

Integrate Your Work with L^AT_EX

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of Hong Kong



Department of
Electronic Engineering

PhD's Documents

- Articles
 - Conference/Journal Paper, Report, Proposal, Thesis
- Slides
- Poster
- Webpage
- Curriculum Vitae
- Data
- Chart

Available Tools



OpenOffice.org[®]

LibreOffice
The Document Foundation



WYSIWYG: what you see is what you get

Makeup language: L^AT_EX

Capability of L^AT_EX

- Articles ✓ *Of Course!*
 - Conference/Journal Paper, Report, Proposal, Thesis
- Slides ✓
- Poster ✓
- Webpage ✓
- Curriculum Vitae ✓
- Data
- Chart

As capable as Word and PowerPoint.

Available at: <https://www.dropbox.com/sh/jyv2gz71x6onbuuj/45p4V1NA25>



Slides: Beamer

Introduction:

<http://en.wikibooks.org/wiki/LaTeX/Presentations>

Tutorial:

[http://www.uncg.edu/cmp/reu/presentations/
CharlesBatts-BeamerTutorial.pdf](http://www.uncg.edu/cmp/reu/presentations/CharlesBatts-BeamerTutorial.pdf)

Poster

Available at:

http:

//www.brian-amberg.
de/uni/poster/

Reconfigurable Number Theoretic Transform (NTT) Architectures for Cryptographic Applications

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Contributions

- Arithmetic of modulo $2^n + 1$ operations is examined and optimized for FPGA implementation.
- Combinational, pipeline and area-optimized architectures for NTT are proposed in the scalable fashion using a design generator for different purposes and specifications.
- The complexity of the architectures is analyzed and FPGA implementations validate our analysis.

Backgrounds

Modular operations are the key operation for public key cryptographic algorithms. In order to take the computational advantage of spectral domain, Spectral Modular Arithmetic (SMA) is developed. The signal flow of SMA is shown in Fig. 1. In SMA, Number Theoretic Transform (NTT) and Inverse NTT (INTT) are employed to transform operands between normal representation and spectral representation.

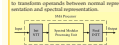


Fig. 1 The architecture of SMA process and data flow.

NTT and INTT is achieved by:

$$X_i = \sum_{j=0}^{n-1} x_j \omega_n^{ij} \quad \text{mod } q, \quad i = 0, 1, \dots, n-1$$

$$x_i = \sum_{j=0}^{n-1} X_j \omega_n^{-ij} \quad \text{mod } q, \quad i = 0, 1, \dots, n-1$$

where ω_n is a principal n -th root of unity in \mathbb{Z}_q and $\{\omega_n^i\}$ is a length- n sequence of elements of \mathbb{Z}_q . NTT mod $(2^n + 1)$ are called Montgomery/Number Theoretic Transform (MNT/NTT) respectively, and NTT mod $(2^n + 1)/q$ is called Montgomery/Number Theoretic Transform (MNT/NTT) respectively, and NTT mod $(2^n + 1)/q$ is called Montgomery/Number Theoretic Transform (MNT/NTT) respectively.

For computational efficiency, this work employs FFT architecture to reduce the complexity from $O(n^2)$ to $O(n \log n)$. Besides, parameters are chosen as:

- q is of the form $2^n + 1$.
- n is a power of 2.

References

- [1] G. K. Yao, T. Aue, and J. Kishino, "Analysis and synthesis Montgomery multiplication algorithms," *Micro. Reli.*, vol. 34, no. 3, pp. 261-276, 1994.
- [2] G. Kishino, "Spectral modular arithmetic," Ph.D. dissertation, Oregon State University, 1995.
- [3] G. Kishino and C. K. Yao, "Spectral modular arithmetic in AES," in *Proc. 1998 IEEE Symposium on*, 2002, pp. 123-132.
- [4] B. Beker, "Efficient modular arithmetic algorithms for elliptic curve cryptography," Ph.D. dissertation, University of California, Berkeley, 2000.
- [5] R. Zimmermann, "Efficient VLSI implementation of modular $2^n + 1$ addition and multiplication," in *Arith. 99. 1999 IEEE Symposium on*, 1999, pp. 100-102.

Basic Arithmetic Operations

The algorithms of basic arithmetic operations are given below:

Algorithm 1 Mod $q = (2^n + 1)$ reduction

1. $(x_{mod}, temp) \leftarrow A$ and $2^n \leftarrow [A/2^n]$

2. $temp \leftarrow temp + temp + temp + temp$

3. $(A - B) \bmod (2^n + 1) \leftarrow temp$

Algorithm 2 Mod $q = (2^n + 1)$ Add/Sub

1. $(x_{mod}, temp) \leftarrow A + B$

2. $(A + B) \bmod (2^n + 1) \leftarrow temp + temp$

3. $(A - B) \bmod (2^n + 1) \leftarrow temp + temp$

Algorithm 3 Mod $q = (2^n + 1)$ Add

1. $(x_{mod}, temp) \leftarrow A + B$

2. $temp \leftarrow temp + temp + temp + temp$

3. $(A + B) \bmod (2^n + 1) \leftarrow temp$

Algorithm 4 Mod $q = (2^n + 1)$ Sub

1. $(x_{mod}, temp) \leftarrow A - B$

2. $temp \leftarrow temp + temp + temp + temp$

3. $(A - B) \bmod (2^n + 1) \leftarrow temp$

Algorithm 5 Compare $A < B$

1. $x \leftarrow A - B$

2. $for i = 0; \log_2(n/2) - 1; do$

3. $x = x \gg 2^{i-1}$

4. $end for$

5. $x = x \gg (2^n - 1)$

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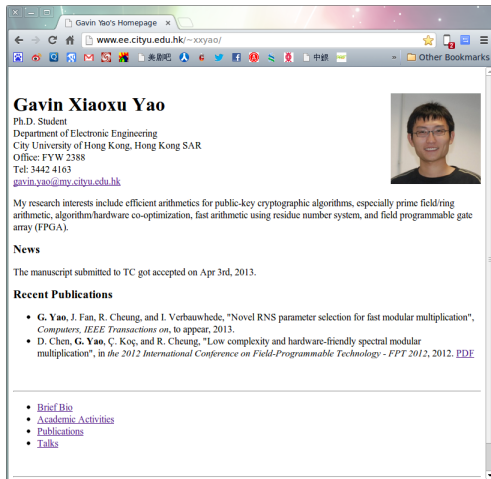
161. $B = B \gg (2$

Webpage

L^AT_EX2html

http:

//www.latex2html.org/



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May 14, 2013

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Educations

- **City University of Hong Kong (CityU)** Hong Kong
PhD Student, Electronic Engineering 2009 - Present
– Thesis: Efficient Modular Arithmetic and Architecture using Residue Number System
– GPA: 4.22 out of 4.3
- **Huazhong University of Science and Technology (HUST)** Wuhan, China
Bachelor of Engineering 2005 - 2009
– Major in Measuring and Control Technology and Instrumentation
– GPA: 91.7 out of 100, Rank 1st from the top out of 68

Research Project

- **Public-Key Cryptosystem Acceleration using Residue Number System**

Residue Number System (RNS) is naturally parallel, and we deploy RNS to perform public-key cryptographic algorithms on hardware platform. Now, we are keeping the world speed records for optimal site pairing and ECC over prime field at 128-bit security level.

Publication List

- G. Yao, J. Fan, B. Cheung, and I. Verbauwhede, "Novel RNS parameter selection for fast modulus multiplication", *Computers, IEEE Transactions on*, to appear, 2013.
- D. Chen, G. Yao, C. Koc, and R. Cheung, "Low complexity and hardware-friendly spectral modular multiplication", in *International Conference on Field-Programmable Technology - FPT 2012*, 2012.
- G. Yao, J. Fan, B. Cheung, and I. Verbauwhede, "Faster pairing coprocessor architecture", in *Pairing-Based Cryptography - Pairing 2012*, ser. LNCS, Springer, 2012.
- B. Cheung, S. Dupressat, J. Fan, N. Guillemain, I. Verbauwhede, and G. Yao, "FPGA implementation of pairing using residue number system and lazy reduction", in *Cryptographic Hardware and Embedded Systems - CHES 2011*, ser. LNCS, Springer, vol. 6917, pp. 421-441, 2011.
- G. Yao, J. Fan, I. Verbauwhede, and R. Cheung, "A high speed pairing coprocessor using residue number system and lazy reduction", *IACR Cryptology ePrint Archive* 2011:258, 2011.
- G. Yao, R. Cheung, C. Koc, and K. Man, "Reconfigurable number theoretic transform architectures for cryptographic applications", in *International Conference on Field-Programmable Technology - FPT 2010*, pp.308-311, 2010.
- G. Yao, R. Cheung, and K. Man, "Counter embedded memory architecture for trusted computing platform", in *IEEE International Symposium on Rapid System Prototyping - RSP 2010*, pp.1-7, 2010.

Academic Visit Experience

- **COSIC** KU Leuven, Belgium
Computer Security and Industrial Cryptography Jul. 2010 - Aug. 2010
- **CASED** TU Darmstadt, Germany
Center for Advanced Security Research Darmstadt Jun. 2011 - Aug. 2011

Teaching Experience

- **Systems and Control** CityU, Hong Kong
Teaching Assistant Jan. 2010 - Jun. 2012
– Graded assignments.
– Led laboratory and tutorial sessions.
- **Electronics Laboratory** CityU, Hong Kong
Teaching Assistant Sep. 2010 - Dec. 2010
– Graded assignments.
– Led laboratory sessions.

