

# 3D Graphics for Dummies

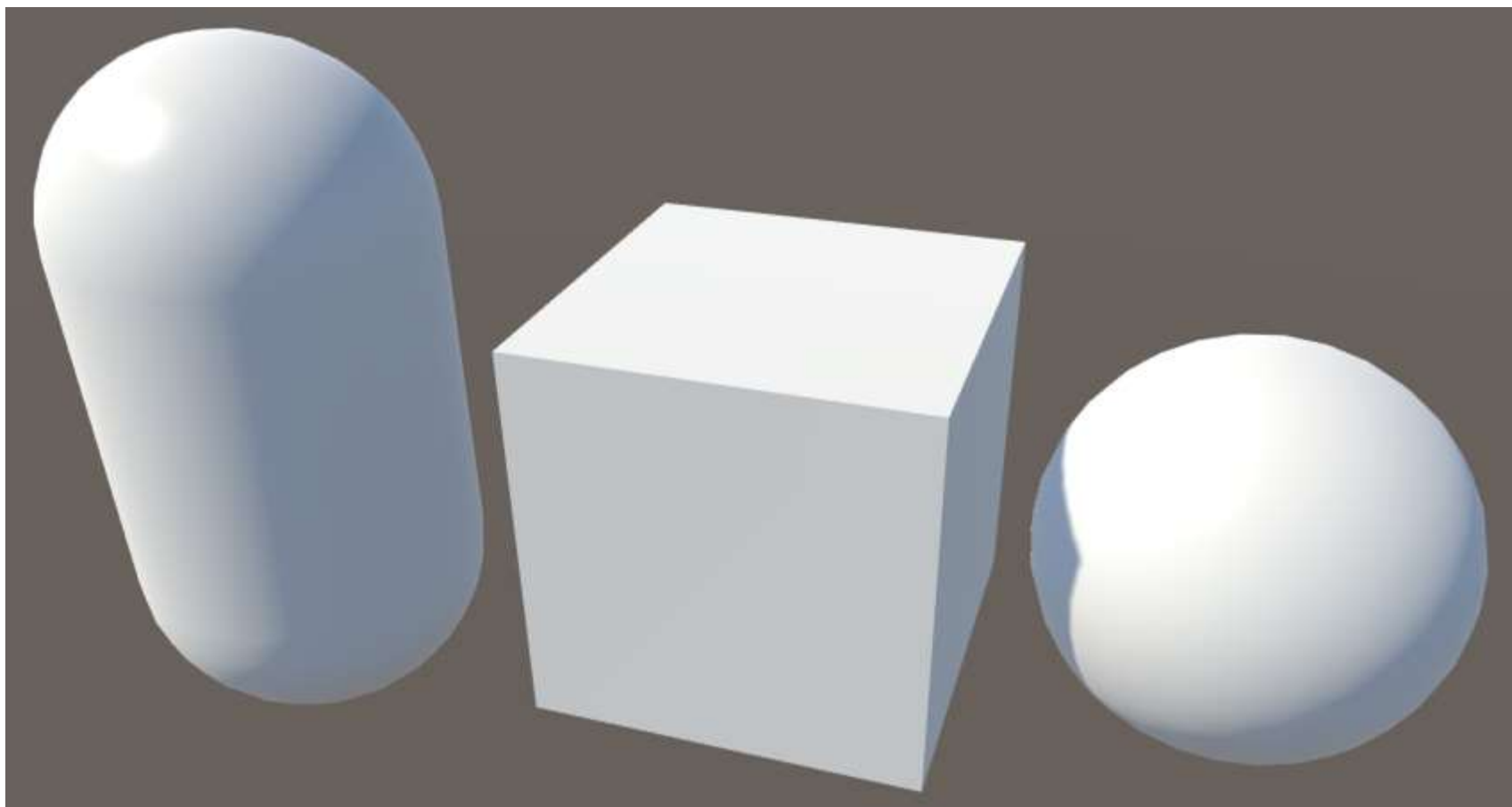
Significant content “borrowed” from Dan Chang @ Nintendo NTD “with permission”

Chris Ryan

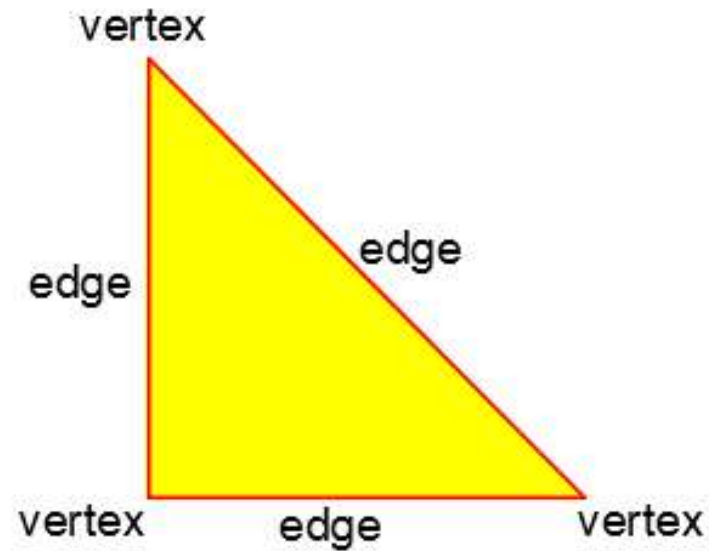
Northwest C++ User Group Nov 18<sup>th</sup> 2020

[github.com/ChrisRyan98008/NwCpp-Nov2020](https://github.com/ChrisRyan98008/NwCpp-Nov2020)

