



574K Followers

You have 1 free member-only story left this month. Upgrade for unlimited access.

How To Deal With Imbalanced Classification, Without Re-balancing the Data

Before considering oversampling your skewed data, try adjusting your classification decision threshold (simple Python code shown in its entirety)



David B Rosen (PhD) Aug 2, 2020 · 9 min read *



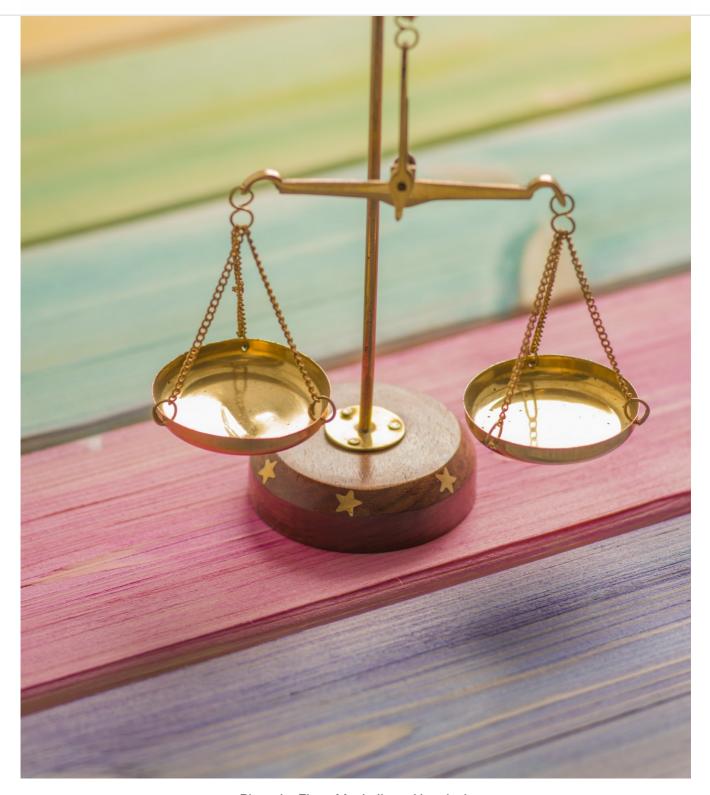


Photo by Elena Mozhvilo on Unsplash

In machine learning, when building a classification model with data having far more instances of one class than another, the initial default classifier is often unsatisfactory because it classifies almost every case as the majority class. Many articles show you how you could use oversampling (e.g. *SMOTE*) or sometimes undersampling or simply class-based sample weighting to retrain the model on "rebalanced" data, but this isn't



We do this by simply adjusting the the threshold for which we say "Class 1" when the model's predicted probability of Class 1 is above it in two-class classification, rather than naïvely using the default classification rule which chooses which ever class is predicted to be most probable (probability threshold of 0.5). We will see how this gives you the flexibility to make any desired trade-off between false positive and false negative classifications while avoiding problems created by rebalancing the data.

We will use the <u>credit card fraud identification data set</u> from Kaggle to illustrate. Each row of the data set represents a credit card transaction, with the target variable Class==0 indicating a *legitimate* transaction and Class==1 indicating that the transaction turned out to be a *fraud*. There are 284,807 transactions, of which only 492 (0.173%) are frauds — very imbalanced indeed.

We will use a *gradient boosting* classifier because these often give good results. Specifically Scikit-Learn's new HistGradientBoostingClassifier because it is much faster than their original GradientBoostingClassifier when the data set is relatively large like this one.

First let's import some libraries and read in the data set.

```
import numpy as np
import pandas as pd
from sklearn import model_selection, metrics
from sklearn.experimental import enable_hist_gradient_boosting
from sklearn.ensemble import HistGradientBoostingClassifier
df=pd.read_csv('creditcard.csv')
df.info()
```

<class 'pandas.core.frame.DataFrame'> RangeIndex: 284807 entries, 0 to 284806 Data columns (total 31 columns): Column Non-Null Count Dtype -----____ 284807 non-null float64 0 Time 284807 non-null float64 1 ٧1 2 V2 284807 non-null float64 284807 non-null float64 3 ٧3 ٧4 284807 non-null float64 28/1807 non-null flas+64



```
Z0400/ 11011-11U11
    ۷o
                             1109104
0
9
    V9
            284807 non-null
                             float64
10
    V10
            284807 non-null
                             float64
11
   V11
            284807 non-null
                             float64
12
            284807 non-null
                             float64
    V12
13
   V13
            284807 non-null float64
                             float64
14 V14
            284807 non-null
            284807 non-null float64
15
   V15
            284807 non-null
                             float64
16 V16
17
    V17
            284807 non-null
                             float64
18
   V18
            284807 non-null
                             float64
19 V19
            284807 non-null
                             float64
20 V20
            284807 non-null
                             float64
                             float64
21
   V21
            284807 non-null
22 V22
            284807 non-null float64
23
   V23
            284807 non-null
                             float64
24 V24
            284807 non-null
                             float64
25 V25
            284807 non-null float64
            284807 non-null
                             float64
26 V26
27 V27
            284807 non-null
                             float64
28 V28
            284807 non-null
                             float64
29
    Amount
            284807 non-null
                             float64
   Class
            284807 non-null
                             int64
dtypes: float64(30), int64(1)
memory usage: 67.4 MB
```

V1 through V28 (from a principal components analysis) and the transaction Amount are the features, which are all numeric and there is no missing data. Because we are only using a tree-based classifier, we don't need to standardize or normalize the features.

