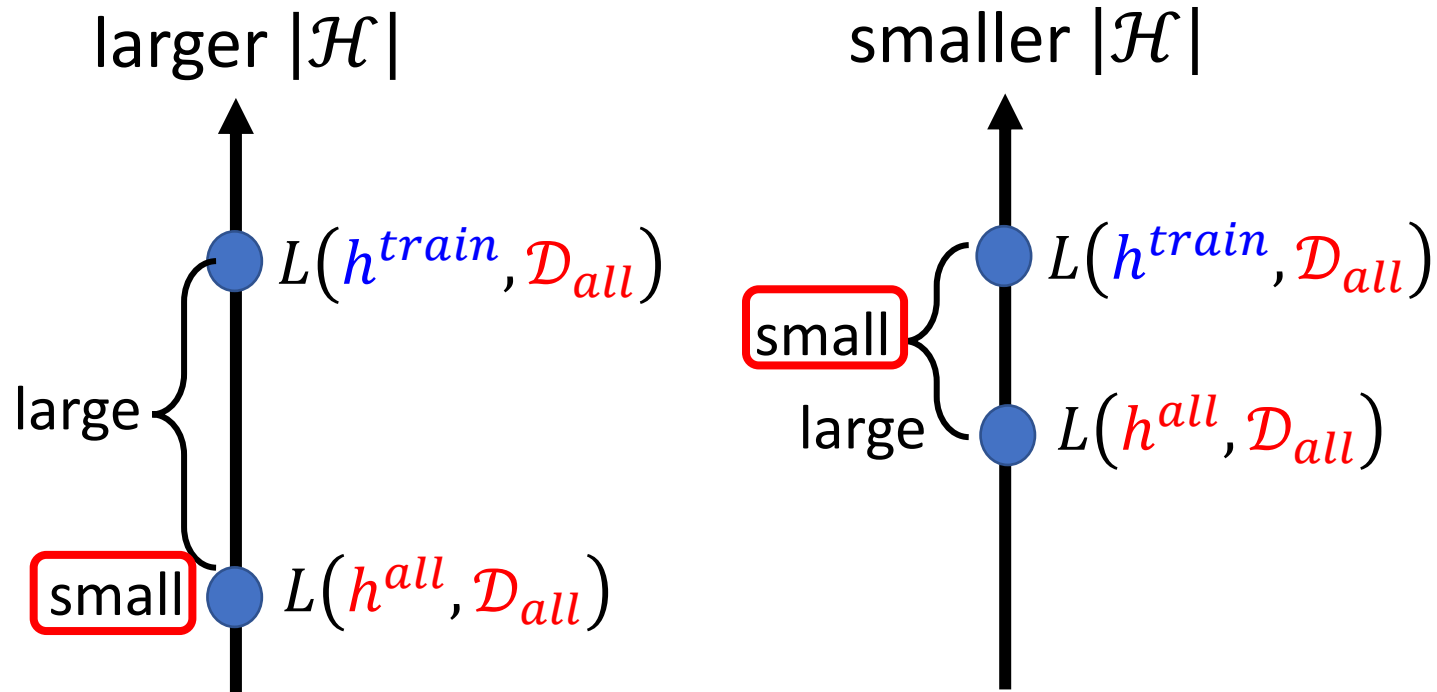


# Why Deep Learning?

李宏毅

Hung-yi Lee



魚與熊掌可以兼得嗎？

$$h^{all} = \arg \min_{h \in \mathcal{H}} L(h, \mathcal{D}_{all})$$

Still small loss

Small (fewer candidates)

