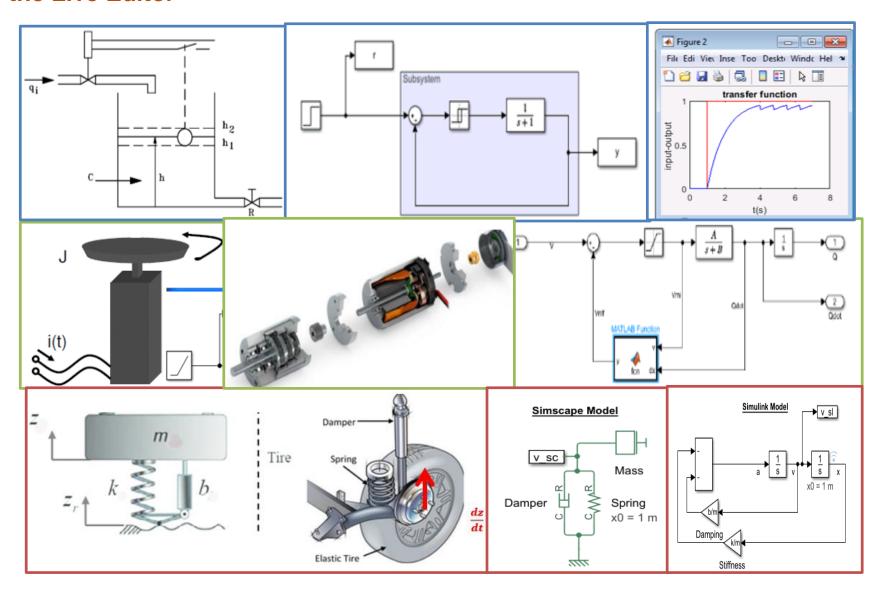


Modeling & Simulation of Dynamic Systems (MSDS)

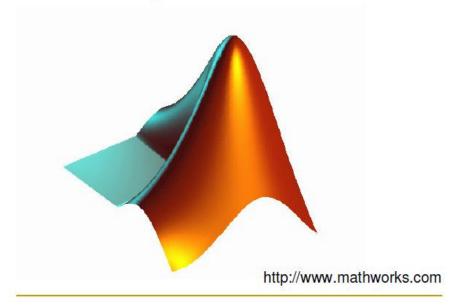
Simulation and Model Based Design

Introduction to System Modeling with MATLAB and Simulink and the Use of the Live Editor



In this course on system modeling with MATLAB and Simulink, you'll learn the basics of Simulink and Simscape, two powerful tools for simulating dynamic systems. We'll cover everything from connecting blocks to modeling complex mechanical systems, giving you practical experience in system analysis. Let's dive in and explore together!

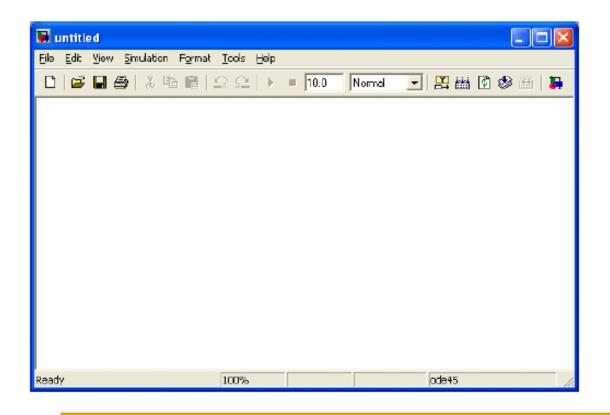
MATLAB SIMULINK ® - Simulation and Model Based Design



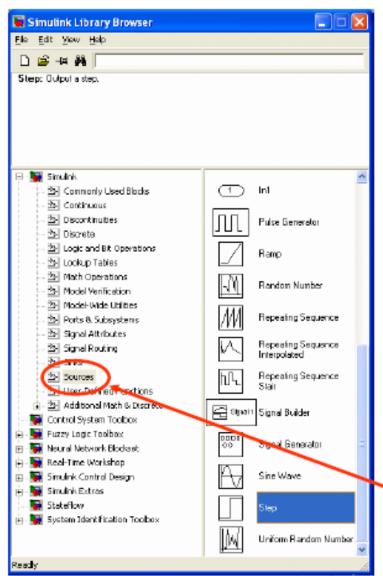
What is Simulink good for?

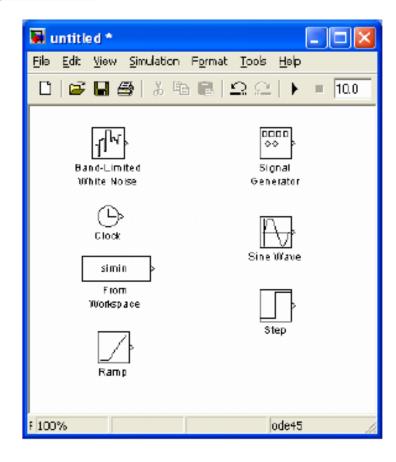
- -Modeling/designing dynamic systems (including nonlinear dynamics)
- -Modeling/designing control systems (including nonlinear controllers and plants)
- -Signal processing design/simulation

A Simulink model is a block diagram. Click "File|New|Model" in the Library Browser. An empty block diagram will pop up. You can drag blocks into the diagram from the library.



