

Figure 0-1.

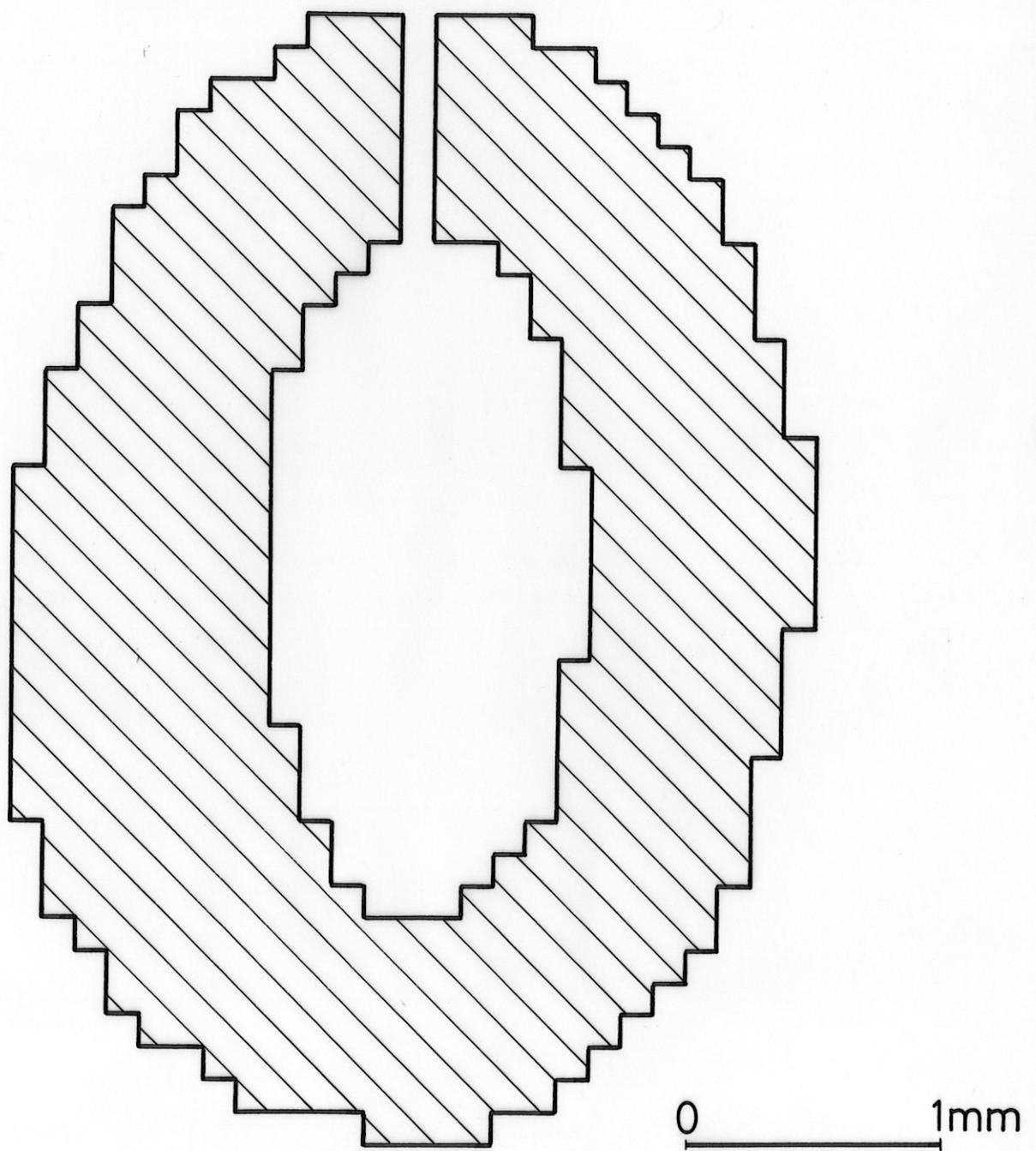


Figure 0-2.

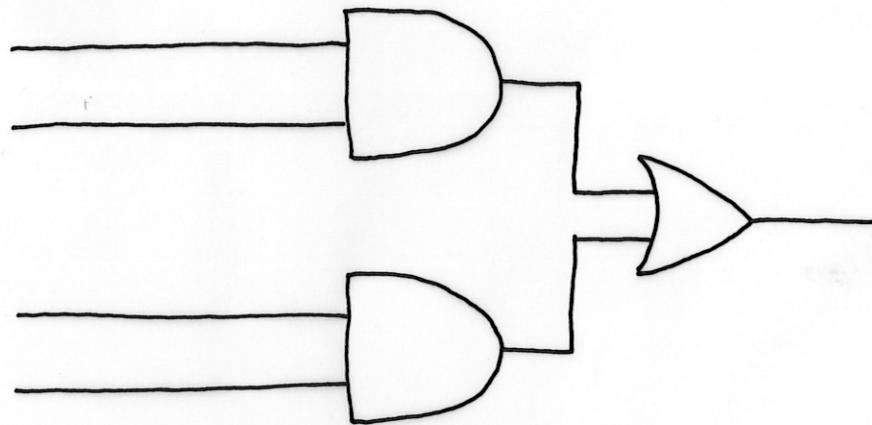


Figure 0-3.

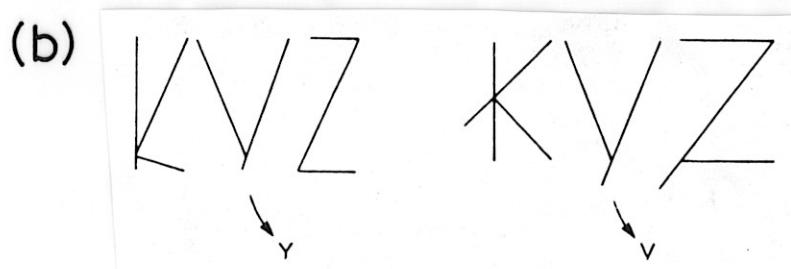
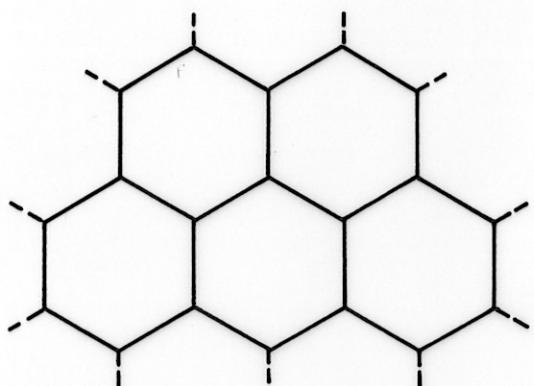
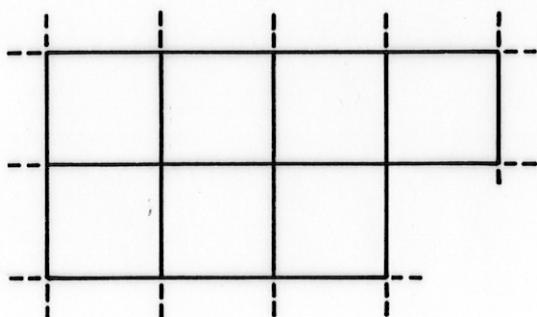


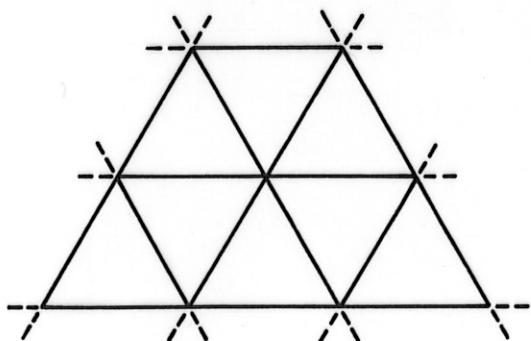
Figure 1-1. The three regular tessellations.



Hexagonal
tessellation

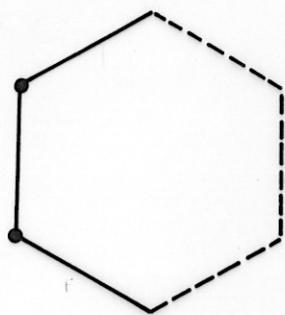


Square
tessellation

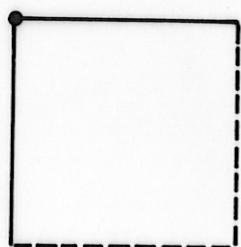


Triangular
tessellation

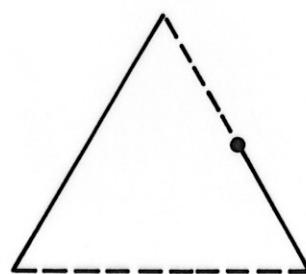
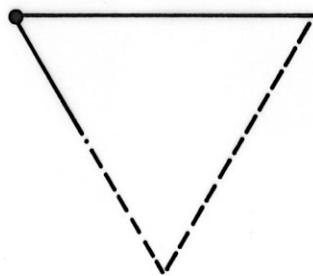
Figure 1-2. Border of a cell in a partition of the plane by a regular tessellation.



Hexagonal



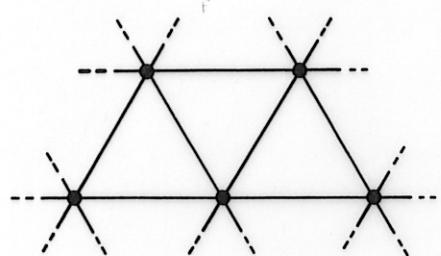
Square



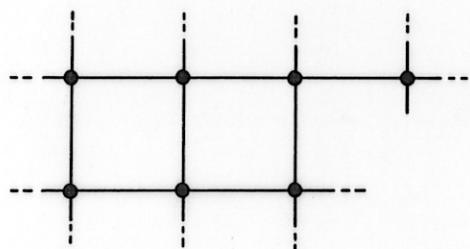
Triangular

Figure 1-3.

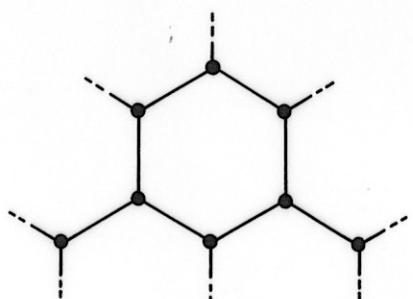
Restricted adjacency graph :



- of a hexagonal tessellation



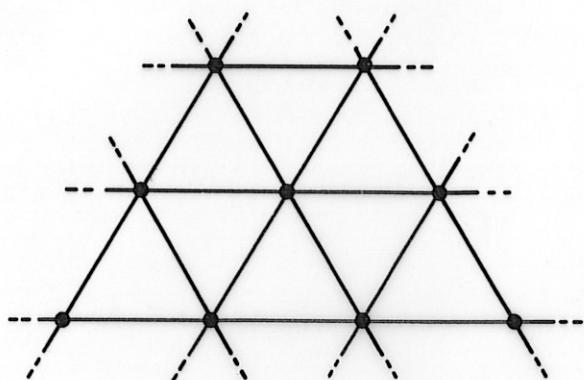
- of a square tessellation



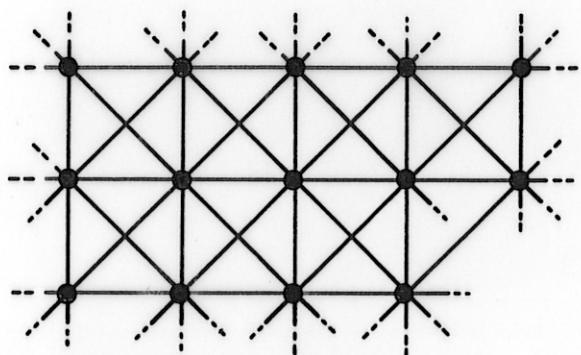
- of a triangular tessellation

Figure 1-4.