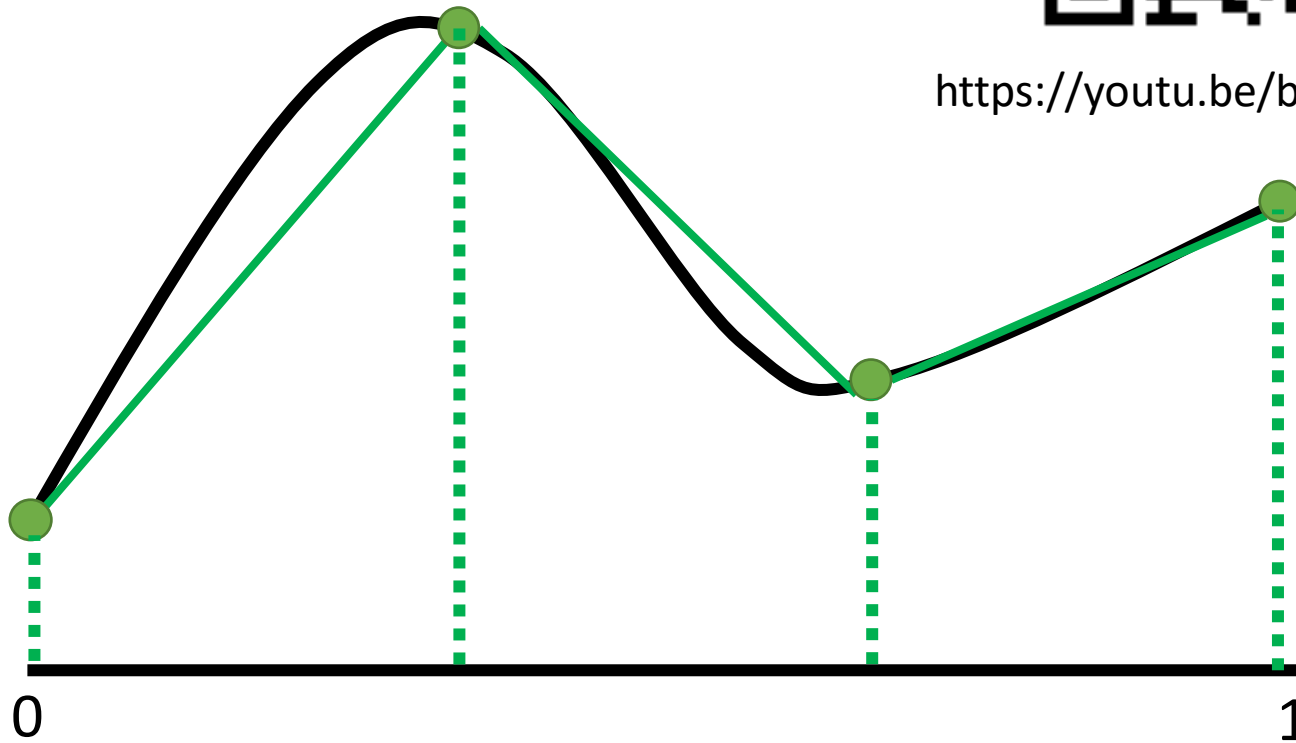


# Review: Why Hidden Layer?

# Piecewise Linear

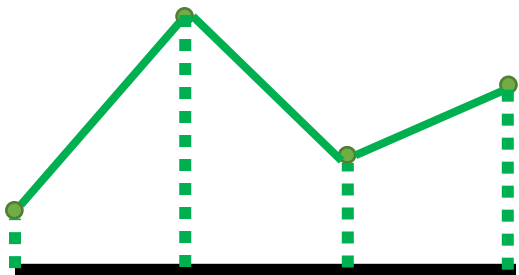


<https://youtu.be/bHcJCp2Fyxs>

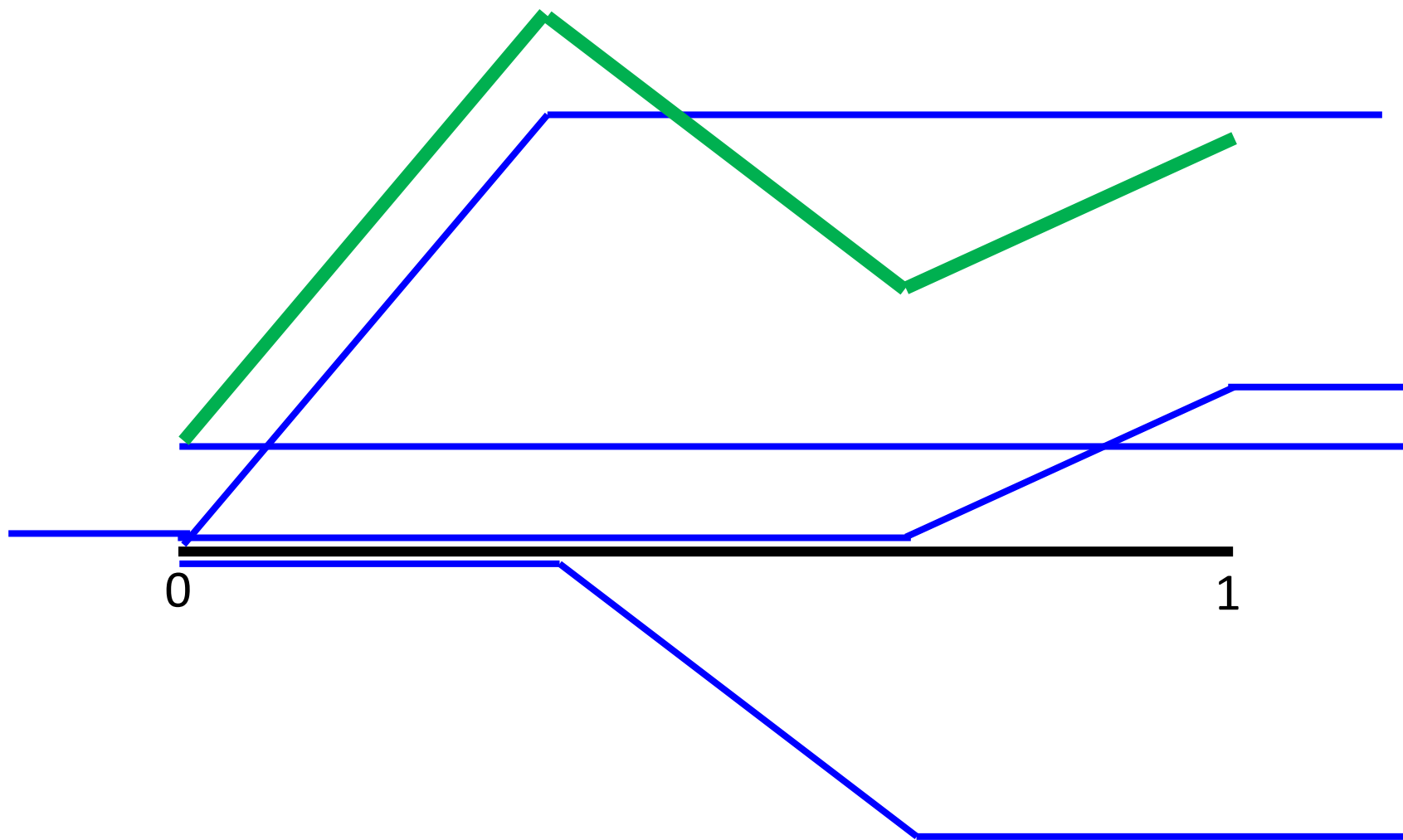


We can have good approximation with sufficient pieces.

piecewise  
linear



= constant +  
sum of a set of

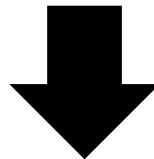


Piecewise linear = constant + sum of a set of



How to represent  
this function?

Hard Sigmoid



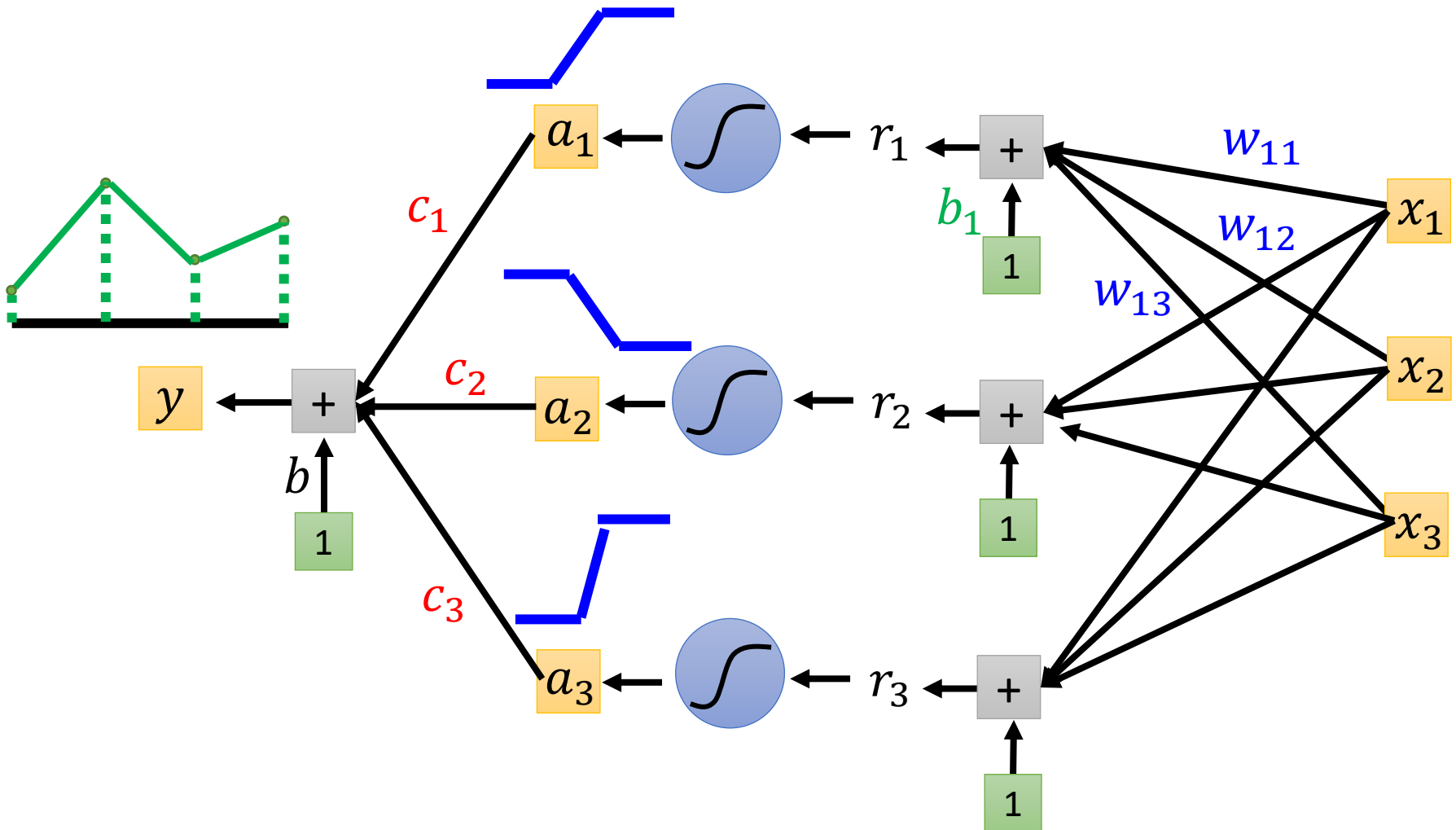
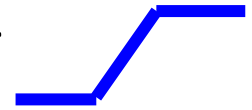
Sigmoid Function

