

```
In [1]: from Scipy_DE import DifferentialEvolution
        from examples import PressureVessel, TensionCompressionSpring, SpeedReducer
        import pandas as pd
```

```
In [2]: N = 30
        G = 250

        config = {'case1':{'mutation':0.5, 'recombination':0.7},
                  'case2':{'mutation':0.1, 'recombination':0.8},
                  'case3':{'mutation':0.8, 'recombination':0.6}}

        #Python uses the Mersenne Twister as the core generator: https://docs.python.org/3/library/random.html
        def run(algorithm, problem, N, G, config):
            res = dict()
            for case in config:
                res[case] = []
                for i in range(N):
                    alg = algorithm(problem.problem, problem.bounds, seed=i, G=G, **config[case])
                    alg.popsiz=15 #population
                    alg.run()
                    res[case].append(alg.fun)
            return res
```

## Design of Pressure Vessel

Optimization problem (minimization OR maximization): Minimization

Brief description of the optimization problem (2 paragraphs and link)

### 4.3.1 Example 8: Design of Pressure Vessel:

A cylindrical vessel is capped at both ends by hemispherical heads. The objective is to minimize the total cost, including the cost of the material, forming and welding.

There are four design variables: thickness of the shell ( $T_s$ ), thickness of the head ( $T_h$ ), inner radius ( $R$ ) and length of the cylindrical section of the vessel, not including the head ( $L$ ) so design vector  $X = (x_1, x_2, x_3, x_4) = (T_s, T_h, R, L)$ .  $T_s$  and  $T_h$  are integer multiples of 0.0625 inch, which are the available thicknesses of rolled steel plates, and  $R$  and  $L$  are continuous.

-Mechanical Design Optimization Using Advanced Optimization Techniques

Dimension of optimization problem: 4 D

Population size: 15 members

Stopping criterion: 250 generations

Number of runs: 30

## Differential Evolution

```
In [3]: res_de = run(algorithm=DifferentialEvolution, problem=PressureVessel(), N=N, C=C)

df_de = pd.DataFrame(res_de)

print('DE - PressureVessel')
print(df_de.describe())
```

```
DE - PressureVessel
      count      case1      case2      case3
mean    6476.948448  9784.676313  6092.374045
std      413.416141 13014.864002   82.679927
min     6060.591995  6090.829314  6059.731881
25%     6091.214704  6286.148668  6061.021478
50%     6390.846848  6646.514272  6063.480757
75%     6772.715736  7258.685089  6091.707510
max     7334.724031  77210.415340  6411.791999
```

## Design of Pressure Vessel

Optimization problem (minimization OR maximization): Minimization

Brief description of the optimization problem (2 paragraphs and link)

### 4.3.3 Example 10: Design of Tension/Compression Spring

This problem is taken from Belegundu which consists of minimizing the weight of a tension/compression spring subject to constraints on minimum deflection, shear stress, surge frequency, limits on outside diameter and on design variables.

The design variables are the wire diameter ( $d$ ), the mean coil diameter ( $D$ ) and the number of active coils ( $N$ ). Design vector can be defined as  $X = (x_1, x_2, x_3) = (d, D, N)$ .

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Dimension of optimization problem: 3 D

Population size: 15 members

Stopping criterion: 250 generations

Number of runs: 30

## Differential Evolution

```
In [4]: res_de = run(algorithm=DifferentialEvolution, problem=TensionCompressionSpring)

df_de = pd.DataFrame(res_de)

print('DE - TensionCompressionSpring')
print(df_de.describe())
```

```
DE - TensionCompressionSpring
      case1      case2      case3
count  30.000000  30.000000  30.000000
mean    0.012804   0.018485   0.012698
std     0.000149   0.010237   0.000028
min     0.012667   0.012677   0.012671
25%     0.012685   0.013840   0.012678
50%     0.012712   0.014974   0.012687
75%     0.012918   0.017931   0.012708
max     0.013140   0.055209   0.012799
```

## Design of a Speed Reducer

Optimization problem (minimization OR maximization): Minimization

Brief description of the optimization problem (2 paragraphs and link)

### 4.3.4 Example 11: Design of a Speed Reducer:

The weight of the speed reducer as shown in Fig. 4.4 is to be minimized subject to constraints on bending stress of the gear teeth, surfaces stress, transverse deflections of the shafts and stresses in the shafts.

The variables  $x_1$ ,  $x_2$ ,  $x_3$ ,  $x_4$ ,  $x_5$ ,  $x_6$  and  $x_7$  are the face width, module of teeth, number of teeth in the pinion, length of the first shaft between bearings, length of the second shaft between bearings and the diameter of the first and second shafts, respectively. The third variable is integer, the rest of them are continuous.

-Mechanical Design Optimization Using Advanced Optimization Techniques

Dimension of optimization problem: 7 D

Population size: 15 members

Stopping criterion: 250 generations

Number of runs: 30

Differential Evolution

```
In [5]: res_de = run(algorithm=DifferentialEvolution, problem=SpeedReducer(), N=N, G=G)

df_de = pd.DataFrame(res_de)

print('DE - SpeedReducer')
print(df_de.describe())
```

```
DE - SpeedReducer
```

	case1	case2	case3
count	30.000000	30.000000	30.000000
mean	2998.551847	3204.950537	3002.327741
std	3.722099	385.060737	3.335873
min	2993.872637	2993.188563	2997.334565
25%	2996.081460	3000.381746	2999.647216
50%	2997.291385	3008.295104	3001.929184
75%	2999.569033	3360.832122	3003.939163
max	3008.563380	4665.124869	3011.041617