

# BasicProblemAnswers

September 11, 2018

## 1 Starter Problems

### 1.1 Strang Matrix Problem

```
In [1]: N = 10
        A = zeros(N,N)
        for i in 1:N, j in 1:N
            abs(i-j)<=1 && (A[i,j]+=1)
            i==j && (A[i,j]-=3)
        end
        A
```

```
Out[1]: 10E10 Array{Float64,2}:
 -2.0  1.0  0.0  0.0  0.0  0.0  0.0  0.0  0.0  0.0
  1.0 -2.0  1.0  0.0  0.0  0.0  0.0  0.0  0.0  0.0
  0.0  1.0 -2.0  1.0  0.0  0.0  0.0  0.0  0.0  0.0
  0.0  0.0  1.0 -2.0  1.0  0.0  0.0  0.0  0.0  0.0
  0.0  0.0  0.0  1.0 -2.0  1.0  0.0  0.0  0.0  0.0
  0.0  0.0  0.0  0.0  1.0 -2.0  1.0  0.0  0.0  0.0
  0.0  0.0  0.0  0.0  0.0  1.0 -2.0  1.0  0.0  0.0
  0.0  0.0  0.0  0.0  0.0  0.0  1.0 -2.0  1.0  0.0
  0.0  0.0  0.0  0.0  0.0  0.0  0.0  1.0 -2.0  1.0
  0.0  0.0  0.0  0.0  0.0  0.0  0.0  0.0  1.0 -2.0
```

### 1.2 Factorial Problem

```
In [2]: function my_factorial(n)
        k = one(n)
        for i in 1:n
            k *= i
        end
        k
    end

    my_factorial(4)
    my_factorial(30)
    my_factorial(big(30))

Out[2]: 265252859812191058636308480000000
```

### 1.3 Binomial Problem

```
In [3]: function binomial_rv(n, p)
        count = zero(n)
        U = rand(n)
        for i in 1:n
            U[i] < p && (count += 1)
        end
        count
    end

    bs = [binomial_rv(10, 0.5) for j in 1:10]
```

```
Out[3]: 10-element Array{Int64,1}:
```

```
5
5
1
5
5
2
4
5
7
6
```

### 1.4 Monte Carlo $\pi$ Problem

```
In [7]: n = 10000000

        count = 0
        for i in 1:n
            global count
            u, v = 2rand(2) .- 1
            d = sqrt(u^2 + v^2) # Distance from middle of square
            d < 1 && (count += 1)
        end

        area_estimate = count / n

        print(area_estimate * 4) # dividing by radius**2
```

```
3.1420112
```

## 2 Integration Problems

### 2.1 Timeseries Generation Problem

```
In [8]: using Plots; gr()
```

```

alphas = [0.0, 0.5, 0.98]
T = 200

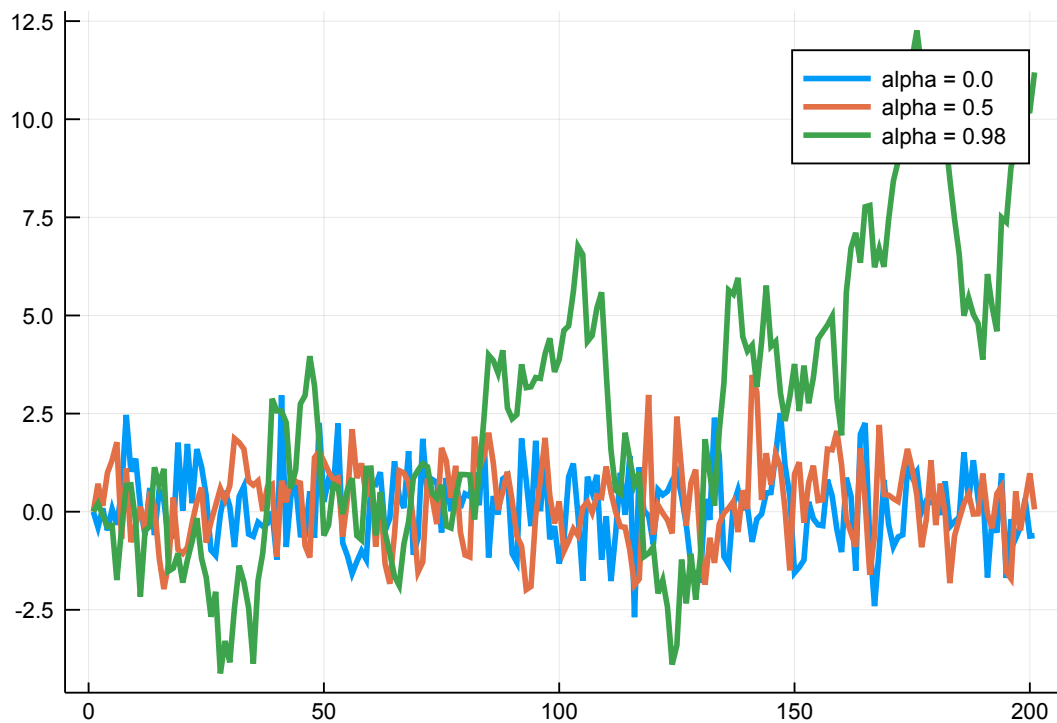
series = []
labels = []

for alpha in alphas
    x = zeros(T + 1)
    x[1] = 0.0
    for t in 1:T
        x[t+1] = alpha * x[t] + randn()
    end
    push!(series, x)
    push!(labels, "alpha = $alpha")
end

plot(series, label=reshape(labels,1,length(labels)),lw=3)

```

Out[8]:



## 2.2 Logistic Equation Problem

```

In [13]: r = 2.9:.001:4; numAttract = 100
         steady = ones(length(r),1)*.25

```

```

for i=1:400 ## Get to steady state
    @. steady = r*steady*(1-steady)
end
x = zeros(length(steady),numAttract)
x[:,1] = steady
@inbounds for i=2:numAttract ## Grab values at the attractor
    @. x[:,i] = r*x[:,i-1]*(1-x[:,i-1])
end
using Plots; gr(fmt=:png)
plot(collect(r),x,seriestype=:scatter,markersize=.002,legend=false,color=:black)

```

Out[13]:

