(y==1),4),'ob'); \\ & hold\ on; \\ & plot(X(find(y==2),1),X(find(y==2),4),'+g'); \\ & hold\ off; \end{aligned}
```

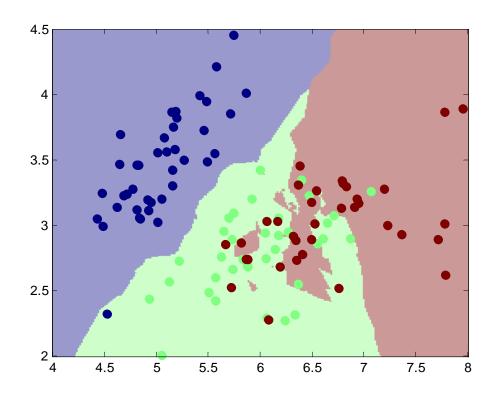


Problem2

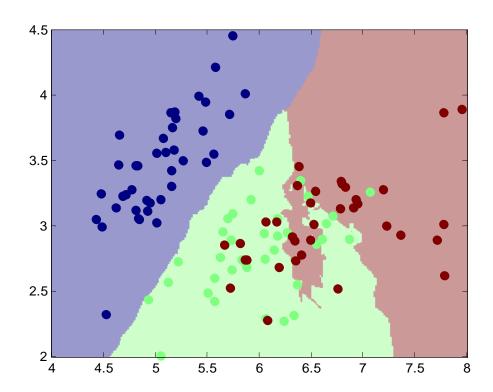
```
iris=load('data/iris.txt');
y=iris(:,end);
X=iris(:,1:end-1);
[X y] = reorderData(X,y);
[Xtr Xte Ytr Yte] = splitData(X,y,.75);
a. K =1,
knn = knnClassify(Xtr(:,1:2),Ytr,1);
plotClassify2D(knn,Xtr(:,1:2),Ytr);
```



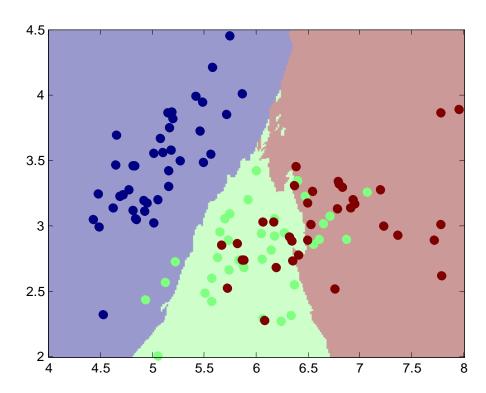
K = 5, knn = knnClassify(Xtr(:,1:2),Ytr,5); plotClassify2D(knn,Xtr(:,1:2),Ytr);



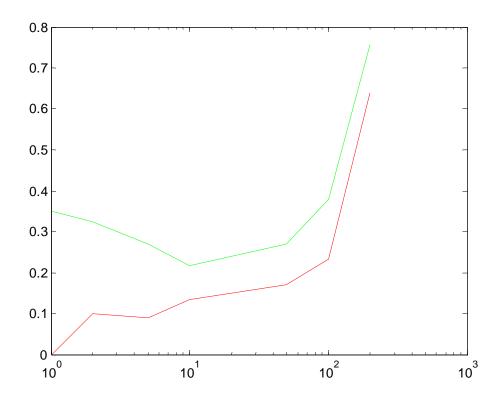
K =10, knn = knnClassify(Xtr(:,1:2),Ytr,10); plotClassify2D(knn,Xtr(:,1:2),Ytr);



K = 50, knn = knnClassify(Xtr(:,1:2),Ytr,50); plotClassify2D(knn,Xtr(:,1:2),Ytr);

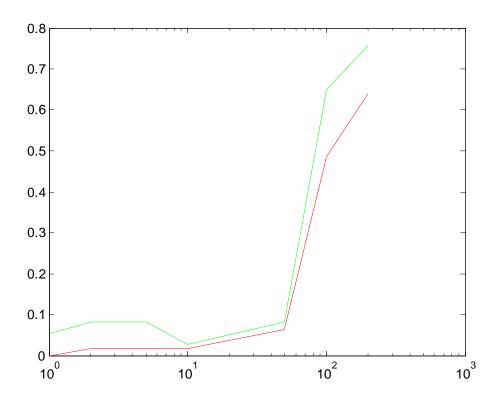


