Email classification using Random forest trees and Linear Regression

In this project we will train a random forest algorithm and apply it a spambase dataset.

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0 - Problem description

Spam email is unsolicited and unwanted junk email that is sent out in bulk to an indiscriminate recipient list. Typically, spam is sent for commercial purposes. It can be sent in massive volumes using botnets, networks of infected computers. Apart from commercial purposes, spam email is sent for malicious purposes as well such as money scams and phishing attacks. Although the context of a spam email can vary significantly, there are some keywords that most of them use. The challenge is to accurately identify these emails so they can be filtered out before reaching the user's inbox.

Dataset description

We will make use of the following dataset:

Hopkins,Mark, Reeber,Erik, Forman,George, and Suermondt,Jaap. (1999). Spambase. UCI Machine Learning Repository. https://doi.org/10.24432/C53G6X. This dataset contains 4601 instances which makes it suitable for our classification task as it meets the requirement of having more than 300 samples per class. Furthermore, it has a well-defined task, that is to classify emails as spam or non-spam. This dataset contains:

- 48 continuous real [0,100] attributes of type word_freq_WORD = percentage of words in the
 e-mail that match WORD, i.e. 100 * (number of times the WORD appears in the e-mail) /
 total number of words in e-mail. A "word" in this case is any string of alphanumeric
 characters bounded by non-alphanumeric characters or end-of-string.
- 6 continuous real [0,100] attributes of type char_freq_CHAR] = percentage of characters in the e-mail that match CHAR, i.e. 100 * (number of CHAR occurrences) / total characters in

e-mail

- 1 continuous real [1,...] attribute of type capital_run_length_average = average length of uninterrupted sequences of capital letters
- 1 continuous integer [1,...] attribute of type capital_run_length_longest = length of longest uninterrupted sequence of capital letters
- 1 continuous integer [1,...] attribute of type capital_run_length_total = sum of length of uninterrupted sequences of capital letters = total number of capital letters in the e-mail
- 1 nominal {0,1} class attribute of type spam = denotes whether the e-mail was considered spam (1) or not (0), i.e. unsolicited commercial e-mail.

According to the UCI repository this data set has some missing values, however, we couldn't locate any after manually inspecting it.

Method

We are planning to use a random forest classification algorithm that creates a "forest" of random decision trees using random subsets of the data and features. More specifically, each tree in the forest makes an independent prediction, and the class with the majority vote becomes the model's prediction. This algorithm is robust to overfitting due to the averaging of results and the

1 - Packages

We will start by importing all the necessary packages for this project.

- scikit-learn is a library used for the random forest implementation.
- numpy is the fundamental package for scientific computing with Python.
- matplotlib is a famous library to plot graphs in Python.

```
In []:
    #Data visualization
    import pandas as pd
    import numpy as np
    import matplotlib.pyplot as plt
    import seaborn as sns

#Modeling
    from sklearn.ensemble import RandomForestClassifier
    from sklearn.metrics import accuracy_score, confusion_matrix, precision_score, recal:
    from sklearn.model_selection import RandomizedSearchCV, train_test_split
    from scipy.stats import randint

#Tree visualisation
    from sklearn.tree import export_graphviz
    from IPython.display import Image
```

2 - Dataset

We will be working with the spambase dataset provided by the UCI machine learning repository. This dataset has 57 features and 1 target. We start by checking the dataset for any missing values:

```
In []:
    data_file_path = 'dataset/spambase_data'
    names_file_path = 'dataset/column_names.txt'

with open(names_file_path, 'r') as file:
        column_names = [line.strip() for line in file if line.strip()]

column_names.append('is_spam')

data = pd.read_csv(data_file_path, header=None, names=column_names)

# Check for missing values
missing_values = data.isnull().sum()

# Print columns with missing values (if any)
columns_with_missing_values = missing_values[missing_values > 0]
print("\nColumns with missing values:")
print(columns_with_missing_values)
```

Columns with missing values: Series([], dtype: int64)

As you can see, the dataset has no missing values. Thus, we can move on by checking the balance of the dataset:

```
In [ ]:
    # Check for balance
    class_distribution = data['is_spam'].value_counts()
    print("\nClass distribution in 'is_spam':")
    print(class_distribution)

# Assessing the balance
    total_samples = len(data)
    balance_info = class_distribution / total_samples * 100
    print("\nPercentage distribution:")
    print(balance_info)

Class distribution in 'is_spam':
```

0 2788
1 1813
Name: is_spam, dtype: int64

Percentage distribution:
0 60.595523
1 39.404477
Name: is_spam, dtype: float64

From the code above, we can see that 60.60% of our emails are spam while the rest is non-spam (39.40%). While this dataset is not ideally balanced (50%-50% distribution) the difference is not

so large as to cause significant concerns and the random forest should perform reasonably well. However we will keep an eye on the F1-Score to ensure that the model is performing well across both classes. If it is evident that the model is not performing as intended, we will balance the dataset and try again.