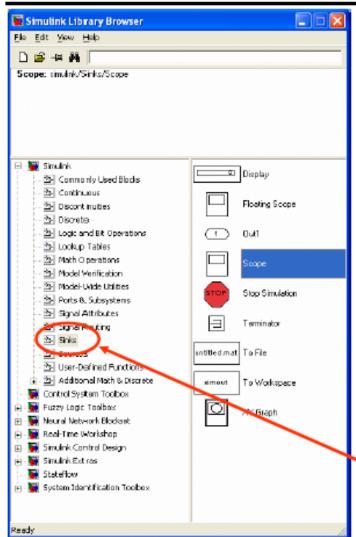
Sources: Produce Signals

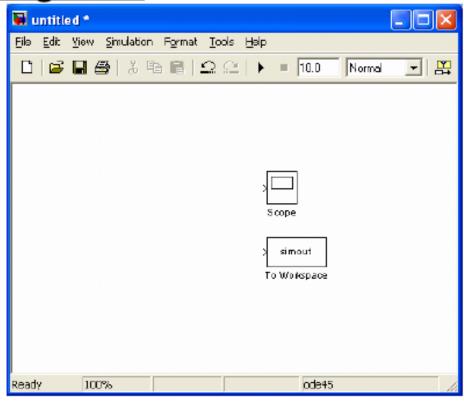




Select "sources" from the library. Drag any block you want to use into the model.

Sinks: Terminate Signals

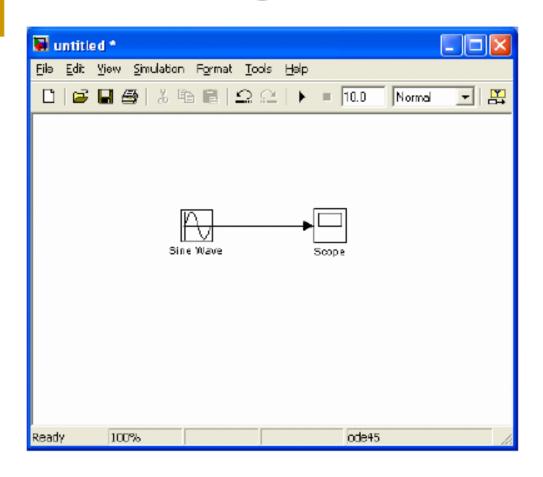




Select "sinks" from the library.

Drag any block you want to use into the model.

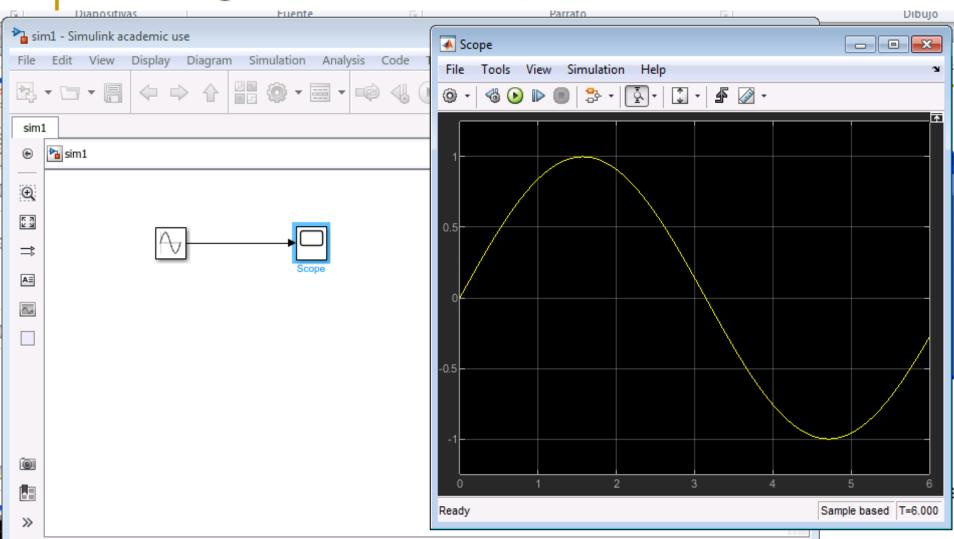
Connecting Blocks



Drag a signal line from the output of a block to the input of another block.

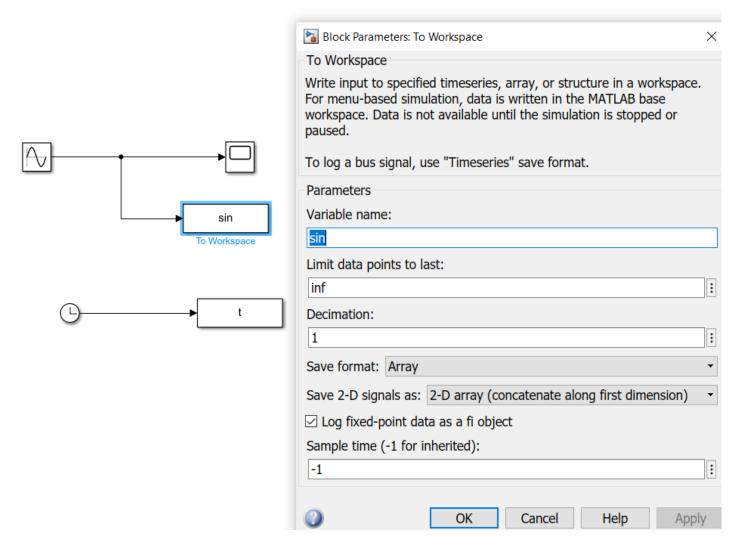
Ctrl-Click will automatically connect.