## 3D Graphics for Dummies

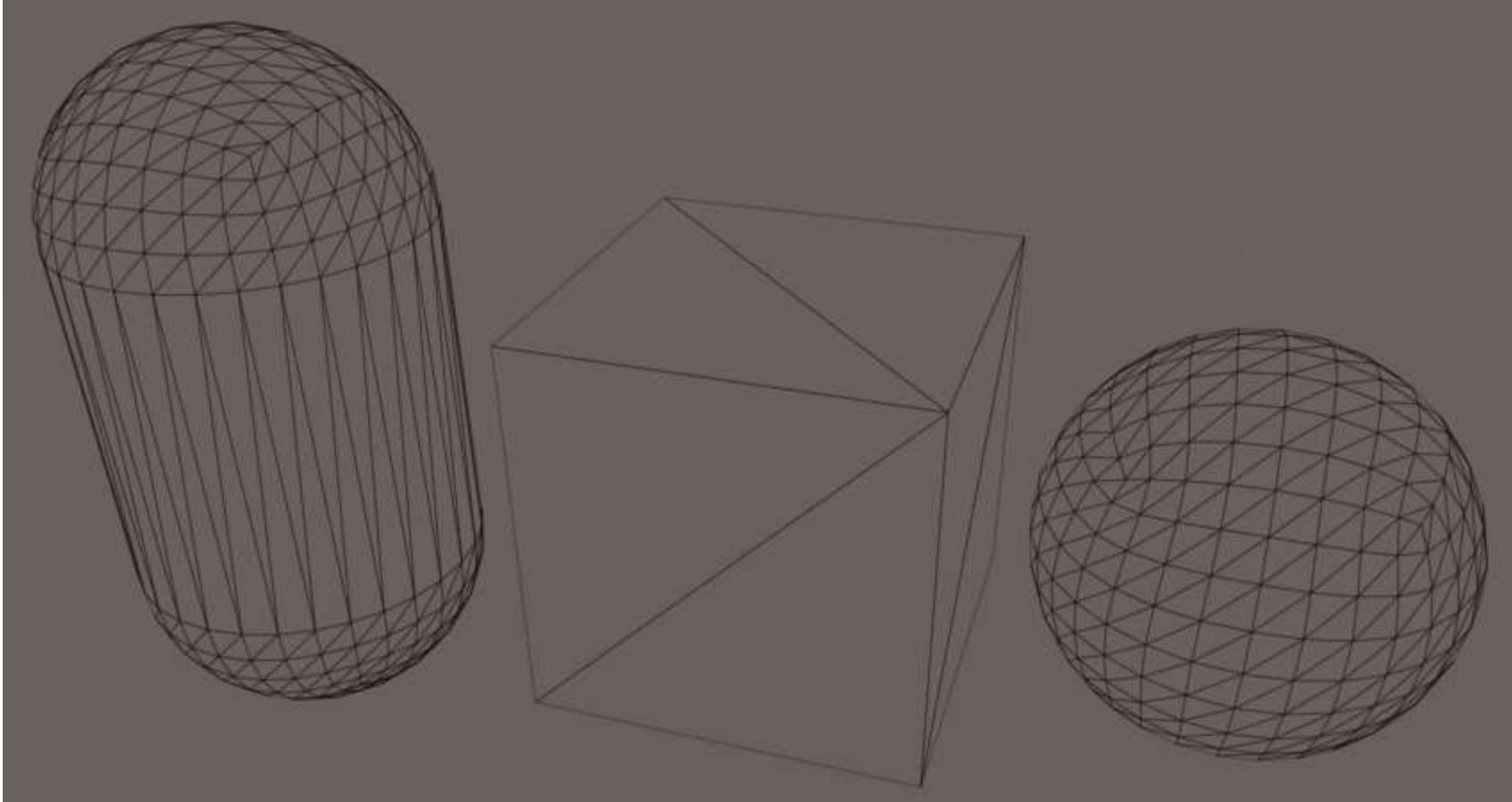


# Draw Lots of Triangles

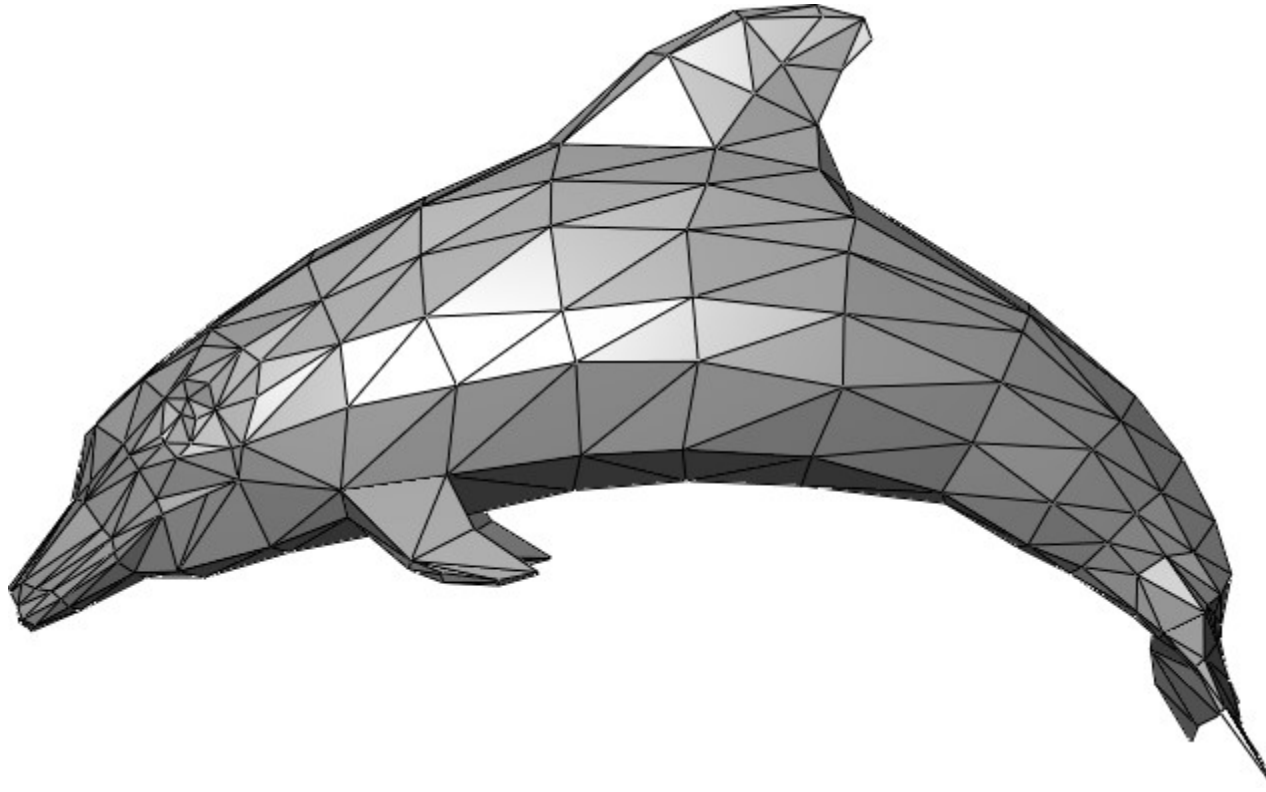


sometimes also called **polygons** or **polys**

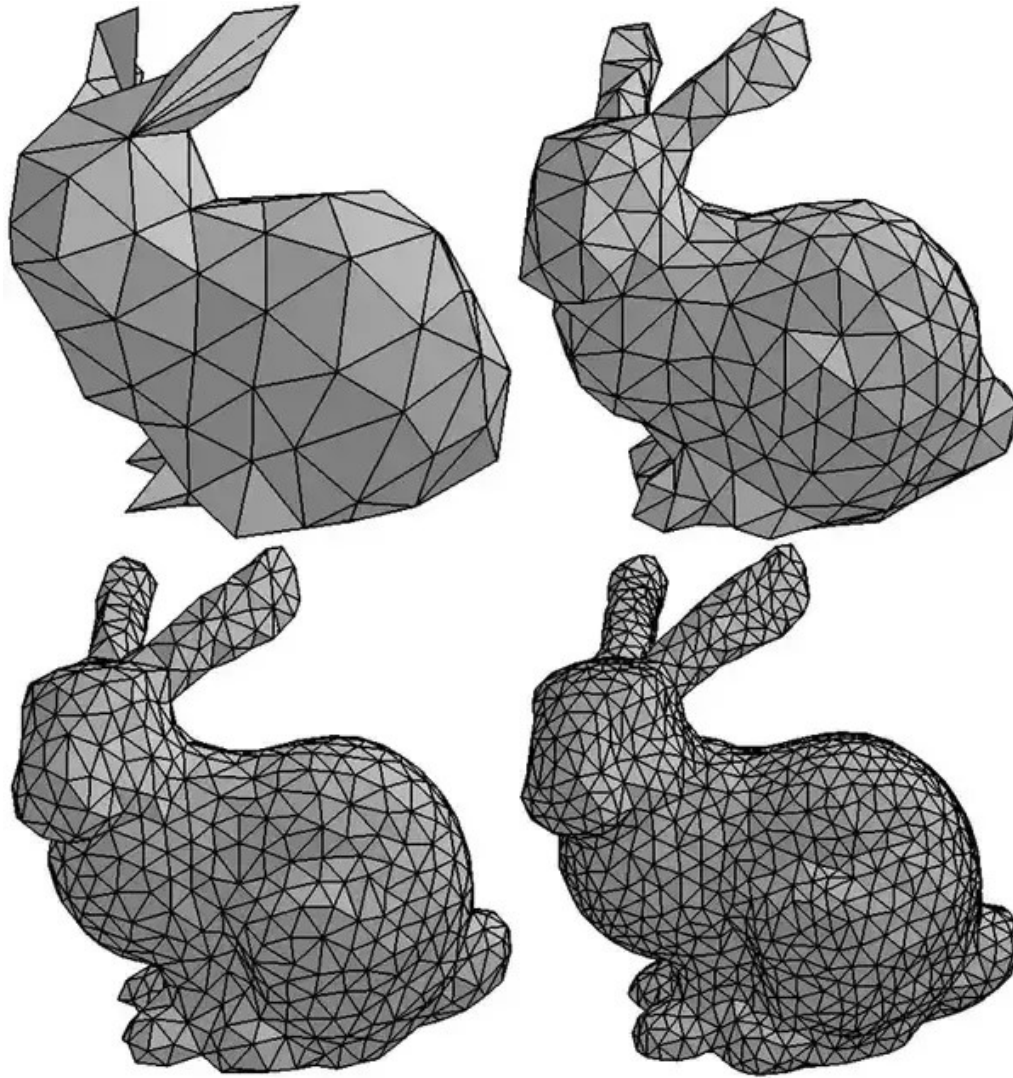
## 3D Graphics for Dummies



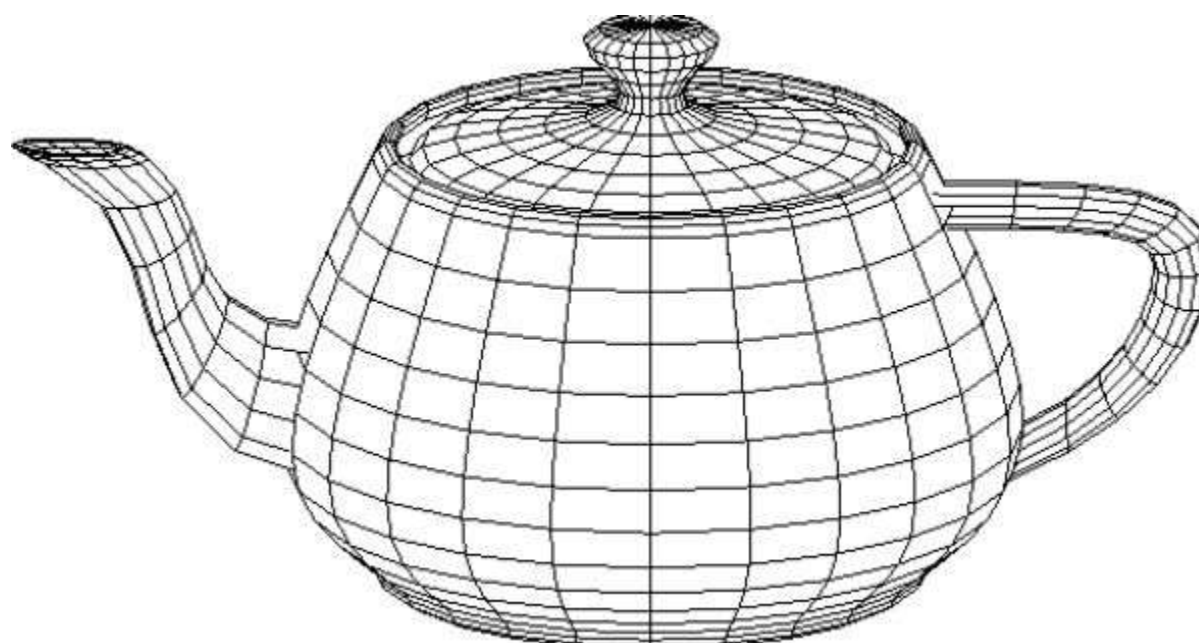
## 3D Graphics for Dummies



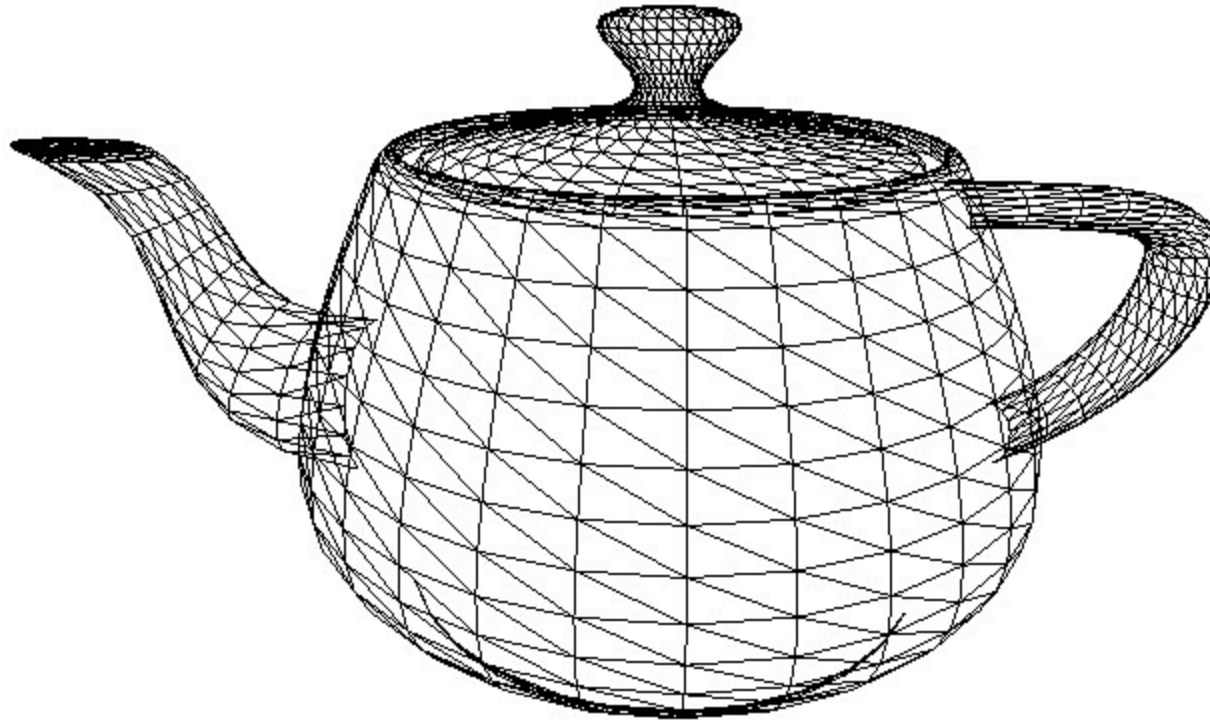
## 3D Graphics for Dummies



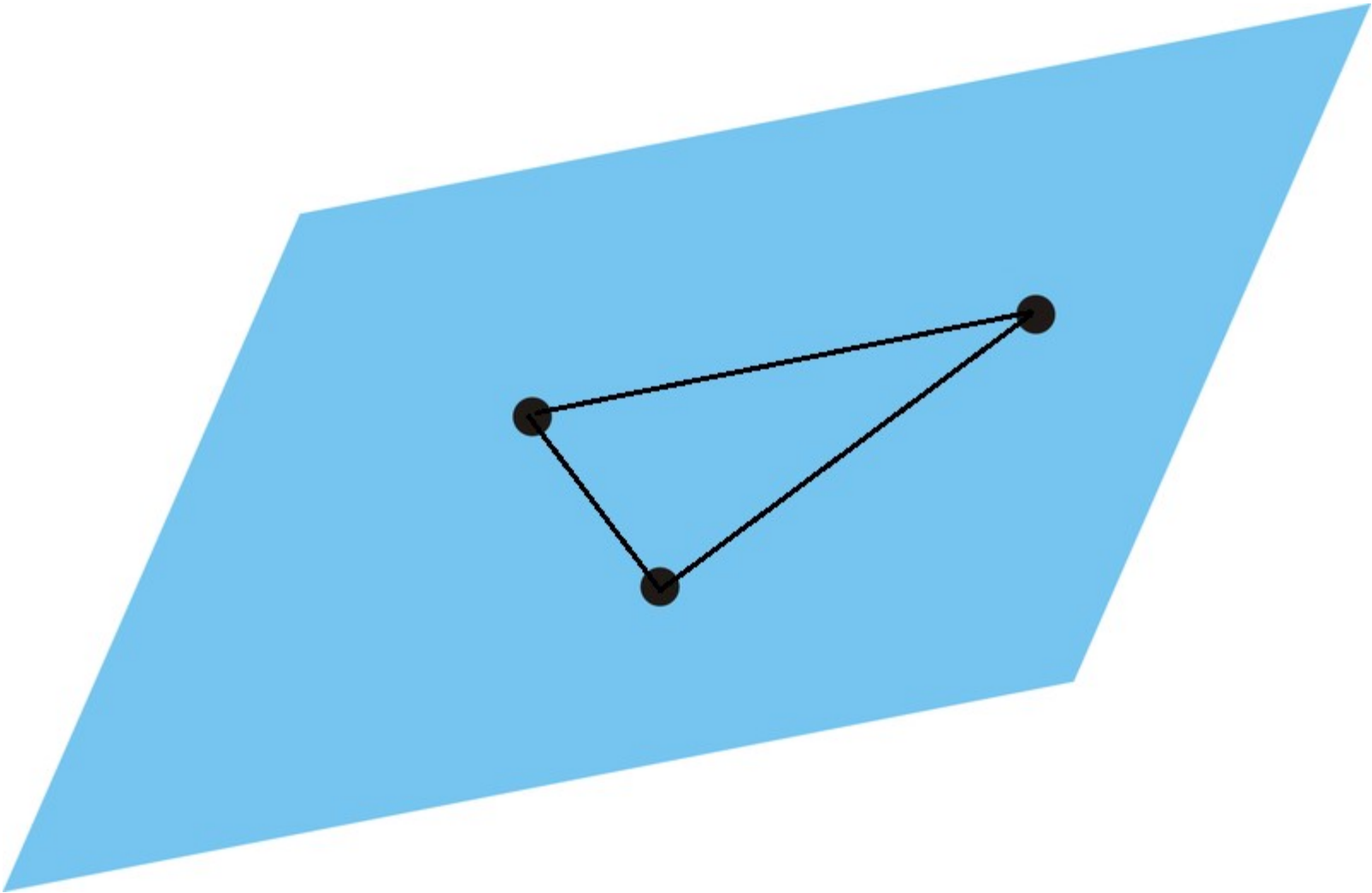
## 3D Graphics for Dummies



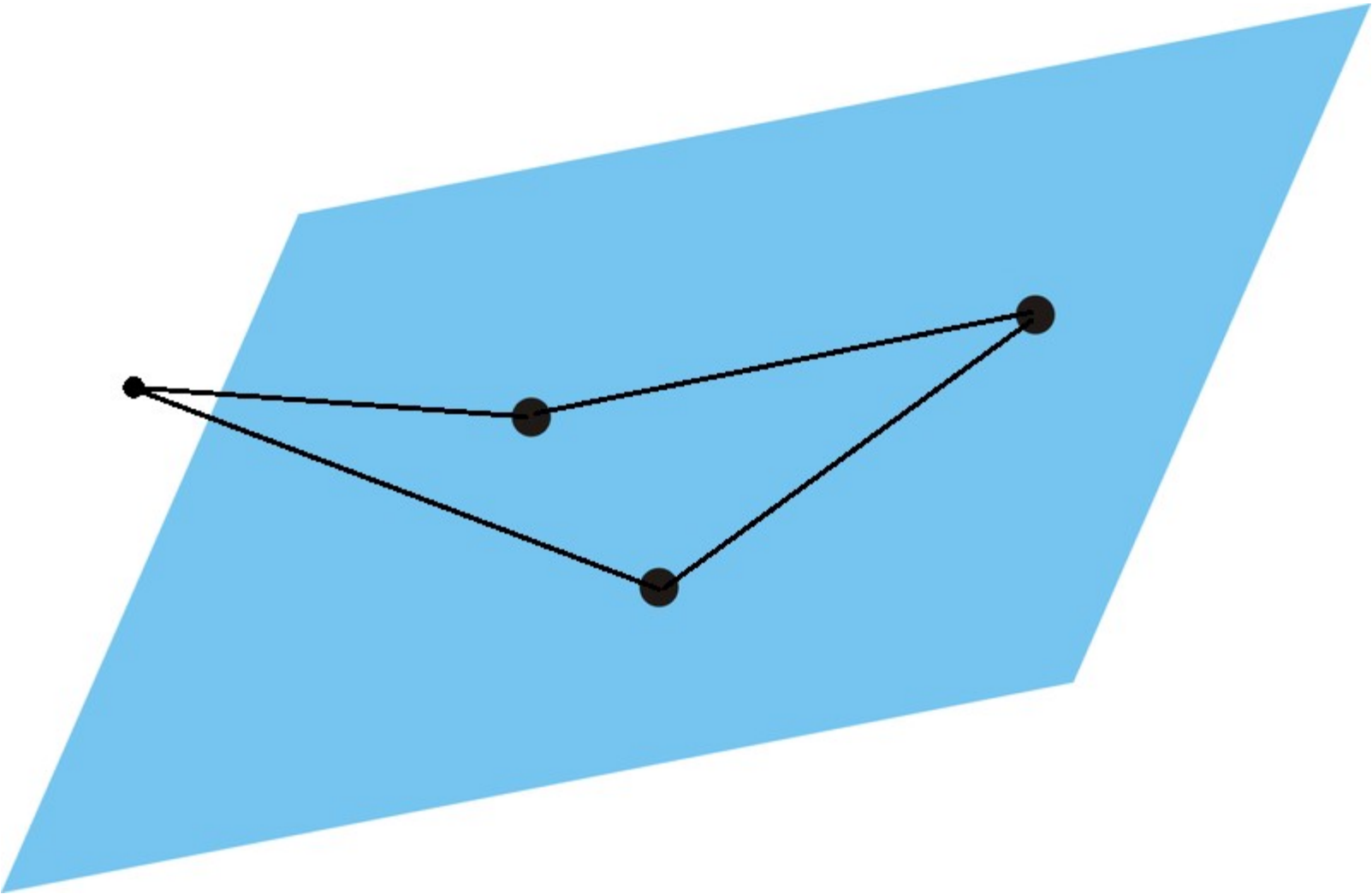
## 3D Graphics for Dummies







3D Graphics for Dummies



# A Model

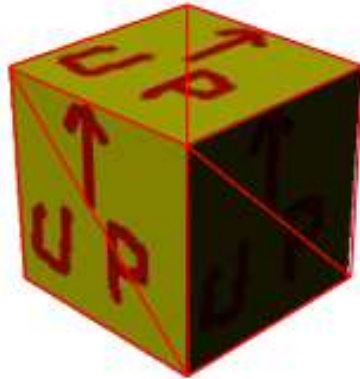
- Only care about visible surfaces (no data about interior)



- Sometimes also called a **3D object** or an **object**

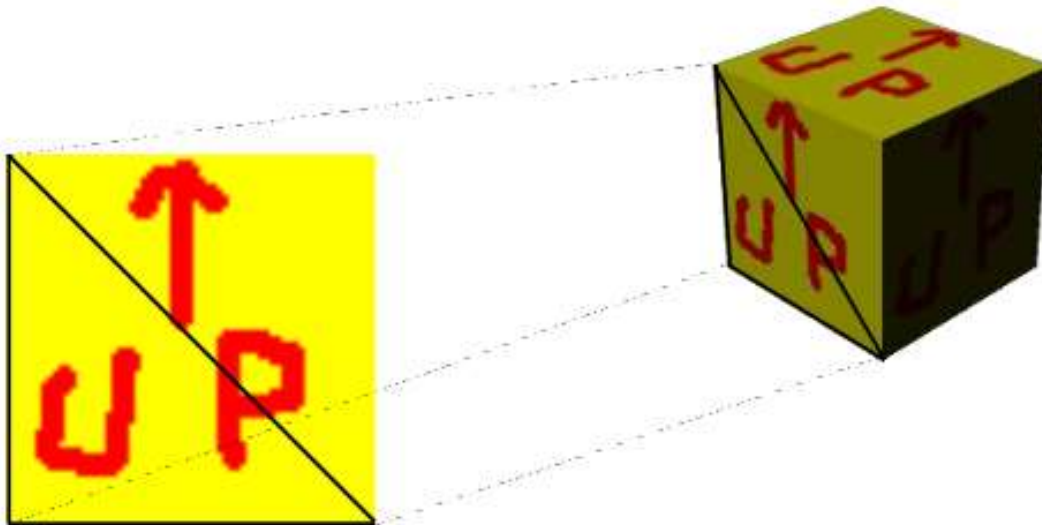
# A Model

- Surfaces represented with a collection of triangles
- **Mesh** - a collection of triangles
- **Model** - a collection of meshes



# Textures

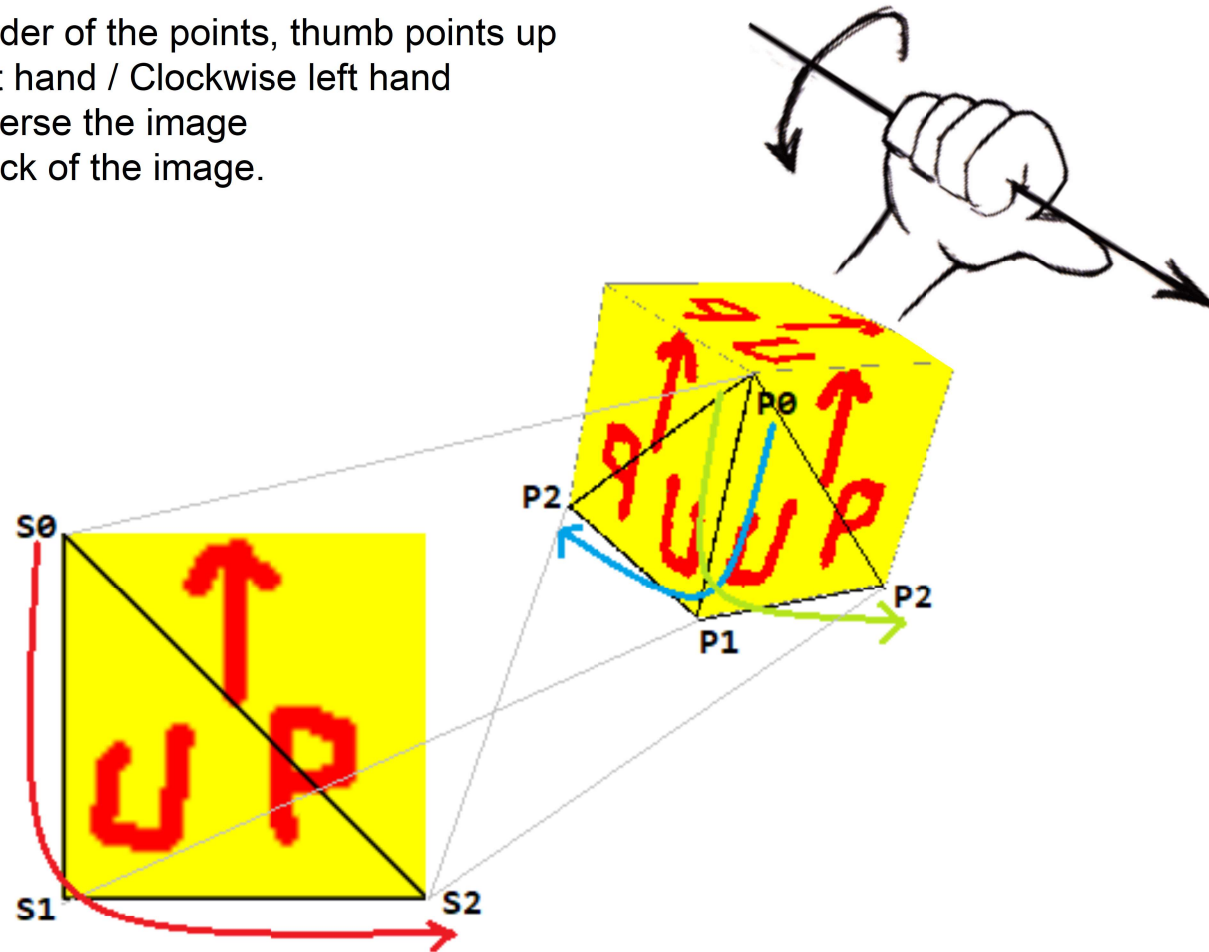
- Are 2D images which are applied to triangles
- Rough analogy: stickers or decals
  - Except textures can be stretched
  - Each triangle specifies which part of texture gets applied to it



# 3D Graphics for Dummies

## Right Hand / Left Hand Rule / Winding

Fingers curled in the order of the points, thumb points up  
Counter clockwise right hand / Clockwise left hand  
Opposite directions reverse the image  
Looking through the back of the image.

