

Subject:

2. X dw -256, 256 h

$$256 = 2^8 = 10000000$$

$$C_2(256) = 1111\ 1111\ 0000\ 0000 = 77\ 00$$

$$-276 =$$

276 l
=> 96 | 02 in memory

1) dw 256 1-256, 256h & 256

$$256 = 2^8 = 00010000$$

$$-256 = C_2(256) = 1111\ 1111\ 0000\ 0000$$

$$256 \mid -256 = 0000\ 0001\ 0000\ 0000\ 1 = \\ 1111\ 1110\ 0000\ 0000$$

= 1111.111100000000 = FF00h => 00FF
in memory

$$256k = 0000\ 0010\ 0101\ 0110 \times$$

$$256 = 0000\ 0001\ 0000\ 0000$$

$$= 0000 \ 0000 \ 0000 \ 0000 = 00000 \rightarrow 00100 \text{ in binary}$$

2 db \$-z, y-x
db '|y|-|x|, '|y-x'|

$\$ - z = 0$ (the distance between the current position
in memory and z in bytes)
 $= 0000\ 0000 = 00$
 $\Rightarrow 00$ in memory

$y - x = 4 = 0000\ 0100 = 04$ h $\Rightarrow 04$ in
(the distance in bytes between y and x in memory)

$|y| - |x| = 1 = 0000\ 0001 = 01$ h $\Rightarrow 01$ in memory
(the diff of ascii code)

$'y - x'$ \Rightarrow places each character in memory
 $\Rightarrow '|y| - |x|$ in memory

or db 912 >> 2, -512 << 2

$912 \gg 2 = 128 = 2^7 = 1000\ 0000 = 80$ h = 80 in
memory

$912 = 2^9 = 10\ 0000\ 0000$

$-512 = C_2(512) = 1111\ 1110\ 0000\ 0000 \ll 2 =$
 $= 1111\ 1000\ 0000\ 0000 = F800 \Rightarrow$

\Rightarrow we take a byte $\Rightarrow 00$ in memory

b shr 2-a, !(2-a)

$2-a = -6 = C_2(6) = 1111\ 1111\ 1111\ 1010 = FFFF$

$b = 0000\ 0000\ 0000\ 0110 \Rightarrow FFFFFF$
in memory

$!(2-a) = !(6) = 0 \Rightarrow 00100$ in memory

c dd (\$-b) + (d-\$), \$-2*y+3

$$-b = 4$ (the distance between the current pos in
memory and the pos. of b in memory)

$d-$ = 4$ (the distance between the pos. of d in
memory and the beginning of c)

$($-b) + (d-$) = 4+4=8 = 0008h \Rightarrow 08|00|00|00$
in memory

$$-2*y+3 \Rightarrow$ multiplication of pointers is not
valid \Rightarrow syntax error.

d db -128, 128 1(~128)

128 = 1000 0000

$C_2(128) = 1000\ 0000 = 00\ 00\ 00\ 80h$ on dd \Rightarrow
 $\Rightarrow 80|00|00|00$ in memory

$128 = 1000\ 0000^{\wedge} = 1111\ 1111 = 00\ 00\ 00\ FF$

$\sim 128 = 0111\ 1111 \Rightarrow FF|00|00|00$ in memory

1 firms 2 new 6

time 2 old 1234h, 5678h

Times 2 Review (We Reserve 6 Words Times 2)
So far 12 words in total

1 word

Himes 2 dd 1234th, 9678th

134|12|00|00|78|96|00|00|34|12|00|00|78|96|00|00

Subject 2:

2. $\text{a}_1 \text{ db } 256$

\Rightarrow puts each character in memory $\Rightarrow 121|151|161$
in memory

$\text{a}_2 \text{ dw } 256, 256h$

$256 = 2^8 = 0000\ 0001\ 0000\ 0000 = 0100h \Rightarrow 00|01$
in memory

$256h \Rightarrow 561021$ in memory

$\text{a}_3 \text{ dw } \$ + \text{a}_2$

the sum of pointers is invalid

$\text{a}_4 \text{ long } -256/h$

it is not stored in memory

$\text{a}_5 \text{ db } 256 \gg 1, 256 \ll 1$

$256 \gg 1 = 128 = 2^7 = 1000\ 0000 = 80h \Rightarrow 80$
in memory

$256 \ll 1 = 712 = 2^9 = 0000\ 0010\ 0000\ 0000$

We only take a byte $\Rightarrow 00h \Rightarrow 100$ in memory

$a_6 \text{ dw } a_7-a_2, !(a_7-a_2)$

$a_7-a_2 = 4 = 0004h \Rightarrow 04|00 \text{ in memory}$

$!(a_7-a_2) = !(4) = 0 = 0000h \Rightarrow 00|00 \text{ in memory}$

$a_7 \text{ dw } [a_2], \sim a_2$

the value of a_2 can't be determined at assembly time

We can only do bit operations on scalar values

$a_8 \text{ dd } 256h \wedge 256, 256256h$

$256h = 0000\ 0010\ 0101\ 0110 \wedge$

$256 = 2^8 = 0000\ 0001\ 0000\ 0000 =$

$= 0000\ 0011\ 0101\ 0110 = 0356 \Rightarrow 56|03|00|00$
in memory

$256256h \Rightarrow 56|62|25|00 \text{ in memory}$

$a_9 \text{ dd } \$-a_9$

$\$-a_9 = 0 \Rightarrow 00|00|00|00 \text{ in memory}$

a_{10} db 256, -295

$296 = 2^8 = 10000000 \Rightarrow 00h$ on byte

$\Rightarrow 100$ in memory

$-295 \Rightarrow C_2(-295) = 0000\ 0001 = 01h \Rightarrow 101$

$255 = 2^8 - 1 = 1111\ 1111$ in memory

a_{11} dw 296h - 256

$296h = 0010\ 0101\ 0110 = 2^1 + 2^2 + 2^4 + 2^6 + 2^9 =$

$$= 2 + 4 + 16 + 64 + 512 = 598$$

$296h - 256 = 598 - 256 = 342 = 0156h \Rightarrow 56|01$

342 | 16 | 16 | 16
 32 | 21 | 1 | 0 in memory
 16 | 16 | 0
 6

a_{12} dw 256 - 296h

$256 - 296h = 256 - 598 = -342$

$-342 = C_2(-342) = C_2(0000\ 0001\ 0101\ 0110) =$

$= 1111\ 1110\ 1010\ 1010 = FE\ AA \Rightarrow AA|FE$

in memory

013 dw -296

$$296 = 2^8 = 0000.0010000.0000$$

$$-296 = C_2(296) = 1111111100000000 = FF00h$$

$\Rightarrow 00|FF$ in memory

01n dw -256h

$$256h = 0000001001010110$$

$$-256h = C_2(256h) = 1111110110101010$$

= FDAA $\Rightarrow AA|FD$ in memory

015 db 2,9,6,2,9,6,2,96

$$\begin{array}{r} 25 \mid 16 \mid 16 \\ 16 \mid 1 \mid 0 \\ \hline 9 \end{array} \Rightarrow 25d = 19h$$

$$\begin{array}{r} 96 \mid 16 \mid 16 \\ 48 \mid 3 \mid 0 \\ \hline 8 \end{array} \Rightarrow 96d = 38h$$

$\Rightarrow 02|05|06|15|06|02|38|$ in memory

Subject 4:

2. $\text{or}_1 \text{ db } '256, -256'$

takes each character and places it in memory

$\Rightarrow 1'2' | 1'5' | 1'6' | , | 1'1' | 1'2' | 1'5' | 1'6'$

$\text{or}_2 \text{ dw } 256, 256h$

$256 = 2^8 = 0000\ 0001\ 0000\ 0000 = 0100h$

$\Rightarrow 00101$

in memory

$256h \Rightarrow 76(02)$ in memory

$\text{or}_3 \text{ dw } \-02

$\$-02 = h$ { the distance between the position of
 or_2 and or_3 in bytes }

$\Rightarrow 0100$ in memory

$\text{or}_4 \text{ dw } -256/4$

- it is not stored in memory

a_5 db $(28 \gg 1, -128 \ll 1)$

$$128 = 2^7 = 1000\ 0000 \gg 1 = 0100\ 0000 = 40h$$

$\Rightarrow 40h$ in memory

$$-128 = C_2(128) = 1000\ 0000 \ll 1 = 0000\ 0000$$

$\Rightarrow 00h$ in memory

0_6 dw $a_2 - a_5, \sim(a_2 - a_5)$

$$a_2 - a_5 = -6 \quad \begin{array}{l} \text{(there are 6 bytes between)} \\ \text{(a}_2 \text{ and a}_5\text{)} \end{array}$$

$\sim(a_2 - a_5)$ we can't do bit operation only
on scalar values.

a_7 dd $[a_2], !a_2$

$[a_2]$ the value of a_2 is unknown at assembly time

$!a_2 = 0 \Rightarrow 00/00/00/00$ in memory

a_8 dd $296 h^1 276 , 296296 h$

$276 h = 0000 0010 0101 0110 1$

$276 = 2^8 = 0001 0000 0000$ 11

$= 0000 0011 0101 0110 = 0000 0396 h \Rightarrow$

$\Rightarrow 96|03|00|00$ in memory

$296296 h \Rightarrow 96|62|27|00$ in memory

a_9 dd $(\$ - a_8) + (a_{10} - \$)$

$\$ - a_8 = 8$

$(\$ - a_8) + (a_{10} - \$) = 8 + 4 = 12 = C$

$a_{10} - \$ = 4$

$\Rightarrow 0C|00|00|00$ in memory

a_{10} dw $-295, 296$

$295 = 2^8 - 1 = 1111 1111$

$-295 = C_2(295) = 1111 1111 0000 0001 = FF01$

$\Rightarrow 01|FF$ in memory

$296 = 2^8 = 1 0000 0000 = 0100 h \Rightarrow 00|01$ in
memory

a_{11} rwsb 6 \Rightarrow 100|00|00|00|00|00 in memory
6 bytes

a_{12} timers n dw 256

$$256 = 2^8 = 10000\ 0000 = 0100\ h$$

\Rightarrow 00|01|00|01|00|01|00|01 in memory

a_{13} dw timers n -128 \Rightarrow syntax error, it should
be a_{13} timers n dw -128

timers 2 rwsb 2 \Rightarrow 00|00|00|00|00|00|00|00
2 words
2 words
2 words

timers 2 dol 12345678h

\Rightarrow 78|56|34|12|78|56|34|12

Subject 6:

2. X dw -296, 296h

$$296 = 2^8 = 0000\ 0001\ 0000\ 0000$$

$$-296 = C_2(296) = 1111\ 1111\ 0000\ 0000 = FF00h$$

$\Rightarrow 00|FF$ in memory

296h \Rightarrow 56|02 in memory

y dw 296 |-296, 296h & 296

$$296 = 2^8 = 0000\ 0001\ 0000\ 0000 \quad |$$

$$-296 = C_2(296) = 1111\ 1111\ 0000\ 0000 \quad | =$$

$$= 0000\ 0001\ 0000\ 0000 = 0000h \Rightarrow 00|00 \\ \text{in memory}$$

$$296h = 0000\ 0001\ 0101\ 0110 \quad & = 0000h$$

$$296 = 2^8 = 0000\ 0001\ 0000\ 0000$$

$\Rightarrow 00|00$ in memory

z db \$-z, y-x
db 'y'-'x', 'y-x'

\$-z = 0 \Rightarrow 1001 \text{ in memory}

y-x = 1 \Rightarrow 1011 \text{ in memory}

'y'-'x' = 1 \Rightarrow 1011 \text{ in memory}

'y-x' \Rightarrow 'y'||-'||'x'|| \text{ in memory}

a db 712 >> 2, -512 << 2

712 >> 2 = 128 = $2^7 = 10000000 = 80h \Rightarrow 1001 \text{ in memory}$

-512 = C₂(512) = 1111 1110 0000 0000 << 2 =

512 >> 2 = 0010 0000 0000

= 1111 1000 0000 0000 = F800h

\Rightarrow one byte in memory 1001

b dw z-a, !(z-a)

z-a = -6 = C₂(6) = 1111 1111 1111 1010 = FFFF

6 = 0000 0000 0000 0110

\Rightarrow FA1FFF in memory

!(z-a) = !(-6) = 0 \Rightarrow 00100 in memory

Subject 2022

2. on odd -103, α_6

$$103 \mid 2 \text{ r}1 \quad 103 = 01100111$$

$$51 \mid 2 \text{ r}1$$

$$25 \mid 2 \text{ r}1$$

$$-103 = C_2(103) = 10011001 = 99h$$

$$12 \mid 2 \text{ r}0$$

\Rightarrow in memory on dd

$$6 \mid 2 \text{ r}0$$

$$\Rightarrow 99|77|77|77$$

$$3 \mid 2 \text{ r}1$$

$$1 \mid 2 \text{ r}1$$

$$0$$

$$\alpha_6 = 10 \text{ (the effect of } \alpha_6)$$

$$= 101000 = 28h \Rightarrow 28|00|00|00 \text{ in memory}$$

α_2 dw 1&2, 3^4, 5^6, 1|2, 3^4, 5 & 6

dw 1^2, 3&4, 5|6

$$1\&2 = 0001 \& 0010 = 0000 \Rightarrow 00|00 \text{ in memory}$$
$$= 0000h$$

on dw

$$3^4 = 0011 \mid 0100 = 0111 = 0007h \Rightarrow 07|00 \text{ in memory}$$

$$5^6 = 0101 \wedge 0110 = 0011 = 0003h \Rightarrow 03|00 \text{ in memory}$$

$$1|2 = 0001 \mid 0010 = 0011 = 0003h \Rightarrow 03|00 \text{ in memory}$$

$$3^4 = 0011 \wedge 0100 = 0111 = 0007h \Rightarrow 07|00 \text{ in memory}$$

$$5\&6 = 0101 \wedge 0110 = 0100 = 0004h \Rightarrow 04|00 \text{ in memory}$$

$$1^2 = 0001 \wedge 0010 = 0011 = 0003h \Rightarrow 03|00 \text{ in memory}$$

$$3 \& 4 = 0011 \& 0100 = 0000 = 0000h \Rightarrow 00/00 \text{ in memory}$$

$$5 \mid 6 = 0101 \mid 0110 = 0111 = 0007h \Rightarrow 07/00 \text{ in memory}$$

a₃ dw \$-\$ \$\$, \$\$ - a₃

\$-\$ \$\$ = 26 \text{ (the number of bytes from the current offset in memory and the start)}

$$\begin{array}{r} 26 \\ | \\ 16 \quad 16 \\ | \quad | \\ 10 \quad 10 \\ | \quad | \\ \text{A} \end{array} \quad 26 = 1A h \Rightarrow 1A/00 \text{ in memory}$$