Viewing Results: Scope

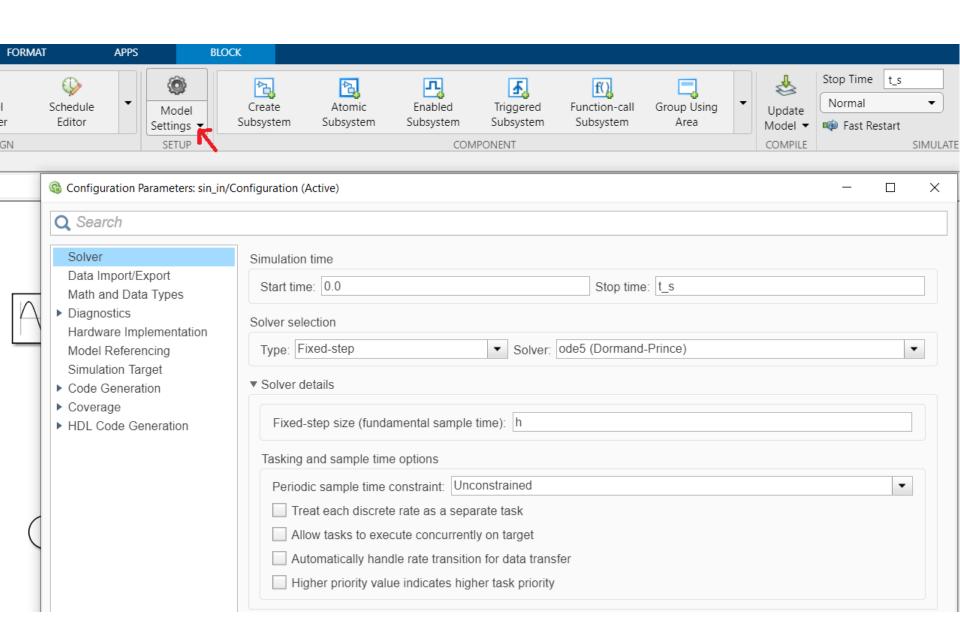


Running the Simulation

```
%%%% FIRST PROGRAM
응응응응
\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}\2\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac{1}{2}\)\(\frac
%%% 1. PARAMETERS
t s = 10;
h = 0.001;
%%% 2. VALUES
% Sin Input
A=1;
f=3; % (rad)
% 3. SIMULATION AND PLOTS
 sim sin w
%%% plots
 figure;
plot(t,sin w);
xlabel('Time(s)');
ylabel('sin (rad.)');
title('Simula sin');
```

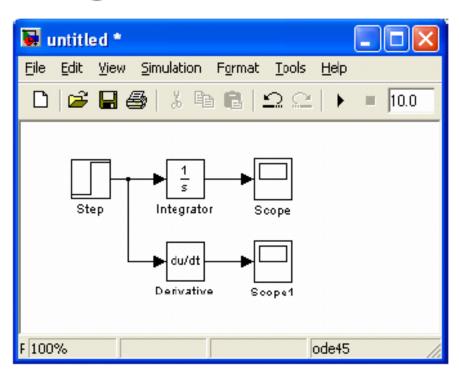


Asst. Prof. Claudia F. YAŞAR YTU Control and Automation Engineering Department-2024

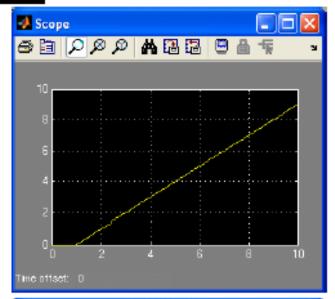


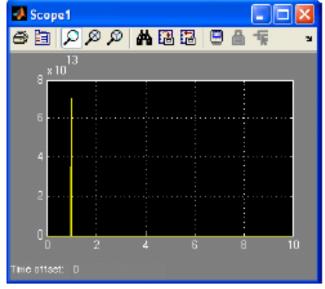
Asst. Prof. Claudia F. YAŞAR YTU Control and Automation Engineering Department-2024

Integrators and Derivatives

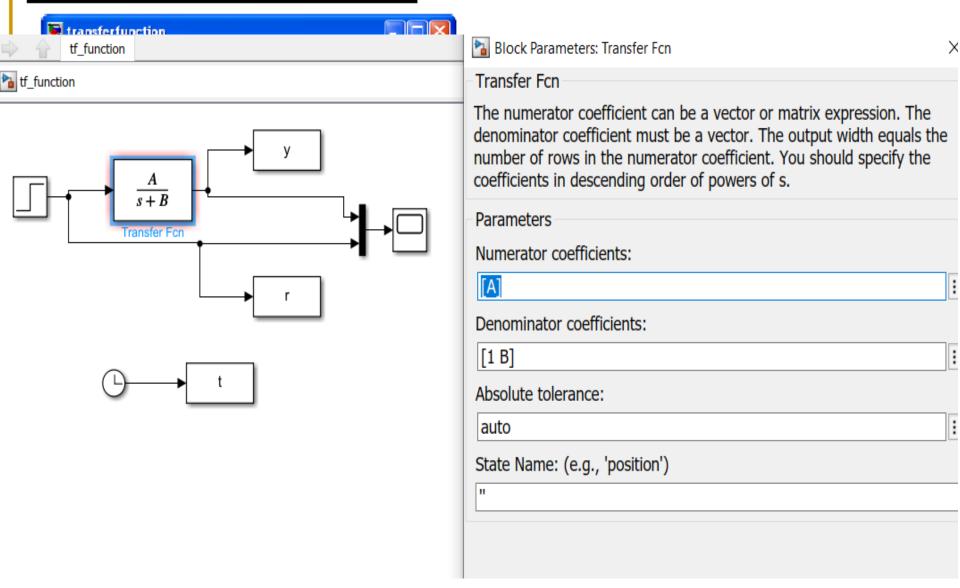


Integrators and derivatives are available in the "continuous" library.

