GSE2.0/2.1: Some read/write routines in C that might come in handy

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No warranty can be granted for anything.

Format basics in: GSETT3 Documentation, Formats and protocols for data exchange, Annex 3. Group of Scientific Experts, Conference Paper 243. February 1995. Provisional GSE2.1, Message Formats & Protocols, Operations Annex 3. May 1997.

Contents

Read/write routines for waveform data with 6-byte compression (only that!) according GSE2.0/2.1. The routines are (see $gse_types.h$):

```
long check_sum (long *, int, long);
void diff_2nd (long *, int, int);
int compress_6b (long *, int);
void write_header (FILE *, struct header *);
void read_header (FILE *, struct header *);
void rem_2nd_diff (long *, int);
int decomp_6b (FILE *, int, long *);
```

They are collected in **gse_functions.c**.

Furthermore, there are the auxiliary programs for character buffering as stated in buf.h, from which one needs:

```
int buf_init ();
int buf_dump (FILE *);
int buf_free ();
```

Together with some further programs for internal use they are collected in *buf.c*. Necessary include files are:

```
gse_header.hwith the description of the header data structure;gse_types.hwith the routine description;buf.hwith the buffer routines;buf_intern.hwith additional declarations.gse_driver.cexample driver program (main).
```

Compilation

The provided routines can be compiled with any decent C compiler (GNU for instance) and are tested under Solaris 2.6/2.7 and Suse LINUX 7.x. The program $gse_driver.c$ gives an example of how to use the routines and which files to include. A simple make file for $gse_driver.c$ could look as follows:

Usage

The routines are for 6-byte compressed data only! 2nd differences should be used because this is common practice.

Reading GSE2 data:

6-byte compressed GSE2 data are ASCII readable, hence, just open the data file first and then continue with searching and reading the first header line (which starts with WID2) by invoking read_header. This stores the header information from the file into a structure (which has to be declared by struct header <name>;). The elements match the GSE2.0 convention and are named as given in gse_header.h and gse_driver.c.

From the header we know the number of samples to be expected and can allocate space accordingly.

It follows: $decomp_6b$ which looks for the line beginning with DAT2, extracts the compressed data, decompresses, and stores the data (long integers) into the allocated space (*data2 in $gse_driver.c$).

Now, remove the 2nd differences via rem_2nd_diff . Attention! rem_2nd_diff alters the data (the result is returned in the same vector, there is no need to provide additional memory). The next line to read from the data file should be the checksum line. But, there might be an additional blank line. This is taken care for in $gse_driver.c$. The checksum read can be compared to the checksum computed from the data (after removing the 2nd differences!) by $check\ sum$. The input value for $check\ sum$ has to be zero!

For the restoration of the original data (float for instance) CALIB and CALPER have to be considered. This is a common source of misunderstanding and neglect!

GSE 2.0 prescribes a data unit of nm (nanometer, that is proportional to displacement). We now think of broadband or other modern registrations where the transfer function shows a noticeable flat part. Well within this passband the seismogram can be regarded as ground motion (displacement, velocity, or acceleration) and we may annotate SI units (m, m/s, m/s²). If we had, for instance, displacement proportional data the formula for the restoration of the original seismogram z from the GSE2 counts is rather simple:

$$z[m] = GSEcounts \cdot calib \cdot 10^{-9}$$

For velocity data a symbolic differentiation has to be performed at the fixed (eigen-) period CALPER. Hence, the seismogram restoration formula reads:

$$z[m/s] = GSEcounts \cdot calib \cdot \frac{2\Pi}{calper} \cdot 10^{-9}$$

Last but not least, an acceleration seismogram is restored from GSE2.0 accordingly:

$$z[m/s^{2}] = GSEcounts \cdot calib \cdot \frac{4\pi^{2}}{calper^{2}} \cdot 10^{-9}$$

Please be aware, that this is NOT a true ground motion restitution but only the restoration of the original seismogram. Restitution has to be performed by means of pole-zero information which is not the topic of this treatise.

How do we know whether the data are displacement, velocity, or acceleration, or even pressure, temperature, or something else exotic? Without pole-zero information there is no way to know from the GSE2 header line. In $gse_driver.c$ we simply used AUXID as a flag (DIS, VEL, or ACC). This is only a work around, but nevertheless, simplifies the reading procedure (note: GSE1 provided such a flag).

A GSE2 file may be a volume and contain several data segments. To read these we just start over with *read_header* without closing the input file meanwhile.

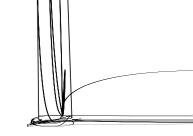
Note: For GSE2 reading only, we do NOT need the routines from buf.c and the include files buf.h and $buf_intern.h$

Writing GSE2 data:

Data to be stored in GSE2 have to be integer (long). While no problem for digitizer output (counts), in other circumstances, the data must be converted into nm (nm/s, nm/s 2). This can easily be done by inverting the appropriate restoration formula (see above). But, to conserve the resolution of the data, we have to consider the integer quantization and the clipping of the GSE2 format. The 6-byte compression clips at 2^{27} -1. Keeping in mind that this is valid for the 2^{nd} differences of the data the original clipping for decently sampled data may reach the integer resolution (32 bit). Taking no risk, we propose to quantize the data with 24 bits. That is, the maximum data value z_{max} should equal 2^{24} . (Of course, we could use 20 or 26 bits, too). For velocity data (as an example) this consideration results in:

$$\frac{z_{\text{max}}[\text{m/s}] \cdot \text{calper}}{2\Pi \cdot \text{calib}} \cdot 10^9 \equiv 2^{24}$$

from where we can calculate the CALIB factor:



$$calib = \frac{z_{max}[m/s] \cdot calper}{2\pi \cdot 2^{24}} \cdot 10^9 \approx \frac{z_{max}[m/s] \cdot calper}{2\pi} \cdot 59.$$