Referees

- **Dr. Ray C.C. Cheung** CityU, Hong Kong
Ph.D Supervisor, Assistant Professor r.cheung@cityu.edu.hk
- **Prof. Kim Fung Man** CityU, Hong Kong
Ph.D Co-Supervisor, Chair Professor, Head of Department EE edman@cityu.edu.hk
- **Prof. Ingrid Verbauwhede** KU Leuven, Belgium
Professor ingrid.verbauwhede@esat.kuleuven.be

Awards, Grants & Honours

Studentship of City University of Hong Kong 2009-2013
Stipend from Workshop on Cryptographic Hardware and Embedded Systems 2011 2011
CityU Research Activities Fund 2010, 2011
CityU Conference Grant 2010
Enrollment of Direct Ph.D Programme at CityU 2009
First Prize in Campus Intelligent Automobile Competition, Excellent Students Cadre 2007
Three-Virtue Students, Excellence Scholarship 2006, 2007
Student Elite of HUST, Top Academic Student, Art and Sport Scholarship 2006

Skills

- **Expert:** Sage, C, Verilog, iVtX, MS Office, MATLAB.
- **Intermediate:** VHDL, Python, Linux, TPM.

My Setting

- OS: Ubuntu
 - <http://www.ubuntu.com/>
- L^AT_EX: texlive
 - bash: `sudo apt-get install texlive-full`
- Editor: gvim + vim-latex-suite
 - Vim: <http://www.vim.org/>
 - Vim-latex-suite: <http://vim-latex.sourceforge.net/>

Frame

Basic Frame

```
\begin{frame}[<alignment>]  
  \frametitle{Frame Title Goes Here}  
  Frame body text and/or LATEXcode  
\end{frame}
```

Useful [<alignment>]: [plain]

Lists

Itemize

```
\begin{itemize}
  \item The first item
  \item The second item
\end{itemize}
```

- The first item
- The second item

Enumerate

```
\begin{enumerate}
  \item The first item
  \item The second item
\end{enumerate}
```

- 1 The first item
- 2 The second item

Another one is description: `\item[1st]` The first item

Text

Font Size

`\Huge`

`\huge`

`\Large`

`\large`

`\normalsize`

`\small`

`\footnotesize`

`\scriptsize`

`\tiny`

Fonts

`\textbf{Sample}`

`\textit{Sample}`

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`\textsl{Sample}`

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`\emph{Sample}`

`\alert{Sample}`

`\textcolor{yourcolor}{Sample}`

Space

Space

`\vspace{0.5cm}`

`\hspace{.1\textwidth}`

Alignment

`\centering`

`\raggedleft`

`\raggedright`

Block and Columns

Block

```
\begin{block}{Block title}
  Content here
\end{block}
```

Columns

```
\begin{columns}
  \column{.5\textwidth}
    Column 1 content
  \column{.5\textwidth}
    Column 2 content
\end{columns}
```

Table and Figure

Block

```
\begin{tabular}{<alignment>}
  Sth. & Sth. & Sth. \\
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\end{tabular}
```

Figure

```
\includegraphics[width=.5\textwidth]{figure/cityu_logo.JPG}
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Animation

Animation

```

\pause
\visible<number>\{visible text\}
\invisible<number>\{invisible text\}
\textcolor<2>\{blue\}\{change color later\}
\begin{itemize}[<+>->]
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\end{itemize}
\usepackage{xmpmulti}
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Title Page

Preamble

```
\title[short title]{long title}  
\subtitle[short subtitle]{long subtitle}  
\author[short author]{long author}  
\date[short date]{long date}  
\institution[short name]{long name}
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Title Frame

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Section

Section

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  \subsection{SubSection Name}
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Table of Contents

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Themes

Usage

```
\usetheme{Warsaw}
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Themes

Antibes	Bergen	Berkeley	Berlin
Boadilla	Copenhagen	Darmstadt	Dresden
Frankfurt	Goettingen	Hannover	Ilmenau
Juanlespins	Madrid	Malmoe	Marburg
Montpellier	Paloalto	Pittsburgh	Rochester
Singapore	Warsaw		

Remarks

I am not sales.

- L^AT_EX is not better than other tools.
- I use it because I am lazy.
- Changing habit is not comfortable.

One tip on Presentation: **Keep it Simple**

- Simple language to be heard
- Simple structure to be absorbed
- Simple example for easy learning
- Simple layout to focus

Finally,

- One cannot make a silk purse out of a sow's ear.
巧妇难为无米之炊.