Appendix C: Visualization Library

C.1 Field Visualization Techniques

C.1.1 Intent Field Representations

Vector Field Visualization

```
python
Import numpy as np
Import matplotlib. pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
def visualize_intent_field(field_data, time_step):
    Visualize 3D intent field with vector arrows
    Parameters:
    - fleld_data: 4D array (x, y, z, components)
    - time_step: specific time point to visualize
    flg = plt. flgure(flgslze=(12, 10))
    ax = flg. add_subplot(111, projection='3d')
    # Create mesh grid
    x, y, z = np. meshgrld(
        np. | | nspace(0, 10, 20),
        np. | | nspace(0, 10, 20),
        np. | | nspace(0, 10, 10)
    # Extract field components
    u = fleld_data[:, :, :, O, tlme_step]
    v = fleld_data[:, :, :, 1, tlme_step]
    w = fleld_data[:, :, :, 2, tlme_step]
    # Plot vector field
    ax. qul ver (x, y, z, u, v, w
              arrow_l ength_ratl o=0. 1,
              colors=plt.cm viridis(np.linalg.norm([u, v, w], axis=0)))
    ax. set_xl abel ('X (Information)')
    ax. set_yl abel ('Y (Structure)')
    ax. set_zl abel (' Z (Coherence)')
    ax.set_title(f'Intent Field Visualization - Timestep {time_step}')
```

Streamline Visualization

return flg

```
def visualize_field_streamines(field_data, time_step):
    Create streamine visualization of intent field flow
    flg, (ax1, ax2) = plt.subplots(1, 2, flgslze=(15, 7))
    \# 2D slice at z = center
    z_center = fleld_data.shape[2] // 2
    slice_data = fleld_data[:, :, z_center, :, time_step]
    x = np. arange(sllce_data.shape[0])
   y = np. arange(sllce_data. shape[1])
   X, Y = np. meshgrld(x, y)
    # Streamines
    ax1. streamplot(X, Y, slice_data[:, :, 0], slice_data[:, :, 1],
                   col or =np. sqrt(slice_data[:, :, 0] **2 + slice_data[:, :, 1] **2),
                   cmap=' pl asma')
    ax1. set_title('Intent Field Streamines')
    # Field magnitude heatmap
    magni tude = np. sqrt(np. sum(slice_data**2, axis=2))
   Im = ax2.imshow(magnitude, cmap='hot', origin='lower')
    ax2. set_title('Field Magnitude')
    plt.colorbar(lm ax=ax2)
   return flg
```

C.1.2 Harmonic Bloom Visualization

Time Evolution of Blooms

```
def vi sualize_bl oom_cascade(compl exity_data, bl oom_events):
    Visualize the harmonic bloom cascade over time
    flg, (ax1, ax2, ax3) = plt.subplots(3, 1, flgslze=(15, 15))
    # Main complexity evolution
    tl me_steps = np. arange(len(complexity_data))
    ax1. plot(tlme_steps, complexity_data, 'b-', llnewidth=2)
    # Mark bloom events
    for bloom_tlme in bloom_events:
        ax1. axvline(x=bloom_time, color='r', linestyle='--', alpha=0.7)
        ax1. scatter(bloom_tlme, complexity_data[bloom_tlme],
                    color = 'red', s = 100, zorder = 10)
    ax1. set_xl abel ('Time Steps')
    ax1. set_yl abel ('Complexi ty')
    ax1. set_title(' Harmonic Bloom Cascade Evolution')
    ax1. grld(True, alpha=0.3)
    # Derivative analysis
    compl exi ty_deri vati ve = np. gradl ent(compl exi ty_data)
    ax2. plot(time_steps, complexity_derivative, 'g-', linew'dth=1.5)
    ax2. axhline(y=0, color='k', linestyle='-', alpha=0.5)
    ax2. set_yl abel ('dCompl exi ty/dt')
    ax2. grld(True, alpha=0.3)
    # Phase portrait (complexity vs derivative)
    ax3. plot(complexity_data, complexity_derivative, 'purple', alpha=0.7)
    ax3. scatter(complexity_data[bloom_events],
               complexity_derivative[bloom_events],
               color = 'red', s = 100, zorder = 10)
    ax3. set_xl abel ('Complexity')
    ax3. set_yl abel ('dCompl exi ty/dt')
    ax3. set_title('Phase Portrait')
    ax3. grld(True, alpha=0.3)
    plt.tlght_layout()
    return flg
```