$$y = c \frac{1}{1 + e^{-(b + wx_1)}}$$

$$= c \operatorname{sigmoid}(b + wx_1)$$

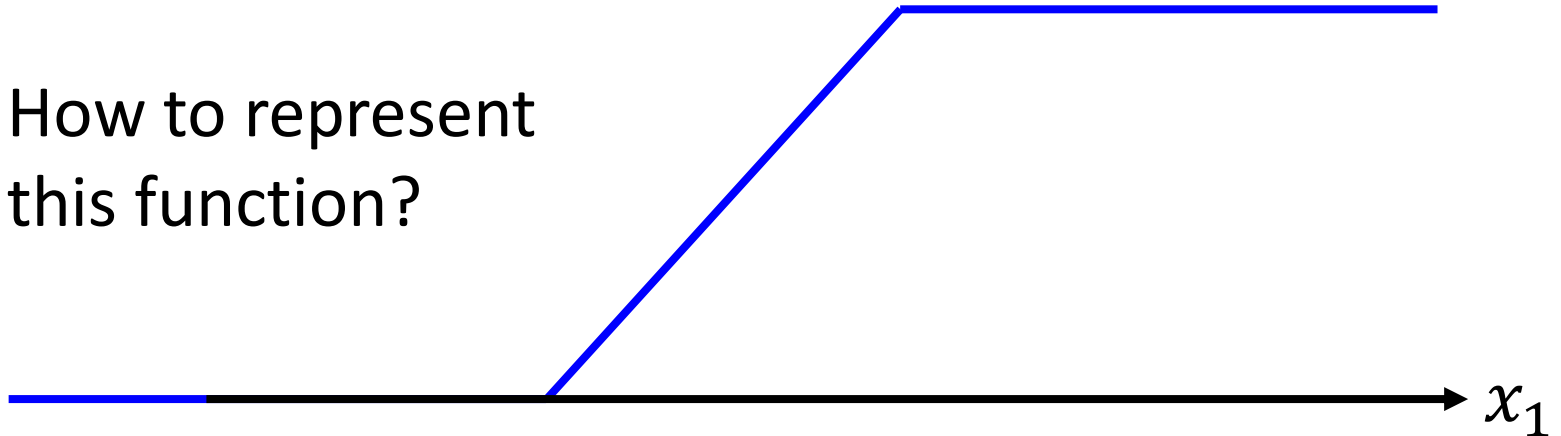


Piecewise linear = constant + sum of a set of

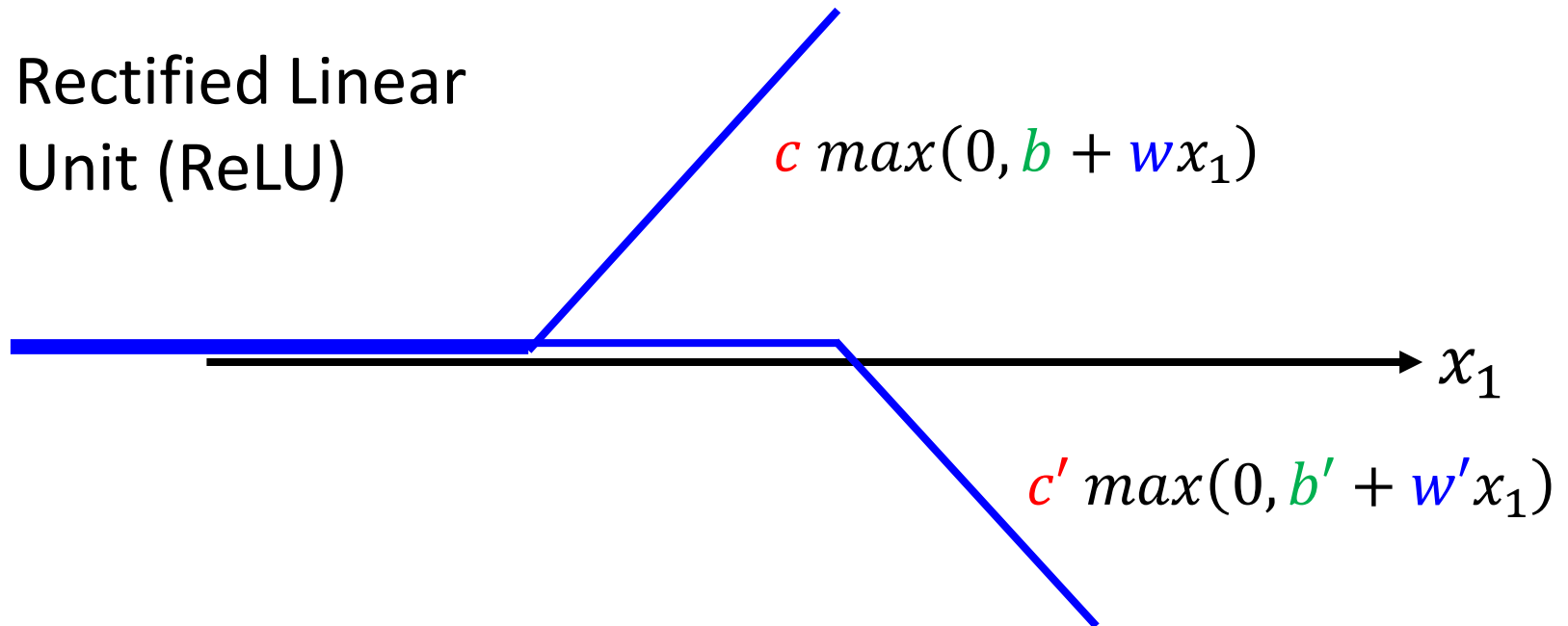


# Hard Sigmoid $\rightarrow$ ReLU

How to represent  
this function?



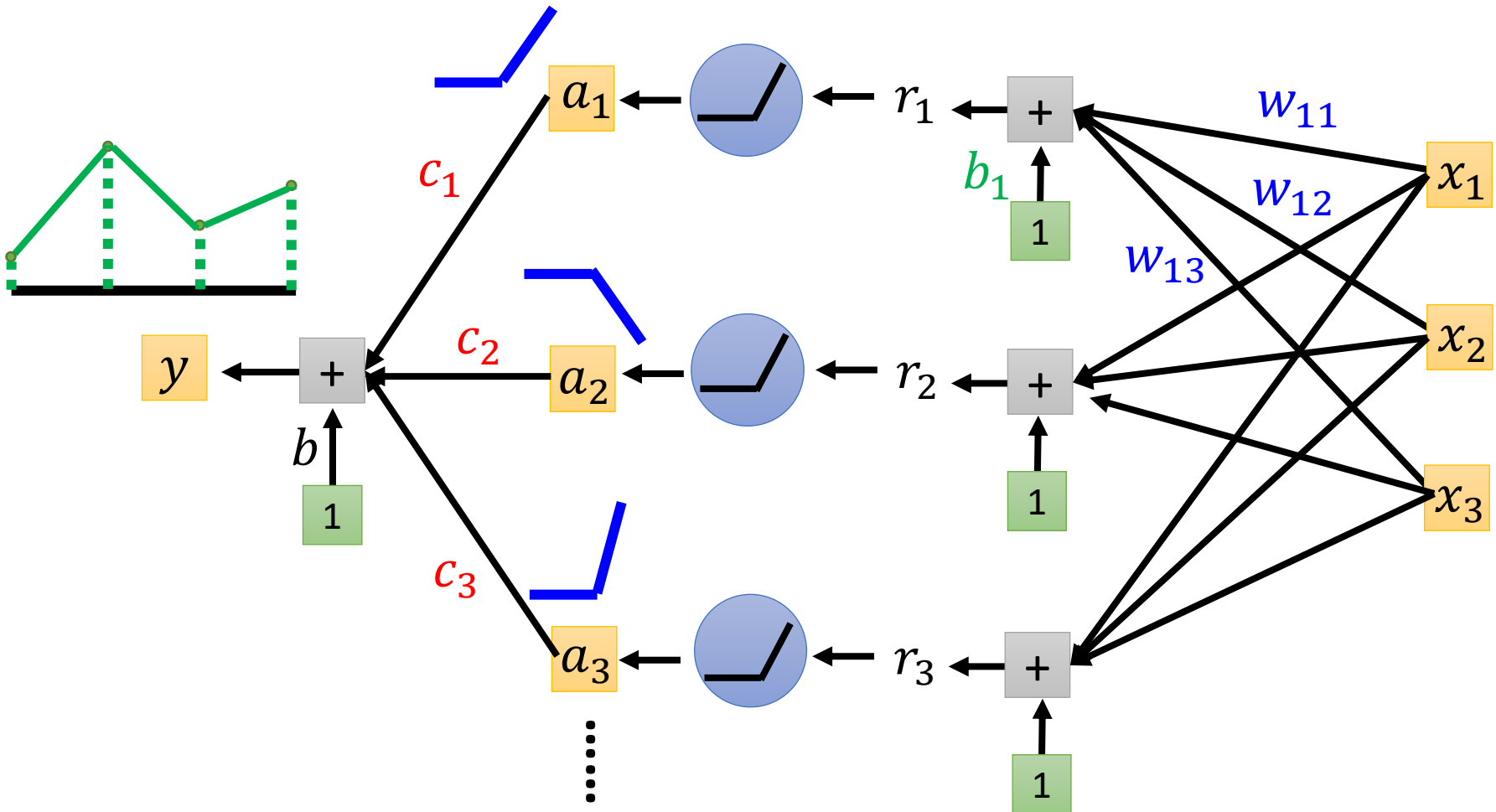
Rectified Linear  
Unit (ReLU)





