

Naive Bayes: simple boundary, apply Bayes' theorem with the “naive” assumption of independence between every pair of features

1. efficient

http://scikit-learn.org/stable/modules/naive_bayes.html

sensitivity: $\Pr(\text{positive} | \text{have it})$

specitivity: $\Pr(\text{negative} | \text{do not have it})$

Support Vector Machine (SVM): maximize the margin (distance to the nearest point) -> robustness

Kernel trick: $(x, y) \rightarrow (x_1, \dots, x_m)$ not separable -> separable

SVM to prevent over-fitting:

1. Kernel
2. **C:** control trade-off between smoothing decision boundary and classifying training points correctly
3. gamma

[Linear kernel only gives a linear decision boundary.](#)

Entropy: how a decision tree decides where to split the data

1. measure of **impurity** in a bunch of examples
2. find the threshold where the split of data is as pure as possible

Information Gain: entropy (parent) - weighted average of entropy (children)

1. **Decision tree maximizes information gain**
2. at the start of the data, entropy (parent) is 1

Algorithms:

1. K-nearest neighbor
2. random forest (**ensemble method**) -> fit classifier to sub-tree and average result

3. boosted decision tree (adaboost) (ensemble method) -> fit a base classifier and then adjust to fit the mis-classified data

More data > Fine-Tuned Algorithm!!

Types of data:

1. numerical
2. categorical number (limited number of discrete values)
3. time-series (temporal, data, time)
4. text data

Outlier Rejection:

1. train all the data
2. remove the data with highest residual error -> 10%
3. train the data gain
4. maybe repeat 1 to 3

Feature Scaling: $x' = \frac{x - x_{min}}{x_{max} - x_{min}} \in [0, 1]$, prone to outlier

Bag of Words: take the words and count the frequency

Stop words (low-information words occur frequently)

Feature Selection

1. select best features
2. add new features

Univariate Feature Selection: treats each feature independently and asks how much power it gives you in classifying or regressing.

sklearn -> feature selection

```
from sklearn.feature_selection import ***
```

Lasso Regression: $\min \text{SSE} + \lambda * |\beta|$
($|\beta|$ is # of features)


Using Lasso in sklearn

```
import sklearn.linear_model.Lasso
features, labels = GetMyData()
regression = Lasso()
regression.fit(features, labels)
```

Difference between Feature Selection and PCA: PCA makes composite features, while feature selection eliminates some features.

variance: the spread of a data distribution

Principal Component: the direction with the largest variance



```
def doPCA():
    from sklearn.decomposition import PCA
    pca = PCA(n_components=2)
    pca.fit(data)
    return pca

pca = doPCA()
print(pca.explained_variance_ratio_)
first_pc = pca.components_[0]
second_pc = pca.components_[1]

transformed_data = pca.transform(data)
for ii, jj in zip(transformed_data, data):
    plt.scatter(first_pc[0]*ii[0], first_pc[1]*ii[0], color="r")
    plt.scatter(second_pc[0]*ii[1], second_pc[1]*ii[1], color="c")
    plt.scatter(jj[0], jj[1], color="b")

plt.xlabel("bonus")
plt.ylabel("long-term incentive")
plt.show()
```

K-fold cross validation:

1. run K times
2. choose one as test set, the others as train sets

Accuracy is not good for skewed class (only very few data points are of interest)

Confusion Matrix:

(2 by 2 matrix, **actual** positive/negative v.s. **predict** positive/negative) -> for skewed class

1. **false alarm:** true negative, predict positive
- (n by n matrix, where n is # of features)
1. **recall:** if true, the probability of identifying it to be true
 2. **precision:** if predicted to be true, the probability of it to be true

positive for actual, true or false for prediction

		PREDICTED							
TRUE	Ariel Sharon	[13	4	1	1	0	0	1]
	Colin Powell	[0	55	0	8	0	0	0]
	Donald Rumsfeld	[0	1	25	8	0	0	2]
	George W Bush	[0	3	0	123	0	0	1]
	Gerhard Schroeder	[0	1	0	7	14	0	4]
	Hugo Chavez	[0	3	0	2	1	10	0]
	Tony Blair	[0	0	1	7	0	0	26]

TRUE POSITIVES ✕
 FALSE POSITIVES ○
 FALSE NEGATIVES ✕

$$\text{precision} = \frac{\text{true positives}}{\text{true positives} + \text{false pos.}}$$

$$\text{recall} = \frac{\text{true positives}}{\text{true positives} + \text{false negatives}}$$