# MTG\_ARIMA

## August 27, 2019

# 1 Multivariate ARIMA Forcasting On Magic: the Gathering, Median Card Prices

An analysis of the effect of MTG tournaments on online card prices. ## - Christopher W. Evans, UMass Amherst Undergraduate

A note on the data: Surprising, at the time of this analysis, the complete dataset of pricing history does not exist. Chris Evans built the tools and collected all the data for this analysis. The data for this project is private. Eventually I will release the scrapers and the data csv's when I know for sure that this is not easily monetizable.

#### 1.0.1 Functions to help with analysis

I won't go over the details of how each function works but I will outline the functionality and use cases.

```
[1]: import os, csv
   import pandas as pd
   import json
   example card = './data/war-of-the-spark/teferi,-time-raveler/'
    ### card data is stored within folder so this is used to convert the real name,
     \rightarrow into folder-name.
    ### eq, Teferi, Time Raveler = teferi, -time-raveler
   def convert_name(name):
       return name.replace('/', 'out').replace(" ", "-").lower()
       pass
   ### converts unix timestamp into datetime
   def dateparse(time_unix):
       return datetime.utcfromtimestamp(int(time_unix)/1000).strftime('%Y-%m-%d %H:
     →%M:%S')
    ### loads all the occurance data into a DataFrame
   def load_occurance_data(path=r'./data/'):
        csv_path = os.path.join(path, 'occurance_data-1.csv')
       return pd.read_csv(csv_path,parse_dates=True,date_parser=dateparse)
```

```
### constructs a pandas.Dataframe from a .csv file which contains all of the \Box
→historical pricing data
def load card data(card path=example card):
   csv_path = os.path.join(card_path, 'historic.csv')
    card = pd.read csv(csv path,parse dates=['datetime'])
    card.loc[:,'date_unix'] = card['date_unix']/1000
    card.loc[:,'datetime'] = pd.to_datetime(card['datetime'])
    card.set_index('datetime')
    card.loc[:,'d_price_dollars'] = card['price_dollars'].diff()
   return card
### constructs a pandas. Dataframe containing all of the data contained on the
 \hookrightarrow card
### eg, rarity, name, etc
def load_manifest_data(card_path=example_card):
   csv_path = os.path.join(card_path, 'manifest.csv')
   data = None
   with open(csv_path, 'r') as csv_file:
       reader = csv.reader(csv_file)
       headers = next(reader, None)
       data = [r for r in reader]
   return data[0]
### constructs a pandas. Dataframe containing all of the occurance data of each
→card grouped by day. It is possible
### that there are more than one tournaments per day, but the analysis will _{\sqcup}
→only interval per day so that data must
### be grouped into one row
def load_occurances_grouped_date(path):
    card manifest = load manifest data(path)
   occurances = load_occurance_data()
    card_occurances = occurances.loc[occurances['card']==card_manifest[0]]
    card_occurances.loc[:,'datetime'] = pd.to_datetime(card_occurances['date'])
   card occurances.set index('datetime')
    card_occurances.loc[:,'raw_per_decks'] = card_occurances['raw']/
 →card_occurances['deck_nums']
    card_occurances.loc[:,'total_first'] = card_occurances['1st Place']
   card_occurances.loc[:,'scaled_placement'] = .5*(card_occurances['1stu
 →Place'] + card_occurances['2nd Place']) + .25*(card_occurances['3rd Place']

→card_occurances['6th Place'] + card_occurances['7th Place'] +

 →card_occurances['8th Place'])
```

```
card_occs_nums_only = card_occurances.drop('event', axis=1).

→drop('date_unix', axis=1).drop('card', axis=1)
        card_occs_stacked = card_occs_nums_only.groupby('datetime').sum().
     →reset index()
        card_occs_stacked.loc[:,'raw_rolling'] = card_occs_stacked['raw_per_decks'].
     →rolling(window=14).mean()
        card_occs_stacked.loc[:,'d_raw_rolling'] = card_occs_stacked['raw_rolling'].
     →diff()
        card_occs_stacked.loc[:,'d_raw_per_decks'] =__
     →card_occs_stacked['raw_per_decks'].diff()
       return card_occs_stacked
   def load_tournament_dates(path='./data/tournies.json'):
       with open(path) as json_data:
            obj = json.load(json_data)
            array = []
           for key, item in obj.items():
                if item not in array:
                    array.append(item)
            df = pd.DataFrame(array, columns=['tourny_dates'])
            df['tourny_dates'] = pd.to_datetime(df['tourny_dates'])
            df['date'] = df['tourny_dates']
            df.set_index('date', inplace=True)
           return(df)
[2]: import matplotlib.dates as mdates
   from scipy import integrate
   %matplotlib inline
   %config InlineBackend.figure format = 'retina'
   import matplotlib.pyplot as plt
   ### A quality-of-life function to load data and show it all in one swing
   def show_raw_and_prices(path):
       print(path.split('/')[-1])
        card = load_card_data(path)
        card_occurances = load_occurances_grouped_date(path)
       #plot data
       fig, ax = plt.subplots(figsize=(15,7))
```

```
ax = card.plot(x='datetime', y='price_dollars', ax=ax)
   \#ax = card.plot(x='datetime', y='d_price_dollars', ax=ax, style='--', \sqcup
\rightarrow color='blue')
  ax = card_occurances.plot(x='datetime', y='raw_per_decks', ax=ax,__

style='--', alpha=1)
   \#ax = card\ occurances.plot(x='datetime',\ y='scaled\ placement',\ ax=ax, 
→style=':', alpha=1, color='red')
   \#ax = card\_occurances.plot(x='datetime', y='total\_first', ax=ax, style='.', \sqcup
→alpha=.3, color='green')
   \#ax = card\ occurances.plot(x='datetime',\ y='2nd\ Place',\ ax=ax,\ style='.', \sqcup
→alpha=.3, color='purple')
   \#ax = card\_occurances.plot(x='datetime', y='3rd\ Place', ax=ax, style='.', \sqcup
\rightarrow alpha=.3, color='blue')
  ax = card_occurances.plot(x='datetime', y='raw_rolling', ax=ax, style='-', u
→alpha=1, color='red')
   \#ax = card\_occurances.plot(x='datetime', y='d\_raw\_per\_decks', ax=ax, _ \sqcup 
⇒style=':', alpha=1, color='red')
   #set ticks every week
  ax.xaxis.set_major_locator(mdates.WeekdayLocator())
   #set major ticks format
  ax.xaxis.set_major_formatter(mdates.DateFormatter('%b %d'))
  ax.grid()
  plt.gcf().autofmt_xdate()
  plt.show()
```

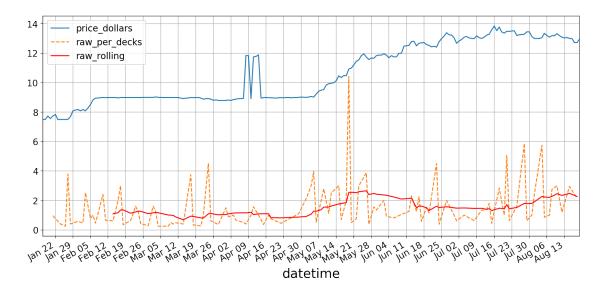
#### 1.1 Multivariance

Below is a graph of the two the main features that have been collected, the pricing history (Blue) and the occurances in tournaments (Orange and Red). I chose to add the rolling average of the occurance data (Red) because the occurance data is quite noisy and hard to read.

As you can see, the occurance data seems somewhat correlated with the price of the card overtime. The question is, can we leverage it to predicts gains/losses in the future?

```
[52]: show_raw_and_prices('./data/ravnica-allegiance/godless-shrine')
```

godless-shrine



### 1.2 Forcasting Analysis

Firstly, we should load up the data on an example card to begin to outline the data prep process.

#### 1.2.1 Data Loading

Just to setup the graphing environment and do some basic imports

```
import warnings
import matplotlib as mpl
import matplotlib.pyplot as plt
from matplotlib.pyplot import figure
import numpy as np
import pandas as pd

plt.ion()

mpl.rcParams['axes.labelsize'] = 20
mpl.rcParams['axes.titlesize'] = 24
mpl.rcParams['figure.figsize'] = (20, 8)
mpl.rcParams['xtick.labelsize'] = 14
mpl.rcParams['ytick.labelsize'] = 14
mpl.rcParams['legend.fontsize'] = 14
```

Now we should pull all the data from csv's and merge the data into one useful DataFrame.

```
[5]: path = './data/guilds-of-ravnica/vraska,-golgari-queen'
card = load_card_data(path).drop('date_unix', axis=1)
```

Keep in mind that the initial analysis will be super simple. Later in this document I will explore using more features such as occurances in different formats and so on. For now I am using three features: 'price\_dollars' (card prices over time), 'd\_price\_dollers' (differentiated price\_dollars), and 'raw\_per\_decks' (the number of raw occurances in a tournament over the number of decks that make placements).

Here is what the table looks like now:

```
[6]: table.iloc[100:105, :]
[6]:
          datetime price_dollars d_price_dollars raw_per_decks
    100 2019-01-05
                              6.00
                                               -0.01
                                                                 NaN
    101 2019-01-06
                              6.00
                                                0.00
                                                               0.125
    102 2019-01-07
                              5.99
                                               -0.01
                                                                 NaN
    103 2019-01-08
                                                0.00
                              5.99
                                                                 NaN
    104 2019-01-09
                              5.99
                                                0.00
                                                                 NaN
```

#### 1.2.2 So why d\_price\_dollars?

This is pretty much the crux of the difference between VAR and ARIMA models. ARIMA stands for Auto Regression Integrated Moving Average. The differentiation is the 'Integrated' part. Think of it like this: price\_dollars is the integral of d\_price\_dollars.

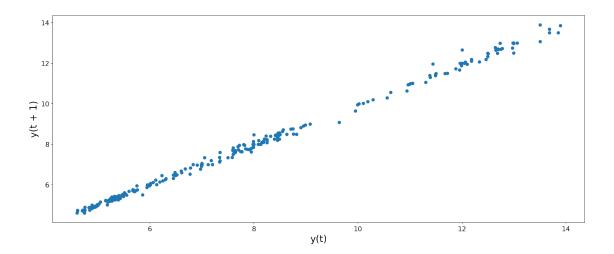
The reason why is we want to make sure that we distil the data down to the simplest usable form while also the mainting the ability to develop new datapoints as time moves forward without overlaped featuredata. This means that all features must be 'stationary', or in more simple terms, the datapoint should not be related to the point that came before it. EG, the autocorrelation remains constant over time.

Here are some graphs of the autocorrelation.

Note: Technically I am making an ARIMAX model or something, but I don't like tacking on new letters for each new feature so for now I am just going to call it an ARIMA model.

```
[7]: from pandas.plotting import lag_plot lag_plot(table['price_dollars'], lag=1)
```

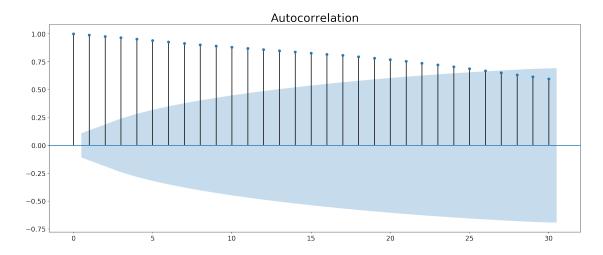
[7]: <matplotlib.axes.\_subplots.AxesSubplot at 0x105d70b00>



This Correlation pretty much speaks for itself. This graph shows that y(t) is a really good predictor of the value of y(t+1). Athough, this graph might lead us to believe that a presistence model would perform well. We don't want our model to fit this correlation.

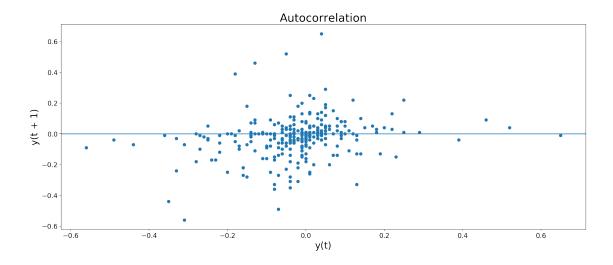
It might not always be clear that features are correlated. Statsmodels Library actually provides a handy little grapher that shows you when you need to fix your autocorrelation.

```
[8]: from statsmodels.graphics.tsaplots import plot_acf plot_acf(table['price_dollars'], lags=30) plt.show()
```



Fortunately, the first derivative does the trick:

```
[9]: plot_acf(table['d_price_dollars'], lags=30)
    lag_plot(table['d_price_dollars'], lag=1)
    plt.show()
```



I didn't differentiate the 'raw\_per\_decks' feature because in this particular card, it is so sparse. I checked the autocorrelation down the line. As I suspected, it was pretty low given the nature of MTG card game.

#### 1.2.3 Data Prep

The next step is to make sure that the difference is made between there being no occurances and there being no tournamentes on that day. As of right now, both are marked as NaN, but will later be marked as either NaN or 0.

I did this by loading the dates from a json data file I collected. Then by joining the tables about the datetime index I was able to see which rows were associated with a tournament and which were not.

```
[10]:
                                  d_price_dollars raw_per_decks tourny_dates
                  price_dollars
     datetime
     2018-09-27
                           13.68
                                               NaN
                                                               NaN
                                                                      2018-09-27
                           13.68
                                              0.00
     2018-09-28
                                                               NaN
                                                                              NaT
     2018-09-29
                           13.50
                                             -0.18
                                                               NaN
                                                                              NaT
     2018-09-30
                           13.89
                                              0.39
                                                               NaN
                                                                              NaT
     2018-10-01
                           13.85
                                             -0.04
                                                               NaN
                                                                      2018-10-01
```

The set the values accordingly and use the forward fill to complete the table. The ffill method is particularly good for this scenario given that if there was not a tournament on that day, then the last scheduled tournmement appears higher up in the viewing order.

```
[11]: for i in range(example_full_table.shape[0]):
```

```
if not pd.isnull(example_full_table.iloc[i,3]) and pd.
isnull(example_full_table.iloc[i,2]):
        example_full_table.iloc[i,2] = 0

example_full_table = example_full_table.drop('tourny_dates', axis=1)
example_full_table.fillna(method='ffill', inplace=True)
```

The next cell is a function that I am calling 'horizonize' which is based off of Ethan Rosenthal's blog link here

Ethan Rosenthal actually made a whole library to help with this sort of analysis using scikit-learn called skits. Unfortunately, I had trouble findind docs that I could understand so I just reinvented the wheel on this one.

Here I just add two rolling averages to the DataFrame because those help out alot when predicting the integral constant. The model we will train would have a hell of a time trying to predict the dollar value of the card based soley off of the way that it has changed over time. There needs to be some sort of reference to fill in where the derivative falls off, and that is the rolling average feature. It is important to shift the rolling window as to not bleed predicting data in to the featuredata set.

```
[13]: example_full_table.loc[:,'raw_rolling'] = example_full_table['raw_per_decks'].

→rolling(window=5).mean()

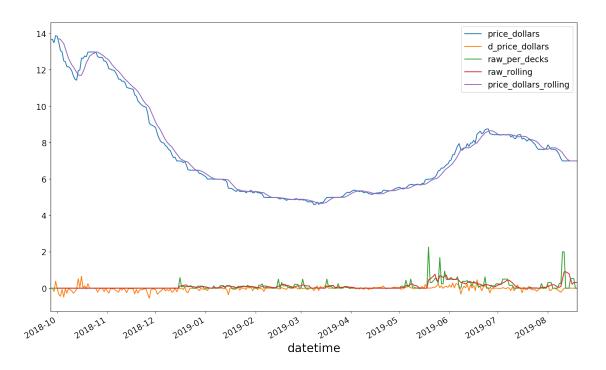
example_full_table.loc[:,'price_dollars_rolling'] = 

→example_full_table['price_dollars'].shift().rolling(window=5).mean()
```

