

a)
$$\hat{t} = \frac{N}{n} \sum_{i=1}^{n} t_i$$
 (+) $\frac{N}{n} \neq psu's in pope SRS$

$$SE(\hat{t}) = N \sqrt{(1 - \frac{n}{N}) \frac{s_t^2}{n}} \qquad Some \text{ as } RS$$

$$S_t^2 = \frac{1}{n-1} \sum_{i=1}^{n} (t_i - \frac{\hat{t}}{N}) \quad \text{usual } s^2 \text{ for dust or total } s$$

$$\hat{y} = \frac{\hat{t}}{NM}$$
 estimate of \hat{y}_u mem recall NM individuely

$$SE(\hat{g}) = \underbrace{SE(\hat{t})}_{NM} = \frac{1}{M} \underbrace{\left(1 - \frac{n}{N}\right) \frac{\hat{s}\hat{t}}{n}}_{SE(\hat{x})} \underbrace{\begin{array}{c} Note \\ (\hat{x}) \\ clustering \end{array}}_{NM}$$

See Table 5.1 for another way to summerce population quantities.

Source
$$\frac{df}{df}$$
 $\frac{SS}{\sum_{i} (\bar{y}_{i}, -\bar{y}_{i})^{2}} \frac{MS}{SS/(n-1)} = \hat{MSB}$

st is computed as between SS - n.t.b.c., exactly how

- formele for ê is unchamped
- trickier to estimate
$$\overline{y}_{u} = \sum_{i=1}^{N} \sum_{j=1}^{M} y_{i,j} / \sum_{i=1}^{N} H_{i}$$

Exercise 5.9.1 p. 169

$$\hat{p} = \frac{112}{134} = 0.84$$

$$\widehat{V}(\widehat{p}) = \frac{112}{134} \left(1 - \frac{112}{134}\right) \cdot \frac{1}{134}$$

$$\widehat{p}(\widehat{l-\widehat{p}}) = \frac{\widehat{p}(\widehat{l-\widehat{p}})}{n_{v}}$$
assumes all veryoners independent

$$y_{ij} = \begin{cases} 1 & j=1,...,M; # of volex in household i \\ i=1,...,100 = n \end{cases}$$

$$\hat{\xi} = 1/2$$
 $s_{\pm}^2 = \sum (\hat{t}_1 - \hat{t}_N)^2 / (n-1) \leftarrow can^{\frac{1}{2}} s^{\frac{1}{2}}$

Exercise 5.9.2 - HW

Exercise 5.9.3 compliance and it in accounting

N = 828 claims n = 85 every claim has 215

entries M

claims

t 215 4 3 2 2 2 2 1 1 1 0 000 4

SE(\hat{t}) = N $\sqrt{(1-\frac{a}{N})\frac{s_{\hat{t}}^2}{N}}$ = $\sqrt{63.56}$ (b) error rate $\hat{y} = \hat{t} = 0.0020 = \hat{t}/N$.2 %

 $SE(\hat{g}) = 0.00036 .0367$

(c) SE(j) under SRS 0.0003 | (n 18275 N 178020