3 - Loading data

Next, we load the dataset in the variables X_train, X_test, y_train, y_test. We use a common 80% - 20% data split to train and evaluate the model.

```
In []:
#Split the data into features (X) and target (y)
def load_data(filename):
    data = np.loadtxt(filename, delimiter=',')

X = data[:,:57]
y = data[:,57]
X_train, X_test, y_train, y_test = train_test_split(X,y,test_size=0.2, random_stareturn X_train, y_train, X_test, y_test

X_train, y_train, X_test, y_test = load_data("dataset/spambase_data")
```

Lets get more familiar with our dataset by printing out the first five elements of each variable and see what it contains

```
In []:
    #View variables
    print("First five elements in X_train are:\n", X_train[:5])
    print("Type of X_train:",type(X_train))
    print("First five elements in y_train are:\n", y_train[:5])
    print("Type of y_train:", type(y_train))
    print("\n")

    print("First five elements in X_test are:\n", X_test[:5])
    print("Type of X_test:",type(X_test))
    print("\n")

    print("First five elements in y_test are:\n", y_test[:5])
    print("Type of y_test:", type(y_test))
```

First five elements in X_train are:

[[9.000e-02 0.000e+00 9.000e-02 0.000e+00 3.900e-01 9.000e-02 9.000e-02 0.000e+00 1.900e-01 2.900e-01 3.900e-01 4.800e-01 0.000e+00 5.800e-01 0.000e+00 8.700e-01 1.900e-01 0.000e+00 1.660e+00 4.100e+00 1.660e+00 0.000e+00 3.900e-01 1.900e-01 0.000e+00 0.000e+

```
0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  7.900e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.240e-01
  1.240e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.800e+00 8.000e+00
 4.500e+01]
 [0.000e+00 0.000e+00 2.430e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 2.700e-01 0.000e+00 0.000e+00 2.160e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.700e-01 0.000e+00 1.620e+00
  0.000e+00 0.000e+00 0.000e+00 2.700e-01 5.400e-01 0.000e+00 0.000e+00
  2.700e-01 0.000e+00 0.000e+00 0.000e+00 2.700e-01 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.700e-01 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  3.440e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.319e+00 1.200e+01
  1.670e+02]
 [0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.310e+00 0.000e+00 1.310e+00
 1.310e+00 1.310e+00 1.310e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 1.310e+00 0.000e+00 1.310e+00 1.310e+00 3.940e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 1.170e-01 1.170e-01 0.000e+00 4.850e+01 1.860e+02
  2.910e+021
 [0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.360e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.360e+00 0.000e+00 5.470e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.360e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.307e+00 8.000e+00
 3.000e+0111
Type of X train: <class 'numpy.ndarray'>
First five elements in y_train are:
[1. 0. 0. 1. 0.]
Type of y train: <class 'numpy.ndarray'>
First five elements in X test are:
 [[0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.000e+00 1.000e+00
  3.000e+00]
 [7.100e-01 0.000e+00 7.100e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 7.100e-01 0.000e+00 1.430e+00 0.000e+00 0.000e+00
  0.000e+00 1.430e+00 0.000e+00 0.000e+00 1.430e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 1.430e+00 0.000e+00 0.000e+00 0.000e+00
  0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.032e+00 2.000e+00
  3.200e+01]
```

```
4.500e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.280e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 9.100e-01 9.100e-01 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 4.500e-01
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 1.320e+00 7.000e+00
          [0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 1.960e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 1.960e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          2.010e-01 0.000e+00 0.000e+00 1.000e-01 0.000e+00 4.548e+00 5.900e+01
          1.410e+02]
         [0.000e+00 0.000e+00 5.400e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 2.700e-01 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 3.290e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00 0.000e+00
          0.000e+00 2.700e-01 0.000e+00 2.700e-01 0.000e+00 5.400e-01 0.000e+00
          2.700e-01 0.000e+00 2.700e-01 2.700e-01 0.000e+00 0.000e+00 0.000e+00
          1.880e-01 4.700e-02 0.000e+00 0.000e+00 0.000e+00 1.745e+00 1.200e+01
          8.900e+0111
        Type of X_test: <class 'numpy.ndarray'>
        First five elements in y_test are:
         [0. 0. 0. 1. 0.]
        Another usefull way to get familiar with the dataset is to view its dimensions:
In [ ]:
         #Check dimensions of train sample
         print('The shape of X_train is:' + str(X_train.shape))
         print('The shape of y_train is:' + str(y_train.shape))
         print('We have m= %d training examples' % (len(y_train)))
         print("\n")
         #Check dimensions of test sample
         print('The shape of X_test is:' + str(X_test.shape))
         print('The shape of y_test is:' + str(y_test.shape))
         print('We have m= %d training examples' % (len(y_test)))
        The shape of X_train is:(3680, 57)
        The shape of y_train is:(3680,)
        We have m= 3680 training examples
        The shape of X_test is:(921, 57)
        The shape of y_test is:(921,)
        We have m= 921 training examples
```