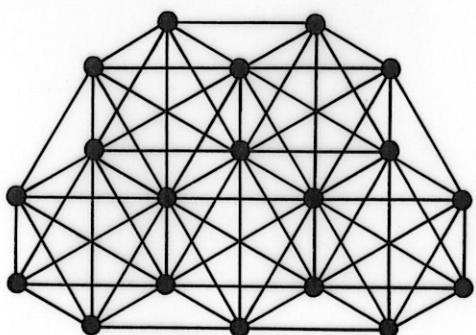
Extended adjacency graph :



- of a hexagonal tessellation



- of a square tessellation



- of a triangular tessellation

Figure 1-5. $M = 5$, $N = 4$

	0	1	2	3
0	(0,0)	(0,1)	(0,2)	(0,3)
1	(1,0)	(1,1)	(1,2)	(1,3)
2	(2,0)	(2,1)	(2,2)	(2,3)
3	(3,0)	(3,1)	(3,2)	(3,3)
4	(4,0)	(4,1)	(4,2)	(4,3)

grid

dual grid

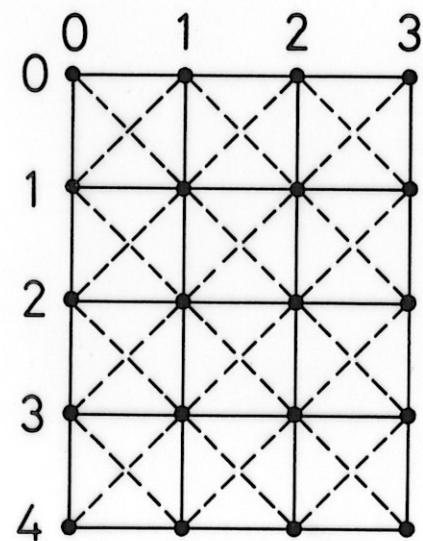
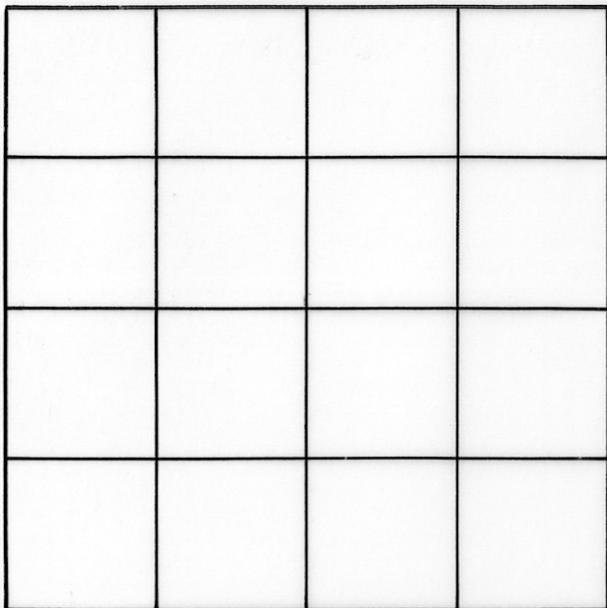
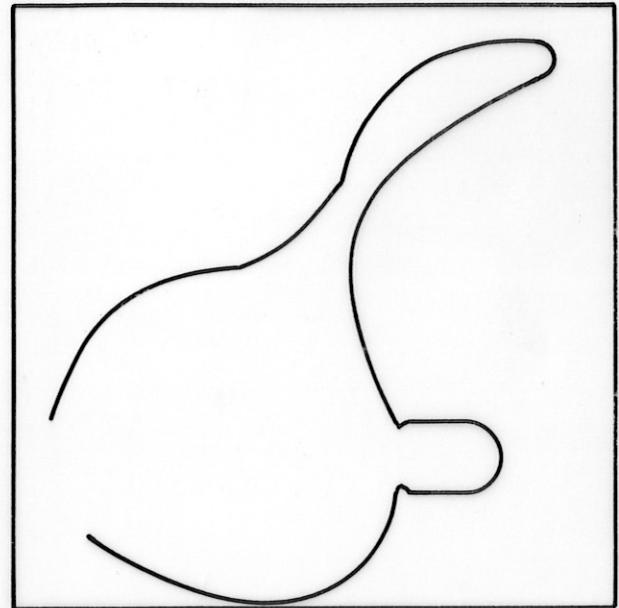


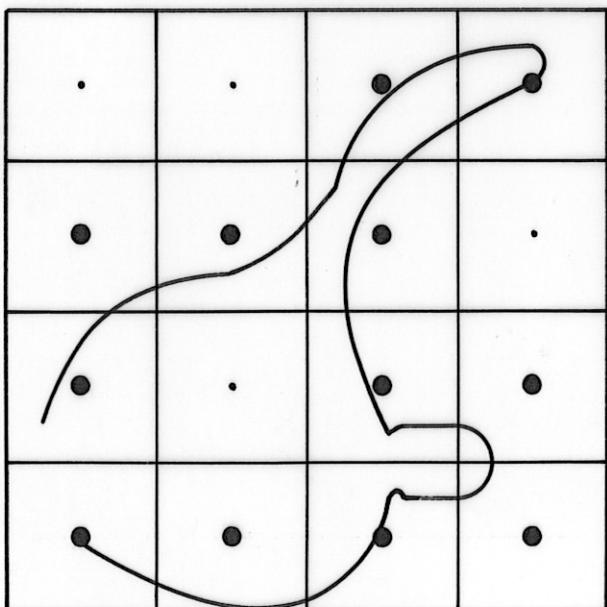
Figure 1-6. Grid representation of a line segment.



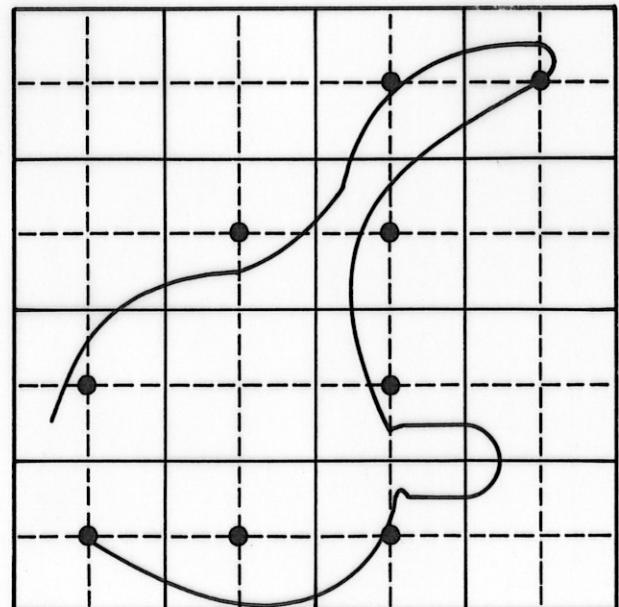
Grid



Line Segment

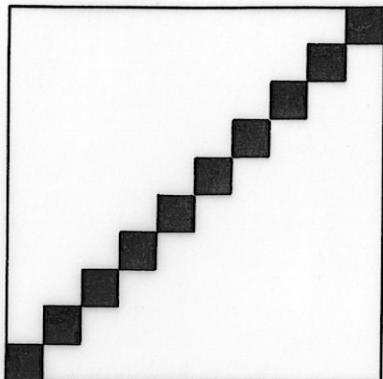


Square box
quantization

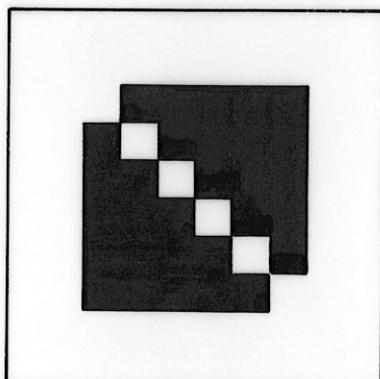


Grid-intersect
quantization

Figure 1-7. Two images on a 10×10 grid.



(a)



(b)

Figure 1-8.

