

Kurs Bio144:

Datenanalyse in der Biologie

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Lecture 8: Interpretation, causality, cautionary notes

27./28. April 2017

Overview

- P -values: Interpretation and (mis-)use
- Statistical significance vs biological relevance
- Relative importance of regression terms
- Causality vs correlation
- Bradford-Hill criteria for causal inference
- Experimental vs observational studies

Course material covered today

The lecture material of today is based on the following literature:

- All literature and articles from the self-study week.

Recap of previous lecture (before Easter)

- Model selection is difficult.
- Information criteria: AIC, AIC_c and BIC
→ **model fit vs model complexity**
- **Predictive** vs **explanatory** models.
- Automatic model selection is inappropriate for explanatory models!
- Caveats of p -values: biological relevance vs statistical significance

P-values

Recap:

P-values are often used for *statistical testing*, e.g. by checking if $p < 0.05$.

Examples:

- T-test for a difference between two samples.
- χ^2 -test for independence of two discrete distributions.
- Test if a regression coefficient $\beta_x \neq 0$ in a regression model.

Such tests are useful whenever a **decision** needs to be made (e.g., in clinical trials, intervention actions in ecology etc.).

P-values in regression models

In regression modelling, the *p*-value is often used as an indicator of covariate importance. Remember the mercury example:

	Coefficient	95%-confidence interval	<i>p</i> -value
Intercept	-0.68	from -0.88 to -0.47	< 0.0001
log10(Hg_soil)	0.033	from -0.05 to 0.11	0.42
vegetables	0.07	from -0.03 to 0.17	0.18
migration	-0.036	from -0.19 to 0.12	0.65
smoking	0.27	from 0.06 to 0.48	0.012
sqrt(amalgam)	0.33	from 0.24 to 0.42	< 0.0001
age	-0.042	from -0.06 to -0.02	0.0004
mother	-1.03	from -1.70 to -0.35	0.003
sqrt(fish)	0.079	from 0.03 to 0.13	0.004
last_fish	0.30	from 0.15 to 0.45	< 0.0001
age:mother	0.055	from 0.03 to 0.08	0.0002

A common practice is to look only at the *p*-value and use $p < 0.05$ to decide whether a variable has an influence or not (“is significant or not”).

P-values criticism

P-value **criticism** is as **old** as statistical significance testing (1920s!). Issues:

- The sharp line $p < 0.05$ is **arbitrary** and significance testing according to it may lead to *mindless statistics* (Gigerenzer, 2004).
- *P*-hacking / data dredging: Search until you find a result with $p < 0.05$.
- Publication bias: Studies with $p < 0.05$ are more likely to be published than “non-significant” results.
- Recent articles in *Science*, *Nature* or a statement by the *American Statistical Association* (ASA) in March 2016 show that the debate still continues (Claridge-Change and Assam, 2016; Goodman, 2016; Wasserstein and Lazar, 2016).
- Model selection using *p*-values may lead to a **model selection bias** (see last week).

P-values even made it into NZZ (April 2016)



NZZ Donnerstag 3. April 2016

Wissen

Übereschätzte Statistiken

Daten-Analysen entscheiden heute darüber, ob ein Medikament als wirksam gilt. Bloss verstehen viele Forscher die Bedeutung dieser Berechnungen gar nicht. **Von Patrick Imhasly**

Kritiker machen keinen recht nur Menschen, sondern auch statistische Kriterien. Das gilt besonders für den sogenannten p-Wert, ein den jeder Mähdichsel und jeder Statistiker in Konstanz kennt, vor allem aber jeder, der in weissenhem mit Statistik zu tun hat. Inzwischen ist der p-Wert indes auf die schier halbe geraten. Denn was der Vater der modernen Statistik, der britische Genetiker Ronald Fisher, 1925 als eine Art informelles Screening für die Aussagekraft von Daten entwickelte, ist in der Praxis oftmals zu einem simplen Lackmeyer verkommen.

Dreht die statistische Analyse von Daten einen p-Wert (0,05 Prozent) oder auch besser «0,01 Prozent», gehen diese als signifikant angesehen. Das heisst, dass etwas darüber, ob ein neues Medikament oder ein neues Statin in einem angeborenen Fachbegriff publiziert kann. Der p-Wert war aber nie dazu gedacht, wissenschaftliches Denken ausser Kraft zu setzen, bis sich nach Wasserstein, der Direktor der amerikanischen Statistischen Vereinigung (ASA), jüngere offenbar beklagt.