Piecewise linear = constant + sum of a set of

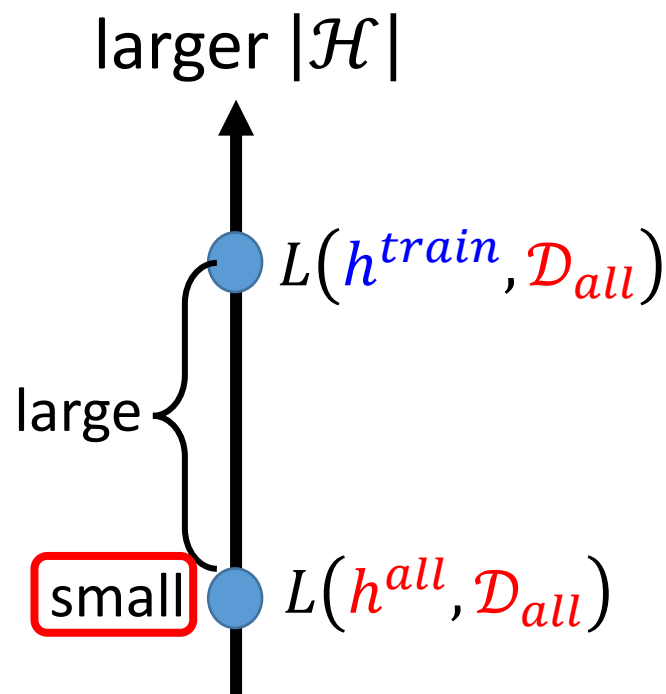
$$\text{Piecewise linear} = \text{constant} + \sum \text{ of a set of } \begin{array}{c} \text{ / } \\ \text{ \_ } \end{array}$$



Why we want “**Deep**” network, not “**Fat**” network?

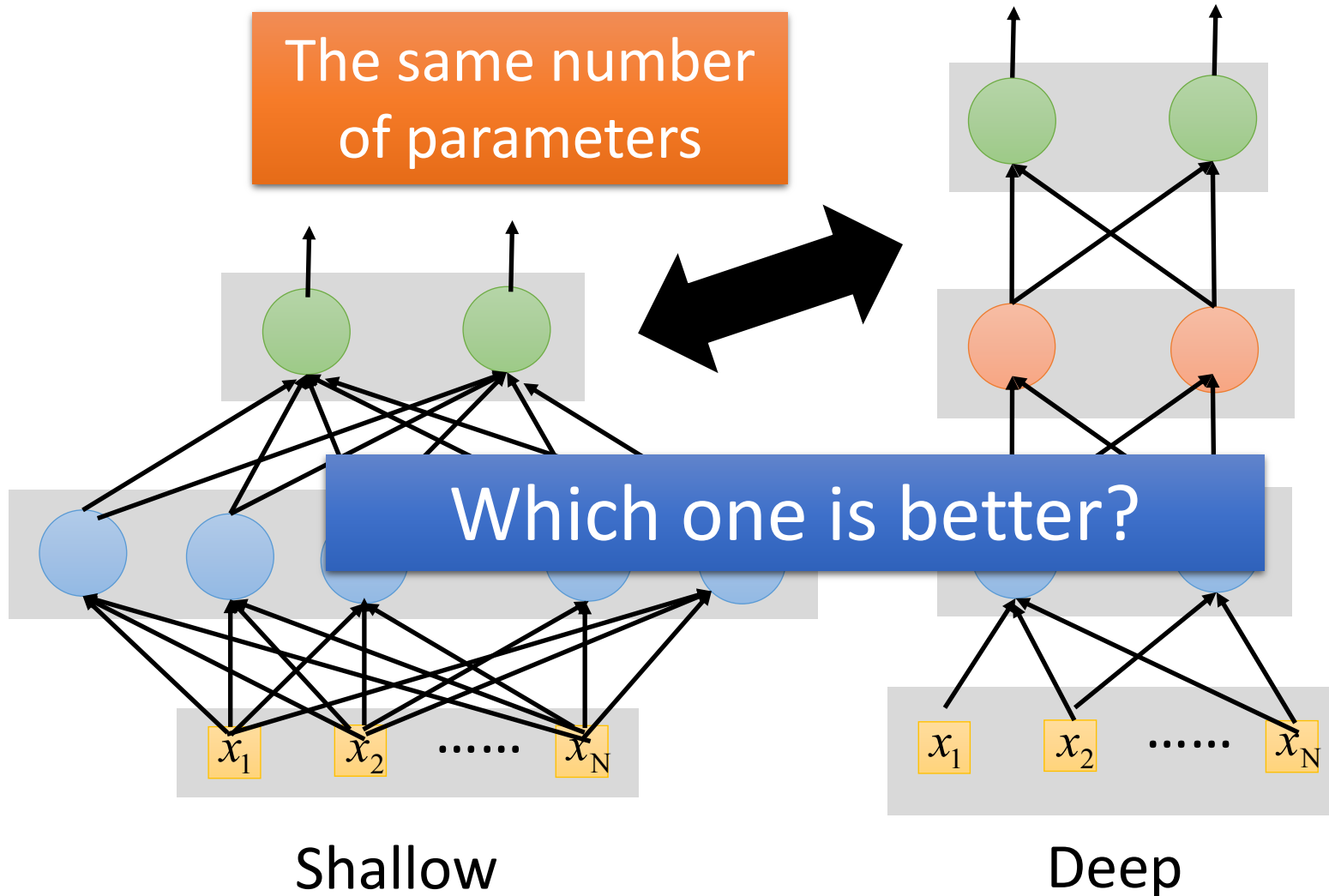
# Deeper is Better?

Layer X Size	Word Error Rate (%)
1 X 2k	24.2
2 X 2k	20.4
3 X 2k	18.4
4 X 2k	17.8
5 X 2k	17.2
7 X 2k	17.1



Seide Frank, Gang Li, and Dong Yu. "Conversational Speech Transcription Using Context-Dependent Deep Neural Networks." *Interspeech*. 2011.

# Fat + Short v.s. Thin + Tall

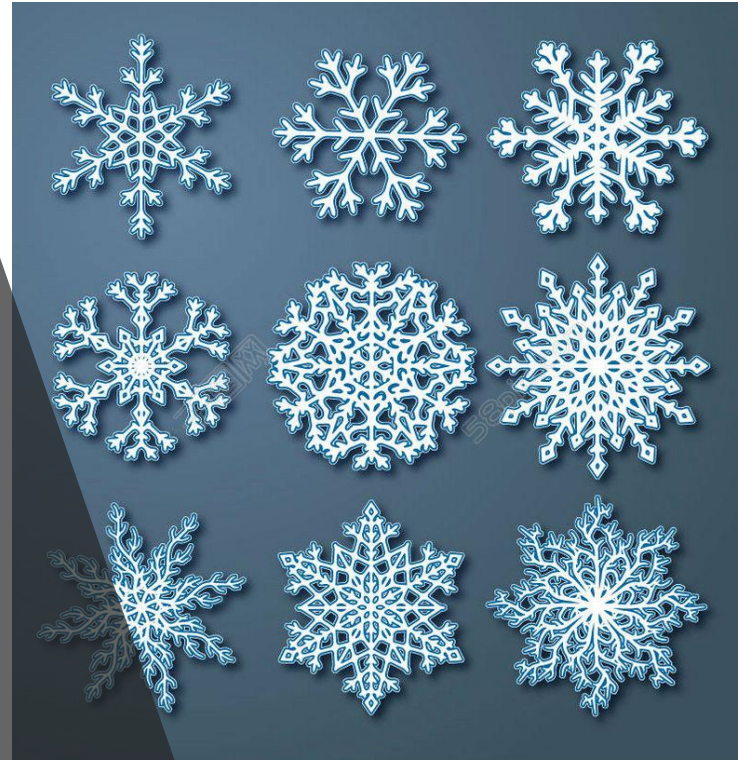


# Fat + Short v.s. Thin + Tall

Layer X Size	Word Error Rate (%)	Layer X Size	Word Error Rate (%)
1 X 2k	24.2		
2 X 2k	20.4		
3 X 2k	18.4		
4 X 2k	17.8		
5 X 2k	17.2	1 X 3772	22.5
7 X 2k	17.1	1 X 4634	22.6
		1 X 16k	22.1

Seide Frank, Gang Li, and Dong Yu. "Conversational Speech Transcription Using Context-Dependent Deep Neural Networks." *Interspeech*. 2011.