```
b.
K=[1,2,5,10,50,100,200];
for k=1:length(K)
    learner = knnClassify(Xtr(:,1:2),Ytr,K(k));
    ete(k)=err(learner,Xte(:,1:2),Yte);
    etr(k)=err(learner,Xtr(:,1:2),Ytr);
end;
figure; semilogx(K,ete,'-g');
hold on;
semilogx(K,etr,'-r');
hold off;
```



Based on these plots, K = 10 is the best value.

```
c.
K=[1,2,5,10,50,100,200];
for k=1:length(K)
    learner = knnClassify(Xt,Ytr,K(k));
    ete(k)=err(learner,Xte,Yte);
    etr(k)=err(learner,Xtr,Ytr);
end;
figure; semilogx(K,ete,'-g');
hold on;
semilogx(K,etr,'-r');
hold off;
```

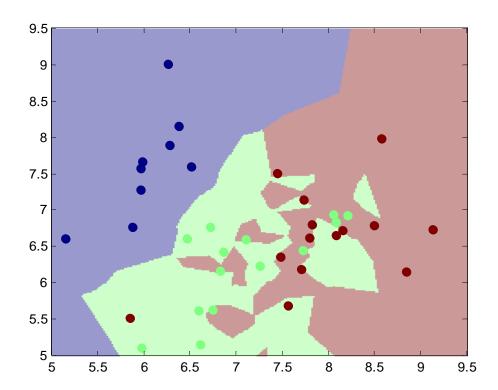


By comparing the figure in problem b and the figure in problem c, it shows that more features can improve accuracy.

d. (1) rescaling the data to unit variant.

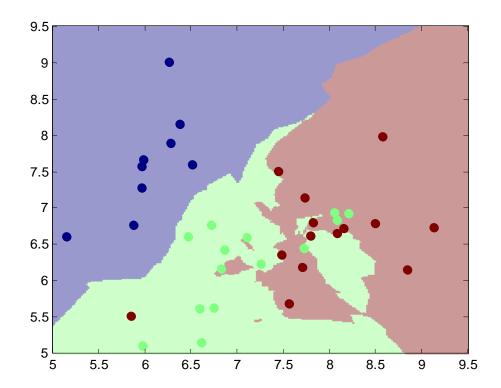
K=1,

[Xtr,T] = rescale(Xtr);
Xte=rescale(Xte,T);
knn = knnClassify(Xtr(:,1:2),Ytr,1);
plotClassify2D(knn,Xte(:,1:2),Yte);



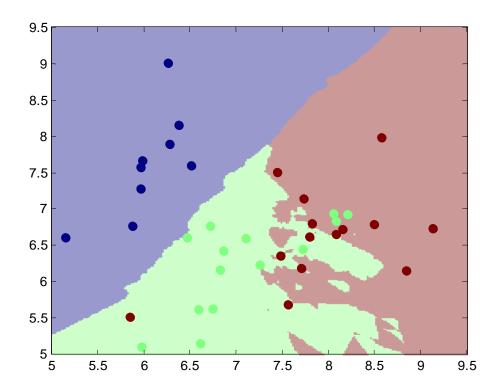
K=5,

[Xtr,T] = rescale(Xtr);
Xte=rescale(Xte,T);
knn = knnClassify(Xtr(:,1:2),Ytr,5);
plotClassify2D(knn,Xte(:,1:2),Yte);



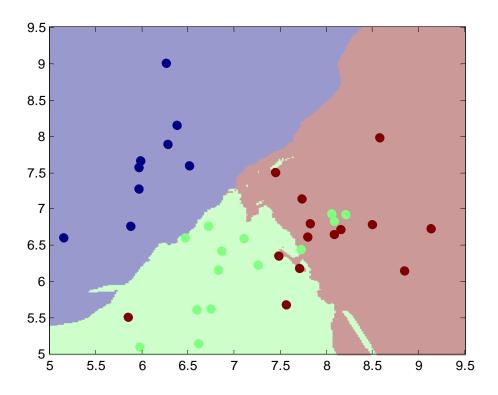
```
K=10,
```

[Xtr,T] = rescale(Xtr);
Xte=rescale(Xte,T);
knn = knnClassify(Xtr(:,1:2),Ytr,10);
plotClassify2D(knn,Xte(:,1:2),Yte);