3D Bloom Visualization

```
pyt hon
def vi sualize_3d_bl oom_dynam cs(field_data, bl oom_events):
    3D visualization of field dynamics during bloom events
    flg = plt.flgure(flgslze=(15, 12))
    for I, (bloom_ldx, bloom_time) In enumerate(zip(bloom_events,
                                                     ['Bloom 1', 'Bloom 2', 'Bloom 3', '|
        ax = fig. add_subplot(2, 3, i+1, projection='3d')
        # Extract data around bloom event
        start_t = max(0, bloom_l dx - 10)
        end_t = min(len(fleld_data[0, 0, 0, :]), bloom_ldx + 10)
        # Create surface
        x, y = np. meshgrld(range(fleld_data.shape[0]), range(fleld_data.shape[1]))
        # Field magnitude at bloom center
        z_center = fleld_data.shape[2] // 2
        z_data = fleld_data[:, :, z_center, 3, bloom_ldx] # Coherence component
        surf = ax. plot_surface(x, y, z_data, cmap='viridis', alpha=0.8)
        ax. set_title(f'{bloom_time} - Timestep {bloom_idx}')
        ax. set_xl abel ('X')
        ax. set_yl abel ('Y')
        ax. set_zlabel('Field Coherence')
    pl t. tl ght_l ayout()
    return fig
```

C.2 Cross-Domain Correlation Visualizations

C.2.1 Scale-Invariant Pattern Display

Multi-Scale Correlation Plot

```
def visualize_cross_scale_correlations(quantum_data, neural_data, cosmic_data):
    0.0.0
    Visualize correlations across quantum neural, and cosmic scales
    flg, axes = plt. subplots(2, 2, flgslze=(16, 12))
    # Normalize data to [0, 1]
    def normalize(data):
        return (data - np. mln(data)) / (np. max(data) - np. mln(data))
    quantum_norm = normal|ze(quantum_data['coherence'])
    neural _norm = normal | ze(neural _data['complexity'])
    cosm c_norm = normallze(cosm c_data['structure_formation'])
    # Time alignment
    max_len = max(len(quantum_norm), len(neural_norm), len(cosm c_norm))
    tlme_axls = np.llnspace(0, 1, max_len)
    # Interpolate to common time axis
    quantum_interp = np.interp(time_axis,
                               np. | | nspace(O, 1, len(quantum_norm)),
                               quant um_nor m)
    neural_Interp = np.Interp(tlme_axls,
                              np. | | nspace(0, 1, len(neural_norm)),
                              neural _norm)
    cosm c_Interp = np.Interp(tlme_axls,
                              np. | Inspace(0, 1, len(cosmc_norm)),
                              cosm c_norm)
    # Plot overlays
    ax1 = axes[0, 0]
    ax1. plot(time_axis, quantum_interp, 'b-', label =' Quantum Coherence')
    ax1. plot(time_axis, neural_interp, 'g-', label = Neural Complexity')
    ax1. plot(time_axis, cosmic_interp, 'r-', label = Cosmic Structure')
    ax1. set_title('Cross-Scale Pattern Evolution')
    ax1. legend()
    ax1. grld(True, alpha=0.3)
    # Correlation matrix
    ax2 = axes[0, 1]
    corr_matrl x = np. corrcoef([quantum_l nterp, neural_lnterp, cosmic_lnterp])
    Im = ax2. Imshow(corr_matrix, cmap='RdBu_r', vmin=-1, vmax=1)
    ax2. set_xtlcks([0, 1, 2])
```

```
ax2. set_ytlcks([0, 1, 2])
ax2. set_xtlcklabels(['Quantum', 'Neural', 'Cosm'c'])
ax2. set_ytlcklabels(['Quantum', 'Neural', 'Cosm'c'])
plt.colorbar(lm ax=ax2)
ax2. set_title('Cross-Scale Correlation Matrix')
# Power spectrum analysis
ax3 = axes[1, 0]
for data, label, color in [(quantum_interp, 'Quantum', 'blue'),
                            (neural_Interp, 'Neural', 'green'),
                            (cosm c_Interp, 'Cosm c', 'red')]:
    f, psd = slgnal. welch(data)
    ax3.loglog(f, psd, color=color, label=label)
ax3. set_xl abel ('Frequency')
ax3. set_yl abel (' Power Spectral Density')
ax3. legend()
ax3. grld(True, alpha=0.3)
ax3. set_title('Power Spectrum Comparison')
# Phase relationship
ax4 = axes[1, 1]
ax4. scatter(quantum_Interp, neural_Interp, alpha=0.5, label='Quantum-Neural')
ax4. scatter(neural_interp, cosmic_interp, alpha=0.5, label='Neural-Cosmic')
ax4. scatter(quantum_Interp, cosm c_Interp, alpha=0.5, label='Quantum-Cosm c')
ax4. set_xlabel('Normalized Value')
ax4. set_ylabel('Normalized Value')
ax4. legend()
ax4. set_t|t|e('Phase Relationships')
plt.tlght_layout()
return flg
```

