

# Learning and Forgetting: The Dynamics of Aircraft Production

C. Lanier Benkard

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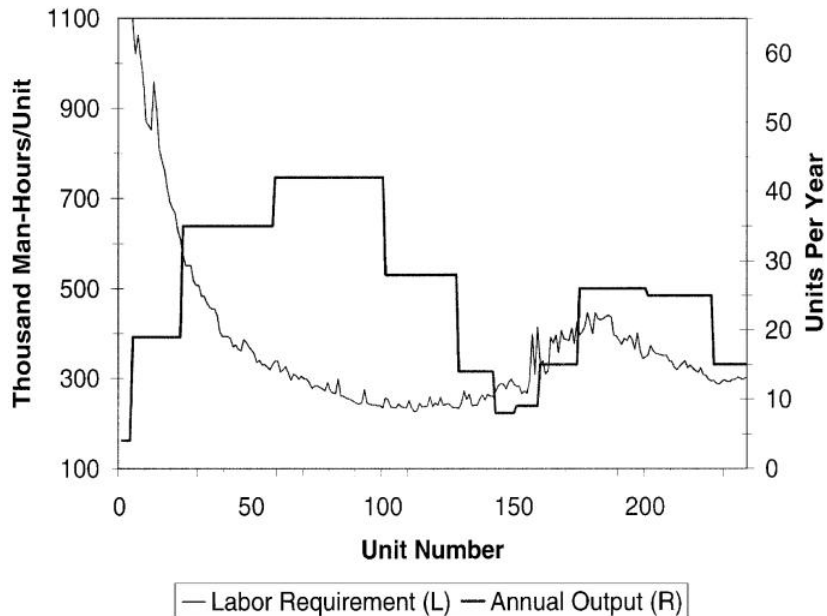
# Overview

- Well-documented process of learning in organizations as they increase production over time.
- But do organizations also *forget* over time?
- Benkard looks at detailed data on aircraft production at Lockheed from 1970–1984, and estimates a variety of production functions to see which one fits best.
  - Also looks at imperfect spillovers across models.

## Definition (Organizational Forgetting)

The hypothesis that the firm's production experience depreciates over time.

## Data (Motivation)



# Industry Overview

- Unlike military contracts, highly volatile demand/output for commercial planes.
- Reasonable amounts of competition; firms compete for customers by offering customizable options (in this case another model type).
- Labor heavily unionized, and seniority structure leads to very high turnover (extra scope for retraining and forgetting).

## Model of Production

$$q = \min(G(L, E, \bar{K}, S, \varepsilon), H(M, E, \bar{K}, S, \nu)) \quad (\text{Leontief})$$

- $E$  is experience (the main focus in the paper)
- $S$  is line speed (endogenous)
- $\varepsilon$  is a productivity shock to labor
- $\nu$  is a productivity shock to materials
- Will talk about  $G(\cdot)$  and  $H(\cdot)$  later

Recall that unit production is very low, so  $E$  changes meaningfully for each unit, and it's not crazy to think firms are adjusting variable inputs for each unit.

# Experience

$$E_i = E_{i-1} + 1; \quad E_1 = 1 \quad (\text{baseline})$$

$$E_i = \delta E_{i-1} + q_{t-1} \quad (\text{with forgetting})$$

$$E_i = \begin{cases} E_{1,t} & : i \in \{-1, -100, -200\} \\ E_{500,t} & : i = -500 \end{cases} \quad (\text{inc. spillovers})$$

$$E_{1,t} = \delta E_{1,t-1} + q_{1,t-1} + \lambda q_{500,t-1}$$

$$E_{500,t} = \delta E_{500,t-1} + \lambda q_{1,t-1}$$

- $\lambda$  is the experience spillover parameter
- $\delta = 1$  and  $\lambda = 1$  recovers the baseline case

# Estimation

- Estimation via GMM; need instruments for line speed and experience
- Line speed should be correlated with current output; experience should be correlation with recent output
- Benkard uses current and lagged demand and cost shifters
- **Demand Shifters:** Various world GDP measures, oil price, time trend
- **Cost Shifters:** World aluminum price and U.S. manufacturing wage