\$\$ - a_3 = -26 \text{ (the diff. between the start of memory and the position of } a_3 \text{ in memory)}

$$-26 = C_2(26) = C_2(0000\ 0000\ 0001\ 1010) = FFE6h$$

$\Rightarrow E6$ (FF in memory)

$$0_h \text{ db } \sim ((-1)^n 0bbh), n^{\wedge} 0bbh$$

$$(-1)^n 0bbh = 1111\ 1111^{\wedge} 1011\ 1011 = 0100\ 0100 =$$

$$-1 = 1111\ 1111 \quad \sim = 1011\ 1011 = \textcircled{B}\textcircled{B} \Rightarrow |\textcircled{B}\textcircled{B}|$$

$$0bbh = 1011\ 1011 \quad \text{in memory}$$

$$11\ 0bbh = 0000\ 0001^{\wedge} 1011\ 1011 = 1011\ 1010 = \textcircled{B}\textcircled{A}h$$

$\Rightarrow |\textcircled{B}\textcircled{A}|$ in memory

$a_5 \text{ dd } -120 \ll 1Fh$

$$120 = 128 + 1 = 1000\ 0001$$

$$C_2(120) = 0111\ 1111 \ll 31 = 1000\ 0000\ 0000\ 0000\ 0000\\ 0000\ 0000\ 0000$$

$$1F = 31$$

$\Rightarrow 8000\ 0000\ h \Rightarrow 00\ 100\ 00180$ in memory

$a_6 \text{ dd } 'a1a2a3a4a5'$, $(a_6 - a_5) \ll (a_5 - a_1)$

'a1a2a3a4a5' \Rightarrow places each character in memory

\Rightarrow $\begin{matrix} 1 & a & 1 & 1 & 1 & a & 1 & 2 & 1 & a & 1 & 3 & 1 & a & 1 & n & 1 & a & 1 & 5 & 1 & 0 & 1 \end{matrix}$
 \sim
1 byte

$$a_6 - a_5 = 8 \quad 8 \ll 2 = 0000\ 1000 \ll 2$$

$$a_5 - a_1 = 2 \quad = 0010\ 0000 = 20h$$

$\Rightarrow 20\ 00\ 00\ 00$ in memory

a_7 times n dw $a_2, a_2 + 1$

$a_2 = 8$ (the offset of a_2)

$\Rightarrow 08\ 00\ 08\ 00\ 08\ 00\ 08\ 00$

$\underbrace{\hspace{1cm}}_{a_2}$ $\underbrace{\hspace{1cm}}_{\text{times } n}$

$a_2 + 1 \Rightarrow$ Syntax error, can't add to pointers.

$\text{add dw } !(\text{ax}-\text{a1}) , !(\text{ax}-1)$

$$\text{ax}-\text{a1} = 8 \quad \text{ax}-1 = 7$$

$!(\text{ax}-\text{a1}) = !8 = 0 \Rightarrow 0000h \Rightarrow 0000 \text{ in memory}$

$!(\text{ax}-1) = !7 = 0 \Rightarrow 0000h \Rightarrow 0000 \text{ in memory}$

`movesx ebx, [ebx+esp]`

moves in ebx with sign extended a byte from
the address $[ebx+esp]$

`xchq ebx, [ebx+esp]`

$\downarrow \quad \downarrow$
index base

esp can't be an index

moves in ebx the value from $[ebx+esp]$ if it's valid

moves at $[ebx+esp]$ the value from bx

`lea eax, [ebx+esp]`

$\downarrow \quad \downarrow$
index base

moves in eax the value of $ebx+esp$, after the sum

`lea eax, [ebx+esp]`

moves in eax the value of $ebx+esp$, after the sum

`move ax, a+b`

moves in ax, the value of the
sum of the offsets a+b

$$a+b=1$$

push eax (\Rightarrow mov [esp+4], eax)

Subject 2024

2. $x \text{ dw } -129, 10 + 100h + 1000h$

$$-129 = 128 + 1 = 1000\ 0001$$

$$-129 = C_2(-129) = 1111\ 1111\ 0111\ 1111 = FF7F \Rightarrow 7F|FF$$

in memory

$$10 + 100h + 1000h = 10 + 256 + 8 = 274$$

$$274 = 1000\ 10010 = 112h \Rightarrow 12|01 \text{ in memory}$$

y dw 1001h \gg 1001b, 128h & 128

$$1001h = 0001\ 0000\ 0000\ 0001 \gg 9 =$$

$$1001b = 9$$

$$= 0000\ 0000\ 0000\ 1000 = 0008h \Rightarrow 08|00$$

$$128h = 0000\ 0001\ 0010\ 1000 \&$$

$$= 0000\ 0000\ 0000\ 0000 =$$

$$128 = 0000\ 0000\ 1000\ 0000$$

$$= 0000h \Rightarrow 0000 \text{ in memory}$$

$z \text{ dw } z, \$\-2

$z = 8$ (the offset of z in memory)