```
K = 50,

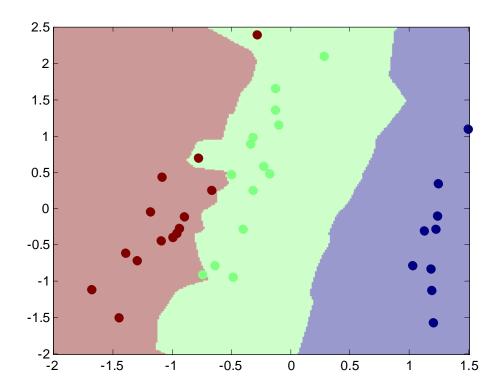
[Xtr,T] = rescale(Xtr);
Xte=rescale(Xte,T);
knn = knnClassify(Xtr(:,1:2),Ytr,50);
plotClassify2D(knn,Xte(:,1:2),Yte);
```



Comment: Rescale makes data become more center.

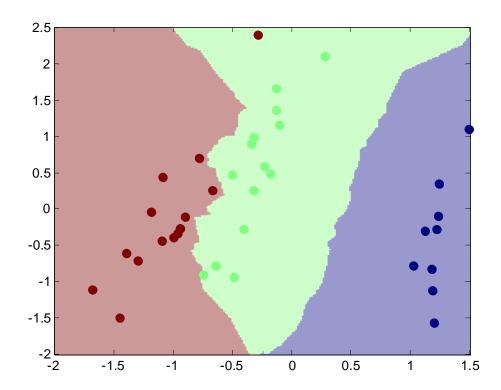
```
(2) whiten 
K = 1,
```

[Xtr,m,s] = whiten(Xtr);
Xte=whiten(Xte,m,s);
knn = knnClassify(Xtr(:,1:2),Ytr,1);
plotClassify2D(knn,Xte(:,1:2),Yte);



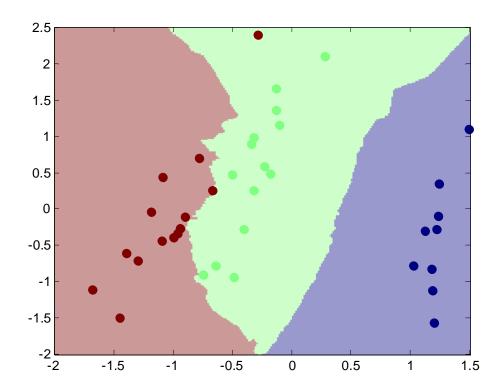
```
K = 5,
```

[Xtr,m,s] = whiten(Xtr);
Xte=whiten(Xte,m,s);
knn = knnClassify(Xtr(:,1:2),Ytr,5);
plotClassify2D(knn,Xte(:,1:2),Yte);



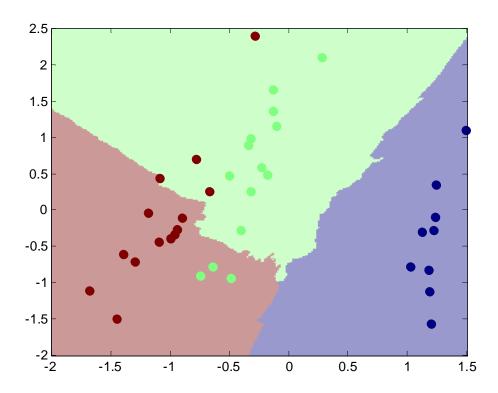
```
K = 10,
```

[Xtr,m,s] = whiten(Xtr);
Xte=whiten(Xte,m,s);
knn = knnClassify(Xtr(:,1:2),Ytr,10);
plotClassify2D(knn,Xte(:,1:2),Yte);



