[(1, 7, 2, 6), (4, 9, 5, 10), (2, 12, 3, 11), (7, 13, 8, 12), (18, 13, 1, 14), (3, 17, 4, 16), (5, 14, 6, 15), (8, 18, 9, 17), (10, 15, 11, 16)]

Optimal pinning sets:

- A) \bullet {10, 9, 6, 2}
- B) {8, 1, 3, 4}

Minimal pinning sets:

- a) {10, 8, 6, 11, 2, 7}
- b) {8, 6, 5, 11, 2, 9}
- c) $\{10, 8, 5, 9, 2, 7\}$

- d) {8, 11, 5, 4, 2, 1}
- e) $\{10, 6, 3, 9, 4, 1\}$
- f) {8, 11, 3, 4, 2, 7}
- g) $\{8, 3, 5, 2, 1, 7\}$
- h) {8, 6, 11, 4, 2}
- i) {8, 11, 5, 2, 7}
- j) {8, 9, 5, 2, 1}
- k) {10, 8, 3, 2, 7}

Number of minimal pinning sets: 13 Number of total pinning sets: 395 Pinning number: 4

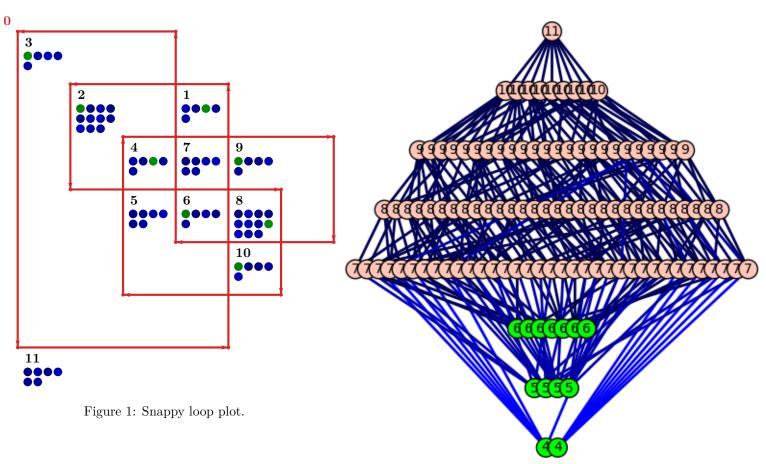


Figure 2: Minimal join semilattice of pinning sets.

8_3

0

Optimal pinning sets:

• {9,7,6,1,3,2}

Number of minimal pinning sets: 1 Number of total pinning sets: 16

Pinning number: 6

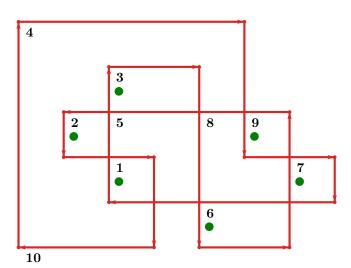


Figure 3: Snappy loop plot.



Figure 4: Minimal join semilattice of pinning sets.

Input PD code or string to snappy (use to reproduce the drawing):

3_1
Optimal pinning sets:

1

2

•

1

3

4

•

Figure 5: Snappy loop plot.

A)

• $\{4,1,2\}$ Number of minimal pinning sets: 1

Number of total pinning sets: 4

Pinning number: 3

Figure 6: Minimal join semilattice of pinning sets.

 $[(1,\,7,\,2,\,6),\,(3,\,8,\,4,\,9),\,(5,\,11,\,6,\,10),\,(16,\,12,\,1,\,11),\,(2,\,13,\,3,\,14),\,(4,\,16,\,5,\,15),\,(7,\,12,\,8,\,13),\,(9,\,15,\,10,\,14)]$

Optimal pinning sets:

- A) $\{9,7,1,3,5\}$
- B) $\{8, 10, 1, 3, 5\}$
- C) $\{8,7,1,3,4\}$
- D) $\{9,7,1,3,4\}$
- E) $\{9, 8, 2, 4, 5\}$

- F) $\{9, 7, 2, 6, 4\}$
- G) $\{9, 8, 2, 3, 5\}$
- H) $\{9,7,2,3,5\}$
- I) $\{8,7,2,1,4\}$
- $J) \quad \bullet \quad \{8, 2, 1, 4, 5\}$

Number of minimal pinning sets: 10 Number of total pinning sets: 160 Pinning number: 5

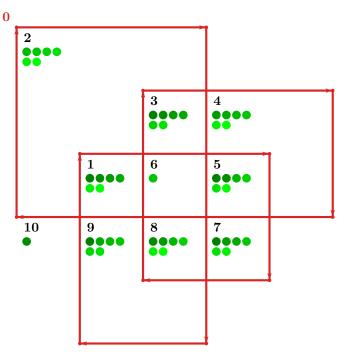


Figure 7: Snappy loop plot.

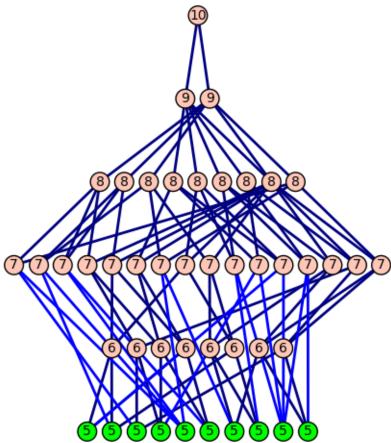


Figure 8: Minimal join semilattice of pinning sets.