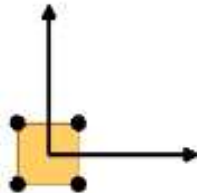


# Model has Matrix

- Every model has a **Matrix**
  - Specifies Position in the world
  - Specifies Orientation in the world
  - Specifies Scale (size) in the world
- A **Matrix** used in this way is also called an “**model to world space matrix**”
  - or “**model to world matrix**”
  - or sometimes just “**world matrix**”

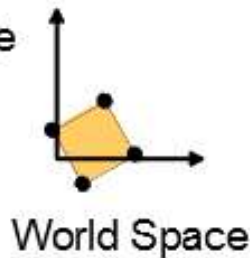
# Coordinate Spaces Overview

- Model Space



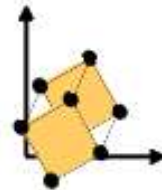
Model Space

- World Space



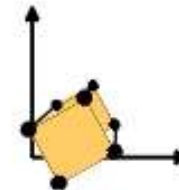
World Space

- View Space



View Space

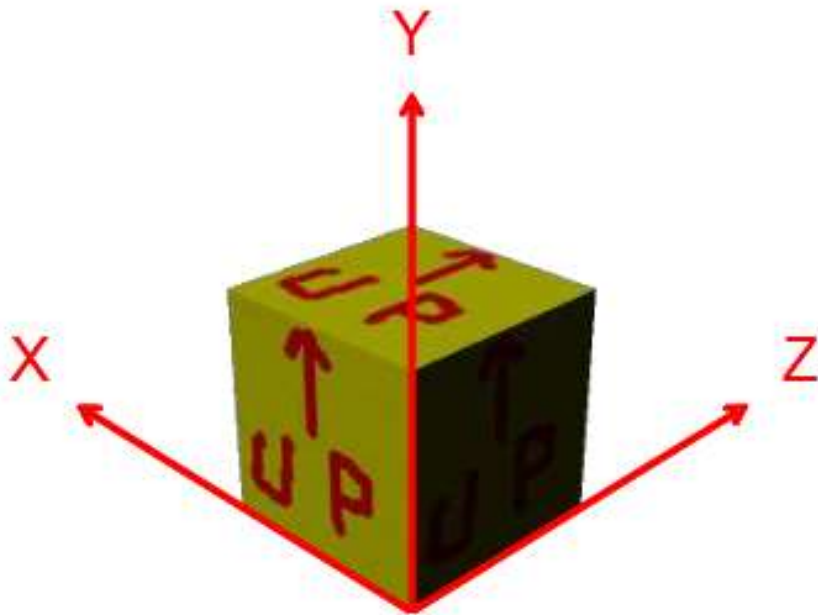
- Screen Space



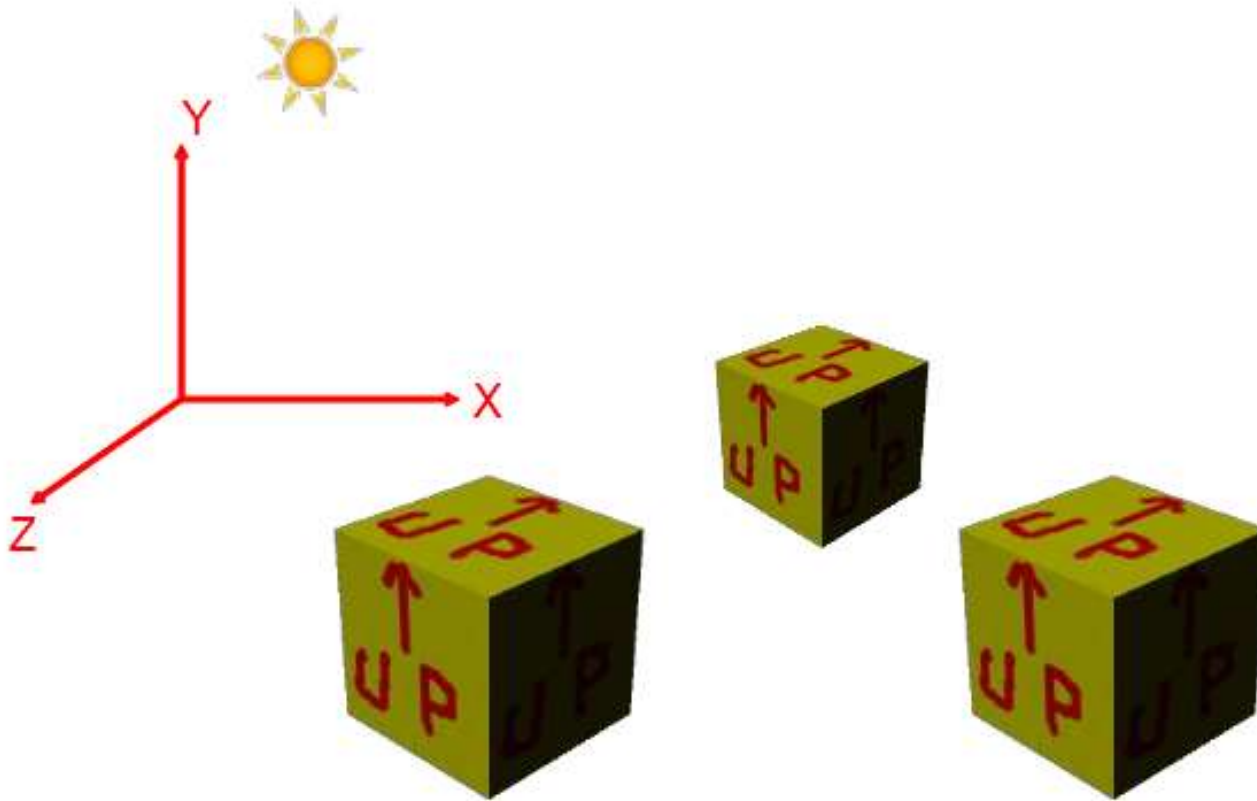
Screen Space



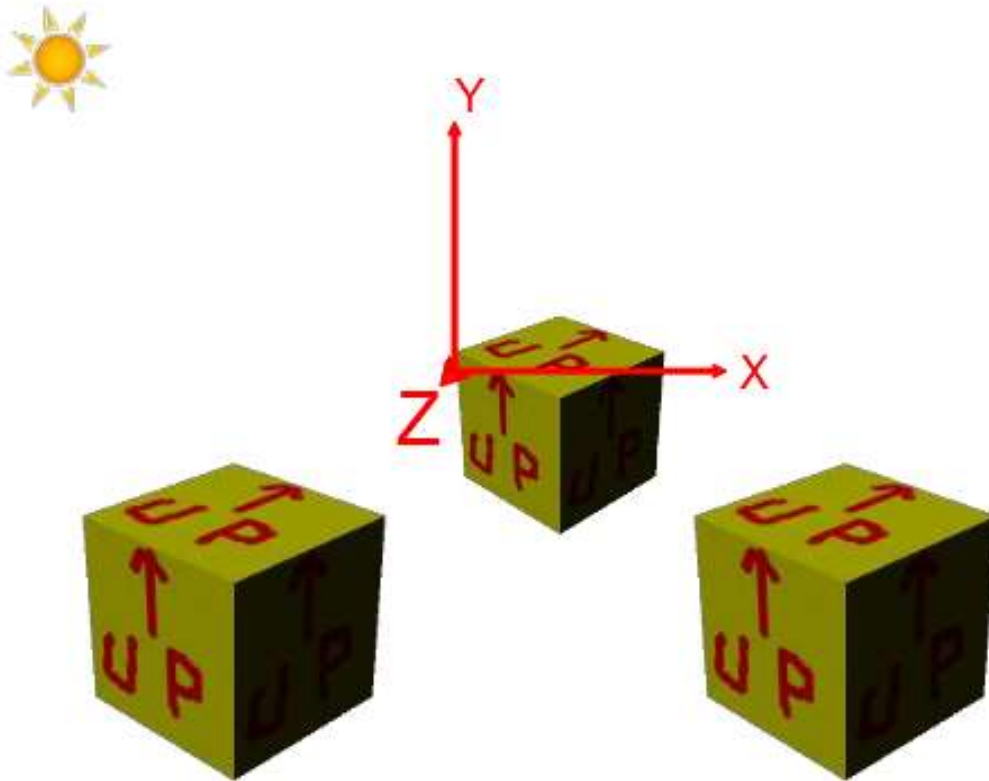
# Model Space



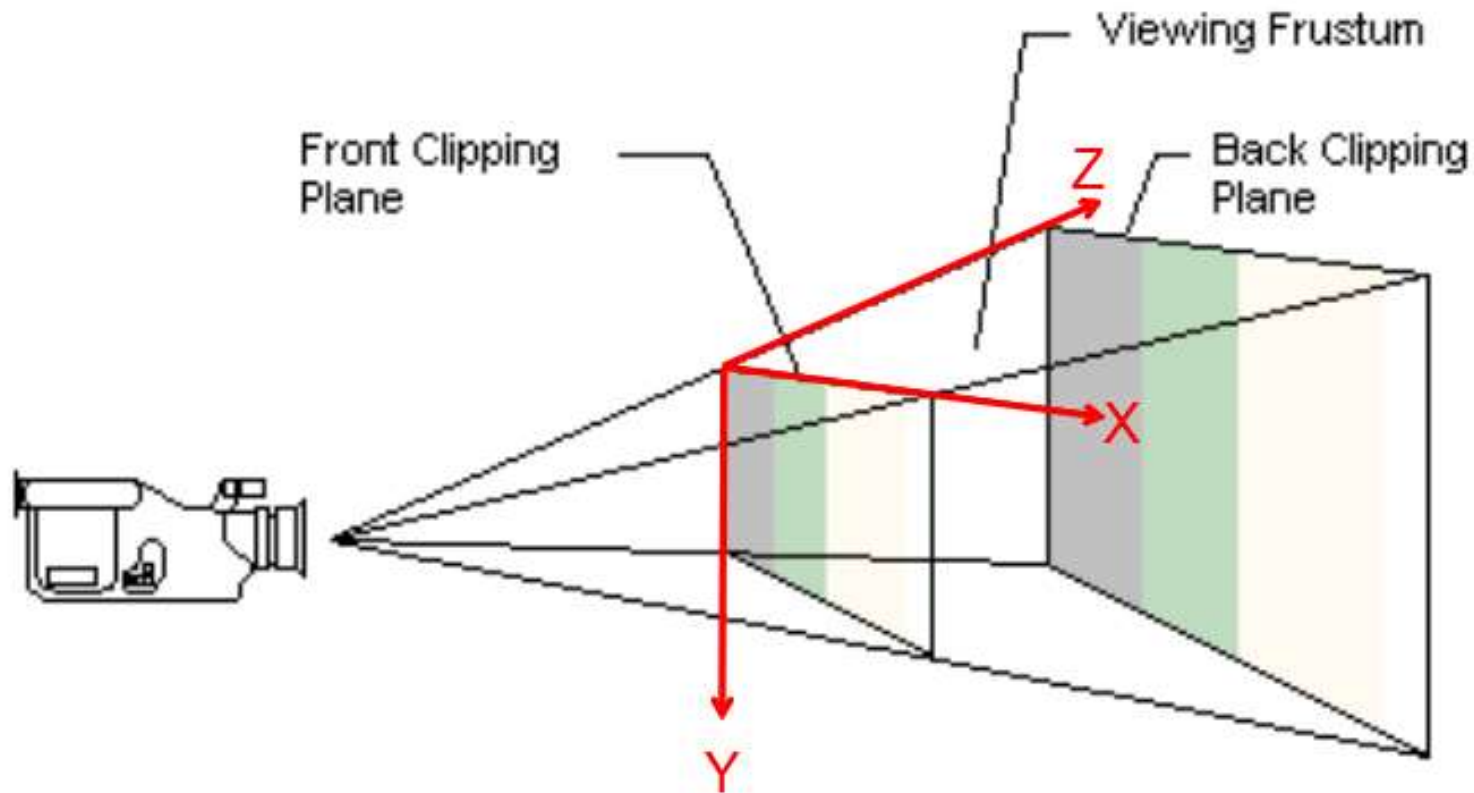
# World Space



# View Space

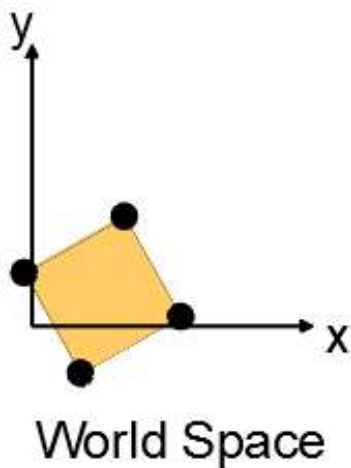


# Screen Space

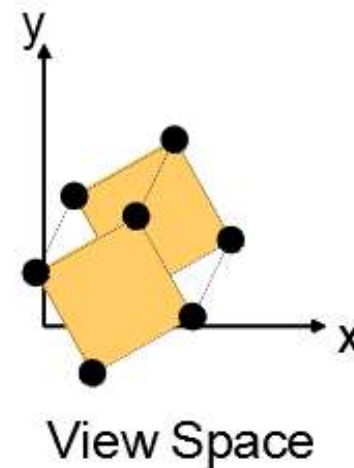


# World Space to View Space

- View Matrix (“oriented from camera view”)
- $\text{World Space} \times \text{View Matrix} = \text{View Space}$
- View Space sometimes called Camera Space



→  
View Matrix



## Creating View Matrices

```
PointOfView(Point cameraPosition,  
            Point cameraTarget,  
            Vector cameraUpVector);
```

- **cameraPosition** - **position** of the camera in the world
- **cameraTarget** - the **position** in the world we're looking at
- **cameraUpVector** – the camera's up **vector**

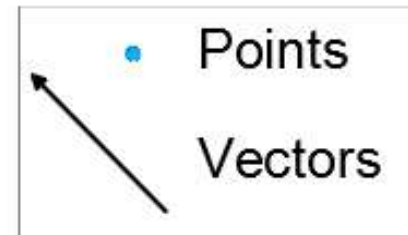
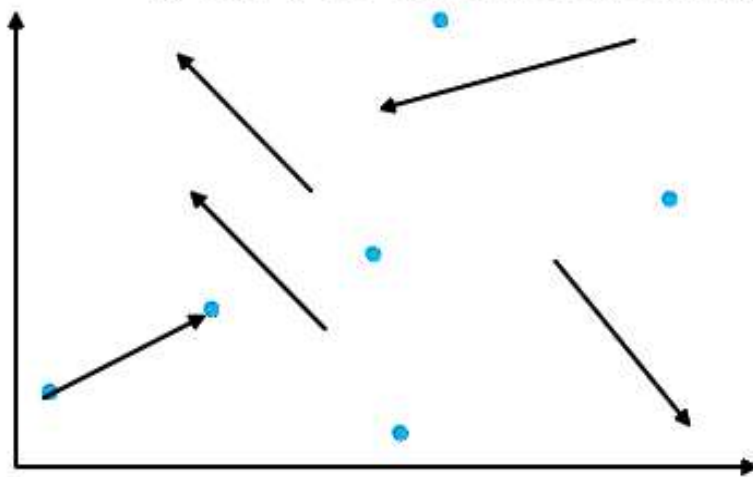
# Creating Projection Matrices

```
FieldOfView(float fieldOfView,  
            float aspectRatio,  
            float nearPlaneDistance,  
            float farPlaneDistance);
```

- `fieldOfView` - Field of view in the y direction
- `aspectRatio` - Width divided by height
- `nearPlaneDistance` - Distance to the near plane
- `farPlaneDistance` - Distance to the far plane

# Points and Vectors

- Compare points and vectors:
  - Point has only one property: location
  - Vector has two properties: length & direction
    - One interpretation: vectors get you from one point (“tail”) to another point (“head”)



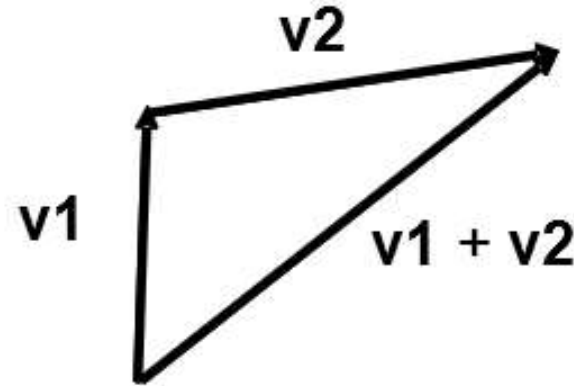


# Points and Vectors

- Usually write either this way:  $(3, 4, 5)$ 
  - For point in 3D, write as  $(3, 4, 5, \underline{1})$
  - For vector in 3D, write as  $(3, 4, 5, \underline{0})$
- When you subtract two points, you get a vector!
  - Adding two points is undefined
- When you add or subtract two vectors, you get a vector

## Vector addition

- Takes two vectors as input (**v1** and **v2**)
  - $(v1x, v1y, v1z)$
  - $(v2x, v2y, v2z)$
- Output is a vector
- Place vectors "head to tail"
- Output =  $(v1x + v2x, v1y + v2y, v1z + v2z)$



### Skipping:

- Vector \* scalar
- Vector Length
- Normalize Vector
- Vector Dot Product
- Vector Cross Product
- Reflection Vector
- Triangle and Plane Normals
- Plane Equation
- “Square up” vectors

## Row Vectors

- MonoGame uses row vectors
  - Written (3, 4, 5, 0), or [3 4 5 0]
- Unity uses column vectors
  - Written (3, 4, 5, 0)<sup>T</sup>, or

$$\begin{bmatrix} 3 \\ 4 \\ 5 \\ 0 \end{bmatrix}$$

## Matrix Math

$$\mathbf{v} * \mathbf{M} =$$

$$[v_x \ v_y \ v_z \ v_w] * \begin{bmatrix} m_{11} & m_{12} & m_{13} & m_{14} \\ m_{21} & m_{22} & m_{23} & m_{24} \\ m_{31} & m_{32} & m_{33} & m_{34} \\ m_{41} & m_{42} & m_{43} & m_{44} \end{bmatrix}$$

$$= \begin{bmatrix} (v_x * m_{11} + v_y * m_{21} + v_z * m_{31} + v_w * m_{41}) \\ (v_x * m_{12} + v_y * m_{22} + v_z * m_{32} + v_w * m_{42}) \\ (v_x * m_{13} + v_y * m_{23} + v_z * m_{33} + v_w * m_{43}) \\ (v_x * m_{14} + v_y * m_{24} + v_z * m_{34} + v_w * m_{44}) \end{bmatrix}$$

# 3D Graphics for Dummies

Supported operations

type correct and type coherent: vector, point, matrix, mesh

types:

```
matrix  (4x4)
vector  (1x4) (xyz,w=0)
point   (1x4) (xyz,w=1)
mesh    (poly collection)
```

matrix operators

```
matrix *= matrix;
matrix  = matrix * matrix;
```

vector operators

```
vector  = vector * matrix;
vector *= matrix;
vector  = vector * vector;    // vector cross product
vector *= vector;             // vector cross product
vector  = Normalize(vector);
```

point operators

```
point  = point * matrix;
point  *= matrix;
point  = point + vector;
point += vector;
vector = point - point;
```

mesh operators (poly collection) used as a model, world, or screen

```
mesh  = mesh + mesh;
mesh += mesh;
mesh  = mesh * matrix;
mesh *= matrix;
mesh.PerspectiveDivide();
```

# 3D Graphics for Dummies

## Manipulator Matrices:

```
Matrix Identity();  
Matrix RotateX(float degrees);  
Matrix RotateY(float degrees);  
Matrix RotateZ(float degrees);  
Matrix Scale(float x, float y, float z);  
Matrix Translate(float x, float y, float z);
```