The full table thus far plotted. It is a bit busy, but should be enough to understand where we are at right now.

```
[14]: example_full_table.plot(figsize=(16,10))
```

[14]: <matplotlib.axes.\_subplots.AxesSubplot at 0x11a76f940>



Just a quick backfill to keep the table the same size after the rolling averages.

[15]:	<pre>example_full_table.fillna(method='bfill', inplace=True) example_full_table.head()</pre>					
[15]:		price_dollars	d_price_dollars	raw_per_decks	raw_rolling	\
	datetime					
	2018-09-27	13.68	0.00	0.0	0.0	
	2018-09-28	13.68	0.00	0.0	0.0	
	2018-09-29	13.50	-0.18	0.0	0.0	
	2018-09-30	13.89	0.39	0.0	0.0	
	2018-10-01	13.85	-0.04	0.0	0.0	
	price_dollars_rolling					
	datetime					
	2018-09-27		13.72			
	2018-09-28		13.72			
	2018-09-29		13.72			
	2018-09-30		13.72			
	2018-10-01		13.72			

Here is where horizonize gets implemented. What it does is effectively make a feature for each lag interval so that we can predict off of a small sub-vector of the whole feature. See for yourself:

```
[16]: hdpd = horizonize(example_full_table['d_price_dollars'].values,

col='d_pd', window =4,

index=example_full_table.index)
```

```
hraw = horizonize(example_full_table['raw_per_decks'].values,
                        col='raw',window=4,
                        index=example_full_table.index)
     hraw = hraw.drop('raw_t-0', axis=1)
     hdpd = hdpd.drop('d_pd_t-0', axis=1)
     prepared_data = pd.concat([hraw, hdpd,__
      →example_full_table['price_dollars_rolling'],
                                 example_full_table['price_dollars']], axis=1).
      →dropna(axis=0)
     prepared_data.head(10)
[16]:
                 raw_t-1 raw_t-2 raw_t-3 d_pd_t-1 d_pd_t-2 d_pd_t-3 \
     datetime
     2018-09-30
                      0.0
                               0.0
                                        0.0
                                                 -0.18
                                                            0.00
                                                                       0.00
                      0.0
                               0.0
                                        0.0
                                                  0.39
                                                           -0.18
     2018-10-01
                                                                       0.00
     2018-10-02
                      0.0
                               0.0
                                        0.0
                                                 -0.04
                                                            0.39
                                                                      -0.18
     2018-10-03
                      0.0
                               0.0
                                        0.0
                                                 -0.35
                                                           -0.04
                                                                       0.39
                      0.0
                               0.0
                                                 -0.44
                                                           -0.35
                                                                      -0.04
     2018-10-04
                                        0.0
     2018-10-05
                      0.0
                               0.0
                                        0.0
                                                 -0.07
                                                           -0.44
                                                                      -0.35
                     0.0
                               0.0
                                        0.0
                                                 -0.49
                                                           -0.07
                                                                      -0.44
     2018-10-06
                      0.0
                                        0.0
                                                 -0.04
                                                           -0.49
                                                                      -0.07
     2018-10-07
                               0.0
                      0.0
                                                           -0.04
                                                                      -0.49
     2018-10-08
                               0.0
                                        0.0
                                                 -0.28
                                                           -0.28
                                                                      -0.04
     2018-10-09
                      0.0
                               0.0
                                        0.0
                                                  0.00
                 price_dollars_rolling price_dollars
     datetime
     2018-09-30
                                 13.720
                                                  13.89
     2018-10-01
                                 13.720
                                                  13.85
     2018-10-02
                                 13.720
                                                  13.50
     2018-10-03
                                 13.684
                                                  13.06
     2018-10-04
                                 13.560
                                                  12.99
     2018-10-05
                                 13.458
                                                  12.50
     2018-10-06
                                 13.180
                                                  12.46
     2018-10-07
                                 12.902
                                                  12.18
     2018-10-08
                                 12.638
                                                  12.18
                                                  12.10
     2018-10-09
                                 12.462
```

Note: It is very important to drop the t-0 columns because that would bleed the values we are trying to predict into the featuredata.