We will now train the model after splitting the data into train and test sets. This took about half a minute on my laptop. We use the n_iter_no_change to stop the training early if the performance on a validation subset starts to deteriorate due to overfitting. I separately did a little bit of hyperparameter tuning to choose the learning_rate and max_leaf_nodes, but this is not the focus of the present article.



Now we apply this model to the test data as the default *hard-classifier*, predicting 0 or 1 for each transaction. We are implicitly applying decision threshold 0.5 to the model's continuous *probability prediction* as a *soft-classifier*. When the probability prediction is over 0.5 we say "1" and when it is under 0.5 we say "0".

We also print the *confusion matrix* for the result, considering Class 1 (fraud) to be the "positive" class, by convention because it is the rarer class. The confusion matrix shows the number of True Negatives, False Positives, False Negatives, and True Positives. The *normalized confusion matrix* rates (e.g. FNR = False Negative Rate) are included as percentages in parentheses.

Pred 0(Approve as Legit) Pred 1(Deny as Fraud) True 0(Legit) TN = 85285 (TNR = 99.99%) FP = 10 (FPR = 0.01%) True 1(Fraud) FN = 42 (FNR = 28.38%) TP = 106 (TPR = 71.62%)

We see that the Recall for Class 1 (a.k.a. Sensitivity or True Positive Rate shown as TPR above) is only 71.62%, meaning that 71.62% of the true frauds are correctly identified as frauds and thus denied. So 28.38% of the true frauds are unfortunately approved as if legitimate.

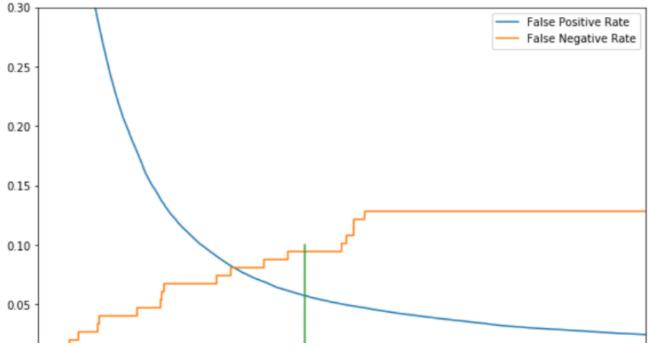
Especially with imbalanced data (or generally any time false positives and false negatives may have different consequences), it's important not to limit ourselves to



fraud losses (reduce false negatives). To do this, we can reduce the threshold for which we say "Class 1" when we predict a probability above the threshold. This way we say "Class 1" for a wider range of predicted probabilities. Such strategies are known as *threshold-moving*.

Ultimately it is a business decision to what extent we want to reduce these False Negatives since as a trade-off the number of False Positives (true legitimate transactions rejected as frauds) will inevitably increase as we adjust the threshold that we apply to the model's probability prediction (obtained from ".predict_proba()" instead of ".predict()").

To elucidate this trade-off and help us choose a threshold, we plot the False Positive Rate and False Negative Rate against the Threshold. This is a variant of the *Receiver Operating Characteristic* (ROC) curve, but emphasizing the threshold.





Although there exist some rules of thumb or proposed metrics for choosing the optimal threshold, ultimately it depends solely on the cost to the business of false negatives vs. false positives. For example, looking at the plot above, we might choose to apply a threshold of 0.00035 (vertical green line has been added) as follows.

```
hardpredtst_tuned_thresh = np.where(predtst >= 0.00035, 1, 0)
conf matrix(ytest, hardpredtst tuned thresh)
```

	Pred 0(Approve as Legit)	Pred 1(Deny as Fraud)
True 0(Legit)	TN = 80388 (TNR = 94.25%)	FP = 4907 (FPR = 5.75%)
True 1(Fraud)	FN = 14 (FNR = 9.46%)	TP = 134 (TPR = 90.54%)

We have reduced our False Negative Rate from 28.38% down to 9.46% (i.e. identified and denied 90.54% of our true frauds as our new Recall or Sensitivity or True Positive Rate or TPR), while our False Positive Rate (FPR) has increased from 0.01% to 5.75% (i.e. still approved 94.25% of our legitimate transactions). It might well be worth the trade-off to us of denying about 6% of the legitimate transactions as the price we pay in order to approve only less than 10% of the fraudulent transactions, down from a very costly 28% of the frauds when we were using the default hard-classifier with an implicit classification decision threshold of 0.5.