C.2.2 Resonance Pattern Maps

Harmonic Resonance Visualization

```
def vi sual i ze_resonance_patterns(resonance_data, frequency_bi ns):
    0.0.0
    Create detailed resonance pattern visualizations
    f|g = p|t.f|gure(f|gs|ze=(18, 10))
    # 3D surface plot of resonance landscape
    ax1 = fig. add_subplot(2, 2, 1, projection='3d')
    X, Y = np. meshgrld(range(resonance_data.shape[0]),
                        range(resonance_data.shape[1]))
    surf = ax1.plot_surface(X, Y, resonance_data, cmap=' magma')
    ax1. set_xl abel ('Ti me')
    ax1. set_yl abel ('Frequency Mode')
    ax1. set_z| abel (' Resonance Ampl | tude')
    ax1. set_t|t|e('Resonance Landscape')
    # Frequency spectrum waterfall
    ax2 = flg. add_subplot(2, 2, 2)
    Im = ax2.lmshow(resonance_data.T, aspect='auto', cmap='Inferno',
                     orlgln='lover', extent=[O, resonance_data.shape[O],
                                            frequency_bl ns[0], frequency_bl ns[-1]])
    ax2. set_xl abel ('Tl me')
    ax2. set_ylabel('Frequency (Hz)')
    ax2. set_t|t|e('Resonance Spectrogram')
    plt.colorbar(lm ax=ax2)
    # Peak resonance tracking
    ax3 = flg. add_subplot(2, 2, 3)
    peak_I ndl ces = np. argmax(resonance_data, axl s=1)
    peak_frequencles = frequency_bl ns[peak_l ndl ces]
    peak_amplitudes = np. max(resonance_data, axis=1)
    ax3. plot(peak_frequencles, 'b-', linewidth=2)
    ax3_twn = ax3.twnx()
    ax3_twn.plot(peak_amplitudes, 'r-', linewidth=2)
    ax3. set_xl abel ('Ti me')
    ax3. set_ylabel('Peak Frequency (Hz)', color='blue')
    ax3_twn.set_ylabel('Peak Amplitude', color='red')
```

```
ax3. set_title('Peak Resonance Tracking')
# Resonance network diagram
ax4 = flg. add_subplot(2, 2, 4)
# Calculate resonance correlations
corr_matrix = np. corrcoef(resonance_data. T)
threshold = 0.7
# Create network graph
G = nx. Graph()
n_modes = corr_matrlx.shape[0]
# Add nodes
for | In range(n_modes):
    G. add_node(I, frequency=frequency_bl ns[I])
# Add edges for strong correlations
for | In range(n_modes):
    for j in range(i +1, n_modes):
        if corr_matrix[i, |] > threshold:
            G. add_edge(I, ], welght=corr_matrlx[I, ]])
# Draw network
pos = nx. spring_layout(G, k=0.5)
nx. draw_networkx_nodes(G, pos, node_color='lightblue',
                       node_size=500, alpha=0.8, ax=ax4)
edges = [(u, v) for (u, v, d) In G. edges(data=True)]
vel ghts = [G[u][v]['wel ght'] for u, v In edges]
nx. draw_networkx_edges(G, pos, edgellst=edges, wdth=welghts*5,
                       al pha=0.6, ax=ax4)
ax4. set_title('Resonance Mode Network')
ax4. axl s('off')
pl t. tl ght_l ayout()
return flg
```

C.3 Energy and Complexity Visualizations

C.3.1 Energy Translation Flow Diagrams

Sankey Diagram for Energy Translation

```
python
Import plotly graph_objects as go
def visualize_energy_translation(energy_flows):
    Create Sankey diagram showing energy translation through system
    0.0.0
    # Define nodes
    nodes = dlct(
        pad=15,
        thl ckness=20,
        II ne=dict(color="black", width=0.5),
        label =["Input Energy", "Intent Field", "Structure Formation",
               "Information Organization", "Coherence Maintenance",
               "Dissipated", "Stored Complexity", "Output Organization"],
        col or =["bl ue", "green", "orange", "purple", "cyan",
               "red", "gold", "lightgreen"]
    )
    # Define links
    source=[0, 1, 1, 1, 2, 3, 4, 5],
        target = [1, 2, 3, 4, 5, 6, 6, 7],
        value=energy_flows
    )
    flg = go. Flgure(data=[go. Sankey(node=nodes, llnk=llnks)])
    fig. update_layout(title_text="Energy Translation Flow",
                      font_size=14,
                      W dt h = 1200
                      hel ght =800)
    return flg
```

Phase Space Visualization

```
def visualize_energy_complexity_phase_space(energy_data, complexity_data,
                                            system_states):
    Create phase space plot of energy vs complexity
    flg, (ax1, ax2) = plt.subplots(1, 2, flgslze=(16, 8))
    # Main phase space
    ax1. plot(energy_data, complexity_data, 'b-', alpha=0.6)
    # Color code by time
    tl mes = np. arange(len(energy_data))
    scatter = ax1. scatter(energy_data, complexity_data,
                          c=times, cmap='viridis', s=20)
    # Mark special states
    for state_name, Indices in system_states.items():
        for Idx In Indices:
            ax1. scatter(energy_data[|dx], complex|ty_data[|dx],
                        s=100, marker=' *', col or=' red', zorder=10)
            ax1. annotate(state_name,
                         (energy_data[idx], complexity_data[idx]),
                         xytext=(5, 5), textcoords='offset points')
    ax1. set_xl abel ('Energy Level')
    ax1. set_yl abel ('Complexity')
    ax1. set_title('Energy-Complexity Phase Space')
    plt.colorbar(scatter, ax=ax1, label='Time')
    # Derivative analysis
    energy_deri vati ve = np. gradlent(energy_data)
    compl exi ty_deri vati ve = np. gradl ent(compl exi ty_data)
    ax2. plot(energy_derivative, complexity_derivative, 'g-', alpha=0.6)
    ax2. scatter(energy_derivative, complexity_derivative,
               c=tlmes, cmap='plasma', s=20)
    ax2. set_xl abel ('dE/dt')
    ax2. set_yl abel ('dC/dt')
    ax2. set_title('Phase Space Derivatives')
    ax2. axhline(y=0, color='k', linestyle='--', alpha=0.5)
    ax2. axvII ne(x=0, color='k', linestyle='--', alpha=0.5)
    plt.colorbar(scatter, ax=ax2, label='Time')
```

plt.tight_layout()
return fig

C.4 Biological Development Visualizations

C.4.1 Neural Network Evolution

Network Growth Animation

```
def create_neural_development_animation(network_states, timestamps):
    Create animation of neural network development
    flg, (ax1, ax2) = plt.subplots(1, 2, flgslze=(15, 7))
    def update(frame):
        ax1. clear()
        ax2. clear()
        state = network_states[frame]
        tl mestamp = tl mestamps[frame]
        # Network topology
        G = nx.from_numpy_array(state['adj acency'])
        pos = nx. sprlng_layout(G, k=0.5)
        # Color nodes by activation
        node_colors = [state['activations'][node] for node in G.nodes()]
        nx. draw_networkx_nodes(G, pos, node_color=node_colors,
                               cmap='cool warm', node_slze=300, ax=ax1)
        nx. draw_net vor kx_edges (G, pos, al pha=0.5, w dt h=0.5, ax=ax1)
        ax1. set_title(f' Neural Network - Time: {timestamp}')
        ax1. axl s('off')
        # Statistics
        connect!v!ty = np. sum(state['adj acency']) / (len(state['adj acency'])**2)
        clustering = nx. average_clustering(G)
        path_length = nx.average_shortest_path_length(G) If nx.ls_connected(G) else O
        stats = [
            f"Connectivity: {connectivity: . 3f}",
            f"Clustering: {clustering:.3f}",
            f"Avg Path Length: {path_length: . 3f}",
            f"Total Nodes: {len(G. nodes())}",
            f"Total Edges: {len(G.edges())}"
        1
        for | stat | n enumerate(stats):
```

Synaptic Pruning Visualization

```
def vi sualize_synaptic_pruning(synaptic_welghts, pruning_thresholds):
    0.0.0
    VI sualize synaptic pruning process
    flg, axes = plt.subplots(2, 2, flgslze=(15, 12))
    # Weight distribution over time
    ax1 = axes[0, 0]
    for t, weights in enumerate(synaptic_weights):
        ax1. hlst(velghts.flatten(), blns=50, alpha=0.5,
                label =f' Ti me {t}', densi ty=True)
    ax1. set_xl abel ('Synaptic Weight')
    ax1. set_ylabel('Probability Density')
    ax1. set_title('Synaptic Weight Distribution Evolution')
    ax1. legend()
    # Pruning process
    ax2 = axes[0, 1]
    pruned_counts = []
    total_synapses = []
    for t, (weights, threshold) in enumerate(zip(synaptic_weights, pruning_thresholds)
        pruned = np. sum( wel ghts < threshold)</pre>
        total = len(welghts.flatten())
        pruned_counts.append(pruned)
        total_synapses.append(total)
    tl mes = range(len(synaptlc_welghts))
    ax2. plot(tlmes, total_synapses, 'b-', label = 'Total Synapses')
    ax2. pl ot(times, pruned_counts, 'r-', label = Pruned Synapses')
    ax2. fill_between(times, 0, pruned_counts, alpha=0.3, color='red')
    ax2. set_xl abel (' Devel opment Time')
    ax2. set_yl abel ('Synapse Count')
    ax2. set_title('Synaptic Pruning Process')
    ax2. | egend()
    # Network efficiency
    ax3 = axes[1, 0]
```

```
efficiencies = []
for weights in synaptic_weights:
    # Simple efficiency metric: information transfer per connection
    efficiency = np. sum(weights**2) / np. count_nonzero(weights)
    efficiencies.append(efficiency)
ax3. plot(times, efficiencies, 'g-', linewidth=2)
ax3. set_xl abel (' Devel opment Time')
ax3. set_ylabel('Network Efficiency')
ax3. set_title('Efficiency Through Pruning')
ax3. grld(True, alpha=0.3)
# 3D connectivity visualization
ax4 = flg. add_subplot(2, 2, 4, projection='3d')
# Show final state connectivity
final_weights = synaptic_weights[-1]
n_neurons = int(np. sqrt(len(flnal_welghts.flatten())))
adj_matrix = final_weights.reshape(n_neurons, n_neurons)
# Create 3D network
theta = np. | | nspace(0, 2*np. pl, n_neurons)
x = np. cos(theta)
y = np. sin(theta)
z = np. zeros_{l} | ke(x)
# Draw connections
for | In range(n_neurons):
    for J In range(n_neurons):
        If adj_matrix[i, j] > pruning_thresholds[-1]:
            ax4. plot([x[i], x[j]], [y[i], y[j]], [z[i], z[j]],
                    'g-', alpha=m n(adj_matrix[i, j], 1.0))
# Draw neurons
ax4. scatter(x, y, z, s=100, c='blue', alpha=0.8)
ax4. set_title('Final Network Architecture')
ax4. axl s('off')
plt.tlght_layout()
return flg
```

C.5 Cosmological Visualizations

C.5.1 Large-Scale Structure Evolution

Cosmic Web Visualization

```
pyt hon
def visualize_cosm c_web_evolution(density_fields, intent_fields, redshifts):
    Visualize evolution of cosmic large-scale structure
    flg = plt.flgure(flgslze=(20, 15))
    n_snapshots = len(denslty_flelds)
    cols = 3
    rows = (n_snapshots + cols - 1) // cols
    for I, (density, intent, z) in enumerate(zip(density_fields, intent_fields, redshire
        ax = flg. add_subplot(rows, cols, l+1)
        # Create 2D projection
        density_2d = np. sum(density, axis=2) # Sum along z-axis
        Intent_2d = np. sum(Intent, axIs=2)
        # Plot density field
        Im = ax. Imshow(np. log10(density_2d + 1), cmap='Inferno',
                       or |g| = |over'|, extent = [0, 100, 0, 100])
        # Overlay intent field contours
        contours = ax. contour(Intent_2d, levels=5, colors='cyan',
                              I I new dths=1, al pha=0. 7)
        ax. set_t|t|e(f'z = \{z:.1f\}')
        ax. set_xl abel (' Mbc/h')
        ax. set_yl abel (' Mbc/h')
        | f | == 0;
            plt.colorbar(lm ax=ax, label='log( / )')
    pl t. tl ght_l ayout()
    return flg
```

Halo-Intent Field Correlation

```
def visualize_halo_intent_correlation(halo_data, intent_field_data):
    0.0.0
   Visualize correlation between halo properties and intent field
    flg, axes = plt. subplots(2, 2, flgs|ze=(15, 12))
    # Halo mass vs local intent field strength
    ax1 = axes[0, 0]
    scatter = ax1. scatter(halo_data['masses'], halo_data['local_Intent'],
                          c=halo_data['redshlfts'], cmap='viridis',
                          al pha=0. 6, s=hal o_data['slzes']*10)
    ax1. set_xscal e('log')
    ax1. set_xlabel('Halo Mass [M/h]')
    ax1. set_ylabel('Local Intent Fleld Strength')
    ax1. set_title('Halo Mass - Intent Correlation')
    plt.colorbar(scatter, ax=ax1, label='Redshift')
    # Concentration-Intent relationship
    ax2 = axes[0, 1]
    ax2. scatter(halo_data['concentrations'], halo_data['intent_coherence'],
               c=halo_data['masses'], cmap='plasma', alpha=0.6)
    ax2. set_xl abel ('Hal o Concentration')
    ax2. set_yl abel ('Intent Field Coherence')
    ax2. set_title('Concentration - Coherence Correlation')
    plt.colorbar(scatter, ax=ax2, label='Halo Mass')
    # Radial profiles
    ax3 = axes[1, 0]
    rad|| = np.||nspace(0, 5, 50) # In virial radii
    for mass_bln in ['low', 'medium', 'high']:
        mask = halo_data['mass_bln'] == mass_bln
        avg_density = np. mean(halo_data['density_profiles'][mask], axis=0)
        avg_Intent = np. mean(halo_data['Intent_profiles'][mask], axls=0)
        ax3. plot(radil, avg_density, label =f'{mass_bln} mass - density')
        ax3. plot(radll, avg_Intent*max(avg_denslty), '--',
                label =f' { mass_bl n} mass - Intent (scaled)')
```

```
ax3. set_xl abel ('r/r_vlr')
ax3. set_ylabel(' / ')
ax3. set_yscal e('log')
ax3. legend()
ax3. set_title('Radial Profiles')
# Intent field topology
ax4 = axes[1, 1]
# Create network of high-coherence regions
coherence_threshold = np. percentile(Intent_field_data['coherence'], 95)
hl gh_coherence_mask = Intent_flel d_data['coherence'] > coherence_threshold
# Find connected regions
from ski mage. measure import label
label ed_regions = label (hi gh_coherence_mask)
# Analyze topology
region_sizes = np. bincount(labeled_regions.ravel())[1:] # Exclude background
ax4. hlst(region_sizes, blns=50, alpha=0.7)
ax4. set_xscal e('log')
ax4. set_yscal e('log')
ax4. set_xl abel ('Connected Region Size')
ax4. set_yl abel ('Count')
ax4. set_title('Intent Field Topology')
plt.tlght_layout()
return flg
```