$= 1000 = 0008h \Rightarrow 0800$ in memory

$\$\$-2 = -8$ (the diff between the offset of the start of the data segment and the offset of z)

$-8 = C_2(8) = 1111\ 1111\ 1111\ 1000 = FFFF8 \Rightarrow$

$\Rightarrow F8\ FFF$ in memory

w dol $x+y-z$, $w-y+x$

the addition of pointers is not valid

$h \text{ dw } 101b, 101-h, 11h-11b, h-11$

$101b = 0005h \Rightarrow 05\ 00$ in memory

$101-h = 101-12 = 89 = 99h \Rightarrow 99\ 00$ in memory

↑
offset of h

$11h-11b = 17-3 = 14 = E$ $\Rightarrow 0E\ 00$ in memory
on word

$h-11 = 12-11=1 = 0001h \Rightarrow 01\ 00$ in memory

a db \$\\$-\$, h-11b

$\$\$-\$ = -20 = EC \Rightarrow |EC| \text{ in memory}$

$$20 = 14h$$

$h-11b = 12-3=9 \Rightarrow 09h \Rightarrow |09| \text{ in memory}$

b dd a+b-0bh+2, h-b+a-h-0bh

| the addition of pointers is not valid

c db 3-b, 2-w

$$3-b = 3-22 = -19$$

$$-19 = 0001\ 0011$$

$-19 = C_2(-19) = 1110\ 1101 = ED \Rightarrow |ED| \text{ in memory}$

2-w \Rightarrow Syntax error because W is invalid

d dw -513, 128 ^ (~128)

$$-513 = C_2(-513) = 1111\ 1101\ 1111\ 1111 = FF7F \Rightarrow FF|FF$$

$$513 = 0000\ 0010\ 0000\ 0001$$

in memory

$$128 = 2^7 = 0000\ 0001\ 0000\ 0000$$

$$\sim 128 = 1111\ 1111\ 0000\ 1111$$

$128 \wedge (\sim 128) = FF7F \Rightarrow FF|FF \text{ in memory}$

l dd abcdefgh, 'abcdefgh'

'abcdefgh' \Rightarrow Syntax error, the symbols are not defined

'abcdefjh' \Rightarrow places each character in memory

on 1 byte:

\Rightarrow ('a'|'b'|'c'|'d'|'e'|'f'|'g'|'h'|0)

l dw W-1, [W-1]

W-1 \Rightarrow Syntax error because W is not valid

[W-1] \Rightarrow Syntax error because the value of W at assembly time is not valid

8 times 3 dw 'db'

\Rightarrow In memory |'d'|'b'|'d'|'b'|'d'|'b'|

k dw 1+2b+3n+a, C+0ah

! addition of pointers is not valid for both values, we have '+a' and 'C+' also 2b is not defined

m dd a+0ah, a+0ah \Rightarrow should be 0ah

! invalid, addition of pointers is not valid

a+0ah = 20 + 0 = 30 = 1E \Rightarrow 1E|00|00|00

In memory

S did a-start, start-start!

this is wrong, syntax error because we already
have named the entry point label as 'start'
also the expressions is not simple or relocatable
⇒ we get an error because we defined them in
the code segment and some variables in the
operation are from the data segment.

Subj. 1.

3. 0) move ax, 200 \Rightarrow moves in ax the value 200

$$\begin{array}{r} 200 \\ \hline 16 | 16 \\ 16 | 12 | 0 \\ \hline 40 \\ \hline 32 \\ \hline 8 \end{array}$$

$$200 = C8 = 1100\ 1000$$

(unsigned and signed
(because 200 can be stored in dword))

move bx, 294h \Rightarrow moves in bx the value 596

$$294h = 2 \cdot 16^2 + 9 \cdot 16^1 + 4 \cdot 16^0 = 596 = 0010\ 0101\ 0100$$

(signed and unsigned because 596 can be stored in dword)

idiv bl

$$BX = \underbrace{0000\ 0010}_{BH} \underbrace{0101\ 0100}_{BL}$$

$$\Rightarrow AL = AX / BL$$

$$AX = 0000\ 00001100\ 1000 = 200$$

$$\Rightarrow AL = 200 / 84$$

$$BL = 0101\ 0100 = 54h = 84$$

$$\Rightarrow AL = 2 = 2h$$

At division CF, OF are not set

$$\Rightarrow AH = 32 = 20h$$

b) move ax, 296h \Rightarrow moves the value 598 in ax

$$296h = 0000\ 0010\ 0101\ 0110 = 598 \text{ (signed & unsigned)}$$

move dx, -1 \Rightarrow moves in dx the value -1

$$\begin{array}{l} \text{signed} \\ -1 = FFFF = 1111\ 1111\ 1111\ 1111 = 65535 \text{ unsigned} \end{array}$$

add ah, dh \Rightarrow adds to ah, the value of dh

$$AX = 0000\ 0010\ 0101\ 0110$$

$$\underbrace{\hspace{2cm}}_{AH=2} \quad \underbrace{\hspace{2cm}}_{AL}$$

$$DX = 1111\ 1111\ 1111\ 1111$$

$$\underbrace{\hspace{2cm}}_{DH=FF} \quad \underbrace{\hspace{2cm}}_{DL}$$

$$=-1$$

$$AH + DH = 2 + (-1) \Rightarrow \begin{array}{r} 0000\ 0010 + \\ 1111\ 1111 \\ \hline 1\ 0000\ 0001 \end{array}$$