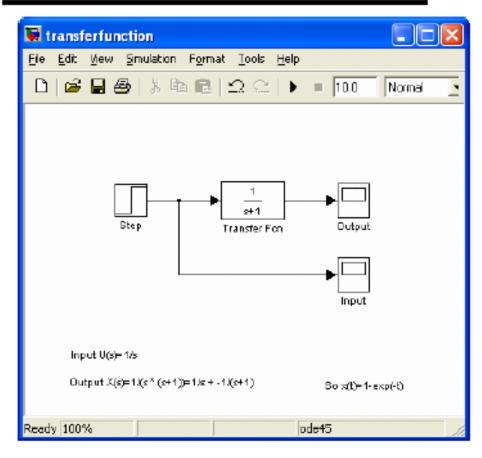




Transfer Functions



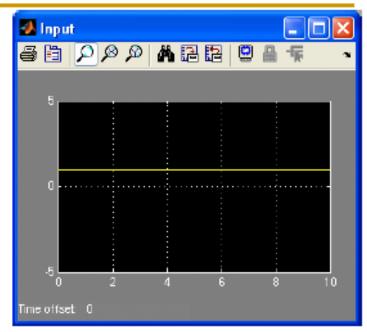
Transfer Functions

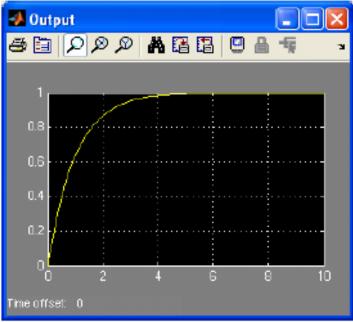


$$U(s) = 1/s$$

$$X(s)=1/(s(s+1))=1/s-1/(s+1)$$

So
$$x(t)=1-exp(-t)$$



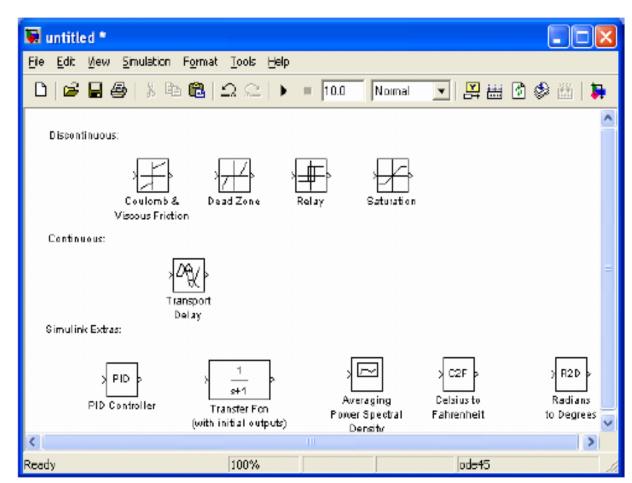


Other Useful Blocks

Under "Discontinuous" you will find coulomb friction, dead zone, saturation, and relay.

Under "Continuous" there is a delay block.

Under "Simulink Extras" there is a PID controller, transfer function with non-zero initial conditions, some useful sinks (such as power spectral density), and radians-to-degrees and Fahrenheit-to-Celsius converters.

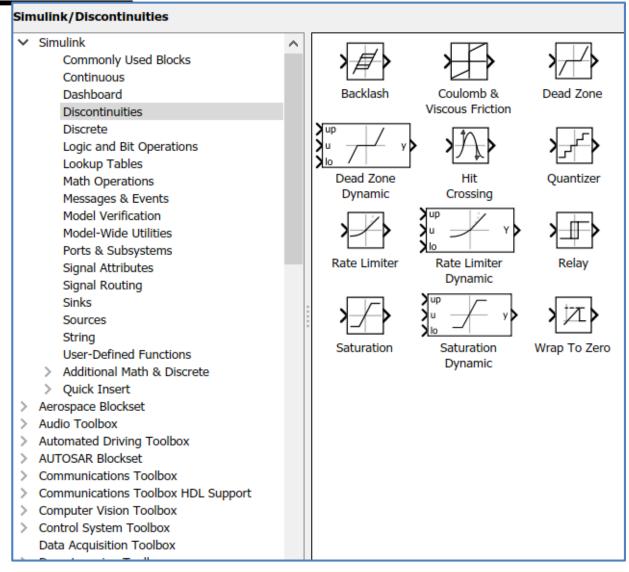


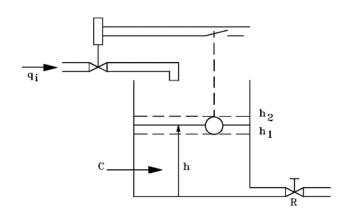
Other Useful Blocks

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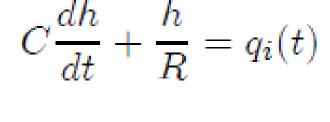
Under "Continuous" there is a delay block.

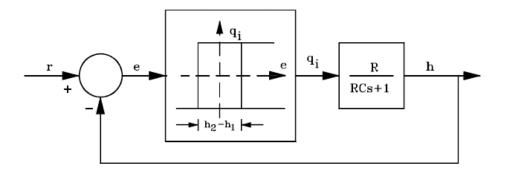
Under "Simulink Extras" there is a PID controller, transfer function with non-zero initial conditions, some useful sinks (such as power spectral density), and radians-to-degrees and Fahrenheit-to-Celsius converters.