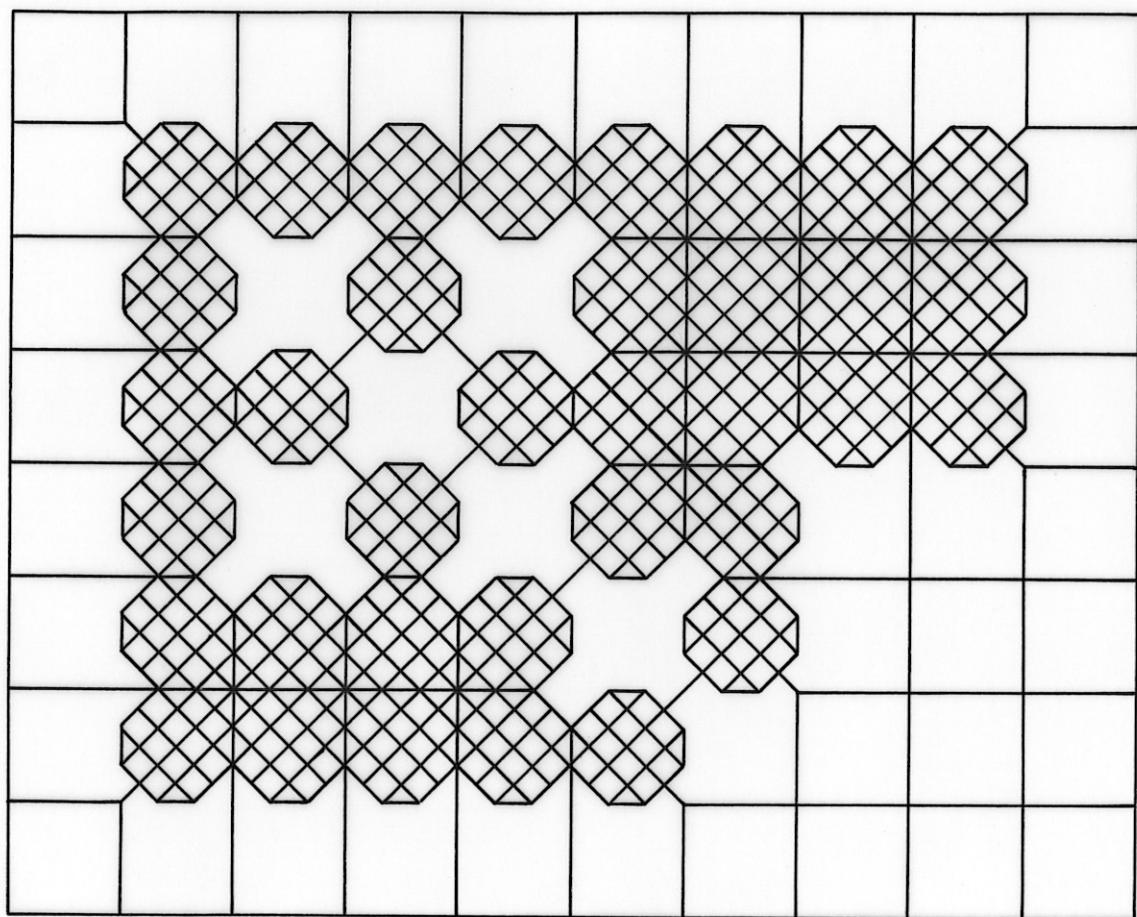
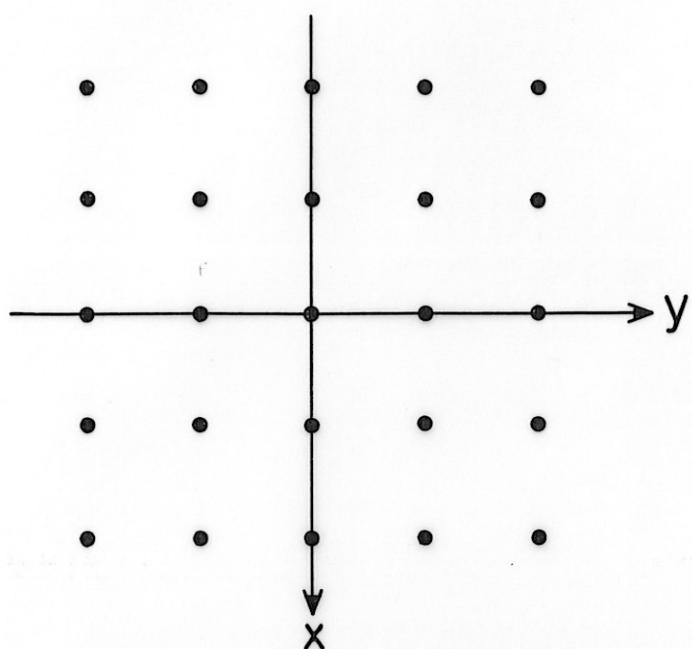
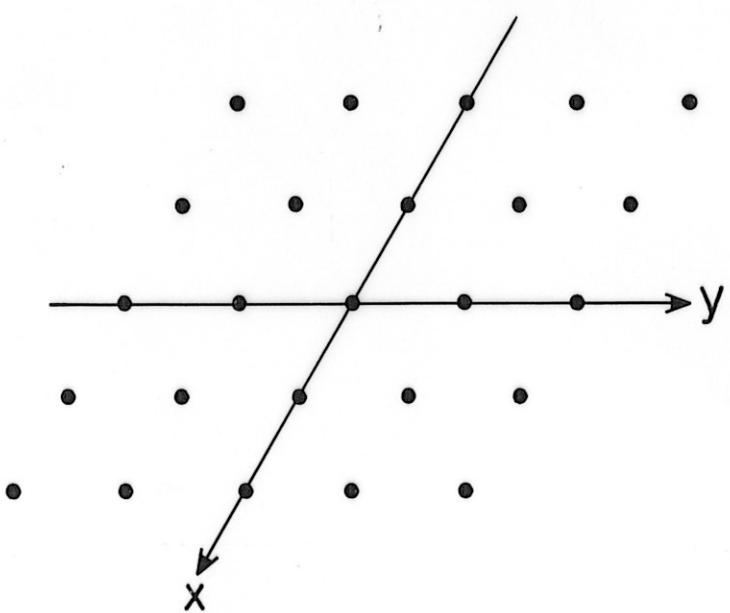


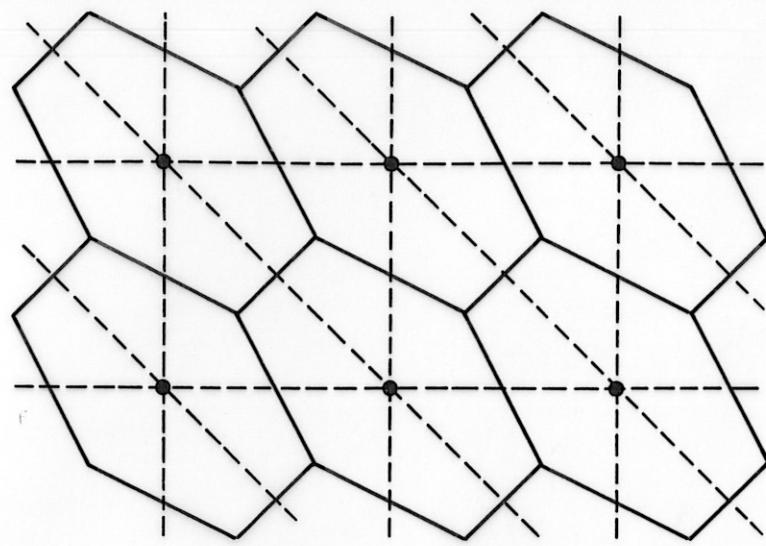
Figure 1-9.



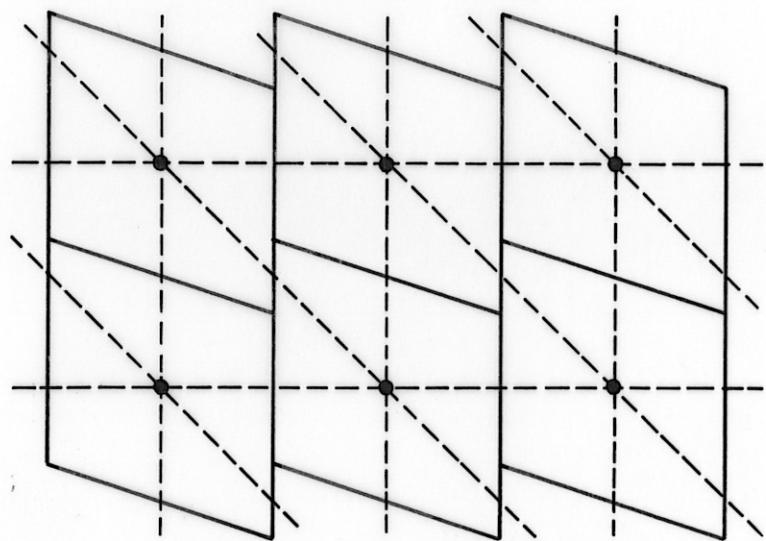
a) Pels in a square grid



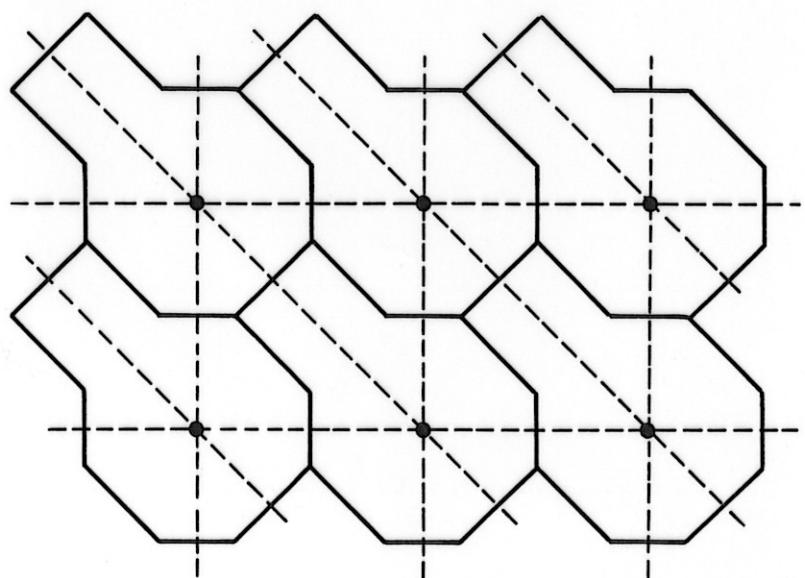
b) Pels in a hexagonal grid



a)



b)



c)

Figure 1-10.

----- adjacency relation

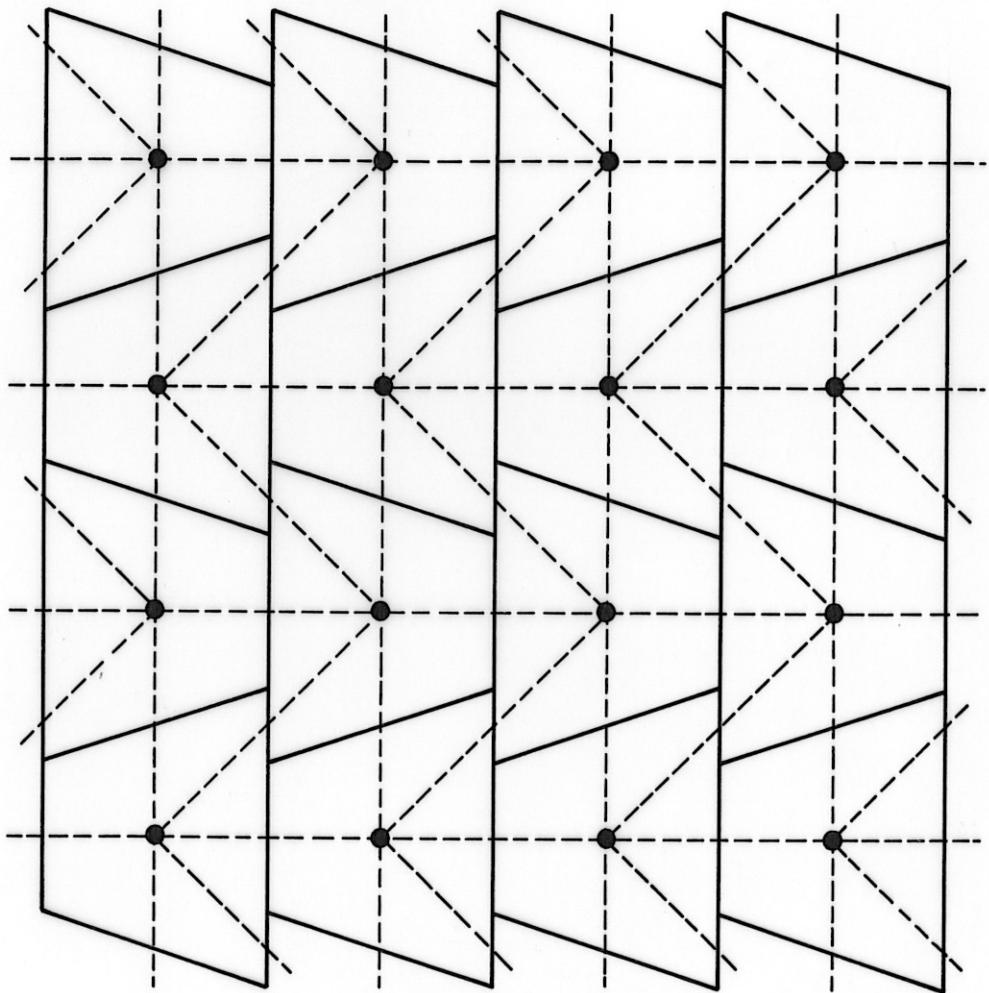


Figure 1-11.

