

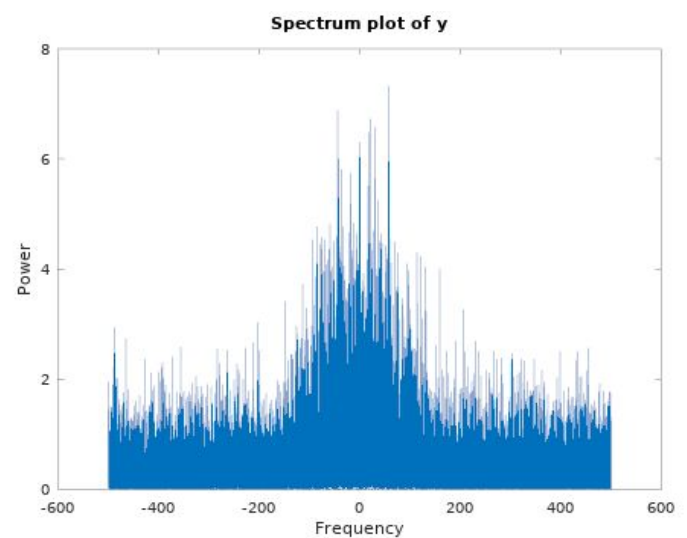
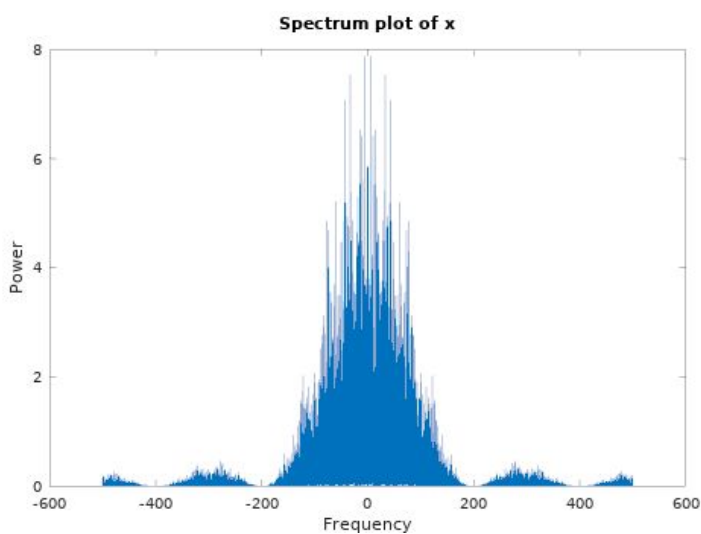
Advanced Topics In Telecommunication Systems

Homework 2 Report
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AEM: 2169

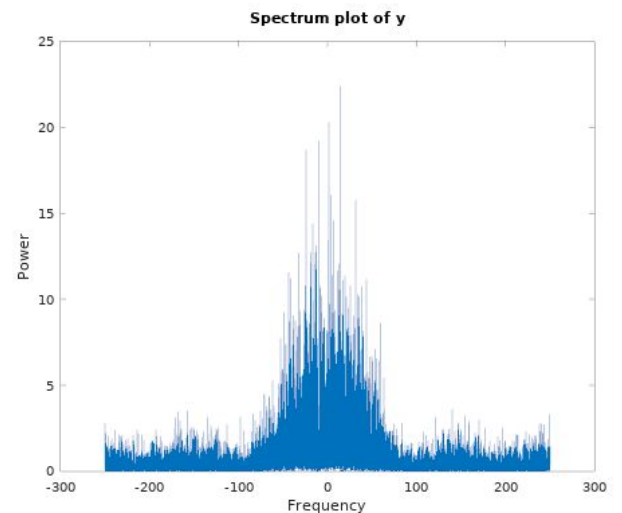
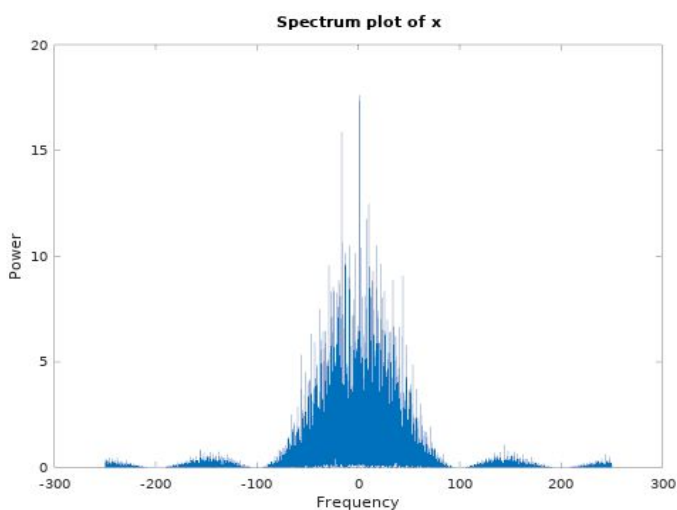
A)