```
K = 50,
[Xtr,m,s] = whiten(Xtr);
Xte=whiten(Xte,m,s);
```

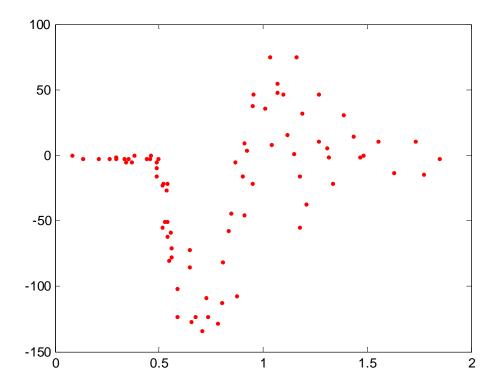
knn = knnClassify(Xtr(:,1:2),Ytr,50); plotClassify2D(knn,Xte(:,1:2),Yte);



Comment: whiten makes data distribute around 0, more center, uncorrelated with each other.

Problem3

```
a.
Tr=load('data/mcycleTrain.txt');
Te=load('data/mcycleTest.txt');
y = Tr(:,1);
x = Tr(:,2);
plot(x,y,'.r');
```



Comment: It looks like a polynomial function.

```
b.

Xtr = Tr(:,2);

Ytr = Tr(:,1);

Ir = linearRegress(Xtr,Ytr);

xs = 0:.01:2;

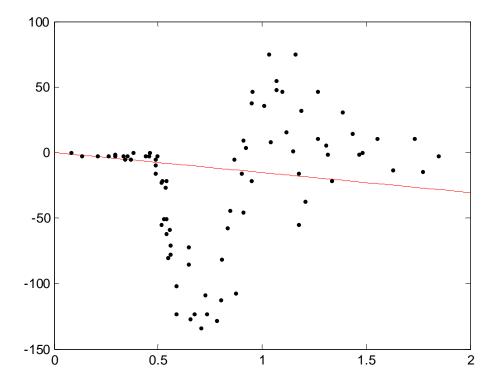
ys = predict(Ir,xs);

plot(xs,ys,'-r');

hold on;

plot(Xtr,Ytr,'.k');

hold off;
```



```
Ytr = Tr(:,1); Xtr = Tr(:,2);

Ir = linearRegress(Xtr,Ytr);

Jtr = mse(Ir,Xtr,Ytr)

Yte = Te(:,1); Xte = Te(:,2);

Jte = mse(Ir,Xte,Yte)

Jtr =

2.7978e+03
```

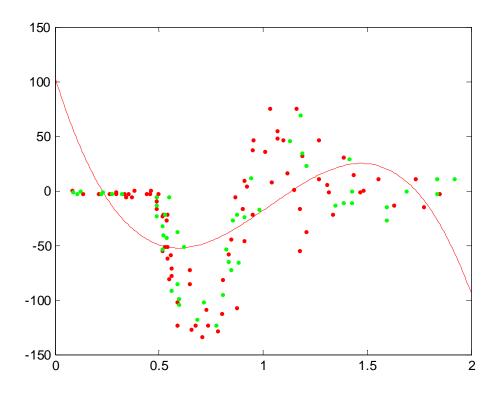
2.2504e+03

Jte =

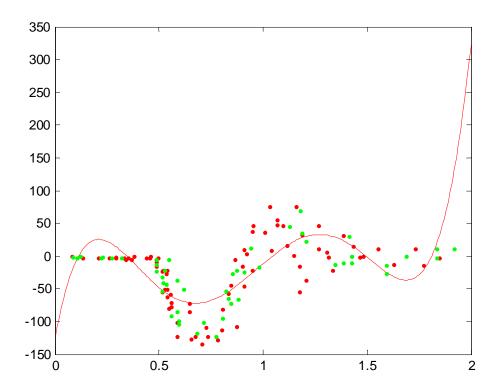
c. (1)