Wissenschaftler verwenden den p-Wert immer häufiger, ohne zu verstehen, was er bedeutet – das fordert schlichte Forschung und untergebt die Glaubwürdigkeit der Wissenschaft. Der Mediziner und Epidemiologe John Ioannidis von der Universität Stanford gewährt in einem Kommentar von «drogenabhängigen» über falsche Gebrauch des p-Wertes ist demnach einfach und erfordert so entzerrt, dass manche sich

wenden danach – vor allem wenn sie mit Forschungsgeldern und Publikationen beehrt werden – Angesichts der Missstände ist auch die ASA jetzt weichen, zum ersten Mal in ihrer fast 100-jährigen Geschichte empfiehlt sie, weniger zu verwenden, was man mit einer statistischen Grösse verschieben umgeht.

Wider die Null-Hypothese

Der p-Wert sagt nicht das aus, was man gewöhnlich von ihm erwartet, erklärt der Berner Epidemiologe Peter Kün, der mit seinem am Apple Health Research Center der Universität Toronto tätig ist. Das bedeutet: Der p-Wert misst nicht die Wahrscheinlichkeit, dass eine bestimmte Hypothese zutrifft, und auch nicht, ob ein bestimmtes Resultat zufällig zustande gekommen ist, wie die ASA fordert. Vielmehr misst er die Wahrscheinlichkeit, dass eine bestimmte Null-Hypothese zutrifft, wenn sie falsch ist.

Die Hypothese in einer Patiententabelle könnte zum Beispiel lauten, dass ein Medikament A gegen Herz-Kreisläufers besser wirkt als ein Medikament B. Die Null-Hypothese besagt dann genau das Gegenteil davon, nämlich dass das Medikament B. Nicht Test beschränkt der Forscher im Prinzip, wie gross die Wahrscheinlichkeit für die Aufnahme

«Studien führen heute zu demassen vielen Daten, dass man allen Unfug testen kann und so zu Hunderten von p-Werten kommt.»



Daten werden meist von Leuten analysiert, die nicht dafür ausgebildet sind.

5%

Kleiner als dieser Wert muss die signifikante p-Wert in einem statistischen Test sein, dann gelten die Daten aus einer Studie als aussagekräftig. Doch die Grenze ist willkürlich gewählt. (jein.)

aufgefallen, Resultate von medizinischen Studien in Formeln als signifikant oder nichtsignifikant zu markieren, sondern im Kontext der gesamten Untersuchung und anhand anderer Ergebnisse zu interpretieren. Gezeigt hat das bereits wenig, wie das Team von John Ioannidis in einer neuen entscheidenden Studie festgestellt hat. Demnach sind in den vergangenen 15 Jahren in der biomedizinischen Forschung immer mehr Studien erschienen, die p-Werte angaben, die nicht immer klar signifikant ausfielen. Gleichzeitig wuchs die Zahl von Informationen zu den fehlgeleiteten Effekten immer stärker (JAMA, Bd. 315, S. 314).

Es gibt Alternativen

Das Problem ist dabei nicht nur, dass der p-Wert ein eigentlich einfaches statistisches Instrument ist. «Studien führen heute zu demassen vielen Daten, dass man allen Unfug testen kann und so zu Hunderten von p-Werten kommt», erklärt Leonhard Held, «der eine oder andere Fall kann bestimmt signifikant aus, auch wenn kein Effekt vorhanden ist.» Leonhard Held und Peter Kün verweisen sich deshalb bei der Planung und Auswertung von Studien schon lange nicht mehr nur auf die p-Werte.

Kün empfiehlt, die Resultate von Studien mindestens mit Vertrauensintervallen zu versehen, die spezifische Aussagen über die Unsicherheit einer Schätzung machen. Und Held empfiehlt alternative Mass für statistische Evidenz – zum Beispiel Bayes'sche Faktoren. Mit diesen Hilfe lässt sich die Wahrscheinlichkeit einer Hypothese im hand der Daten argumen, statt dass diese wie beim p-Wert nach einem Schema-Wissens-Schema angenommen oder abgelehnt wird.