The following plots depict the spectrum plots of signals x and y (in $y=x*h+w$) for BPSK and QPSK. In order to create these plots we had: $R_b = 1000$ bps, Number of bits = 5000, $os = 5$, $SNR_{dB} = 8$ and $T_{channel} = 1$ sec.

i) BPSK spectrum plots



ii) QPSK spectrum plots

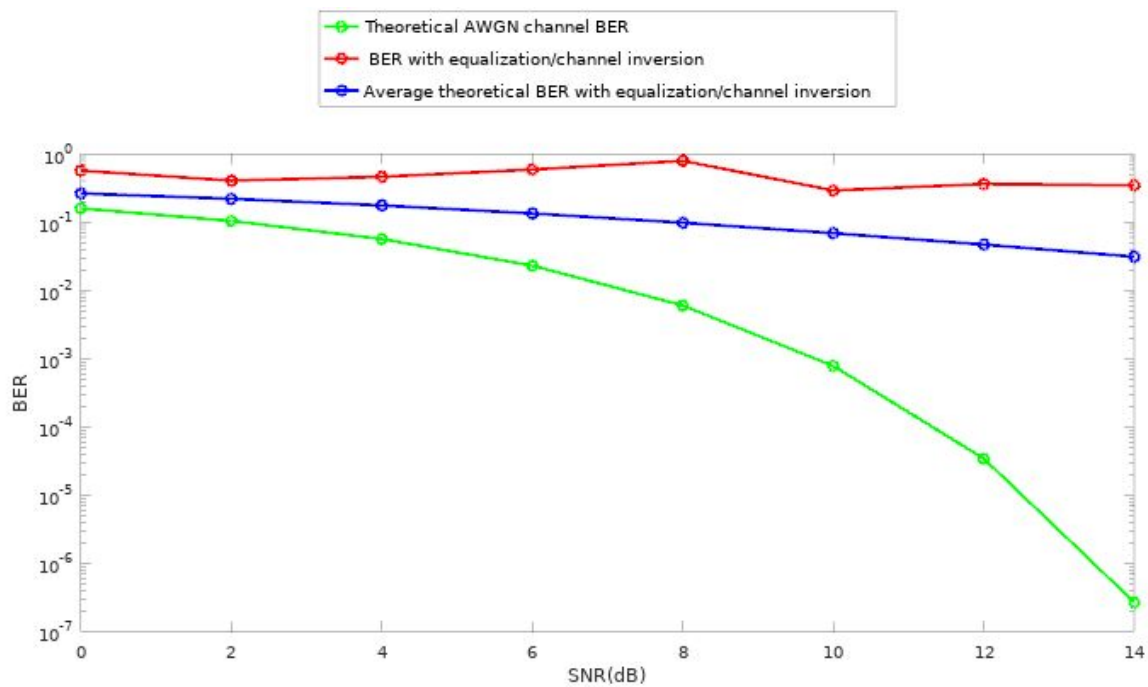


B)

