

BMI/CS 576 – Day 8

- Today
 - Dynamic programming!
- Next week
 - Variants of the pairwise alignment task
 - local alignment, affine gap alignment
 - Dynamic programming algorithms to solve the variants
 - Intro/review of probability
 - random variables, independence, distributions

HW1

- Reminder: Due Monday
- If you turn it in after Monday, consider using some of your free “slip” days
- HW2 will be assigned next week

Muddiest points

- How are log-odds ratios connected to alignment scores?
 - We will get to this in 1.5 weeks when we discuss substitution matrices and their probabilistic derivations
- For global alignment, why is the matrix $(m+1) \times (n+1)$ instead of $(m) \times (n)$?
 - Each entry of the matrix corresponds to a subproblem
 - Entry (m, n) is the subproblem corresponding to the full problem
 - Entries $(0, j)$ are needed: correspond to best alignment of prefix of length j of second sequence to empty string
 - Conversely for entries $(i, 0)$

Are the highroad and lowroad alignments suboptimal?

highroad
lowroad

- No
- highroad and lowroad alignment are defined within the set of all alignments that have the **optimal** score
- Highroad and lowroad alignments may have more spaces than a “middle road” optimal alignment, but they have the same score