$\Rightarrow CF = 1$ (we have a transport digit)

$$OF = 0 \quad (2+1)=1 \in [-128, 127]$$

c) $\text{mov ax, } \sim(16h | 32)$

$$16h = 0001\ 0110$$

$$16h | 32 = 0001\ 0110 | 0001\ 0000$$

$$32 = 2^5 = 0010\ 0000$$

$$= 0011\ 0110$$

$$\sim(16h | 32) = \sim(0011\ 0110) = 1100\ 1001 = C9$$

= FF C9 on AX

= 69h81 unsigned

$$= C2(FFC9) = 0000\ 0000 \underbrace{0011}_{AH} \underbrace{0111}_{AL} = 0037h = 55$$

Signed: -55

move bx, 2000h $\gg 4 \Rightarrow$ moves in BH, 512

$$2000h = 0010\ 0000\ 0000\ 0000 \gg 4 =$$

$$= \underbrace{0000\ 0010}_{BH} \underbrace{0000\ 0000}_{BL} = 2^9 = 512 \quad (\text{signed and unsigned})$$

$$\text{imul BH} \Rightarrow AX = AL * BH = -55 * 2 = -110 \\ \text{On signed}$$

$$\text{On Unsigned: } 65536 - 110 = 65426$$

CF = OF = 0 because b * b = b

d) $\text{mov ax, } 21 \ll 7 \Rightarrow$ moves in ax, 2688

$$21 \ll 7 = 10101 \ll 7 = 10101000.0000 = 2688$$

$$21 = 2^4 + 2^2 + 2^0 = 10101$$

signed and
unsigned

$\text{move bh, } 10h \wedge 3$

$$10h = 0001\ 0000 \wedge = 0001\ 0011 = 13h = 19$$

$$3 = 0000\ 0011$$

signed
and
unsigned

sub bh, al

$$B7H - AL = 19 - 128 = -109$$

Signed

$$\text{Unsigned: } -109 + 256 = 147$$

$$CF = OF = 1$$

e) $\text{move bx, lbx} \Leftrightarrow \text{lea bx, [lbx]}$

Subject 2:

3. a) mov ah, 12^D \Rightarrow moves in ah, 12^D
without sign

mov bh, 9F^H \Rightarrow moves in ah, 15^D
without sign

$$9F = 1001\ 1111 = 159$$

add ah, bh

$$= 288 - 256 = 32 = AH$$

$$ah + bh = 12D + 159 = 288 \quad [\$0,299] \Rightarrow CF = 1$$

ZF = 0, result is not zero

SF = 0, the sign of ah

Signed: 12^D = 12^D - 256 = -127

$$159 = 159 - 256 = -97$$

$$ah + bh = -127 + (-97) < -128 \Rightarrow OF = 1$$

a) mov ax, 128 \Rightarrow moves in ax 128

$$AH = 0, AL = 128 = 1000.0000$$

Save al, 7 \Rightarrow AL = 1111 1111 = FF = 255 unsigned
= -1 Signed

$$\text{Imul ah} \Rightarrow AX = AL * AH = -1 * 0 = 0$$

$$\Rightarrow CF = 0, OF = 0$$

ZF is not set at division or multiplication

SF = 0 (the result is positive)

a3) mov ax, 296 \Rightarrow moves in ax, 296

mov bx, -1 \Rightarrow moves in BX, -1

add ah, bh

$$296 = 2^8 = \underbrace{0000\ 0001}_{AH} \underbrace{0000\ 0000}_{AL}$$
$$-1 = \underbrace{1111\ 1111}_{BH} \underbrace{1111\ 1111}_{BL}$$

$$AH + BL = \begin{array}{r} 0000\ 0001 \\ 1111\ 1111 \\ \hline 10000\ 0000 \end{array} + \Rightarrow CF=1 \text{ (we have a carry digit)}$$

$$++(-) = + \Rightarrow OF=0$$

SF=0 (0 is positive)

ZF=1 (the result is 0)

a4) mov ah, 128/2 \Rightarrow moves in ah, 130

$$128 = 1000\ 0000\ 1 = 10000010 = 130$$

mov bh, 90h $\gg 3$ \Rightarrow moves in bh, 18

$$90 = 1001\ 0000 \gg 3 = 0001\ 0010 = 2^5 + 2^1 = 18$$

Subs ah, bh

$$ah - bh = 130 - 18 = 112 \text{ signed and unsigned}$$

$$\begin{array}{r} 1000\ 0010 - \\ 0001\ 0010 \\ \hline 0111\ 0000 \end{array}$$

$\Rightarrow CF=0$ (no carry digit)

$--(+)$ $= + \Rightarrow OF=1, SF=0$ (positive number), ZF=0

Subject 3:

3. a) $\text{mov ax, } 1000\text{h} \Rightarrow$ moves in ax, 4096

$$1000\text{h} = 0001\ 0000\ 0000\ 0000 = 2^{12} = 4096 \text{ (Signed & Unsigned)}$$

$\text{mov bl, } 1000\text{h} + 10\text{h} \Rightarrow$ moves in bl, 10

$$1000\text{h} + 10\text{h} = 1010\text{h} = 10 \text{ Signed & Unsigned}$$

$$\text{div bl} \Rightarrow AL = AX / BL = 4096 / 10 = 409 \notin [0, 255]$$

\Rightarrow division overflow \Rightarrow runtime error

b) $\text{move ah, } 0bch \Rightarrow$ moves in ah, 0bch

$$bc = 1011\ 1100 = 188 \text{ Unsigned}$$

$$= 188 - 256 = -68 \text{ Signed}$$

$\text{mov al, } 0deh \Rightarrow$ moves in al, 0deh

$$de = 1101\ 1110 = 222 \text{ Unsigned}$$

$$= 222 - 256 = -34 \text{ Signed}$$

$\text{addl ah, al} \Rightarrow$ adds al to ah

$$ah + al = 188 + 222 = 410 \notin [0, 255] \Rightarrow CF = 1$$

$$= 410 - 256 = 154 \text{ Unsigned}$$

$$= 154 - 256 = -102 \text{ Signed}$$

$$\in [-128, 127]$$

$$\Rightarrow OF = 0$$

c) mov ax, 1001h \Rightarrow moves in ax, 1001h
 $1001h = 0001\ 0000\ 0000\ 0001 = 4097$ Signed & unsigned
 mov bx, 1111b \Rightarrow moves in bx, 15
 $1111b = F = 15$ signed & unsigned
 immul bl
 $AL = 0000\ 0001 = 1$
 $\Rightarrow AX = AL * BL = 1 * 15 = 15$ signed & unsigned
 $\Rightarrow OF = CF = 0$
 $\text{byte} * \text{byte} = \text{byte}$

d) mov dh, 98h \Rightarrow moves in dh, 98
 $98h = 0110\ 0010 = 98$ signed & unsigned
 mov ch, 200
 $200 \in [0, 255]$ unsigned, $2 = C8h$
 $200 = 200 - 256 = -56$ signed
 Sub dh, ch
 $dh - ch = 98 - 200 = -102 \notin [0, 255] \Rightarrow CF = 1$
 $= 98 - (-56) = 154 \notin [-128, 127] \Rightarrow OF = 1$

Subject 6:

3. 1) `lea eax, [6+ESP]`

⇒ moves in eax the value of $6+ESP$, ignores the square brackets

2) `mov eax, 6+ESP`

⇒ Syntax error, we need to do the addition before the move because addition like that is only valid for offsets.

3) `movsx ax, [6+ESP]`

⇒ moves with sign extended in ax, a byte from the offset $[6+ESP]$ in memory

4) `mov ebp, [6+ebp*2]`

moves in ebp a dword from the address $[6+ebp*2]$

5) `mov [6+ebp*2], 12`

⇒ Syntax error, we need to specify the size for at least one operand

6) `mov ebp, [ebx+esp]`

esp can't be an index

moves in ebp, a dword from $[ebx+esp]$

index base
↓ ↓

7) `movsx [B+ESP], AX`

moves at the address $[B+ESP]$ the value from
AX

8) `mov [G+ESP*2], AX`

⇒ Syntax error, ESP can't be an index ⇒

⇒ Invalid effective address.

9) `mov [G+EBP*2], [G+ESP]`

⇒ Syntax error, we can't have both operands
from memory

10) `movzx AX, [G+EBP*2]`

⇒ Syntax error, we need to specify the size of
the right operand

Subject 1:

3. 1. mov ax, 0100h \Rightarrow moves in ax, 256

$$0100h = 0000\ 0001\ 0000\ 0000 = 2^8 = 256 \text{ (signed & unsigned)}$$

mov bx, 100+10h \Rightarrow moves in bx, 102

$$(100+10h) = 1002 = 0000\ 0011\ 1110\ 1010 = 03EA \}$$

1002 2 no

701 2 n1

250 2 no

125 2 n1

62 2 no

31 2 n1

15 2 n1

7 2 n1

3 2 n1

1 2 n1

0 2 n1

0000 0001 0000 0000
AH AL

0000 0011 110 1010
BH BL

BL = EA = 23h (unsigned)