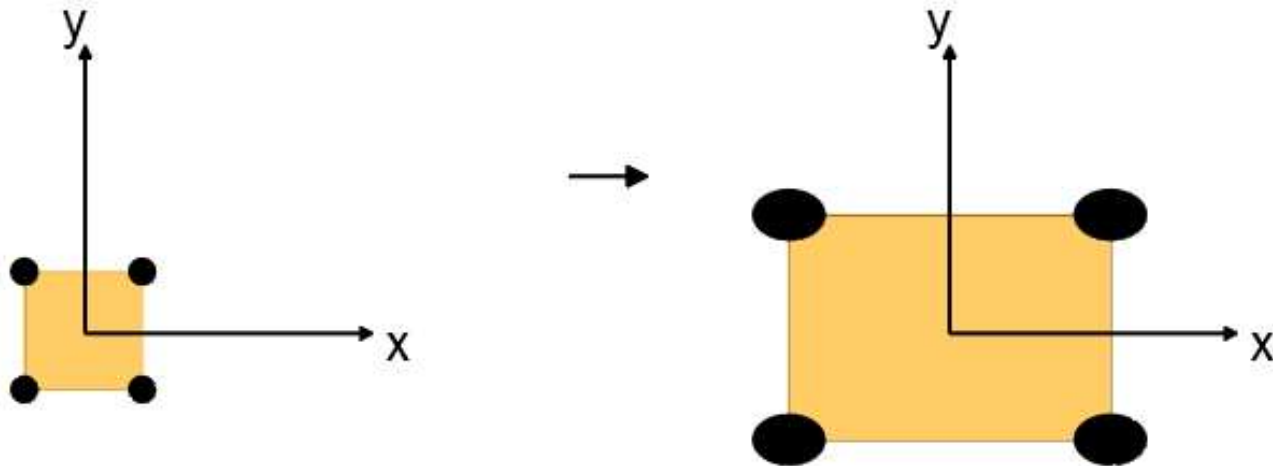
## Transforms Matrices:

```
Matrix PointOfView(const Point& eye, const Point& target, const Vector& up);  
Matrix FieldOfView(float fovAngle, float aspectRatio, float nearPlaneDistance, float  
    farPlaneDistance);  
Matrix Viewport(Rect& view, float minZ, float maxZ);
```

# Scaling Matrix

$$\begin{bmatrix} x & 0 & 0 & 0 \\ 0 & y & 0 & 0 \\ 0 & 0 & z & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

```
float x = 3, y = 2, z = 1;  
Matrix mat = Scale(x, y, z);
```

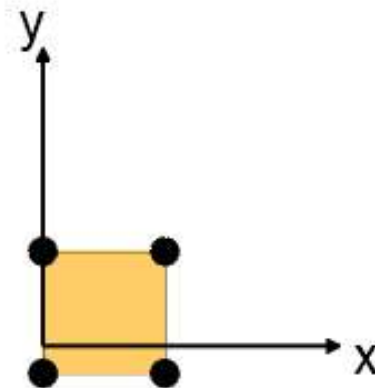
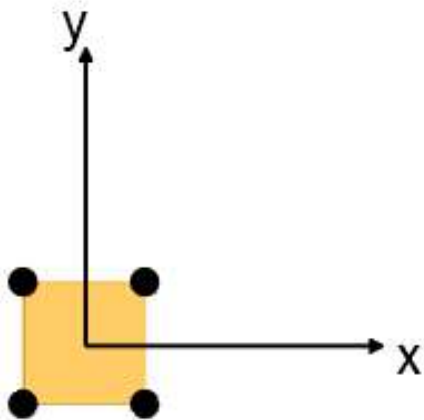




# Translation Matrix

```
float x = 5, y = 2, z = 0;  
Matrix mat = Translate(x, y, z);
```

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ x & y & z & 1 \end{bmatrix}$$



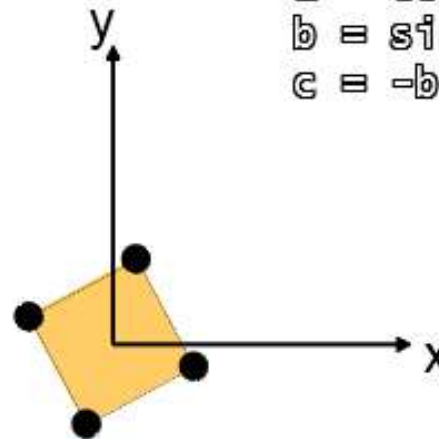
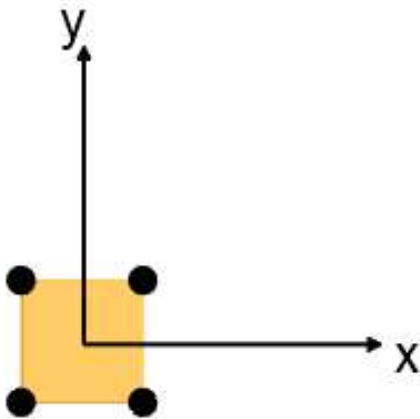
# Z Rotation Matrix

$$\begin{bmatrix} a & b & 0 \\ c & a & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{array}{c} 0 \\ 0 \\ 0 \\ 1 \end{array}$$

Z axis

$$\begin{aligned} a &= \cos(\phi) \\ b &= \sin(\phi) \\ c &= -b \end{aligned}$$

```
Matrix mat = RotationZ(angle);
```



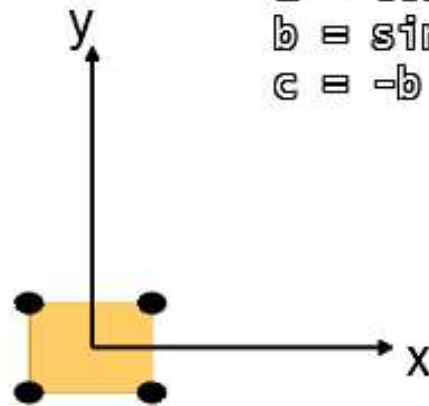
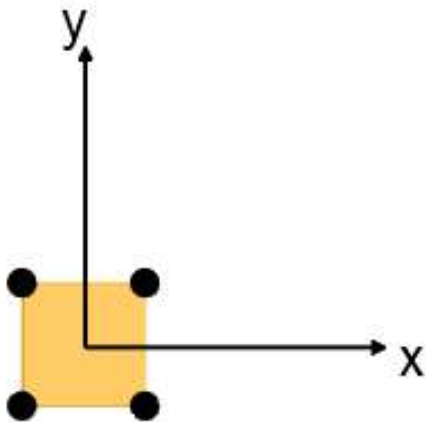
# X Rotation Matrix

```
Matrix mat = RotationX(angle);
```

$$\begin{bmatrix} 1 & 0 & 0 & | & 0 \\ 0 & a & b & | & 0 \\ 0 & c & a & | & 0 \\ 0 & 0 & 0 & | & 1 \end{bmatrix}$$

X axis

$$\begin{aligned} a &= \cos(\phi) \\ b &= \sin(\phi) \\ c &= -b \end{aligned}$$



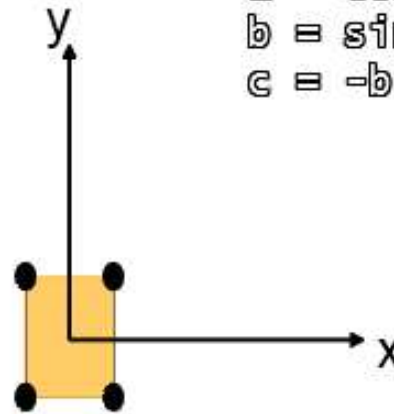
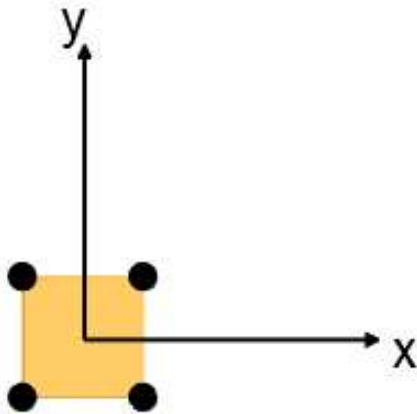
# Y Rotation Matrix

```
Matrix mat = RotationY(angle);
```

$$\begin{bmatrix} a & 0 & c & | & 0 \\ 0 & 1 & 0 & | & 0 \\ b & 0 & a & | & 0 \\ \hline 0 & 0 & 0 & | & 1 \end{bmatrix}$$

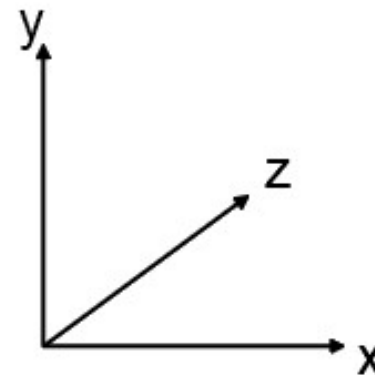
Y axis

$$\begin{aligned} a &= \cos(\phi) \\ b &= \sin(\phi) \\ c &= -b \end{aligned}$$



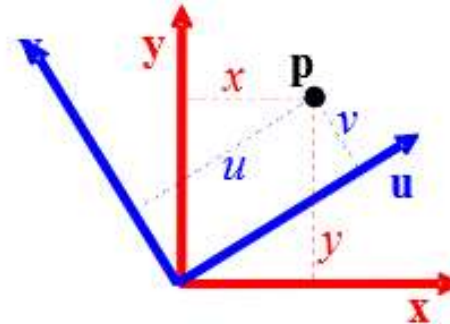
## Orthonormal Basis

- Basis: a space is totally defined by a set of vectors – any point is a linear combination of the basis
- Orthogonal: dot product of any two vector is zero
- Normal: magnitude is one
- Orthonormal: orthogonal + normal
- Most common example:

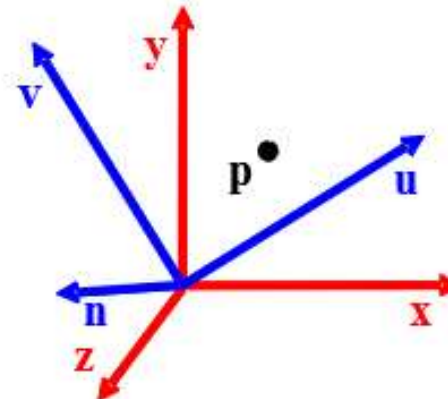


# Change of Orthonormal Basis

- Given:  
coordinate frames  
**xyz** and **uvn**  
point  $\mathbf{p} = (p_x, p_y, p_z)$



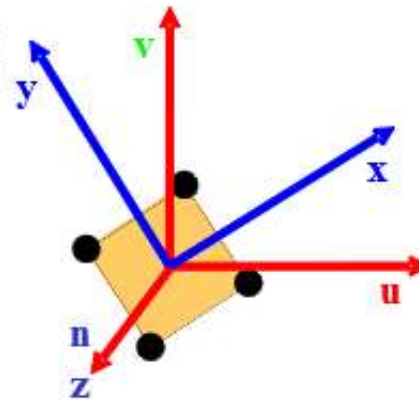
- Find:  
 $\mathbf{p} = (p_u, p_v, p_n)$



## Change of Orthonormal Basis

- Simply fill in columns with vectors **u**, **v**, **n** (coordinates of new basis vector relative to old)
- Dotting with vectors **u**, **v**, **n**
- Can think of X, Y or Z rotations as changes in orthonormal basis
- Basis deals only w/ upper-left 3x3!

$$\begin{array}{ccc|c} [ & \mathbf{u}_x & \mathbf{v}_x & \mathbf{n}_x & 0 \\ [ & \mathbf{u}_y & \mathbf{v}_y & \mathbf{n}_y & 0 \\ [ & \mathbf{u}_z & \mathbf{v}_z & \mathbf{n}_z & 0 \\ \hline [ & 0 & 0 & 0 & 1 \end{array}$$



# Matrix Math Multiply Order

- $v * M1 * M2 * M3$

$$= [(v * M1) * M2] * M3$$

$$= v * (M1 * M2 * M3)$$

$$M = M1 * M2 * M3$$

$$= v * M$$



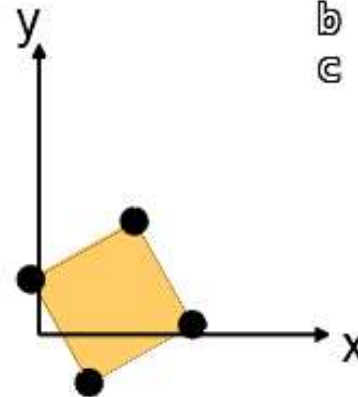
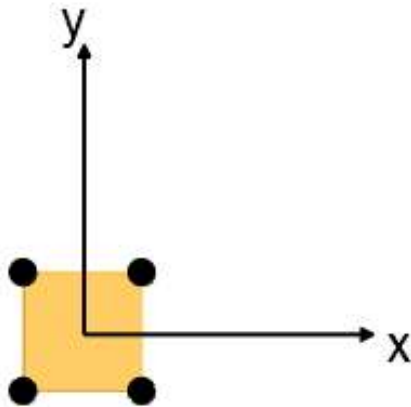
# Combining Matrices

```
Matrix matRot = RotationZ(angle);  
  
float x = 5, y = 2, z = 0;  
Matrix matTrans = Translation(x, y, z);  
  
Matrix mat = matRot * matTrans;
```

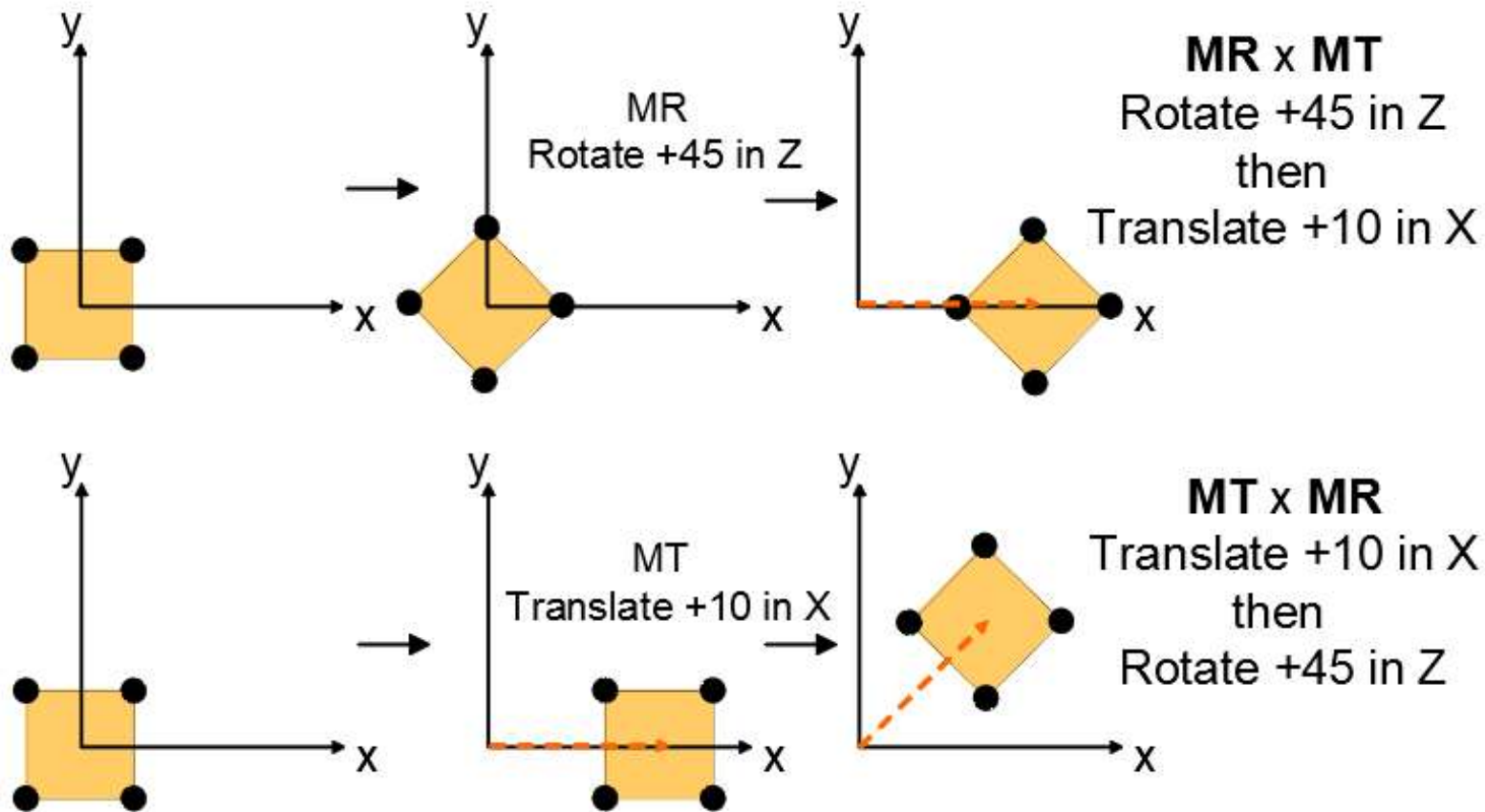
$$\begin{bmatrix} a & b & 0 & 0 \\ c & a & 0 & 0 \\ 0 & 0 & 1 & 0 \\ x & y & z & 1 \end{bmatrix}$$

Z axis

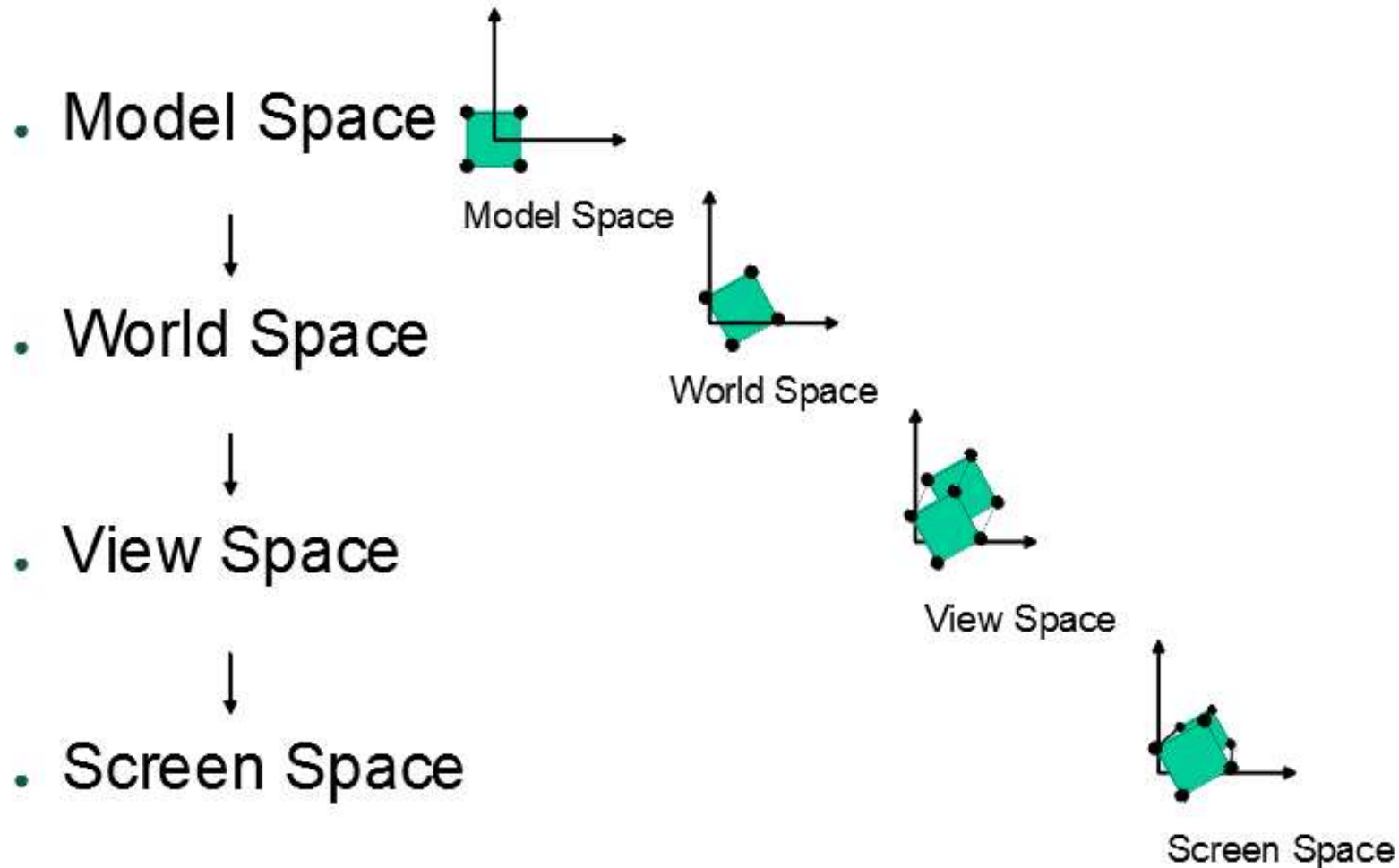
$$\begin{aligned} a &= \cos(\phi) \\ b &= \sin(\phi) \\ c &= -b \end{aligned}$$