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Note: R.A. Fisher, the “inventor” of the p -value (1920s) didn't mean the p -value to be used in the way it is used today (which is: doing a single experiment and use $p < 0.05$ for a conclusion)!

From Goodman (2016):

Fisher used “significance” merely to indicate that an observation was worth following up, with refutation of the null hypothesis justified only if further experiments “rarely failed” to achieve significance. This is in stark contrast to the modern practice of making claims based on a single demonstration of statistical significance.

The misuse of p -values has led to a **reproducibility crisis** in science!

Why Most Published Research Findings Are False

John P. A. Ioannidis

Summary

There is increasing concern that most current published research findings are false. The probability that a research claim is true may depend on study power and bias, the number of other studies on the same question, and, importantly, the ratio of true to no relationships among the relationships probed in each scientific field. In this framework, a research finding is less likely to be true when the studies conducted in a field are smaller; when effect sizes are smaller; when there is a greater number and lesser preselection of tested relationships; where there is greater flexibility in designs, definitions, outcomes, and analytical modes; when there is greater financial and other interest and prejudice; and when more teams are involved in a scientific field in chase of statistical significance. Simulations show that for most study designs and settings, it is more likely for a research claim to be false than true. Moreover, for many current scientific fields, claimed research findings may often be simply accurate measures of the prevailing bias. In this essay, I discuss the implications of these problems for the conduct and interpretation of research.

factors that influence this problem and some corollaries thereof.

Modeling the Framework for False Positive Findings

Several methodologists have pointed out [9–11] that the high rate of nonreplication (lack of confirmation) of research discoveries is a consequence of the convenient, yet ill-founded strategy of claiming conclusive research findings solely on the basis of a single study assessed by formal statistical significance, typically for a p -value less than 0.05. Research is not most appropriately represented and summarized by p -values, but, unfortunately, there is a widespread notion that medical research articles

It can be proven that most claimed research findings are false.

should be interpreted based only on p -values. Research findings are defined here as any relationship reaching formal statistical significance, e.g., effective interventions, informative predictors, risk factors, or associations.

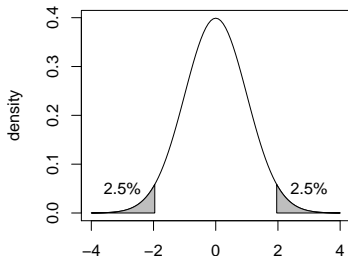
is characteristic of the field and can vary a lot depending on whether the field targets highly likely relationships or searches for only one or a few true relationships among thousands and millions of hypotheses that may be postulated. Let us also consider, for computational simplicity, circumscribed fields where either there is only one true relationship (among many that can be hypothesized) or the power is similar to find any of the several existing true relationships. The pre-study probability of a relationship being true is $R/(R+1)$. The probability of a study finding a true relationship reflects the power $1 - \beta$ (one minus the Type II error rate). The probability of claiming a relationship when none truly exists reflects the Type I error rate, α . Assuming that c relationships are being probed in the field, the expected values of the 2×2 table are given in Table 1. After a research finding has been claimed based on achieving formal statistical significance, the post-study probability that it is true is the positive predictive value, PPV. The PPV is also the complementary probability of what Wacholder et al. have called the false positive report probability [10]. According to the 9

What is the problem with the p -value?

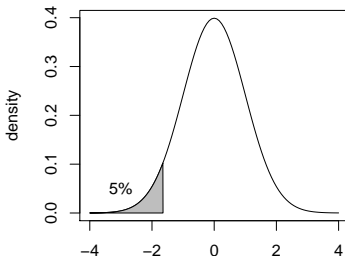
Many applied researchers do not **really** understand what the p -value actually is.

The **formal definition of p -value** is the probability of an observed data summary (e.g., an average) and its more extreme values, given a specified mathematical model and hypothesis (usually the “Null”, indicating “no effect”).

Two-sided p -value



One-sided p -value



Test yourself: Klicker-Exercise

► Klicker-Exercise

<http://www.klicker.uzh.ch/bkx>

+ Discussion of the results!