[0.000e+00 0.000e+00 9.100e-01 0.000e+00 0.000e+00 0.000e+00 0.000e+00

4 - RF Model

Now, we can start implementing the random forest tree. The random_state doesnt affect the performance of the model. It ensures that the randomness in the process is consistent across different runs:

```
In [ ]:
    rf_classifier = RandomForestClassifier(random_state=42)
    rf_classifier.fit(X_train, y_train)
    y_pred = rf_classifier.predict(X_test)
```

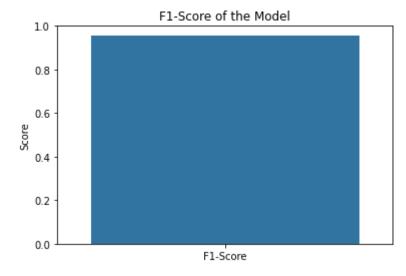
Once the model is trained, we can check its performance by computing the accuracy and the classification report which gives information regarding:

- Accuracy: Indicates the number of times the RF model was successful on predicting if an email is spam or not.
- Precision: Indicates how accurate the predictions are.
- Recall : Reflects the model's ability to find all the relevant instances in the dataset

0.94 0.98 0.98 0.92 0.0 0.96 531 1.0 0.95 390 921 accuracy 0.96 macro avg 0.96 0.95 0.95 921 weighted avg 0.96 0.96 0.96 921

Lets plot the F1-Score, since our dataset is a bit unbalanced, as well as the confusion matrix, to get a better idea of the performance of the model:

```
In [ ]:
         # Calculating F1-score
         f1 = f1_score(y_test, y_pred, average='weighted')
         # Plotting F1-score
         plt.figure(figsize=(6, 4))
         sns.barplot(x=['F1-Score'], y=[f1])
         plt.ylim(0, 1)
         plt.title('F1-Score of the Model')
         plt.ylabel('Score')
         plt.show()
         # Calculating confusion matrix
         conf_matrix = confusion_matrix(y_test, y_pred)
         # Plotting confusion matrix
         plt.figure(figsize=(8, 6))
         sns.heatmap(conf_matrix, annot=True, fmt='d', cmap='Blues', xticklabels=['Not Spam',
         plt.title('Confusion Matrix')
         plt.ylabel('Actual Label')
         plt.xlabel('Predicted Label')
         plt.show()
```



Confusion Matrix - 500

The weighted average F1-score is approximately 0.955, which indicates that the model has a good balance between precision and recall for the dataset, taking into account the number of instances for each class.

The confusion matrix provides a breakdown of the true positives, false positives, true negatives, and false negatives:

- True Non-Spam Predictions: 522
- False Spam Predictions (Type I error): 9
- False Non-Spam Predictions (Type II error): 32
- True Spam Predictions: 358

The model has a higher number of false negatives (32) compared to false positives (9). This suggests that while the model is quite conservative in predicting spam (preferring to minimize false positives), it might be missing some actual spam emails (as indicated by the false negatives).