# Results (no forgetting)

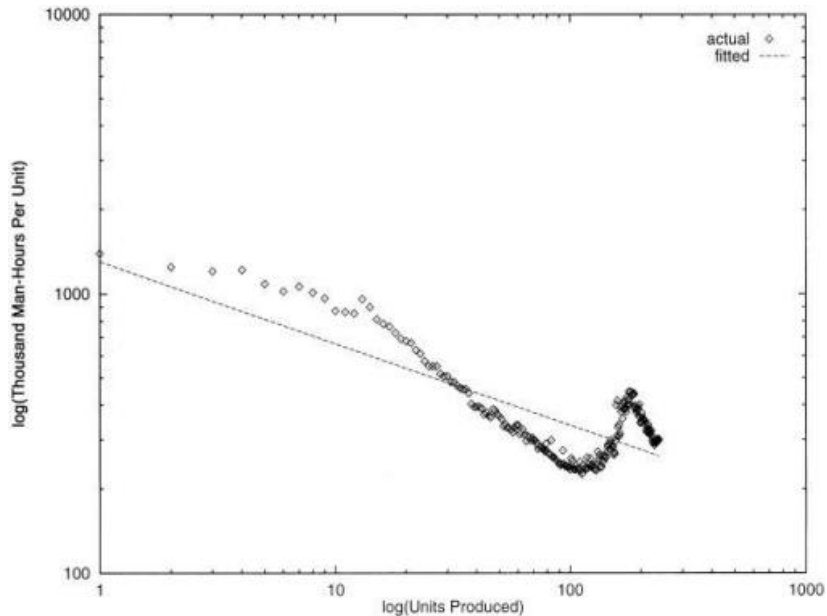
TABLE 1—TRADITIONAL LEARNING MODEL REGRESSIONS

	$\ln A$	$\theta$	$\gamma_0$	$\gamma_1$	Time	Adj. +	Adj. -	SSR	$\rho_e$	L.R.
Basic regressions										
1. Units 1–112	7.90 (0.06)	-0.51 (0.01)	—	—	—	—	—	1.36	0.73 (0.04)	30%
2. Units 1–238	7.16 (0.08)	-0.29 (0.02)	—	—	—	—	—	15.0	0.97 (0.02)	18%
Line speed										
3.	6.51 (0.21)	-0.35 (0.02)	0.95 (0.17)	-0.20 0.03	—	—	—	11.0	0.92 (0.03)	21%
Calendar time										
4.	6.03 (0.15)	-1.08 (0.04)	-0.04 (0.13)	0.004 (0.025)	1.16 (0.07)	—	—	5.4	0.56 (0.04)	53%
Adjustment cost										
5.	6.75 (0.26)	-0.31 (0.03)	0.67 (0.25)	-0.16 (0.05)	—	0.07 (0.03)	-0.04 (0.02)	15.8	0.43 (0.06)	19%
$N = 238$ $TSS = 33.7$										

*Notes:* All regressions are 2SLS. Instruments ( $Z_t$ ) are present and lagged demand shifters (various world GDP measures, the price of oil, and a time trend; see text) and present and lagged cost shifters (U.S. wage rate, aluminum price). L.R. is the implied learning rate.



## Results (no forgetting)



# Testing the Production Function

TABLE 2—TRADITIONAL LEARNING MODEL REGRESSIONS: INPUT PRICES AND DISECONOMIES OF SCOPE

	$\ln A$	$\theta$	$\gamma_0$	$\gamma_1$	Wage	$P_{AL}$	$P_{oil}$	Scope	$SSR$	$\rho_e$	L.R.
Diseconomies of scope											
6.	7.35 (0.10)	-0.49 (0.01)	0.49 (0.08)	-0.10 (0.02)	—	—	—	0.55 (0.02)	2.4	0.70 (0.04)	29%
Oil price											
7.	5.88 (0.21)	-0.54 (0.03)	1.36 (0.17)	-0.27 (0.03)	—	—	0.27 (0.04)	—	9.3	0.83 (0.04)	32%
Input prices											
8.	-15.9 (3.37)	-0.52 (0.03)	0.45 (0.18)	-0.09 (0.03)	8.68 (1.32)	0.50 (0.09)	—	—	10.0	0.81 (0.04)	30%
$N = 238$	$TSS = 33.7$										

Notes: All regressions are 2SLS. Instruments ( $Z_i$ ) are present and lagged demand shifters (various world GDP measures, the price of oil, and a time trend; see text) and present and lagged cost shifters (U.S. wage rate, aluminum price). L.R. is the implied learning rate.

- (6) tests diseconomies of scope (plausible)
- (7–8) test for Cobb-Douglas (sign on wage is wrong)
- Can we do better than just a scope dummy?