What is the problem with the p -value? II

- The p -value is often used to classify results into “significant” and “non-significant”. Typically: $p < 0.05$ vs $p \geq 0.05$.
- However, this is often too crude!
- It is much better to have a more **gradual interpretation of the p -value** (see slide 18).

Probably the most important point to remember:

The p -value is **not** the probability that the Null Hypothesis is true!!!

Quote from ASA statement:

In February, 2014, George Cobb, Professor Emeritus of Mathematics and Statistics at Mount Holyoke College, posed these questions to an ASA discussion forum:

Q: Why do so many colleges and grad schools teach $p = .05$?

A: Because that's still what the scientific community and journal editors use.

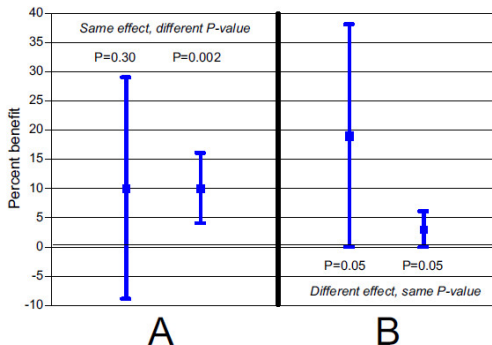
Q: Why do so many people still use $p = 0.05$?

A: Because that's what they were taught in college or grad school.

Significance vs relevance

In regression models:

- A low p -value does not automatically imply that a variable is “important”.
- “Is there an effect?” v.s. “How much of an effect is there?”.



In addition:

A large p -value (e.g., $p > 0.05$) does not automatically imply that a variable is “unimportant”.

Absence of evidence is not evidence of absence (Altman and Bland, 1995).

In other words:

One cannot prove the Null Hypothesis!!

Several reasons may lead to large p -values:

- Low sample size (\rightarrow low power).
- The truth is not “far” from the null hypothesis.

Example: Small effect sizes in regression models.

Shall we abolish p -values?

No: p -values are not “good” or “bad”. They contain important information, and they have **strengths** and **weaknesses**.

Suggestions:

- 1 Use p -values, but don't over-interpret them, **use them properly**.
- 2 Look at **effect sizes** and **confidence intervals**.
- 3 Look at **relative importances** of covariates.
- 4 **Don't use p -values for model selection.**

Suggestion 1: Proper interpretation of p -values

Rather than a black-and-white decision ($p < 0.05$), Martin Bland suggests to regard p -values as continuous measures for statistical evidence (Introduction to Medical Statistics, 4th edition, Oxford University Press):

$p > 0.1$	little or no evidence against the null hypothesis
$0.1 > p > 0.05$	weak evidence
$0.05 > p > 0.01$	evidence
$0.01 > p > 0.001$	strong evidence
$p < 0.001$	very strong evidence

But: The level of significance must also depend on the context!

In the Hg example:

	Coefficient	95%-confidence interval	p-value
Intercept	-0.68	from -0.88 to -0.47	< 0.0001
log10(Hg_soil)	0.033	from -0.05 to 0.11	0.42
vegetables	0.07	from -0.03 to 0.17	0.18
migration	-0.036	from -0.19 to 0.12	0.65
smoking	0.27	from 0.06 to 0.48	0.012
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sqrt(fish)	0.079	from 0.03 to 0.13	0.004
last_fish	0.30	from 0.15 to 0.45	< 0.0001
age:mother	0.055	from 0.03 to 0.08	0.0002

- **Little or no evidence:** Hg soil, vegetables from garden, migration background
- **Evidence:** Smoking
- **Strong evidence:** Mother, monthly fish consumption
- **Very strong evidence:** Amalgam, age, last fish ($>$ or $<$ 3 days), interaction of age and mother

Suggestion 2: Report effect sizes....

Ask: **Is the effect size relevant?**

Example

WHO recommendation concerning smoking and the consumption of processed meat. Both, smoking and meat consumption, appear to be carcinogenic.

- 50g processed meat per day increases the risk for colon cancer by a factor of 1.18 (+18%).
- Smoking increases the risk for cancer by a factor of 3.6 (+260%).