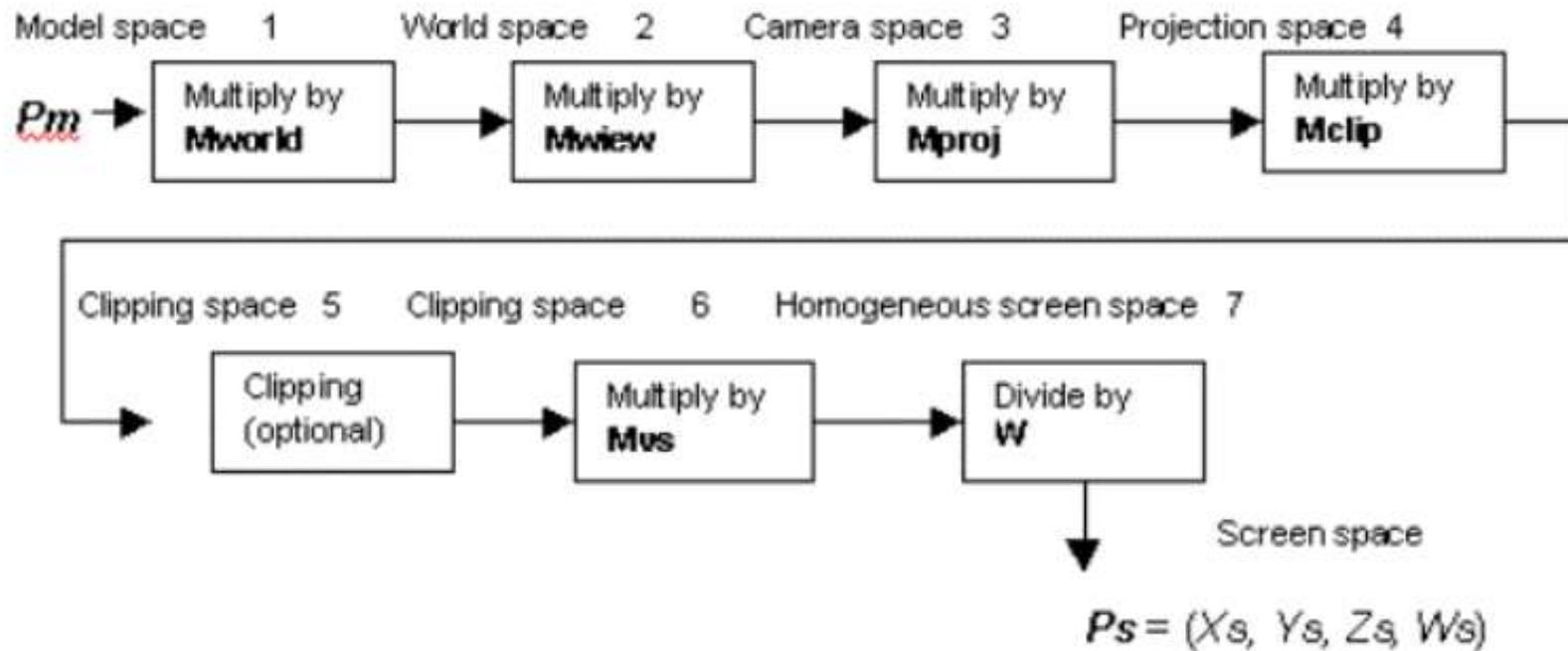
# Geometric Interpretation: Matrix Multiplication is Not Commutative



# Coordinate Spaces Overview



# Transformation Pipeline



## World Matrix

```
Matrix matRot = RotationZ(30);
```

```
Matrix matTrans = Translation(0, 100, 0);
```

```
Matrix world = matRot * matTrans;
```

	0.866	0.500	0.000	0.000	
	-0.500	0.866	0.000	0.000	
	0.000	0.000	1.000	0.000	
	0.000	100.0	0.000	1.000	

# Model Space to World Space

$$\begin{pmatrix} -1, 1, 0 \\ 1, 1, 0 \\ -1, -1, 0 \\ 1, -1, 0 \end{pmatrix} \times \begin{pmatrix} .87 & .50 & 0.0 & 0.0 \\ -.50 & .87 & 0.0 & 0.0 \\ 0.0 & 0.0 & 1.0 & 0.0 \\ 0.0 & 100.0 & 0.0 & 1.0 \end{pmatrix} = \begin{pmatrix} -1.37, 100.4, 0 \\ 0.37, 101.4, 0 \\ -0.37, 98.6, 0 \\ 1.37, 99.6, 0 \end{pmatrix}$$

## Model Space to World Space

$$\begin{pmatrix} -1, 1, 0, 1 \\ 1, 1, 0, 1 \\ -1, -1, 0, 1 \\ 1, -1, 0, 1 \end{pmatrix} \times \begin{pmatrix} .87 & .50 & 0.0 & 0.0 \\ -.50 & .87 & 0.0 & 0.0 \\ 0.0 & 0.0 & 1.0 & 0.0 \\ 0.0 & 100.0 & 0.0 & 1.0 \end{pmatrix} = \begin{pmatrix} -1.37, 100.4, 0, 1 \\ 0.37, 101.4, 0, 1 \\ -0.37, 98.6, 0, 1 \\ 1.37, 99.6, 0, 1 \end{pmatrix}$$

## View Matrix

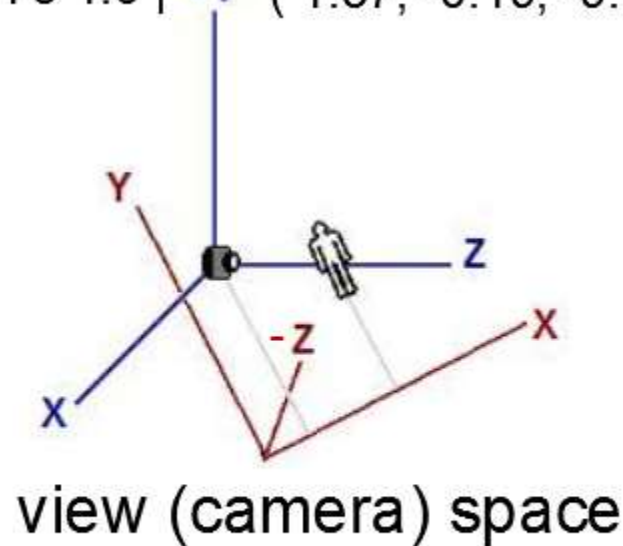
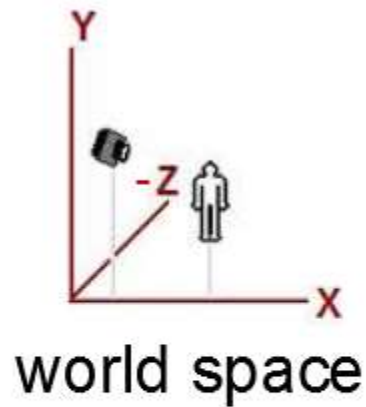
```
Point cameraPosition(0, 92, 5);
Point cameraTarget(0, 100, 0);
Vector cameraUpVector(0, 1, 0);
Matrix view = PointOfView( cameraPosition,
                           cameraTarget,
                           cameraUpVector);
```

	1.000	0.000	0.000	0.000	
	0.000	0.530	-0.848	0.000	
	0.000	0.848	0.530	0.000	
	0.000	-53.00	75.37	1.000	

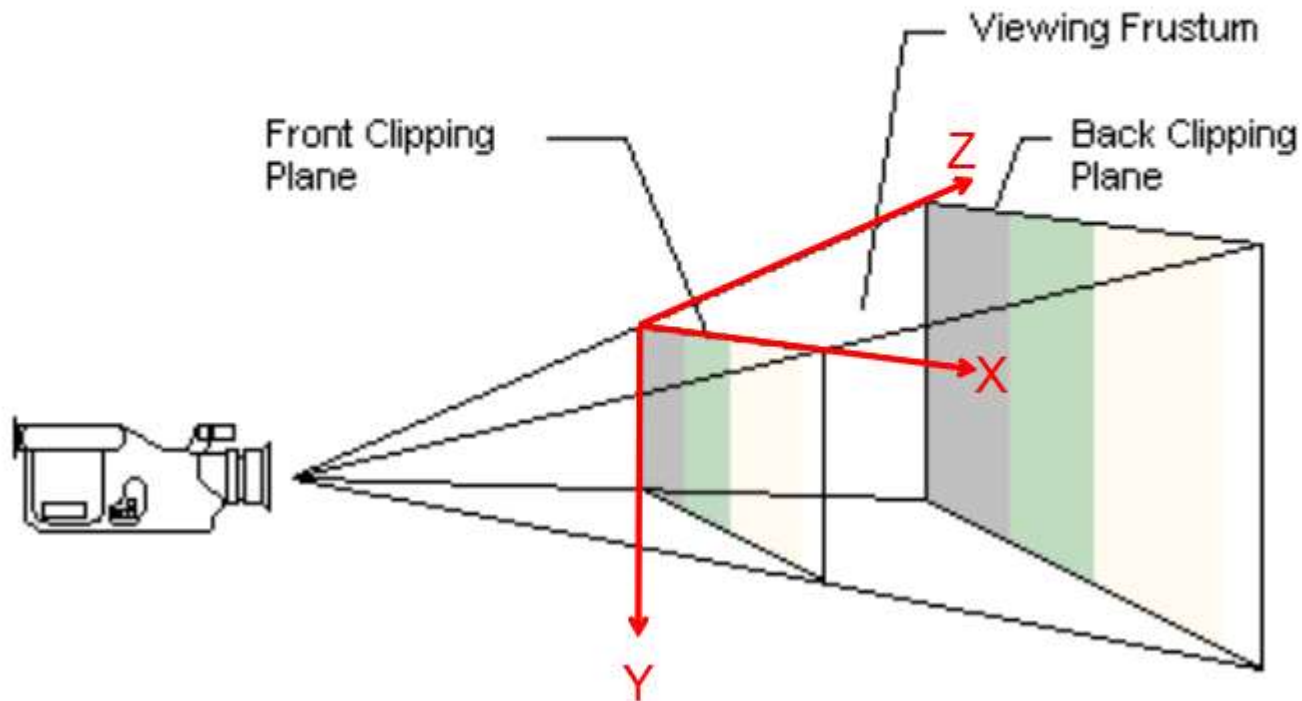


## World Space to View Space

$$\begin{pmatrix} -1.37, 100.4, 0, 1 \\ 0.37, 101.4, 0, 1 \\ -0.37, 98.6, 0, 1 \\ 1.37, 99.6, 0, 1 \end{pmatrix} \times \begin{pmatrix} 1.0 & 0.0 & 0.0 & 0.0 \\ 0.0 & .53 & .85 & 0.0 \\ 0.0 & -.85 & .53 & 0.0 \\ 0.0 & -.53 & -.75 & 1.0 \end{pmatrix} = \begin{pmatrix} -1.37, 0.19, -9.74, 1 \\ 0.37, 0.72, -10.59, 1 \\ -0.37, -0.72, -8.28, 1 \\ 1.37, -0.19, -9.12, 1 \end{pmatrix}$$

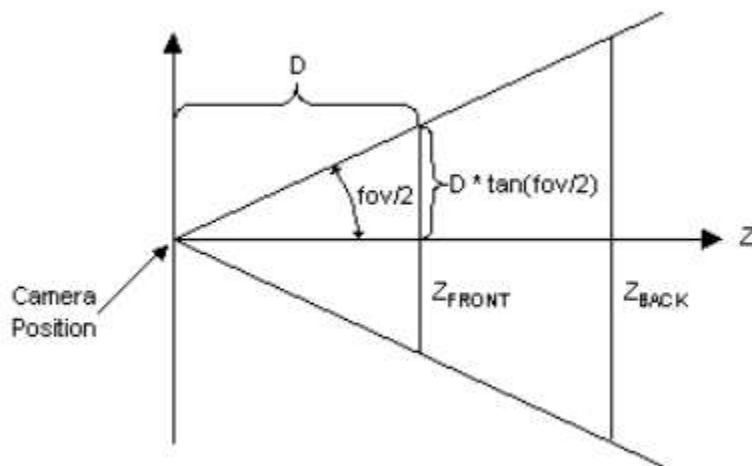


## Add Perspective: View Frustum



# Projection Matrix

```
float fieldOfView = 45;  
float aspectRatio = 1.333;  
float nearPlaneDistance = 1;  
float farPlaneDistance = 100;  
Matrix projection = FieldOfView(fieldOfView,  
                                aspectRatio,  
                                nearPlaneDistance,  
                                farPlaneDistance);
```



	1.811	0.000	0.000	0.000	
	0.000	2.414	0.000	0.000	
	0.000	0.000	-1.010	-1.000	
	0.000	0.000	-1.010	0.000	

# View Space to Projection Space

$$\begin{array}{l|l|l} \begin{array}{l} (-1.37, 0.19, -9.74, 1) \\ (0.37, 0.72, -10.59, 1) \\ (-0.37, -0.72, -8.28, 1) \\ (1.37, -0.19, -9.12, 1) \end{array} & \begin{array}{l} 1.8 \ 0.0 \ 0.0 \ 0.0 \\ 0.0 \ 2.4 \ 0.0 \ 0.0 \\ 0.0 \ 0.0 \ -1.0 \ -1.0 \\ 0.0 \ 0.0 \ -1.0 \ 0.0 \end{array} & \begin{array}{l} (-2.47, 0.47, 8.83, 9.74) \\ (0.66, 1.75, 9.69, 10.59) \\ (-0.66, -1.75, 7.35, 8.28) \\ (2.47, -0.47, 8.21, 9.12) \end{array} \end{array}$$

# Clipping

- Clipping volume for all points (px, py, pz, pw)
  - pw < px <= pw
  - pw < py <= pw
  - 0 < pz <= pw

## Viewport Scale Matrix

- Derived from Viewport settings

$$\begin{bmatrix} dwWidth/2 & 0 & 0 & 0 \\ 0 & -dwHeight/2 & 0 & 0 \\ 0 & 0 & dvMaxZ - dvMinZ & 0 \\ dwX + dwWidth/2 & dwHeight/2 + dwY & dvMinz & 1 \end{bmatrix}$$

$$\begin{array}{c|cccc|} 320.0 & 0.000 & 0.000 & 0.000 & \\ 0.000 & -240.0 & 0.000 & 0.000 & \\ 0.000 & 0.000 & 1.000 & 0.000 & \\ 320.0 & 240.0 & 0.000 & 1.000 & \end{array}$$

## Projection Space to Homogeneous Screen Space

$$\begin{array}{l|l|l} (-2.47, 0.47, 8.83, 9.74) & 320 \ 0.0 \ 0.0 \ 0.0 & (2327, 2226, 8.83, 9.74) \\ (0.66, 1.75, 9.69, 10.59) & 0.0 \ -240 \ 0.0 \ 0.0 & (3602, 2123, 9.69, 10.59) \\ (-0.66, -1.75, 7.35, 8.28) & 0.0 \ 0.0 \ 1.0 \ 0.0 & (2436, 2406, 7.35, 8.28) \\ (2.47, -0.47, 8.21, 9.12) & 320 \ 240 \ 0.0 \ 1.0 & (3711, 2302, 8.21, 9.12) \end{array} \times =$$

## Divide by $w$

- Ready to show on screen

$$X_s = \frac{X}{w}, Y_s = \frac{Y}{w}, Z_s = \frac{Z}{w}, W_s = \frac{1}{w}$$

- Divide by  $w$  also called perspective divide



# Homogeneous Screen Space to Screen Space

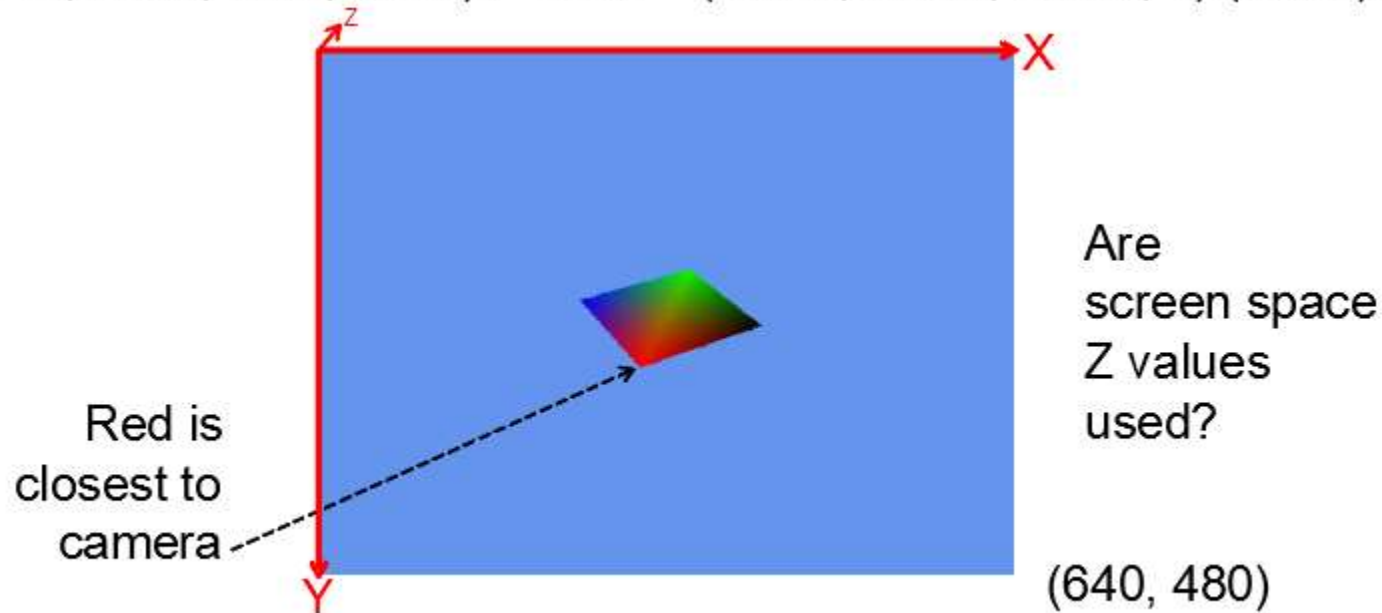
Homogeneous Screen / W = Screen Space

(2327, 2226, 8.83, 9.74) / 9.74 = (238.8, 228.5, 0.906, 1) (blue)