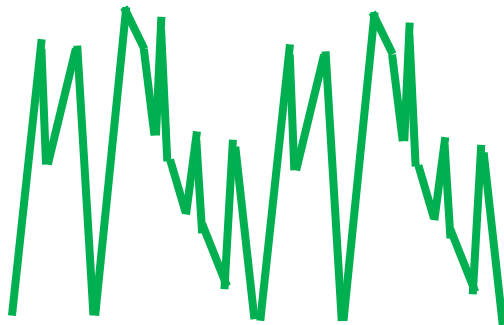
Why we need  
deep?



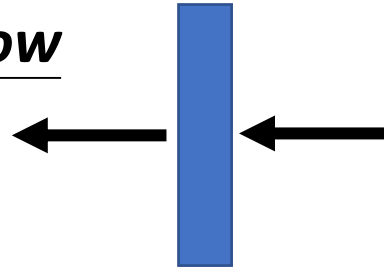
# Why we need deep?

Yes, one hidden layer can represent any function.

However, using deep structure is more effective.



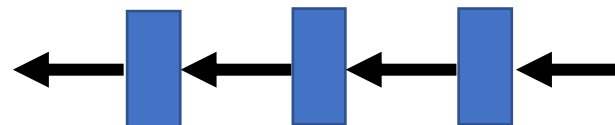
Shallow



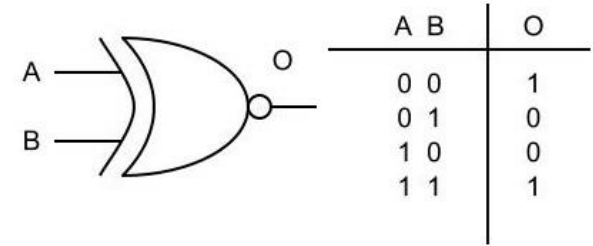
$v$

More  
parameters

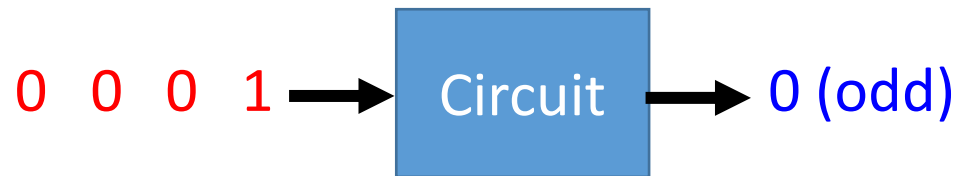
Deep



# Analogy – Logic Circuits

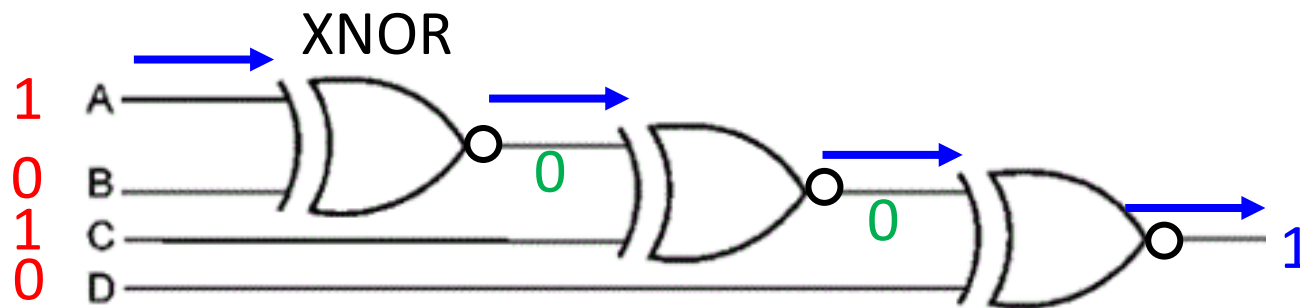


- E.g., parity check



For input sequence with  $d$  bits,

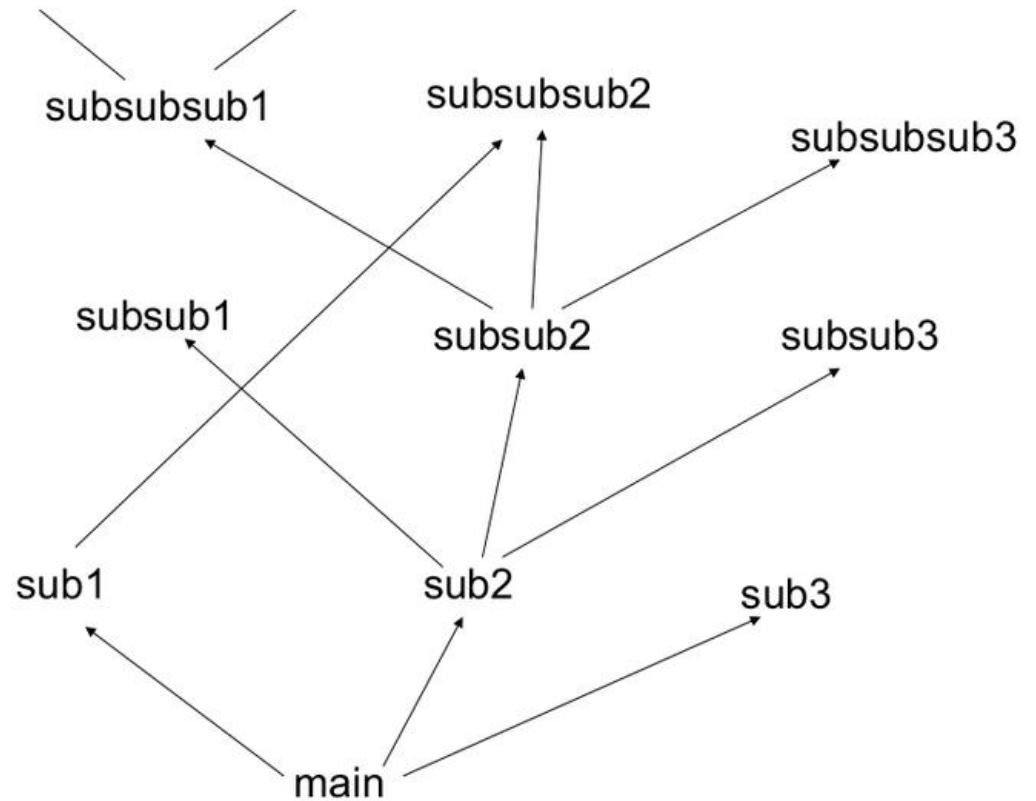
Two-layer circuit need  $O(2^d)$  gates.



With multiple layers, we need only  $O(d)$  gates.