Given the high performance metrics across the board, there doesn't seem to be a strong immediate need to balance the dataset further. Both classes are being predicted with high accuracy, precision, and recall, and the F1-scores are also strong. The slight imbalance in the dataset does not seem to be negatively impacting the model's ability to generalize.

5- LOGISTIC REGRESSION - WORK ON IT

```
In []: def sigmoid(z):
    """
    Compute the sigmoid of z

Args:
    z (ndarray): A scalar, numpy array of any size.

Returns:
    g (ndarray): sigmoid(z), with the same shape as z

"""

### START CODE HERE ###
    z = np.clip(z, -709, 709) # np.exp(709) is close to the largest value represente
    g = 1 / (1 + np.exp(-z))
    g = np.clip(g, 1e-8, 1 - 1e-8) # Clip the output to avoid extreme values
    ### END SOLUTION ###
    return g

print ("sigmoid(0) = " + str(sigmoid(0)))
```

```
sigmoid(0) = 0.5
In [ ]:
         # UNQ C2
         # GRADED FUNCTION: compute cost
         def compute_cost(X, y, w, b, lambda_= 1):
             Computes the cost over all examples
             Args:
               X : (ndarray Shape (m,n)) data, m examples by n features
               y : (array_like Shape (m,)) target value
               w : (array_like Shape (n,)) Values of parameters of the model
               b : scalar Values of bias parameter of the model
               lambda_: unused placeholder
             Returns:
               total_cost: (scalar)
                                           cost
             m, n = X.shape
             ### START CODE HERE ###
             total_cost = 0
             prediction_model = sigmoid(np.dot(X,w)+b)
             loss_sum = (-1*y*np.log(prediction_model)) - (1 - y)*np.log(1-prediction_model)
             total_cost = np.sum(loss_sum)/m
             ### END CODE HERE ###
             return total_cost
         m, n = X_train.shape
         # Compute and display cost with w initialized to zeroes
         initial_w = np.zeros(n)
         initial_b = 0.
         cost = compute_cost(X_train, y_train, initial_w, initial_b)
         print('Cost at initial w (zeros): {:.3f}'.format(cost))
```

Cost at initial w (zeros): 0.693

```
In [ ]:
         # UNQ C3
         # GRADED FUNCTION: compute gradient
         def compute_gradient(X, y, w, b, lambda_=None):
             Computes the gradient for logistic regression
             Args:
               X : (ndarray Shape (m,n)) variable such as house size
               y : (array_like Shape (m,1)) actual value
               w : (array like Shape (n,1)) values of parameters of the model
                                            value of parameter of the model
               b : (scalar)
               lambda_: unused placeholder.
             Returns
               dj_dw: (array_like Shape (n,1)) The gradient of the cost w.r.t. the parameters
                                              The gradient of the cost w.r.t. the parameter b.
               dj_db: (scalar)
             m, n = X.shape
             dj_dw = np.zeros(w.shape)
             dj_db = 0
             # Prediction using current parameters
             prediction_model = sigmoid(np.dot(X, w) + b)
             # Compute gradients
             error = prediction_model - y
             dj db = np.sum(error) / m
             dj_dw = np.dot(X.T, error) / m
             return dj_db, dj_dw
         # Compute and display gradient with w initialized to zeroes
         # initial w = np.zeros(n)
         # initial_b = 0.
         # dj_db, dj_dw = compute_gradient(X_train, y_train, initial_w, initial_b)
         # print(f'dj_db at initial w (zeros):{dj_db}')
         # print(f'dj_dw at initial w (zeros):{dj_dw.tolist()}' )
In [ ]:
         # Compute and display cost and gradient with non-zero w
         # test w = np.random.rand(X train.shape[1]) # or any other method to create an array
         # test b = -24
         # dj_db, dj_dw = compute_gradient(X_train, y_train, test_w, test_b)
         # print('dj db at test w:', dj db)
         # print('dj_dw at test_w:', dj_dw.tolist())
         test_w = np.random.rand(X_train.shape[1], 1) # Create a (n \times 1) array of random weight
         test_b = -24 # Set a test bias value
         # Compute gradients
         dj_db, dj_dw = compute_gradient(X_train, y_train, test_w, test_b)
         # Print the results
         print('dj_db at test_w:', dj_db)
         # print('dj_dw at test_w:', dj_dw.tolist())
```