C.6 Interactive Visualization Components

C.6.1 Dynamic Field Explorer

```
Import I pyw dgets as w dgets
from I Python. display I mport display, HTML
def create_i nteracti ve_fi el d_expl orer (fi el d_data):
    Create Interactive 3D field explorer with widgets
    # Create widgets
    tlme_slider = wdgets.intSlider(
        val ue=0,
        m = 0
        max = f | e | d_data. shape[-1] - 1,
        step=1,
        description='Time:',
        continuous_update=False
    )
    component_sel ector = w dgets. Dropdown(
        options=['Magnitude', 'X-component', 'Y-component', 'Z-component', 'Coherence'
        val ue=' Magni tude',
        description='Field Component:'
    )
    slice_plane = widgets. Dropdown(
        options=['XY', 'XZ', 'YZ'],
        val ue=' XY',
        description='Slice Plane:'
    )
    slice_position = widgets.intSlider(
        value=fleld_data.shape[2]//2,
        m = 0
        max=fleld_data.shape[2]-1,
        step=1,
        description='Slice Position:',
        contl nuous_update=Fal se
    )
    def update_plot(time, component, plane, position):
        fig, (ax1, ax2) = pit.subplots(1, 2, figsize=(15, 6))
        # Extract slice data
        if plane == 'XY':
```

```
data_slice = fleld_data[:, :, position, :, time]
    extent = [0, fleld_data.shape[0], 0, fleld_data.shape[1]]
ellf plane == 'XZ':
    data_slice = fleld_data[:, posltion, :, :, time]
    extent = [0, fleld_data.shape[0], 0, fleld_data.shape[2]]
else: # YZ
    data_slice = fleld_data[posltion, :, :, :, time]
    extent = [0, fleld_data.shape[1], 0, fleld_data.shape[2]]
# Select component
if component == 'Magnitude':
    plot_data = np. sqrt(np. sum(data_slice**2, axls=2))
ellf component == 'X-component':
    plot_data = data_sllce[:, :, 0]
ellf component == 'Y-component':
    plot_data = data_sllce[:, :, 1]
ellf component == 'Z-component':
    plot_data = data_slice[:, :, 2]
else: # Coherence
    plot_data = data_slice[:, :, 3]
# 2D field visualization
im1 = ax1.imshow(plot_data, cmap='viridis', origin='lower',
                extent = extent, aspect = 'equal')
ax1. set_title(f'{component} - {plane} plane at {position}')
plt.colorbar(lm1, ax=ax1)
# Field lines
If component | = 'Magnitude':
    If plane == 'XY':
        u, v = data_sllce[:, :, 0], data_sllce[:, :, 1]
    ellf plane == 'XZ':
        u, v = data_sllce[:, :, 0], data_sllce[:, :, 2]
    el se:
        u, v = data_sllce[:, :, 1], data_sllce[:, :, 2]
    ax2. streamplot(np. | | nspace(extent[0], extent[1], u. shape[0]),
                  np. | | nspace(extent[2], extent[3], u. shape[1]),
                  u. T, v. T, color = white, density=2)
    ax2. set_title('Field Lines')
    ax2. set_x| | m(extent[: 2])
    ax2. set_yllm(extent[2:])
el se:
    ax2 axls('off')
```