```
function polynomialFunction(degree)
Tr=load('data/mcycleTrain.txt');
Xtr = Tr(:,2);
Ytr = Tr(:,1);
XtrP = fpoly(Xtr,degree);
[XtrP,T] = rescale(XtrP);
Ir = linearRegress(XtrP,Ytr);
xs = [0:.01:2]';
xsP = fpoly(xs,degree);
xsP = rescale(xsP,T);
ys = predict(Ir,xsP);
plot(xs,ys,'-r');
hold on;
plot(Xtr,Ytr,'.k');
hold off;
```

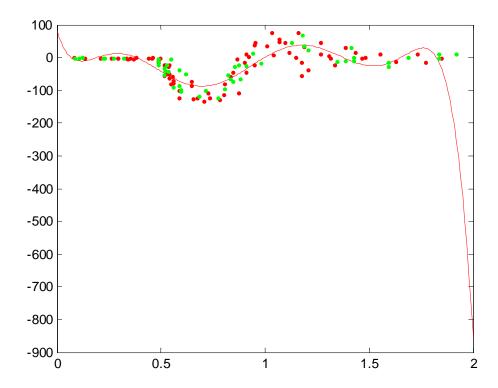
Degree = 3,



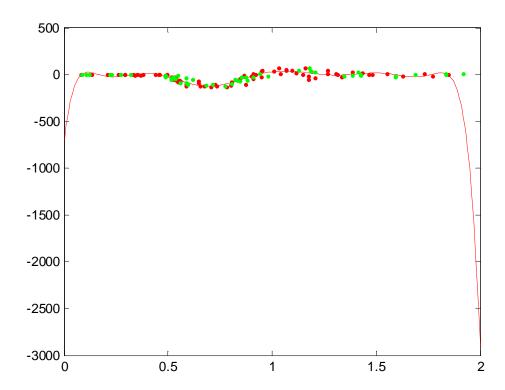
Degree = 5,



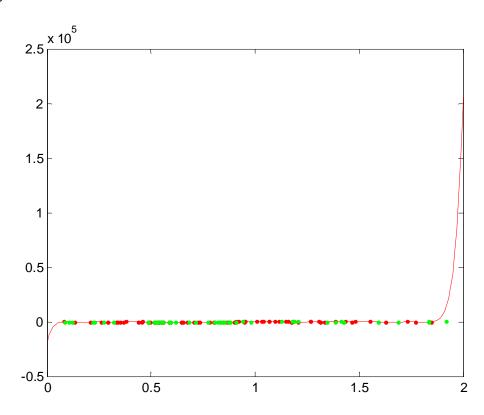
Degree = 7



Degree = 10,

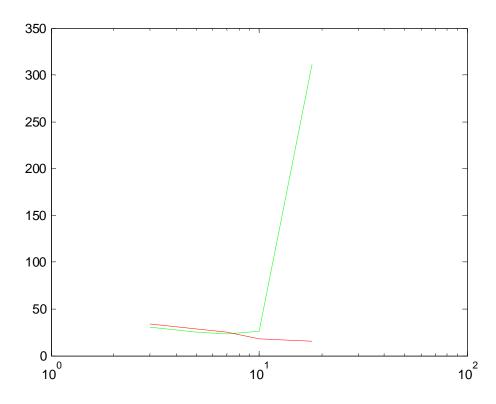


Degree = 18,

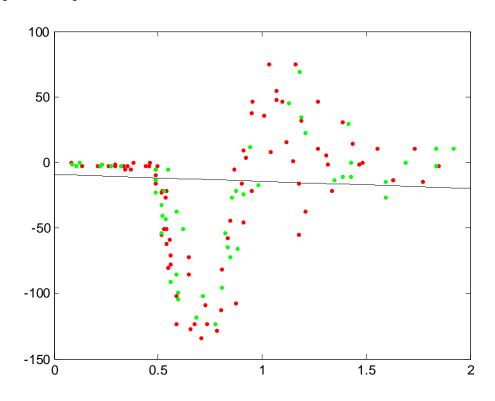