Thus: Although both, meat consumption and smoking, are carcinogenic (“significant”), their **effect sizes are vastly different!**

Paul D. Ellis writes in his book *The Essential Guide to Effect Sizes* (2010):

Indeed, statistical significance, which partly reflects sample size, may say nothing at all about the practical significance of a result. [...] To extract meaning from their results, social scientists need to look beyond *p* values and **effect sizes and make informed judgments about what they see.**

...and 95% CIs

Ask: Which range of true effects is statistically consistent with the observed data?

Example

Body fat example, slide 39 of week 1.

The effect estimate for the effect of BMI on body fat is given as

$\hat{\beta}_{BMI} = 1.82$, 95% CI from 1.61 to 2.03.

Interpretation: for an increase in the bmi by one index point, roughly 1.82% percentage points more bodyfat are expected, and all true values for β_{BMI} between 1.61 and 2.03 are **compatible with the observed data**.

However...

- The choice of the 95% is again somewhat arbitrary. We could also go for 90% or 99% or any other interval, but 95% has established as a commonly accepted range.
- The 95% CI should **not be misused for simple hypothesis testing** in the sense of

“Is 0 in the confidence interval or not?”

Because this boils down to checking whether $p < 0.05$...

Suggestion 3: Look at relative importances of covariates

- Ultimately, the popularity of p -values is based on the wish to judge which covariates are **relevant** in a model, particularly in observational studies.
- The problem with this: Low p -values do not automatically imply high relevance (Cox, 1982).
- Alternative: **relative importances** of explanatory variables that measure the proportion (%) of the responses' variability explained by each variable.

Relative importance: Decomposing R^2

Remember: R^2 indicates the proportion of variance explained by **all** covariates in a model

$$y_i = \beta_0 + \beta_1 x_i^{(1)} + \beta_2 x_i^{(2)} + \dots + \beta_m x_i^{(m)} + e_i .$$

The aim of **relative importance** is to **decompose** R^2 such that

- each variable $x^{(j)}$ is attributed a fair share r_j .
- the sum of all importances sums up to R , that is, $\sum_{j=1}^m r_j = R^2$.

Further, it is required that

- all shares are ≥ 0 .

Question: How would you define/calculate relative importance?

- **Idea 1:** Fit simple models including only one covariate at the time, *i.e.*:

$$y_i = \beta_0 + \beta_j x_i^{(j)} + e_i$$

for each variable $x^{(j)}$ and use the respective R^2 as r_j .

- **Idea 2:** Fit the linear model twice, once with and once without the covariate of interest, and then take the **increase** of R^2 as r_j .

Problem: In practice, regressors $x^{(j)}$ are *always correlated*, thus both ideas lead to $\sum_j r_j \neq R^2$!

To understand the problem of ideas 1 and 2, let us fit three models for $\log(Hg_{urine})$ with

- $x^{(1)} = \sqrt{\text{Number of monthly fish meals}}$
- $x^{(2)} = \text{binary indicator if last fish meal was less than 3 days ago.}$

These two variables are correlated (people who consume a lot of fish are more likely to have it consumed within the last 3 days).

$$y_i = \beta_0 + \beta_1 x_i^{(1)} + e_i \quad R^2 = 0.12 \quad (1)$$

$$y_i = \beta_0 + \beta_2 x_i^{(2)} + e_i \quad R^2 = 0.08 \quad (2)$$

$$y_i = \beta_0 + \beta_1 x_i^{(1)} + \beta_2 x_i^{(2)} + e_i \quad R^2 = 0.14 \quad (3)$$

Note: The R^2 of model (3) with both covariates is much less than the sum of the R^2 from models (1) and (2)!

⇒ The increase of R^2 upon inclusion of a covariate depends on the covariates that are already in the model!

A better way to calculate relative importance?

Various proposals to calculate relative importance (R^2 decomposition) have been proposed. The (currently) most useful is given by the following idea, called **LMG** (Lindemann, Merenda and Gold 1980):

- Fit the model for **all possible orderings of the covariates**.
- Record the increase in R^2 each time a variable is included.
- **Average** over all orderings of the covariates.

Luckily, the R-package `relaimpo` (Groemping 2006) contains the function `calc.relimp()` that does this for us!