#### 1.2.4 Prediction with Linear Regressor

Separating the v vector from the features.

```
[17]: X, y = prepared_data.copy().drop('price_dollars', axis=1), □ → prepared_data['price_dollars']
```

Just picking an arbitrary split point. Keep in mind that the later the split point the better the training will be.

```
[18]: split_idx = 200
X_train, y_train = X[:split_idx], y[:split_idx]
X_test, y_test = X[split_idx:], y[split_idx:]
```

Might as well fit two models side by side

```
[19]: from sklearn.tree import DecisionTreeRegressor from sklearn.linear_model import LinearRegression

tree_reg = DecisionTreeRegressor(random_state=42)
lin_reg = LinearRegression()
tree_reg.fit(X_train, y_train)
lin_reg.fit(X_train, y_train)
```

[19]: LinearRegression(copy\_X=True, fit\_intercept=True, n\_jobs=None, normalize=False)

```
[20]: from sklearn.metrics import mean_squared_error

price_predictions_tree = tree_reg.predict(X_test)

price_predictions_lin = lin_reg.predict(X_test)

tree_mse = mean_squared_error(y_test, price_predictions_tree )
lin_mse = mean_squared_error(y_test, price_predictions_lin )

tree_rmse = np.sqrt(tree_mse)
lin_rmse = np.sqrt(lin_mse)
print('tree_rmse: ', tree_rmse)
print('lin_rmse: ', lin_rmse)
```

tree\_rmse: 0.3659155843579679
lin\_rmse: 0.12706685169042348

So it seems like the LinearRegression model performs far better at 13 cents error. Although a better metric would be rmse/meanPrice so that we can get a frame of reference of how big our error is relative to the price.

```
[21]: print('tree_rmse/mean: ', tree_rmse/y_test.mean())
print('lin_rmse/mean: ', lin_rmse/y_test.mean())
```

tree\_rmse/mean: 0.05080119982481111
lin\_rmse/mean: 0.017641086632483784

Not bad....until we realize that this is a one day forcast. We should be shooting for a much longer term forcast.