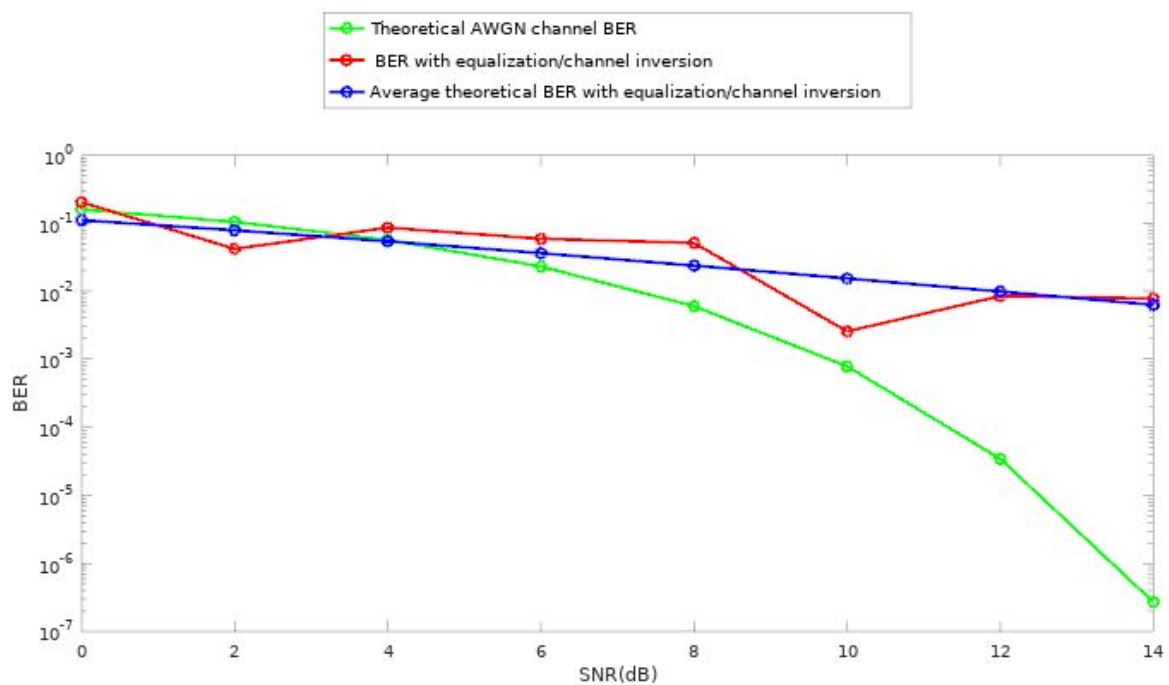
For the BER plots we use for the simulation the following values for the constants: $R_b = 1000$ bps, Number of bits = 9000, $\sigma_s = 1$ and $T_{\text{channel}} = 1$ sec.

The BER plots for the different SNR values are:

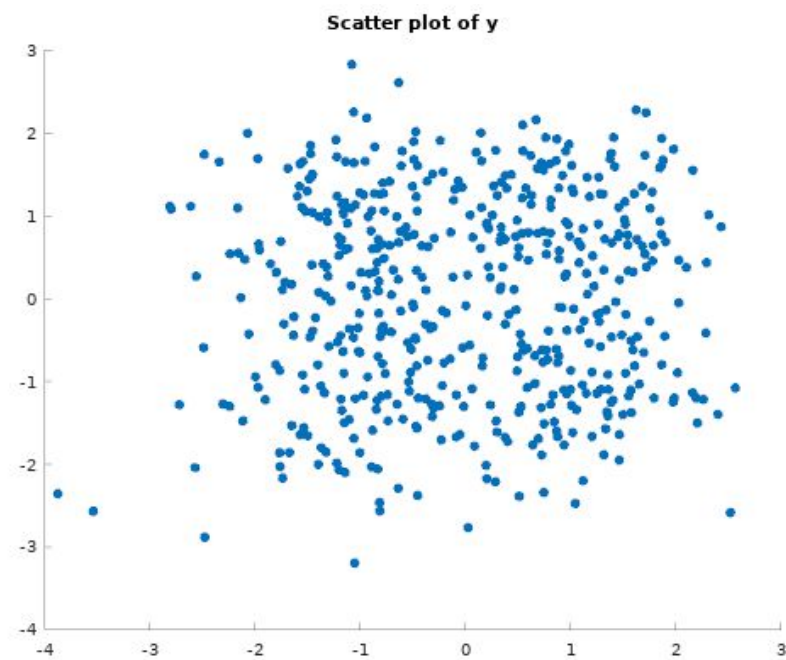
i) Without equalization



ii) With equalization

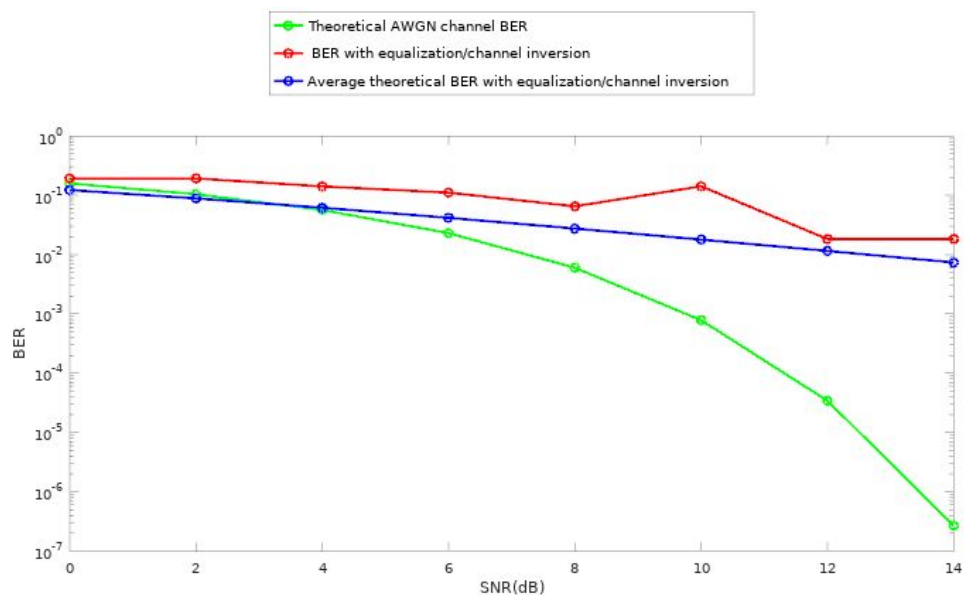


iii) Scatter plot of y for SNR_{db} = 12 and Number of bits = 1000 in BPSK:

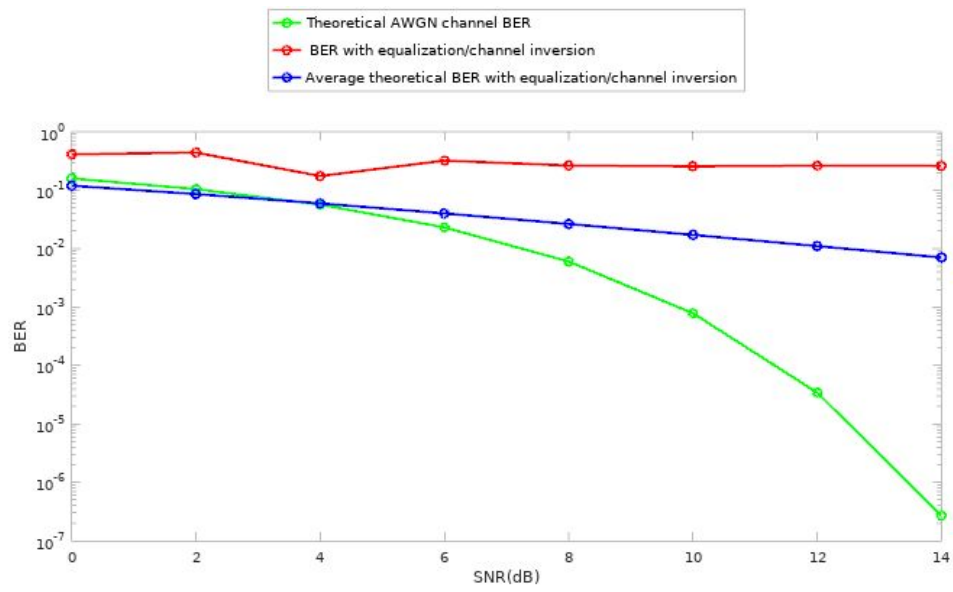


C) BER plots for different values of C (from $h' = h+C$ in the receiver's side)

