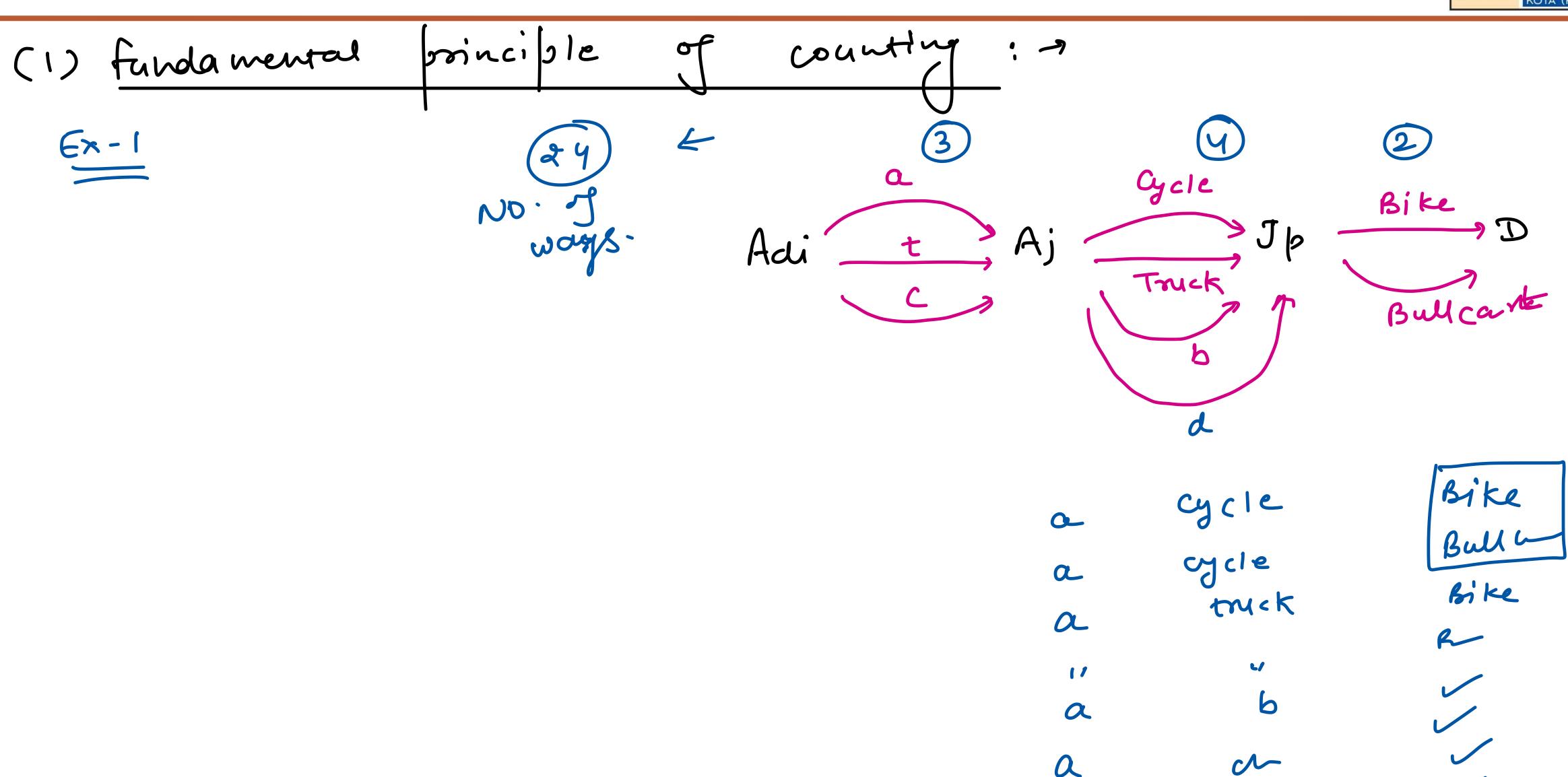


Permutation and combination







Ex-2 Cinema hall (5 doors)