Hg results

Which proportion (%) of variance in $\log(Hg_{urine})$ is explained by each covariate? Interpret the table below:

```
> library(relaimpo)
> lmg.hg <- calc.relimp(r.lm.hg)$lmg
```

Variable	Rel. imp. (%)	p-value
$\log(Hg_{soil})$	0.10	0.42
Vegetable	0.46	0.18
Migration	0.43	0.65
Smoking	1.21	0.012
Amalgam	19.69	<0.0001
Age	1.25	0.0004
Mother	1.08	0.0031
Fish	7.26	0.0042
Last fish	7.34	<0.0001
Age:mother	6.56	0.0002

Several variables have very low p -values, but their relative importance differs clearly.

⇒ Relative importance gives intuitive **complementary information** to p -values, effect sizes and confidence intervals!

Does relative importance solve all the problems?

Unfortunately not...

Relative importance should be understood as **a complement to standard statistical output.**

There are several limitations to it:

- Rel.imp. of a variable may heavily depend on the other variables included in the model, especially when there are strongly correlated variables (see slide 33).
- Hard to generalize to other, non-linear regression models.

Groemping 2007:

“...a request for a decomposition of R^2 is often driven by a desire to prioritize intervention actions with the intention to influence the response. It is important to notice that any intervention bears the risk [...] of not only influencing the targeted regressor but also the correlation structure among regressors. Thus, unexpected results may occur regarding changes of the response's variance. In this way, the benefit of the concept of decomposing R^2 is more limited than the typical user might realize.”

Example

Compare the estimated relative importance for the variable `fish` (monthly fish meals) for two cases:

Model 1

Original Hg model.

Model 2

Model **without the indicator variable `last_fish`**.

- **Case 1:** Relative importance of `fish`: 7.26% (see slide 29).
- **Case 2:** Relative importance of `fish`: 10.75% .

Interpretation: If one of two correlated variables is removed, the other absorbs some of the importance from it.

Causality vs correlation

In **explanatory models** the ultimate goal usually is to reveal **causal relationships** between the covariates and the response.

Examples:

- Does Hg in the soil influence Hg-levels in humans?
- Does inbreeding negatively affect population growth of Swiss Alpine ibex (Steinbock)?
- Does exposure to Asbest lead to illness or death?
- ...

However: Regression models actually only reveal associations, that is, **correlations** between **x** and **y**!

Example: Breakfast eating and teen obesity

Please read the following article and answer the questions below:

[http://www.webmd.com/diet/news/20080303/
eating-breakfast-may-beat-teen-obesity](http://www.webmd.com/diet/news/20080303/eating-breakfast-may-beat-teen-obesity)

Questions:

- Does the cited study show that teens that eat breakfast are generally less obese?
- Does this automatically imply that eating breakfast **leads to** less obesity among teens?

Look at a regression model including covariate x and response y . If the coefficient β_x is “significant”, there are several possible reasons for this:

- 1 x is a **cause** for y . Write: $x \rightarrow y$

Example: x is fish consumption and y is mercury concentration in the urine.

This is the desired situation!

- 2 y (partially) causes x , that is $y \rightarrow x$.

Example: x is *knowledge* or *IQ* and y is *school education*.

In that case, the model is not correctly specified!

- 3 There is another covariate z that both influences x and y

$$z \rightarrow x \quad \text{and} \quad z \rightarrow y .$$

$\rightarrow x$ and y **covary**, but do not cause each other.

In the teen obesity example, all three reasons are possible – perhaps even at the same time!

Ideas:

- No breakfast (**x**) \rightarrow Obesity (**y**)
- Obesity (**y**) \rightarrow No breakfast (**x**)
- Too much dinner (**z**) \rightarrow Obesity (**y**)

and

Too much dinner (**z**) \rightarrow No breakfast (**x**)

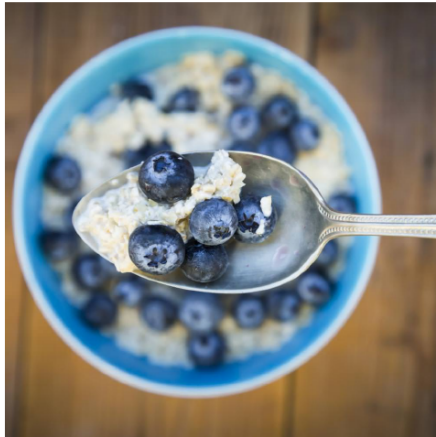
Many other ideas are possible...

In fact, see a recent article in NZZ am Sonntag (temporarily available from OpenEdX):

Der Mythos vom Kaiser-Frühstück

Morgens frühstücken hilft nicht beim Abnehmen, könnte aber den Stoffwechsel günstig beeinflussen.

von Felicitas Witte / 16.3.2017



Ein gesundes Frühstück kann die Lust auf Snacks reduzieren. (Bild: Getty Images/Westend61)

On the following website you find many “spurious correlations”, where the **causality is very obviously missing**:

<http://www.tylervigen.com/spurious-correlations>

(More about it in the BC material of this unit!)

Bradford-Hill-Criteria for causal inference I

In 1965 the Epidemiologist Bradford Hill presented a list of criteria to assess whether there is some causality or not. However, he wrote “None of my nine viewpoints can bring indisputable evidence for or against the cause-and-effect hypothesis and none can be required *sine qua non*.”

Bradford-Hill Criteria:

- 1 **Strength:** A causal relationship is likely when the observed association is strong.
- 2 **Consistency:** A causal relationship is likely if multiple independent studies show similar associations.
- 3 **Specificity:** A causal relationship is likely when a covariate x is associated only with one potential outcome y and not with other outcomes.
- 4 **Temporality:** The effect has to occur after the cause.

Bradford-Hill-Criteria for causal inference II

- 5 **Biological gradient:** Greater exposure should generally lead to greater incidence of the effect.
- 6 **Plausibility:** A plausible mechanism is helpful.
- 7 **Coherence:** Coherence between findings in the lab and in the field / population increases the likelihood of an effect.
- 8 **Analogy:** Similar factors have a similar effect.
- 9 **Experiment:** Evidence from an experiment is valuable.

Experimental vs observational studies

Experimental studies are relevant in biology and even more so in medicine, e.g., in the context of clinical trials where novel drugs are tested.

The teen obesity study was an **observational study**:

- All study participants only had to report their behaviour.
- None of them was assigned to a treatment group.
- There was **no intervention**.

An observed effect is more likely to be *causal* if participants were *randomly assigned* to a group, here: breakfast eating yes/no.

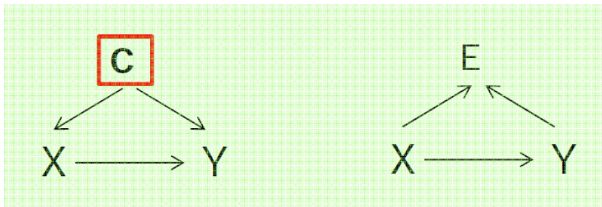
Observational study (“Erhebung”): Experimental study:

- Observation of subjects / objects in a real-world (existing) situation.
 - Variables are usually correlated.
 - Often more variables than can be included in the model.
 - **Examples:** Influence of pollutants (mercury) on humans, studies of wild animal populations, epidemiological studies,...
- Observation of subjects / objects in a constructed (experimental) situation.
 - Variables are controlled and uncorrelated (given a good study design!).
 - Usually all variables enter the model, **no model selection**.
 - **Examples:** Field experiments; clinical studies; psychological or pedagogical experiments,...

	Observational study	Experiment
Situation	Existing, cannot be influenced	Artificial, designed
Analysis	Difficult (see model selection issues)	Simple no model selection
Interpretation	Difficult, especially w.r.t. causality	Clear, “proofs” causal relationship

Causality considerations for model selection

It is **widely unknown** that a model can be broken by the inclusion of a “wrong” covariate, which is causally associated in the wrong direction:



Remember: Avoid to include covariates in your model that are **caused** by the outcome!

Example: ...

Summary

- Try to understand the definition and the meaning of p -values.
- Correct understanding, use and interpretation of p -values: Do not use the “mindless” $p < 0.05$ criterion!!
- Statistical significance vs biological relevance: Ask for the effect size and confidence interval, and reflect what it means, instead of only reporting p -values alone.
- The p -value is not “bad”, it contains useful information, but it has to be used properly.
→ 3 suggestions or alternatives (gradual interpretation of p -values, effect sizes and CIs, relative importances).
- Correlation should not be mistaken for causality.
- Experimental studies are better suited to reveal causality than observational studies!

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