(3602, 2123, 9.69, 10.59) / 10.59 = (340.0, 200.4, 0.915, 1) (green)

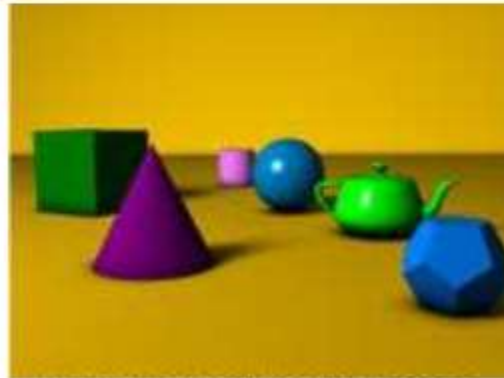
(2436, 2406, 7.35, 8.28) / 8.28 = (294.4, 290.7, 0.888, 1) (red)

(3711, 2302, 8.21, 9.12) / 9.12 = (406.8, 252.3, 0.899, 1) (black)



# Image Buffers and Z-Buffer

- Two **Image Buffers**:
  - One holds previously rendered frame which is being displayed on-screen
  - One holds the **frame** currently being rendered
- Additional **Z-Buffer** (or **Depth Buffer**) stores depth information



A simple three dimensional scene



Z-buffer representation

## Z-Buffer Operation

- Before drawing each pixel on screen:
- **Z-Test:** compare Z value (  $[0, 1]$  in view frustum) against value in Z-buffer
- If (Z value < value in Z-buffer), update image buffer & Z-buffer



