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Name: Ciaran O'Donnell

Date: 9th-November-2017

EE 324 Project 2

Approximate solution and application of the Travelling Salesman Problem

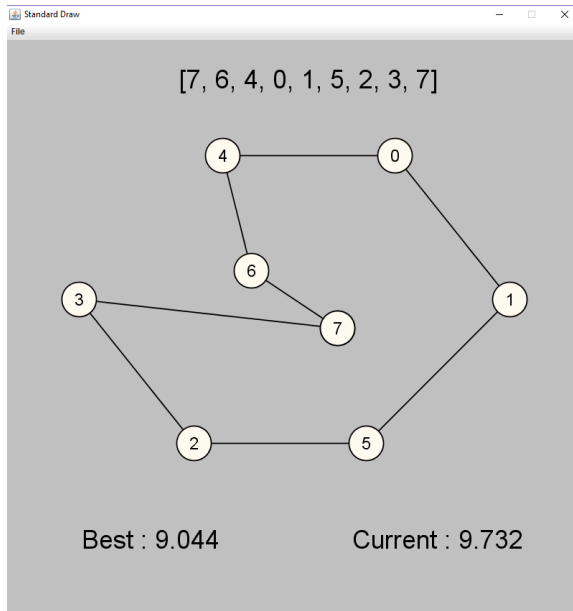
Exercise 1

The first exercise of the project was to write a java method to approximate the shortest path through a number of points. We were to do this using the nearest neighbour algorithm, i.e. from each point go to the next closest point that has not been visited until all the points have been visited.

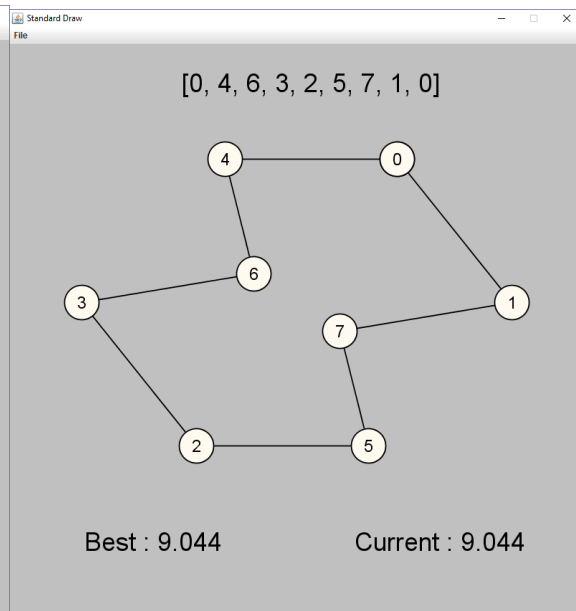
Here are the results of my program:

City	City Cords	NN Path	NN Dist	Opt Dist	%diff
0	(2.2, 1.0)	0, 4, 6, 7, 5, 2, 3, 1, 0	10.3316	9.044	14.23706
1	(3.0, 0.0)	1, 7, 6, 4, 0, 5, 2, 3, 1	11.4529	9.044	26.63534
2	(0.8, -1.0)	2, 5, 7, 6, 4, 0, 1, 3, 2	10.3316	9.044	14.23706
3	(0.0, 0.0)	3, 6, 7, 5, 2, 4, 0, 1, 3	11.4529	9.044	26.63534
4	(1.0, 1.0)	4, 6, 7, 5, 2, 3, 0, 1, 4	10.7843	9.044	19.24259
5	(2.0, -1.0)	5, 7, 6, 4, 0, 1, 2, 3, 5	10.7843	9.044	19.24259
6	(1.2, 0.2)	6, 7, 5, 2, 3, 4, 0, 1, 6	9.7323	9.044	7.610571
7	(1.8, -0.2)	7, 6, 4, 0, 1, 5, 2, 3, 7	9.7323	9.044	7.610571

My best result:



Optimal Route:



Pseudocode:

```
Array of Cities = ary
List of Cities in Correct order = Path    //starts with starting point only
Temporary List of cities = tmppath       //starts with all points in any order
City NearestNeighbour
TotalDistance                           //variable to record the total distance
For( j = 0 to the number of cities)
    If( tmpPath is not empty ){
        For( i = 0 to tmpPath length ){ //decreases as Cities are removed from tmpPath
            Compare distance from Path(j) to tmpPath(i)
            If City in tmpPath(i) is closer than previous closest set it NearestNeighbour
        }End For
        Add NearestNeighbour to Path
        Remove NearestNeighbour from tmpPath
        TotalDistance += this distance
    }End if
}End For
Path add StartingCity                    //so we end where we begin
TotalDistance+= (final distance back to start)
```

We now have the total distance travelled and an array of the path in the correct order but the function is meant to return an array of ints referring to the index of each City

```
For (k = 0 to length of Path)
    For( i = 0 to length of cities)
        If(Path(k) = cities(i))           //gets the index of each city and sets it to ary
            ary(k)=cities(i)
    }End For
}End For
Return ary
```

So this code simply matches the Cities in my path to ones in the cities array and fills my int array accordingly.

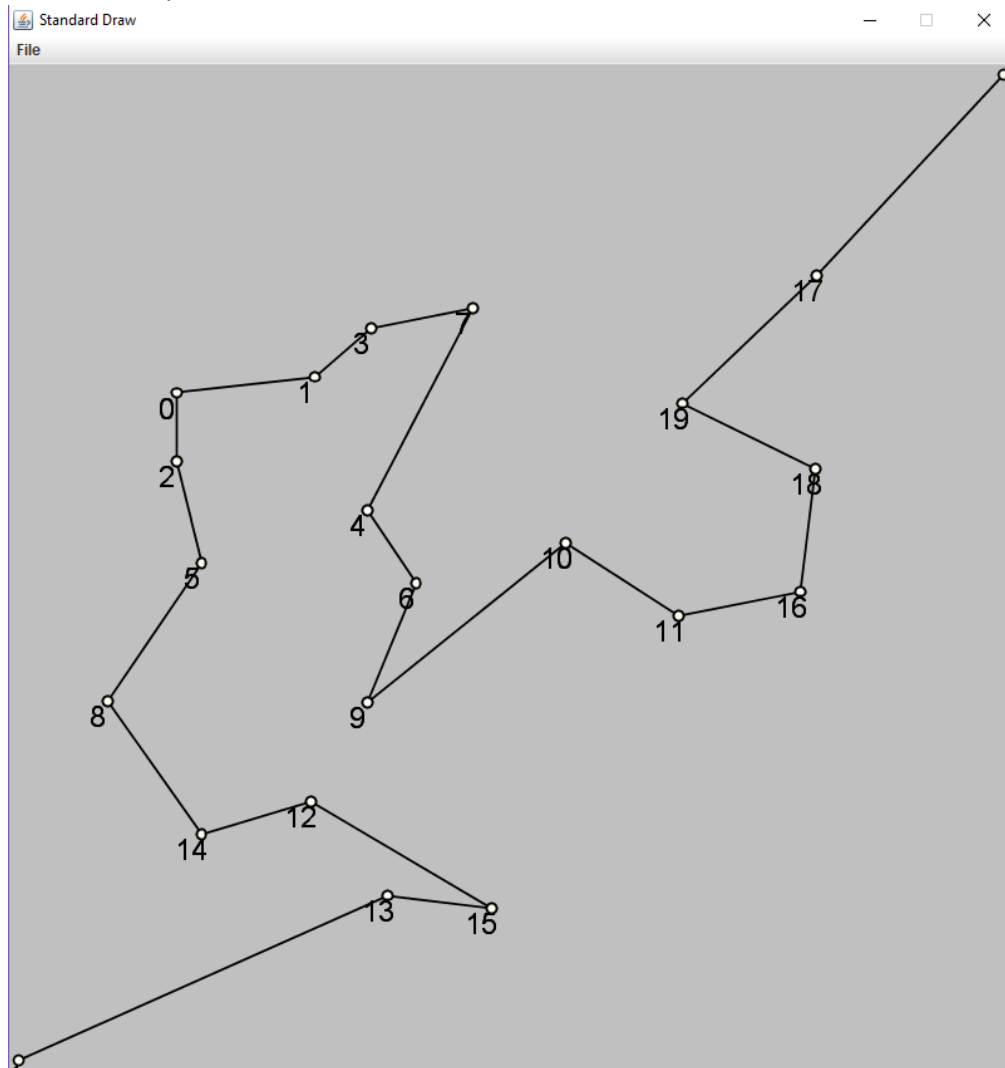
Exercise 2

The next exercise was for us to try and implement our Nearest Neighbour algorithm in another class and use case, Finding the shortest path for a printer head to travel to get to an array of points starting at (1,1) and finishing at point (0,0).

(a) Route code found: [Start, 17, 19, 18, 16, 11, 10, 9, 6, 4, 7, 3, 1, 0, 2, 5, 8, 14, 12, 15, 13, Fin]

(b) Path length: 3.392358

(c) Photo of path:



(d) Description of code:

```
City Start
City Finish
CityArray Path

For( b=0 to 1)
    If(b=1) Start = (0,0)
            Finish = (1,1)                End if
    For( i=0 to length of points array)
        Path = NearestNeighbourAlgo(i)      //i is the starting city
        Path add Start and Finish
        If (DistanceofPath < ShortestDistance)
            =ShortestDistance= DistanceOfPath
            BestPath = i
    End for End for End if
    If (shortest path was found when b=0)
        Flip back start and finish          End if
    Path = NearestNeighbourAlgo(BestPath)
    Path add Start and Finish
    If (shortest path was found when b=1)
        ReversePath()                      End if
    Print(CalculateDistancePath)
    Draw(Path)
```

So basically, my code begins by running through all possible NN paths calculating the shortest one and saving its argument. Then it does this again with the starting points flipped. Then once it is done it overwrites the final temporary path with the NN path of the argument BestPath. Having to also do some clean-up to insure it has the right direction. I have left a lot of the nuances out of this pseudo code but it is all visible in my java file.

Exercise 3:

The nearest neighbour is of Order n^2 so

$$\text{If } 5^2 * t = 0.1 \quad t = 0.1 / 5^2 = 4 * 10^{-4}$$

And therefore 20 points would take

$$20^2 * t = 20^2 * 4 * 10^{-4} = 1.6 \text{ Seconds}$$

Brute Force is of Order $N!$ so

$$\text{If } 5! * t = 0.1 \quad t = 0.1 / 5! = 8.3333 * 10^{-4}$$

And therefore 20 points would take

$$20! * t = 20! * 8.3333 * 10^{-4} = 2.027 * 10^{15} \text{ Seconds}$$

Which is 64 million years.