Reasons not to balance your imbalanced data

One reason to avoid "balancing" your imbalanced training data is that such methods bias/distort the resulting trained model's probability predictions so that these become *miscalibrated*, by systematically increasing the model's predicted probabilities of the original minority class, and are thus reduced to being merely relative *ordinal discriminant scores* or *decision functions* or *confidence scores* rather than being potentially accurate predicted class probabilities in the original ("imbalanced") train and test set and future data that the classifier may make predictions on. In the event that such rebalancing for training *is* truly needed, but numerically-accurate probability predictions are still desired, one would then have to *recalibrate* the predicted probabilities to a data set having the original/imbalanced class proportions.



Another problem with balancing your data by oversampling (as opposed to class-dependent instance weighting which doesn't have this problem) is that it biases naïve cross-validation, potentially leading to excessive overfitting that is not detected in the cross-validation. In cross-validation, each time the data gets split into a "fold" subset, there may be instances in one fold that are duplicates of, or were generated from, instances in another fold. Thus the folds are not truly independent as cross-validation assumes — there is data "bleed" or "leakage". For example see <u>Cross-Validation for Imbalanced Datasets</u> which describes how you could re-implement cross-validation correctly for this situation. However, in scikit-learn, at least for the case of oversampling by instance duplication (not necessarily SMOTE), this can alternatively be worked around by using *model_selection.GroupKFold* for cross-validation, which groups the instances according to a selected group identifier that has the same value for all duplicates of a given instance — see <u>my reply</u> to a response to the aforelinked article.

Conclusion

Instead of naïvely or implicitly applying a default threshold of 0.5, or immediately retraining using re-balanced training data, we can try using the original model (trained on the original "imbalanced" data set) and simply plot the trade-off between false positives and false negatives to choose a threshold that may produce a desirable business result.

Please leave a response if you have questions or comments, or read others' responses and my replies: tap the Response speech bubble \square (actually a round one) down below next to the Clap (applause) icon.

Edit: Why does rebalancing your training data "work" even if the only real "problem" was that the default 0.5 threshold wasn't appropriate?

The average probability prediction produced by your model will approximate the proportion of training instances that are class 1, because this is the average actual value of the target class variable (which has values of 0 and 1). The same is true in regression: the average predicted value of the target variable is expected to approximate the average actual value of the target variable. When the data is highly imbalanced and class 1 is the minority class, this average probability prediction will be much less than 0.5 and the vast majority of predictions of the probability of class 1 will



instances will be *above* a default threshold of 0.5 as well as many below — the predicted classes will be more balanced. So instead of reducing the threshold so that more often the probability predictions are above it and give class 1 (minority class), rebalancing increases the the predicted probabilities so that more often the probability predictions will be above the default threshold of 0.5 and give class 1.

If you want to get similar (not identical) results to those of rebalancing, without actually rebalancing or reweighting the data, you could try simply setting the threshold equal to the average or median value of the model's predicted probability of class 1. But of course this won't necessarily be the threshold that provides the optimal balance between false positives and false negatives for your particular business problem, nor will rebalancing your data and using a threshold of 0.5.

It is possible that there are situations and models where rebalancing the data will materially improve the model beyond merely moving the average predicted probability to equal the default threshold of 0.5. But the mere fact that the model chooses the majority class the vast majority of the time when using the default threshold of 0.5 does not in itself support a claim that rebalancing the data will accomplish anything beyond making the average probability prediction equal to the threshold. If you want the average probability prediction to be equal to the threshold, you could simply set the threshold equal to the average probability prediction, without modifying or reweighting your training data in order to distort the probability predictions.

Edit: Note about confidence scores vs. probability predictions

If your classifier doesn't have a predict_proba method, e.g. support vector classifiers, you can just as well use its decision_function method in its place, producing an *ordinal discriminant score* or *confidence score* model output which can be thresholded in the same way even if it is *not* interpretable as a *probability prediction* between 0 and 1. Depending on how a particular classifier model calculates its confidence scores for the two classes, it *might* sometimes be necessary, instead of applying the threshold directly to the confidence score of class 1 (which we did above as the predicted probability of class 1 because the predicted probability of class 0 is simply one minus that), to alternatively apply the threshold to the *difference* between the confidence score for class 0 and that for class 1, with the default threshold being 0 for the case where the cost of a false positive is assumed to be the same as that of a false negative. This article assumes a two-class classification problem.



Sign up for The Variable

By Towards Data Science

Every Thursday, the Variable delivers the very best of Towards Data Science: from hands-on tutorials and cutting-edge research to original features you don't want to miss. <u>Take a look.</u>

Get this newsletter Emails will be sent to stollch94@gmail.com.

Not you?

Machine Learning Imbalanced Data Threshold Moving Confidence Score Oversampling

About Write Help Legal

Get the Medium app