# 1.3 Making everything into pipelines to simplify it

For now I am not going to explain the pipeline code because it is basically everything that we just went through, only simplified for production use.

```
[22]: from sklearn.base import BaseEstimator, TransformerMixin
     class Horizonizer(BaseEstimator, TransformerMixin):
         def __init__(self, columns=[], windows=[], remove_t0=True):
             self.windows = windows
             self.columns = columns
             self.remove t0 = remove t0
             assert len(columns) == len(windows), 'windows and columns are not same_
      \rightarrowlength'
         def fit(self, X, y=None):
             return self
         def transform(self, X):
             for c in range(len(self.columns)):
                 subdf_cols = []
                 series = X[self.columns[c]]
                 for i in range(self.windows[c]):
                     subdf_cols.append(self.columns[c] + '_t-' + str(i))
                 subdf = pd.DataFrame(columns = subdf_cols)
                 for i in range(len(series)):
                     if i < self.windows[c]:</pre>
                         subdf.loc[i] = [series[i-j] for j in range(i+1)] + [None_
      →for k in range(1, self.windows[c]-i)]
                     else:
                         subdf.loc[i] = [series[i-j] for j in range(self.windows[c])]
                 if len(X.index) > 0:
                     subdf.set_index(X.index, inplace=True)
                 if self.remove_t0:
                     subdf = subdf.drop(self.columns[c] + '_t-' + str(0), axis=1)
                     X = X.drop(self.columns[c], axis=1)
                 X = pd.concat([X, subdf], axis=1)
             return X
     # horizon_pipeline = Horizonizer(col='price_dollars',_
     →columns=['d_price_dollars'], windows=[3])
     # df_dollars = horizon_pipeline.transform(example_full_table)
     # df_dollars
```

```
[23]: class TournamentImputer(BaseEstimator, TransformerMixin):
         def __init__(self):
             pass
         def fit(self, X, y=None):
             return self
         def transform(self, X):
             for i in range(X.shape[0]):
                 if not pd.isnull(X.iloc[i,3]) and pd.isnull(X.iloc[i,2]):
                     X.iloc[i,2] = 0
             X = X.drop('tourny_dates', axis=1)
             X.fillna(method='ffill', inplace=True)
             X.fillna(method='bfill', inplace=True)
             return(X)
     # tp = TournamentImputer()
     # df = tp.transform(pre_pipeline_df)
[24]: class RollingAverages (BaseEstimator, TransformerMixin):
         def __init__(self, shift_t0=True, columns=[], windows=[]):
             self.shift t0 = shift t0
             self.columns = columns
             self.windows = windows
             assert len(self.windows) == len(self.columns), 'columns and windows notu
      →same length'
             assert shift_t0 == True, "I haven't coded the shift_t0 hyperperam, __
      ⇔consider this a reminder"
         def fit(self, X, y=None):
             return self
         def transform(self, X):
             for c in range(len(self.columns)):
                 X.loc[:, self.columns[c] + '_rolavg'] = X[self.columns[c]].
      →rolling(window=self.windows[c]).mean().shift(1)
             return X
     # ra = RollingAverages(columns=['price_dollars', 'raw_per_decks'], __
      \rightarrow windows=[5,5])
     # df = ra.transform(pre_horizon)
     # df
[25]: class PostImputer(BaseEstimator, TransformerMixin):
         def __init__(self, fill='bfill'):
             self
             pass
```

```
def fit(self, X, y=None):
    return self

def transform(self, X):
    return X.fillna(method='bfill')
```

#### 1.4 Forcasting for Real This Time

So now a start fresh, only this time a little more compactly. This next step is just assembling the table to fit into pipeline.

Assemble the pipeline below.

A pretty common pitfall (and one that I originally fell into) is to try and use previous predictions to make further forcasts. The problem when doing this is that you multiply the rmse with each prediction. So you cannot forcast more than a few steps without completely losing all hope of it being accurate.

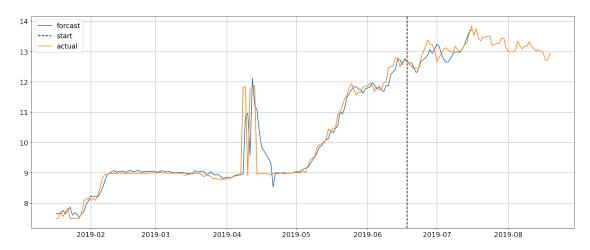
Basically what we have to do is have one featureset and up to as many y-vectors as we want for our forcasts, shifted by 1 interval. Like so:

```
[60]: table = PrepPipe.fit_transform(card_data)
X, y = table.copy().drop('price_dollars', axis=1), table['price_dollars']
y_1 = y.shift(-1).fillna(method='ffill')
y_2 = y.shift(-2).fillna(method='ffill')
y_3 = y.shift(-3).fillna(method='ffill')
y_4 = y.shift(-4).fillna(method='ffill')
y_5 = y.shift(-5).fillna(method='ffill')
```