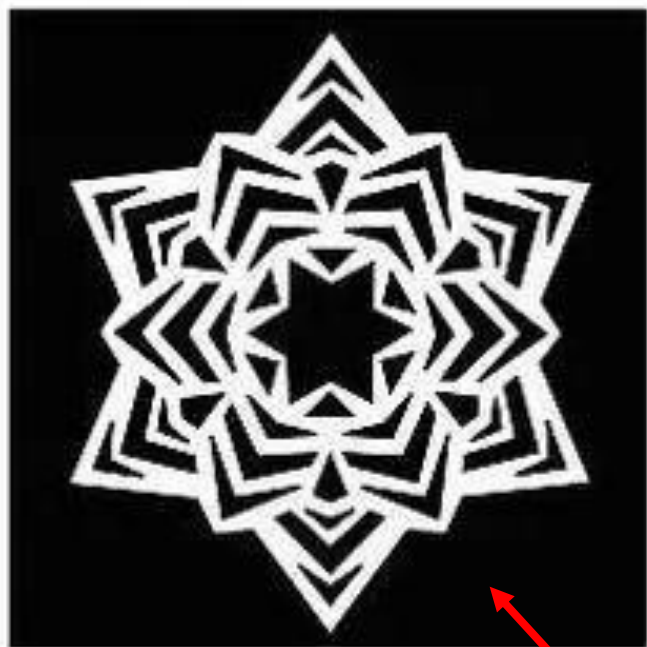
# Analogy – Programming

Don't put  
everything in your  
main function.



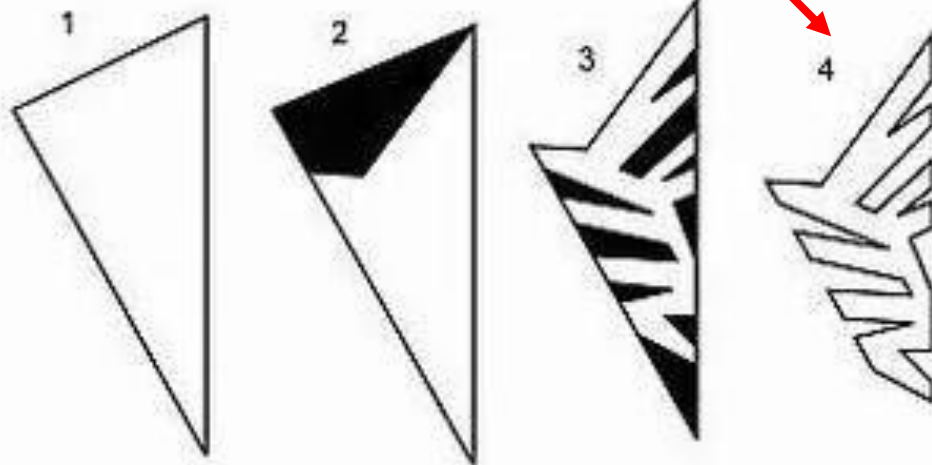


# More Analogy



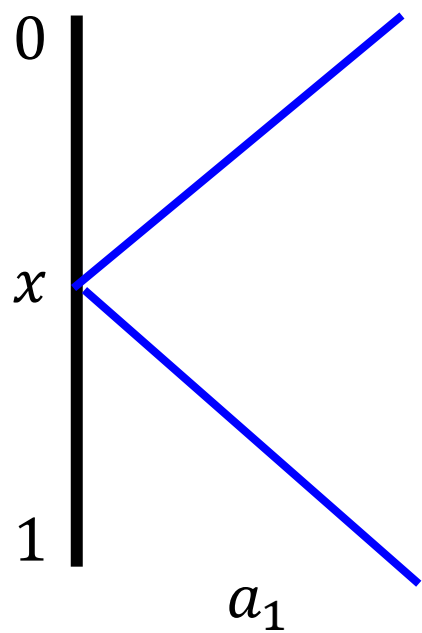
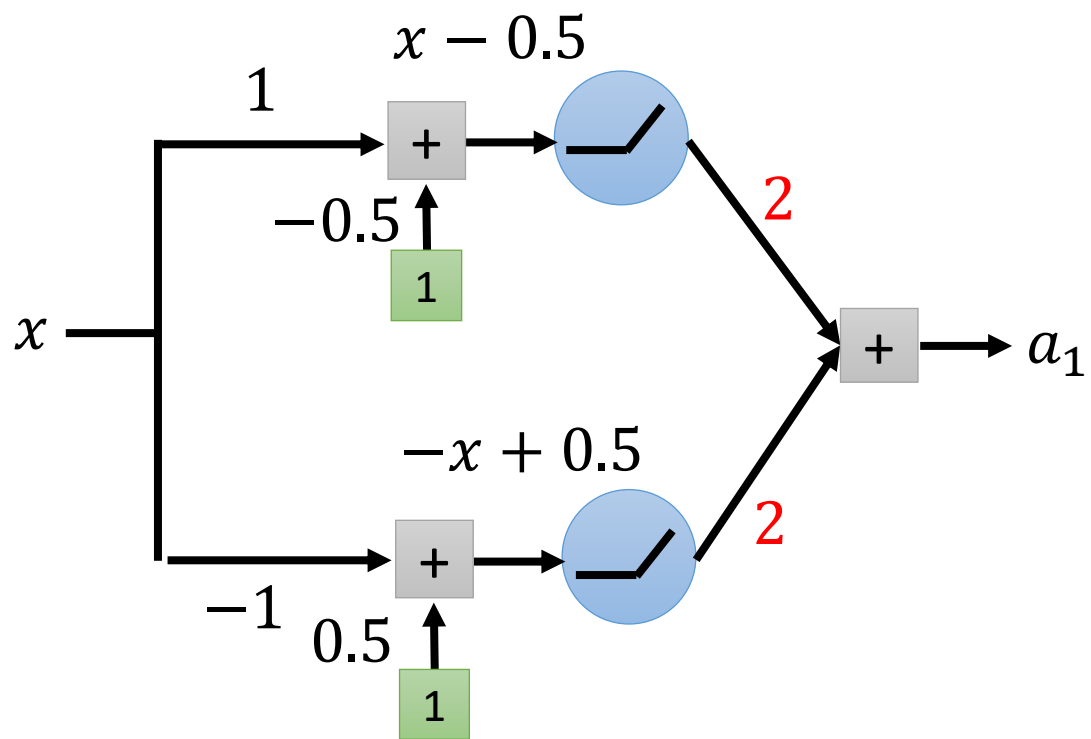
剪很多刀