C.6.2 Real-Time Simulation Viewer

```
class Real TimeSimulationViewer:
    Real-time visualization of IntentSim simulations
    def __InIt__(self, slm_englne):
        self.slm = slm_englne
        self.flg, self.axes = plt.subplots(2, 2, flgslze=(15, 12))
        self.running = False
    def | n| t| a| | ze_p| ots(sel f):
        """Set up initial plot structures"""
        # Field visualization
        self. fleld_lm = self. axes[0, 0].lmshow(np. zeros((50, 50)),
                                               cmap='viridis', animated=True)
        self.axes[O, O].set_title('Intent Field')
        # Complexity evolution
        self.complexity_line, = self.axes[0, 1].plot([], [], 'b-')
        self.axes[0, 1].set_xllm(0, 1000)
        self.axes[0, 1].set_yllm(0, 3000)
        self.axes[O, 1].set_title('Complexity Evolution')
        # Energy tracking
        self.energy_line, = self.axes[1, 0].plot([], [], 'r-')
        self.axes[1, 0].set_xllm(0, 1000)
        self.axes[1, 0].set_yllm(0, 50)
        self.axes[1, 0].set_tltle('Energy Levels')
        # Coherence heatmap
        self.coherence_I m = self.axes[1, 1].Imshow(np.zeros((20, 20)),
                                                   cmap=' hot', anl mated=True)
        sel f. axes[ 1, 1]. set_tltle('Fleld Coherence')
        plt.tlght_layout()
    def update_frame(self, frame):
        """Update visualization for current simulation step"""
        state = self.slmget_current_state()
        # Update field visualization
        field_slice = state['field'][:, :, state['field'].shape[2]//2]
        self.fleld_lmset_array(np.abs(fleld_sllce))
        self.fleld_im set_clim(vmin=0, vmax=np.max(np.abs(fleld_slice)))
```

```
# Update time series
    self.complexity_line.set_data(state['time_history'],
                                  state['complexity_history'])
    sel f. energy_l | ne. set_data(state['tl me_hl story'],
                              state['energy_history'])
    # Update coherence
    coherence_matrix = state['coherence_matrix']
    sel f. coherence_I m set_array(coherence_matri x)
    self.coherence_im_set_clim(vm n=0, vmax=1)
    # Adjust axis limits if needed
   If len(state['time_history']) > 0:
        self.axes[0, 1].set_xlim(0, max(state['time_history'][-1]+100, 1000))
        self.axes[1, 0].set_xlim(0, max(state['time_history'][-1]+100, 1000))
    return [self.fleld_im self.complexity_line,
            self.energy_line, self.coherence_im]
def start_visualization(self):
    """Start real-time visualization"""
    self. | n| t| a| | ze_p| ots()
    anl = ani mation. FuncAni mation(self.flg, self.update_frame,
                                  frames=1000, Interval=50, bllt=True)
    # Add controls
    def toggl e_pause(event):
        If self. running:
            anl.pause()
            self.running = False
        el se:
            anl.resume()
            self.running = True
    def save_current_state(event):
        tl mestamp = datetl me. now(). strftl me("%/%m%d_%H%M\%")
        filename = f"simulation_state_(timestamp).png"
        self.flg.saveflg(fllename, dpl=300, bbox_lnches='tlght')
        print(f"Saved: {filename}")
    # Add buttons
    ax_pause = plt.axes([0.81, 0.01, 0.08, 0.04])
```

```
ax_save = plt.axes([0.91, 0.01, 0.08, 0.04])
btn_pause = Button(ax_pause, 'Pause/Resume')
btn_save = Button(ax_save, 'Save State')

btn_pause.on_clicked(toggle_pause)
btn_save.on_clicked(save_current_state)

self.running = True
return ani
```