I actually am not going to use these to train because hard coding like this is a pain to work with. Instead I will build a pipe to do the forcasting for me.

```
[61]: from datetime import timedelta
     from datetime import datetime
     class Forcaster(BaseEstimator, TransformerMixin):
         def __init__(self, forcast_len=14, method=LinearRegression):
             self.forcast_len = forcast_len
             self.method = method
             self.forcast_models = []
         def fit(self, X, y=None):
             self.y = y.copy()
             for i in range(self.forcast_len):
                 lin_reg = self.method()
                 lin_reg.fit(X,y.shift(-1*i).fillna(method='ffill'))
                 self.forcast_models.append(lin_reg)
             return self
         def transform(self, X):
             return X
         def forcast(self, X, start='2019-05-6', forcast_col='t+0'):
             start = datetime.strptime(start, '%Y-%m-%d')
             columns =['forcast']
             for m in range(len(self.forcast_models)):
                 columns.append('t+' + str(m))
             forcast y = pd.DataFrame(columns=columns)
             for i in range(X.shape[0]):
                 predictions = [None]
                 #print(X.iloc[i])
                 for model in self.forcast_models:
                     predictions.append(model.predict(X.iloc[i].values.
      \rightarrowreshape(1,-1))[0])
                 forcast_y.loc[i] = predictions
             forcast_y.set_index(X.index, inplace=True)
```

Now all I have to do is fit the training set to the forcaster pipe and bobs your uncle.



Boom, there is your forcast overlayed with the actual. Looks pretty good so far. *This analysis is still in progress and is continuously being added too.* 

I will explore these things later in the analysis: - Feature optimization - Monte Carlo simulation with a portfolio - Stochastic Gradient Descent with combined card datasets - Live forcasting

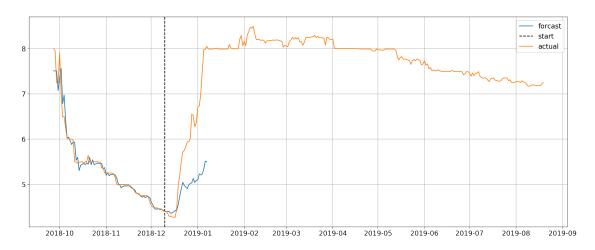
```
[64]: from sklearn.pipeline import Pipeline
     path = './data/guilds-of-ravnica/divine-visitation//'
     card = load_card_data(path).drop('date_unix', axis=1)
     card_occurances = load_occurances_grouped_date(path)
     card_occurances_raw = card_occurances[['datetime', 'raw_per_decks']]
     table = pd.merge(card,
                      card_occurances_raw[['datetime', 'raw_per_decks']],
                      on='datetime',
                      how='left')
     table.set_index('datetime', inplace=True)
     tourny_dates = load_tournament_dates(path='./data/tournies_standard_aug19-oct17.
      card_data = pd.merge(table, tourny_dates, how='left', right_index=True,_
      →left index=True)
     PrepPipe = Pipeline([
         ('tourny_imputer', TournamentImputer()),
         ('rolling_avg', RollingAverages(columns=['price_dollars', 'raw_per_decks'],_
      \rightarrowwindows=[5,5])),
         ('horizonizer', Horizonizer(columns = ['d_price_dollars', 'raw_per_decks'], u
      \rightarrowwindows=[5,5])),
         ('post_imputer', PostImputer())
     ])
     table = PrepPipe.fit_transform(card_data)
     X, y = table.copy().drop('price_dollars', axis=1), table['price_dollars']
     forcaster = Forcaster(forcast_len=28)
     start idx = '2018-12-10'
     forcaster.fit(X[:start_idx],y[:start_idx])
     preds = forcaster.forcast(X, start=start_idx)
     plt.plot(y)
     plt.legend(['forcast',
                 'start',
                 'actual']);
```

```
/Users/chrisevans/Study/01_MachineLearning/env/lib/python3.7/site-packages/pandas/core/indexing.py:362: SettingWithCopyWarning:
A value is trying to be set on a copy of a slice from a DataFrame.
Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: http://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy self.obj[key] = _infer_fill_value(value)
```

/Users/chrisevans/Study/O1\_MachineLearning/env/lib/python3.7/site-packages/pandas/core/indexing.py:480: SettingWithCopyWarning:
A value is trying to be set on a copy of a slice from a DataFrame.
Try using .loc[row\_indexer,col\_indexer] = value instead

See the caveats in the documentation: http://pandas.pydata.org/pandas-docs/stable/user\_guide/indexing.html#returning-a-view-versus-a-copy self.obj[item] = s



[]: