

# Homework 9

*Christophe Hunt*

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## 1 Page 385: problem 1 a

Using the definition provided for the movement diagram, determine whether the following zero-sum games have a pure strategy Nash equilibrium. If the game does have a pure strategy Nash equilibrium, state the Nash equilibrium. Assume the row player is maximizing his payoffs which are showing in the matrices below.

		Colin	
		C1	C2
Rose	R1	10	10
	R2	5	0

## 2 Page 385: problem 1 c

Using the definition provided for the movement diagram, determine whether the following zero-sum games have a pure strategy Nash equilibrium. If the game does have a pure strategy Nash equilibrium, state the Nash equilibrium. Assume the row player is maximizing his payoffs which are showing in the matrices below.

		Colin	
		C1	C2
Rose	R1	1/2	1/2
	R2	1	0

## 3 Page 404: problem 2 a

For problems a-g build a linear programming model for each player's decisions and solve it both geometrically and algebraically. Assume the row player is maximizing his payoffs which are showing in the matrices below.

		Colin	
		C1	C2
Rose	R1	10	10
	R2	5	0

## 4 Page 413: problem 3

We are considering three alternatives A, B, and C under states of nature 1, 2, 3, and 4, set up and solve both the investor's and nature's game:

States of Nature				
Investor's choices Alternatives	Condition #1	Condition #2	Condition #3	Condition #4
A	1100	900	400	300
B	850	1500	1000	500
C	700	1200	500	900

## 5 Page 420: problem 1

In the following problems, use the maximin and minimax method and movement diagram to determine if any pure strategy solution exist. Assume the row player is maximizing his payoffs which are shown in the matrices below.

		Colin	
		C1	C2
Rose	R1	10	10
	R2	5	0

## 6 Page 428: problem 3

Using the alternative methods (a) equating expected value and (b) methods of oddments to find the solutions to the following games. Assume the row player is maximizing his payoffs which are shown in the matrices below.

		Colin	
		C1	C2
Rose	R1	0.5	0.3
	R2	0.6	1

## 7 Page 440: problem 2

Use movements diagrams to find all the stable outcomes in Problems 1 through 5. Then use strategic moves (using Table 10.2) to determine if Rose can get a better outcome.

		Colin	
		C1	C2
Rose	R1	(1,2)	(3,1)
	R2	(2, 4)	(4, 3)

## 8 Page 454: problem 3