----- adjacency relation

Figure 1-12. Pels at distance m from a given pel $m=0,1,2,3$.

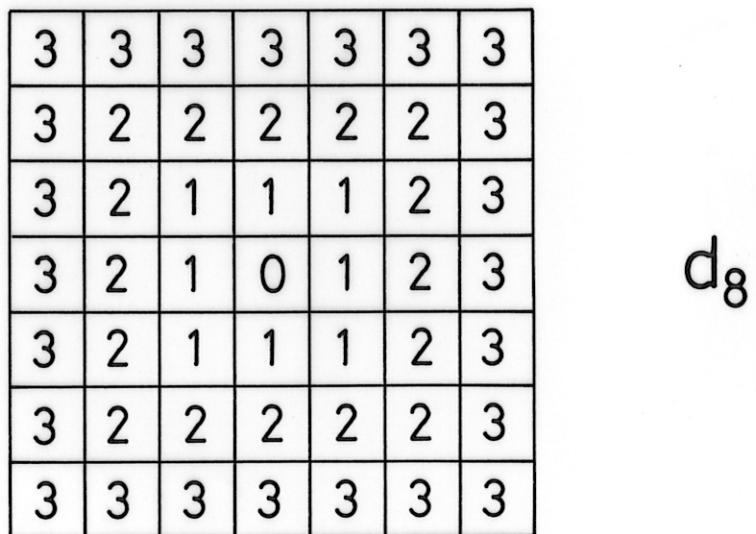
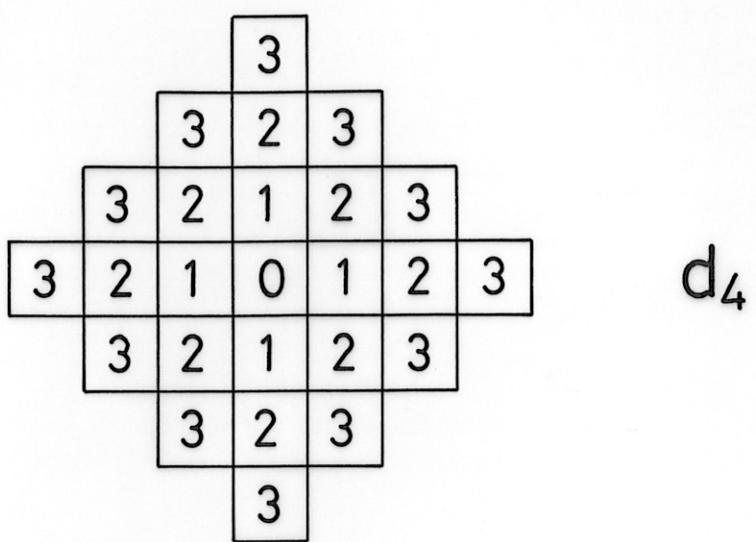


Figure 1-13. M=36, N=24, U=4, V=2, Y=9, Z=6

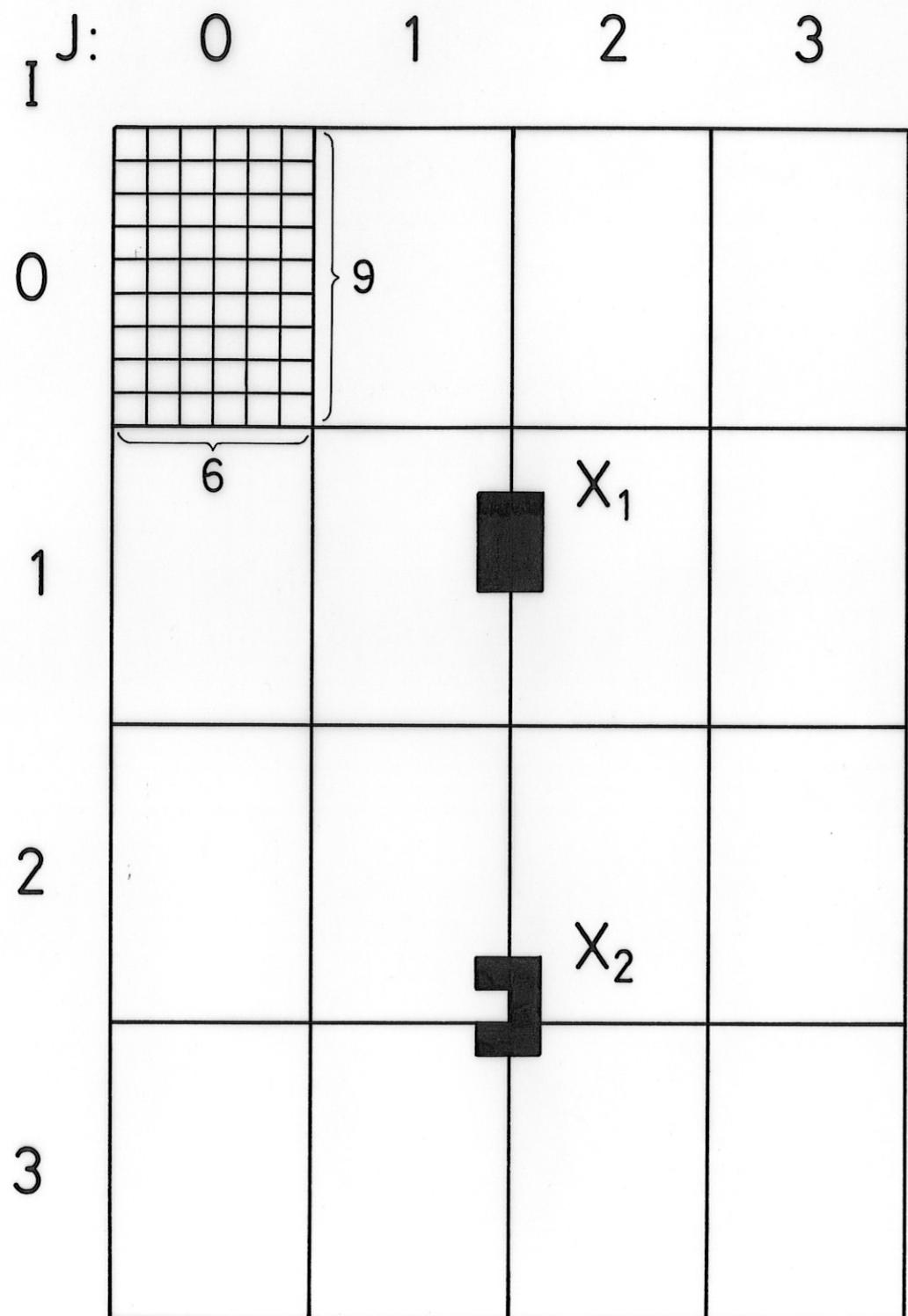


Figure 1-14. Edges and corners of (I, J)

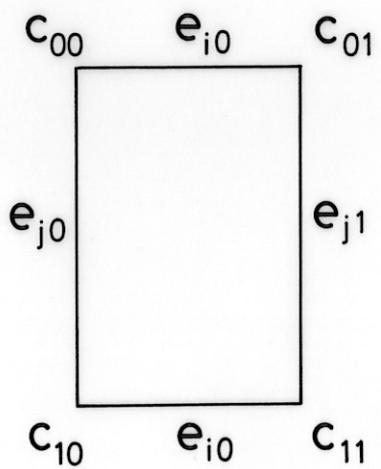


Figure 1-15. $s_8(x_r)$

$k = 4$

a	0	b
1	1	0
0	1	c

$$a, b, c \in \{0,1\}$$

a	0	c
1	1	1
b	0	d

$$a, b, c, d \in \{0,1\}$$

$$ab = cd = 0$$

$k = 8$

0	0	0
1	1	1
0	0	0

1	0	0
0	1	0
0	0	1

0	0	0
1	1	0
0	0	1

0	0	0
0	1	0
1	0	1

Figure 1-16. $L_v(y)$, $\alpha_v(y)$ ($v=0, \dots, 11$)

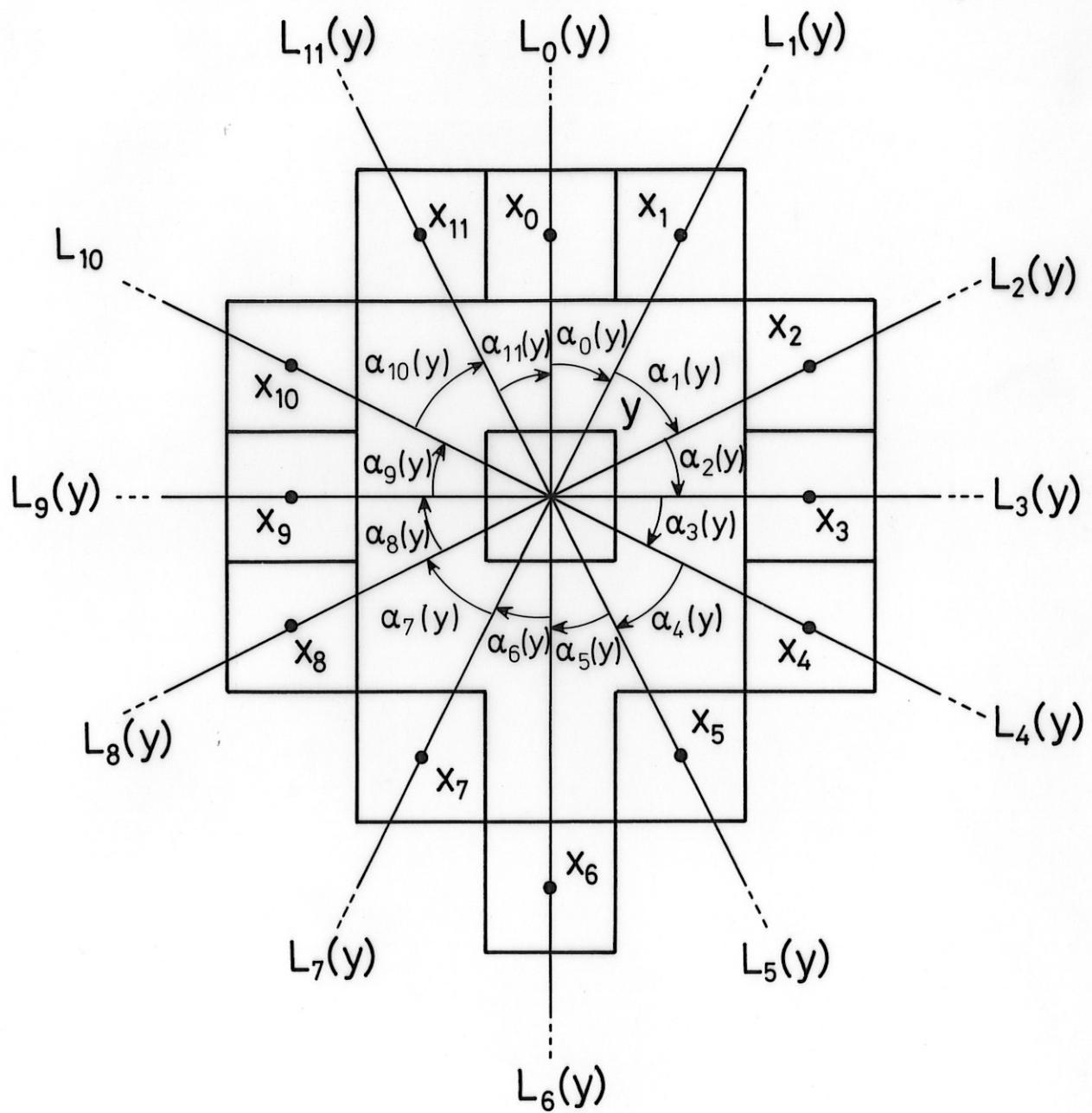


Figure 1-17.

$$i_0 = i_1$$

y_0				y_1

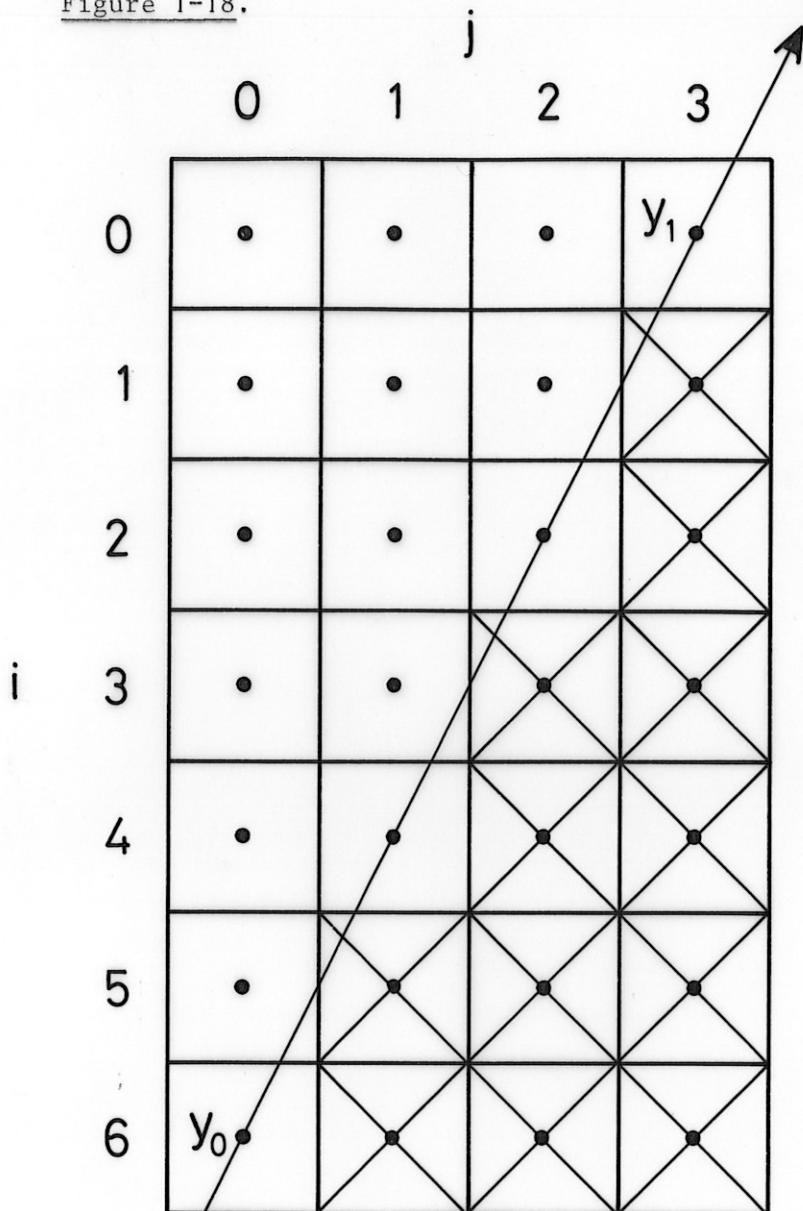
$$j_0 = j_1$$

	y_0	
	y_1	

$$i_0 \neq i_1 \quad j_0 \neq j_1$$

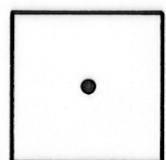
			y_1
y_0			

Figure 1-18.



$$(i, j) = (6, 0)$$

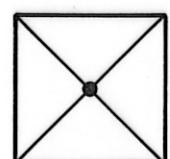
$$(i', j') = (0, 3)$$



R_0

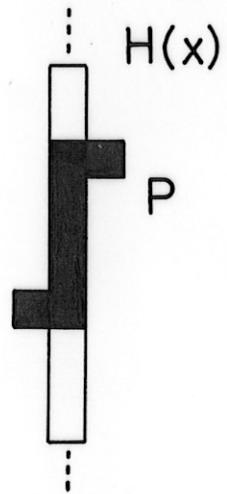
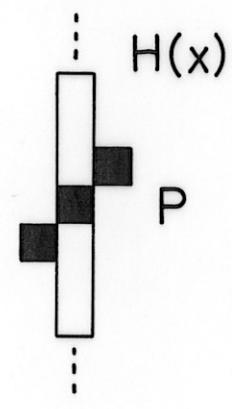
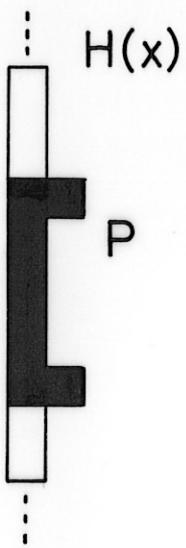
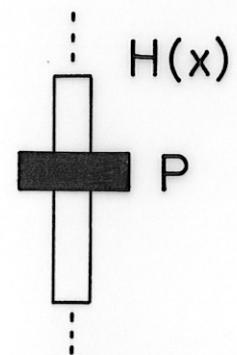
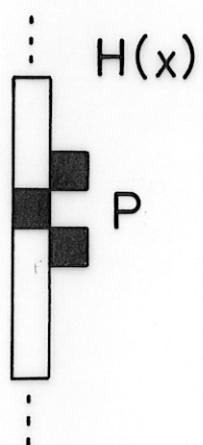
$$R_1 \equiv 3(i-6) > -6j$$

$$\equiv i + 2j - 6 > 0$$



R_1

Figure 1-19.



Touching

Crossing

FIGURE 1-20

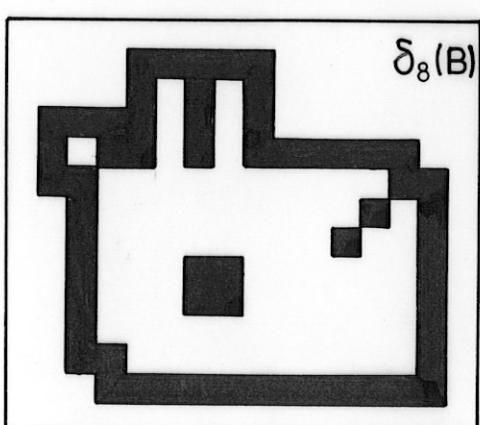
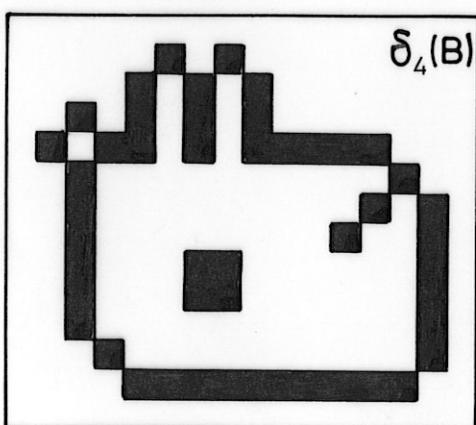
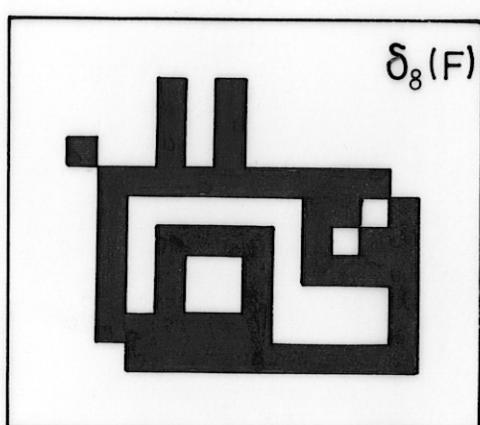
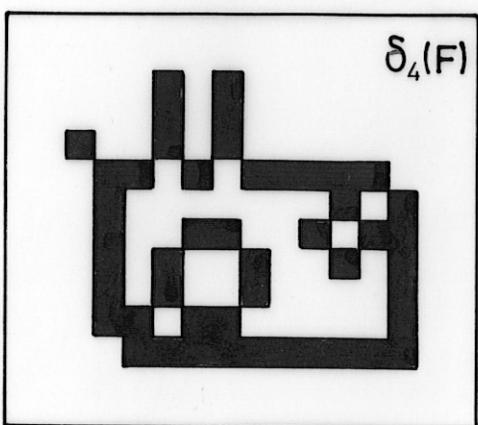
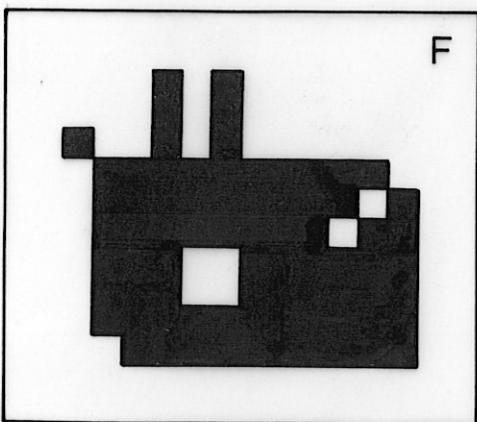