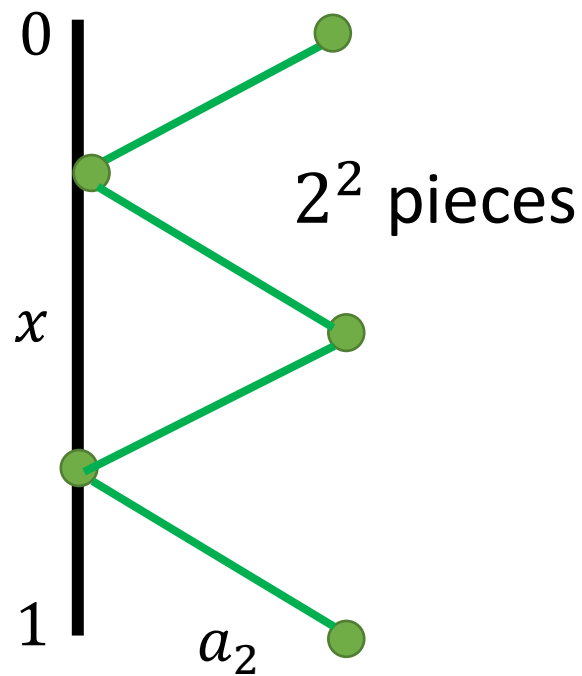
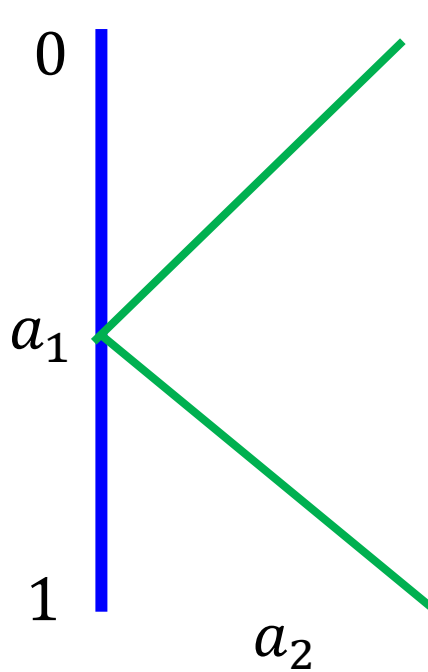
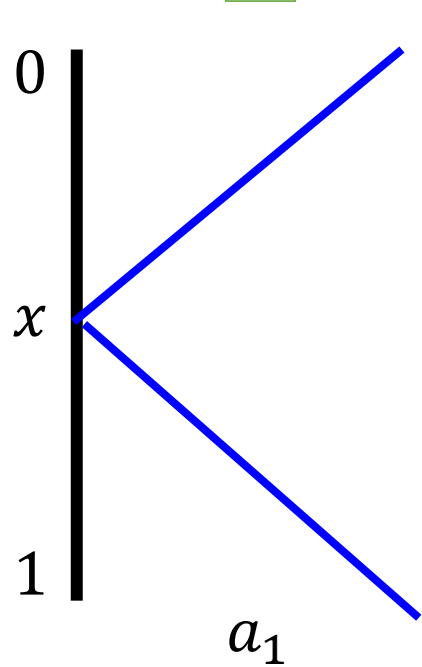
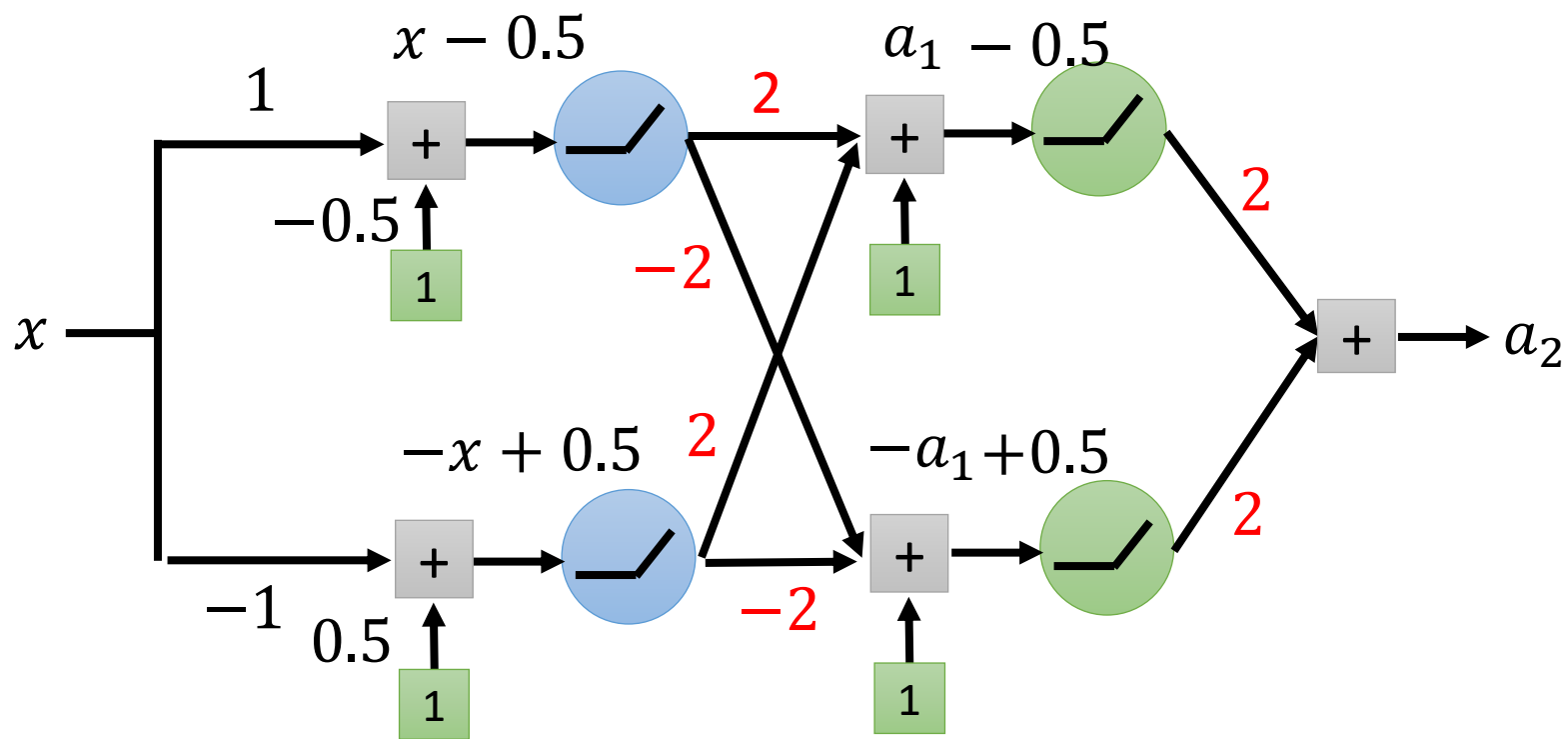
比較有效率

