Exam 1 - Monday 29th into (not key [], int n, int v)

Mun 1 page of notice (2 sode of key [], int n, int v)

1 8.5"×11") utun fund; eT(n) = O(g(n)) = O(g(n)) $\int (n) = 5 \log_2(n)$  $T(n) = O(\log_2(n))$ 

lecture 10 Page

$$T(n) = O(\log(n))$$

$$f_{0} = L_{1} \cdot L_{2} \cdot L_{3} + L_{1} \cdot L_{4}$$

$$= O(n^{3})$$

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$$= \int_{0}^{\infty} (j=3) + \sum_{i=1}^{\infty} (j+1)$$

$$= \sum_{i=1}^{\infty} (j+1)$$

$$= \sum_{i=1}^{\infty} (j+1)$$

$$= \sum_{i=1}^{\infty} (2i+1)$$

$$= \sum_{i=1}^{\infty} (2i+1)$$

$$= \sum_{i=1}^{n} (2i) + \sum_{i=1}^{n} (1)$$

$$= 2 \left( \sum_{i=1}^{n} (i) + \sum_{i=1}^{n} (1) \right)$$

$$= 2 \left( \sum_{i=1}^{n} (n+1) + \sum_{i=1}^{n} (1) \right)$$

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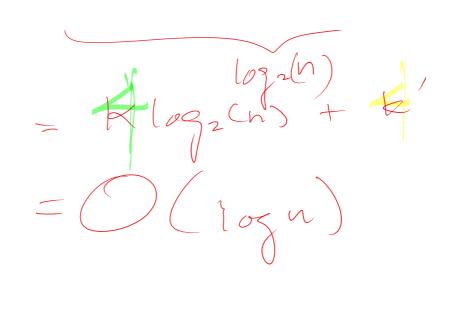
$$T(n) = K + K + T(n/4)$$

$$= K + K + K + T(n/4)$$

$$= K + K + K + T(n/4)$$

$$= K + K + K + K - K + K$$

$$= K + K + K - K + K$$



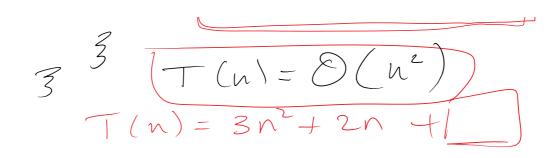
It (base case) start; 2/80 = Technology

void bubble (int kES, int n)

for (int v = 0; v < n', t++)

for (int j = 0; j < n-j-1; j++)

The supposition of the supposition



h2 bubble Sort (ky, n)

logn center bseench (key, n, 50);

contect bestach (ky, n, 20);

T(n) = O(n<sup>2</sup> + 266h)

- O(n<sup>2</sup>)