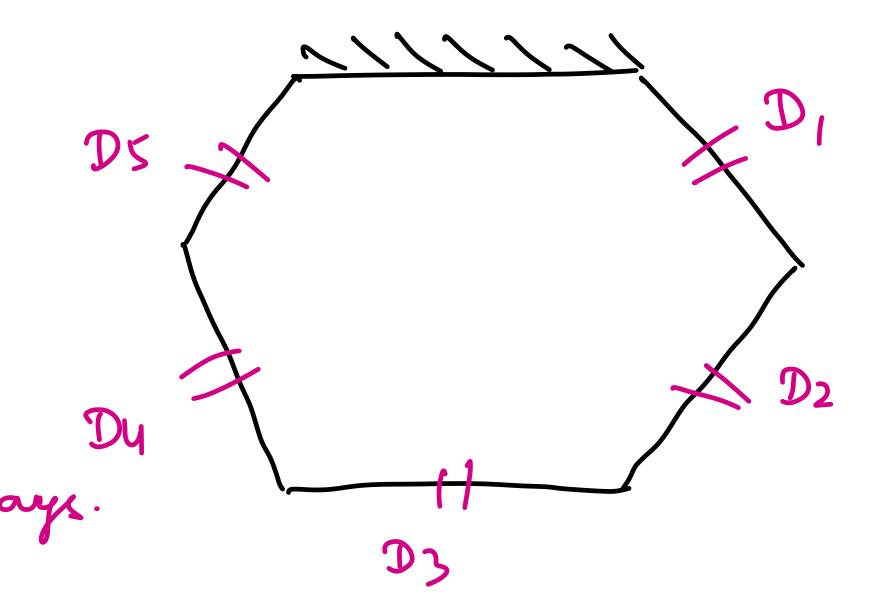
No. of ways in which

the can enter and

leave the cinema hall

by a different door

= 5×4 = 20 ways.



3 coins.



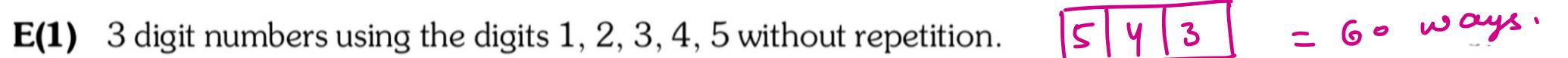
a coi~ Tossing E 3

4 Ceity H H H H H H H H H H H H H H H H



E-4 $P/C/M/B \rightarrow 4 600 P3$ No. of ways of arranging = 4321any one out of 3 remaining 600 Fe.





 $\mathbf{E(2)}$ 10 students compete in a swimming race. In how many ways can they occupy the first 3 positions.

E(3) 7 flags of different colour. Number of different signals that can be transmitted by the use 2 flags one above the other. $\frac{7}{2} = 42$

= 720

- **E(4)** Number of words which can be formed from the letters of the word **Machine/Miracle** if Vowels may occupy the
 - (a) odd position
 - (b) even position.
 - **E(5)** If the letters of the word "TOUGH" are written in all possible ways and then are arranged as in a dictionary, then find the rank of the word TOUGH.
- **E(6)** 4 lettered word using only the letters from the word "DAUGHTER" if each word is to include "G".



Ex 1 Repetition allowed

Rep mot allowed

$$5$$
 5 = $5^3 = 125$
 $1,2,3,4,5$



Arrange alphabetic order GHOTU

$$G = 4 \times 3 \times 2 \times 1 = 24$$

$$= 4 \times 3 \times 2 \times 1 = 24$$

$$0 = 2 \times 3 \times 2 \times 1 = 24$$

$$TH - - - 6$$

$$TOG_{-}=2$$

PROBLEM BELMOPR 6×5×4×3×2×1 = 720 720 E 720 720 M 720 SXYX3X2X1 = 120 B = 120 PE 120 120 PM 120

P R B _ _ _ _



BELMOPR

PROBLEM =

4299 th Ranks

PROBLEM

2 PERSON

ENOPRS

378 th Rank



* Exponent of prime p in
$$n!$$
:

$$= \left[\frac{n}{p}\right] + \left[\frac{n}{p^2}\right] + \left[\frac{n}{p^3}\right] + \left[\frac{n}{p^4}\right] + \cdots - \cdots$$

where $[] \rightarrow GiF$

$$p \rightarrow prime$$
.

$$\exp \sigma_{0}^{2} = \left[\frac{100}{2}\right] + \left[\frac{100}{2^{2}}\right] + \left[\frac{100}{2^{3}}\right] + \left[\frac{100}{2^{5}}\right] + \left[\frac{100}{2^{5}}\right] + \left[\frac{100}{2^{5}}\right] + \left[\frac{100}{2^{5}}\right] + \left[\frac{100}{2^{5}}\right] + \cdots - \cdots$$

$$= [50] + [25] + [12.5] + [6.25] + [3.125] + [1.5625]$$

$$+ [6.7...]$$

$$= 50 + 25 + 12 + 6 + 3 + 1 + 0 + 0 - -$$

$$\frac{Q}{\sqrt{100}} = \left[\frac{100}{3}\right] + \left[\frac{100}{3^2}\right] + \left[\frac{100}{3^2}\right] + \left[\frac{100}{3^4}\right] + --$$

$$= 33 + 11 + 3 + 1$$

$$= 48$$

Q find exponent
$$f(i)$$
 4 in $200!$

expos a in $200!$

= $\left[\frac{200}{3}\right] + \left[\frac{200}{2^2}\right] + \left[\frac{200}{2^3}\right] + \cdots$

= $100 + 50 + 25 + 12 + 6 + 3 + 1$

= 197

exponent $g(i)$ 4 in $200!$

= 197

exponent $g(i)$ 4 in $200!$

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

= 197

$$2001 \rightarrow \frac{3^{197}}{3^{15}}$$



If find exponent of 18 in
$$200$$
 [$\frac{2}{3}$ $\frac{3^2}{2}$ exponent of 3 in 200] = $\left[\frac{200}{3}\right] + \left[\frac{200}{3^2}\right] + \left[\frac{200}{3^3}\right] + \left[\frac{200}{3^4}\right] + \left$

Exponent of 15 in 300!