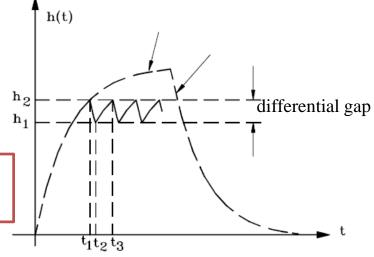




Modelling the tank

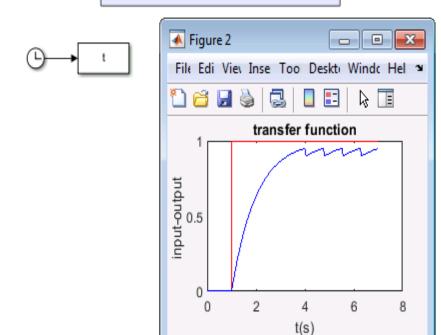


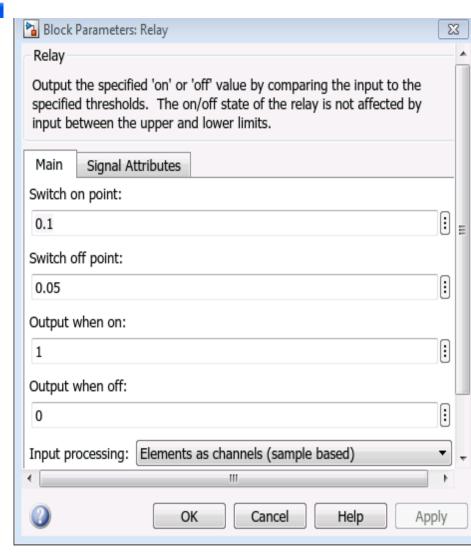




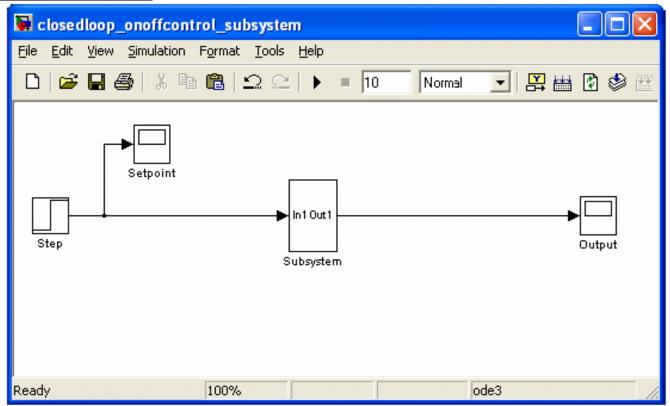
Response of the level of a tank with ON-OFF control and a differential gap

Closed Loop Control System: Subsystem





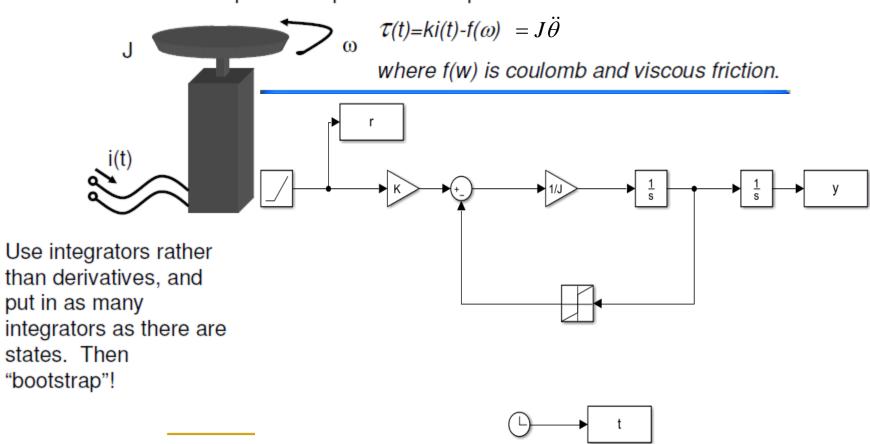
<u>Subsystems</u>

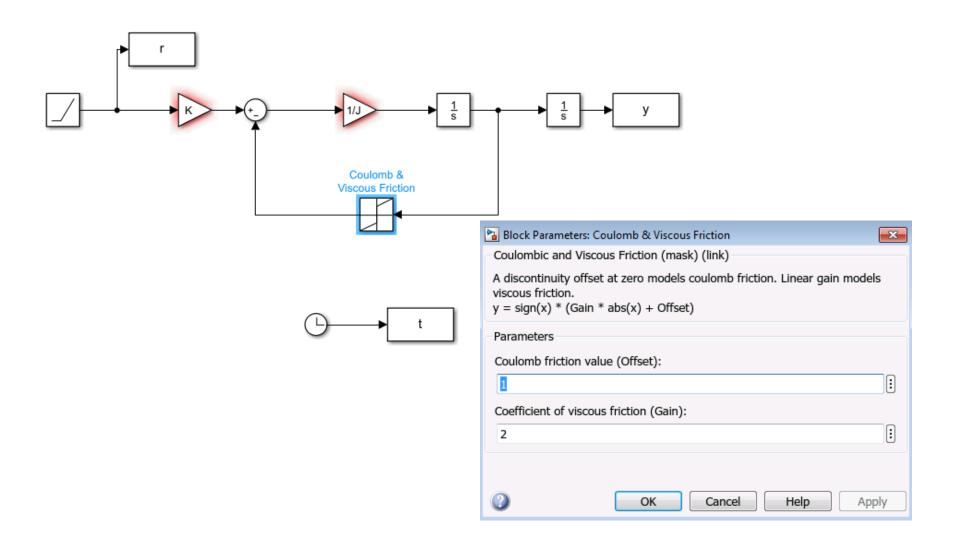


You can group a set of blocks together into a subsystem, by selecting them and right clicking and saying "Create Subsystem". They will all go under a single block. If you double click the subsystem, you can see what is under the "mask".