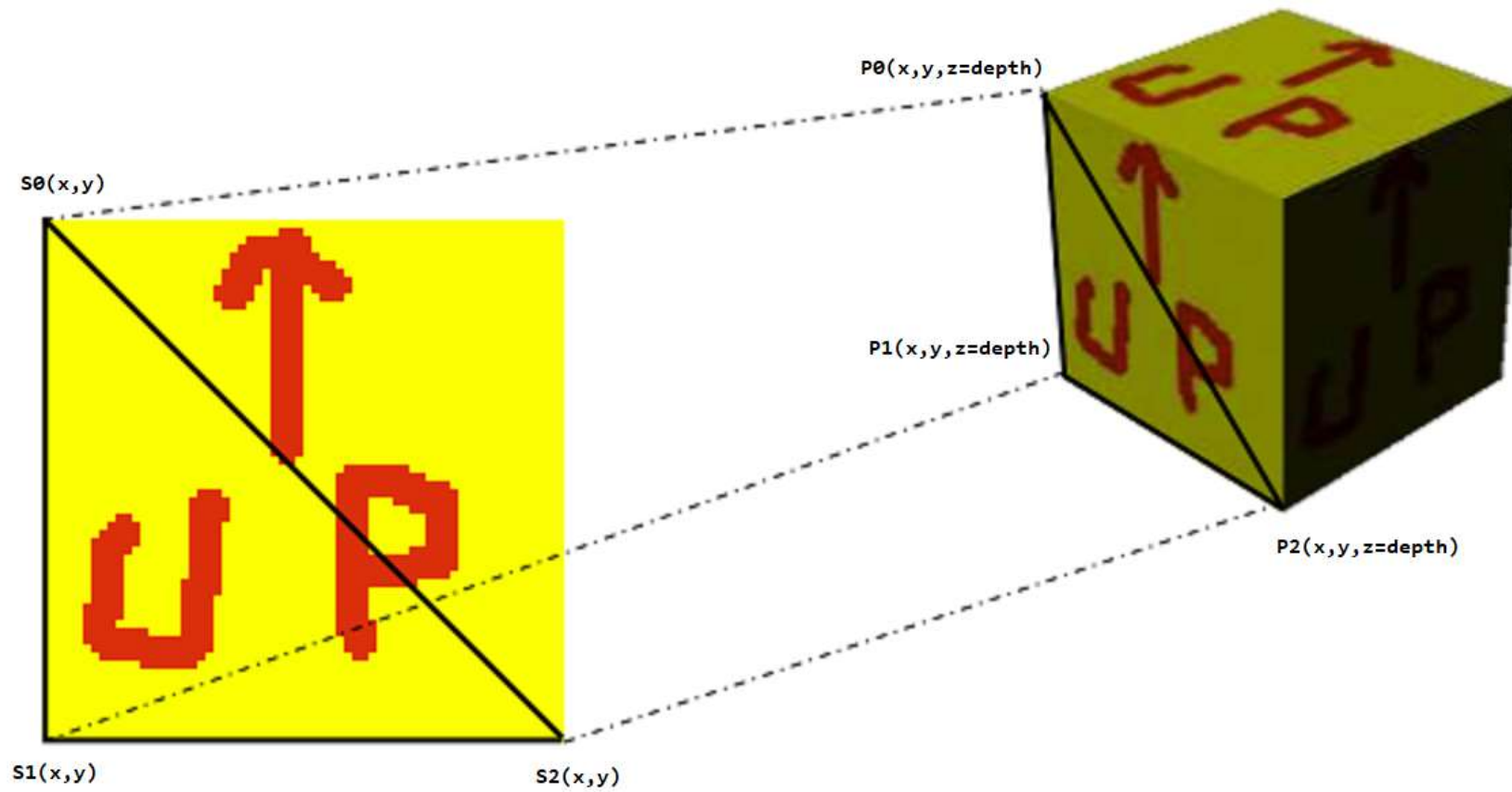
A simple three dimensional scene



Z-buffer representation

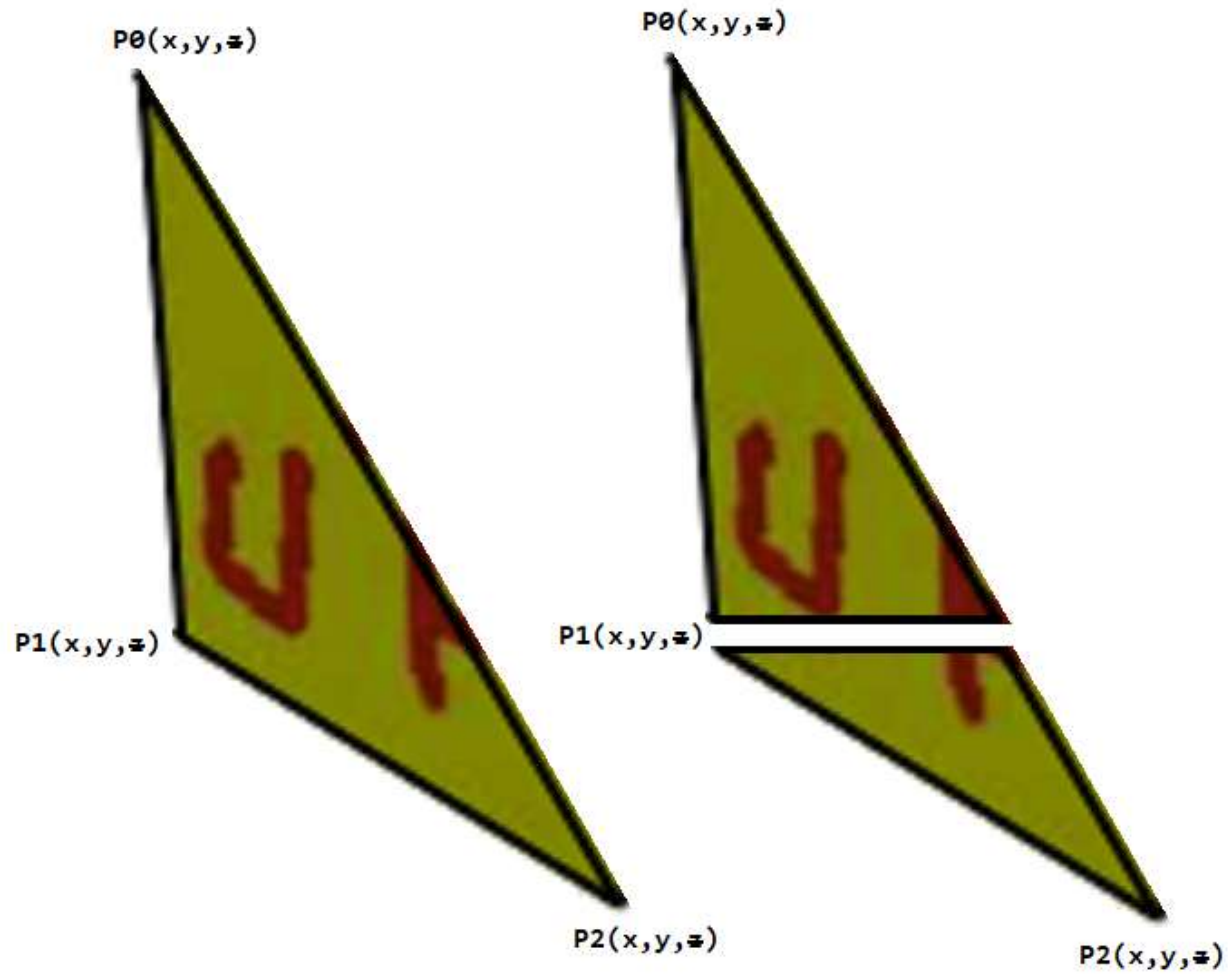
# 3D Graphics for Dummies

Depth / Texturing / Applying Surfaces



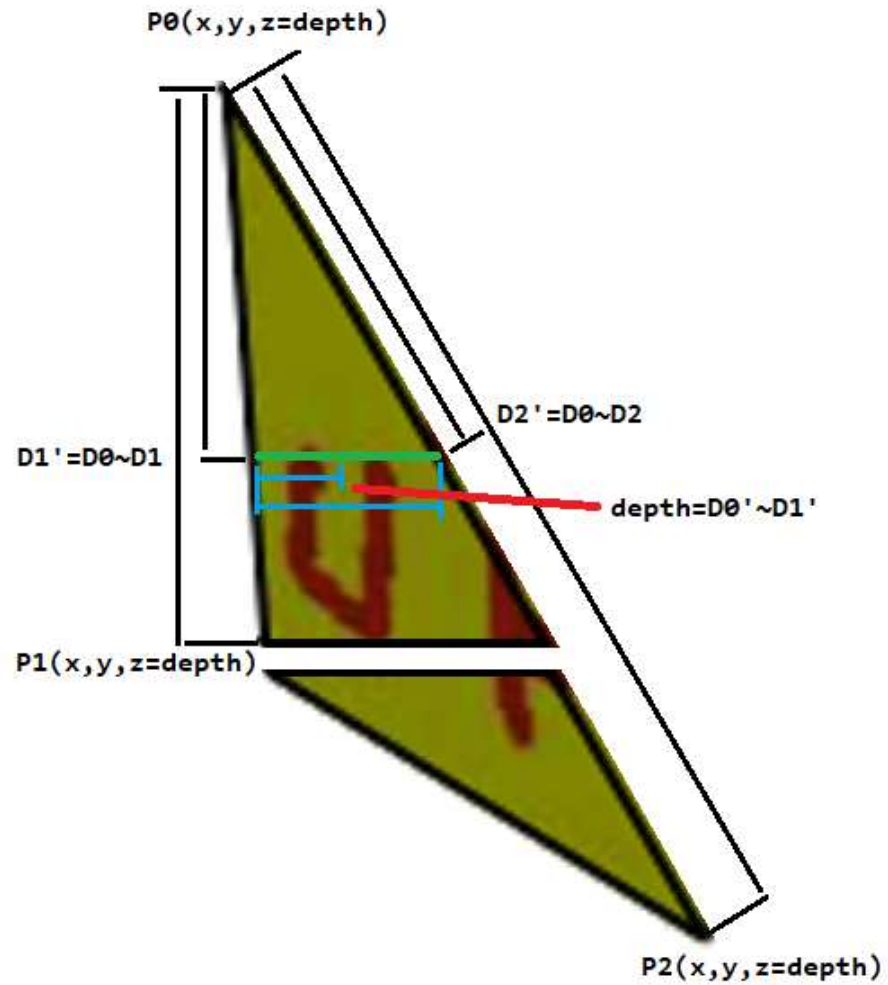
# 3D Graphics for Dummies

## Rasterization: Depth



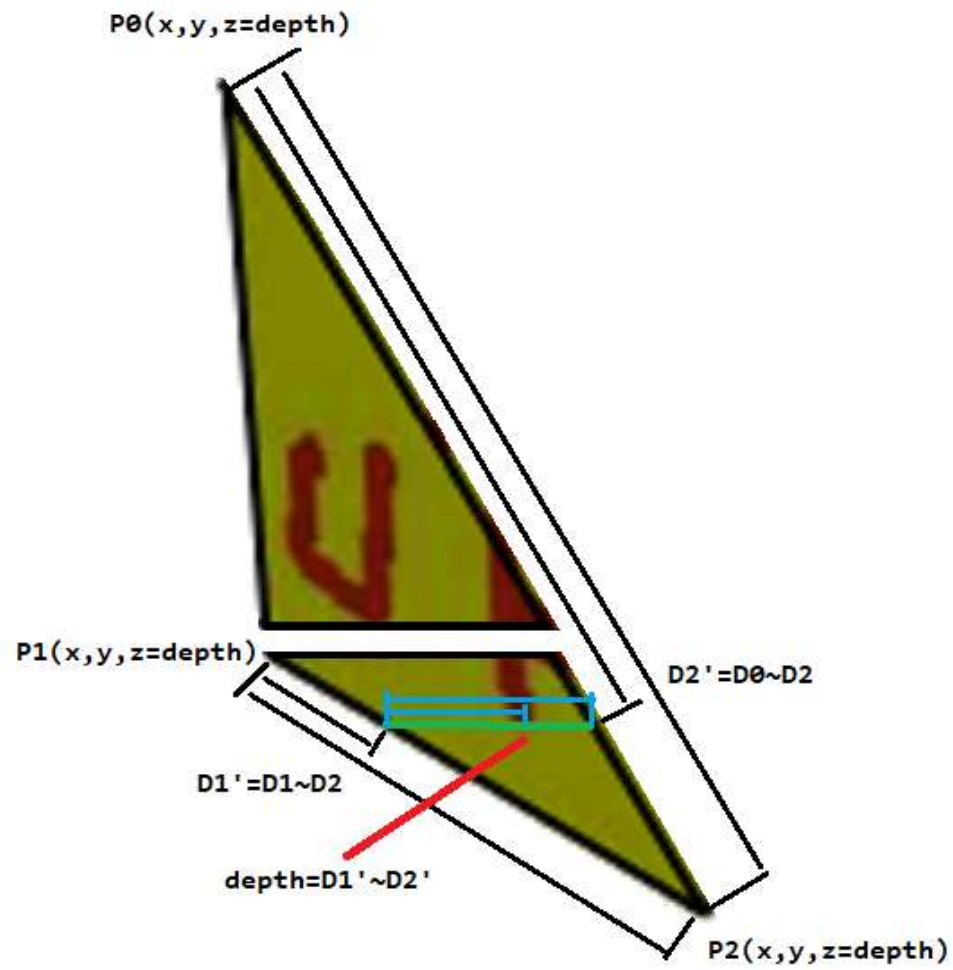
# 3D Graphics for Dummies

## Rasterization: Depth



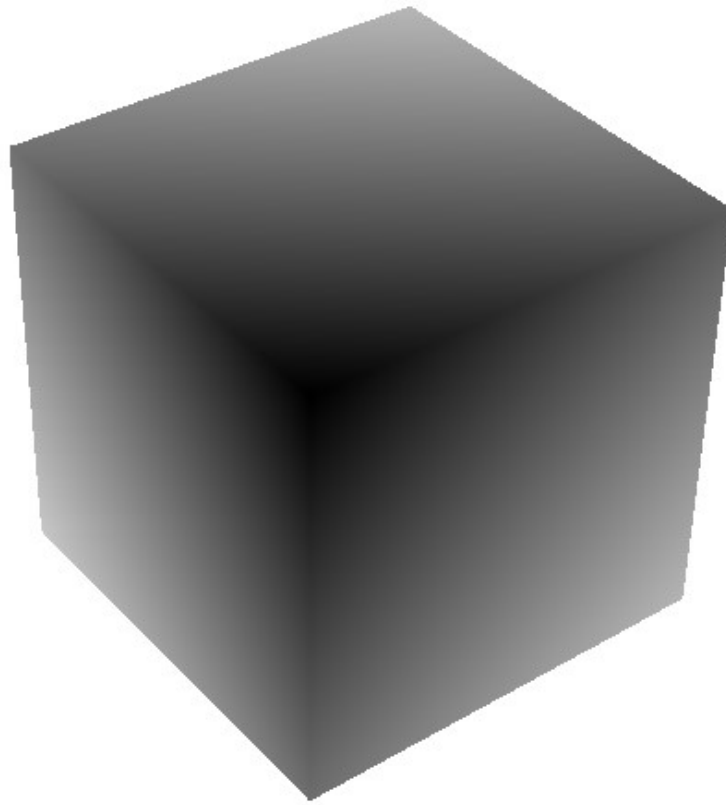
# 3D Graphics for Dummies

## Rasterization: Depth



# 3D Graphics for Dummies

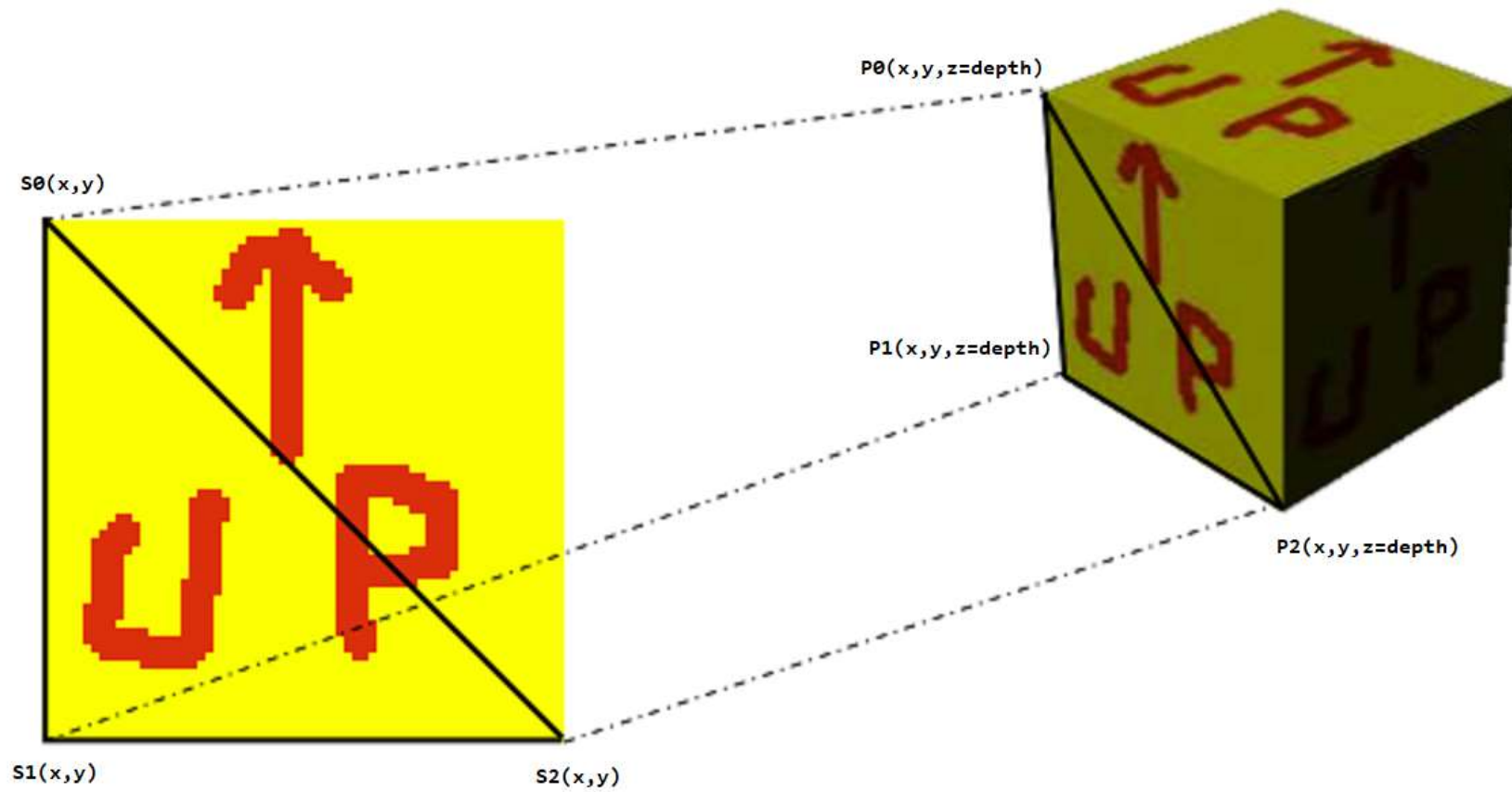
Rasterization: Depth





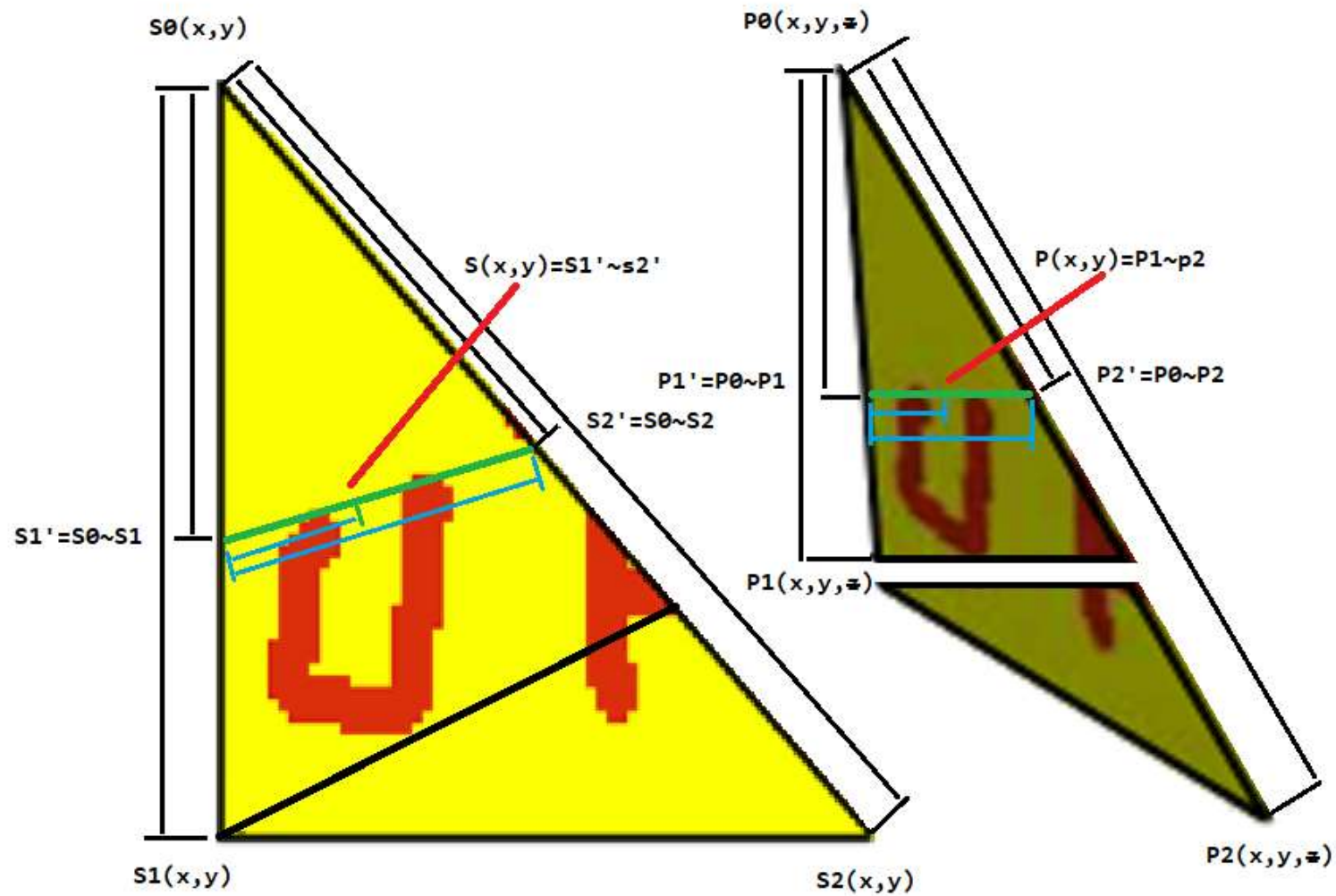
# 3D Graphics for Dummies

Depth / Texturing / Applying Surfaces



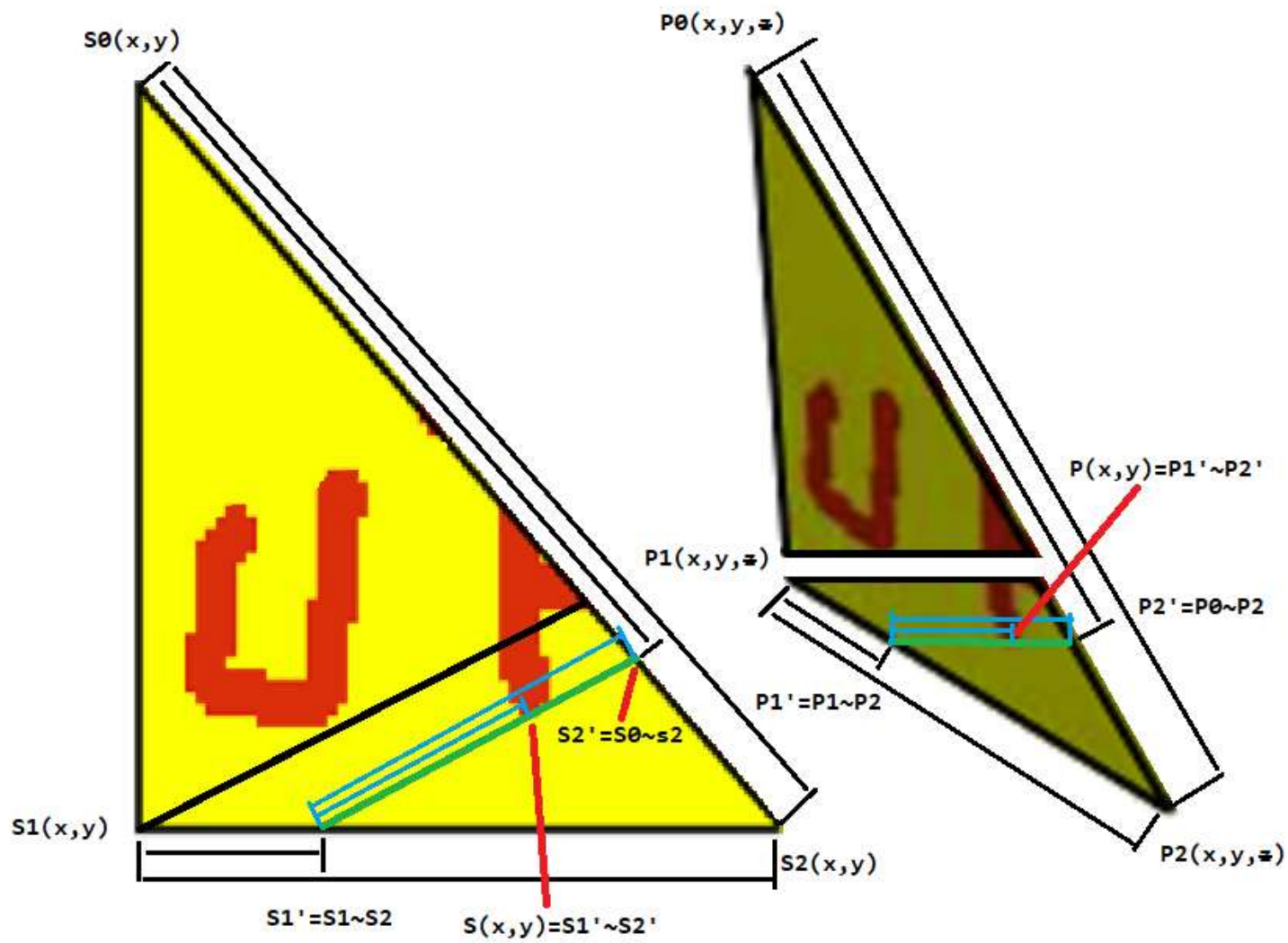
# 3D Graphics for Dummies

## Rasterization: Texturing / Applying Surfaces



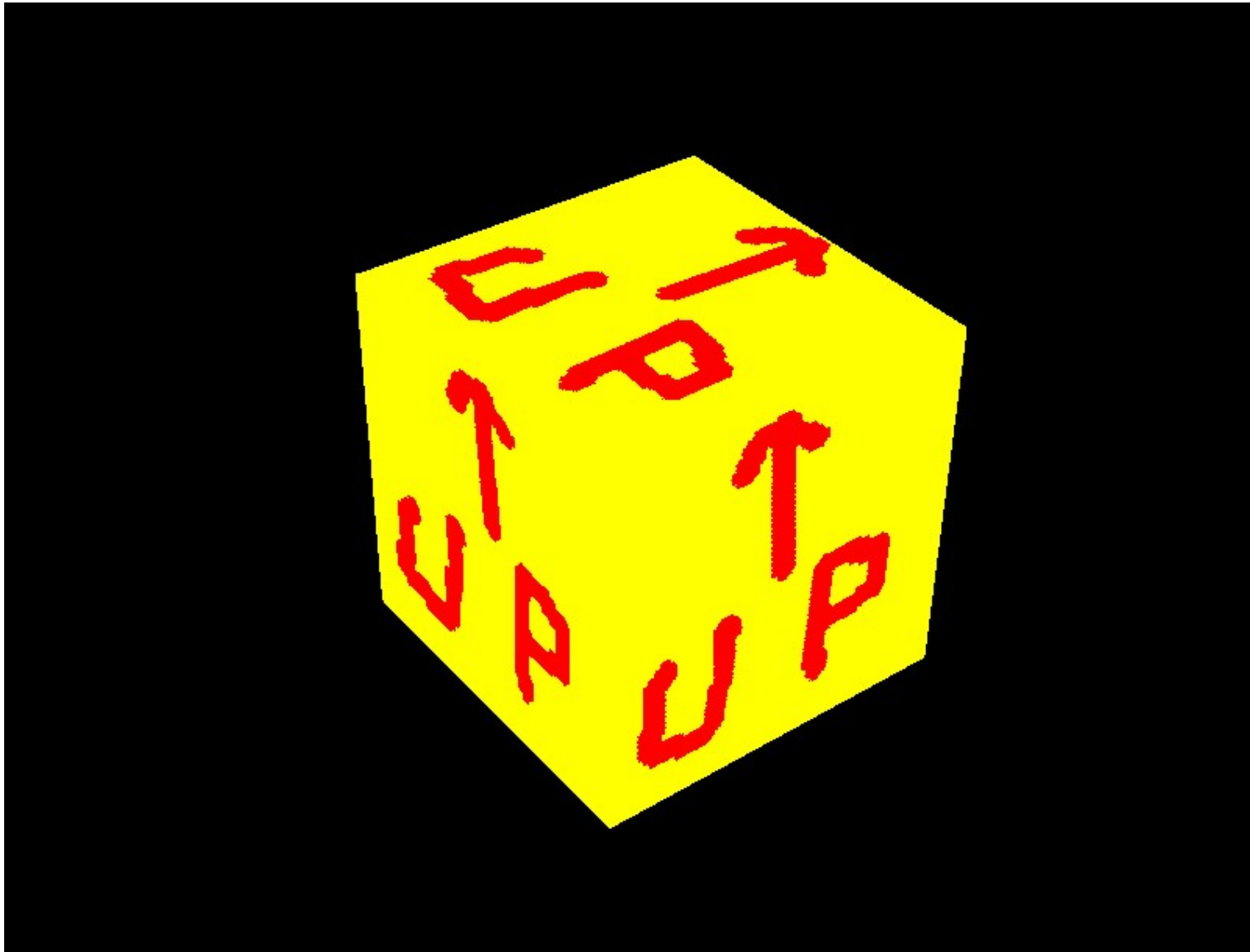
# 3D Graphics for Dummies

## Rasterization: Texturing / Applying Surfaces



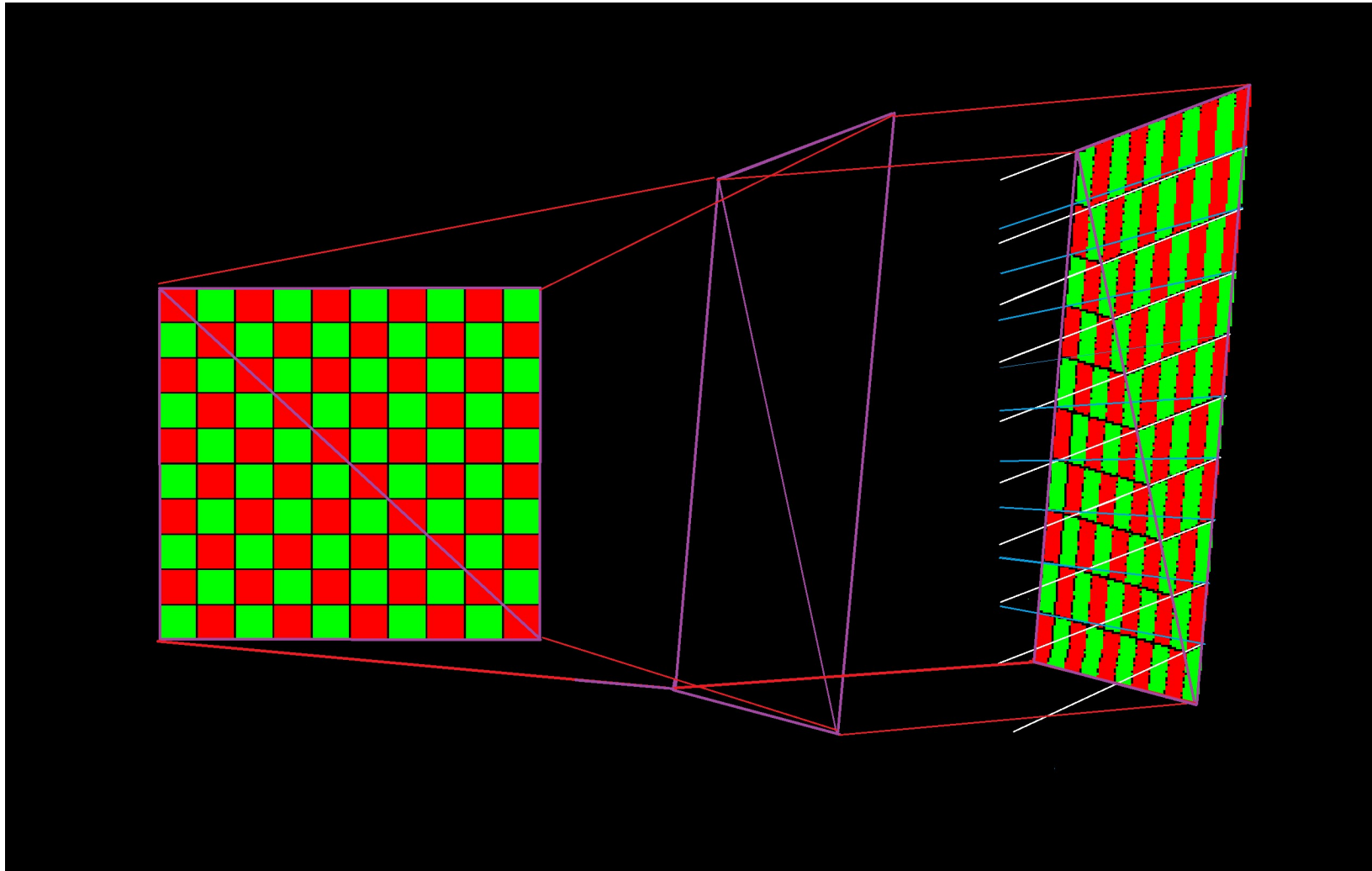
# 3D Graphics for Dummies

Rasterization: Texturing / Applying Surfaces



# 3D Graphics for Dummies

Rasterization: Affine Perspective Error with Triangle/Poly Interpolation  
a.k.a.: Derivative Discontinuity in Interpolation