# Fitting the General Learning Model

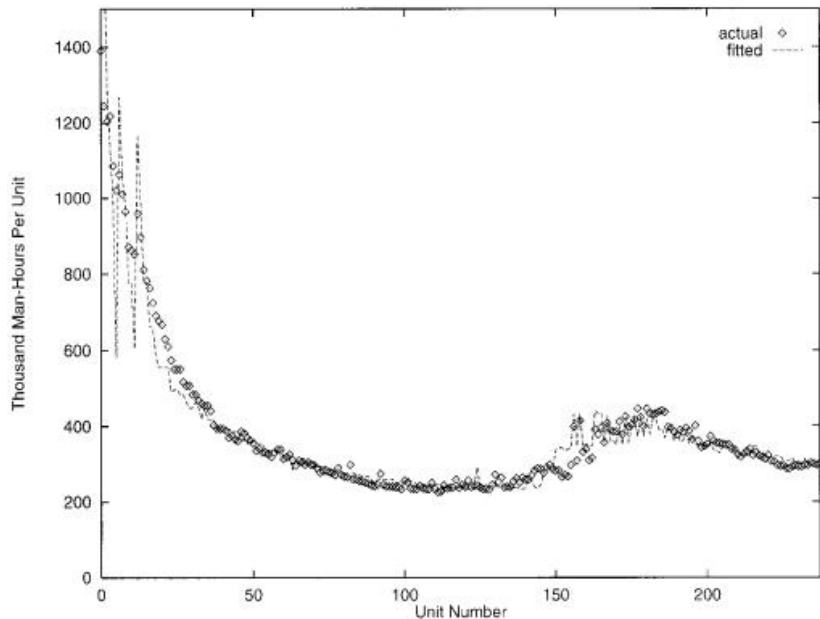
TABLE 3—GENERAL LEARNING MODEL REGRESSIONS

	$\ln A$	$\theta$	$\gamma_0$	$\delta$	$\lambda$	$SSR$	GMM(p)	$\rho_e$	L.R.
OF only									
9. [ $S_N^* = 9.3$ ]	7.63 (0.01)	-0.65 (0.02)	0.14 (0.12)	0.952 (0.003)	—	2.9	0.60	0.51 (0.05)	36%
Spillovers									
10. [ $S_N^* = 6.9$ ]	7.73 (0.01)	-0.63 (0.03)	0.11 (0.17)	0.960 (0.003)	0.70 (0.07)	2.3	0.62	0.45 (0.05)	36%
$N = 238$	$TSS = 33.7$								

Notes: All regressions in this table use the HAC-IV method described in the text. Instruments ( $Z_i$ ) are present and lagged demand shifters (various world GDP measures, the price of oil, and a time trend; see text) and present and lagged cost shifters (U.S. wage rate, aluminum price).  $S_N^*$  is the optimal bandwidth used in estimating the GMM covariance and optimal weight matrices. L.R. is the implied learning rate.

- Adding depreciation causes SSR to fall  $12.9 \rightarrow 2.9$ , and  $\delta \neq 1$
- Adding the spillover parameter  $\lambda$  increases  $\delta$ 
  - This accounts for some of the confounding effects of the introduction of the  $-500$  series

# Fitting the General Learning Model



# General Learning Model

- Fits both halves of the data
- Outperforms the diseconomies of scope model from unit 140 onwards
  - Captures –500 production becoming less efficient, and the increasing labor requirements for –1 planes
- Implied depreciation rate  $\delta = 0.96$  means that a firm “forgets” 39% of its knowledge in a year
  - Note that the definition of forgetting is very specific—it’s only looking at a narrow type of human capital
- Allowing for depreciation increases the learning rate to 35%–40%
- $\lambda$  is always significant and never equal to 1; reject perfect spillovers

# Results

Take  $\lambda = 0.70$  and  $\theta = 0.63$

- The first  $-500$  required 25% more labor than a  $-1$
- Producing both  $-500$ s and  $-1$ s in similar numbers would have increased labor requirements by 11%
- Introducing a similar model can cause a setback in learning and an increase in variable costs
- Simultaneous production of multiple models can be meaningfully more expensive (without accounting for R&D)

# Takeaways

- Production dynamics in the airplane manufacturing industry are *not* smooth; they're actually pretty complex.
- So far, we have only seen forgetting in industries that produce labor intensive products, with a lot of learning at the individual level, and high turnover.
  - Aircraft manufacturing, ship building, service franchises
  - Don't blindly start using this model everywhere
- **Stochastic interpretation:** estimating a stochastic learning model yields very similar results
  - Can think of learning as stochastic at the individual task level
  - Unit-level data, while still pretty granular, aggregates over this uncertainty so the model is approximately deterministic