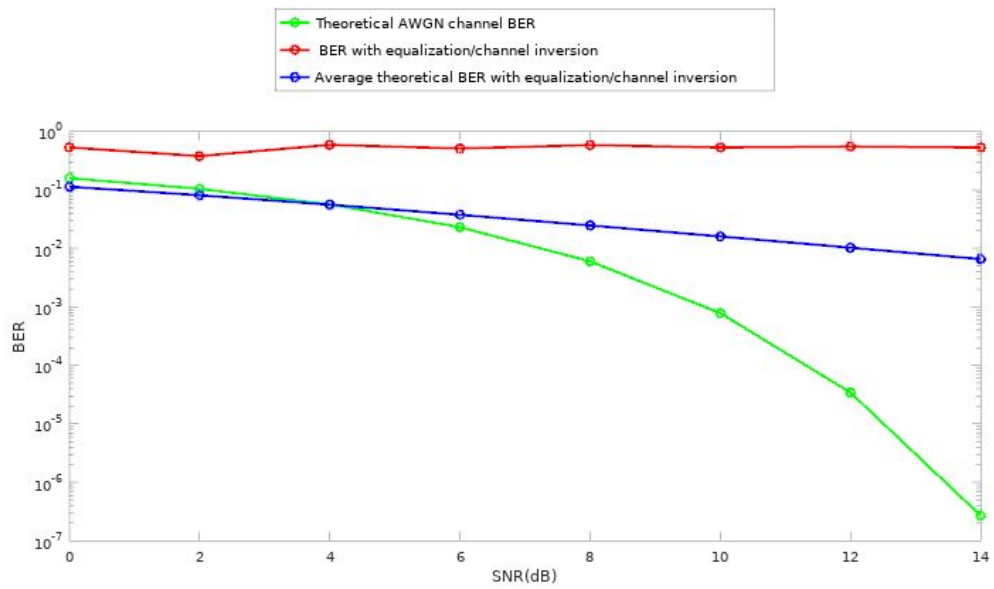
i) $C=0.1$



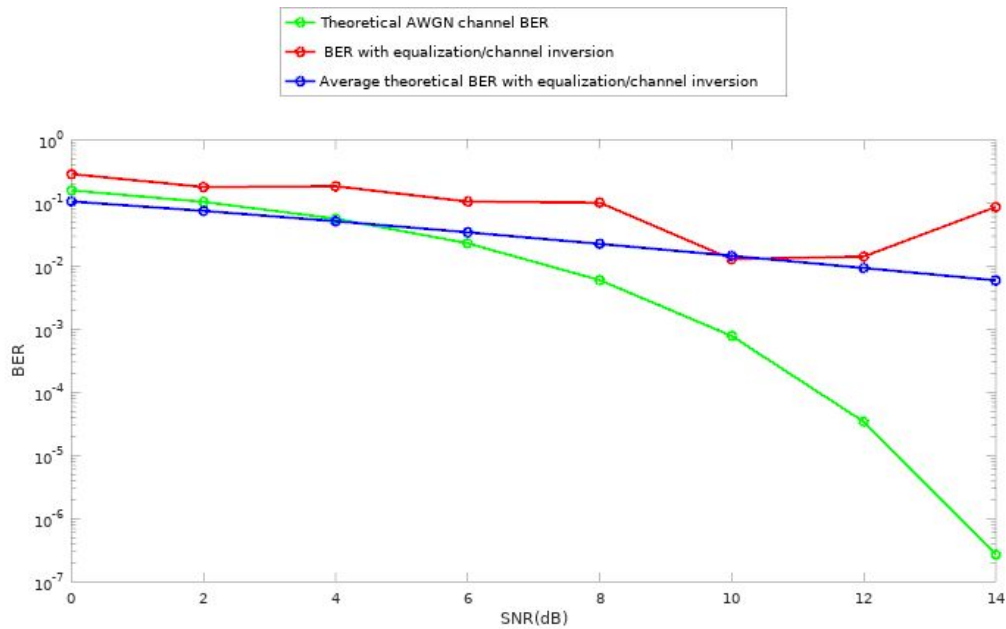
ii) C=1



iii) C= 10



iv) We know that our channel h is gaussian with mean=0. A new $h' = h+C$ is given to the receiver. We need to estimate the value of C in order for the receiver to obtain an estimation the real value of h . So we have: $E[h'] = E[h+C]$. C is a constant value so, $E[h'] = E[h]+C$. We know for our channel h , that mean=0 so $E[h] = 0$. Finally we get $E[h'] = C = \text{mean of values of } h'$. In order to obtain an estimation for h , we subtract the value C for every value of h' . A plot for $C=10$ using our method gives us the following BER plot:



D) For the specific plot of MRC simulation, we used 2 diversity branches, $T_{\text{channel}} = 1$, $R_b=1\text{Kbps}$, Number of bits(N) = 15000, $\text{os}=5$ and QPSK modulation.