FIGURE 1-21

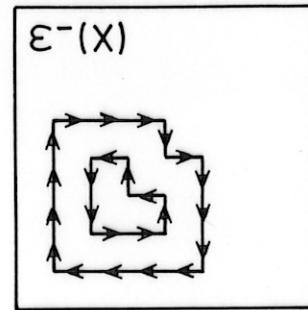
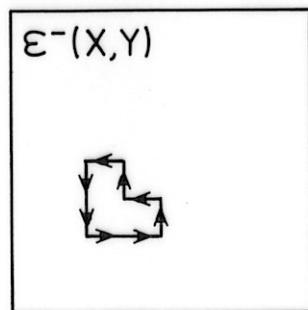
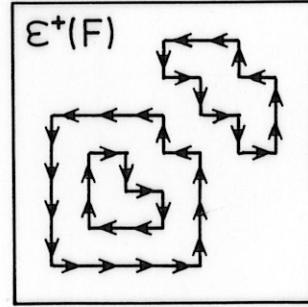
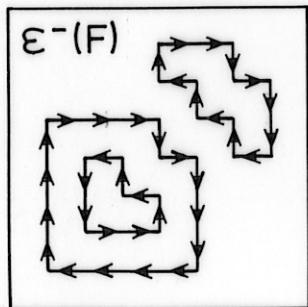
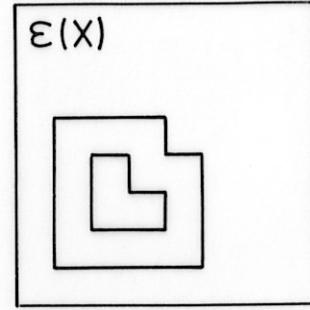
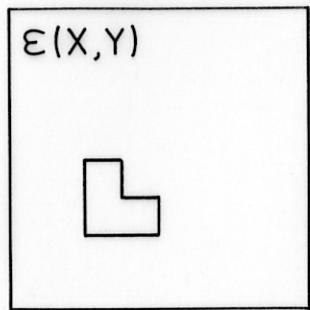
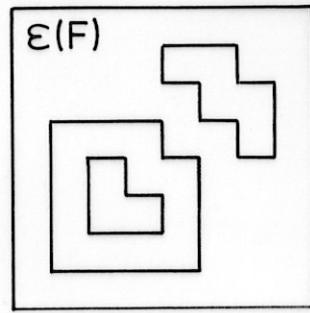
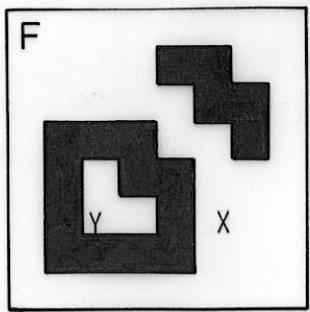
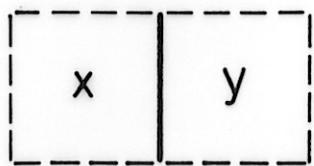


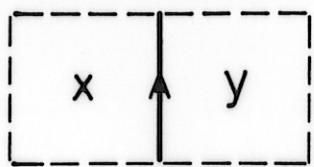
FIGURE 1-22

$\varepsilon(X, Y) :$



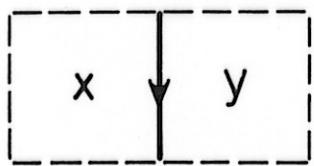
$\{x, y\}$

$\varepsilon^+(X, Y) :$



(x, y)

$\varepsilon^-(X, Y) :$



(y, x)

FIGURE 1-23

a	b
x	y

E_F^+

0	0
1	0

0	1
1	0

1	0
1	0

1	1
1	0

FIGURE 1-24

x	y
c	d

$(E_F^+)^{-1}$

1	0
0	0

1	0
0	1

1	0
1	0

1	0
1	1

FIGURE 1-25

d	c
y ↑	x

E_F^-

0	0
0 ↑	1 →

1	0
0 ↑	1 →

0	1
0 ↑	1 ↑

1	1
1 ←	0 ↑

FIGURE 1-26

u	v
y ↑	x

E_B^+

1	1
1 ←	0 ↑

1	0
1 ←	0 ↑

0	1
0 ↑	1 ↑

0	0
0 ↑	1 →

FIGURE 1-27

t	s
x ↑ y	

E_B^-

1	1
1 ↑ 0	→

0	1
1 ↑ 0	→

1	0
1 ↑ 0	↑

0	0
1 ↑ 0	←

FIGURE 1-28

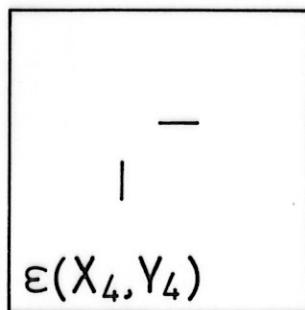
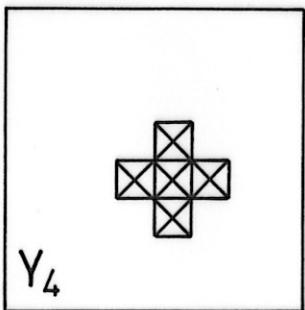
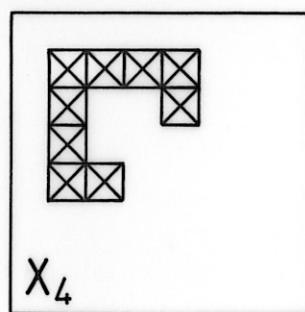
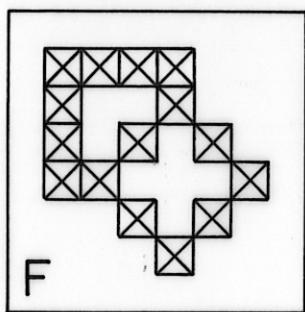
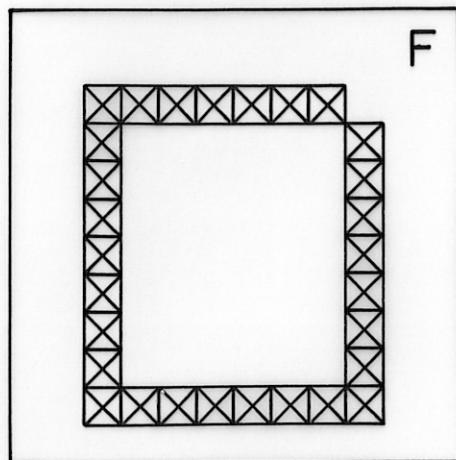


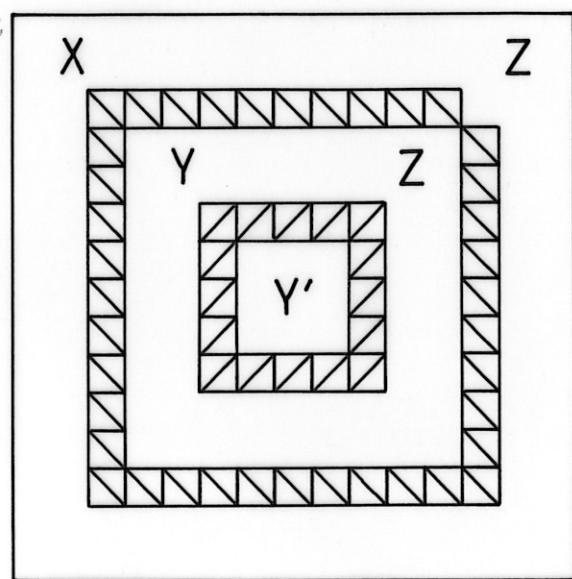
FIGURE 1-29



$$X = F$$

$$Y = B$$

FIGURE 1-30



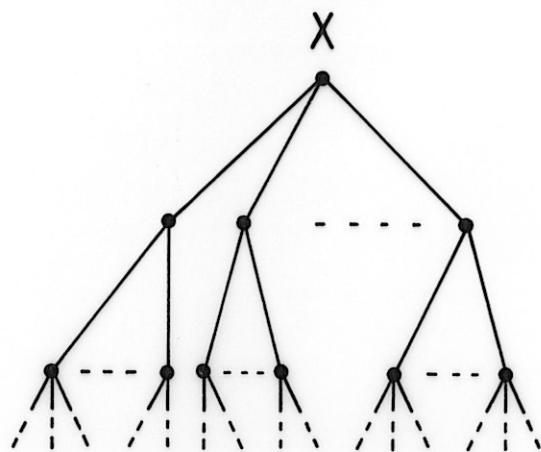
$$\square : X$$

$$\square : Y$$

$$Y' = I_4(Y)$$

$$Z = B \setminus Y'$$

FIGURE 1-31



X = component
containing FG

FIGURE 1-32

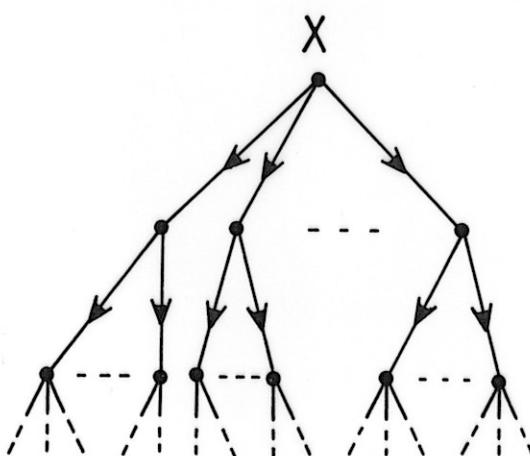
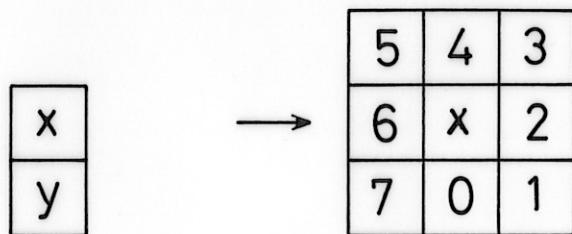
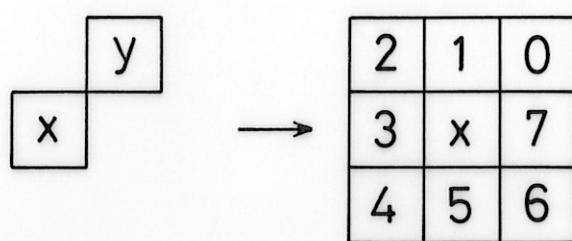


FIGURE 1-33



$\rho_i(x, y)$

FIGURE 1-34

Movement of the window (from [14])

FENETRE 2x2	N°	VECTEUR TANGENT	MOUVEMENT DE LA FENETRE 2x2	
	1	—	MODE DE BALAYAGE -----	}
	2	—		
	3	→	INCX	reject
	6	←	DECY	
	5	↓	INCY	
	6	↑	DECY	
	7	↑	DECY	
	8	↓	INCY	
	9	←	DECX	
	10	→	INCX	
	11	→	INCX	
	12	↑	DECY	
	13	↓	INCY	
	14	←	DECX	
	15	↑ ↓ → ←	apres INCX apres DECX apres DECY apres INCY	
	16	↑ ↓ → ←	INCY apres INCX DECY apres DECX INCX apres DECY DECX apres INCY	

