## HUDM 5123 - Linear Models and Experimental Design Lab 03 - Categorical Predictors and ANOVA

## 1 The Data

The **car** package in R comes with a data set called "Prestige" that includes 102 observations with six variables. Each observation is an occupation listed in the 1971 Census of Canada.

- education: Average education of occupational incumbents, years, in 1971.
- income: Average income of incumbents, dollars, in 1971.
- women: Percentage of incumbents who are women.
- **prestige**: Pineo-Porter prestige score for occupation, from a social survey conducted in the mid-1960s.
- census: Canadian Census occupational code.
- **type**: Type of occupation. A factor with levels: bc, blue collar; prof, professional, managerial, and technical; wc, white collar.

The primary research question is whether the categorical occupation type variable is a significant predictor of job prestige. The three levels of the occupation type variable are blue collar, white collar, and professional.

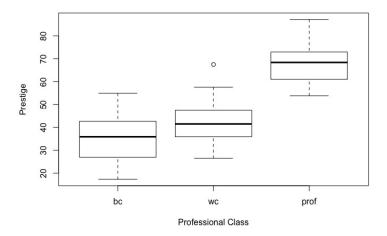


Figure 1: Boxplot of prestige ratings by profession type

Add two dummy-coded variables to the Prestige data frame, using bc as the reference category. Then use the dummies to run and save the following models:

$$prestige_{i_F} = \beta_0 + \beta_1 WC_i + \beta_2 Prof_i + \epsilon_{i_F}$$
$$prestige_{i_R} = \beta_0 + \epsilon_{i_R}$$

Task 1 Run the full model and save it as lm\_F1. Interpret the intercept and the slope coefficients in the context of this problem.

**Task 2** Compare the full and reduced models using the **anova()** function and use the output to fill in an ANOVA table. Write out the null and alternative hypothesis for the incremental F test, and write your conclusion out (i.e., is job type a significant predictor of job prestige?) Use APA format for writing up F statistic, degrees of freedom, and p-value.

Add two deviation-coded variables to the Prestige data frame, again using bc as the reference category. Then use the deviation-coded variables to run and save the following models:

$$prestige_{i_F} = \beta_0 + \beta_1 WC_i + \beta_2 Prof_i + \epsilon_{i_F}$$
$$prestige_{i_R} = \beta_0 + \epsilon_{i_R}$$

Task 3 Run the full model and save it as  $lm_F2$ . Interpret the intercept and the slope coefficients in the context of this problem.

**Task 4** Compare the full and reduced models using the **anova()** function and use the output to fill in an ANOVA table. Write out the null and alternative hypothesis for the incremental F test, and write your conclusion out (i.e., is job type a significant predictor of job prestige?) Use APA format for writing up F statistic, degrees of freedom, and p-value.