

## Implementing a symmetric cryptographic protocol : DES

The DES protocol allows encryption and decryption of 64-bits blocks, with a 56 bits key. This algorithm uses various tables for substitution, expansion, permutations, and also uses a nonlinear operator : the bitwise XOR operator.

The sequence of DES is the following

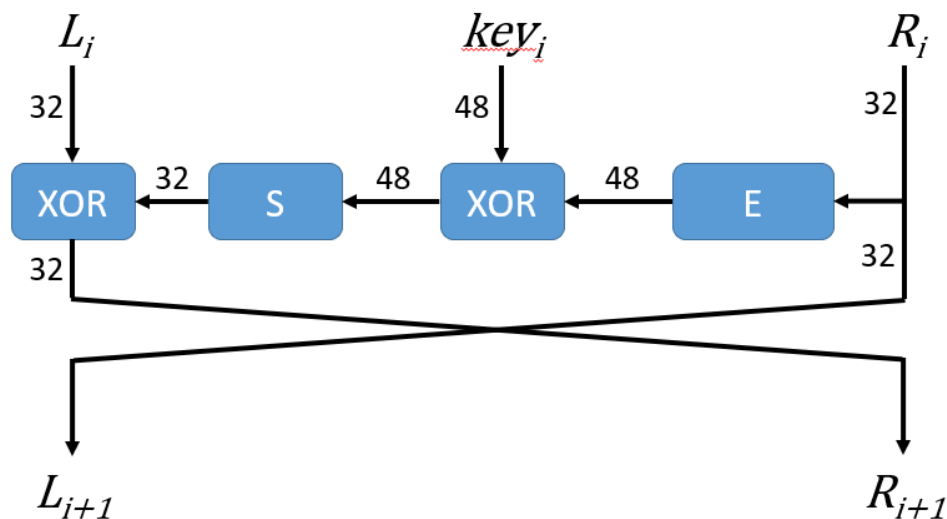
Let  $M$  be the original message (64 bits block to cipher)

### Step 1

$M$  is shuffled using an initial permutation (**init\_perm** array)

The resulting block is splitted in two 32-bit blocks:  $L_0$  and  $R_0$

Step 2 is composed of 16 rounds described by the following picture:



2.1 expand  $R_i$  using the E table (**expansion\_table** array)

2.2 generate 48 bits subkey  $key_i$  (see below)

2.3 operate a XOR between expanded version of  $R_i$  and  $key_i$

2.4 input the 48 bit computed value at step 2.3 to the  $i^{\text{th}}$  S-Box (**s\_boxes** array), get the 32 bits output

2.5 permute the previous result (**permut\_32** array)

2.6 operate a XOR between the result of step 2.5 and  $L_i$

The computed value is then  $L_{i+1}$ . Use  $L_i$  as initial value for  $R_{i+1}$

### Step 3

At the output of the 16<sup>th</sup> round, the values are  $L_{16}$  and  $R_{16}$

$L_{16}$  is appended to  $R_{16}$ , then a reverse permutation is done ([reverse\\_perm](#) array)

#### Step 2.2 : Generating subkeys for each round.

An arbitrary 56 bits key is chosen, expanded to 64 bits with odd parity control : for each block of 7 bits, an eight bit is added so that the number of 1s in the 8 bit-block is odd.

The key is divided in two blocks of 28 bits each :

The left block  $L$  is calculated from the key with the [pc\\_1\\_left](#) array

The right block  $R$  is calculated from the key with the [pc\\_1\\_right](#) array

Each of these two blocks is then left shifted by some number of positions, depending on the round. For the first round, the shift is 1 bit left, for the second round, the shift is 2 bits left, ... See the [keyshift](#) table to know the left shift offset.

The shifted  $R$  block is then appended to the shifted  $L$  block, the resulting 48 blocks is finally extracted using the [pc\\_2](#) array.

This produces the key for the current round.