# 3D Graphics for Dummies

```
modelUp =
{
  { {{ -1, -1, 1 }, { -1, 1, 1 }, { 1, 1, 1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ 1, 1, 1 }, { 1, -1, 1 }, { -1, -1, 1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},

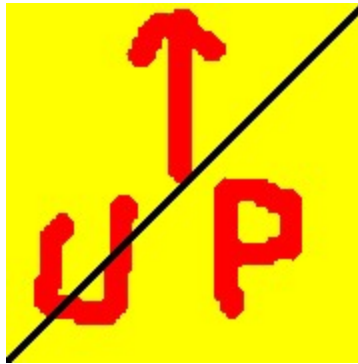
  { {{ -1, -1, -1 }, { -1, 1, -1 }, { 1, 1, -1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ 1, 1, -1 }, { 1, -1, -1 }, { -1, -1, -1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},

  { {{ -1, 1, -1 }, { -1, 1, 1 }, { 1, 1, 1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ 1, 1, 1 }, { 1, 1, -1 }, { -1, 1, -1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},

  { {{ -1, -1, -1 }, { -1, -1, 1 }, { 1, -1, 1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ 1, -1, 1 }, { 1, -1, -1 }, { -1, -1, -1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},

  { {{ 1, -1, -1 }, { 1, -1, 1 }, { 1, 1, 1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ 1, 1, 1 }, { 1, 1, -1 }, { 1, -1, -1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},

  { {{ -1, -1, -1 }, { -1, -1, 1 }, { -1, 1, 1 }}, IDB_UP, {{ 0, 0 }, { 0, 179 }, { 179, 179 }},
  { {{ -1, 1, 1 }, { -1, 1, -1 }, { -1, -1, -1 }}, IDB_UP, {{ 179, 179 }, { 179, 0 }, { 0, 0 }},
};
```



# 3D Graphics for Dummies

```
modelEarth =
{
  { {{ 1, 1, 1 }, { -1, 1, 1 }, { -1, 1, -1 }}, IDB_EARTH, {{ 200, 400 }, { 200, 600 }, { 400, 600 }} },
  { {{ -1, 1, -1 }, { 1, 1, -1 }, { 1, 1, 1 }}, IDB_EARTH, {{ 400, 600 }, { 400, 400 }, { 200, 400 }} },

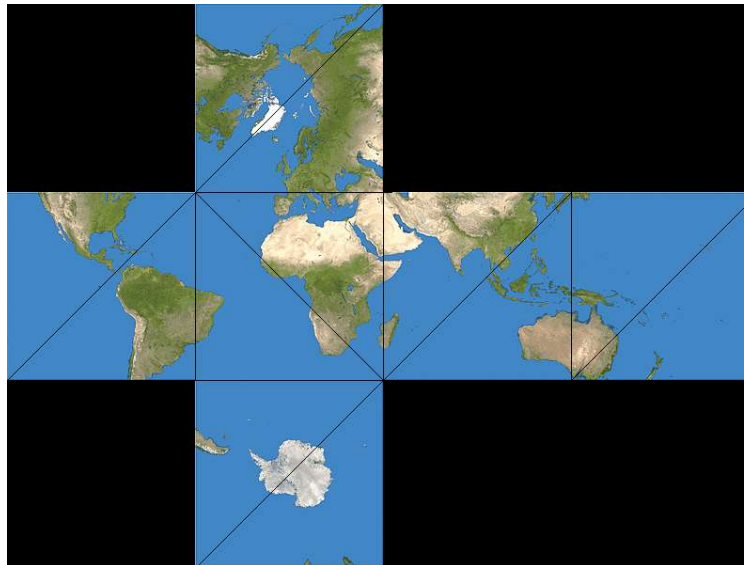
  { {{ -1, -1, 1 }, { -1, 1, 1 }, { 1, 1, 1 }}, IDB_EARTH, {{ 0, 200 }, { 0, 400 }, { 200, 400 }} },
  { {{ 1, 1, 1 }, { 1, -1, 1 }, { -1, -1, 1 }}, IDB_EARTH, {{ 200, 400 }, { 200, 200 }, { 0, 200 }} },

  { {{ 1, -1, -1 }, { 1, -1, 1 }, { 1, 1, 1 }}, IDB_EARTH, {{ 400, 200 }, { 200, 200 }, { 200, 400 }} },
  { {{ 1, 1, 1 }, { 1, 1, -1 }, { 1, -1, -1 }}, IDB_EARTH, {{ 200, 400 }, { 400, 400 }, { 400, 200 }} },

  { {{ 1, -1, -1 }, { -1, 1, -1 }, { 1, 1, -1 }}, IDB_EARTH, {{ 400, 200 }, { 600, 400 }, { 400, 400 }} },
  { {{ -1, 1, -1 }, { -1, -1, -1 }, { 1, -1, -1 }}, IDB_EARTH, {{ 600, 400 }, { 600, 200 }, { 400, 200 }} },

  { {{ -1, -1, 1 }, { 1, -1, 1 }, { 1, -1, -1 }}, IDB_EARTH, {{ 200, 0 }, { 200, 200 }, { 400, 200 }} },
  { {{ 1, -1, -1 }, { -1, -1, -1 }, { -1, -1, 1 }}, IDB_EARTH, {{ 400, 200 }, { 400, 0 }, { 200, 0 }} },

  { {{ -1, -1, -1 }, { -1, -1, 1 }, { -1, 1, 1 }}, IDB_EARTH, {{ 600, 200 }, { 800, 200 }, { 800, 400 }} },
  { {{ -1, 1, 1 }, { -1, 1, -1 }, { -1, -1, -1 }}, IDB_EARTH, {{ 800, 400 }, { 600, 400 }, { 600, 200 }} },
};
```



# 3D Graphics for Dummies

```
Screen CreateWorld(Rect& rect, Model& model, float angle, float fScale, float fOffset)
{
    Model modelX = model * Scale(fScale, fScale, fScale);
    Model modelY = modelX * RotateZ(90);
    Model modelZ = modelX * RotateY(90);

    World world;

    world += modelX * (RotateX(angle) * Translate(-fOffset, -fOffset, -20));
    world += modelY * (RotateY(angle) * Translate(-fOffset, fOffset, -40));
    world += modelZ * (RotateZ(angle) * Translate(fOffset, -fOffset, -60));
    world += modelX * (RotateX(angle) * RotateY(angle) * RotateZ(angle) * Translate(fOffset, fOffset, 0));

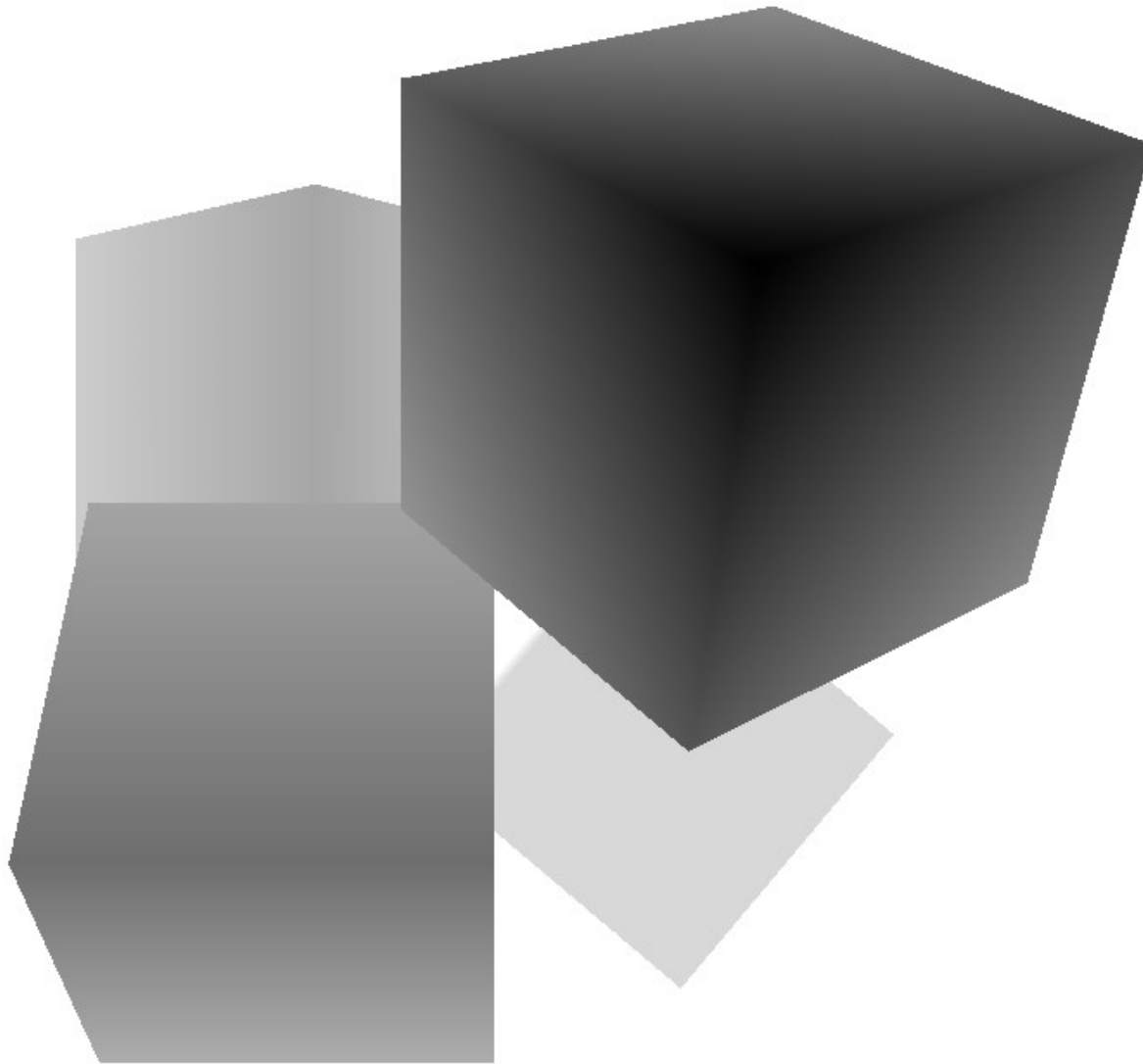
    Matrix pov = PointOfView({ 0, 0, 100 }, { 0, 0, 0 }, { 0, 1, 0 });
    Matrix fov = FieldOfView(45, rect.AspectRatio(), 1, 100);
    Matrix view = Viewport(rect, 0, 100);

    Screen screen = world * (pov * fov * view);
    screen.PerspectiveDivide();

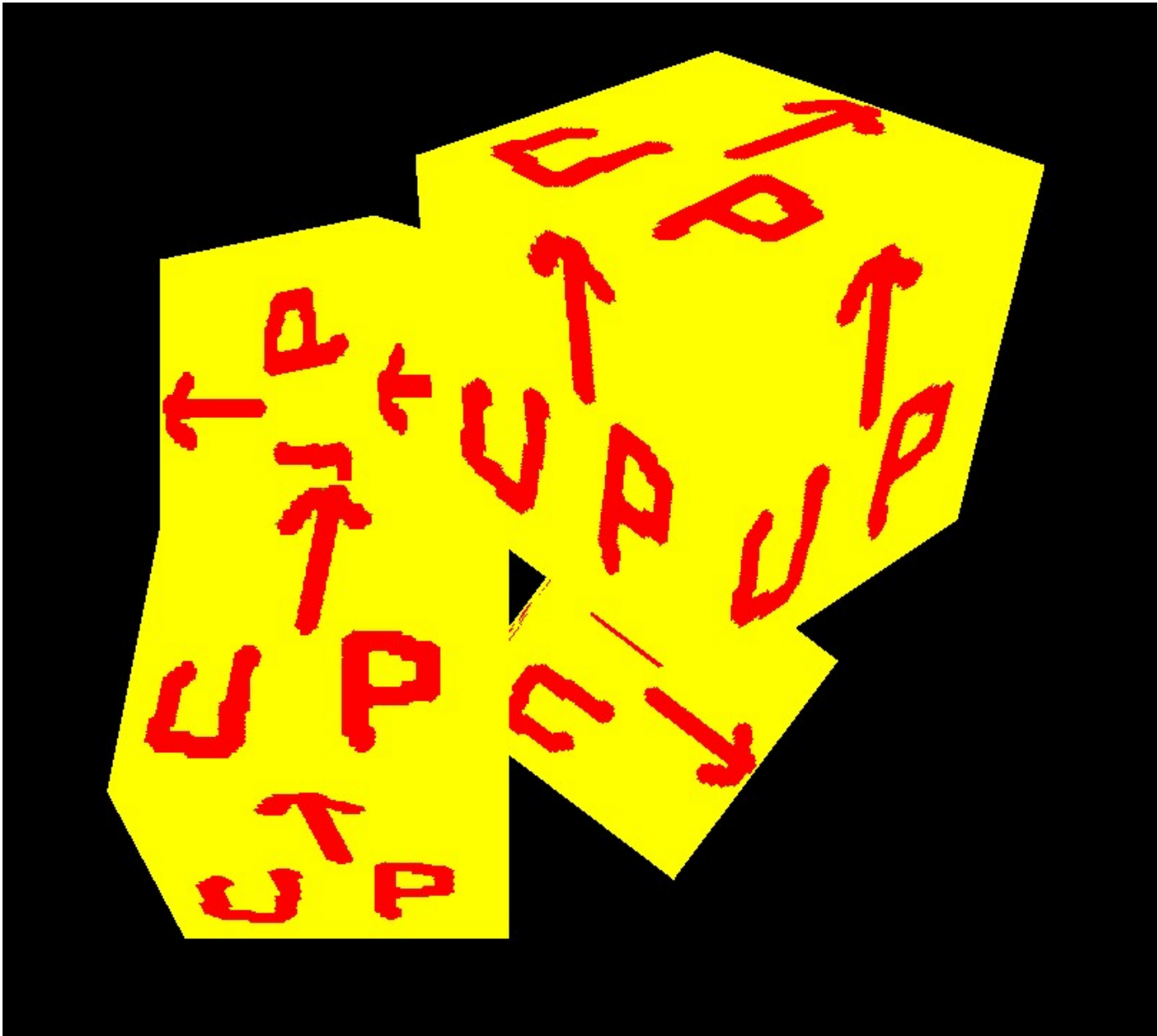
    return screen;
}
```



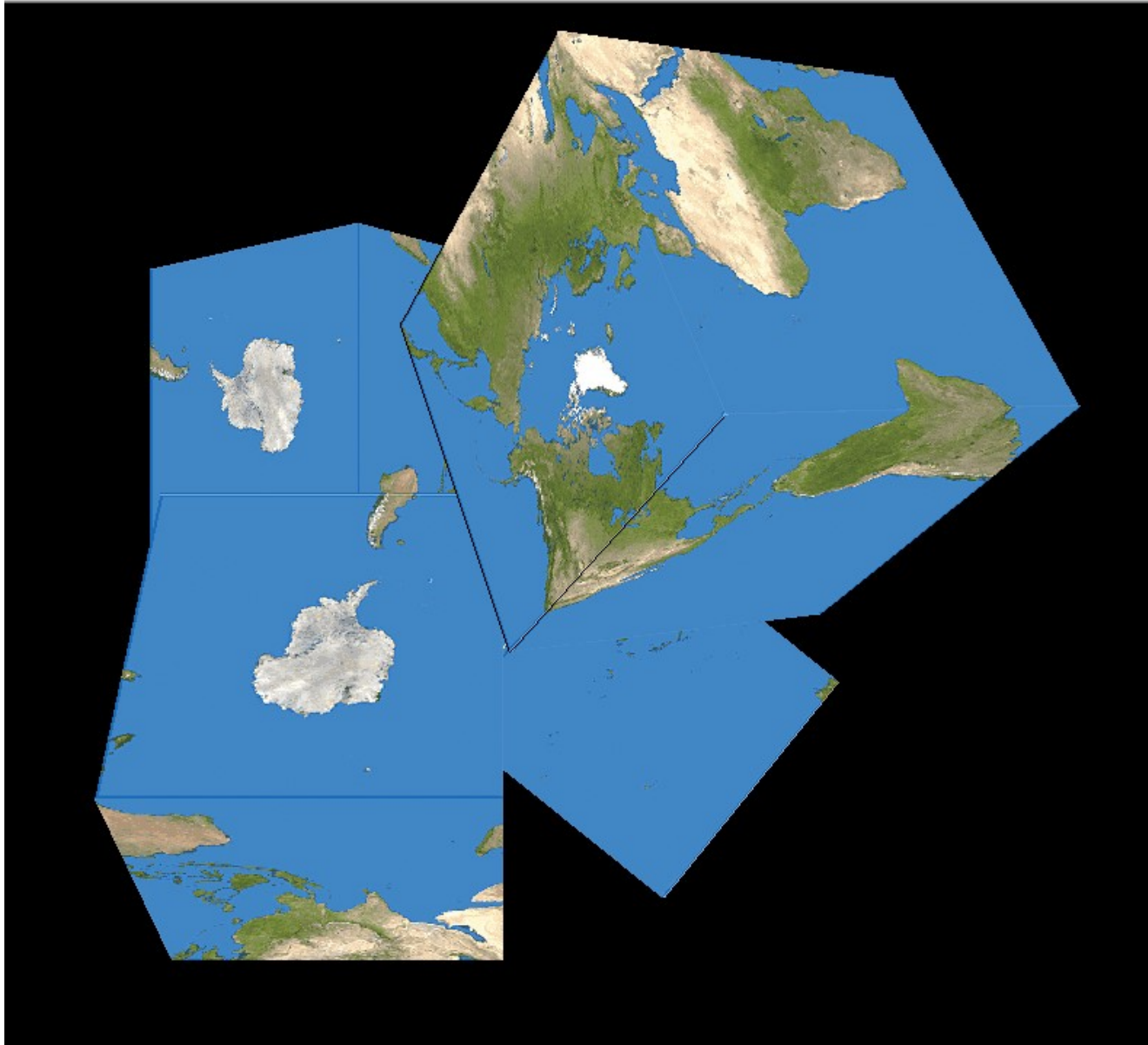
# 3D Graphics for Dummies



3D Graphics for Dummies



## 3D Graphics for Dummies



# DEMO

# Questions ?