= 23h - 256 = -22 signed

idiv bl \Rightarrow AL = Ax / BL

$$\Rightarrow AL = 256 / (-22) = -11, AH = -1n$$

CF and OF are not set at division

b) `mov ah, 0cdh`

$$0cdh = 1100\ 1101 = 209 \text{ Unsigned}$$

$$= 209 - 296 = -91 \text{ Signed}$$

`mov al, 0ebh`

$$0ebh = 1110\ 1011 = 239 \text{ Unsigned}$$

$$= 239 - 296 = -57 \text{ Signed}$$

`add ah, al`

$$ah+al = 209 + 239 = 440 \notin [0, 255] \Rightarrow CF = 1$$

no have a
carrying digit

$$\begin{array}{r} 1100\ 1101 + \\ 1110\ 1011 \\ \hline 11011\ 0100 \end{array}$$

$$- + (+) = (+) \Rightarrow OF = 0$$

$$= 440 - 296 = 184 \text{ Unsigned}$$

$$= 184 - 296 = -112 \text{ Signed}$$

c) `mov ax, 1010h`

$$1010h = \overbrace{0001}^{AH}\ \overbrace{0000}^{AL} = 16$$

(signed & unsigned)

`mov bx, 1111h`

$$1111h = F = 15 \text{ (Signed & Unsigned)}$$

$$\text{mul BL} \Rightarrow AX = AL * BL = 16 * 15 = 240$$

(signed & unsigned)

$CF = OF = 0$ because byte * byte can be stored on byte

d) `mov dh, 200`

$200 = C8 = 11001000$ Unsigned

$200 = 200 - 256 = -56$ Signed

`mov ch, 62h`

$62h = 01100010 = 98$ (Signed & Unsigned)

`Subs dh, ch`

$dh - ch = 200 - 98 = 102$

$\begin{array}{r} 11001000 \\ - 01100010 \\ \hline 01100110 \end{array}$ $\Rightarrow CF = 0$ (no carry digit)

$\Rightarrow OF = 1$ $(-) - (+) = +$

Subject 2:

3. `mov eax, -2`

$$-2 + 2^{16} = 254 \Rightarrow \text{unsigned}$$

$$2 = 0010 = 2h$$

$$-2 = C_2(2) = \underbrace{\text{1111 1111 1111 1111}}_{\text{AX}} \underbrace{\text{1111 1111 1110}}_{\text{AX}} = \text{FFFFF7FE}$$

Signed

`mov ebx, -1`

$$-1 + 2^{16} = 255 \Rightarrow \text{unsigned}$$

$$1 = 0001 = 1h$$

$$-1 = C_2(1) = \underbrace{\text{1111 1111 1111 1111}}_{\text{BH}} \underbrace{\text{1111 1111 1111}}_{\text{BL}} = \text{FFFFF7FFF}$$

Signed

$$\begin{aligned} \text{Div BL} &\Rightarrow AL = AX / BL = 65534 / 255 \\ &= 256 \notin [0, 255] \end{aligned}$$

\Rightarrow Integer overflow

CF, OF are not set at division

(i) `mov lax, 67409` \Rightarrow moves in lax the value 67409

`0x400 = FF81` (Signed & unsigned for eax)

`FF8L = 1111 1111 1000 0001` for `fx:` `unsigned; 65409`

AH AL

for ~~4~~x: unsigned; 65409

Signed 69403-69436
D-127

Jolivah "I am signed

$$\Rightarrow AL = AX / AH = -127 / -1 = 127 \text{ signed & unsigned}$$
$$AH = 0$$

added al, al

$$AL + AL = 127 + 127 = 254 \in [0, 299] \Rightarrow CT = 0$$

no carry digit

1574-296 = -2 signed

$$\Rightarrow \partial f = 1$$

iii) move lax, ~~gsth~~ & 295

$295_{10} = 0000\ 0010\ 0101\ 0101$ x

GH **AL**

= 0000 0000 0101 0101

= 0055h = 85
Signed & Unsigned

mvn exec:java -Dexec.mainClass=main

$$276 = 0000\ 0001\ 0000\ 0000\wedge$$

$\equiv 0000\ 0011\ 0101\ 0110$

= 0396 h = 894 d
in signed X unsigned

$$\text{mul BH} \Rightarrow AX = BH * AL = 3 * 85 = 255 \in [0, 255]$$

$\Rightarrow CF = OF = 0$ because byte & half can be stored
on on byte

255 on Unsigned & -1 on Signed

iv) mov ax, 1212

$$128 = 2^7 = 1000\ 0000 \quad | = 1000\ 0010 = 130 = 82h$$

$2 = 0000\ 0010$

Signed & Unsigned

mov bh, 4ah >> 2

$$4ah = 0100\ 1010 >> 2 = 0001\ 0010 = 18 = 12h$$

Signed & Unsigned

Sub ah, bh

$$ah - bh = 0 - 18 = -18 \quad \text{on signed}, \quad -18 + 256 = 238$$

unsigned:

$$\begin{array}{r} 0000\ 0000 - \\ 0001\ 0010 \\ \hline 1110\ 1110 \end{array} \Rightarrow CF = 1 \quad \text{because we have a borrow from outside}$$

$$(+) - (+) = (-) \Rightarrow OF = 0$$