Setting Up Systems with Integrators

If you have a nonlinear equation system, you **can't** describe it with a transfer function. One option is to put all of the operations in as individual blocks:

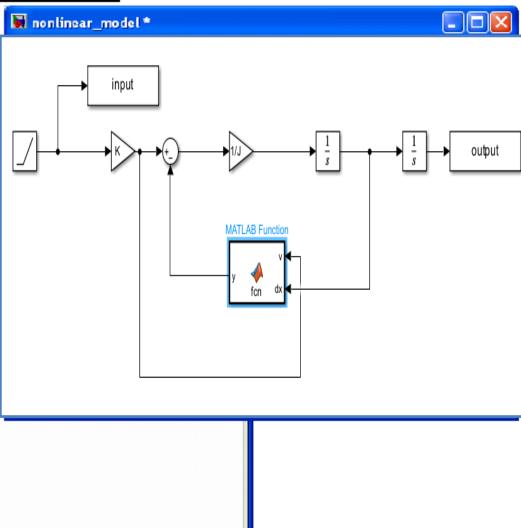




User Defined Functions

You can embed user-defined m-files using the "Embedded MATLAB Function" block under the "user-defined functions" library.

```
🥠 Embedded MATLAB Editor - Block: nonlinear_model/Embedd
File Edit Text Debug Tools Window Help
        1
      function y = fcn(u1,u2)
 Z
      h This block supports an embeddable subset
      % See the help menu for details.
      StickTorque=1;
      c=1;
      if u2>StickTorque || u2<-StickTorque
          v=c*u1;
10
      else
11 -
          \nabla = u2:
12
      end
```



DC motor dynamics

The plant: a DC motor
$$\Gamma$$
: motor torques

$$\Gamma = k V = J \ddot{\theta} + V \dot{\theta} + J \Pi^{N/F}$$

R: motor constant

V: viscus friction

J: motor inertia

I''' = Static (oulomb friction

V = input

$$KV(S) = JS^{2}\Theta(S) + V\Theta(S)$$
 $KV(S) = JS^{2}\Theta(S) + V\Theta(S)$
 $KV(S) = S(JS + V)\Theta(S)$

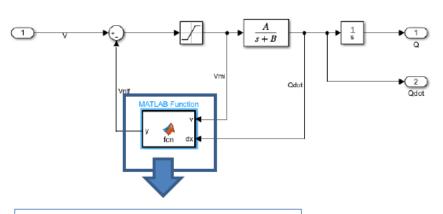
$$KV(S) = S(JS + V)\Theta(S)$$

$$THOM TO THE STATE OF T$$

DC motor dynamics

```
9999999999999999999999999999999
%%%% MOTOR SIMULATION
%%% System configuration
t s=10;
                                                                                      theta
h=0.001;
                                                              Qdot
%Motor and simulation parameters
                                                          MOTOR
                                                                                     omega
ref=1;
K1=0.00302;
J1=2.97E-07;
v1=8.23E-06;
A=K1/J1;
B=v1/J1;
sat1=1.0;
%%% Simulation and plots
sim motor sim;
figure;
plot(t,theta,'b',t,r,'r'); %motor position
xlabel('t(s)'); ylabel('Motor position
(rad)');title('DC Motor');
figure;
                                                               MATLAB Functi
plot(t,omega,'b',t,r,'r'); %system response
xlabel('t(s)'); ylabel('Motor speed
(rad/s)');title('DC Motor');
```

DC motor dynamics

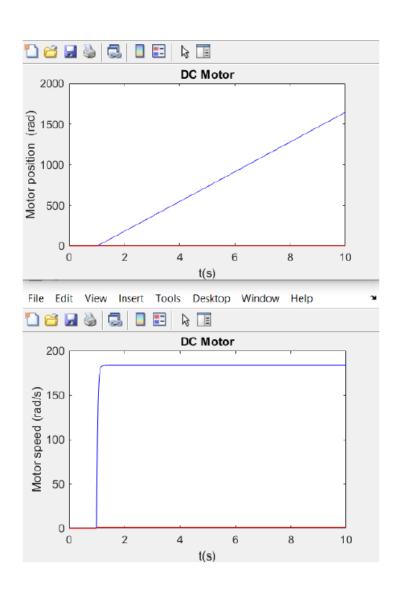


```
function y = fcn(v, dx)
%#codegen
Vie=0.15;
if dx==0
    if abs(v)<=Vie
        y=v;
    else
        y=sign(v)*Vie;
    end
else
    y=Vie*sign(dx);
end</pre>
```

$$f \dot{\theta} = 0;$$

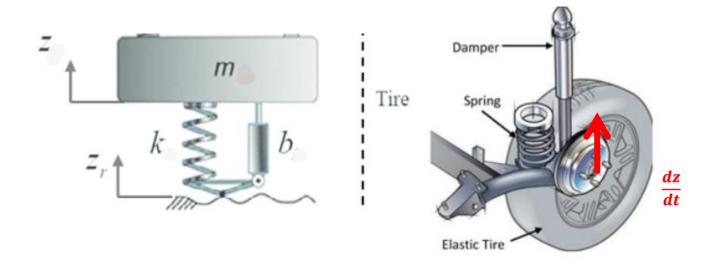
$$v^{nlf} = \begin{cases} |v_{mi}| \le v_{ie}^{nlf}; V_{mi} \\ |v_{mi}| > v_{ie}^{nlf}; \operatorname{sgn}(V_{mi}).v_{ie}^{nlf} \end{cases}$$