dj_db at test_w: 1228.6794300802987

```
In [ ]:
         def gradient_descent(X, y, w_in, b_in, cost_function, gradient_function, alpha, num_
             Performs batch gradient descent to learn theta. Updates theta by taking
             num_iters gradient steps with learning rate alpha
             Args:
               X :
                      (array_like Shape (m, n)
               y :
                      (array_like Shape (m,))
               w_in : (array_like Shape (n,)) Initial values of parameters of the model
               b in : (scalar)
                                               Initial value of parameter of the model
               cost_function:
                                               function to compute cost
               alpha : (float)
                                               Learning rate
                                               number of iterations to run gradient descent
               num_iters : (int)
               lambda_ (scalar, float)
                                               regularization constant
             Returns:
               w : (array_like Shape (n,)) Updated values of parameters of the model after
                   running gradient descent
                                           Updated value of parameter of the model after
               b : (scalar)
                   running gradient descent
             # number of training examples
             m = len(X)
             # An array to store cost J and w's at each iteration primarily for graphing later
             J_history = []
             w_history = []
             for i in range(num_iters):
                 # Calculate the gradient and update the parameters
                 dj_db, dj_dw = gradient_function(X, y, w_in, b_in, lambda_)
                 # Update Parameters using w, b, alpha and gradient
                 w_in = w_in - alpha * dj_dw
                 b_in = b_in - alpha * dj_db
                 # Save cost J at each iteration
                                   # prevent resource exhaustion
                 if i<100000:
                     cost = cost_function(X, y, w_in, b_in, lambda_)
                     J_history.append(cost)
                 # Print cost every at intervals 10 times or as many iterations if < 10
                 if i% math.ceil(num_iters/10) == 0 or i == (num_iters-1):
                     w_history.append(w_in)
                     print(f"Iteration {i:4}: Cost {float(J history[-1]):8.2f}
             return w_in, b_in, J_history, w_history #return w and J,w history for graphing
         np.random.seed(1)
         initial w = np.random.rand(X train.shape[1]) # or any other method to create an arro
         initial_b = 0
         # Some gradient descent settings
         iterations = 100000
         alpha = 0.1
```

```
NameError Traceback (most recent call last)

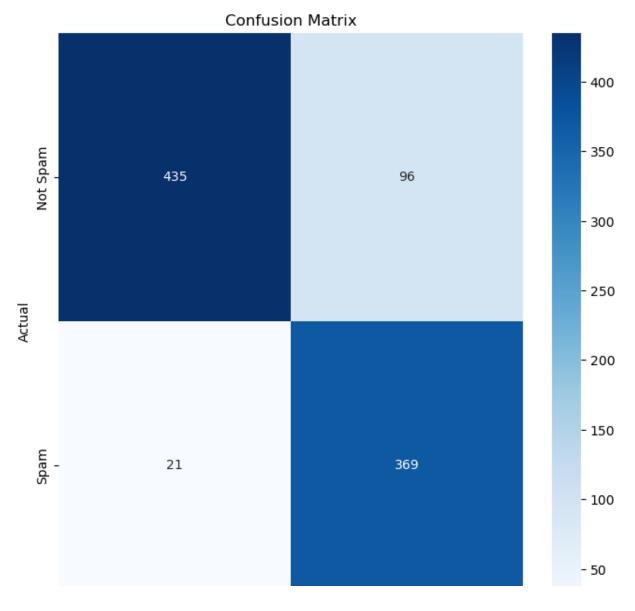
~\AppData\Local\Temp/ipykernel_29724/4123665762.py in <module>
59
60 w,b, J_history,_ = gradient_descent(X_train ,y_train, initial_w, initial_b,
---> 61 compute_cost, compute_gradient, alpha, ite
rations, 0)
62
63 # Assuming J_history is a list containing the cost at each iteration
```