 $\exp 35 \text{ in } 300! = \left[\frac{300}{5}\right] + \left[\frac{300}{5^2}\right] + \left[\frac{350}{5^2}\right] + --$

$$\begin{bmatrix} 3.2 \end{bmatrix} = 3$$

$$\begin{bmatrix} 5.5 \end{bmatrix} = 5$$

$$\begin{bmatrix} -5.5 \end{bmatrix} = -6$$

$$\begin{bmatrix} -100.53 \end{bmatrix} = -101 - 8 - 5.5 + 3 + 3.2 + 4$$

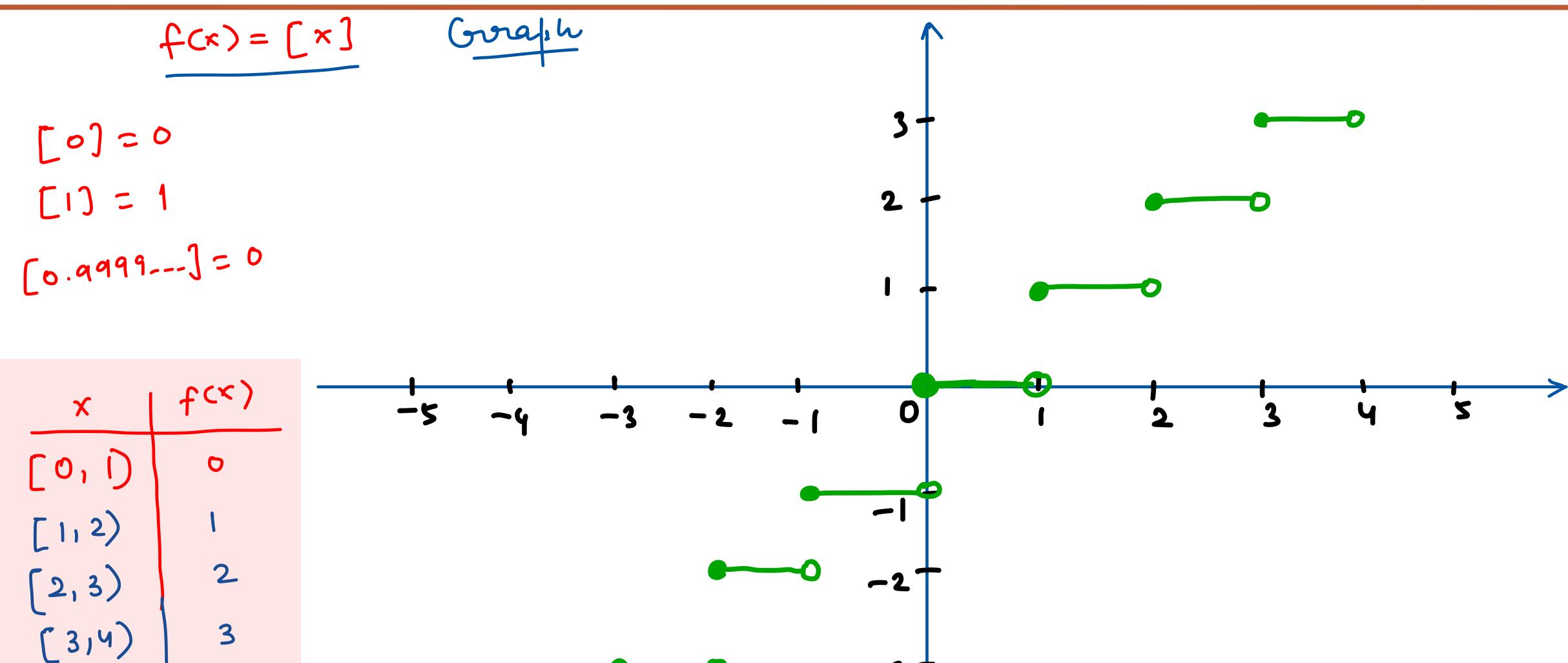
$$\begin{bmatrix} -254.57 \end{bmatrix} = -255$$

$$\begin{bmatrix} 255.36 \end{bmatrix} = 255$$

$$\begin{bmatrix} 255 \end{bmatrix} = 255$$

$$\begin{bmatrix} -0.5 \end{bmatrix} = -1$$

$$\begin{bmatrix} 0.5 \end{bmatrix} = 0$$



[-1,0) [-2,-1)