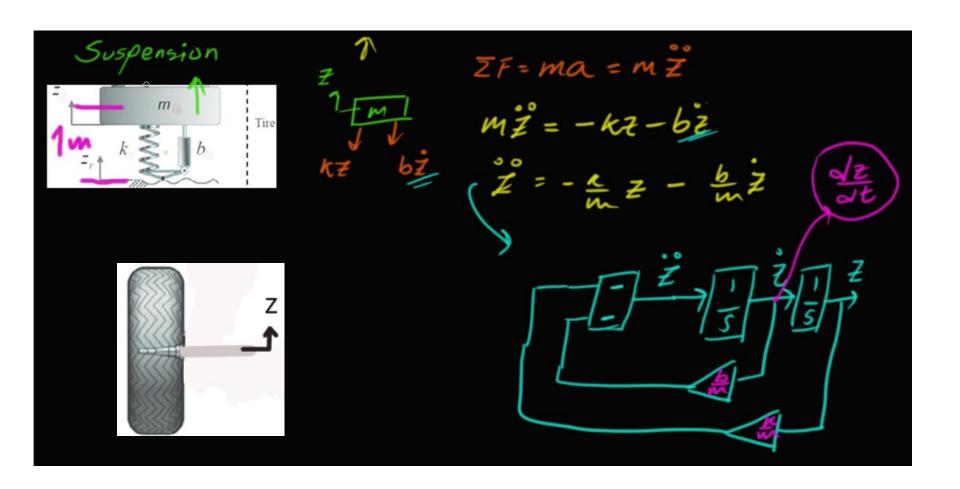
$$if \dot{\theta} \neq 0; v^{nlf} = v_{ie}^{nlf}.\operatorname{sgn}(\dot{\theta})$$

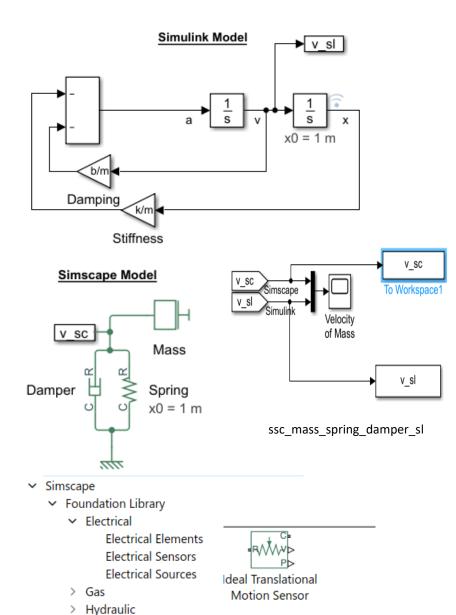


Suspension system

A suspension system has to be modelled and simulated. Here, z is the vertical displacement of the wheel center. We are interested in obtaining how the speed of mass m changes by time $\frac{dz}{dt}$.







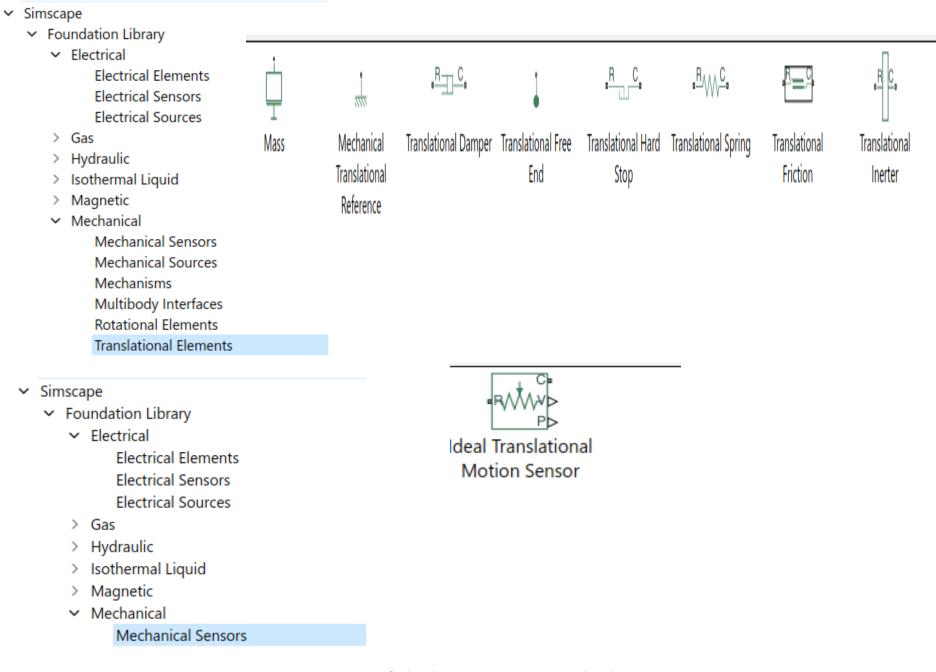
```
응응응응
      MASS SPRING DAMPER
응응응응
      SIMULINK AND SIMSCAPE
응응응응
% 1. SIMULATION PARAMETERS
b=10; %N/(m/s)
k=400; % N/m
m=3.6; %kq
x0=1;%m
% 2. SIMULATION AND PLOTS
Sim ssc mass spring damper sl 2022;
figure;
plot(v_sc,'g','LineWidth',2);
hold on
plot(v sl,'--r','LineWidth',2);
xlabel('Time(s)');
ylabel('Velocity (m/s)');
title('Velocity of Mass');
```