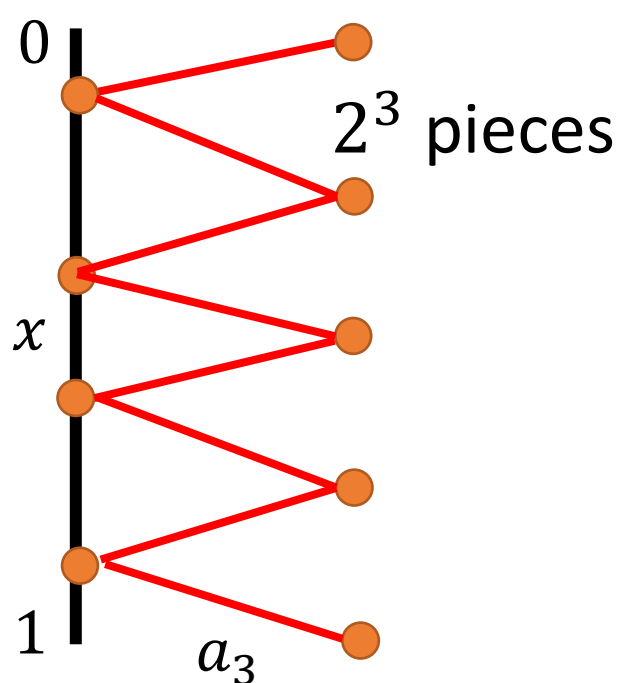
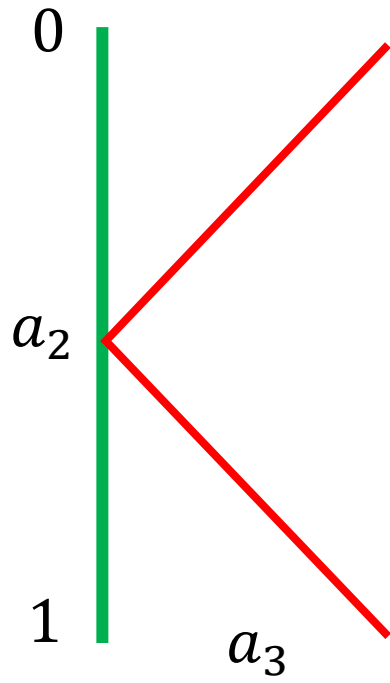
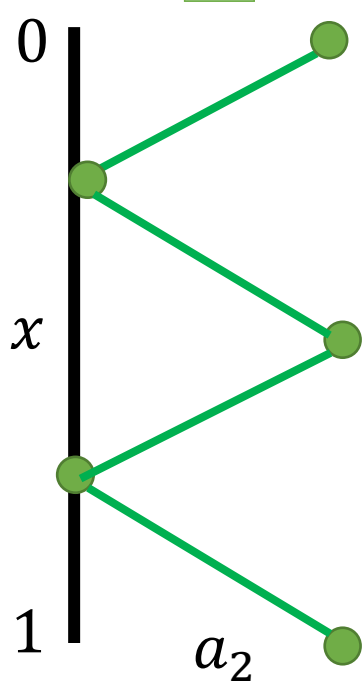
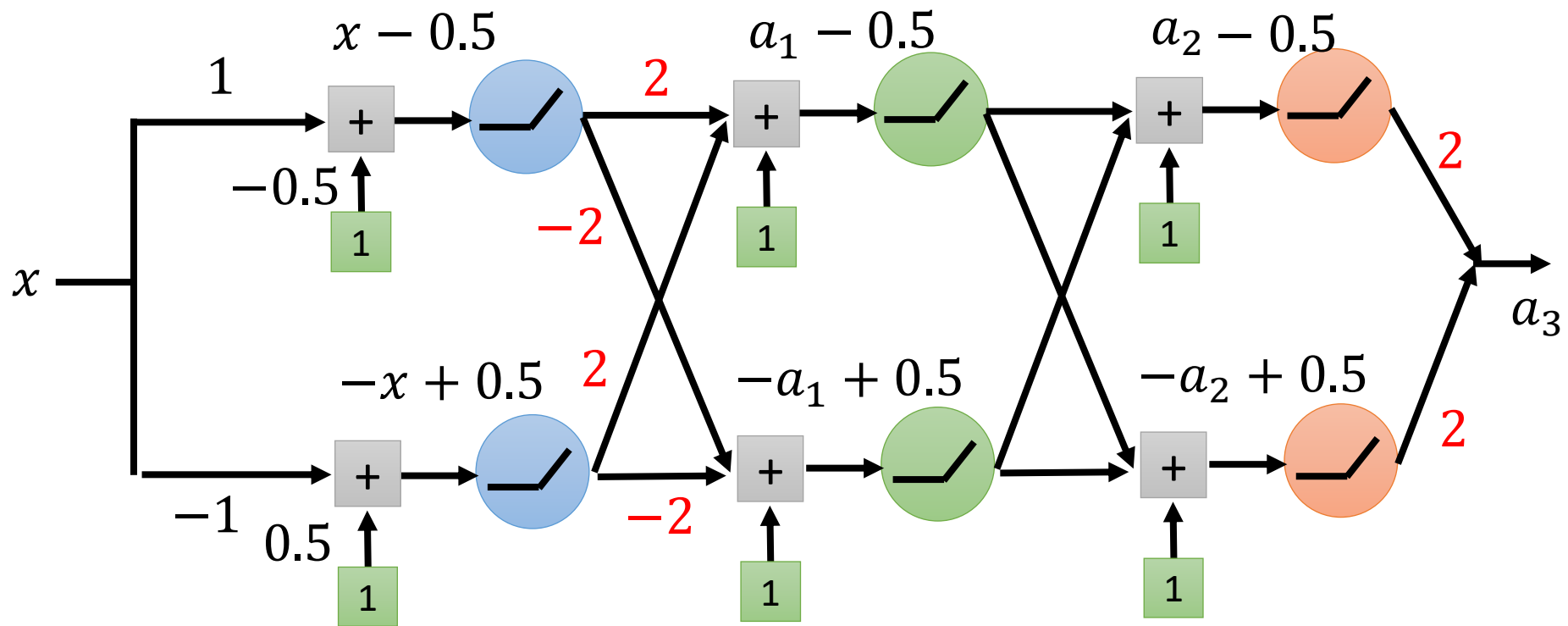


头条号 / 幼师宝典

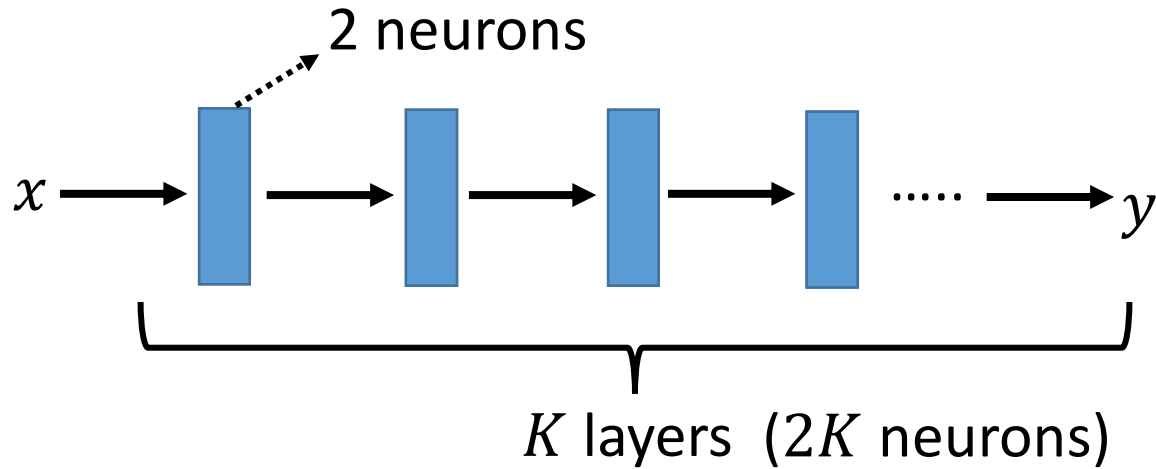
- 以下三頁投影片上課時的數字有誤，已經將修改部的分套上紅色，感謝同學指出錯誤





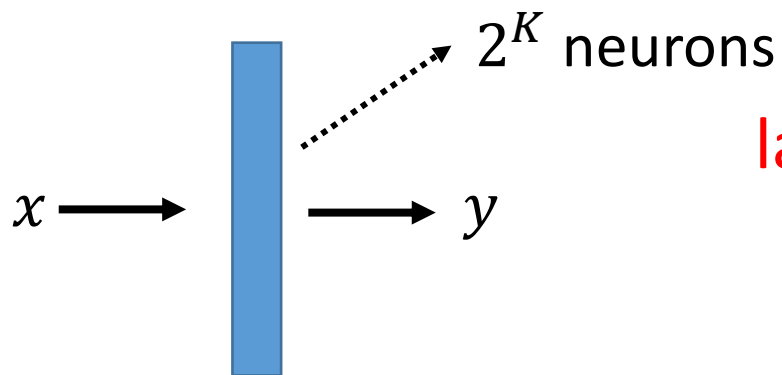


## Deep

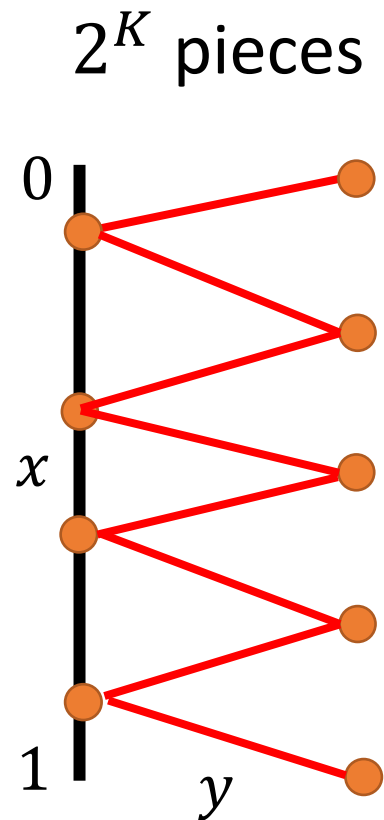


smaller  $|\mathcal{H}|$

## Shallow



larger  $|\mathcal{H}|$



# Thinks more .....

- Deep networks outperforms shallow ones when the required functions are complex and regular.

Image, speech, etc. have this characteristics.

- Deep is exponentially better than shallow even when  $y = x^2$ .



<https://youtu.be/FN8jclCrqY0>



<https://youtu.be/qpuLxXrHQB4>

# 深度學習是一個讓 魚與熊掌可以兼得的方法

$$h^{all} = \arg \min_{h \in \mathcal{H}} L(h, \mathcal{D}_{all})$$

Still small loss

Small (fewer candidates)