Challenge B

Cosma, Bianca & García Bouyssou, Clara

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Task 1B - Predicting house prices in Ames, Iowa (continued)

Step 1

Random forest algorithms are used for regression and classification models. Compare to other models it relies on fewer assumptions. The prediction is made on 2/3 of the training sample. This subsample is created by random selection of cases(observations) with replacement and it is used to grown the trees. Then a subsample of inputs (independent variables) are selected at random. Afterwards the remaining part of the sample it is used to calculate the Out-Of-the-Bag (OOB) error rate. Each tree gives a classification on the OOB, then the classification having the most votes is choosen. In the case is tackled here, a regression model, the classification is the average of the outcome(dependent variable).

Step 2

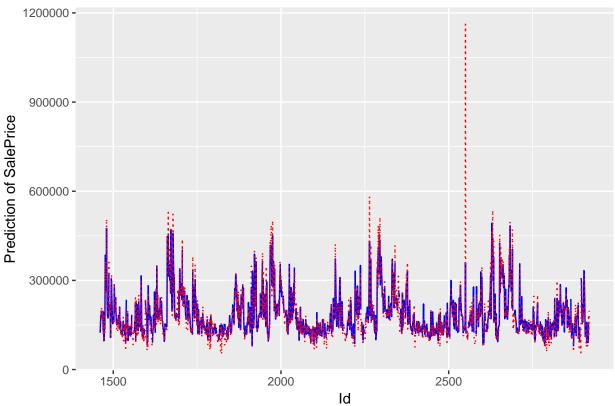
A model is created with random forest and the results are presented below:

Length	Class	Mode
4	-none-	call
1	-none-	character
1338	-none-	numeric
500	-none-	numeric
500	-none-	numeric
1338	-none-	numeric
73	-none-	numeric
0	-none-	NULL
0	-none-	NULL
0	-none-	NULL
1	-none-	numeric
1	-none-	numeric
11	-none-	list
0	-none-	NULL
1338	-none-	numeric
0	-none-	NULL
0	-none-	NULL
3	terms	call
122	${\tt exclude}$	numeric
	4 1 1338 500 500 1338 73 0 0 0 1 1 11 0 1338 0 0 3	4 -none- 1 -none- 1 -none- 1338 -none- 500 -none- 500 -none- 1338 -none- 0 -none- 0 -none- 1 -none- 1 -none- 1 -none- 1 -none- 1 -none- 1 -none- 0 -none- 1 -none- 0 -none- 1 -none-

Step 3

Once the predictions using random forest model are computed, they are plotted together with the predictions from the linear model obtained in Challenge A. It is possible to observe a difference between the two predictions. Moreover, in the linear model we obtained an important outlier that does not appear in this machine learning technique.





Task 2B - Overfitting in Machine Learning (continued)

Step 1

By employing the training dataset a low flexibility local linear model is constructed. Summary is displayed below:

Regression Data: 122 training points, in 1 variable(s)

Bandwidth(s): 0.5

Kernel Regression Estimator: Local-Linear

Bandwidth Type: Fixed

Residual standard error: 1.085438

R-squared: 0.8540956

Continuous Kernel Type: Second-Order Gaussian

No. Continuous Explanatory Vars.: 1

Step 2

With the same procedure a high flexibility local linear model is created using the training dataset:

Regression Data: 122 training points, in 1 variable(s)

Bandwidth(s): 0.01

Kernel Regression Estimator: Local-Linear

Bandwidth Type: Fixed

Residual standard error: 0.5070779

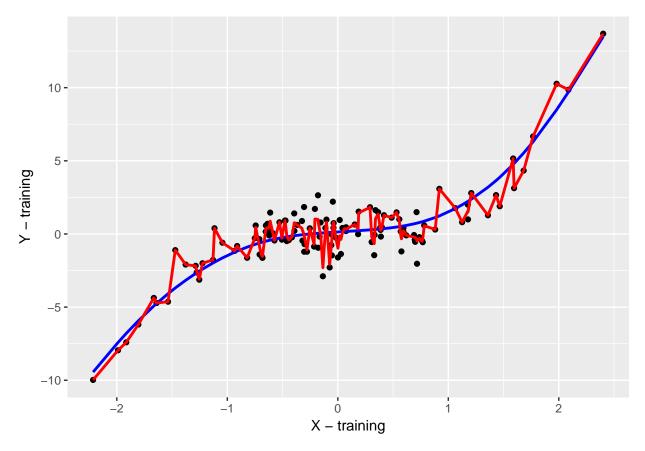
R-squared: 0.9680171

Continuous Kernel Type: Second-Order Gaussian

No. Continuous Explanatory Vars.: 1

Step 3

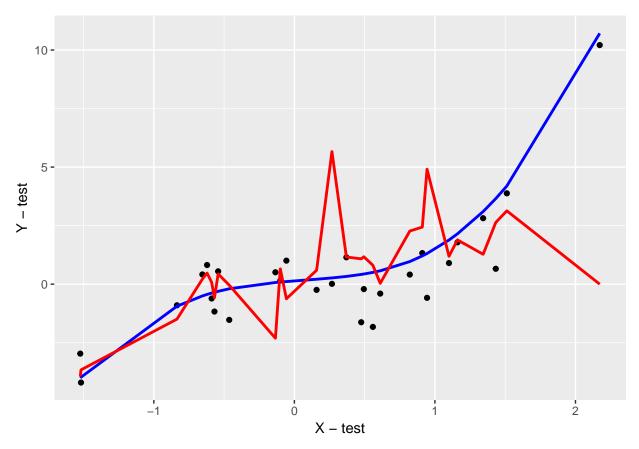
The following scatterplot reports the values of x and y and the prediction of the low (blue) and high (red) flexibility models in the training dataset.



Step 4

It is possible to observe that the high flexibility model leads to more variance in the predictions. On the other hand, the low flexibility model increases the bias i.e. the distance between the prediction and the value. Therefore, is necessary to find the right balance between overfitting and underfitting respectively.

The following scatterplot presents the values of y and x along with the predictions of the high and low flexibility models in the test dataset.



The high flexibility model has still the highest variance among predictions. Besides, being this the least biased model it can be seen that the fitted model does not addapt properly to the new sample. In fact, the original variance of the model does not reflect the variance of the new sample.

Step 6

First of all, a vector with different bandwidths is created in order to construct models with different degrees of flexibility.

Step 7

A function was employed to creat a model for each value in the bandwidth interval in the training dataset.

Step 8

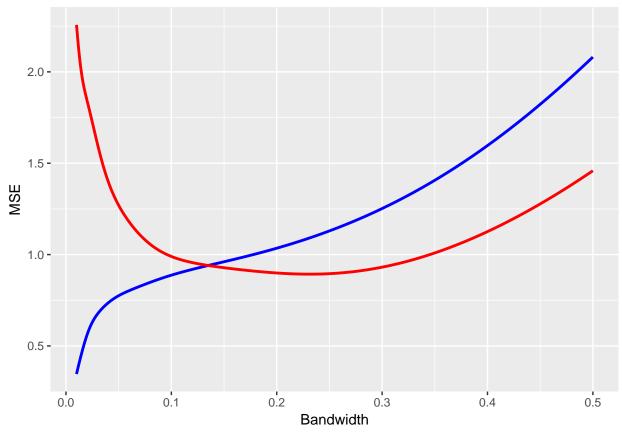
After computing the predictions in the training dataset for each model the mean squared error is computed.

```
Min. 1st Qu. Median Mean 3rd Qu. Max. 0.3461 0.9369 1.1404 1.2262 1.5067 2.0810
```

The previous step is repeated on the test dataset.

Step 10

The following graph summarises how de MSE changes with respect to the bandwidth in the two samples i.e. blue for the training dataset and red for the test. It can be concluded that the MSE in the test dataset reaches a minimum for intermediate values of the bandwidth i.e. 0.2, instead in the training dataset the mean squared error is almost proportionally increasing with the bandwidth. Therefore it is preferable to use a value around the median of the bandwidth.



Task 3B - Privacy regulation compliance in France

Step 1

For the next steps the dataset CNIL will be employed.

Step 2

The following table sumarizes how many organizations in France have adhered to the CNIL per department i.e. they have a CIL.

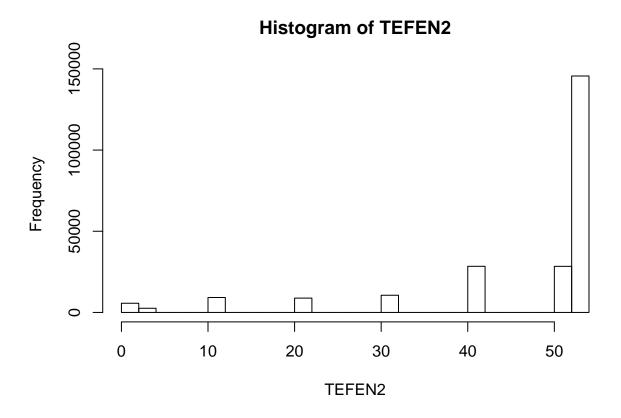
	_				
4.		Number	of	organizations	
1:	01				1247156
2: 3:	02 03				1042223 696910
4:	03				436588
5:	05				436566
6:	06				
7:	07				2758356
8:	08				490274
9:	09				501518 198296
10:	10				861278
11:	11				932791
12:	12				472694
13:	13				4976823
14:	14				2342945
15:	15				307214
16:	16				924127
17:	17				1482943
18:	18				760128
19:	19				592323
20:	20				821015
21:	21				1330379
22:	22				1228357
23:	23				303156
24:	24				820373
25:	25				1113925
26:	26				1135166
27:	27				1104939
28:	28				867000
29:	29				1777066
30:	30				1282962
31:	31				3140816
32:	32				777053
33:	33				3692845
34:	34				2632928
35:	35				2427073
36:	36				523643
37:	37				1389506
38:	38				3420784
39:	39				479395
40:	40				1777811
41:	41				853743
42:	42				1841759
43:	43				541104
44:	44				3186444
45:	45				1786777
46:	46				517875
47:	47				841253
48:	48				120273
49:	49				1637051
50:	50				1392722
51:	51				1444169
52:	52				374540
53:	53				915805

54:	54				1876	3004
55:	55				492	2392
56:	56				142	1324
57:	57				2440	0196
58:	58				377	7635
59:	59				5342	2534
60:	60				209	5044
61:	61				536	3246
62:	62				2247	7181
63:	63				1167	7134
64:	64				1438	3362
65:	65				456	3154
66:	66				1033	3592
67:	67				274:	1503
68:	68				1695	5674
69:	69				5740	0825
70:	70				574	1975
71:	71				1115	5832
72:	72				1159	9826
73:	73				1159	9507
74:	74				1808	3049
75:	75				20680	0495
76:	76				3038	3177
77:	77				2427	7699
78:	78				3208	3572
79:	79				1115	5939
80:	80				1569	5386
81:	81				680	0175
82:	82				597	7479
83:	83				207	1381
84:	84				132	5238
85:	85				1384	1561
86:	86				1203	3310
87:	87				1150	0170
88:	88				986	3807
89:	89				783	1574
90:	90				275	5901
91:	91				2327	7495
92:	92				946	7573
93:	93				323	5117
94:	94				3059	9537
95:	95				1889	9832
96:	97				2543	1888
97:	98				354	1983
	${\tt Department}$	Number	of	${\tt organizations}$	with	CIL

First of all the dataset SIRC was imported. Then, it was merge whith the dataset cnil by the variable SIREN.

The dataset presents information on the employment size of the various companies. This variable is categorical with the numeric values that represent the size. In the histogram it is seen that companies that have employment size greater than 2000 employees (categories greater than 51 ¹) have the highes frequency.

Warning: NAs introduced by coercion



##Appendix Here there is the timing of the Task 3

 $^{^{1} \}rm https://www.sirene.fr/sirene/public/variable/tefen$