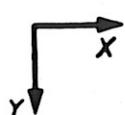
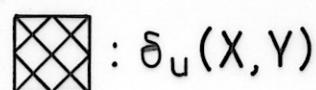
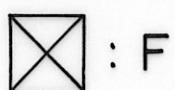
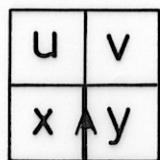
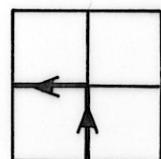
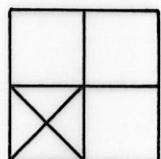
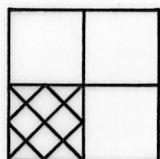


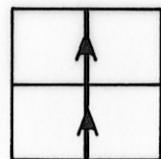
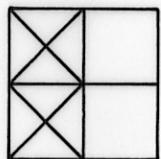
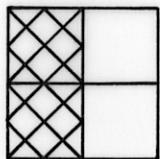
FIGURE 1-35



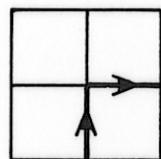
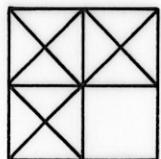
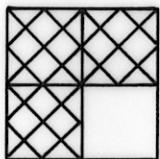
(1)



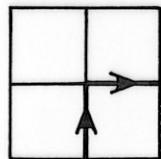
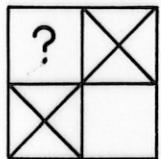
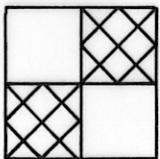
(2)



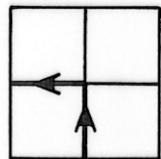
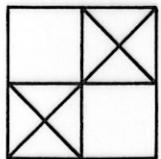
(3)



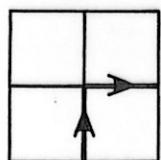
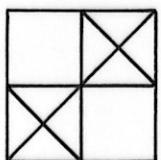
(4)



$(u,k) = (4,8)$

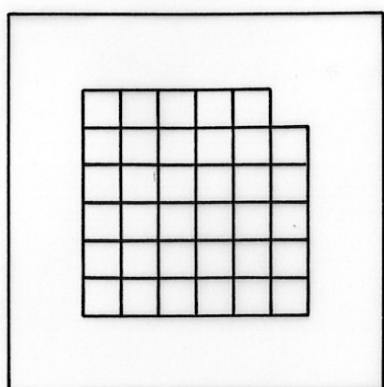


$(u,k) = (8,4)$

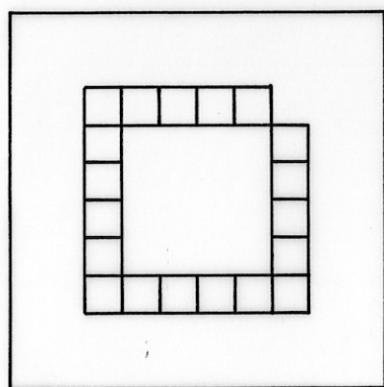
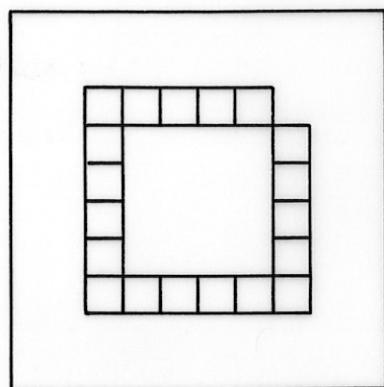


$(u,k) = (8,8)$

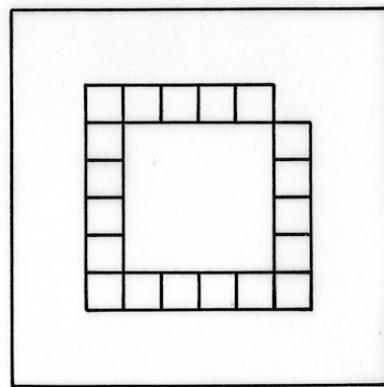
FIGURE 1-36



$$X = F$$
$$Y = B$$



$$\delta_4(X, Y)$$



$$\varepsilon^+(X, Y)$$

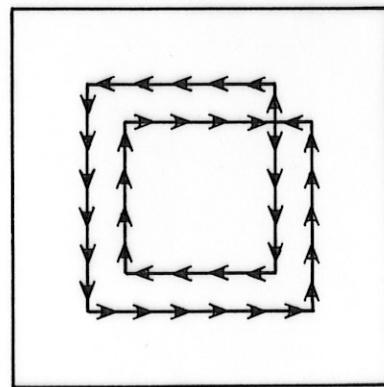
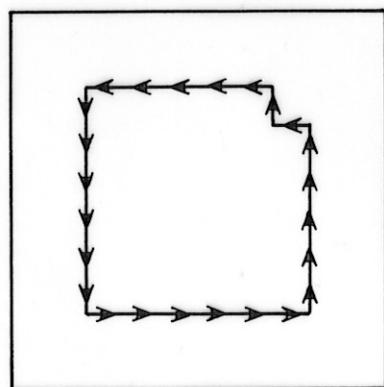
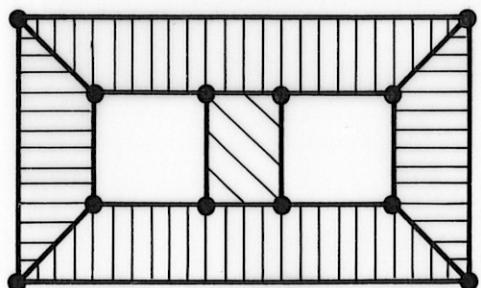
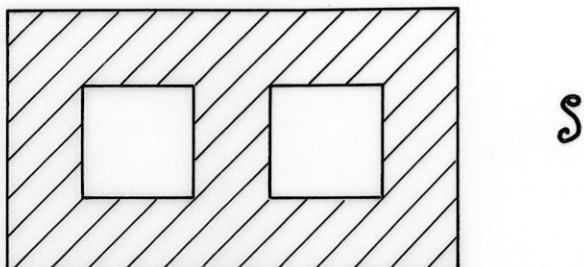


FIGURE 1-37

The genus of a bounded surface :



Decomposition of S

$$v = 12 \quad e = 18 \quad f = 5$$

$$g(S) = 12 - 18 + 5 = -1$$

FIGURE 1-38

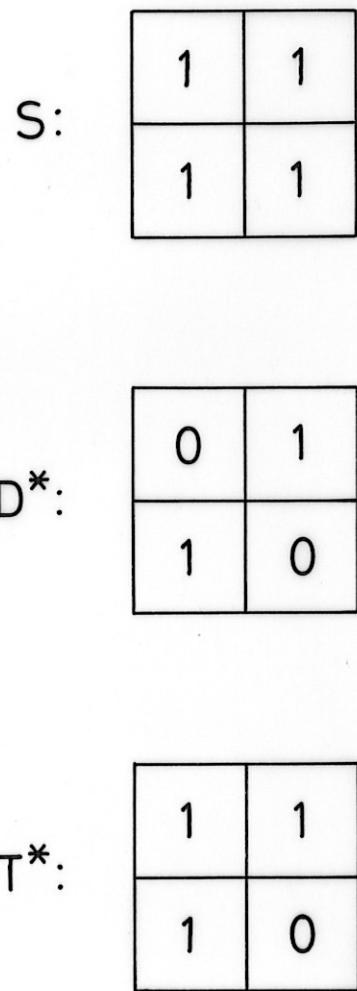
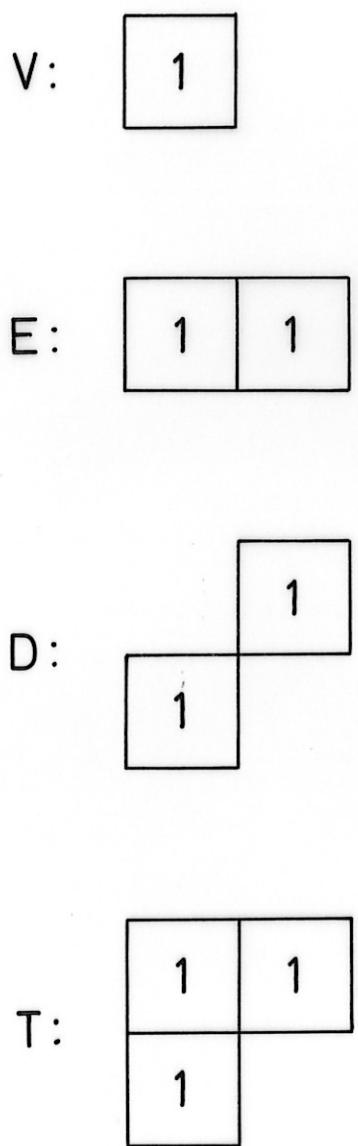
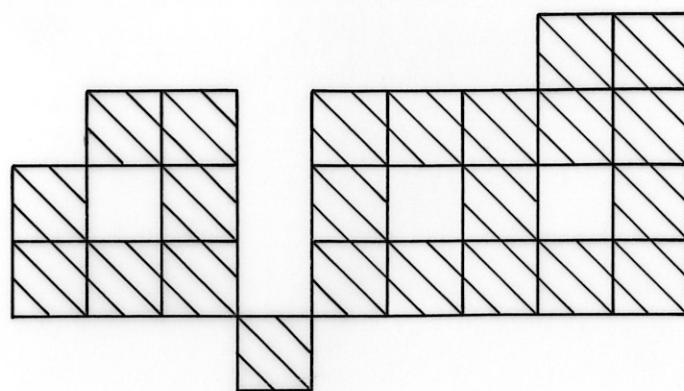
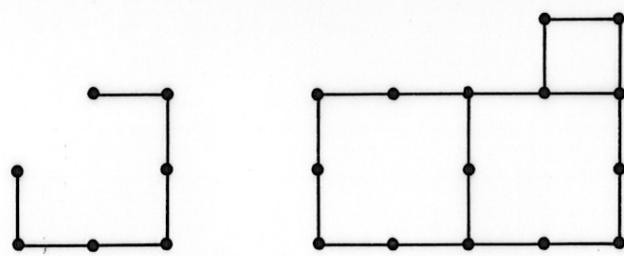


