

???

Assignment 2 – due tomorrow!

except:

except: Exception

Mutating vs. non-mutating

9 bad tests – updated results

Not just correctness!

Midterm 2:

Recovery and Next Steps

Efficiency

Observation 1:

Running time (usually) depends on
machine
(and what else is running)

Count “steps”

Observation 2:

Definition of “step” doesn’t matter

```
for item in lst:  
    print(item)
```

```
for item in lst:  
    x = 5  
    y = item + 1
```

```
for item in lst:  
    print(item)  
return 5
```

```
i = 0  
while i < len(lst):  
    print(lst[i])  
    i += 1
```

Observation 3:

Running time depends on
input size

```
def size(stack):  
    count = 0  
    temp = Stack()
```

```
    while not stack.is_empty():  
        temp.push(stack.pop())  
        count += 1
```

```
    while not temp.is_empty():  
        stack.push(temp.pop())
```

```
    return count
```

Proportional to
 $n = \text{size of stack}$

“linear time”

$O(n)$

Big-Oh Notation: $O(_)$

Ignore constants: $3n$, $n + 5$, n , $n - 100$, $0.01n + 20$

Focus on *asymptotic* behaviour

$O(\log n)$, $O(n)$, $O(n \log n)$
 $O(n^2)$, $O(2^n)$

Sorting

Selection sort: $O(n^2)$

Mergesort: $O(n \log n)$


```
def remove_kth(stack, k):  
    count = 0  
    temp = Stack()  
  
    while count < k:  
        temp.push(stack.pop())  
        count += 1  
  
    kth = temp.pop()  
  
    while not temp.is_empty():  
        stack.push(temp.pop())  
  
    return kth
```

Proportional to k

$O(k)$

```
def remove_kth(stack, k):  
    count = 0  
    temp = Stack()  
  
    while count < k:  
        temp.push(stack.pop())  
        count += 1  
  
    kth = temp.pop()  
  
    while not temp.is_empty():  
        stack.push(temp.pop())  
  
    return kth
```

Worst case?

$O(n)$

Best case?

$O(1)$

$O(1)$

“constant time”

runtime doesn't depend on input size

Worst, Average, Best

Most list methods depend on
length (and **index**)

(search, insert, delete, etc.)

```
def num_common(lst1, lst2):  
    count = 0  
    for x in lst1:  
        for y in lst2:  
            if x == y:  
                count += 1  
    return count
```

lst1 has length n
lst2 has length m

$O(mn)$

Most tree methods depend on
size and/or height

Recurse on...

one subtree

multiple subtrees

Tree size vs. height

Worst case

Best case

Memory Model

“Data” is stored in two places:

stack and heap

(Note: special terms!)

Call stack

(keeping track of function calls)

Argument values

Local variables

Return address

Unique to each function *call**

*Except default values!!

Call stack is transient...

How is data kept between calls?

Heap

(where data lives)

Heap: memory available to program *not* used by stack

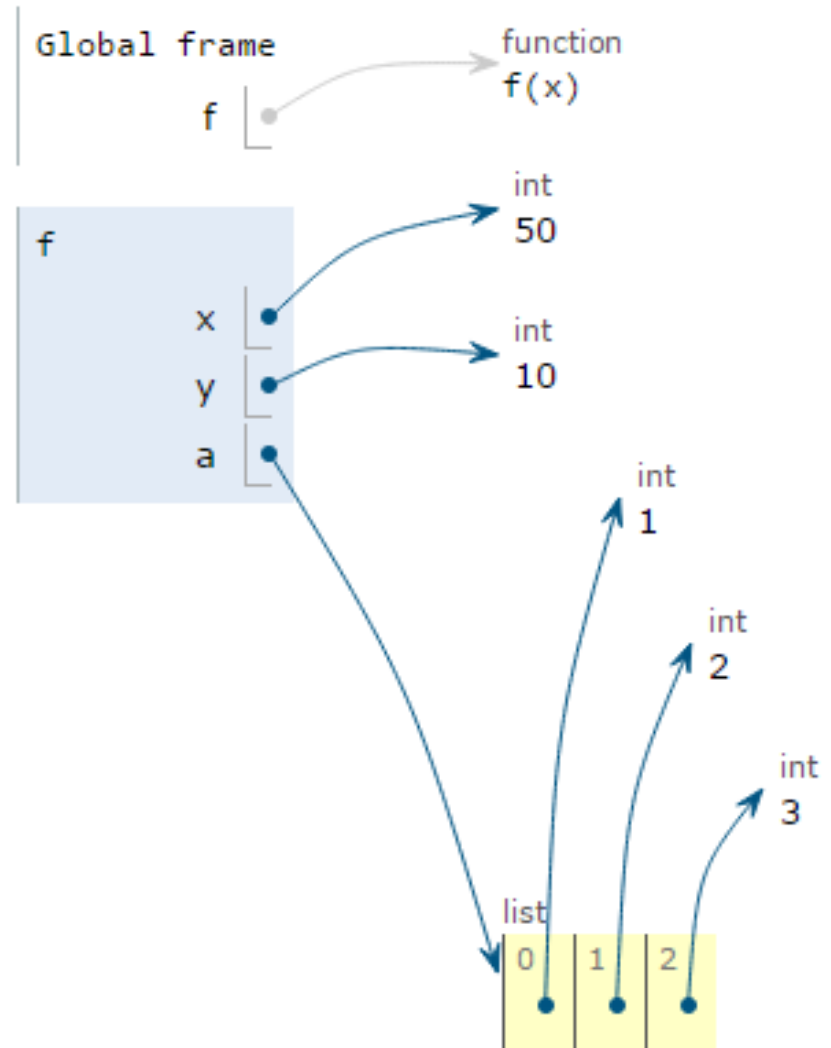
Numbers, lists, dictionaries, objects, classes, functions

