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#C-3.40
logb f(n) = log f(n)/logb;
logb is a constant so the core of the function is log f(n), which is
 $\Theta(\log f(n))$ 
```

```
#C-3.50
Something like this...
a) list of len i with all values x
    for i in n:
        for j<i j++:
            list[i]*=x
    sum(list)
```

```
b) list of len i with all values x
    for i in n:
        while i>1:
            if n%2:
                list[i]*=list[i]
                i=i/2
            else:
                list[i]*=x
                i-=1
    sum(list)
```

```
c)  $O(n)$ 
```

```
#R-3.17
Show that  $(n+1)^5$  is  $O(n^5)$ 
The expanded form of  $(n+1)^5$  would have a highest degree of  $n^5$  and as n
gets very big the other terms become relatively insignificant. As n
becomes very big, there exist positive constant c that makes  $cn^5$  greater
than  $n^5$ .
```

```
#C-4.20
def sort(s,k):
    if s[0]<=k:
        return s[0]+sort(s[1:],k)
    else:
        return sort(s[1:],k)+s[0]
 $\Theta(n)$ 
```

```
#C-4.10
find log n using division and addition
def flog(n):
    if n == 1:
        return 0
    else:
        return flog(n//2)+1
```