FIGURE 1-39

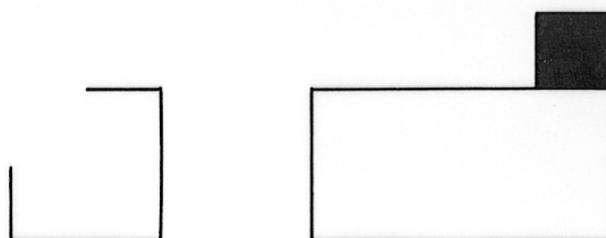
$k=4$



F



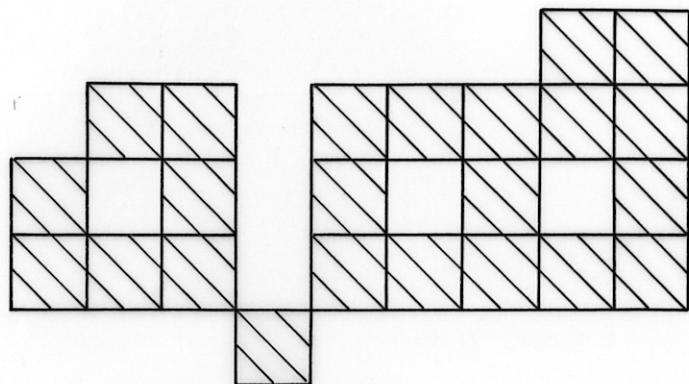
G



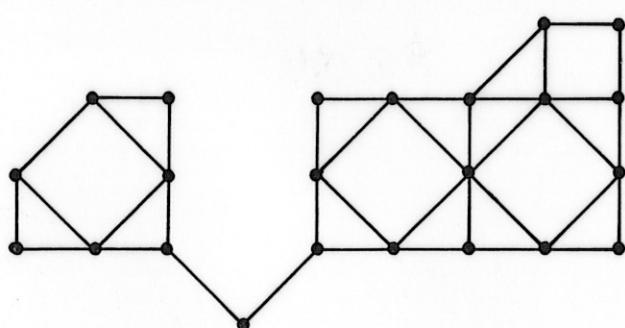
F^*

FIGURE 1-40

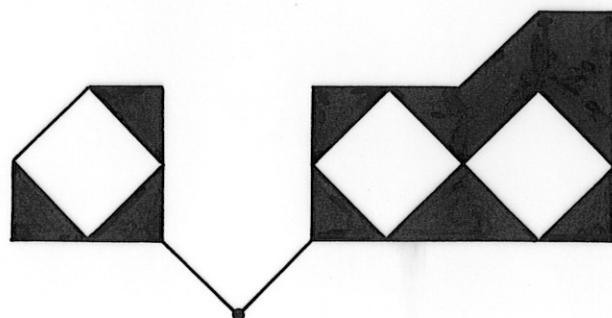
k=8



F



G



F*

FIGURE 1-41

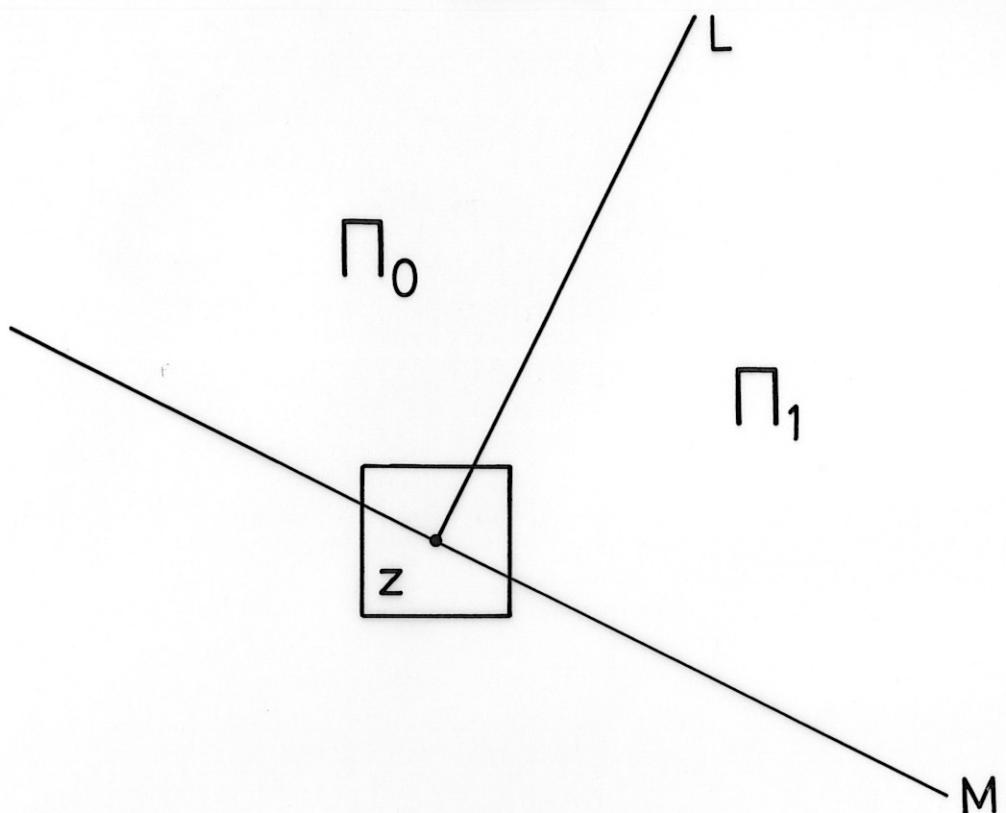


FIGURE 1-42

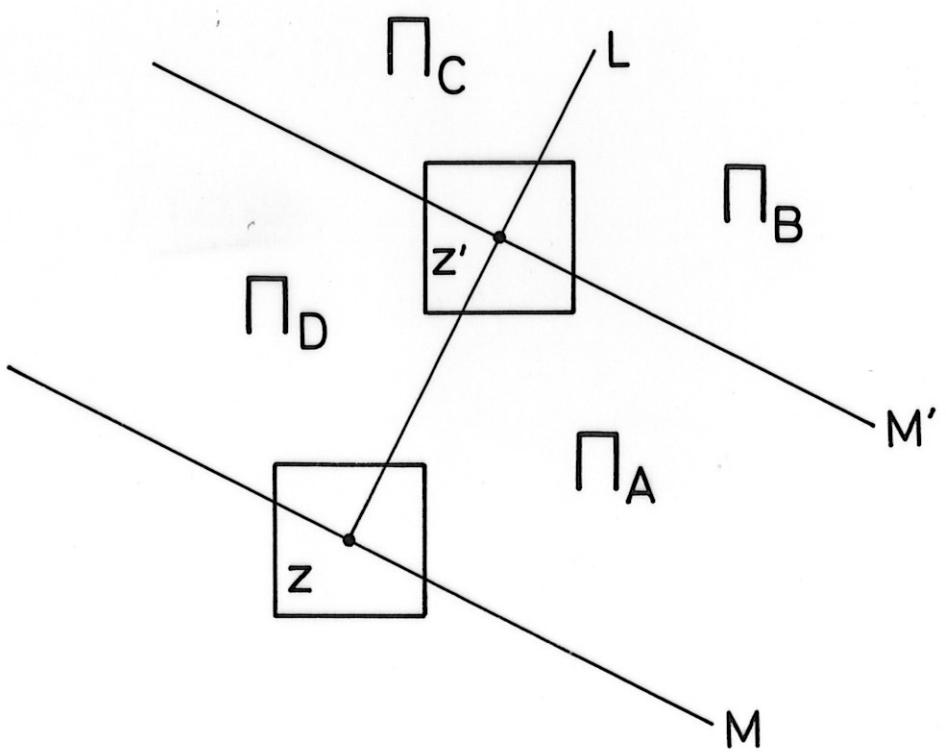


FIGURE 1-43

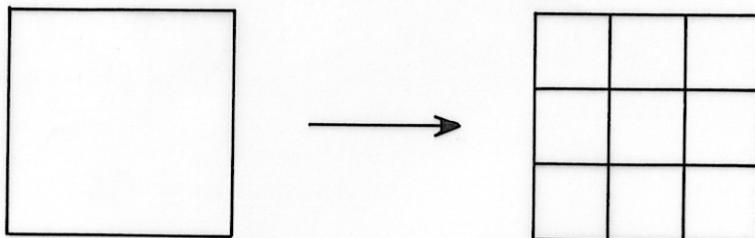


FIGURE 1-44

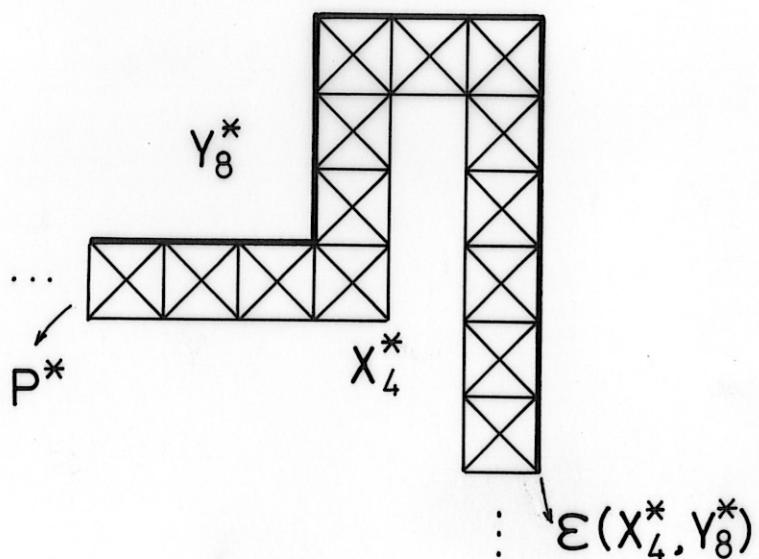
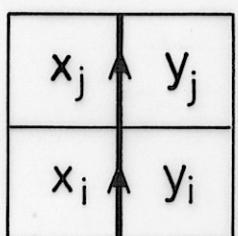


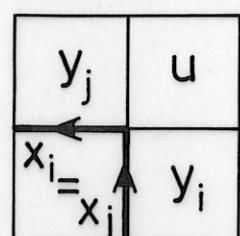
FIGURE 1-45

Y_8^*	Y_8^*	Y_8^*
P^*	P^*	P^*
X_4^*	X_4^*	X_4^*

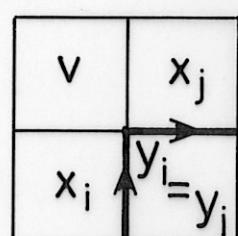
FIGURE 1-46



(a)



(b)

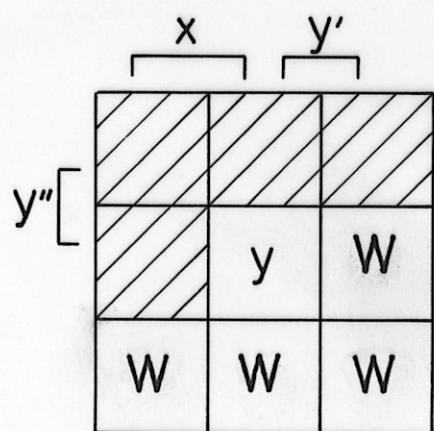


(c)

FIGURE 1-47

x	y''	$S \cup W$
y'	y	W
W	W	W

$k = 8$



$k = 4$

FIGURE 1-48

a)

	y^*	x	y''
u	y'	y	w
z	w	w	w

b)

	f	c	
x	y^*	y''	d
y'	y	w	g
w	w	w	