Variables store **references** to locations in the heap

```
def f(x):  
    y = 10  
    a = [1,2,3]
```

```
    print(x)  
    return 10
```

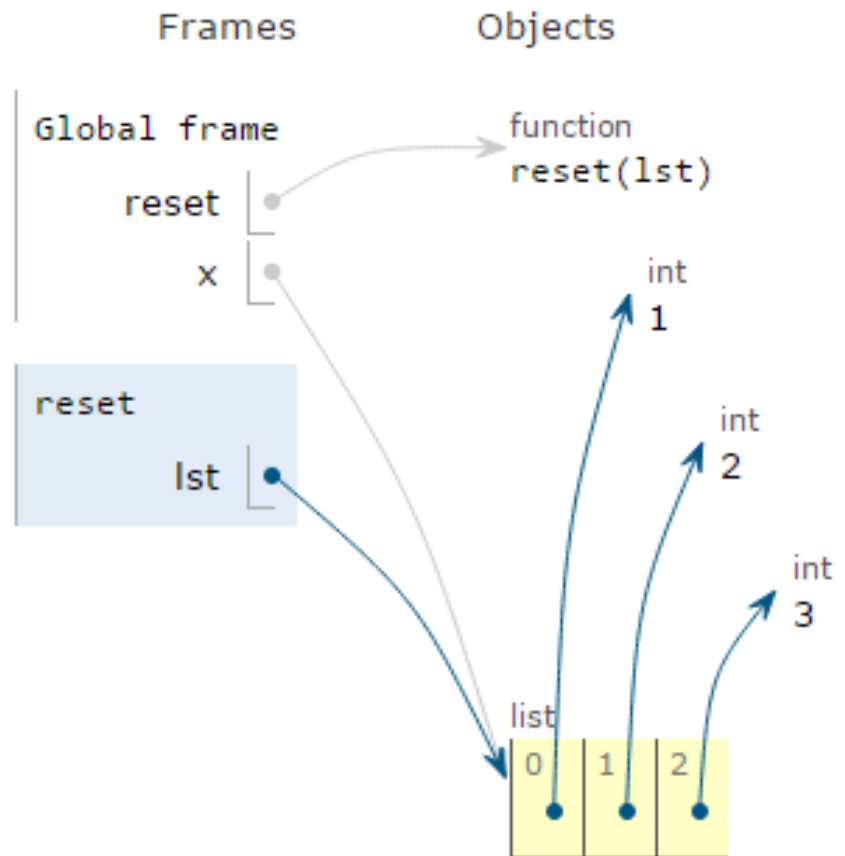
```
f(50)
```



Parameters are **new** references

```
def reset(lst):  
    lst = []
```

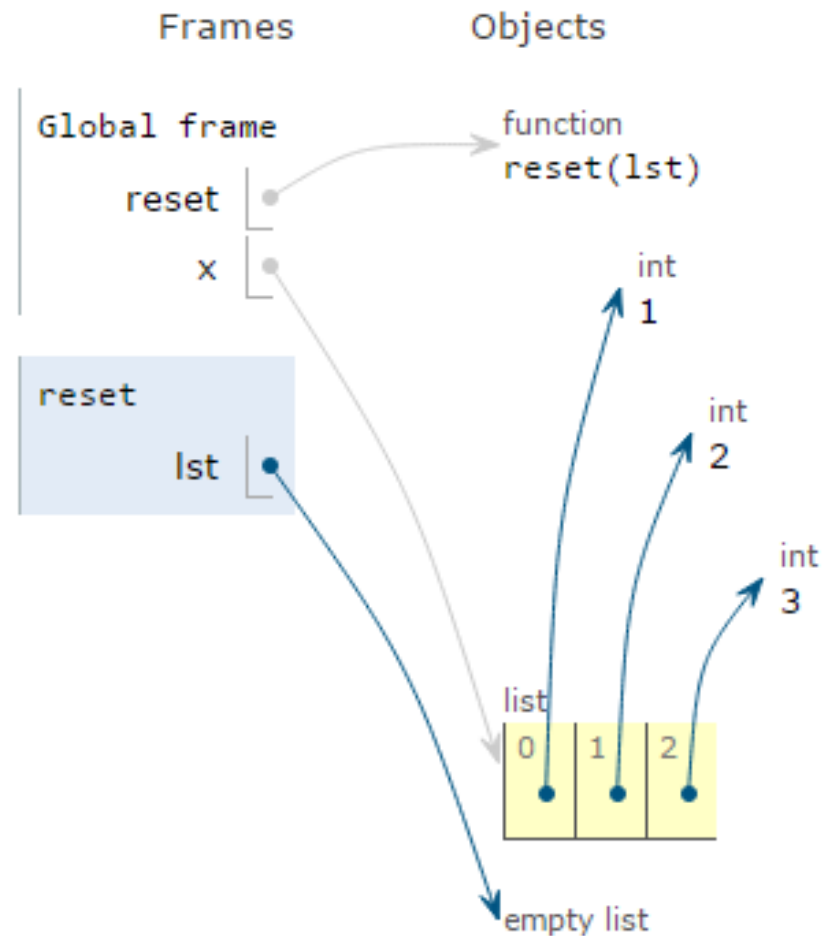
```
x = [1,2,3]  
reset(x)
```



Parameters are **new** references

```
def reset(lst):  
    lst = []
```

```
x = [1,2,3]  
reset(x)
```



Morals

$x = \underline{\quad}$ changes a **reference**

$x = y$ does **not** make a copy

Subtlety

Computer does a lot of work for you!

Garbage collection