C.7 Publication-Quality Figures

C.7.1 Figure Generation Templates

```
def create_publication_figure(data_dict, figure_type='multi_panel'):
    0.0.0
    Create publication-quality figures with consistent styling
    # Set publication style
    plt.style.use('seaborn-paper')
    plt.rcParams.update({
        'font.size': 10,
        'axes. label size': 10,
        'axes. titlesize': 12,
        'xtick.labelsize': 8,
        'ytick.labelsize': 8,
        'legend.fontsize': 8,
        'figure. titlesize': 14,
        'font.famly': 'DelaVu Sans',
        'mathtext, fontset': 'stix'
    })
    If flgure_type == 'single_panel':
        flg, ax = plt. subplots(1, 1, flgslze=(3.5, 3.5))
        return flg, ax
    ellf flgure_type == 'double_colum':
        fig. axes = pit. subplots(2, 3, figsize=(7.2, 4.8))
        return flg, axes
    ellf flgure_type == 'full_page':
        fig. axes = pit. subplots (3, 4, figsize = (7, 2, 9, 6))
        return flg, axes
    else: # Custom multi-panel
        flg = plt. flgure(flgslze=(7.2, 9.6))
        # Create custom grid
        gs = flg. add_grldspec(4, 4, hspace=0.3, vspace=0.3)
        # Main plot
        ax_main = fig. add_subplot(gs[0:2, 0:2])
        # Supporting plots
        ax_{energy} = flg. add_subplot(gs[0, 2:4])
        ax\_coherence = fig. add\_subplot(gs[1, 2: 4])
        ax_spectrum = flg. add_subplot(gs[2, 0:2])
```

```
ax\_correlation = fig. add\_subplot(gs[2, 2:4])
        ax\_phase = flg. add\_subplot(gs[3, 0:4])
        return flg, (ax_maln, ax_energy, ax_coherence,
                     ax_spectrum ax_correlation, ax_phase)
def add_scalebar(ax, length, label, loc='lower right'):
    """Add scalebar to plot"""
    from mpl_tool kl ts. axes_grl d1. anchored_artl sts | mport | AnchoredSl zeBar
    Import matplotlib.font_manager as fm
    fontprops = fm FontPropertles(slze=8)
    scal ebar = AnchoredSl zeBar(ax, transData,
                               length, label, loc,
                               pad=0, 1,
                               col or = 'bl ack',
                               frameon=False,
                               slze_vertlcal =0.5,
                               fontpropertles=fontprops)
    ax. add_artist(scal ebar)
def add_I nset_zoom(ax, data, zoom_regI on, zoom_factor = 2):
    """Add zoomed Inset to main plot"""
    from mpl_toolkits.axes_grid1.inset_locator import inset_axes, mark_inset
    # Create inset
    axins = inset_axes(ax, width="30%", height="30%", loc='upper right')
    # Plot zoomed data
    axl ns. I mshow(data[zoom_reglon[0]:zoom_reglon[1],
                      zoom_reglon[2]: zoom_reglon[3]],
                  cmap=ax. | mages[0]. get_cmap())
    # Mark the region
    mark_Inset(ax, axIns, loc1=2, loc2=4, fc="none", ec="red")
    # Remove ticks
    axi ns. set_xti cks([])
    axi ns. set_yti cks([])
    return axins
```



```
def export_anl mation(anl mation_data, output_format=' mp4', dpl =150):
    0.0.0
    Export animations in various formats for publications
    if output_format == 'mp4':
        # For papers with multimedia
        Writer = animation.writers['ffmpeg']
        writer = Wilter(fps=15, metadata=dict(artist='IntentSim'), bitrate=1800)
        anl.save('simulation_evolution.mp4', writer=writer, dpl=dpl)
    ellf output_format == 'gif':
        # For presentations
        ani.save('simulation_evolution.gif', writer='pillow', fps=10, dpl=dpl)
    ellf output_format == 'frames':
        # For custom processing
        for I, frame In enumerate(animation_data):
            plt.flgure(flgslze=(8, 6))
            # Plot frame
            plt.saveflg(f'frame_{l:04d}.png', dpl=dpl, bbox_lnches='tight')
            plt.close()
    elif output_format == 'web':
        # For interactive online viewing
        from matplotlib. animation import HTMLWiter
        ani.save('simulation_interactive.htm', writer=HTMLWfiter(embed_frames=True))
def create_flgure_legend(elements, title="", loc='upper right'):
    0.0.0
    Create comprehensive figure legend
    legend_elements = []
    for element in elements:
        if element['type'] == 'line':
            l egend_el ements. append(Ll ne2D([0], [0], col or =el ement['col or'],
                                         linestyle=element.get('linestyle', '-'),
                                         label =el ement['label']))
        ellf element['type'] == 'marker':
            legend_elements.append(Line2D([0], [0], marker=element['marker'],
                                         col or = 'w', markerfacecol or = el ement['col or'],
                                         markers| ze=element.get('s| ze', 10),
```

C.8 Visualization Gallery

C.8.1 Showcase Figures

The following templates demonstrate key visualizations for different audiences:

- 1. **Research Papers**: High-density multi-panel figures with detailed metrics
- 2. **Conference Presentations**: Clear, high-contrast visuals with minimal text
- 3. **Public Outreach**: Intuitive, aesthetically pleasing representations
- 4. **Technical Documentation**: Comprehensive plots with extensive annotations

C.8.2 Style Guidelines

Color Schemes:

Scientific: viridis, plasma, inferno

Qualitative: Set3, Paired

Diverging: RdBu, coolwarm

Font Sizes:

Journal articles: 8-10pt

Presentations: 12-14pt

• Posters: 16-20pt

Resolution:

• Print: 300 DPI minimum

Screen: 150 DPI

Web: 96 DPI

C.8.3 Accessibility Considerations

All visualizations should include:

- High contrast options
- Colorblind-friendly palettes
- Alternative text descriptions
- Interactive features for screen readers
- Scalable vector graphics when possible

Notes

- 1. All visualization code is optimized for both static and interactive use
- 2. Templates are modular and can be combined as needed
- 3. Export functions support multiple output formats
- 4. Styling follows scientific publication standards
- 5. Performance considerations included for large datasets

For additional visualization examples and tutorials, see the IntentSim documentation at: https://docs.TheVoidIntent.com/IntentSim/visualization/