 $\begin{array}{l} [(24,\,6,\,1,\,5),\,(3,\,10,\,4,\,11),\,(1,\,13,\,2,\,12),\,(6,\,14,\,7,\,13),\\ (2,\,17,\,3,\,18),\,(8,\,15,\,9,\,16),\,(11,\,19,\,12,\,18),\,(4,\,20,\,5,\,19),\\ (7,\,23,\,8,\,22),\,(9,\,20,\,10,\,21),\,(14,\,24,\,15,\,23),\,(16,\,21,\,17,\,22)] \end{array}$

Optimal pinning sets:

- A) $\{8, 4, 13, 9, 2\}$
- B) {7, 6, 1, 11, 3}
- C) $\{6, 8, 1, 9, 2\}$
- D) $\{7, 6, 1, 9, 2\}$

Minimal pinning sets:

- a) $\{7, 6, 4, 13, 2, 9\}$
- b) {7, 8, 4, 13, 2, 11}
- c) {7, 6, 4, 13, 2, 11}
- d) {6, 8, 5, 13, 2, 9}
- e) $\{7, 6, 5, 13, 2, 9\}$
- f) {7, 6, 5, 13, 2, 11}

- g) $\{7, 8, 1, 4, 3, 11\}$
- h) {8, 4, 1, 11, 3, 9}
- i) {6, 8, 1, 11, 3, 9}
- j) {8, 4, 1, 9, 3, 12}
- k) {6, 8, 1, 9, 3, 12}
- (0,0,-,0,0,--
- 1) $\{7, 6, 1, 9, 3, 12\}$
- $m) \qquad \{14, 8, 1, 4, 2, 9\}$
- n) $\{7, 8, 1, 4, 2, 11\}$
- o) {7, 6, 1, 4, 2, 11}
- (1,0,1,4,2,11)
- p) $\{8, 4, 1, 11, 2, 9\}$
- q) {7,6,1,11,2,10} r) {8,4,1,9,2,12}
- s) {7, 6, 1, 5, 2, 11}

Number of minimal pinning sets: 23 Number of total pinning sets: 2400 Pinning number: 5

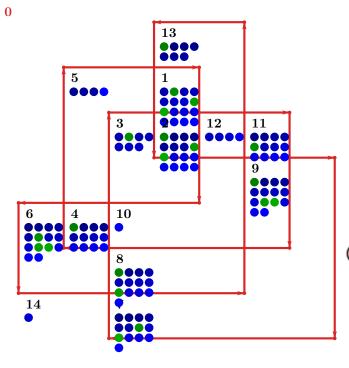


Figure 9: Snappy loop plot.

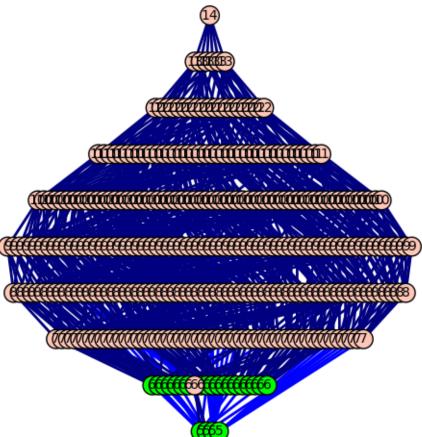


Figure 10: Minimal join semilattice of pinning sets.

4_1

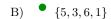
Optimal pinning sets:

A) $\{5, 2, 4, 1\}$

0

 $\mathbf{2}$ 1 •• 3

Figure 11: Snappy loop plot.



Number of minimal pinning sets: 2 Number of total pinning sets: 7 Pinning number: 4

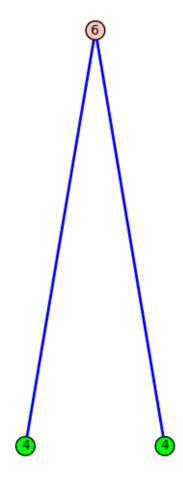


Figure 12: Minimal join semilattice of pinning sets.

 5_1

Optimal pinning sets:

A) \bullet $\{6,4,1,2,3\}$

Number of minimal pinning sets: 1 Number of total pinning sets: 4 Pinning number: 5

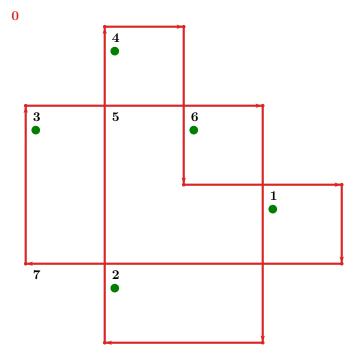


Figure 13: Snappy loop plot.



Figure 14: Minimal join semilattice of pinning sets.

9_24

Optimal pinning sets:

A) \bullet {10, 3, 5, 8, 1}

0

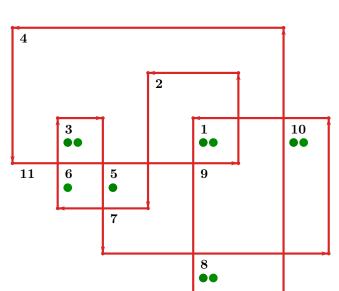
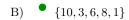


Figure 15: Snappy loop plot.



Number of minimal pinning sets: 2 Number of total pinning sets: 96

Pinning number: 5

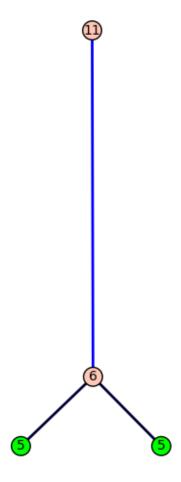


Figure 16: Minimal join semilattice of pinning sets.