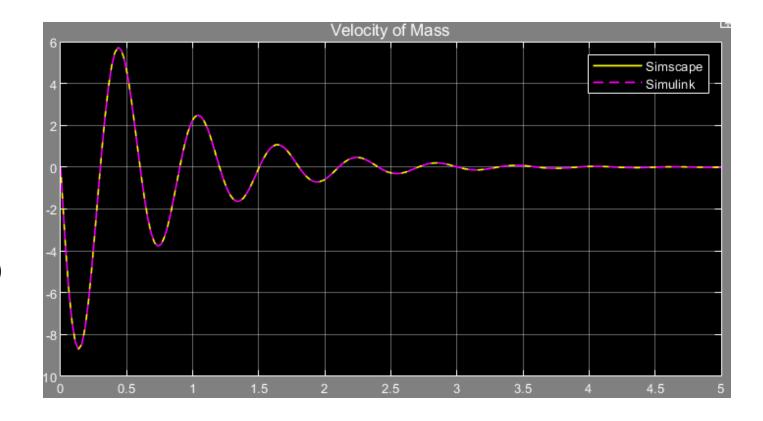
> Magnetic

> Mechanical

> Isothermal Liquid

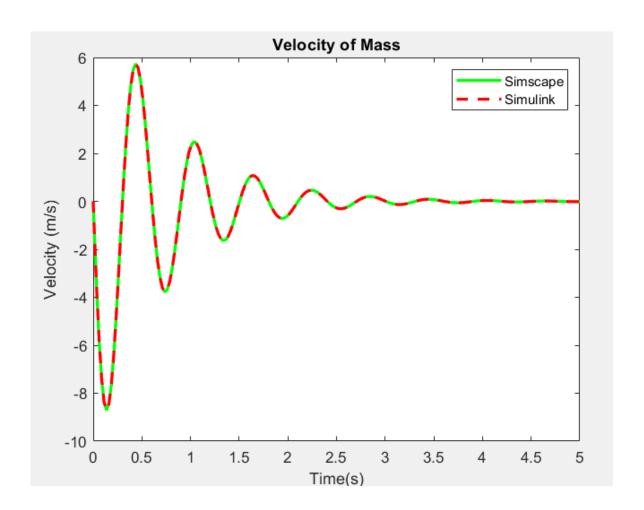
Mechanical Sensors





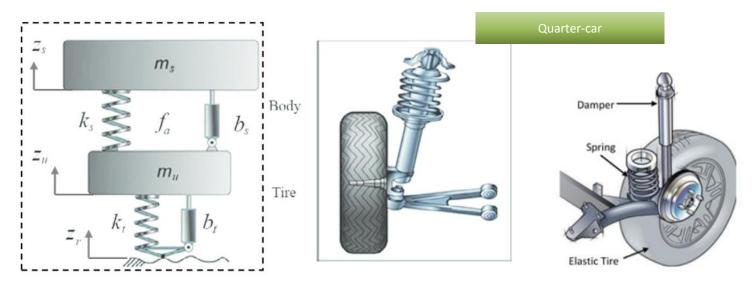
Velocity of mass (m/s)

Time (s)



Suspension system

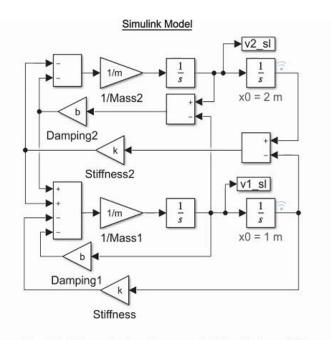
A quarter-car and its suspension system has to be modelled and simulated. Here, z_u is the vertical displacement of the wheel center and z_s is the vertical displacement of vehicle chassis. We are interested in obtaining how the speed of masses m_s and m_u change by time.

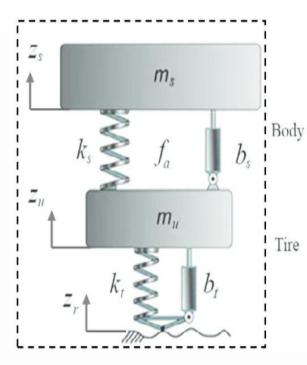


A quarter-car model of suspension system

Mass-Spring-Damper Simulink







of Masses

https://www.mathwork s.com/help/physmod/si mscape/ug/doublemass-spring-damper-insimulink-andsimscape.html

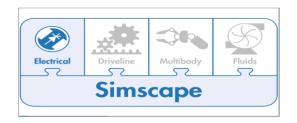
https://ctms.engin.umich. edu/CTMS/index.php?exa mple=Suspension§io n=SimulinkControl

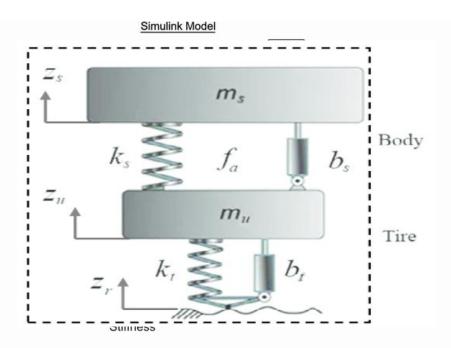
Double Mass-Spring-Damper in Simulink and Simscape

- 1. Plot position of masses (see code)
- 2. Explore simulation results using sscexplore
- 3. Learn more about this example
- 4. Open model of single mass-spring-damper
- 5. Learn more about modeling physical networks



Mass-Spring-Damper Simscape





Damper2 Spring2 x0 = 1 m

V1_sc Mass1

Damper1 Spring1 x0 = 1 m

Simscape Model

https://www.math works.com/services /training.html?s_ti d=gn_trg_ov

Double Mass-Spring-Damper in Simulink and Simscape

- 1. Plot position of masses (see code)
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Mass-Spring-Damper

