## DD2427 - Exercise Set 7

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## Question 2

We have defined:

$$C = \frac{1}{n} . X_c . X'_c$$

$$C_1 = \frac{1}{n} . X'_c . X_c$$

Let v be an eigenvector of  $C_1$  with corresponding eigenvalue  $\lambda.$  Let  $V_1=X_c*v.$  We have :

$$C_1.v = \frac{1}{n} X'_c.X_c * v$$

$$\Leftrightarrow \lambda v = \frac{1}{n} X'_c.v_1$$

$$\Leftrightarrow \lambda X_c.v = \frac{1}{n} X_c.X'_c.v_1$$

$$\Leftrightarrow \lambda v_1 = C.v_1$$

Then  $v_1$  is an eigenvector of C with corresponding eigenvalue  $\lambda$ .