```
Tr=load('data/mcycleTrain.txt'); Te=load('data/mcycleTest.txt');
```

```
Xtr = Tr(:,2);
Ytr = Tr(:,1);
Xte = Te(:,2);
Yte = Te(:,1);
D=[3,5,7,10,18];
for d=1:length(D)
  XtrP = fpoly(Xtr,D(d));
  [XtrP,T] = rescale(XtrP);
  learner = linearRegress(XtrP,Ytr);
  XteP = fpoly(Xte,D(d));
  XteP = rescale(XteP,T);
  ete(d)=mae(learner,XteP,Yte);
  etr(d)=mae(learner,XtrP,Ytr);
end;
figure; semilogx(D,ete,'-g');
hold on;
semilogx(D,etr,'-r');
hold off;
```

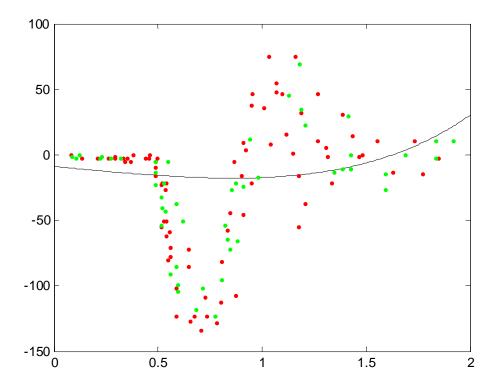


```
d.
function regularization(degree, reg)
Xtr = Tr(:,2);
Ytr = Tr(:,1);
Xte = Te(:,2);
Yte = Te(:,1);
XtrP = fpoly(Xtr,degree); %degree
[XtrP,T] = rescale(XtrP);
Ir = linearRegress(XtrP,Ytr,reg);%reg
xs = [0:.01:2]';
xsP =fpoly(xs,degree); %degree
xsP = rescale(xsP,T);
ys = predict(Ir,xsP);
plot(xs,ys,'-k');
hold on;
plot(Xtr,Ytr,'.r');
hold on;
plot(Xte,Yte,'.g');
hold off;
degree =1, reg =1,
```

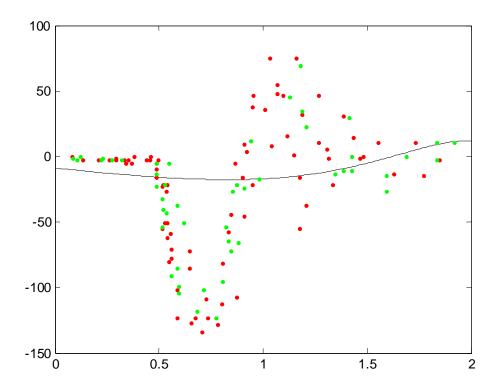


Comment: there is no much difference with the one without regulating.

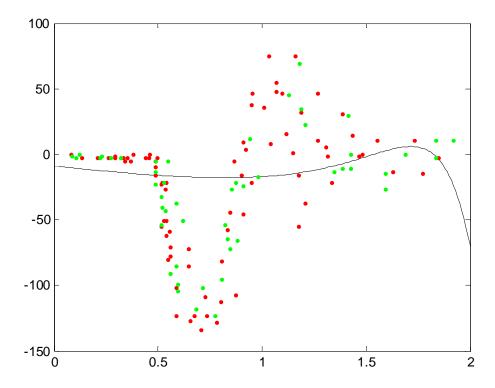
degree = 5, reg =1,



Degree =10, reg = 1,



Degree =18, reg =1,



Comment: After regulating, data is less important than the one without regulating. The function become more smooth and more practical, at least might not be over-fitting as the one without regulating.