NameError: name 'compute_cost' is not defined

```
In [ ]:
         # UNQ C4
         # GRADED FUNCTION: predict
         def predict(X, w, b):
             Predict whether the label is 0 or 1 using learned logistic
             regression parameters w
             Args:
             X : (ndarray Shape (m, n))
             w : (array_like Shape (n,)) Parameters of the model
             b : (scalar, float)
                                              Parameter of the model
             Returns:
             p: (ndarray (m,1))
                 The predictions for X using a threshold at 0.5
             # number of training examples
             m, n = X.shape
             p = np.zeros(m)
             ### START CODE HERE ###
             prediction_model = sigmoid(np.dot(X,w)+b)
             p[prediction_model>=0.5]=1
             ### END CODE HERE ###
             return p
         # Test your predict code
         np.random.seed(1)
         tmp_w = np.random.randn(2)
         tmp_b = 0.3
         tmp_X = np.random.randn(4, 2) - 0.5
         tmp_p = predict(tmp_X, tmp_w, tmp_b)
         print(f'Output of predict: shape {tmp_p.shape}, value {tmp_p}')
        Output of predict: shape (4,), value [0. 1. 1. 1.]
In [ ]:
         #Compute accuracy on our training set
         p = predict(X_train, w,b)
         print('Train Accuracy: %f'%(np.mean(p == y_train) * 100))
        Train Accuracy: 86.521739
```

```
In [ ]:
         # Get predictions for the test set
         probabilities = sigmoid(np.dot(X_test, w) + b)
         predictions = probabilities >= 0.5 # apply threshold to get binary predictions
         # Calculate the F1 score and precision
         f1 = f1_score(y_test, predictions)
         precision = precision_score(y_test, predictions)
         # Print the precision and F1 score
         print('Precision:', precision)
         print('F1 Score:', f1)
         # Generate and plot confusion matrix
         cm = confusion_matrix(y_test, predictions)
         plt.figure(figsize=(8, 8))
         sns.heatmap(cm, annot=True, fmt='d', cmap='Blues', xticklabels=['Not Spam', 'Spam'],
         plt.ylabel('Actual')
         plt.xlabel('Predicted')
         plt.title('Confusion Matrix')
         plt.show()
         # Plot F1-score
         plt.figure(figsize=(6, 4))
         sns.barplot(x=['F1-Score'], y=[f1])
         plt.title('F1 Score of the Model')
         plt.ylim(0, 1)
         plt.show()
```

Precision: 0.7935483870967742 F1 Score: 0.863157894736842



NOT FOR MILESTONE 1

We will try to tune the hyperparameters of the RF Model to check if the models performance can be improved:

```
In [ ]:
         param_dist = {'n_estimators': randint(50,500), 'max_depth': randint(1,20)}
         rf=RandomForestClassifier(random state=42)
         rand_search = RandomizedSearchCV(rf, param_distributions = param_dist, n_iter=5, cv=
         rand_search.fit(X_train,y_train)
         best_rf = rand_search.best_estimator_
         print("Best hyperparameters:", best rf)
        Best hyperparameters: RandomForestClassifier(max depth=19, n estimators=264, random s
        tate=42)
In [ ]:
         # Assuming rand_search has been fitted and best_rf has been identified
         # Predict on the test set using the best estimator
         y_pred = best_rf.predict(X_test)
         # Calculate the F1 score (weighted, because of class imbalance)
         f1 = f1_score(y_test, y_pred, average='weighted')
         # Calculate the overall accuracy
         accuracy = accuracy_score(y_test, y_pred)
         # Generate the classification report
         class_report = classification_report(y_test, y_pred)
         # Generate the confusion matrix
         conf_matrix = confusion_matrix(y_test, y_pred)
         # Print the classification report and accuracy
         print("Classification Report:\n", class_report)
         print("Accuracy:", accuracy)
         # Plot the confusion matrix
         plt.figure(figsize=(8, 6))
         sns.heatmap(conf_matrix, annot=True, fmt='g', cmap='Blues', xticklabels=['Not Spam',
         plt.title('Confusion Matrix')
         plt.ylabel('Actual Label')
         plt.xlabel('Predicted Label')
         plt.show()
         # Plot the F1-score
         plt.figure(figsize=(6, 4))
         sns.barplot(x=['F1-Score'], y=[f1])
         plt.title('F1-Score of the Model')
         plt.show()
        Classification Report:
                       precision
                                    recall f1-score
                                                        support
                 0.0
                           0.95
                                      0.98
                                                0.96
                                                           531
                           0.97
                 1.0
                                      0.92
                                                0.94
                                                           390
                                                0.95
                                                           921
            accuracy
                           0.96
                                      0.95
                                                0.95
                                                           921
           macro avg
```

weighted avg 0.95 0.95 0.95 921

Accuracy: 0.9543973941368078

